

control 03

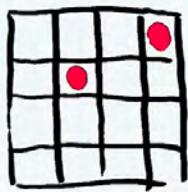
6065 300

Feb 03/26 ①

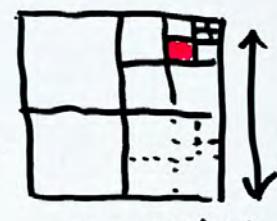
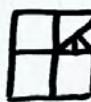
Warm up: discretizations + tiling.

Create different "grids": ← →

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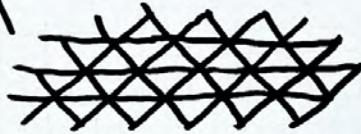
cartesian



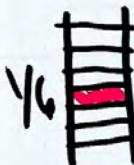
recursive



polar



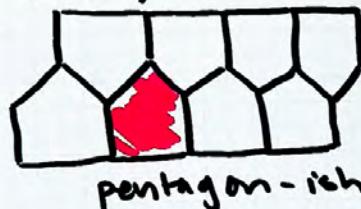
triangular



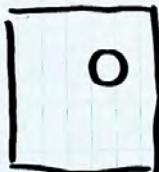
1D linear

etc...

1/8



pentagon-ish



p (point
is
covered) ?

$$r = 1 \text{ cm}$$

$$A = 21 \times 29.7 \text{ cm}^2$$



↑
33

$$22 \times 33 = 726$$

$$\gamma_{150} - \gamma_{726}$$

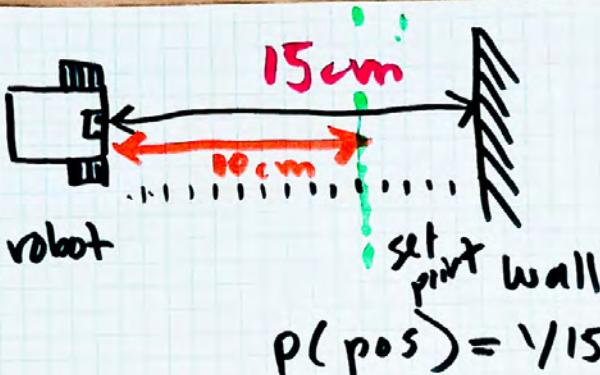
$$\frac{\pi r^2}{A} = 1623.7$$

0.0016
↑

$$r = 1 \text{ cm}$$
$$A = 21 \times 29.7 \text{ cm}^2$$

(3)

(3)



go faster the further we are
slower closer

out = map (dist, min, max, lo, hi);
 pID = proportional integral derivative
 current pos = pos = read();
 set point = set = 5 cm;
 error = pos - set;
 output = out = c · error

distance

constant

"tuning"

$$\text{err} = 1 \text{ cm}$$

$$\text{out} = 800$$

$$c = 500 \quad \text{err} = 10$$

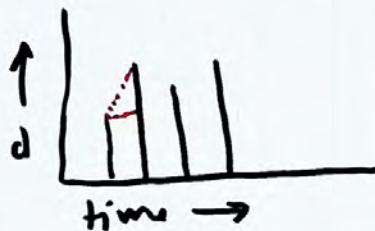
$$\text{out} = 5000$$

(4)

$c = 100$	$\text{err} = 10$	$\text{out} = 1000$
$c = 100$	$\text{err} = 1$	$\text{out} = 100$
$c = 17$	$\text{err} = 10$	$\text{out} = 170$
$c = 17$	$\text{err} = 1$	$\text{out} = 17$

simulation + tuning

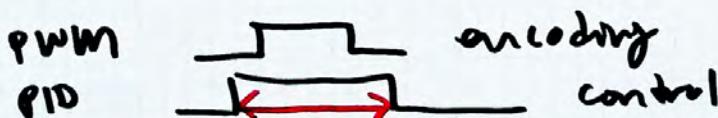
d_0
 d_1
 d_2
 \vdots
 d_n

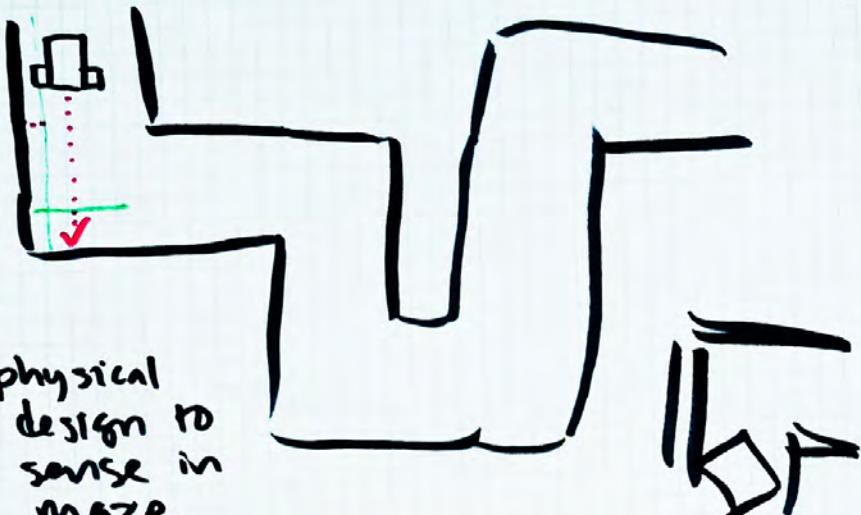


$$\frac{d_j - d_i}{\Delta d} = \frac{d_j - d_i}{1}$$

$$c \cdot \text{error} + a \cdot 4\text{error} + b \cdot \sum \text{error}$$

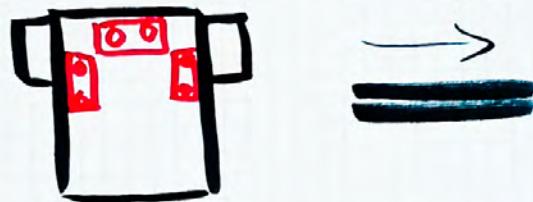
p D I





1. physical
design to
sense in
maze

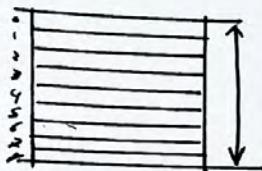
2. Algorithm
for control



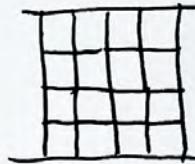
(1)

control 03

Warm-up: Discretizations + tiling



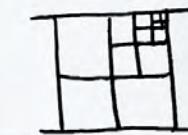
linear



cartesian



polar

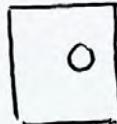


recursiv cartesian



triangular

probability: if I throw a coin onto a page, $P(\text{point is covered})$



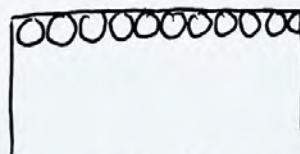
$$\frac{\text{area of coin}}{\text{area of page}} ?$$

$$P = \frac{\pi r^2}{A} = 1/623.7$$

$$r = 1\text{ cm}$$

$$A = 21 \times 29.7 = 623.7$$

$$r = 0.5 \text{ cm}$$



$$0.0066 \sim 0.0016 ?$$

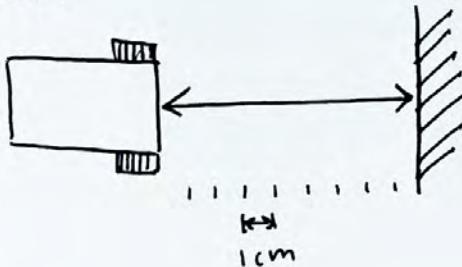
try it!

$$\leftarrow 10 \rightarrow \\ \uparrow 15 \downarrow$$

$$1/150 \sim \frac{1}{623.7} ?$$

(2)

Robot.



$p(\text{Robot is } @ 5\text{ cm})$

$$= 1/10$$

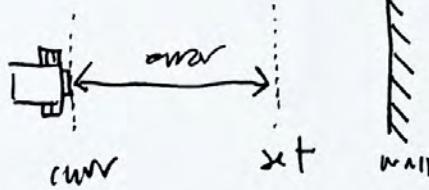
1 cm chunk
→ # of chunks

→ robot doesn't "know", it has to guess.

Last time: alg. for driving to set point.

Key insight: go faster, further.

~~curr~~
output = map(~~dist~~ to set point,
min dist, max dist,
min motor, max motor).



$$\text{error} = \text{curr} - \text{set};$$

$$\text{output} = \text{map}(\text{error}, 0, 10, 0, 255);$$

but what about a diff. dir?

(3)

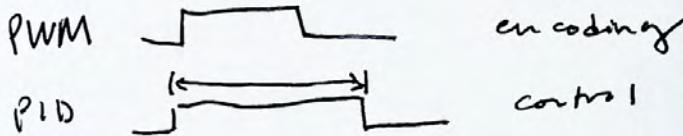
$curr = \text{read}();$
 $set = 5 \text{ cm}; 11 \text{ cm}$
 $error = curr - set;$
 $out = \cancel{\text{data}} C \cdot error$
 ↑ some constant

$$C = 100 \quad err = 5 \quad out = 500$$

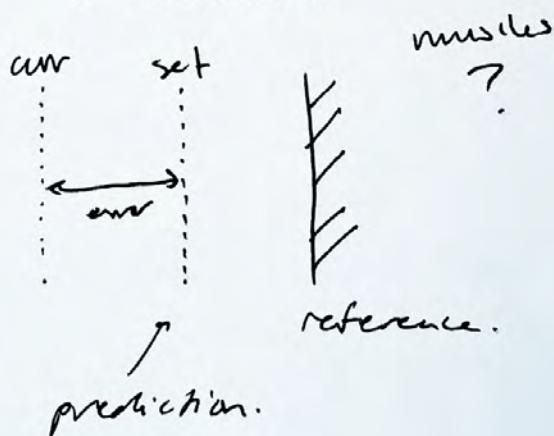
$$C = 50 \quad err = 5 \quad out = 250$$

$$C = 1/5 \quad err = 5 \quad out = 1$$

depends on your robot.



control requires sensation + model.
to evaluate.



(4)

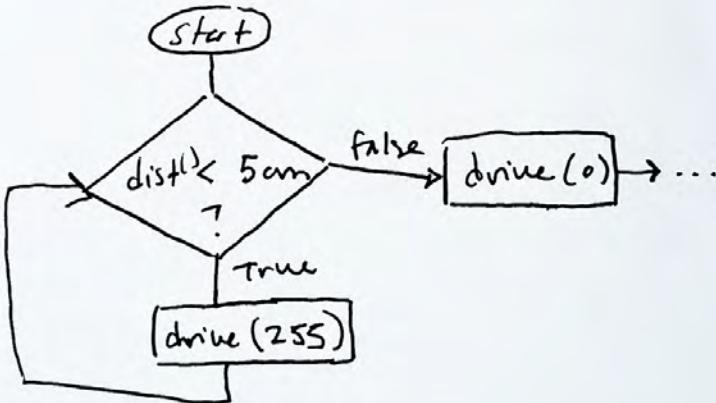
* come up with a wall-following algorithm. + design

Cases:



= straight
↗ inside
↘ outside.

- which sensors / where do you put them?
- which filters do you use, why?
- what is the algo?
↳ low level



why doesn't this "just work"?

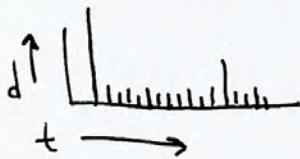
vs. PID version...

(5)

Shifting into a probabilistic
multi-set...



How many measurements
until you're sure?



stability
or
signal

$$\Delta d = \text{change in } d = d_i - d_{i-1}$$

small Δd is small variation...
but also fragile!

$$\text{avg}(d_i : d_j) \quad \text{var}(\overset{d_i : d_j}{\text{diff}}) \quad \text{etc.}$$

⋮

$$p(\text{pos} \mid \text{measurement}) ?$$



$$p(\text{pos})$$

$$p(\text{measurement}) ?$$