18-224 Exercise 9

Rudy Sorensen March 30, 2025

1.1 Parts E - H

Code is uploaded in repo in file ScanChain_starter.py

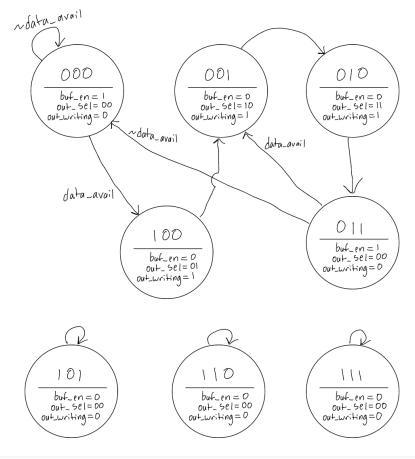
Code for testing adder is in ScanChain_starter.py. The functions used are adder_test() and gen_test_case(). I did CRT with 20 sets of inputs to verify my work. I don't have any design artifacts besides the output of my tests to prove their correctness. It is after this paragraph. As for reflecting on my work for this task, I don't have much to say. I basically pulled my gen_test_case() function from exercise 5 and tweaked it a bit so that the inputs were in the form of a list. This allowed me to easily input my test cases into my input_chain() function. I then waited a clock cycle and simply had an assertion that compared the value in the x out register to the actual sum.

```
TEST 0:
A: [0, 0, 1, 0]
B: [0, 1, 0, 1]
X: 01110
CORRECT SUM: 0b1110
TEST 1:
A: [1, 1, 0, 0]
B: [0, 0, 1, 0]
X: 00111
CORRECT SUM: 0b111
TEST 2:
A: [1, 1, 1, 0]
B: [0, 0, 0, 0]
X: 00111
CORRECT SUM: 0b111
TEST 3:
A: [1, 1, 1, 1]
B: [1, 0, 0, 1]
X: 11000
CORRECT SUM: 0b11000
TEST 4:
A: [1, 0, 0, 0]
B: [1, 1, 1, 1]
X: 10000
CORRECT SUM: 0b10000
TEST 5:
A: [0, 0, 1, 0]
B: [0, 1, 1, 0]
X: 01010
CORRECT SUM: 0b1010
TEST 6:
A: [1, 0, 1, 1]
B: [0, 1, 0, 1]
```

```
X: 10111
CORRECT SUM: 0b10111
TEST 7:
A: [1, 1, 1, 0]
B: [1, 1, 0, 0]
X: 01010
CORRECT SUM: 0b1010
TEST 8:
A: [0, 0, 0, 1]
B: [0, 0, 0, 0]
X: 01000
CORRECT SUM: 0b1000
TEST 9:
A: [1, 0, 0, 1]
B: [1, 0, 0, 0]
X: 01010
CORRECT SUM: 0b1010
TEST 10:
A: [0, 1, 0, 1]
B: [0, 1, 0, 1]
X: 10100
CORRECT SUM: 0b10100
TEST 11:
A: [1, 1, 0, 0]
B: [1, 0, 1, 1]
X: 10000
CORRECT SUM: 0b10000
TEST 12:
A: [1, 1, 0, 1]
B: [0, 0, 0, 0]
X: 01011
CORRECT SUM: 0b1011
TEST 13:
A: [0, 0, 0, 1]
B: [1, 1, 0, 1]
X: 10011
CORRECT SUM: 0b10011
TEST 14:
A: [0, 0, 0, 0]
B: [0, 0, 1, 0]
X: 00100
CORRECT SUM: 0b100
TEST 15:
```

```
A: [0, 1, 1, 1]
B: [1, 0, 0, 0]
X: 01111
CORRECT SUM: 0b1111
TEST 16:
A: [0, 0, 1, 0]
B: [1, 1, 1, 1]
X: 10011
CORRECT SUM: 0b10011
TEST 17:
A: [1, 0, 0, 1]
B: [0, 0, 1, 0]
X: 01101
CORRECT SUM: 0b1101
TEST 18:
A: [0, 0, 1, 0]
B: [0, 1, 1, 0]
X: 01010
CORRECT SUM: 0b1010
TEST 19:
A: [0, 0, 0, 0]
B: [1, 1, 0, 0]
X: 00011
CORRECT SUM: 0b11
```

My code for this task is in ScanChain_starter.py under the function hidden_test(). The output of that function is in this document after the reconstructed state diagram. For reflection, I'll start by describing the process. Since I saw that cur_state was only a 3-bit vector in the .log file and that there was only one 1-bit input, I used the scan chain to feed each possible state in twice, once with data_avail set to 0 and then again with data_avail set to 1. Then I simply waited a cycle, used my output_chain() function to grab the next state out of the cur_state registers, and printed that alongside the output variables. I think that it was a pretty cool exercise showing how useful scan chains can actually be even with limited knowledge of the design. It was definitely made easier by it being a Moore machine and only having one 1-bit input though.



```
data_avail: 0
CURR_STATE: [0, 0, 0]
NEXT_STATE: [0, 0, 0]
BUF_EN: 1
OUT_SEL: 00
OUT_WRITING: 0

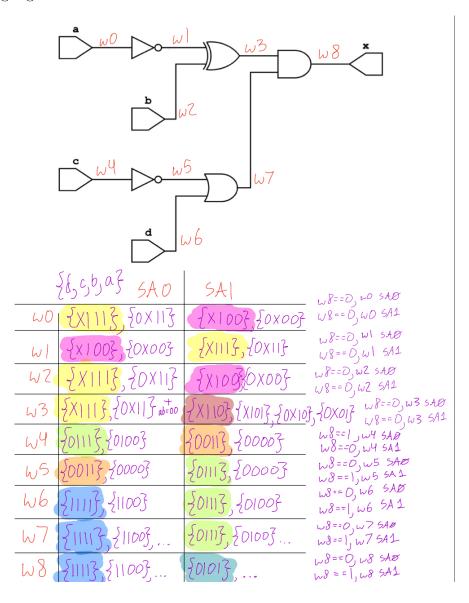
data_avail: 1
CURR_STATE: [0, 0, 0]
```

```
NEXT_STATE: [1, 0, 0]
BUF_EN: 1
OUT_SEL: 00
OUT_WRITING: 0
data_avail: 0
CURR_STATE: [0, 0, 1]
NEXT_STATE: [0, 1, 0]
BUF_EN: 0
OUT_SEL: 10
OUT_WRITING: 1
data_avail: 1
CURR_STATE: [0, 0, 1]
NEXT_STATE: [0, 1, 0]
BUF_EN: 0
OUT_SEL: 10
OUT_WRITING: 1
data_avail: 0
CURR_STATE: [0, 1, 0]
NEXT_STATE: [0, 1, 1]
BUF_EN: 0
OUT_SEL: 11
OUT_WRITING: 1
data_avail: 1
CURR_STATE: [0, 1, 0]
NEXT_STATE: [0, 1, 1]
BUF_EN: 0
OUT_SEL: 11
OUT_WRITING: 1
data_avail: 0
CURR_STATE: [0, 1, 1]
NEXT_STATE: [0, 0, 0]
BUF_EN: 1
OUT_SEL: 00
OUT_WRITING: 0
data_avail: 1
CURR_STATE: [0, 1, 1]
NEXT_STATE: [1, 0, 0]
BUF_EN: 1
OUT_SEL: 00
OUT_WRITING: 0
data_avail: 0
CURR_STATE: [1, 0, 0]
NEXT_STATE: [0, 0, 1]
BUF_EN: 0
OUT_SEL: 01
```

```
OUT_WRITING: 1
data_avail: 1
CURR_STATE: [1, 0, 0]
NEXT_STATE: [0, 0, 1]
BUF_EN: 0
OUT_SEL: 01
OUT_WRITING: 1
data_avail: 0
CURR_STATE: [1, 0, 1]
NEXT_STATE: [1, 0, 1]
BUF_EN: 0
OUT_SEL: 00
OUT_WRITING: 0
data_avail: 1
CURR_STATE: [1, 0, 1]
NEXT_STATE: [1, 0, 1]
BUF_EN: 0
OUT_SEL: 00
OUT_WRITING: 0
data_avail: 0
CURR_STATE: [1, 1, 0]
NEXT_STATE: [1, 1, 0]
BUF_EN: 0
OUT_SEL: 00
OUT_WRITING: 0
data_avail: 1
CURR_STATE: [1, 1, 0]
NEXT_STATE: [1, 1, 0]
BUF_EN: 0
OUT_SEL: 00
OUT_WRITING: 0
data_avail: 0
CURR_STATE: [1, 1, 1]
NEXT_STATE: [1, 1, 1]
BUF_EN: 0
OUT_SEL: 00
OUT_WRITING: 0
data_avail: 1
CURR_STATE: [1, 1, 1]
NEXT_STATE: [1, 1, 1]
BUF_EN: 0
OUT_SEL: 00
OUT_WRITING: 0
```

4.1 Part A

Vectors highlighted the same color will catch more than one fault.



4.2 Part B

I chose these vectors by starting at the fault and selecting the values of other variables such that they would result in a contradictory output that I could actually view at x. This process resulted in the vectors described in the previous table. I then fed all of the vectors into the design and determined if an error occurred by looking at my generated output.

For fault1.sv, using the vector {1100} I detected:

- a possibly SA1
- w1 possibly SA0
- b possibly SA1

For fault2.sv, using the vector {1110} I detected that **w3** was SA1.

For fault3.sv, using the vectors $\{0011\}$, $\{1100\}$, and $\{1111\}$ I detected that \mathbf{x} was SA0 due to contradictions in the other errors I detected.

For fault4.sv, using the vectors $\{0111\}$, $\{1110\}$, and $\{0101\}$ I detected that \mathbf{x} was SA1 due to contradictions in the other errors I detected.

For fault5.sv, I detected no faults.

4.2.1 Outputs

```
fault1.sv
VEC: 0b1111
X VAL: 1
A VAL: 1
B VAL: 1
C VAL: 1
D VAL: 1
VEC: 0b1100
X VAL: 0
A VAL: 0
B VAL: 0
C VAL: 1
D VAL: 1
POSSIBLE w0 SA1
POSSIBLE w1 SA0
POSSIBLE w2 SA1
VEC: 0b1110
X VAL: 1
A VAL: 0
B VAL: 1
C VAL: 1
D VAL: 1
POSSIBLE w3 SA1
VEC: 0b111
X VAL: 0
A VAL: 1
B VAL: 1
C VAL: 1
D VAL: 0
VEC: 0b11
X VAL: 1
A VAL: 1
B VAL: 1
C VAL: 0
D VAL: 0
VEC: 0b1111
X VAL: 1
A VAL: 1
B VAL: 1
C VAL: 1
D VAL: 1
VEC: 0b101
X VAL: 0
A VAL: 1
```

B VAL: 0
C VAL: 1
D VAL: 0

fault2.sv VEC: 0b1111 X VAL: 1 A VAL: 1 B VAL: 1 C VAL: 1 D VAL: 1 VEC: 0b1100 X VAL: 1 A VAL: 0 B VAL: 0 C VAL: 1 D VAL: 1 VEC: 0b1110 X VAL: 1 A VAL: 0 B VAL: 1 C VAL: 1 D VAL: 1 POSSIBLE w3 SA1 VEC: 0b111 X VAL: 0 A VAL: 1 B VAL: 1 C VAL: 1 D VAL: 0 VEC: 0b11 X VAL: 1 A VAL: 1 B VAL: 1 C VAL: 0 D VAL: 0 VEC: 0b1111 X VAL: 1 A VAL: 1 B VAL: 1 C VAL: 1 D VAL: 1 VEC: 0b101 X VAL: 0 A VAL: 1 B VAL: 0 C VAL: 1 D VAL: 0

fault3.sv VEC: 0b1111 X VAL: 0 A VAL: 1 B VAL: 1 C VAL: 1 D VAL: 1 POSSIBLE wo SAO POSSIBLE w1 SA1 POSSIBLE w2 SA0 POSSIBLE w3 SA0 VEC: 0b1100 X VAL: 0 A VAL: 0 B VAL: 0 C VAL: 1 D VAL: 1 POSSIBLE wo SA1 POSSIBLE w1 SA0 POSSIBLE w2 SA1 VEC: 0b1110 X VAL: 0 A VAL: 0 B VAL: 1 C VAL: 1 D VAL: 1 VEC: 0b111 X VAL: 0 A VAL: 1 B VAL: 1 C VAL: 1 D VAL: 0 VEC: 0b11 X VAL: 0 A VAL: 1 B VAL: 1 C VAL: 0 D VAL: 0 POSSIBLE w4 SA1 POSSIBLE w5 SA0 VEC: 0b1111 X VAL: 0 A VAL: 1 B VAL: 1 C VAL: 1 D VAL: 1 POSSIBLE w6 SA0

```
POSSIBLE w7 SAO
POSSIBLE w8 SAO

VEC: Ob101
X VAL: 0
A VAL: 1
B VAL: 0
C VAL: 1
D VAL: 0
```

fault4.sv VEC: 0b1111 X VAL: 1 A VAL: 1 B VAL: 1 C VAL: 1 D VAL: 1 VEC: 0b1100 X VAL: 1 A VAL: 0 B VAL: 0 C VAL: 1 D VAL: 1 VEC: 0b1110 X VAL: 1 A VAL: 0 B VAL: 1 C VAL: 1 D VAL: 1 POSSIBLE w3 SA1 VEC: 0b111 X VAL: 1 A VAL: 1 B VAL: 1 C VAL: 1 D VAL: 0 POSSIBLE w4 SAO POSSIBLE w5 SA1 POSSIBLE w6 SA1 POSSIBLE w7 SA1 VEC: 0b11 X VAL: 1 A VAL: 1 B VAL: 1 C VAL: 0 D VAL: 0 VEC: 0b1111 X VAL: 1 A VAL: 1 B VAL: 1 C VAL: 1 D VAL: 1 VEC: 0b101 X VAL: 1 A VAL: 1 B VAL: 0

C VAL: 1
D VAL: 0

POSSIBLE w8 SA1

fault5.sv VEC: 0b1111 X VAL: 1 A VAL: 1 B VAL: 1 C VAL: 1 D VAL: 1 VEC: 0b1100 X VAL: 1 A VAL: 0 B VAL: 0 C VAL: 1 D VAL: 1 VEC: 0b1110 X VAL: 0 A VAL: 0 B VAL: 1 C VAL: 1 D VAL: 1 POSSIBLE w3 SA1 VEC: 0b111 X VAL: 0 A VAL: 1 B VAL: 1 C VAL: 1 D VAL: 0 VEC: 0b11 X VAL: 1 A VAL: 1 B VAL: 1 C VAL: 0 D VAL: 0 VEC: 0b1111 X VAL: 1 A VAL: 1 B VAL: 1 C VAL: 1 D VAL: 1 VEC: 0b101 X VAL: 0 A VAL: 1 B VAL: 0 C VAL: 1 D VAL: 0

- 1. Two other faults that could occur during manufacturing are a crossover fault and a short. A crossover fault could be detected by driving one of the signals affected and seeing if the other signal matches. A short would be detected in a similar way to how we detect stuck-at faults, since they are modelling the same failure I believe.
- 2. Downsides of having a scan-chain include excess logic, leading to more area, and a lower possible maximum frequency, which can affect timing. Upsides include the ability to test your physical circuit for proper functionality and to determine whether specific intermediate wires have a fault, since you can now feed values into specific points in your circuit.
- 3. To accomplish this, you can implement a BIST (built-in self test). Circuitry that simply outputs whether the design is working or not and does not require external input nor the need to probe the design's actual outputs to test its funcionality.
- 4. I would assume that unexpected things could happen if running optimization after having tested the design with a scan chain. Optimization could create a new type of fault that wasn't detected in the unoptimized design, so one must insert a scan chain once again to test. Essentially, the unoptimized and optimized designs could be completely different, so the testing of one is completely unrelated to the testing of another besides their test vectors.