

(16.3)

$$\begin{array}{c|c} y_t | y_{t-1} & P(y_t | y_{t-1}) \\ S_t = S_{t-1} & p \\ S_t = r & 1-p \end{array}$$

where

$$r \in \{1, \dots, 30\}$$

16.4

abcdeabcabcdeeeeabcababcbabc

$a \xrightarrow{x_7} b$
 $a \xrightarrow{x_1} a$

$b \xrightarrow{x_6} c$
 $b \xrightarrow{x_1} a$

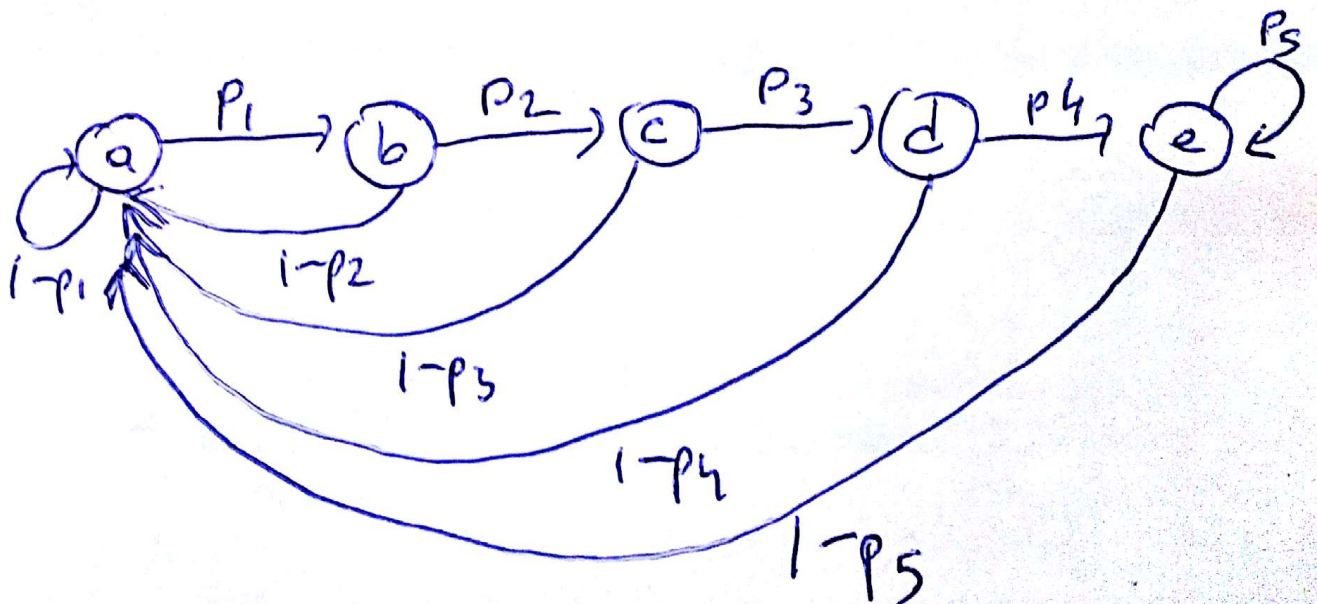
$c \xrightarrow{x_3} d$
 $c \xrightarrow{x_2} a$

$d \xrightarrow{x_2} e$
 $d \xrightarrow{x_1} a$

$e \xrightarrow{x_2} a$
 $e \xrightarrow{x_3} e$

these are the all observations from the series

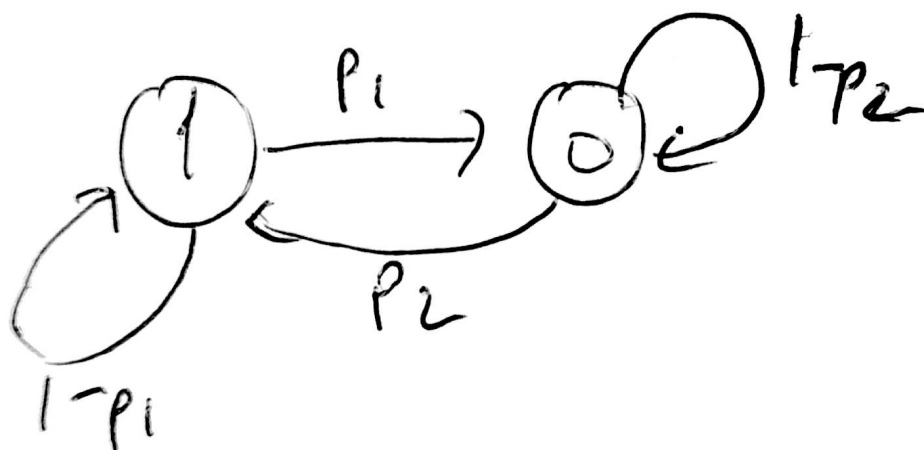
So,



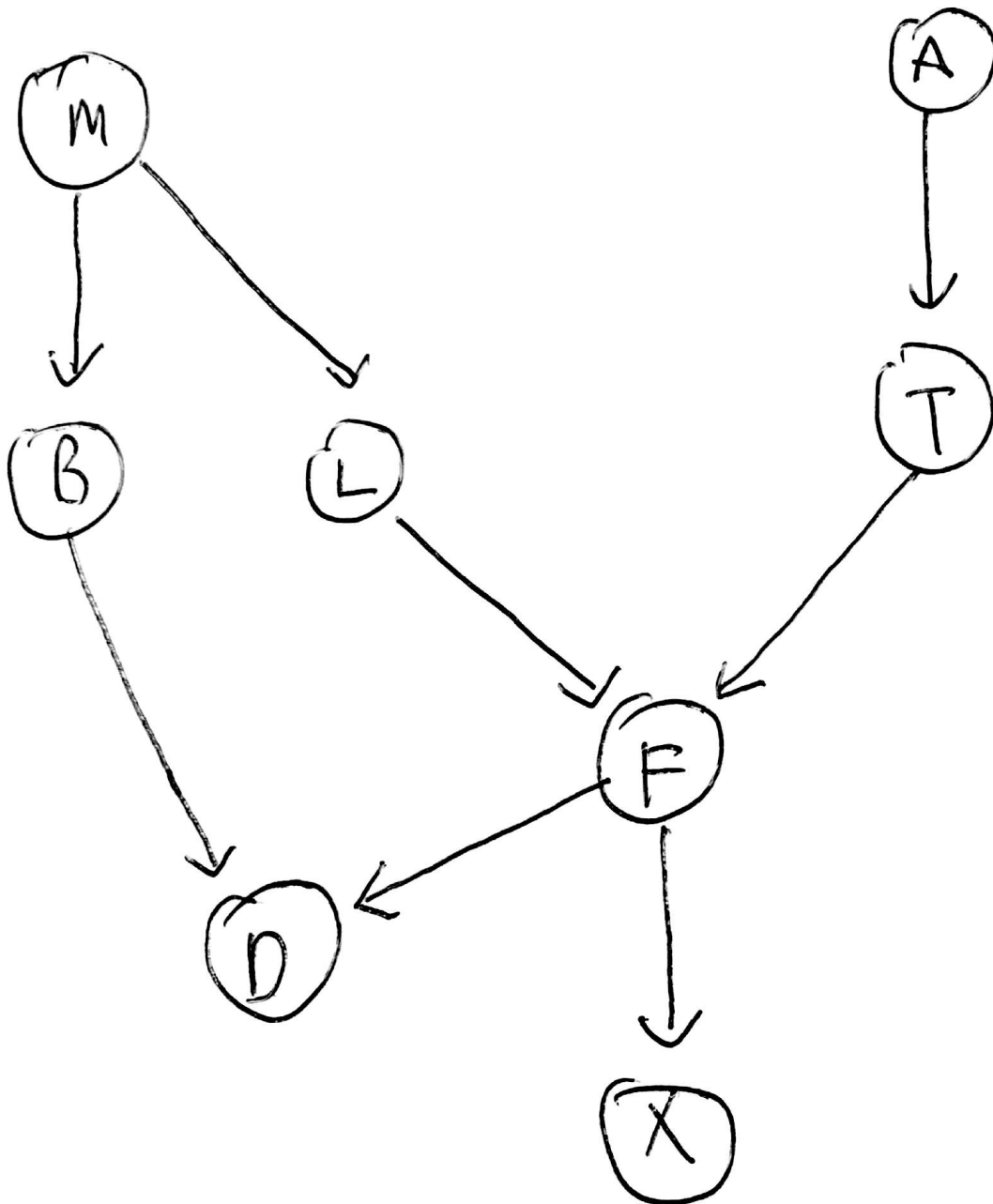
165

||| 000||| 000 ||| 0000 || 000 ||| 0000 ||| 000|||

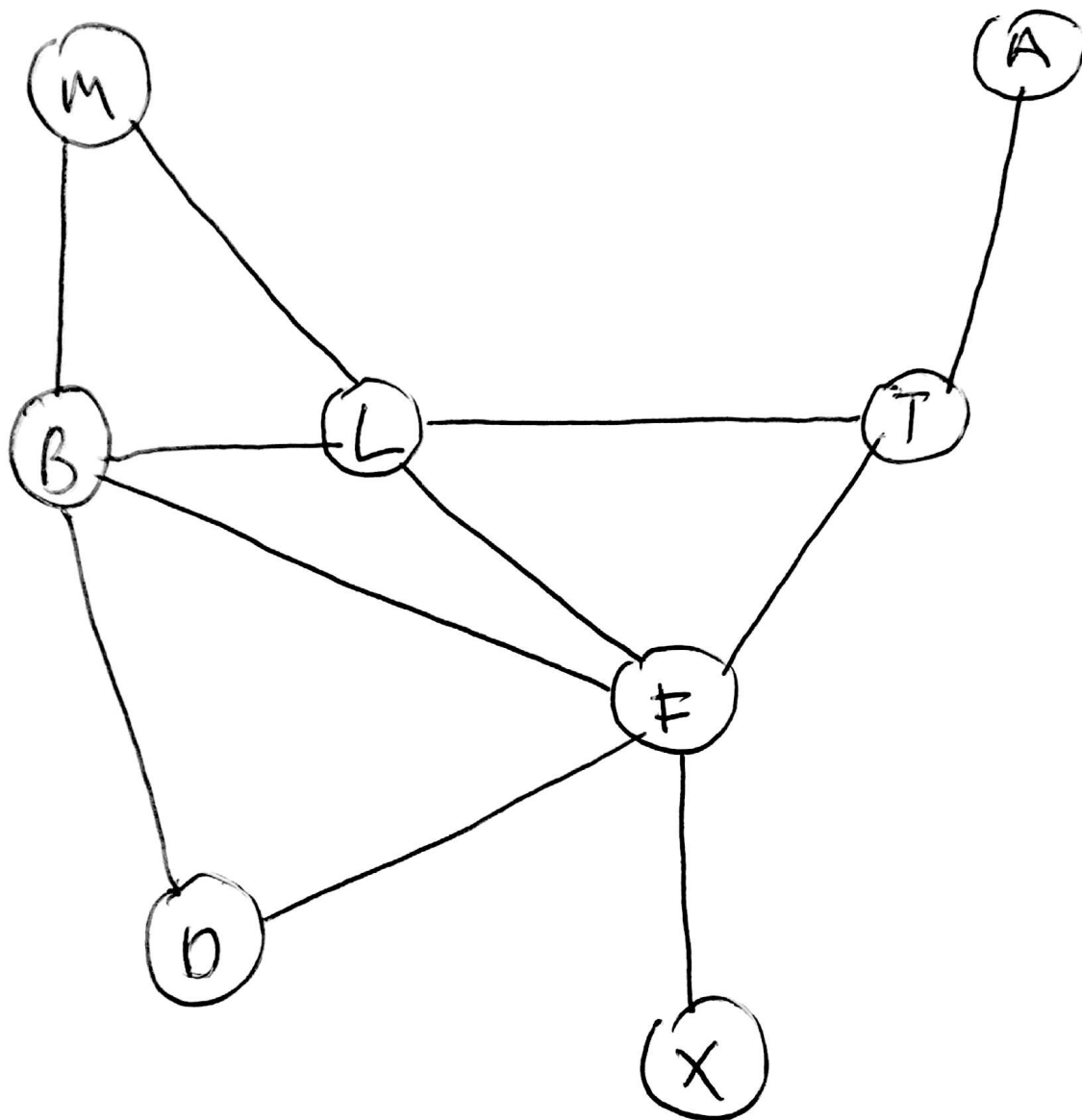
$$x_t \in \{1, 0\}$$



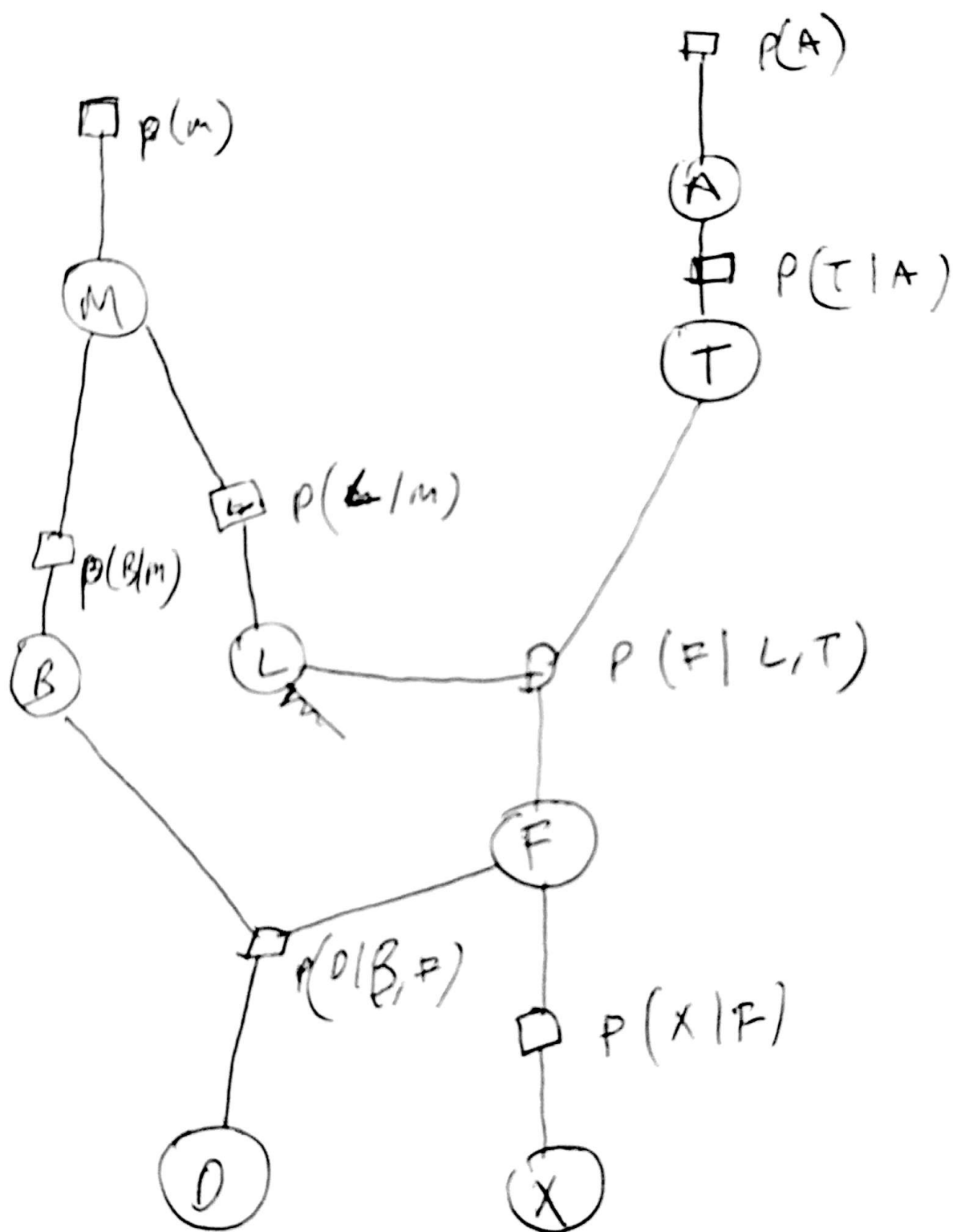
18.1 Directed



18.2 Undirected



18.2 Factorized



18.4

a)

(M)

(A)

ancestral graph

(M)

(A)

monotone

(no parents)

(M)

(A)

disorient

(no edges)

(M)

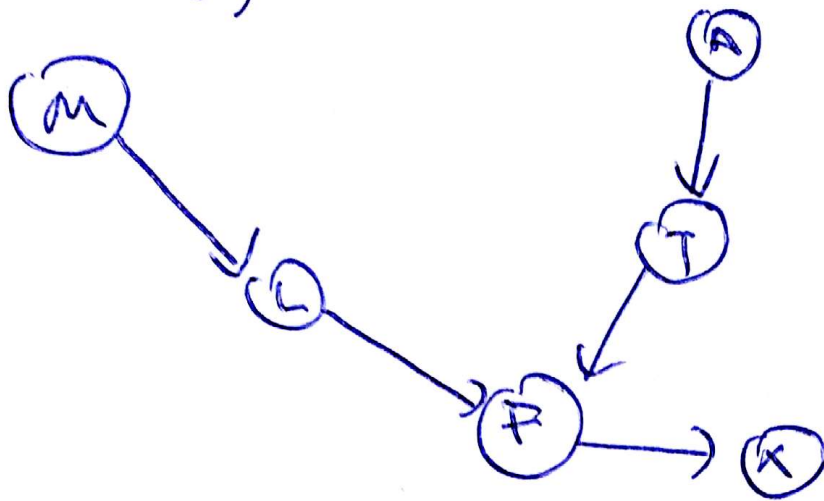
(A)

delete givens

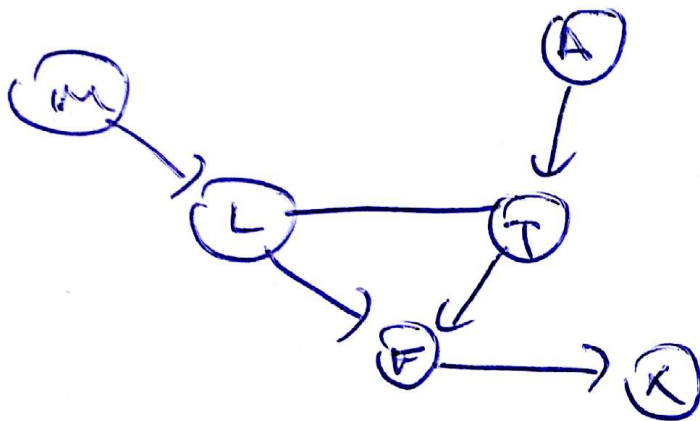
(no givens)

Yes A, M are not connected, so
they are unconditionally independent

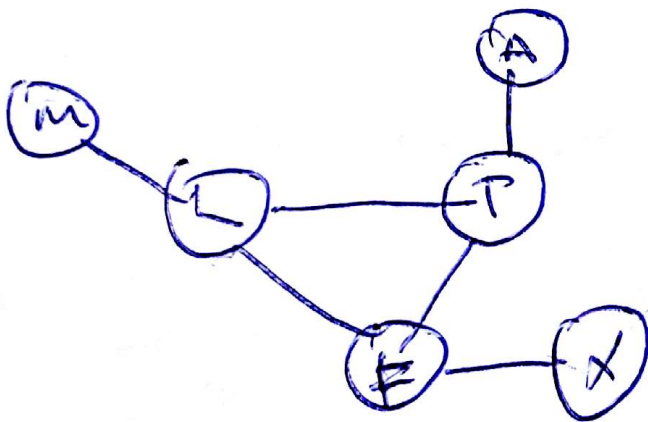
18.4 b)



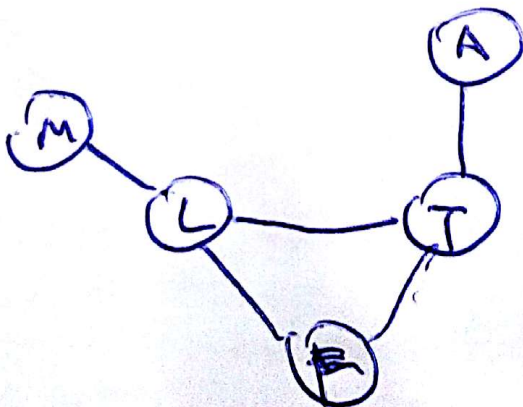
ancestral graph



moralite



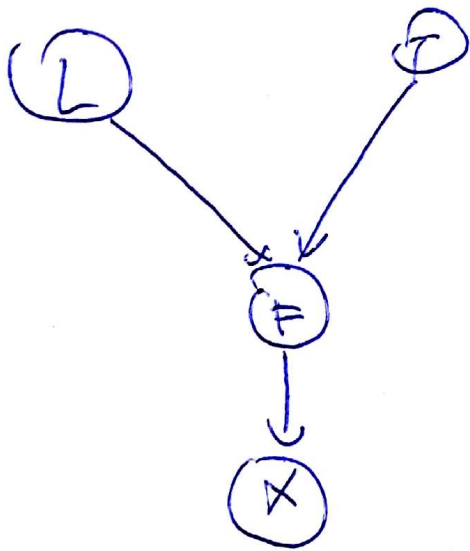
disorient



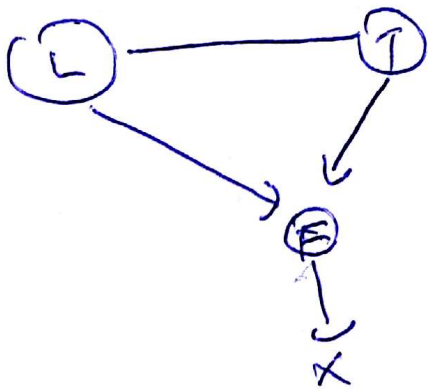
delete gens

A and M are connected, so they are not conditionally independent

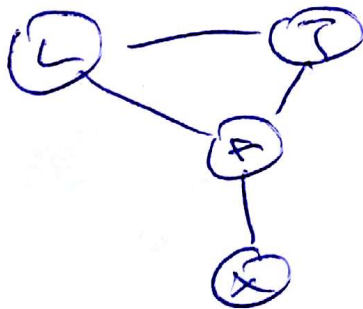
18.4 c)



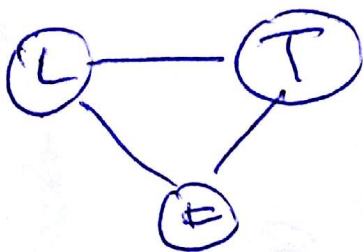
ancestral graph



moralize



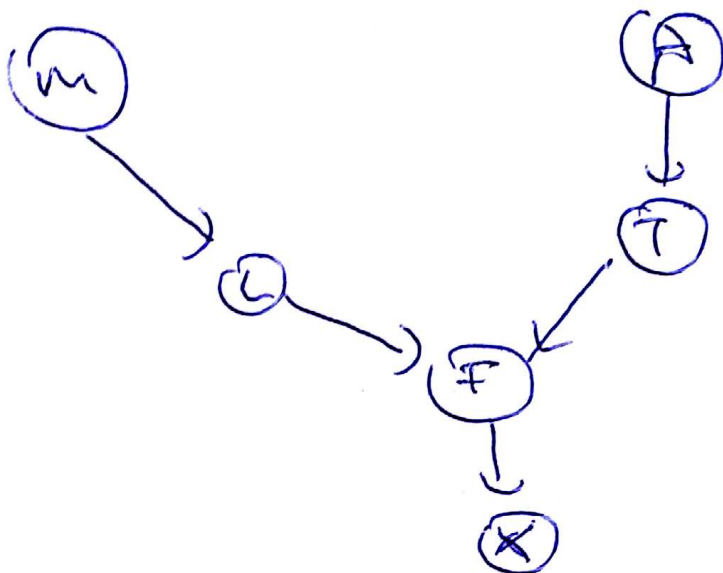
disorient



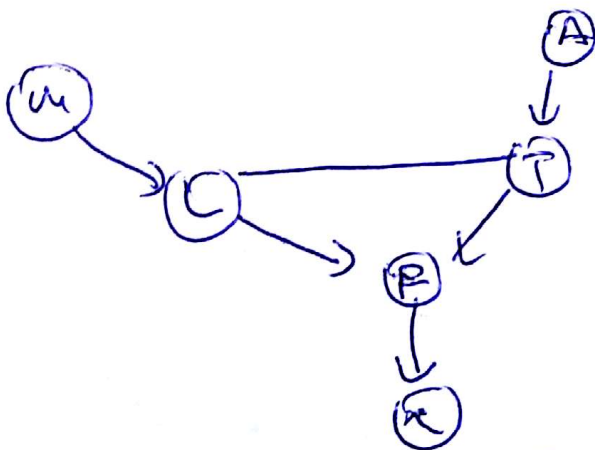
delete greens

L and T are connected, so they are not conditionally independent

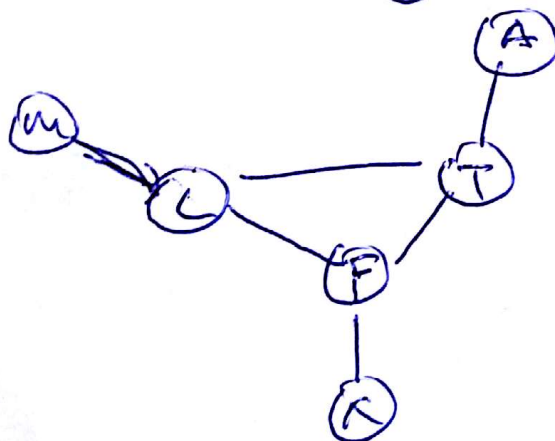
18.4 d)



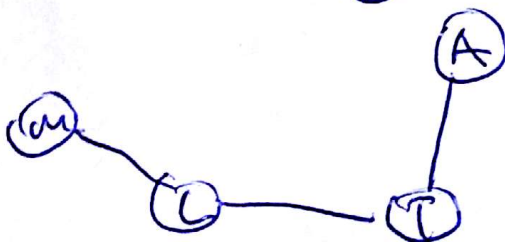
ancestral graph



marginalize



disorient

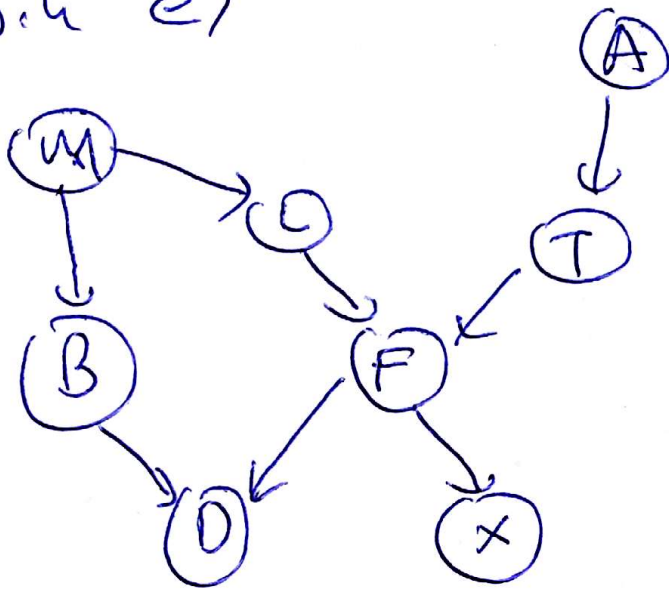


delete nodes

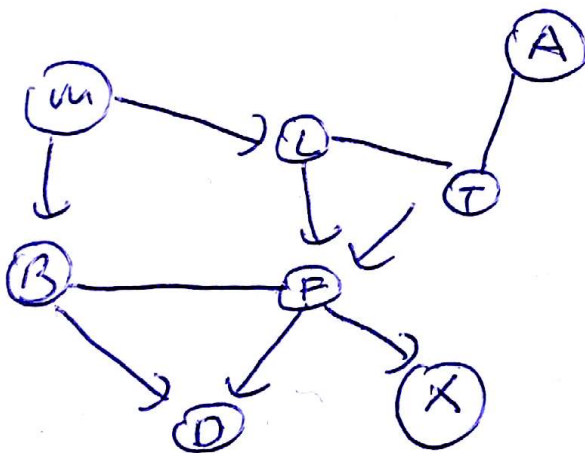
X and L are conditionally independent

no connection (X)

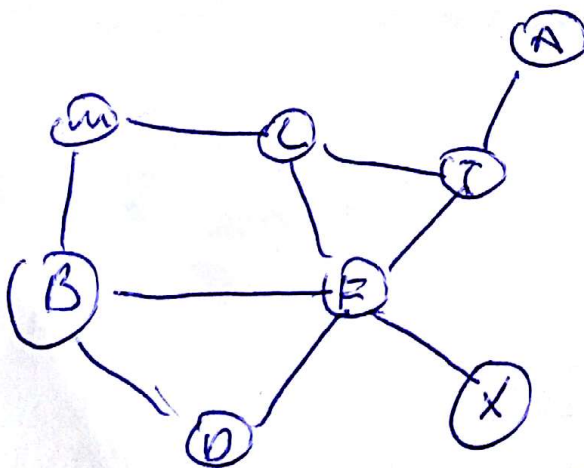
18.4 e)



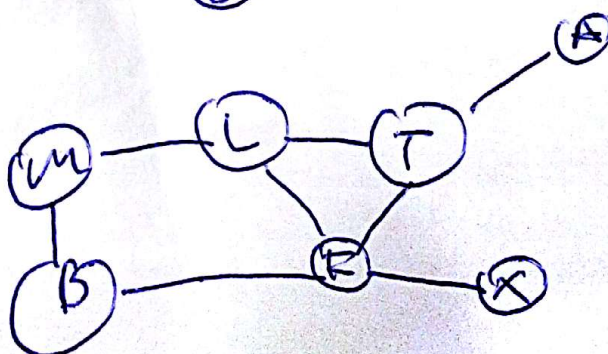
ancestral graph



moralize



Disorient



delete graphs

X and L are connected, so they are not conditionally independent