



DESIGN AND ANALYSIS OF ALGORITHMS

LAB FILE

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EXPERIMENT 1

Implement the insertion inside iterative and recursive Binary search tree and compare their performance.

CODE:

Recursive BST:

```

1  #include<stdio.h>
2  #include <stdlib.h>
3  #include <time.h>
4
5  #define SIZE 60000
6
7  struct Node* insertRecursive(struct Node* , int); // Prototype functions for creating and inserting iteratively in a binary tree.
8  struct Node* createNode(int);
9
10 // Structure for a node in the binary search tree.
11 struct Node {
12     int data;
13     struct Node* left;
14     struct Node* right;
15 };
16
17 int main(){
18
19     clock_t start_time; // clock_t is a data type for measuring processor time in clock ticks.
20     clock_t end_time;
21     double total_time;
22
23     start_time=clock();
24
25     // Initialize the array to store random numbers
26     int arr[SIZE];
27
28     // Seed the random number generator
29     srand(time(0));
30
31     // Generate random numbers and store them in the array
32     for (int i = 0; i < SIZE; i++) {
33         arr[i] = rand();
34     }
35     printf("\n");

```

```

// Create an empty binary search tree (root node is NULL)
struct Node* root = NULL;

// Insert numbers from the array into the binary search tree iteratively
for (int i = 0; i < SIZE; i++) {
    root = insertRecursive(root, arr[i]);
}

end_time=clock();
total_time=((double)(end_time - start_time)) / CLOCKS_PER_SEC;

printf("Total elapsed time is %f seconds", total_time);

return 0;
}

// Function to create a new node
struct Node* createNode(int data) {
    struct Node* newNode = (struct Node*)malloc(sizeof(struct Node));
    newNode->data = data;
    newNode->left = NULL;
    newNode->right = NULL;
    return newNode;
}

// Function to insert a node recursively in a binary search tree
struct Node* insertRecursive(struct Node* root, int data) {
    // Base case: If the tree is empty, return the new node as the root
    if (root == NULL) {
        return createNode(data);
    }

    // Recursive case: Traverse the tree to find the correct position
    if (data < root->data) {
        root->left = insertRecursive(root->left, data); // Insert in the left subtree
    } else if (data > root->data) {
        root->right = insertRecursive(root->right, data); // Insert in the right subtree
    }

    // Return the unchanged root pointer
    return root;
}

```

ITERATIVE BST:

```

1 #include<stdio.h>
2 #include <stdlib.h>
3 #include <time.h>
4
5 #define SIZE 60000
6
7
8 struct Node* insertIterative(struct Node* , int ); // Prototype functions for creating and inserting iteratively in a binary tree.
9 struct Node* createNode(int );
10
11 // Structure for a node in the binary search tree
12 struct Node {
13     int data;
14     struct Node* left;
15     struct Node* right;
16 };
17
18 int main()
19 {
20     clock_t start_time; // clock_t is a data type for measuring processor time in clock ticks.
21     clock_t end_time;
22     double total_time;
23
24     // Initialize the array to store random numbers
25     int arr[SIZE];
26
27     // Seed the random number generator
28     srand(time(0));
29
30     // Generate random numbers and store them in the array
31     for (int i = 0; i < SIZE; i++) {
32         arr[i] = rand();
33     }
34     printf("\n");
35
36     // Create an empty binary search tree (root node is NULL)
37     struct Node* root = NULL;
38
39     start_time=clock(); // Starting the clock to measure time.
40
41     // Insert numbers from the array into the binary search tree iteratively.
42     for (int i = 0; i < SIZE; i++) {
43         root = insertIterative(root, arr[i]);
44     }
45 }

```

```

46
47 // Function to calculate the total time taken
48 for (int i = 0; i < SIZE; i++) {
49
50     end_time=clock();
51     total_time=((double)(end_time - start_time)) / CLOCKS_PER_SEC;
52
53     printf("Total elapsed time is %f seconds", total_time);
54
55     return 0;
56 }
57
58 // Function to create a new node
59 struct Node* createNode(int data) {
60     struct Node* newNode = (struct Node*)malloc(sizeof(struct Node));
61     newNode->data = data;
62     newNode->left = NULL;
63     newNode->right = NULL;
64     return newNode;
65 }
66
67 // Function to insert a node iteratively in a binary search tree
68 struct Node* insertIterative(struct Node* root, int data) {
69     struct Node* newNode = createNode(data);
70
71     if (root == NULL) {
72         return newNode; // If the tree is empty, return the new node as root
73     }
74
75     struct Node* current = root;
76     struct Node* parent = NULL;
77
78     while (current != NULL) {
79         parent = current;
80         if (data < current->data) {
81             current = current->left;
82         } else if (data > current->data) {
83             current = current->right;
84         } else {
85             // Duplicates not allowed, return the root unchanged
86         }
87     }
88
89     // Insert the new node as the left or right child of the parent
90     if (parent->data > data)
91         parent->left = newNode;
92     else
93         parent->right = newNode;
94
95     return root;
96 }

```

```
        } else {  
            // Duplicates not allowed, return the root unchanged  
            return root;  
        }  
    }  
  
    // Insert the new node at the correct position  
    if (data < parent->data) {  
        parent->left = newNode;  
    } else {  
        parent->right = newNode;  
    }  
  
    return root; // Return the unchanged root pointer  
}
```

OUTPUTS:

RECURSIVE BST:

1. N=10000

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Recursive_BST.c  
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe  
  
Total elapsed time is 0.007000 seconds
```

2. N=20000

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Recursive_BST.c  
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe  
  
Total elapsed time is 0.011000 seconds
```

3. N=30000

```

PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Recursive_BST.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.018000 seconds

```

4. N=40000

```

PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Recursive_BST.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.028000 seconds

```

5. N=50000

```

PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Recursive_BST.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.030000 seconds

```

6. N=60000

```

PROBLEMS  OUTPUT  DEBUG CONSOLE  TERMINAL  PORTS

PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.032000 seconds

```

ITERATIVE BST:

1. N=10000

```

Total elapsed time is 0.010000 seconds
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Iterative_BST.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.004000 seconds

```

2. N=20000

```

Total elapsed time is 0.004000 seconds
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Iterative_BST.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.010000 seconds

```

3. N=30000

```
Total elapsed time is 0.010000 seconds
• PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Iterative_BST.c
• PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.011000 seconds
```

4. N=40000

```
Total elapsed time is 0.011000 seconds
• PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Iterative_BST.c
• PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.016000 seconds
```

5. N=50000

```
Total elapsed time is 0.016000 seconds
• PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Iterative_BST.c
• PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.023000 seconds
```

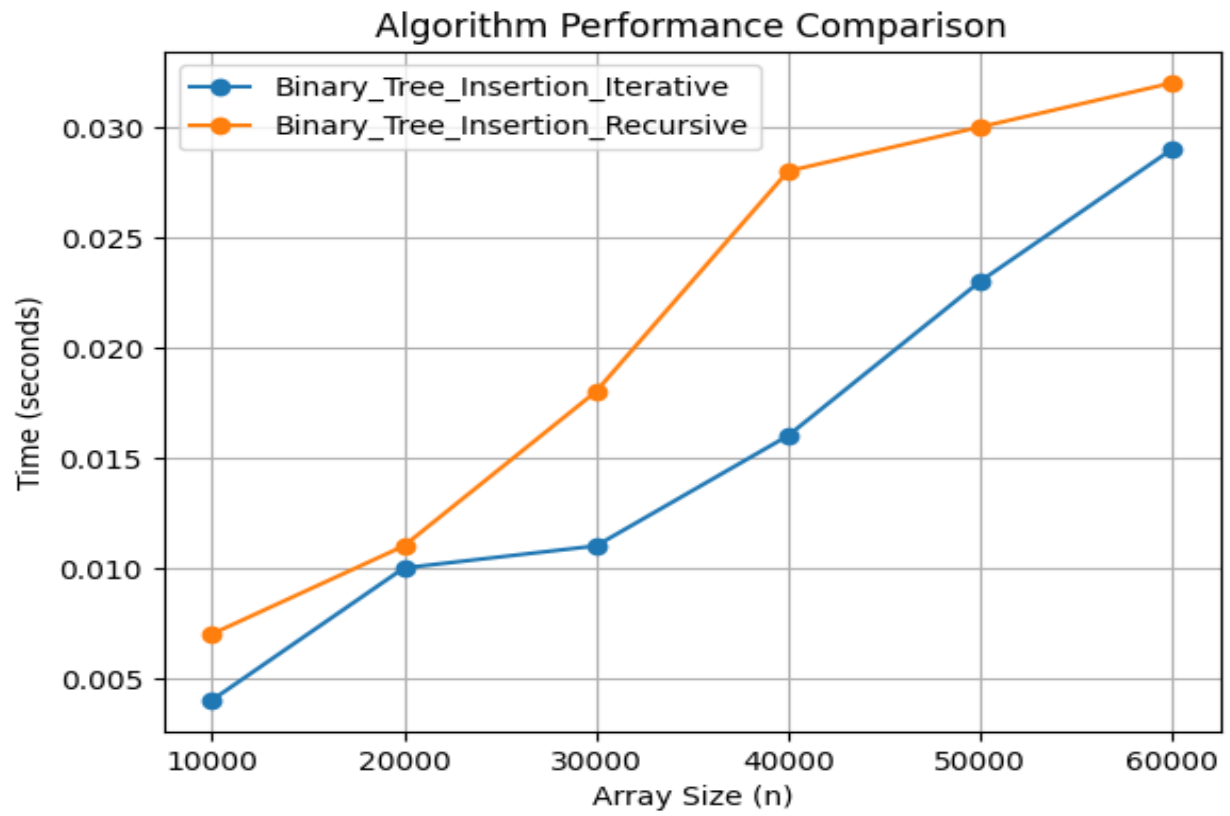
6. N=60000

```
PROBLEMS  OUTPUT  DEBUG CONSOLE  TERMINAL  PORTS

• PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Iterative_BST.c
• PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.029000 seconds
```

GRAPH ANALYSIS:



EXPERIMENT 2

Implement divide and conquer based merge sort and quick sort algorithms and compare their performance for the same set of elements.

CODE:

MERGE SORT:

```
1  #include<stdio.h>
2  #include <stdlib.h>
3  #include <time.h>
4
5  #define SIZE 60000
6
7  void mergeSort(int arr[],int,int);    // Prototype functions for mergeSort and merge functions.
8  void merge(int arr[],int,int,int);
9
10
11
12 int main(){
13
14     clock_t start_time; // clock_t is a data type for measuring processor time in clock ticks.
15     clock_t end_time;
16     double total_time;
17
18
19     // Initialize the array to store random numbers
20     int arr[SIZE];
21
22     // Seed the random number generator
23     srand(time(0));
24
25     // Generate random numbers and store them in the array
26     for (int i = 0; i < SIZE; i++) {
27         arr[i] = rand();
28     }
29     printf("\n");
30
31     start_time=clock();
32
33     mergeSort(arr,0,SIZE-1); // Implementing Merge Sort.
34
35     end_time=clock(); // Ending the clock here as merge sort function is implemented.
36
37 }
```

```

total_time=((double)(end_time - start_time)) / CLOCKS_PER_SEC; //Measuring the time taken.
printf("Total elapsed time is %f seconds", total_time);

return 0;
}

void merge(int arr[], int beg, int mid, int end) // Function using the conquer approach to merge and sort the divided sub-arrays.
{
    int i=beg, j=mid+1, index=beg, k;
    int temp[SIZE];
    while ((i<=mid) &&(j<=end)) // Copying the elements into a temporary array after sorting them.
    {
        if (arr[i]<arr[j])
        {
            temp[index]=arr[i];
            i++;
        }
        else
        {
            temp[index]=arr[j];
            j++;
        }
        index++;
    }
    if (i>mid) // Copying the remaining elements of the right subarray if there exists any.
    {
        while (j<=end)
        {
            temp[index]=arr[j];
            j++;
            index++;
        }
    }
    else

```

```

    {
        while (i<=mid) // Copying the remaining elements of the left subarray if there exists any.
        {
            temp[index]=arr[i];
            i++;
            index++;
        }
    }

    for (k=beg;k<index;k++) // Finally copying the sorted elements of the temporary back into the original array.
    {
        arr[k]=temp[k];
    }
}

void mergeSort(int arr[], int beg, int end) // Function using the divide approach to divide the array into subarrays recursively until all subarrays have 1 element.
{
    if (beg < end) {
        int mid = beg + (end - beg) / 2;

        // Sort first and second halves.
        mergeSort(arr, beg, mid);
        mergeSort(arr, mid + 1, end);

        // Merge the sorted halves.
        merge(arr, beg, mid, end);
    }
}

```

QUICK SORT:

```

1  #include<stdio.h>
2  #include <stdlib.h>
3  #include <time.h>
4
5  #define SIZE 60000
6
7
8  void swap(int* , int*);           // Prototype functions for swap, partition and quick sort functions.
9  int partition(int arr[], int , int );
10 void quickSort(int arr[], int , int );
11
12
13 int main(){
14
15     clock_t start_time; // clock_t is a data type for measuring processor time in clock ticks.
16     clock_t end_time;
17     double total_time;
18
19     // Starting the clock to measure time.
20
21     // Initialize the array to store random numbers
22     int arr[SIZE];
23
24     // Seed the random number generator
25     srand(time(0));
26
27     // Generate random numbers and store them in the array
28     for (int i = 0; i < SIZE; i++) {
29         arr[i] = rand();
30     }
31     printf("\n");
32
33     start_time=clock(); // Starting the clock to measure time.
34
35     quickSort(arr,0,SIZE-1); // Implementing Quick Sort.

```

```

    end_time=clock(); // Ending the clock here as Quick sort function is implemented.

    total_time=((double)(end_time - start_time)) / CLOCKS_PER_SEC; //Measuring the time taken.
    printf("Total elapsed time is %f seconds", total_time);

    return 0;
}

// Function to swap two elements
void swap(int* a, int* b) {
    int temp = *a;
    *a = *b;
    *b = temp;
}

// Quick Sort partition function
int partition(int arr[], int low, int high) {
    int pivot = arr[high]; // Taking the last element as pivot
    int i = (low - 1);

    for (int j = low; j <= high - 1; j++) {
        if (arr[j] < pivot) {
            i++;
            swap(&arr[i], &arr[j]);
        }
    }
    swap(&arr[i + 1], &arr[high]);
    return (i + 1);
}

```

```

68
69 // Quick Sort function
70 void quickSort(int arr[], int low, int high) {
71     if (low < high) {
72         int pi = partition(arr, low, high);
73         quickSort(arr, low, pi - 1);
74         quickSort(arr, pi + 1, high);
75     }
76 }

```

OUTPUTS:

MERGE SORT:

1. N=10000

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Merge_DAC.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.003000 seconds
```

2. N=20000

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Merge_DAC.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.007000 seconds
```

3. N=30000

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Merge_DAC.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.010000 seconds
```

4. N=40000

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Merge_DAC.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.022000 seconds
```

5. N=50000

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Merge_DAC.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.030000 seconds
```

6. N=60000

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Merge_DAC.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.039000 seconds
```

QUICK SORT

1. N=10000

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Quick_DAC.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.002000 seconds
```

2. N=20000

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Quick_DAC.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.007000 seconds
```

3. N=30000

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Quick_DAC.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.008000 seconds
```

4. N=40000

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Quick_DAC.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.013000 seconds
```

5. N=50000

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Quick_DAC.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

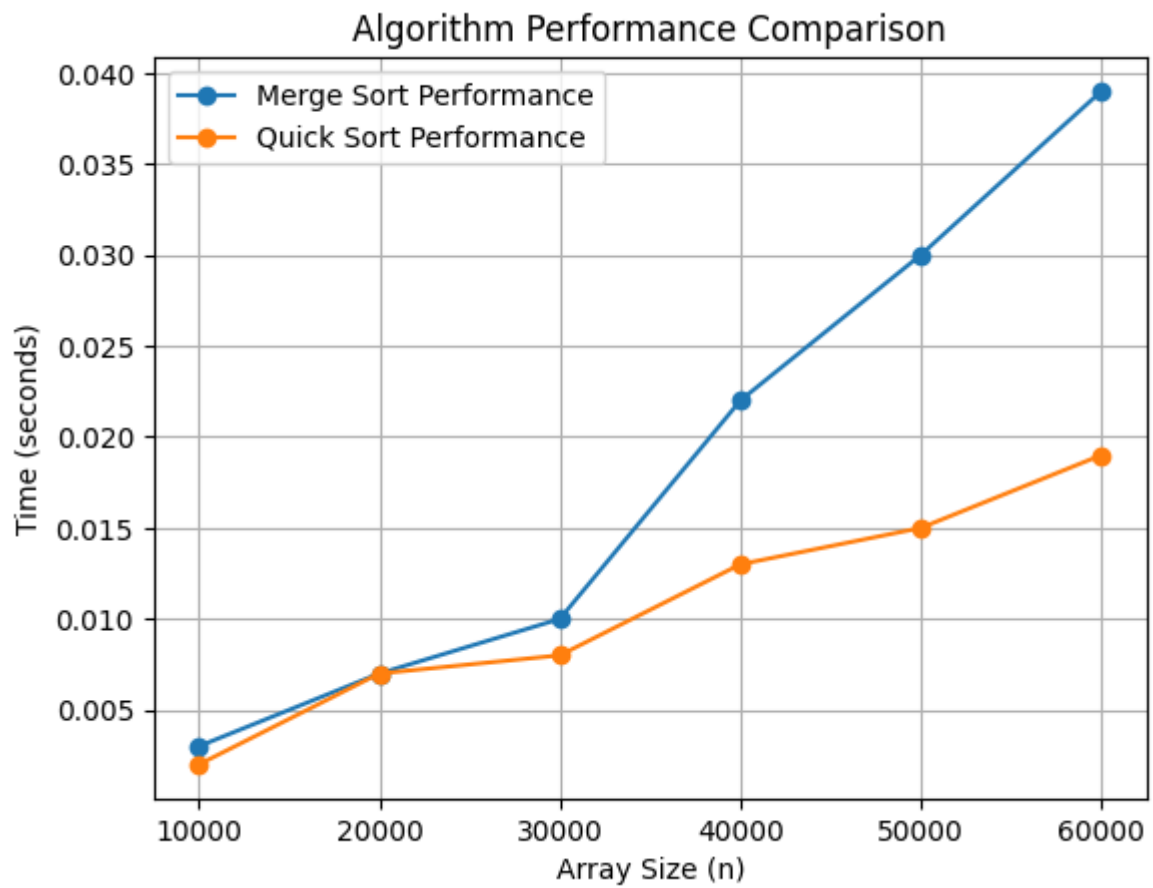
Total elapsed time is 0.015000 seconds
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> 
```

6. N=60000

```
Total elapsed time is 0.015000 seconds
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Quick_DAC.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Total elapsed time is 0.019000 seconds
```

GRAPH ANALYSIS:



EXPERIMENT 3

Compare the performance of Strassen method of matrix multiplication with traditional way of matrix multiplication.

CODE:

```
1  #include<stdio.h>
2  #include <stdlib.h>
3  #include <time.h>
4
5  void printMatrix(int** , int );
6  void fillMatrix(int** , int );
7  void strassenMultiply(int** , int** , int** , int );
8  int** allocateMatrix(int );
9  void freeMatrix(int** , int );
10 void traditionalMultiply(int** , int** , int** , int );
11 void addMatrix(int** , int** , int** , int );
12 void subtractMatrix(int** , int** , int** , int );
13
14 int main(){
15     int n;
16     clock_t end_time,start_time;
17     double Traditional_time,Strassen_time;
18
19     printf("Enter the size of the matrix (must be a power of 2): ");
20     scanf("%d", &n);
21
22     // Allocate matrices A, B, and C
23     int** A = allocateMatrix(n);
24     int** B = allocateMatrix(n);
25     int** C = allocateMatrix(n);
26
27     // Fill matrices A and B with random numbers
28     fillMatrix(A, n);
29     fillMatrix(B, n);
30
31     start_time = clock();
32     traditionalMultiply(A, B, C, n);
33     end_time = clock();
34     Traditional_time = ((double)(end_time - start_time)) / CLOCKS_PER_SEC;
35
36     // Print time taken by traditional multiplication
37     printf("Time taken by Traditional Multiplication: %f seconds\n", Traditional_time);
```



```

39 // Strassen's matrix multiplication
40 start_time = clock();
41 strassenMultiply(A, B, C, n);
42 end_time = clock();
43 Strassen_time = ((double)(end_time - start_time)) / CLOCKS_PER_SEC;
44
45 // Print time taken by Strassen multiplication
46 printf("Time taken by Strassen's Multiplication: %f seconds\n", Strassen_time);
47
48 // Free allocated matrices
49 freeMatrix(A, n);
50 freeMatrix(B, n);
51 freeMatrix(C, n);
52
53 return 0;
54 }
55
56 // Function to allocate a matrix of size n x n
57 int** allocateMatrix(int n) {
58     int** matrix = (int**)malloc(n * sizeof(int*));
59     for (int i = 0; i < n; i++) {
60         matrix[i] = (int*)malloc(n * sizeof(int));
61     }
62     return matrix;
63 }
64
65 // Function to free the allocated matrix
66 void freeMatrix(int** matrix, int n) {
67     for (int i = 0; i < n; i++) {
68         free(matrix[i]);
69     }
70     free(matrix);
71 }
72

```

```

73 // Traditional matrix multiplication
74 void traditionalMultiply(int** A, int** B, int** C, int n) {
75     for (int i = 0; i < n; i++) {
76         for (int j = 0; j < n; j++) {
77             C[i][j] = 0;
78             for (int k = 0; k < n; k++) {
79                 C[i][j] += A[i][k] * B[k][j];
80             }
81         }
82     }
83 }
84
85 // Add two matrices
86 void addMatrix(int** A, int** B, int** result, int size) {
87     for (int i = 0; i < size; i++) {
88         for (int j = 0; j < size; j++) {
89             result[i][j] = A[i][j] + B[i][j];
90         }
91     }
92 }
93
94 // Subtract two matrices
95 void subtractMatrix(int** A, int** B, int** result, int size) {
96     for (int i = 0; i < size; i++) {
97         for (int j = 0; j < size; j++) {
98             result[i][j] = A[i][j] - B[i][j];
99         }
100     }
101 }
102
103 void strassenMultiply(int** A, int** B, int** C, int n) {
104     if (n <= 64) { // Base case: use traditional method for small matrices
105         traditionalMultiply(A, B, C, n);
106         return;
107     }
108 }

```

```

108
109     int newSize = n / 2;
110
111     int** A11 = allocateMatrix(newSize);
112     int** A12 = allocateMatrix(newSize);
113     int** A21 = allocateMatrix(newSize);
114     int** A22 = allocateMatrix(newSize);
115     int** B11 = allocateMatrix(newSize);
116     int** B12 = allocateMatrix(newSize);
117     int** B21 = allocateMatrix(newSize);
118     int** B22 = allocateMatrix(newSize);
119
120     int** P1 = allocateMatrix(newSize);
121     int** P2 = allocateMatrix(newSize);
122     int** P3 = allocateMatrix(newSize);
123     int** P4 = allocateMatrix(newSize);
124     int** P5 = allocateMatrix(newSize);
125     int** P6 = allocateMatrix(newSize);
126     int** P7 = allocateMatrix(newSize);
127
128     int** C11 = allocateMatrix(newSize);
129     int** C12 = allocateMatrix(newSize);
130     int** C21 = allocateMatrix(newSize);
131     int** C22 = allocateMatrix(newSize);
132
133     int** tempA = allocateMatrix(newSize);
134     int** tempB = allocateMatrix(newSize);
135
136     // Dividing matrices into 4 sub-matrices
137     for (int i = 0; i < newSize; i++) {
138         for (int j = 0; j < newSize; j++) {
139             A11[i][j] = A[i][j];
140             A12[i][j] = A[i][j + newSize];
141             A21[i][j] = A[i + newSize][j];
142             A22[i][j] = A[i + newSize][j + newSize];

```

```

143
144             B11[i][j] = B[i][j];
145             B12[i][j] = B[i][j + newSize];
146             B21[i][j] = B[i + newSize][j];
147             B22[i][j] = B[i + newSize][j + newSize];
148         }
149     }
150
151     // Calculate P1 to P7
152     addMatrix(A11, A22, tempA, newSize);
153     addMatrix(B11, B22, tempB, newSize);
154     strassenMultiply(tempA, tempB, P1, newSize); // P1 = (A11 + A22) * (B11 + B22)
155
156     addMatrix(A21, A22, tempA, newSize);
157     strassenMultiply(tempA, B11, P2, newSize); // P2 = (A21 + A22) * B11
158
159     subtractMatrix(B12, B22, tempB, newSize);
160     strassenMultiply(A11, tempB, P3, newSize); // P3 = A11 * (B12 - B22)
161
162     subtractMatrix(B21, B11, tempB, newSize);
163     strassenMultiply(A22, tempB, P4, newSize); // P4 = A22 * (B21 - B11)
164
165     addMatrix(A11, A12, tempA, newSize);
166     strassenMultiply(tempA, B22, P5, newSize); // P5 = (A11 + A12) * B22
167
168     subtractMatrix(A21, A11, tempA, newSize);
169     addMatrix(B11, B12, tempB, newSize);
170     strassenMultiply(tempA, tempB, P6, newSize); // P6 = (A21 - A11) * (B11 + B12)
171
172     subtractMatrix(A12, A22, tempA, newSize);
173     addMatrix(B21, B22, tempB, newSize);
174     strassenMultiply(tempA, tempB, P7, newSize); // P7 = (A12 - A22) * (B21 + B22)
175

```

```

176 // Calculate C11, C12, C21, C22
177 addMatrix(P1, P4, tempA, newSize);
178 subtractMatrix(tempA, P5, tempB, newSize);
179 addMatrix(tempB, P7, C11, newSize); // C11 = P1 + P4 - P5 + P7
180
181 addMatrix(P3, P5, C12, newSize); // C12 = P3 + P5
182
183 addMatrix(P2, P4, C21, newSize); // C21 = P2 + P4
184
185 addMatrix(P1, P3, tempA, newSize);
186 subtractMatrix(tempA, P2, tempB, newSize);
187 addMatrix(tempB, P6, C22, newSize); // C22 = P1 + P3 - P2 + P6
188
189 // Grouping into C
190 for (int i = 0; i < newSize; i++) {
191     for (int j = 0; j < newSize; j++) {
192         C[i][j] = C11[i][j];
193         C[i][j + newSize] = C12[i][j];
194         C[i + newSize][j] = C21[i][j];
195         C[i + newSize][j + newSize] = C22[i][j];
196     }
197 }
198
199 // Free allocated memory
200 freeMatrix(A11, newSize); freeMatrix(A12, newSize);
201 freeMatrix(A21, newSize); freeMatrix(A22, newSize);
202 freeMatrix(B11, newSize); freeMatrix(B12, newSize);
203 freeMatrix(B21, newSize); freeMatrix(B22, newSize);
204 freeMatrix(P1, newSize); freeMatrix(P2, newSize);
205 freeMatrix(P3, newSize); freeMatrix(P4, newSize);
206 freeMatrix(P5, newSize); freeMatrix(P6, newSize);
207 freeMatrix(P7, newSize);
208 freeMatrix(C11, newSize); freeMatrix(C12, newSize);
209 freeMatrix(C21, newSize); freeMatrix(C22, newSize);
210 freeMatrix(tempA, newSize); freeMatrix(tempB, newSize);

```

```

211 }
212
213
214 // Function to fill a matrix with random integers
215 void fillMatrix(int** matrix, int n) {
216     for (int i = 0; i < n; i++) {
217         for (int j = 0; j < n; j++) {
218             matrix[i][j] = rand() % 10;
219         }
220     }
221 }
222

```

OUTPUTS:

1.

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Matrix_MUL.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe
Enter the size of the matrix (must be a power of 2): 2
Time taken by Traditional Multiplication: 0.000000 seconds
Time taken by Strassen's Multiplication: 0.000000 seconds
```

2.

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe
Enter the size of the matrix (must be a power of 2): 4
Time taken by Traditional Multiplication: 0.000000 seconds
Time taken by Strassen's Multiplication: 0.000000 seconds
```

3.

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe
Enter the size of the matrix (must be a power of 2): 8
Time taken by Traditional Multiplication: 0.000000 seconds
Time taken by Strassen's Multiplication: 0.000000 seconds
```

4.

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe
Enter the size of the matrix (must be a power of 2): 16
Time taken by Traditional Multiplication: 0.000000 seconds
Time taken by Strassen's Multiplication: 0.000000 seconds
```

5.

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe
Enter the size of the matrix (must be a power of 2): 32
Time taken by Traditional Multiplication: 0.000000 seconds
Time taken by Strassen's Multiplication: 0.000000 seconds
```

6.

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe
Enter the size of the matrix (must be a power of 2): 64
Time taken by Traditional Multiplication: 0.000000 seconds
Time taken by Strassen's Multiplication: 0.000000 seconds
```

7.

```
Enter the size of the matrix (must be a power of 2): 128
Time taken by Traditional Multiplication: 0.008000 seconds
Time taken by Strassen's Multiplication: 0.011000 seconds
```

8.

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe
Enter the size of the matrix (must be a power of 2): 256
Time taken by Traditional Multiplication: 0.074000 seconds
Time taken by Strassen's Multiplication: 0.048000 seconds
```

9.

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe
Enter the size of the matrix (must be a power of 2): 512
Time taken by Traditional Multiplication: 0.477000 seconds
Time taken by Strassen's Multiplication: 0.331000 seconds
```

10.

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe
Enter the size of the matrix (must be a power of 2): 1024
Time taken by Traditional Multiplication: 5.734000 seconds
Time taken by Strassen's Multiplication: 2.265000 seconds
```

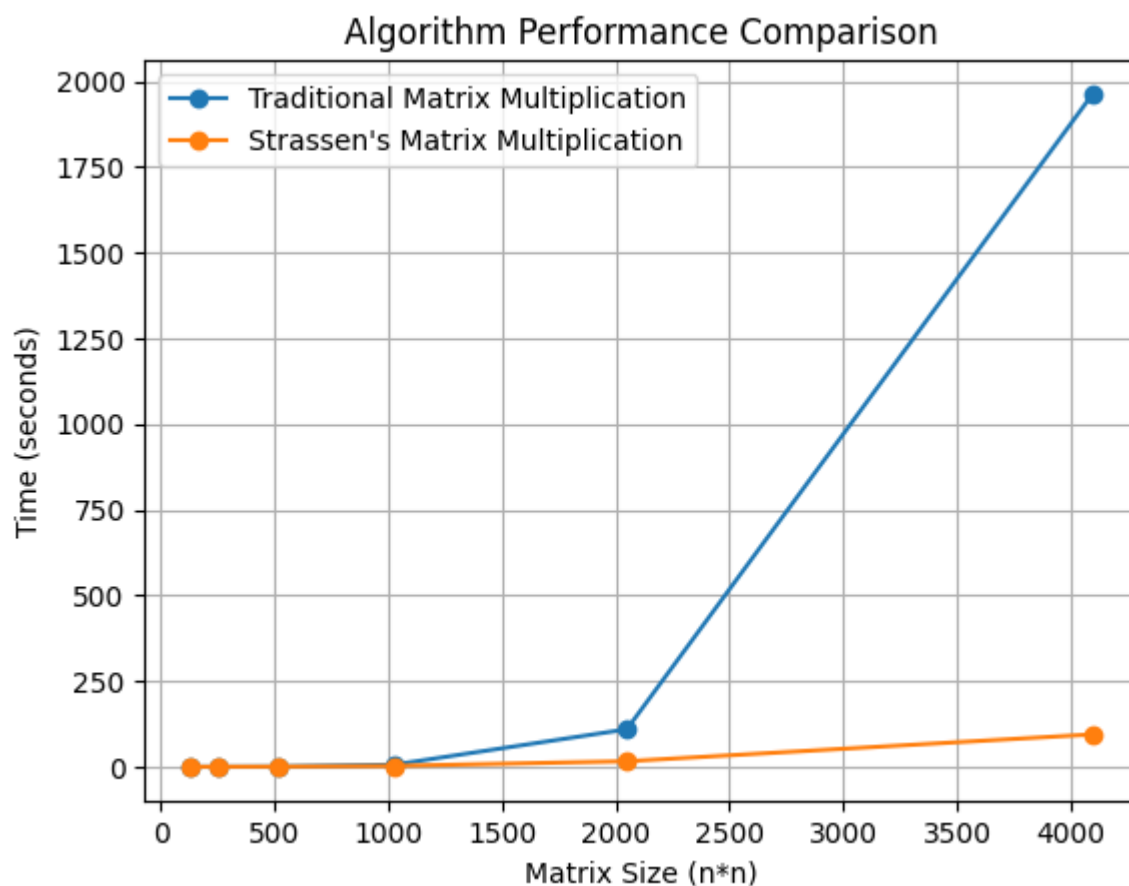
11.

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe
Enter the size of the matrix (must be a power of 2): 2048
Time taken by Traditional Multiplication: 109.054000 seconds
Time taken by Strassen's Multiplication: 15.850000 seconds
```

12.

```
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe  
Enter the size of the matrix (must be a power of 2): 4096  
Time taken by Traditional Multiplication: 1962.552000 seconds  
Time taken by Strassen's Multiplication: 94.159000 seconds
```

GRAPH ANALYSIS:



EXPERIMENT 4

Implement the activity selection problem to get a clear understanding of greedy approach.

CODE:

```
1  #include<stdio.h>
2  #include<stdlib.h>
3  #include<time.h>
4
5  // Structure to represent an activity
6  struct Activity {
7      int start;
8      int finish;
9  };
10
11 int activityCompare(const void* , const void* );
12 void activitySelection(struct Activity activities[] , int );
13
14 int main(){
15
16     // Example activities (start and finish times)
17     struct Activity activities[] = {
18         {0, 3},
19         {2, 4},
20         {1, 5},
21         {6, 7},
22         {5, 9},
23         {8, 11}
24     };
25
26     int n = sizeof(activities) / sizeof(activities[0]);
27
28     // Call the activity selection function
29     printf("\nSelected activities:\n");
30     activitySelection(activities, n);
31
32
33     return 0;
34 }
```

```

36 // Function to compare two activities based on their finish times
37 int activityCompare(const void* a, const void* b) {
38     struct Activity* activityA = (struct Activity*)a;
39     struct Activity* activityB = (struct Activity*)b;
40     return activityA->finish - activityB->finish;
41 }
42
43 // Function to select the maximum number of activities
44 void activitySelection(struct Activity activities[], int n) {
45     // Sort activities based on their finish time
46     qsort(activities, n, sizeof(activities[0]), activityCompare);
47
48     printf("Selected activities based on indices: \n");
49
50     // The first activity always gets selected
51     int i = 0;
52     printf("%d (start: %d, finish: %d)\n", i, activities[i].start, activities[i].finish);
53
54     // Consider the rest of the activities
55     for (int j = 1; j < n; j++) {
56         // If this activity's start time is greater than or equal to
57         // the finish time of the last selected activity, select it
58         if (activities[j].start >= activities[i].finish) {
59             printf("%d (start: %d, finish: %d)\n", j, activities[j].start, activities[j].finish);
60             i = j; // Update the last selected activity
61         }
62     }
63 }
64
65

```

OUTPUTS:

1.

```

14 int main(){
15
16     // Example activities (start and finish times)
17     struct Activity activities[] = {
18         {1, 4},
19         {3, 5},
20         {0, 6},
21         {4, 7},
22         {3, 8},
23         {5, 9},
24         {6, 10},
25         {8, 11},
26         {8, 12},
27         {2, 13},
28         {12, 14}
29     };
30

```

PROBLEMS OUTPUT DEBUG CONSOLE **TERMINAL** PORTS

```

10 (start: 12, finish: 14)
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Activity_Selection_Problem.c
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Selected activities:
Selected activities based on indices:
0 (start: 1, finish: 4)
3 (start: 4, finish: 7)
7 (start: 8, finish: 11)
10 (start: 12, finish: 14)
PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis>

```


2.

```

12 void activityselection(struct Activity activities[], int n);
13
14 int main(){
15
16     // Example activities (start and finish times)
17     struct Activity activities[] = {
18         {1, 4},
19         {3, 5},
20         {0, 6},
21         {5, 7},
22         {8, 9}
23     };
24
25     int n = sizeof(activities) / sizeof(activities[0]);
26
27     // Call the activity selection function
28 }

```

PROBLEMS OUTPUT DEBUG CONSOLE TERMINAL PORTS

● PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Activity_Selection_Problem.c
 PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Selected activities:
 Selected activities based on indices:
 0 (start: 1, finish: 4)
 3 (start: 5, finish: 7)
 3 (start: 5, finish: 7)
 4 (start: 8, finish: 9)
 PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> █

3.

```

14 int main(){
15
16     // Example activities (start and finish times)
17     struct Activity activities[] = {
18         {2, 4},
19         {1, 3},
20         {5, 9},
21         {6, 10},
22         {8, 11},
23         {12, 16}
24     };
25
26     int n = sizeof(activities) / sizeof(activities[0]);
27
28     // Call the activity selection function
29 }

```

PROBLEMS OUTPUT DEBUG CONSOLE TERMINAL PORTS

● PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Activity_Selection_Problem.c
 PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe
 PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe
 PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe
 PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe
 PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

○ Selected activities:
 Selected activities based on indices:
 0 (start: 1, finish: 3)
 2 (start: 5, finish: 9)
 5 (start: 12, finish: 16)
 PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> █

4.

```
14 int main(){
15
16     // Example activities (start and finish times)
17     struct Activity activities[] = {
18         {0, 3},
19         {2, 4},
20         {1, 5},
21         {6, 7},
22         {5, 9},
23         {8, 11}
24     };
25
26     int n = sizeof(activities) / sizeof(activities[0]);
27
28     // Call the activity selection function

```

PROBLEMS OUTPUT DEBUG CONSOLE TERMINAL PORTS

```

○ PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> gcc Activity_Selection_Problem.c
● PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> .\a.exe

Selected activities:
Selected activities based on indices:
0 (start: 0, finish: 3)
3 (start: 6, finish: 7)
5 (start: 8, finish: 11)
○ PS C:\Users\User\Desktop\.vscode\C\Algorithm Analysis> 
```

EXPERIMENT 5

Get a detailed insight of dynamic programming approach by the implementation of Matrix Chain Multiplication problem and see the impact of parenthesis positioning on time requirements for matrix multiplication.

CODE:

```

1  #include <stdio.h>
2  #include <limits.h>
3
4  void print_optimal_parens(int , int , int n, int s[n][n], char *);
5  void matrix_chain_order(int p[], int );
6
7
8  // Function to print the optimal parenthesization
9  void print_optimal_parens(int i, int j, int n, int s[n][n], char *name) {
10     if (i == j) {
11         printf("%c", *name); // Print matrix name (e.g., A1, A2, etc.)
12         (*name)++;
13         return;
14     }
15     printf("(");
16     print_optimal_parens(i, s[i][j], n, s, name);
17     print_optimal_parens(s[i][j] + 1, j, n, s, name);
18     printf(")");
19 }
20
21 // Function to find the minimum cost of matrix chain multiplication
22 void matrix_chain_order(int p[], int n) {
23     int m[n][n]; // Table to store minimum multiplications
24     int s[n][n]; // Table to store split points
25
26     // Initialize number of multiplications for a single matrix as 0
27     for (int i = 1; i < n; i++)
28         m[i][i] = 0;
29
30     // L is the chain length
31     for (int L = 2; L < n; L++) {
32         for (int i = 1; i < n - L + 1; i++) {
33             int j = i + L - 1;
34             m[i][j] = INT_MAX; // Initialize with a large value
35
36             // Test all positions to split the product
37             for (int k = i; k <= j - 1; k++) {
38
39                 // Calculate cost of scalar multiplications
40                 int q = m[i][k] + m[k + 1][j] + p[i - 1] * p[k] * p[j];
41
42                 // Update minimum cost and store split point
43                 if (q < m[i][j]) {
44                     m[i][j] = q;
45                     s[i][j] = k;
46                 }
47             }
48         }
49     }
50
51     // Output the minimum number of scalar multiplications
52     printf("Minimum number of multiplications is: %d\n", m[1][n - 1]);
53
54     // Output the optimal parenthesization
55     printf("Optimal parenthesization: ");
56     char name = '1'; // Start naming matrices as A1, A2, ...
57     print_optimal_parens(1, n - 1, n, s, &name);
58     printf("\n");
59
60 // Main function
61 int main() {
62     // Matrix dimensions: A1(30x35), A2(35x15), A3(15x5), A4(5x10), A5(10x20), A6(20x25)
63     int p[] = {30, 35, 15, 5, 10, 20, 25}; // Array of matrix dimensions
64     int n = sizeof(p) / sizeof(p[0]); // Number of matrices is n-1
65
66     // Call the function to calculate the minimum multiplications and print the result
67     matrix_chain_order(p, n);
68
69     return 0;
70 }

```

OUTPUT:

The image shows a VS Code editor with a C program in the editor and its output in the terminal. The program calculates the minimum number of multiplications and the optimal parenthesization for a sequence of matrices A1, A2, A3, A4, A5, A6.

```

C > Algorithm Analysis > C Matrix_Chain_MUL.c > print_optimal_parens(int, int, int, int [n][n], char *)
1  #include <stdio.h>
2  #include <limits.h>
3
4  void print_optimal_parens(int , int , int n, int s[n][n], char *);
5  void matrix_chain_order(int p[], int );
6
7
8  // Function to print the optimal parenthesization
9  void print_optimal_parens(int i, int j, int n, int s[n][n], char *name) {
10     if (i == j) {
11         printf("A%c", *name); // Print matrix name (e.g., A1, A2, etc.)
12         (*name)++;
13         return;
14     }
15     printf("(");
16     print_optimal_parens(i, s[i][j], n, s, name);
17     print_optimal_parens(s[i][j] + 1, j, n, s, name);
18     printf(")");
19 }

```

The terminal output shows the results of running the program:

```

except the first
PS C:\Users\User\Desktop\vscode\C\Algorithm Analysis> gcc Matrix_Chain_MUL.c
PS C:\Users\User\Desktop\vscode\C\Algorithm Analysis> .\a.exe
Minimum number of multiplications is: 15125
Optimal parenthesization: ((A1(A2A3))((A4A5)A6))
PS C:\Users\User\Desktop\vscode\C\Algorithm Analysis> gcc Matrix_Chain_MUL.c
PS C:\Users\User\Desktop\vscode\C\Algorithm Analysis> .\a.exe
Minimum number of multiplications is: 15125
Optimal parenthesization: ((A1(A2A3))((A4A5)A6))

```

EXPERIMENT 6

Compare the performance of Dijkstra and Bellman ford algorithm for the single source shortest path problem.

CODE:

```

1  #include <stdio.h>
2  #include <limits.h>
3  #include <stdbool.h>
4  #include <time.h>
5
6  #define INF INT_MAX
7  #define REPEAT 10000 // Increase number of repetitions for better timing
8  int minDistance(int dist[], bool sptSet[], int V);
9  void dijkstra(int graph[20][20], int src, int V);
10 void bellmanFord(int graph[20][3], int V, int E, int src);
11 double calculateExecutionTimeDijkstra(void (*func)(int[][20], int, int), int graph[20][20], int src, int V);
12 double calculateExecutionTimeBellmanFord(void (*func)(int[][3], int, int, int), int graph[20][3], int V, int E, int src);
13
14 // Function to find the vertex with the minimum distance
15 int minDistance(int dist[], bool sptSet[], int V) {
16     int min = INF, min_index;
17     for (int v = 0; v < V; v++)
18         if (!sptSet[v] && dist[v] <= min) {
19             min = dist[v];
20             min_index = v;
21         }
22     return min_index;
23 }
24
25 // Dijkstra's algorithm
26 void dijkstra(int graph[20][20], int src, int V) {
27     int dist[V];
28     bool sptSet[V];
29
30     for (int i = 0; i < V; i++) {
31         dist[i] = INF;
32         sptSet[i] = false;
33     }
34     dist[src] = 0;
35
36     for (int count = 0; count < V - 1; count++) {
37         int u = minDistance(dist, sptSet, V);

```

```

38         sptSet[u] = true;
39
40         for (int v = 0; v < V; v++)
41             if (!sptSet[v] && graph[u][v] && dist[u] != INF && dist[u] + graph[u][v] < dist[v])
42                 dist[v] = dist[u] + graph[u][v];
43     }
44 }
45
46 // Bellman-Ford algorithm
47 void bellmanFord(int graph[20][3], int V, int E, int src) {
48     int dist[V];
49     for (int i = 0; i < V; i++)
50         dist[i] = INF;
51     dist[src] = 0;
52
53     for (int i = 1; i <= V - 1; i++) {
54         for (int j = 0; j < E; j++) {
55             int u = graph[j][0];
56             int v = graph[j][1];
57             int weight = graph[j][2];
58             if (dist[u] != INF && dist[u] + weight < dist[v])
59                 dist[v] = dist[u] + weight;
60         }
61     }
62 }
63
64 // Utility function to calculate execution time for Dijkstra
65 double calculateExecutionTimeDijkstra(void (*func)(int[][20], int, int), int graph[20][20], int src, int V) {
66     clock_t start, end;
67     start = clock();
68     for (int i = 0; i < REPEAT; i++) { // Repeat the algorithm
69         func(graph, src, V);
70     }
71     end = clock();

```

```


72     return ((double)(end - start)) / CLOCKS_PER_SEC * 1000 / REPEAT; // Average Time in ms
73 }
74
75 // Utility function to calculate execution time for Bellman-Ford
76 double calculateExecutionTimeBellmanFord(void (*func)(int[][3], int, int, int), int graph[20][3], int V, int E, int src) {
77     clock_t start, end;
78     start = clock();
79     for (int i = 0; i < REPEAT; i++) { // Repeat the algorithm
80         func(graph, V, E, src);
81     }
82     end = clock();
83     return ((double)(end - start)) / CLOCKS_PER_SEC * 1000 / REPEAT; // Average Time in ms
84 }
85
86 // Test function
87 void compareAlgorithms() {
88     // Graphs input data for Dijkstra
89     int graph1[20][20] = {
90         {0, 4, 1, 0},
91         {0, 0, 2, 5},
92         {0, 0, 0, 3},
93         {0, 0, 0, 0}
94     };
95
96     int graph2[20][20] = {
97         {0, 3, 2, 0, 0, 0},
98         {0, 0, 0, 7, 4, 0},
99         {0, 0, 0, 1, 0, 5},
100        {0, 0, 0, 0, 0, 2},
101        {0, 0, 0, 0, 0, 1},
102        {0, 0, 0, 0, 0, 0}
103     };
104 }

```


```

105     int graph3[20][20] = {
106         {0, 6, 2, 5, 0, 0, 0, 0},
107         {0, 0, 0, 1, 4, 0, 0, 0},
108         {0, 0, 0, 0, 0, 5, 0, 0},
109         {0, 0, 0, 0, 0, 0, 3, 0},
110         {0, 0, 0, 0, 0, 0, 0, 0},
111         {0, 0, 0, 0, 0, 0, 1, 0},
112         {0, 0, 0, 0, 0, 0, 0, 2},
113         {0, 0, 0, 0, 0, 0, 0, 0}
114     };
115
116     // Graphs input data for Bellman-Ford (converted to edge list)
117     int graph1_edges[20][3] = {
118         {0, 1, 4}, {0, 2, 1}, {1, 2, 2}, {1, 3, 5}, {2, 3, 3}
119     };
120     int graph2_edges[20][3] = {
121         {0, 1, 3}, {0, 2, 2}, {1, 3, 7}, {1, 4, 4}, {2, 3, 1}, {2, 5, 5}, {3, 5, 2}, {4, 5, 1}
122     };
123     int graph3_edges[20][3] = {
124         {0, 1, 6}, {0, 2, 2}, {0, 3, 5}, {1, 3, 1}, {1, 4, 4}, {2, 5, 5}, {2, 4, 5}, {3, 6, 3}, {4, 5, 3}, {5, 6, 1}, {5, 7, 4}, {6, 7, 2}
125     };
126
127     // Time to run Dijkstra
128     double dijkstra_time_1 = calculateExecutionTimeDijkstra(dijkstra, graph1, 0, 4);
129     double dijkstra_time_2 = calculateExecutionTimeDijkstra(dijkstra, graph2, 0, 6);
130     double dijkstra_time_3 = calculateExecutionTimeDijkstra(dijkstra, graph3, 0, 8);
131
132     // Time to run Bellman-Ford
133     double bellman_time_1 = calculateExecutionTimeBellmanFord(bellmanFord, graph1_edges, 4, 5, 0);
134     double bellman_time_2 = calculateExecutionTimeBellmanFord(bellmanFord, graph2_edges, 6, 8, 0);
135     double bellman_time_3 = calculateExecutionTimeBellmanFord(bellmanFord, graph3_edges, 8, 12, 0);
136 }

```

The picture can't be displayed.

OUTPUT:

The picture can't be displayed.

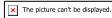

GRAPH ANALYSIS:



 The picture can't be displayed.



EXPERIMENT 7

Through 0/1 Knapsack problem, analyse the greedy and dynamic programming approach for the same dataset.

CODE:

The picture can't be displayed.The picture can't be displayed.

The picture can't be displayed.The picture can't be displayed.

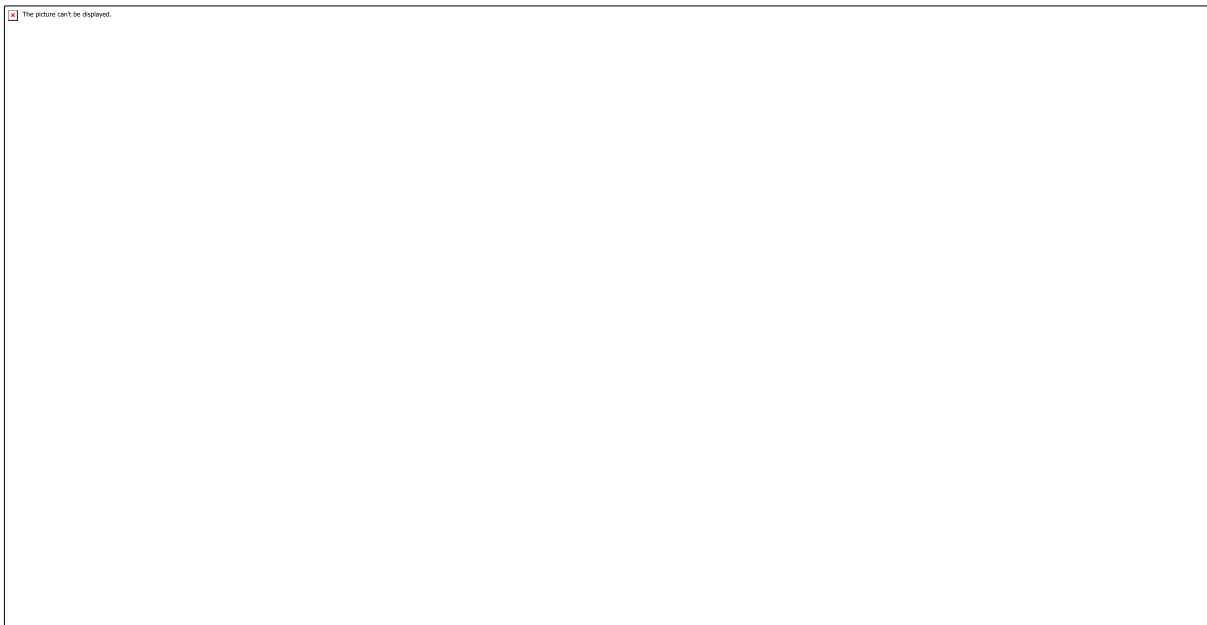
The picture can't be displayed.The picture can't be displayed.The picture can't be displayed.

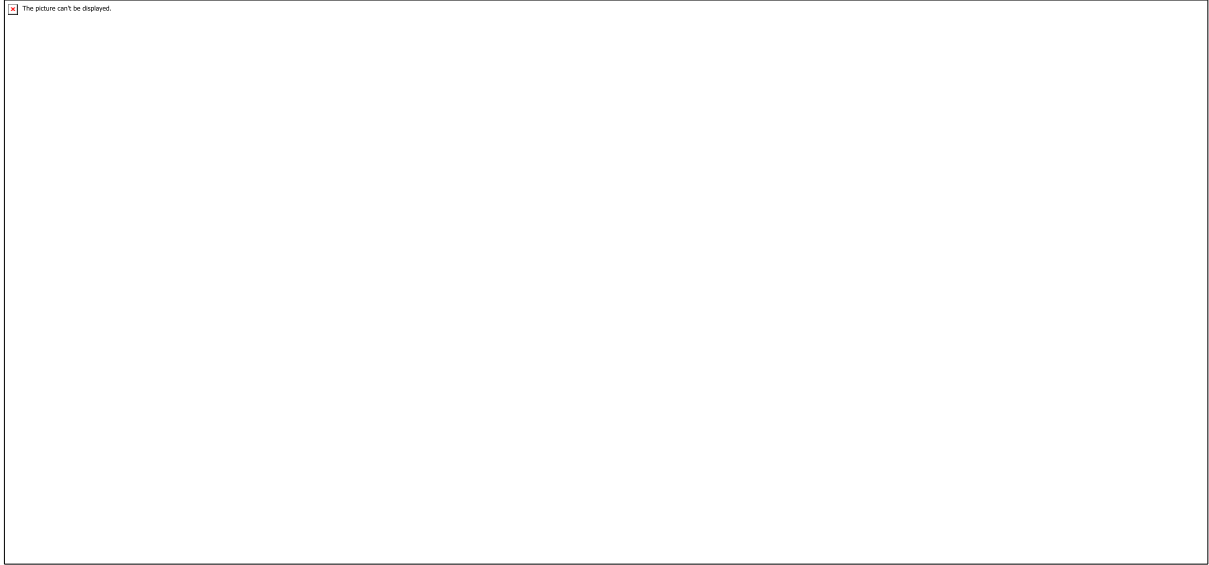
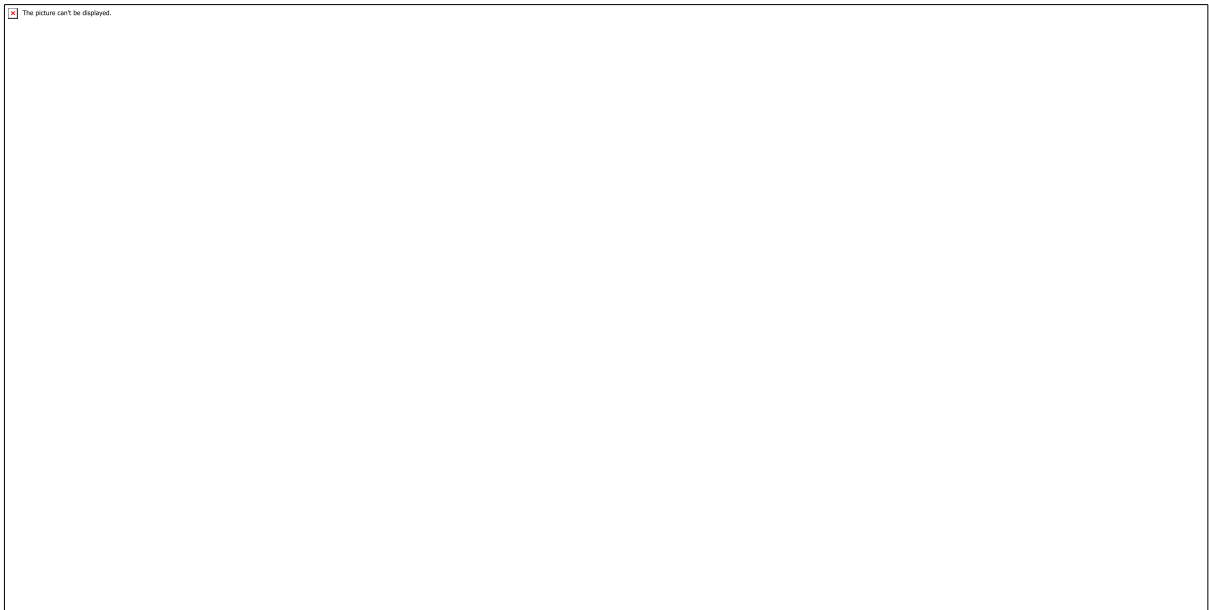
OUTPUTS:

1.

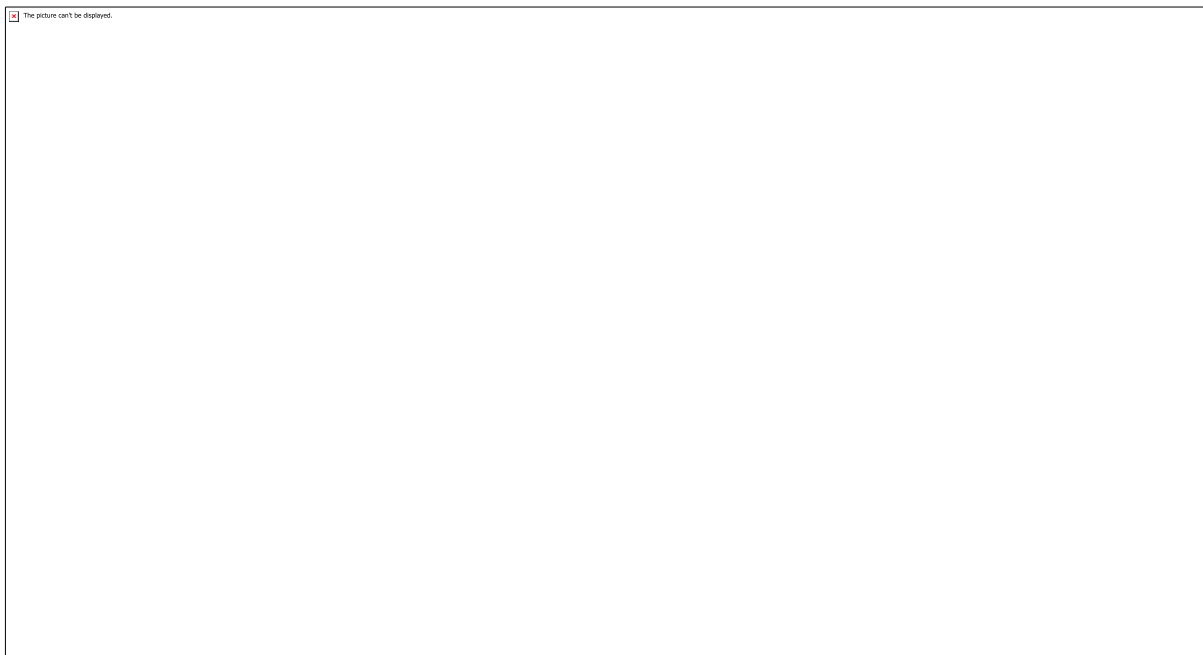


2.



3.**4.**

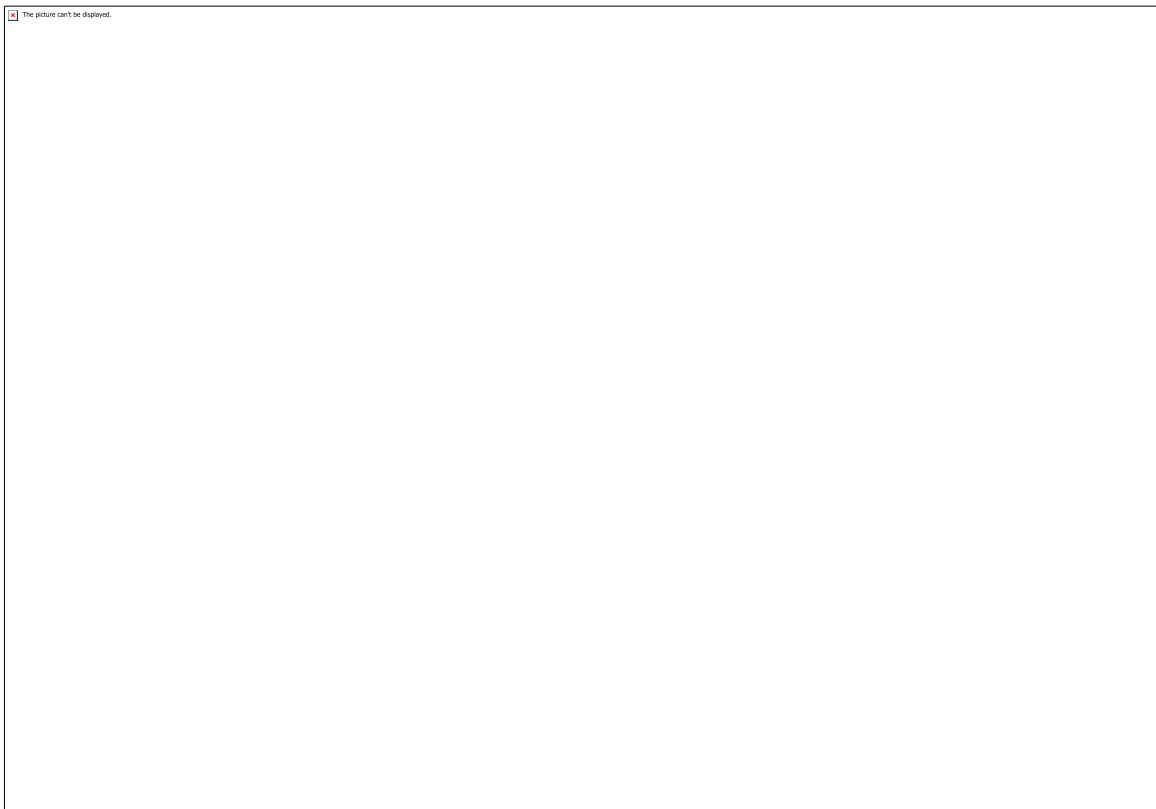
5.



EXPERIMENT 8

Implement the sum of subset.

CODE:



OUTPUT:


 The picture can't be displayed.

EXPERIMENT 9

Compare the Backtracking and Branch & Bound Approach by the implementation of 0/1 Knapsack problem. Also compare the performance with dynamic programming approach.

CODE:



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The picture can't be displayed.

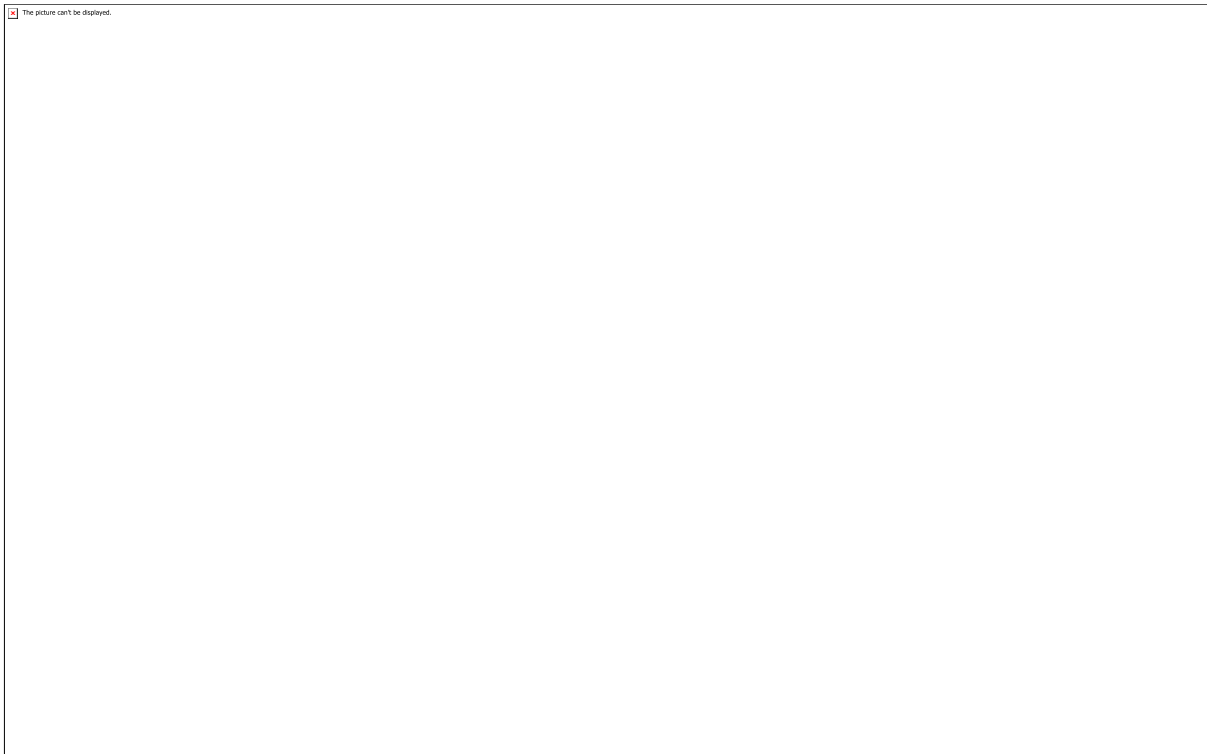
```
142     printf("Dynamic Programming Result: %d, Time: %lf ms\n", result_dp,  
143           (double)(end - start) * 1000 / (CLOCKS_PER_SEC * repetitions));  
144  
145     return 0;  
146 }
```

OUTPUTS:

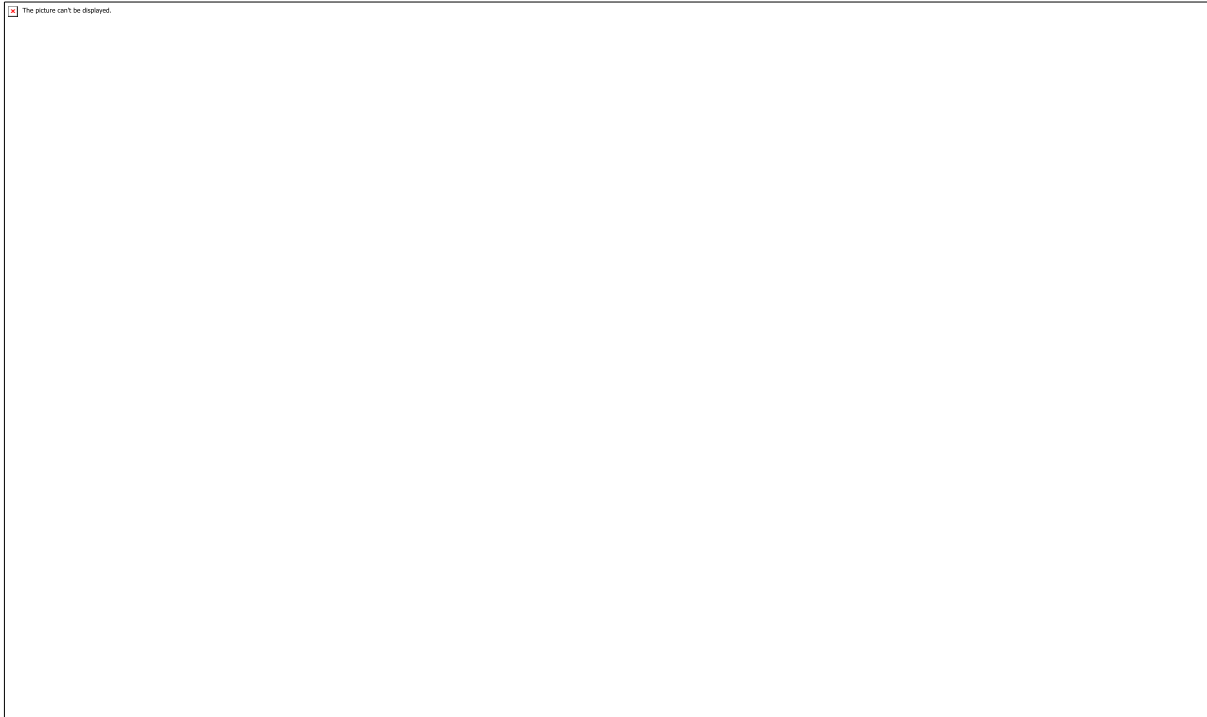
1.



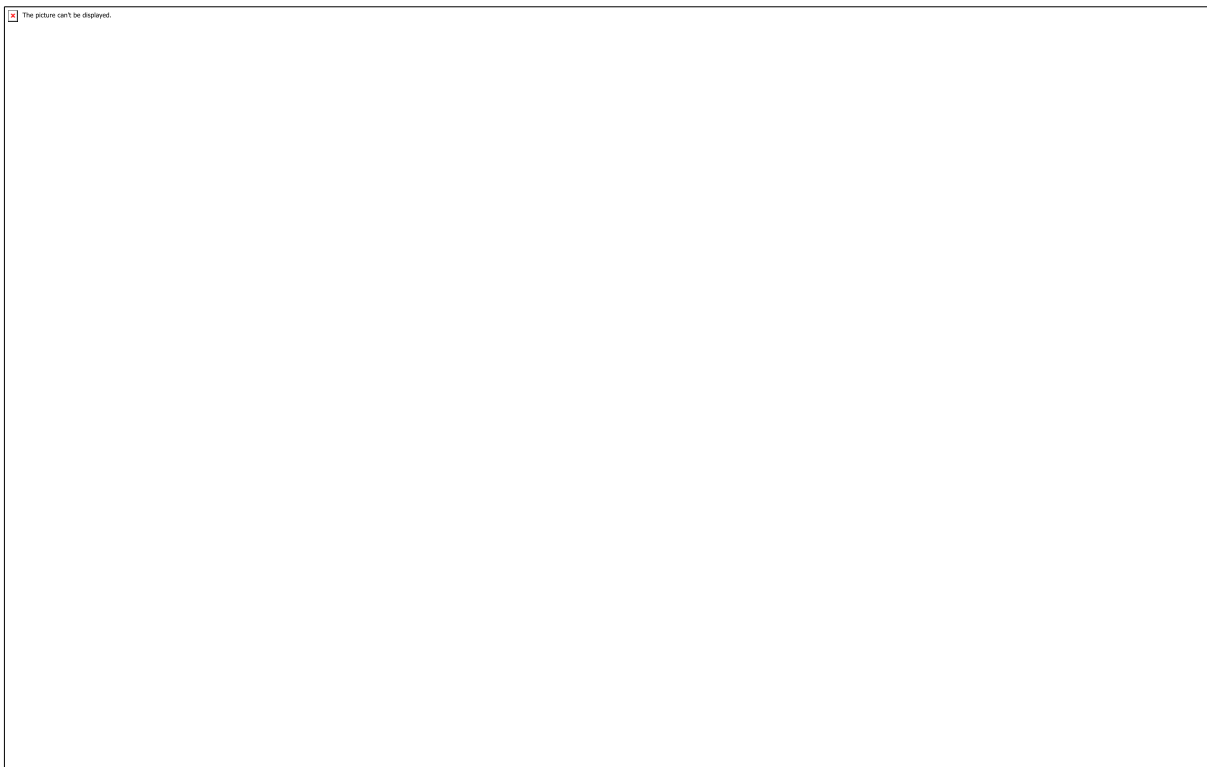
2.



3.




GRAPH ANALYSIS:




EXPERIMENT 10

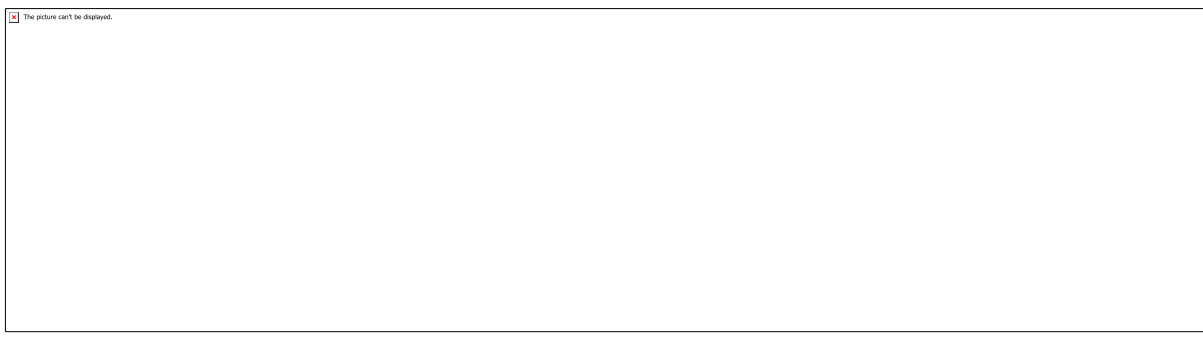
Compare the performance of Rabin-Karp, Knuth-Morris-Pratt and naive string-matching algorithms.

CODE:

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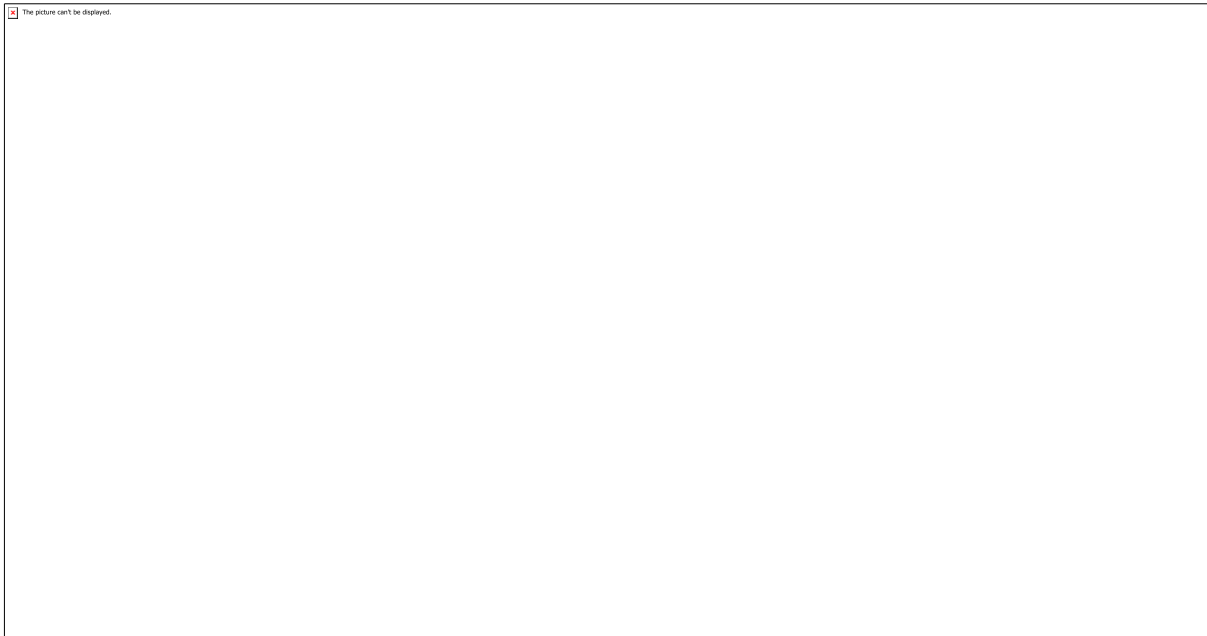


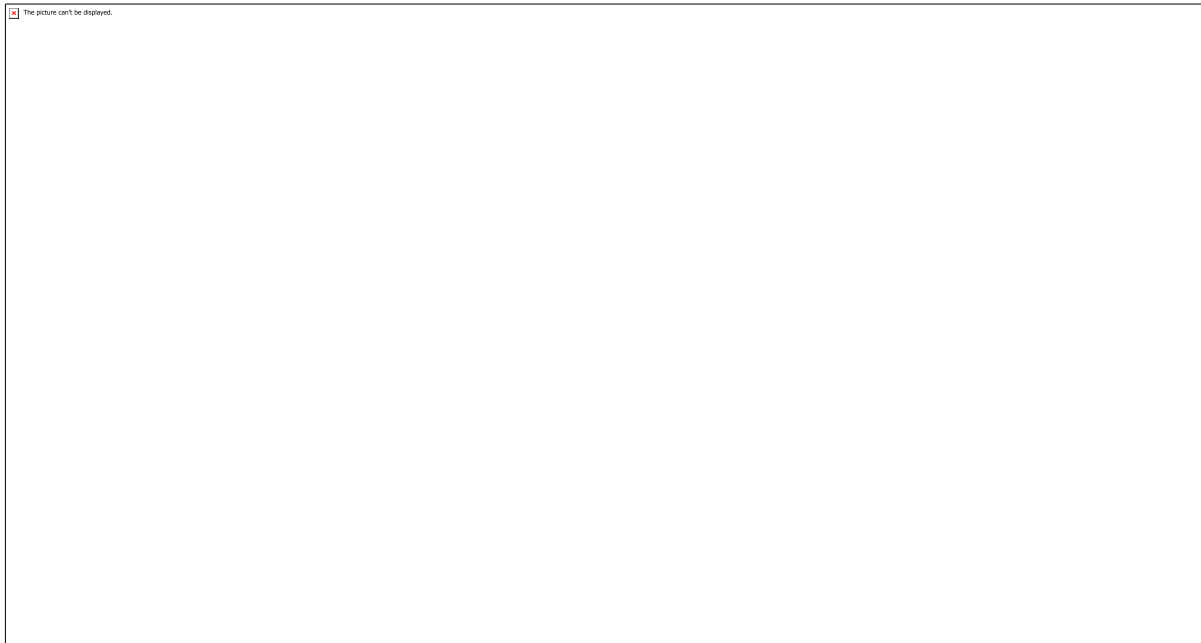
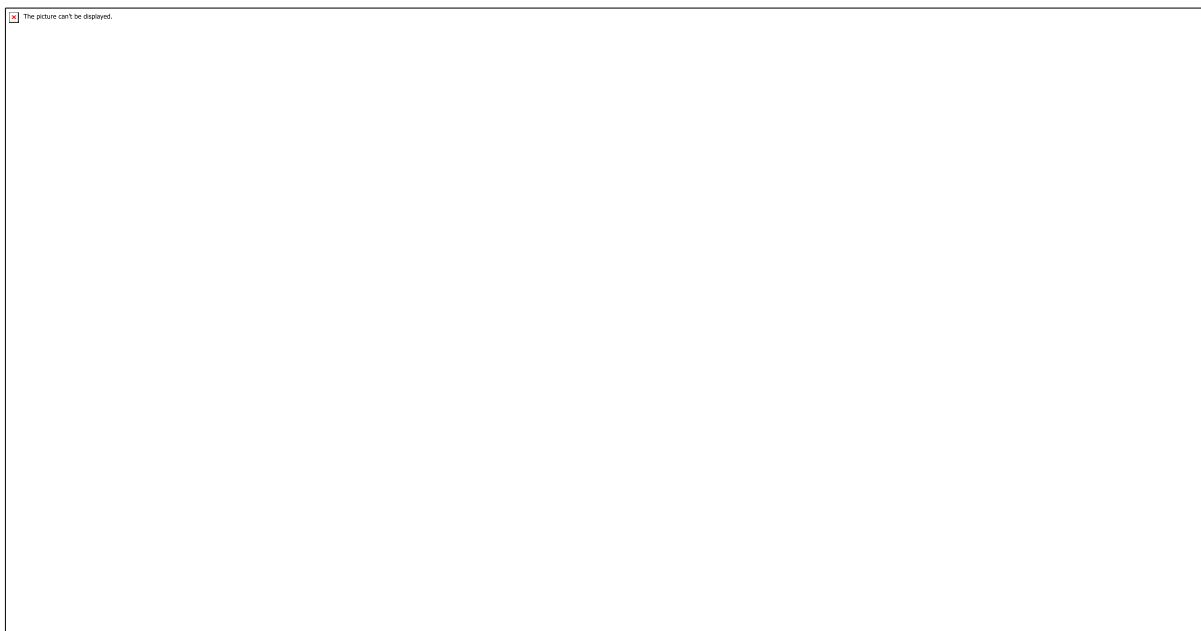
OUTPUTS:

1.



2.

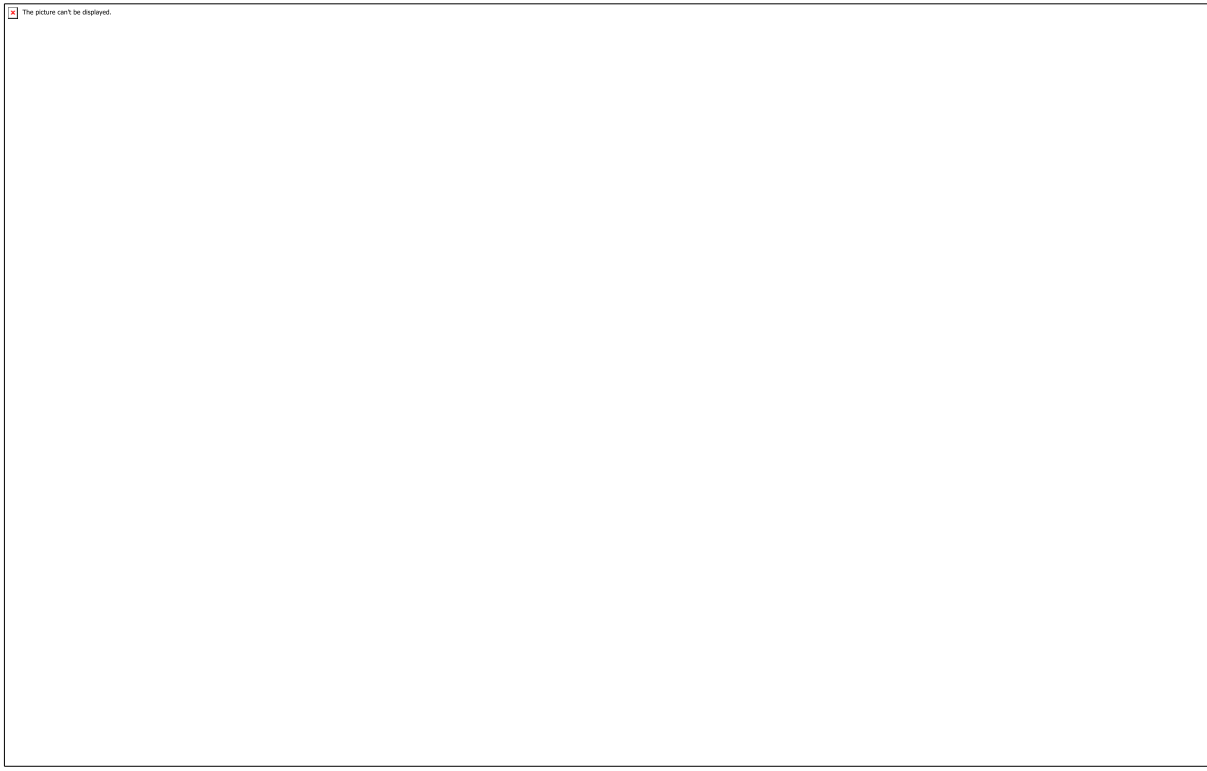


3.**4.**

5.



GRAPH ANALYSIS:



MY GITHUB LINK:

https://github.com/COBR-A/Algorithm_lab_3_sem_500120575