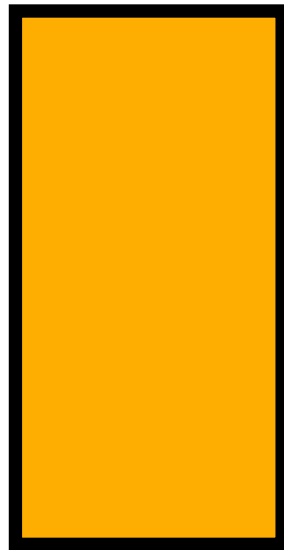


# **Platformer game**

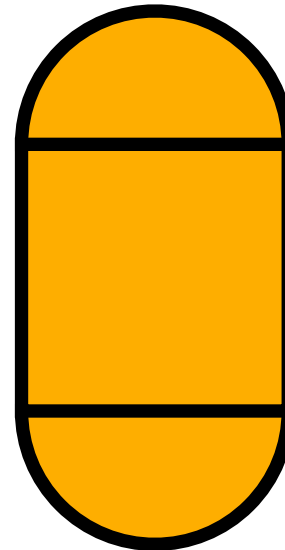
## **Technical storyboards**

# Avatar

## Collider choice



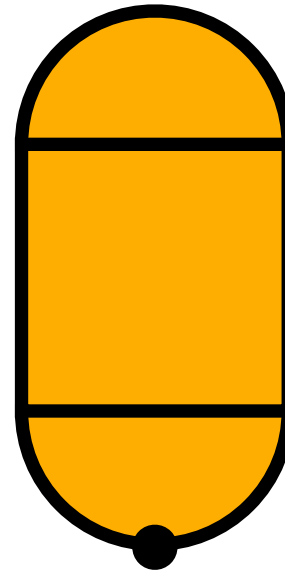
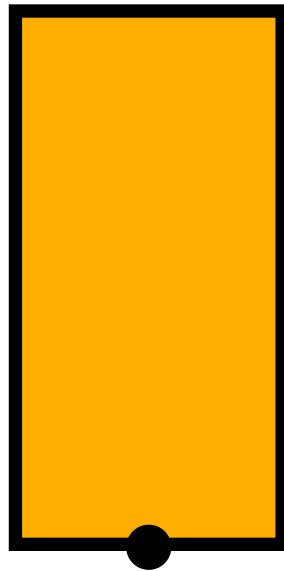
Box



Capsule

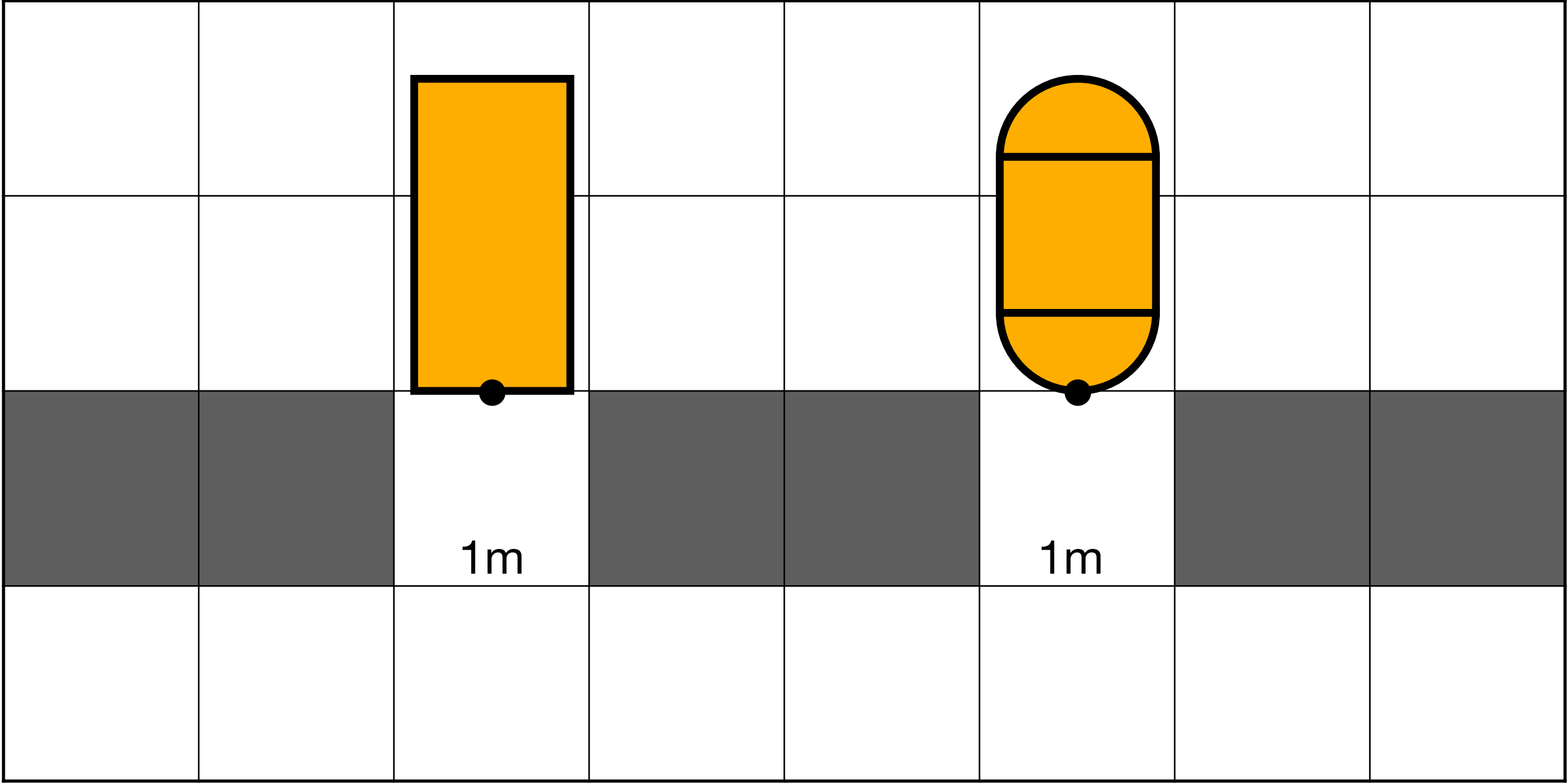
# Avatar

## Pivot point



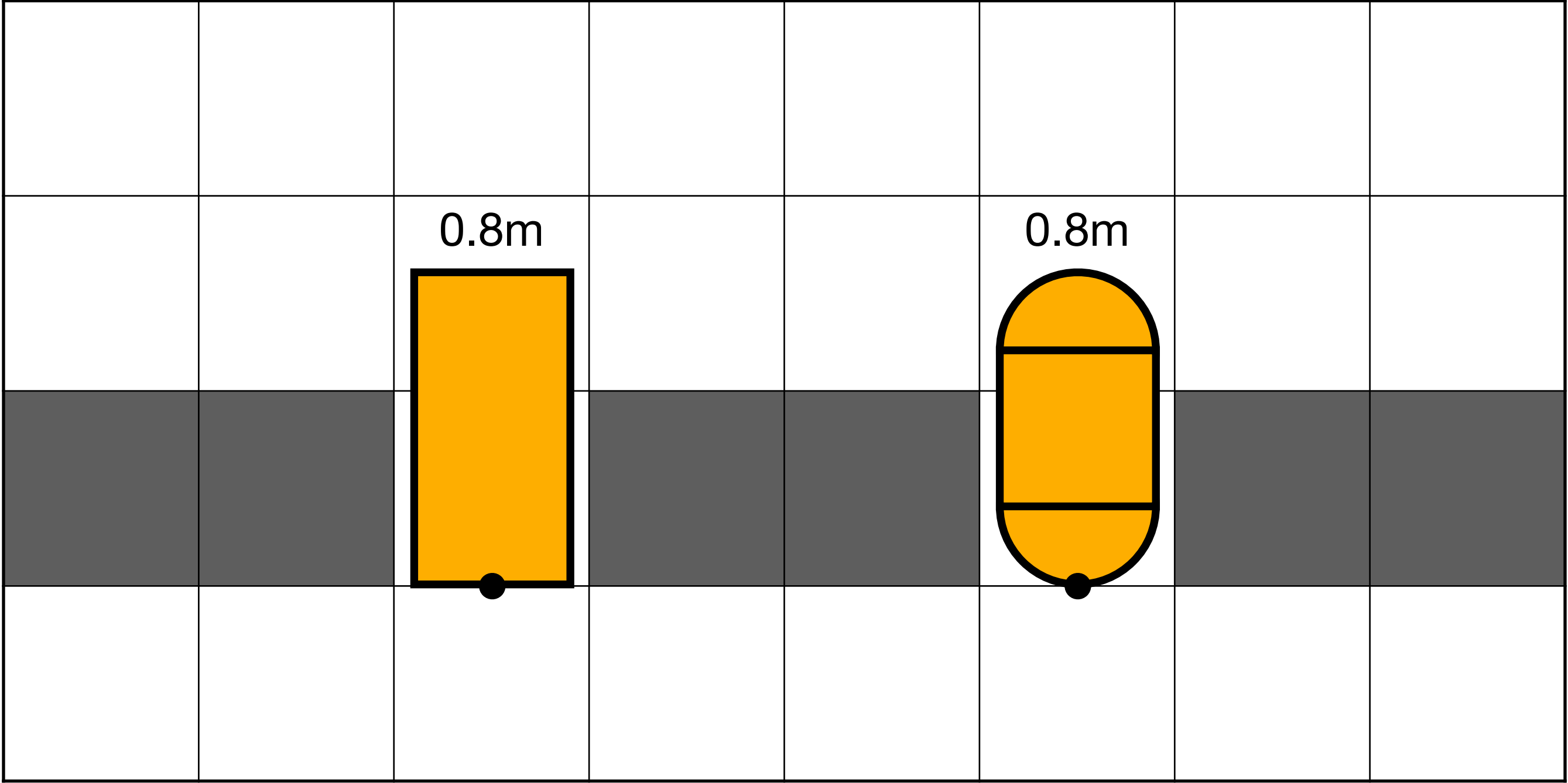
# Avatar

## Size



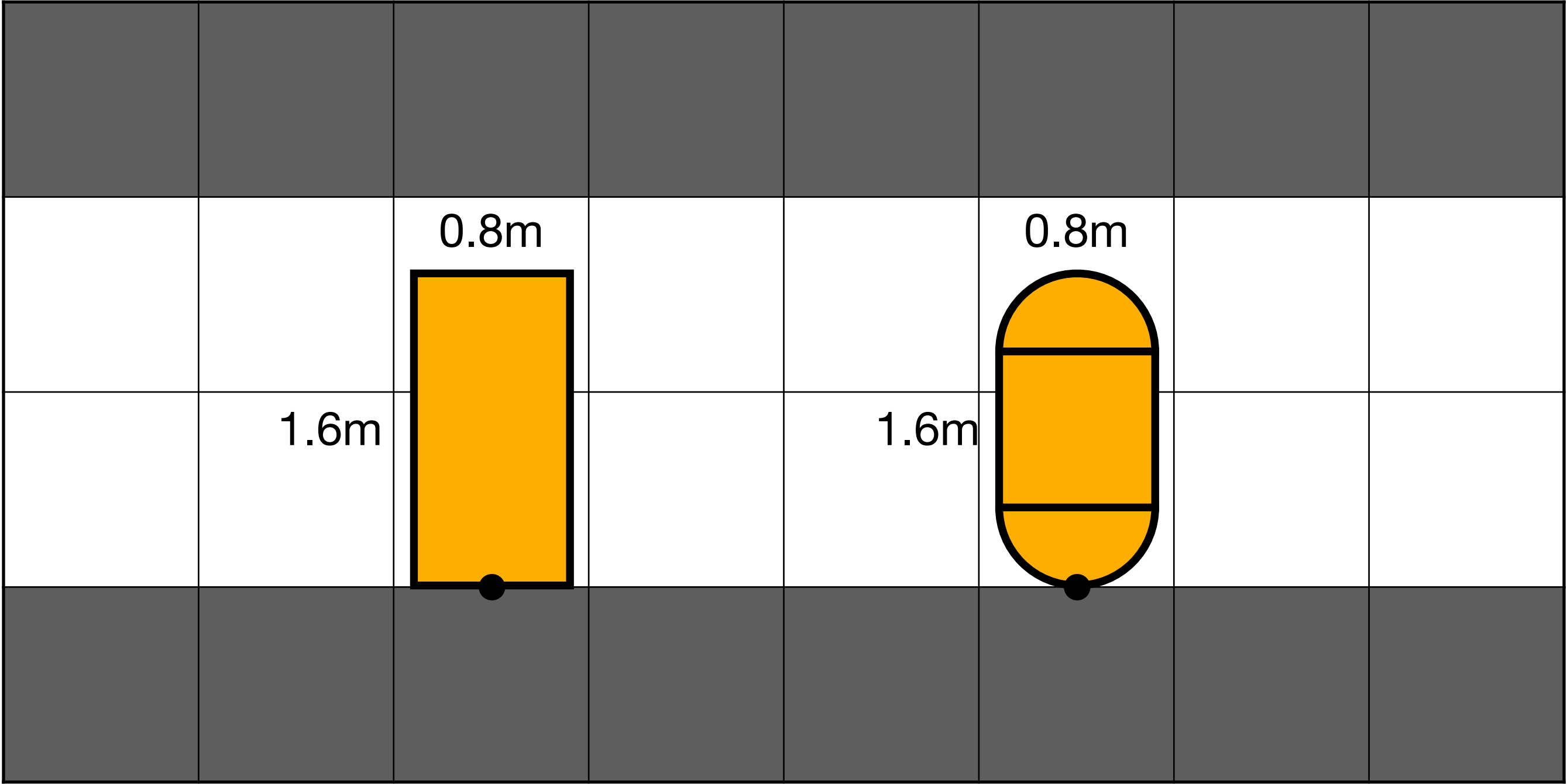
# Avatar

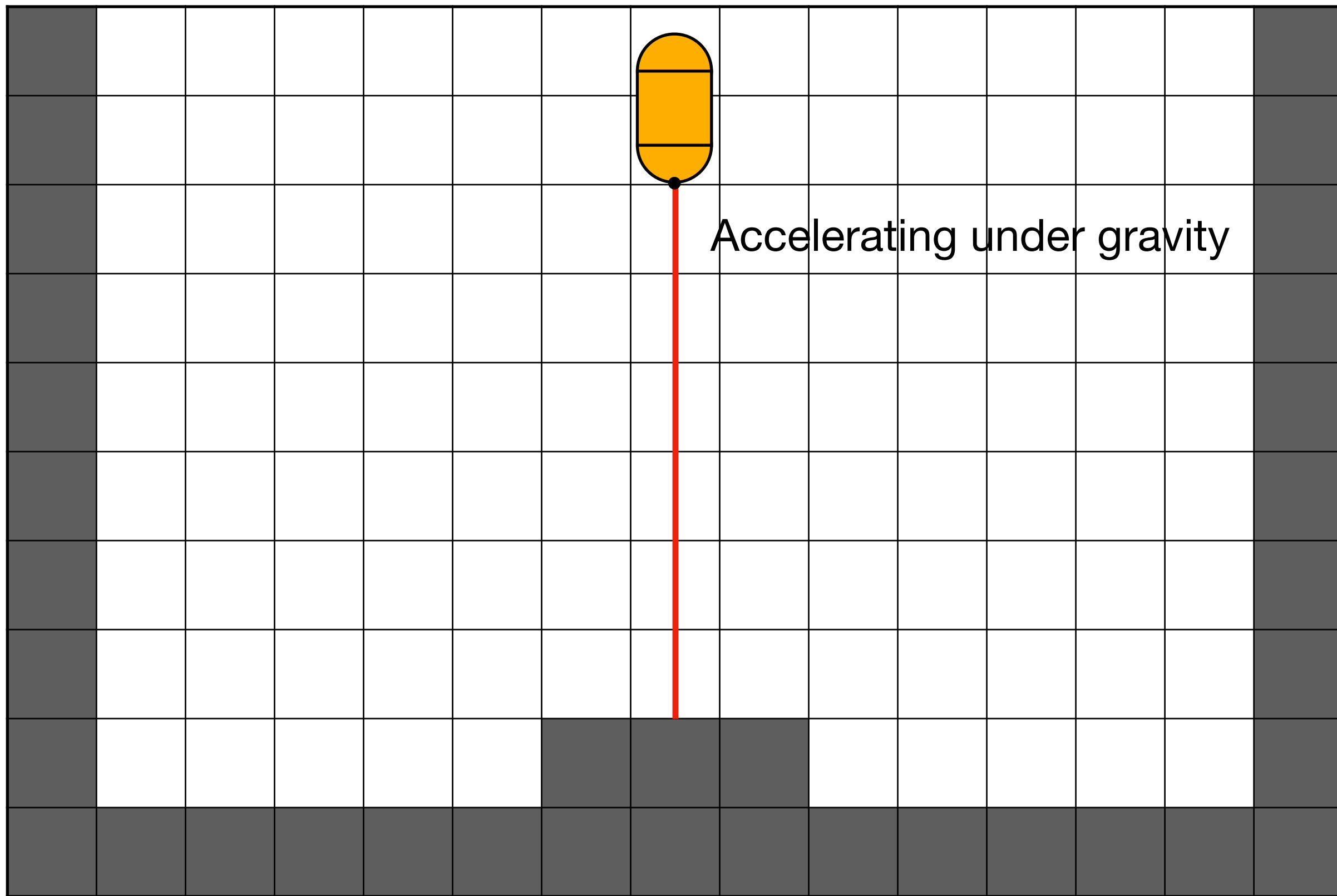
## Size

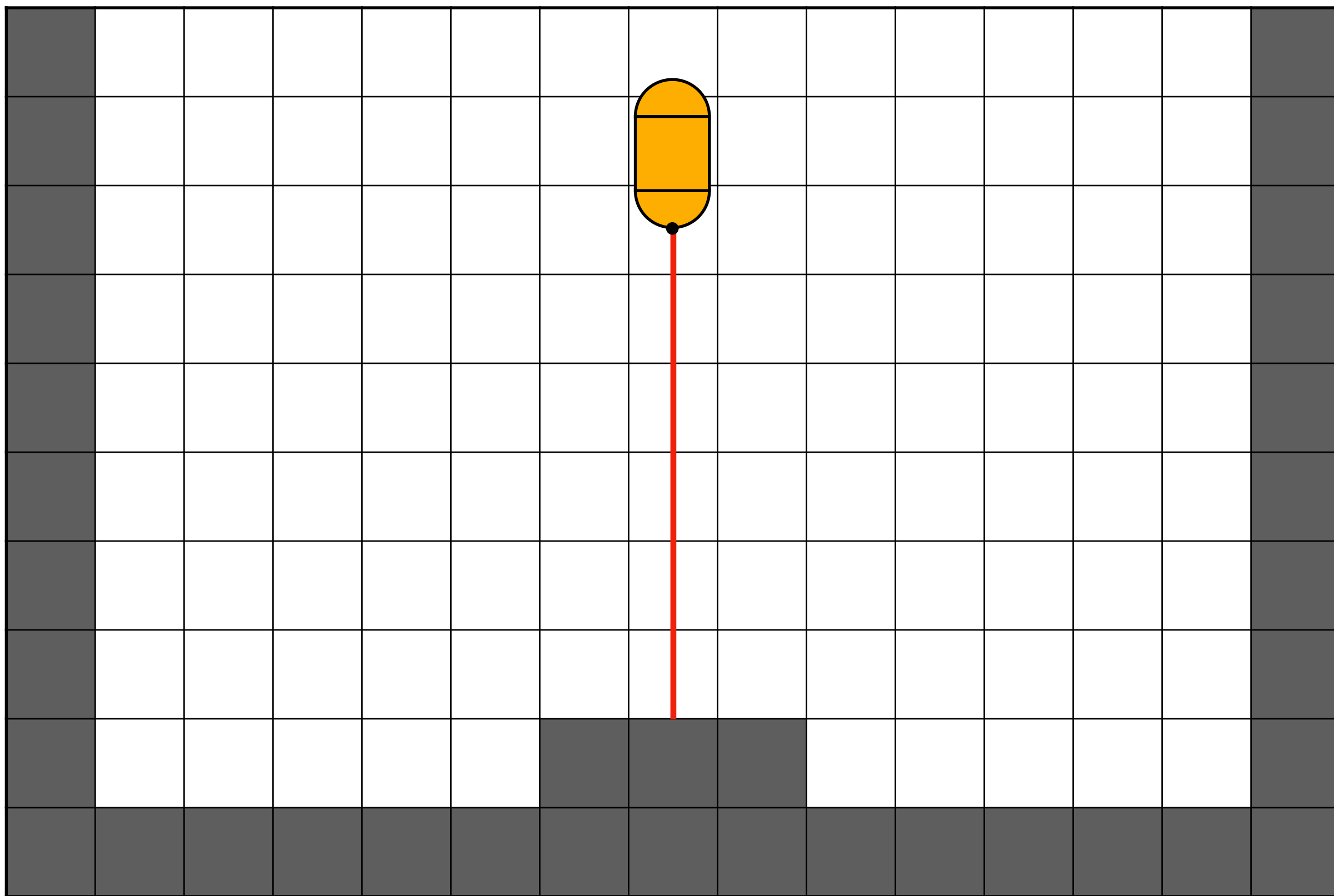


# Avatar

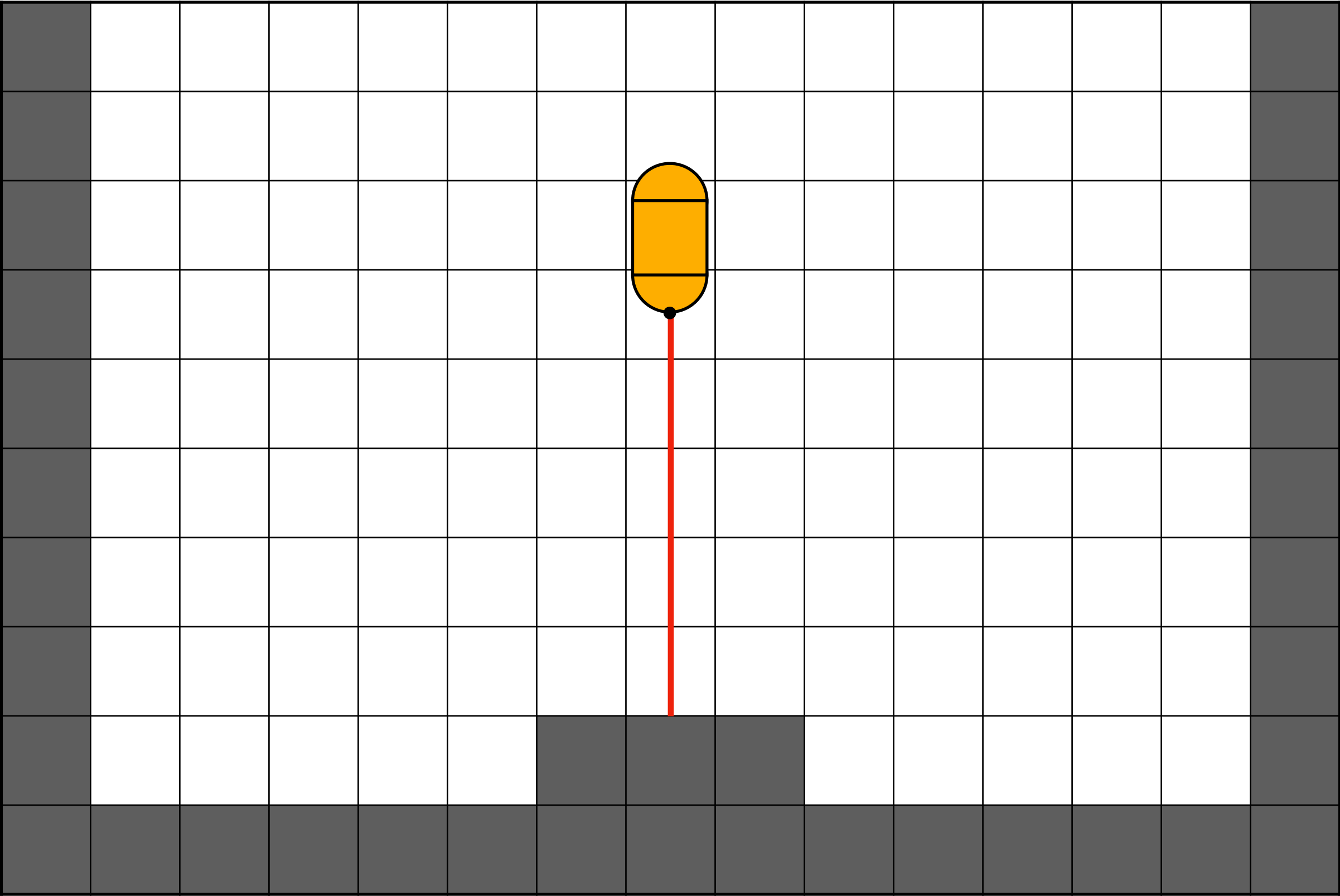
## Size

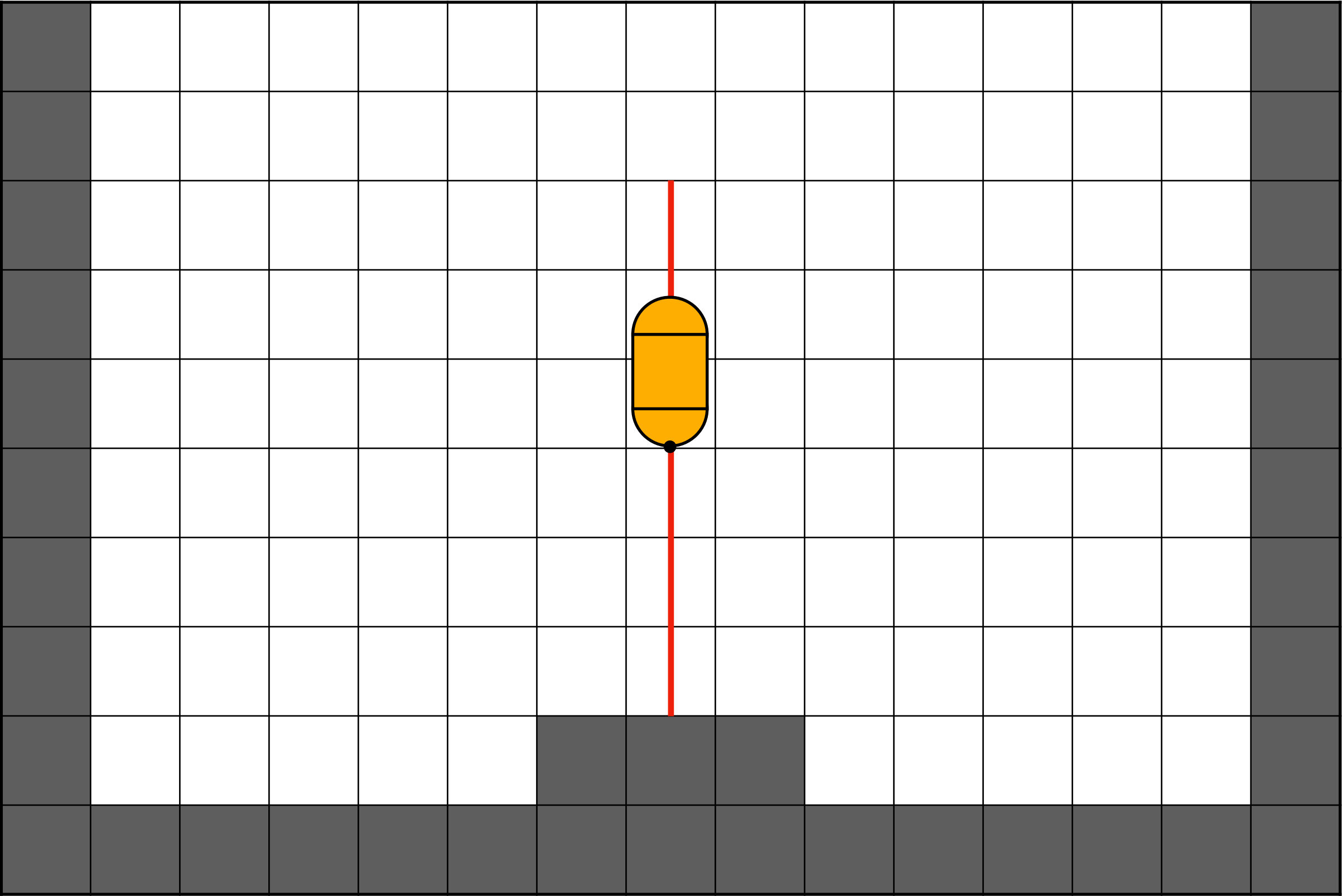


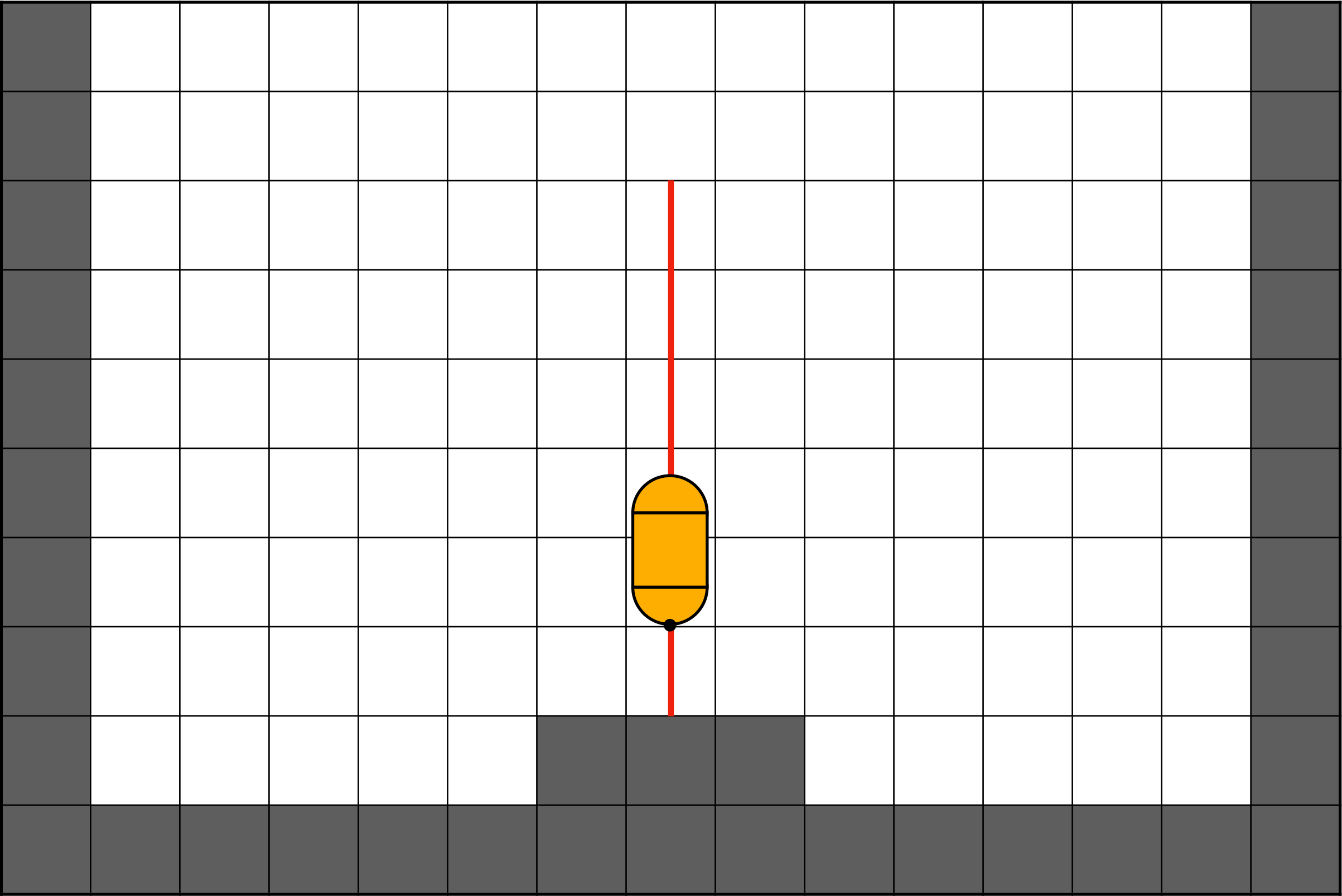


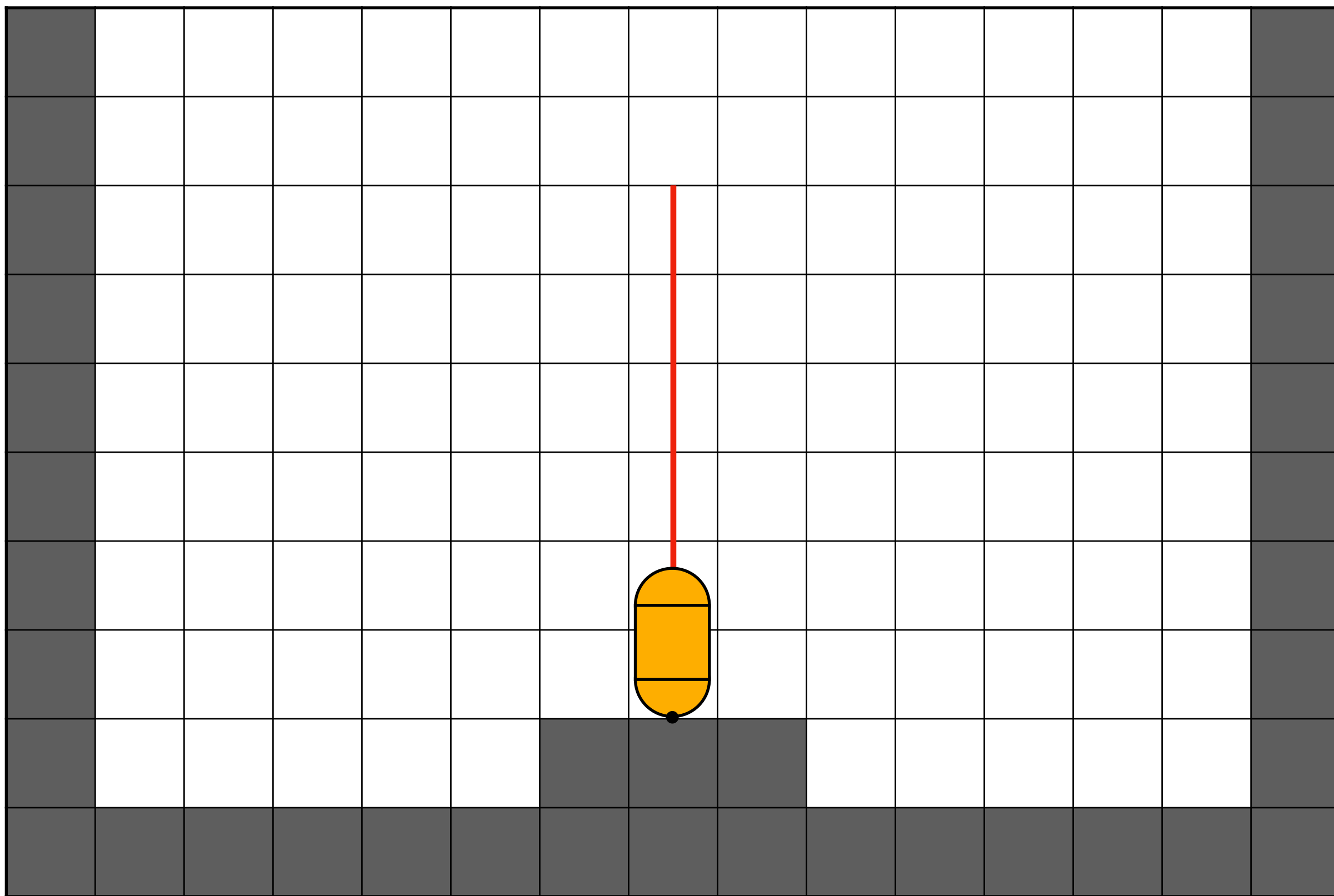


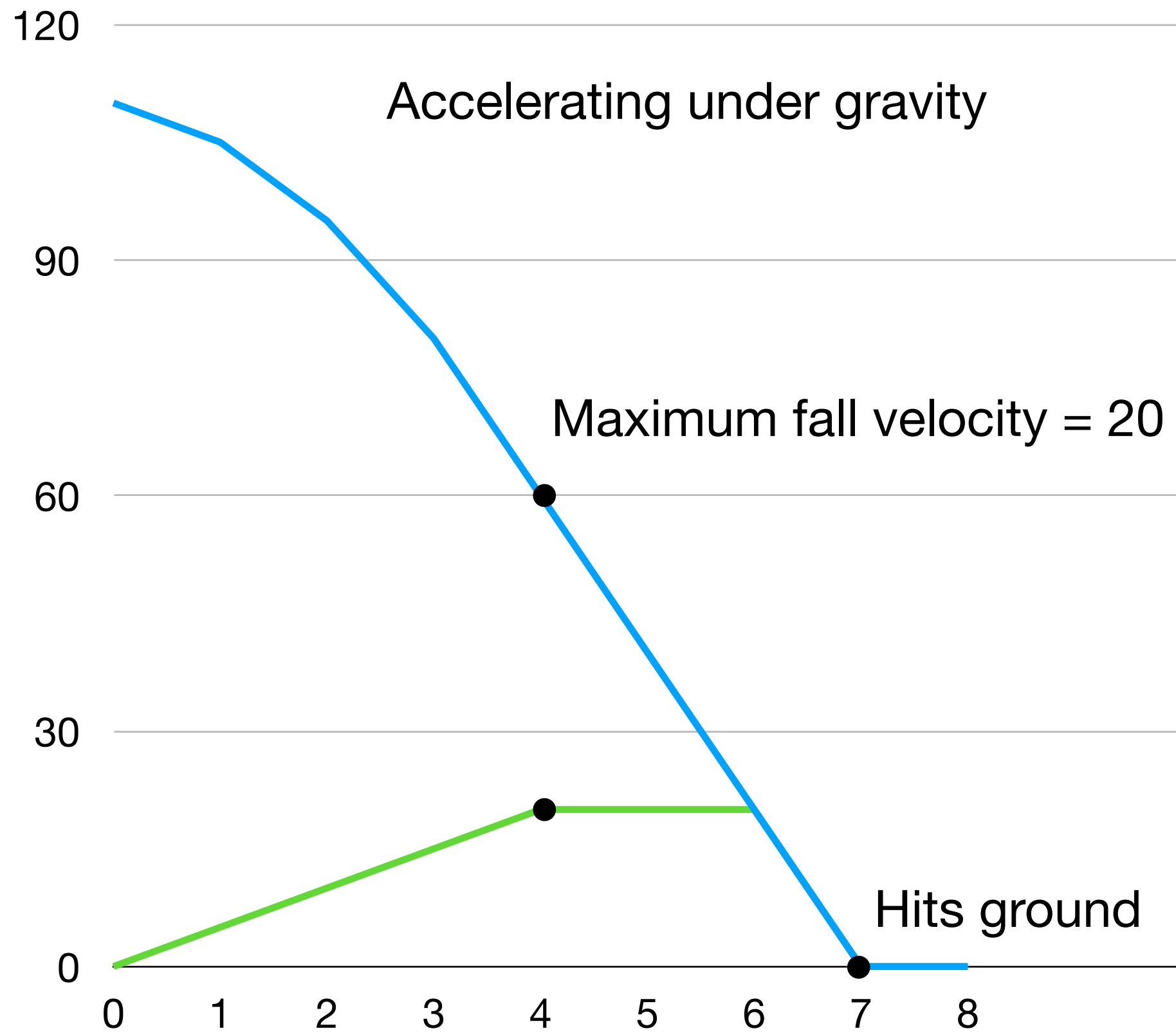




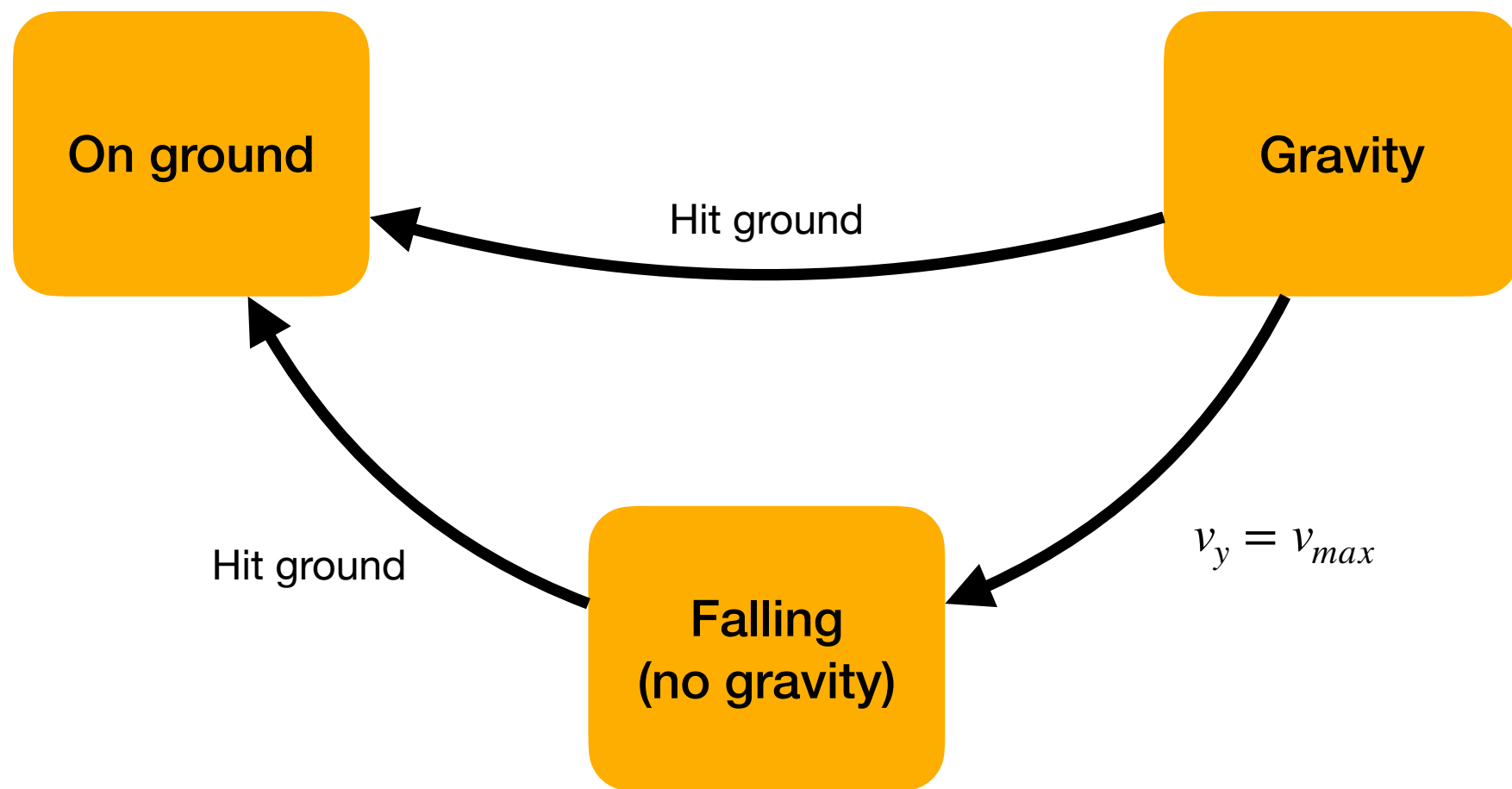


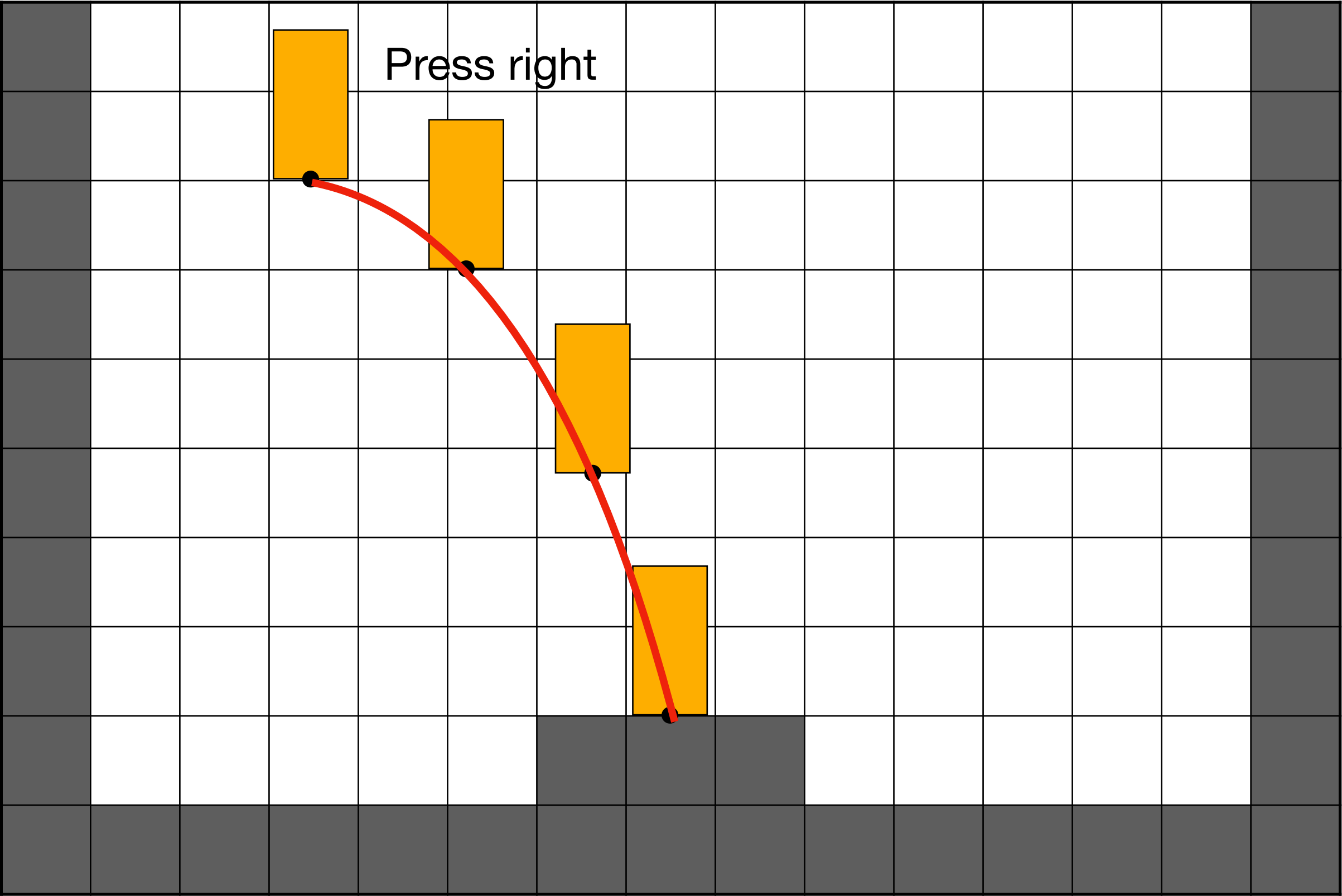


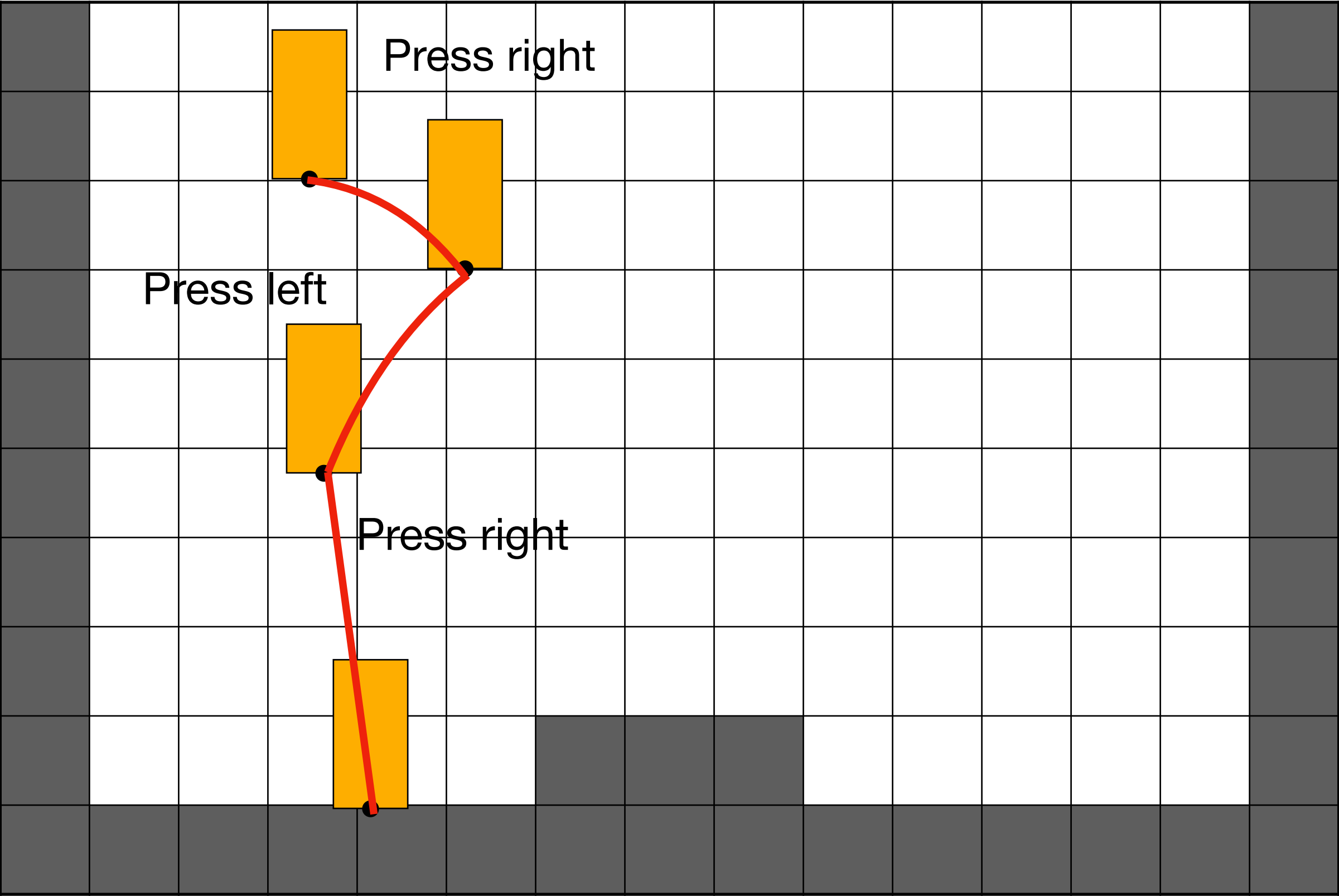




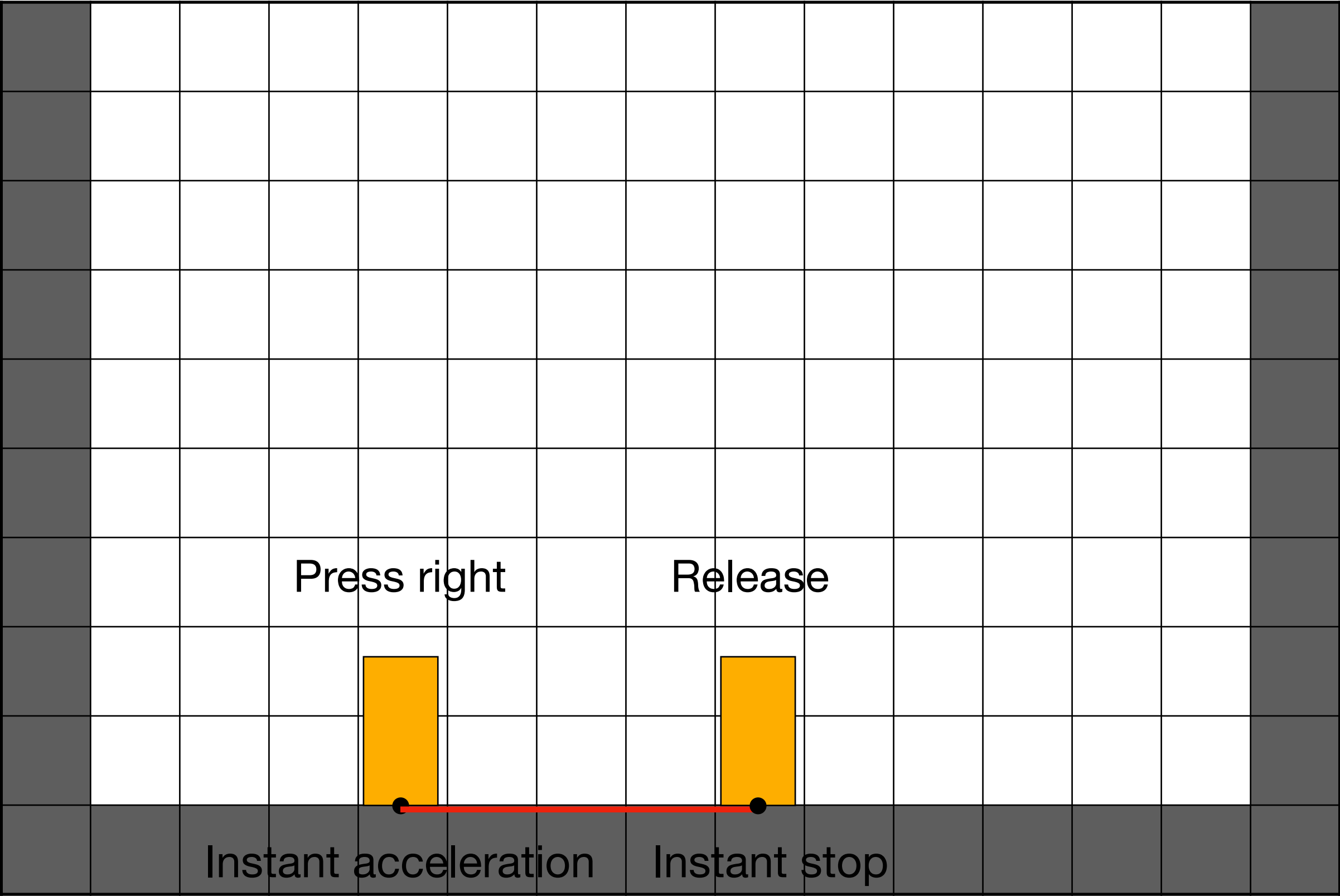
# State machine



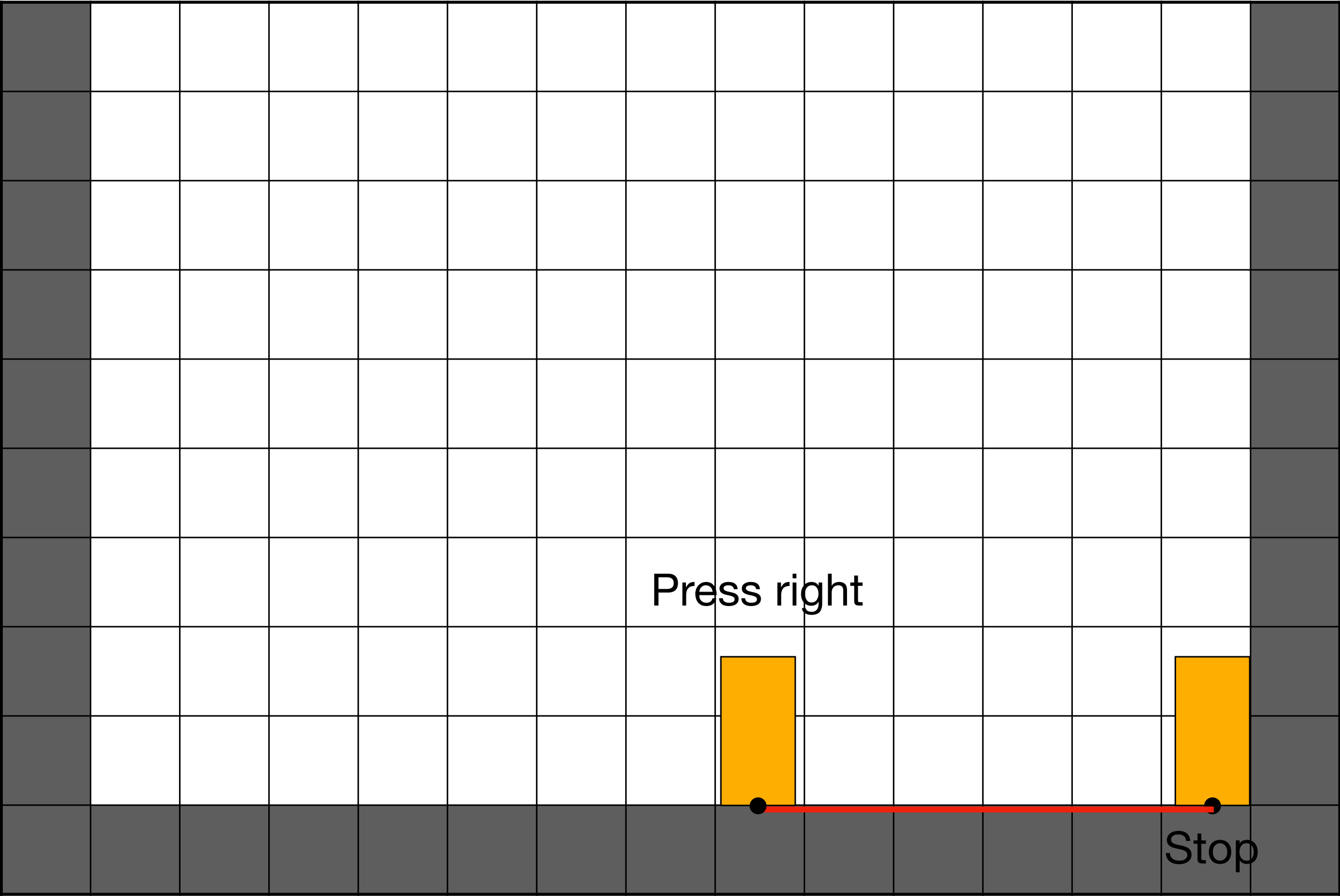






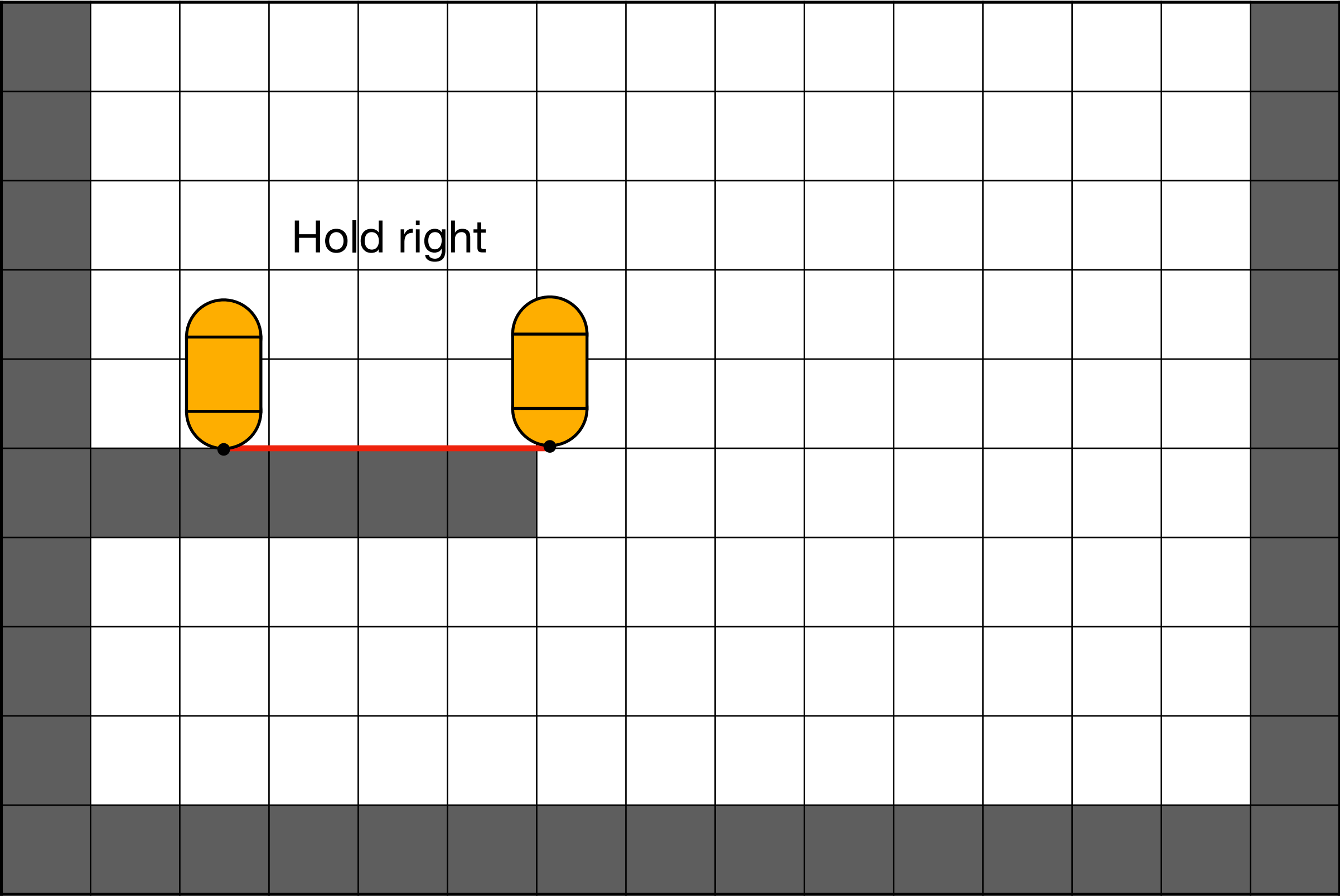


(or almost)

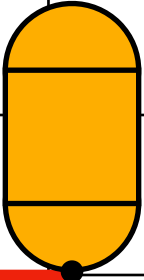
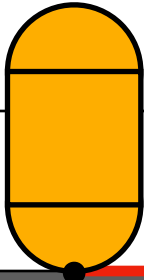


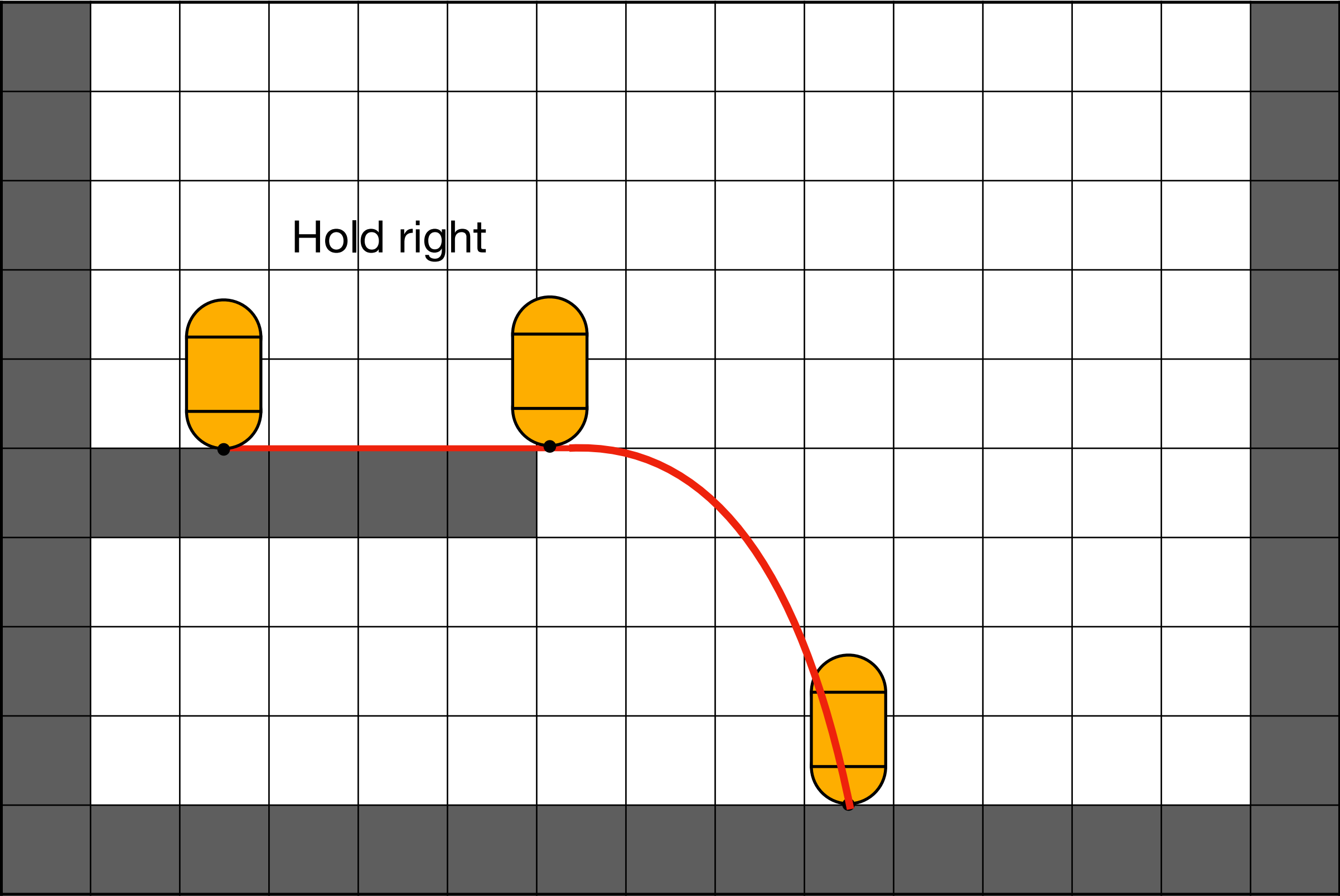
# General rules

- Changes in horizontal velocity should be (almost) instant
- Horizontal velocity should match input (unless stopped by a wall)
-

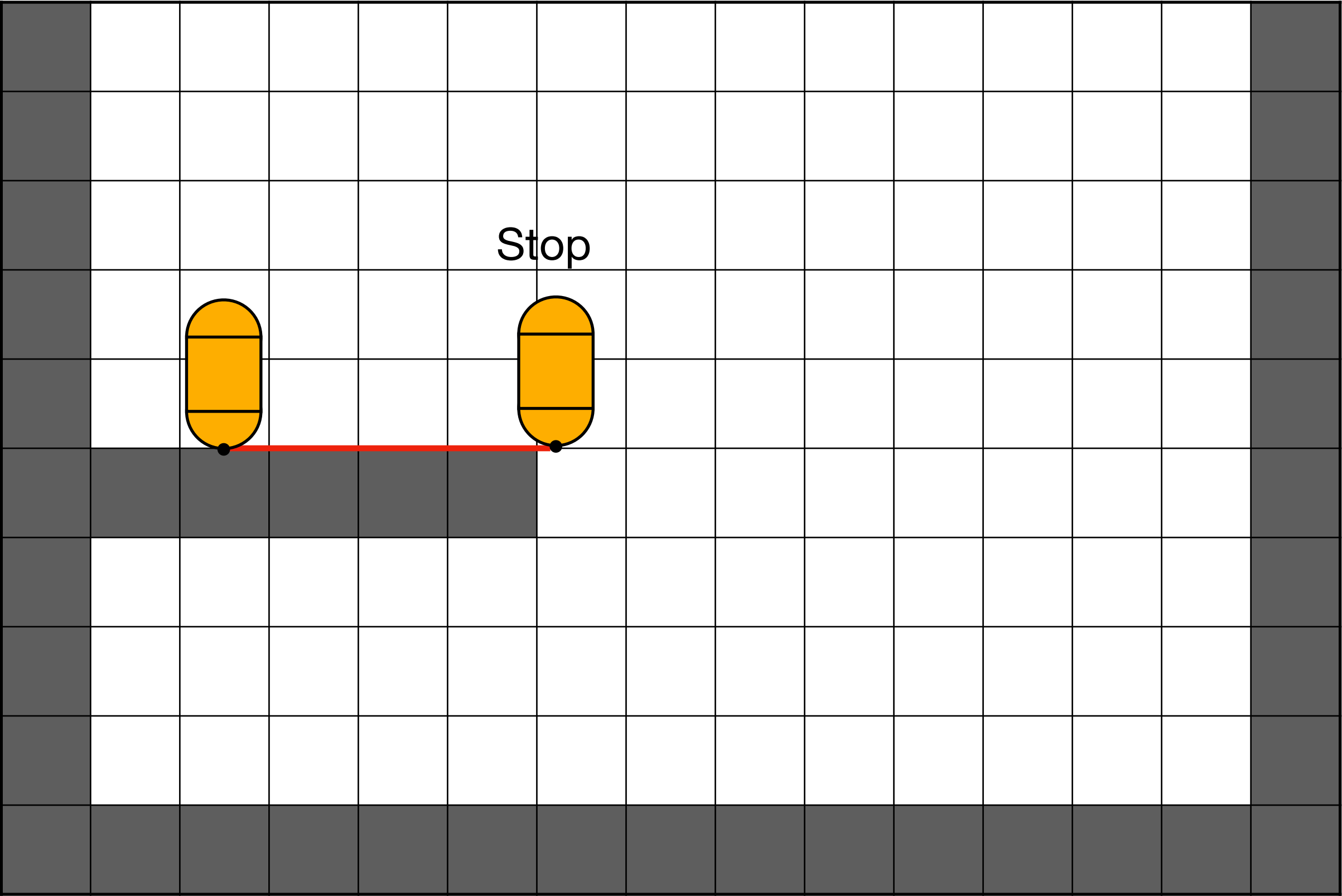


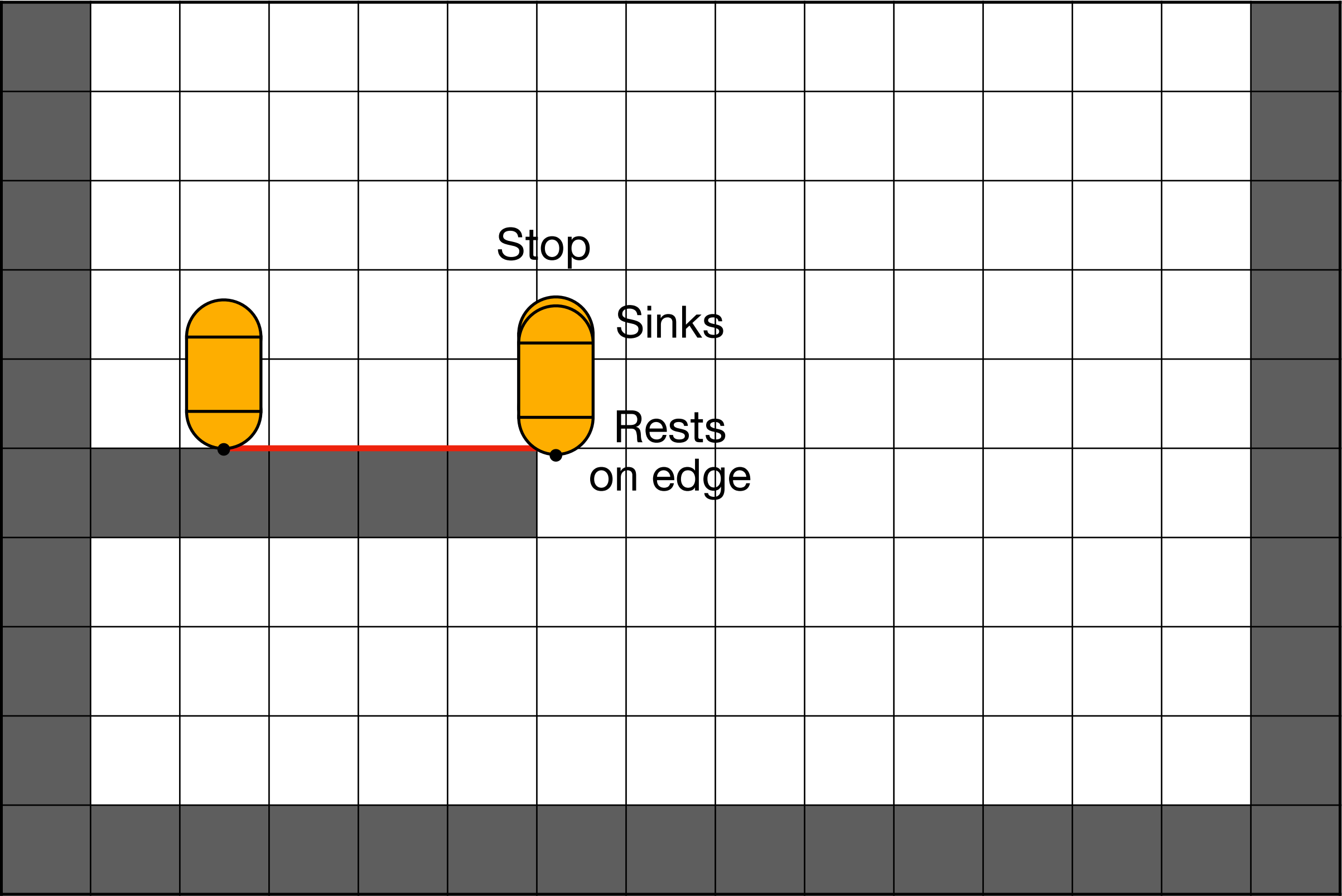
Hold right

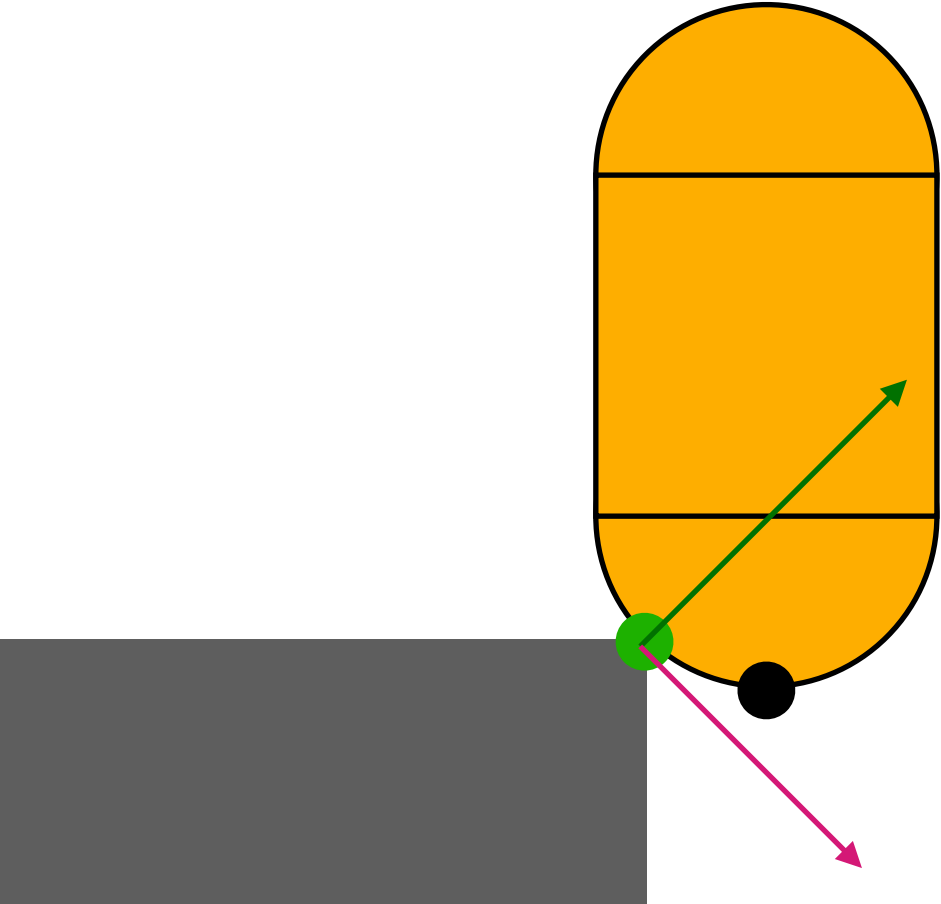




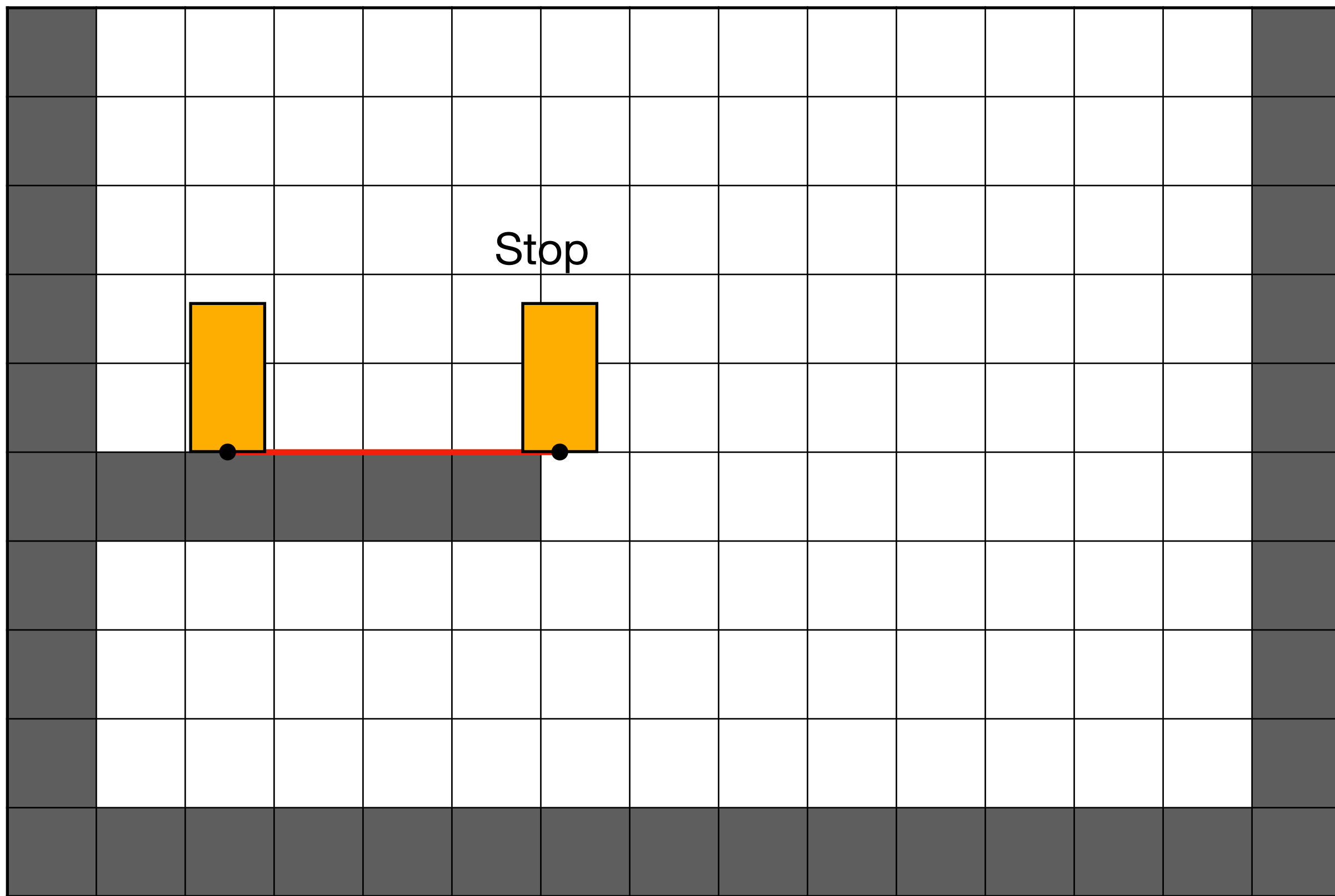
Hold right

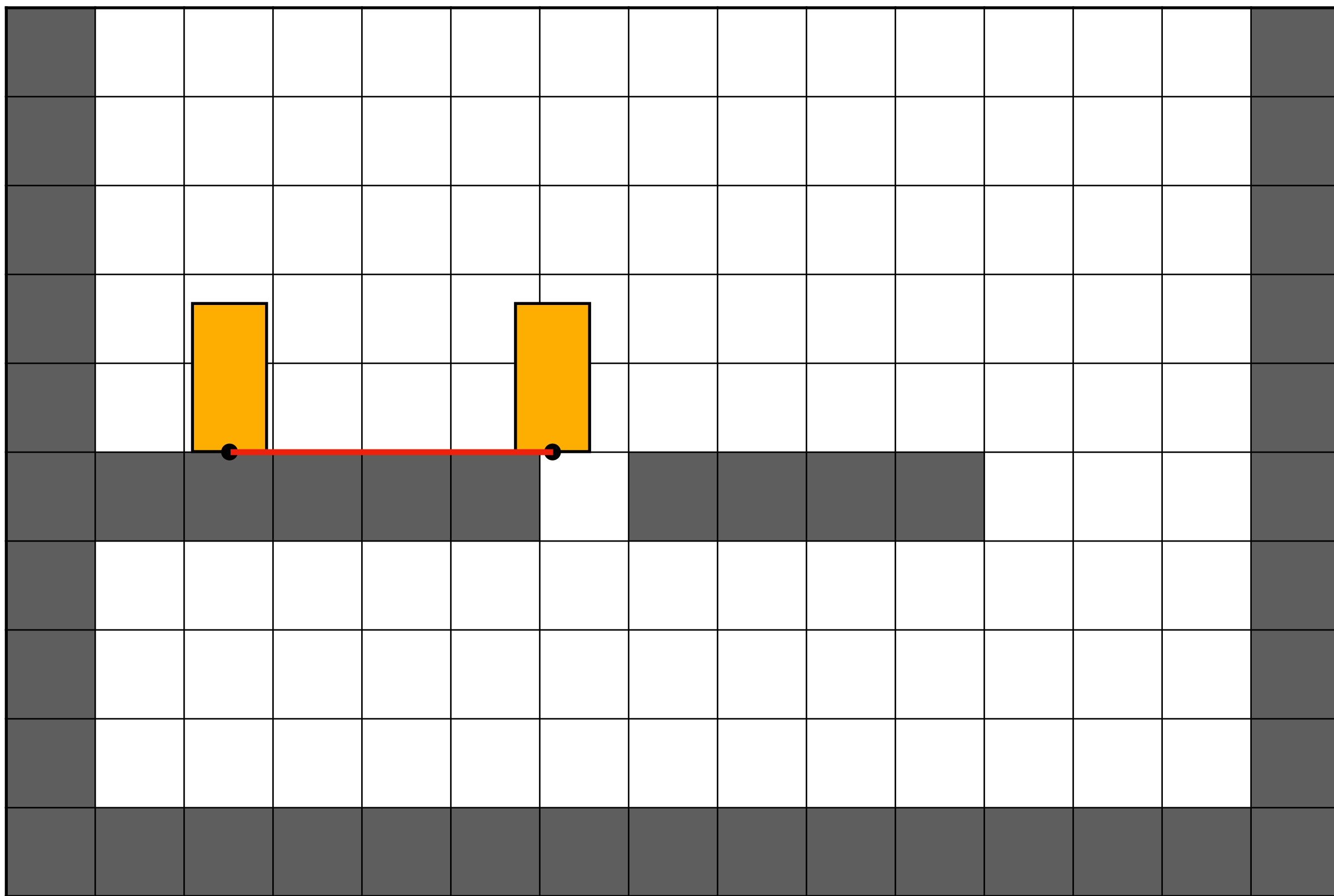




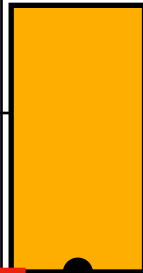
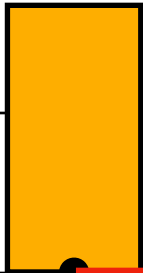




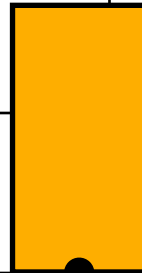
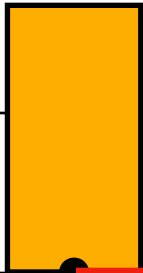




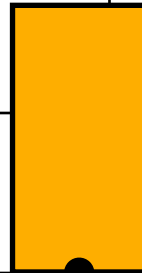
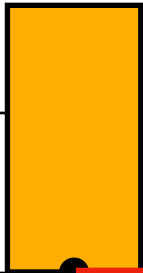
$v_x = 10 \text{ m/s}$   
 $dt = 0.02 \text{ s}$   
 $dx = 0.2 \text{ m}$



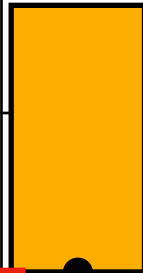
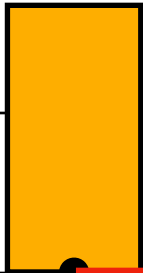
$v_x = 10 \text{ m/s}$   
 $dt = 0.02 \text{ s}$   
 $dx = 0.2 \text{ m}$



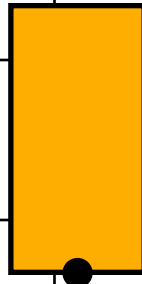
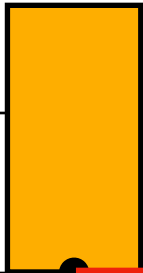
$v_x = 10 \text{ m/s}$   
 $dt = 0.02 \text{ s}$   
 $dx = 0.2 \text{ m}$



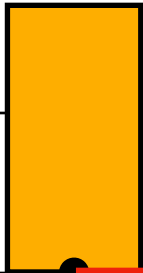
$v_x = 10 \text{ m/s}$   
 $dt = 0.02 \text{ s}$   
 $dx = 0.2 \text{ m}$



$v_x = 10 \text{ m/s}$   
 $dt = 0.02 \text{ s}$   
 $dx = 0.2 \text{ m}$

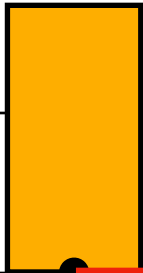


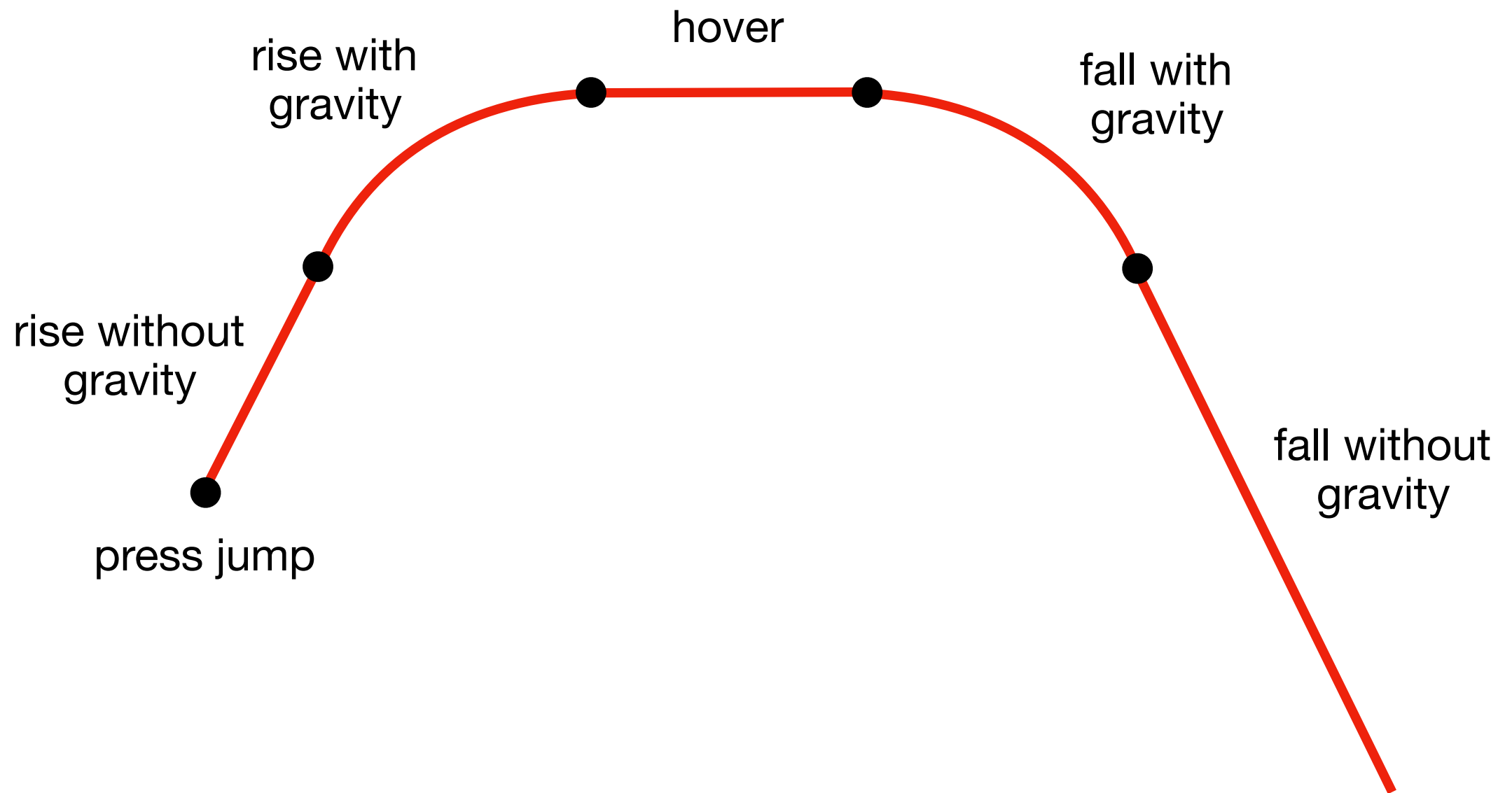
$v_x = 10 \text{ m/s}$   
 $dt = 0.02 \text{ s}$   
 $dx = 0.2 \text{ m}$



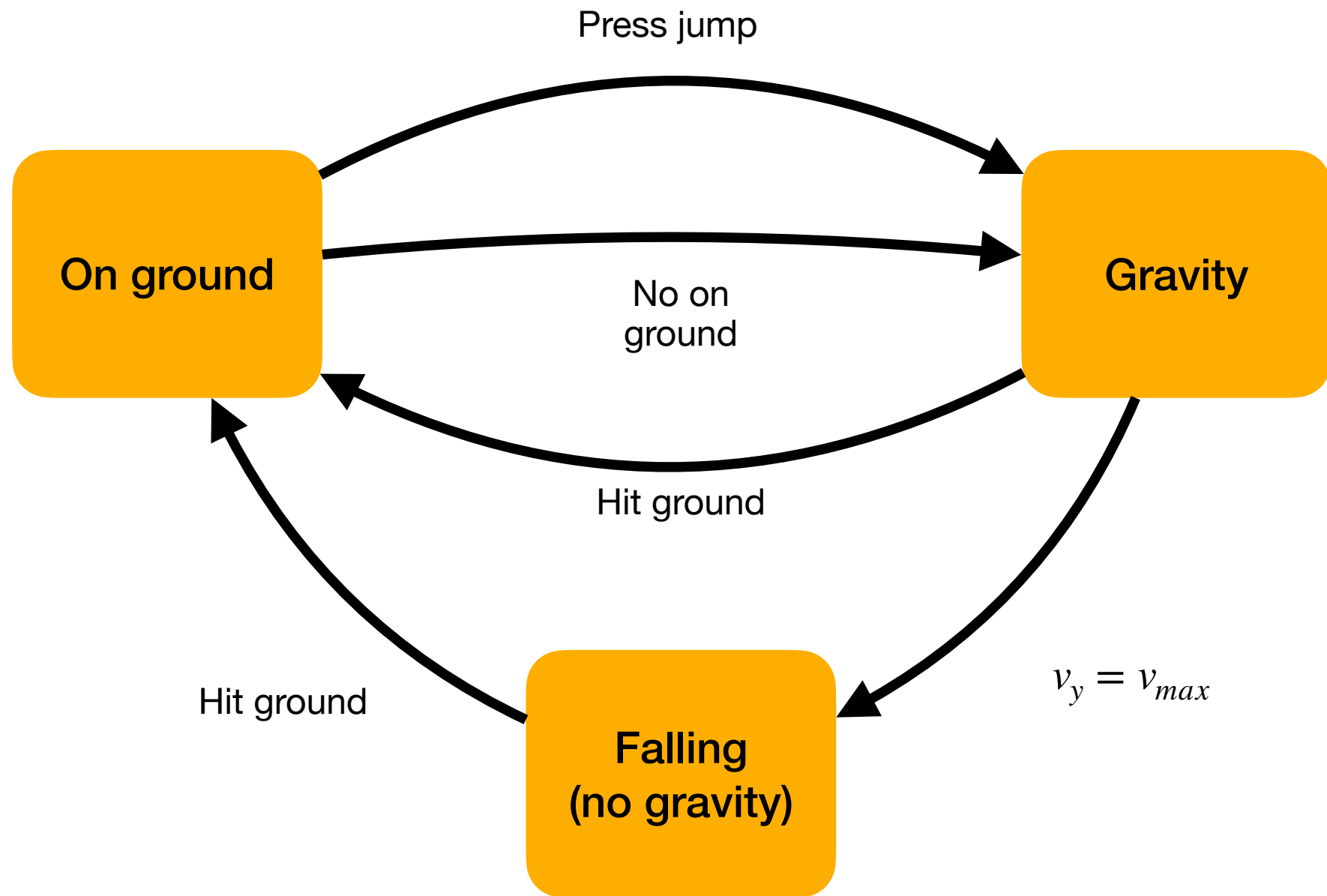


$v_x = 10 \text{ m/s}$   
 $dt = 0.02 \text{ s}$   
 $dx = 0.2 \text{ m}$

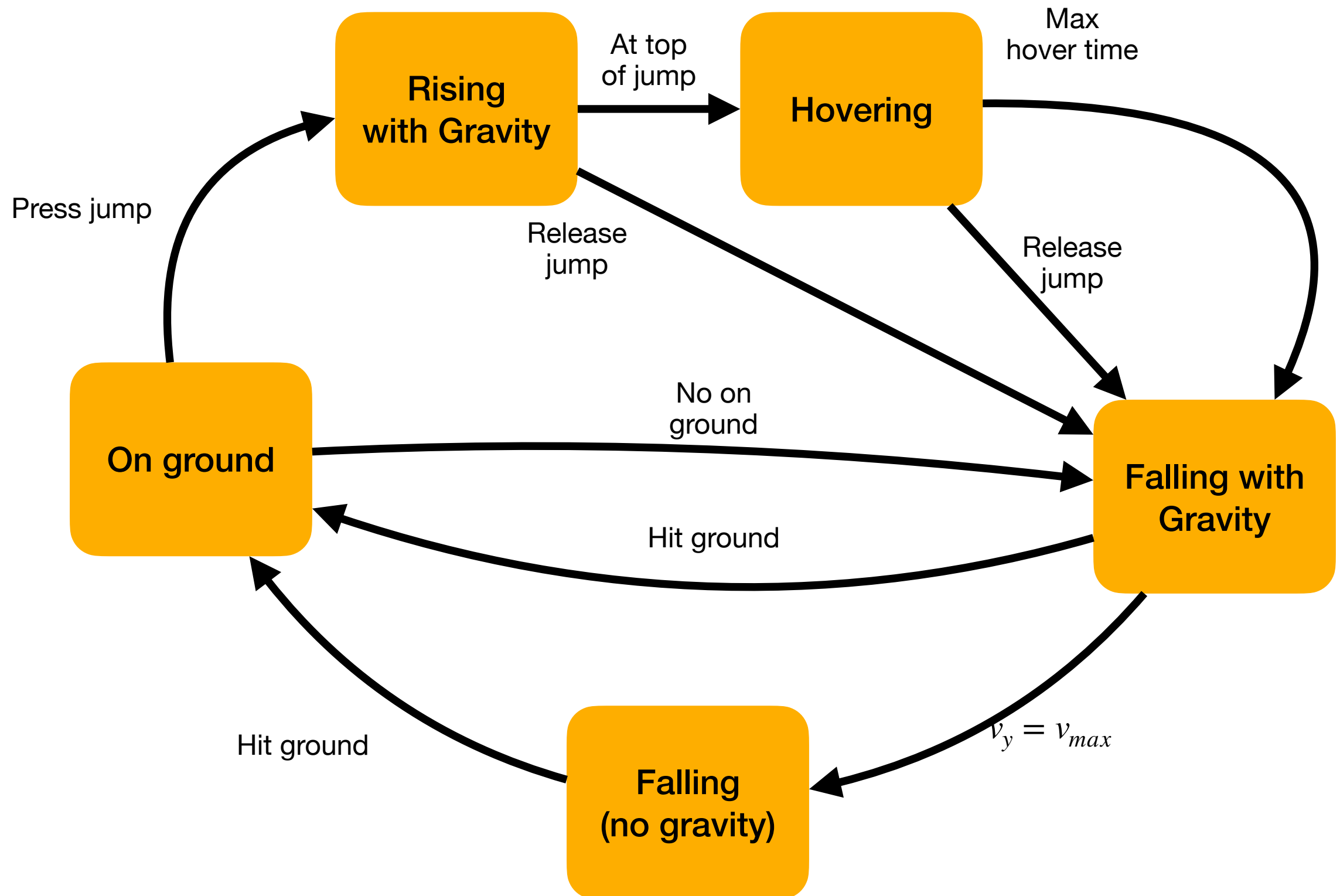


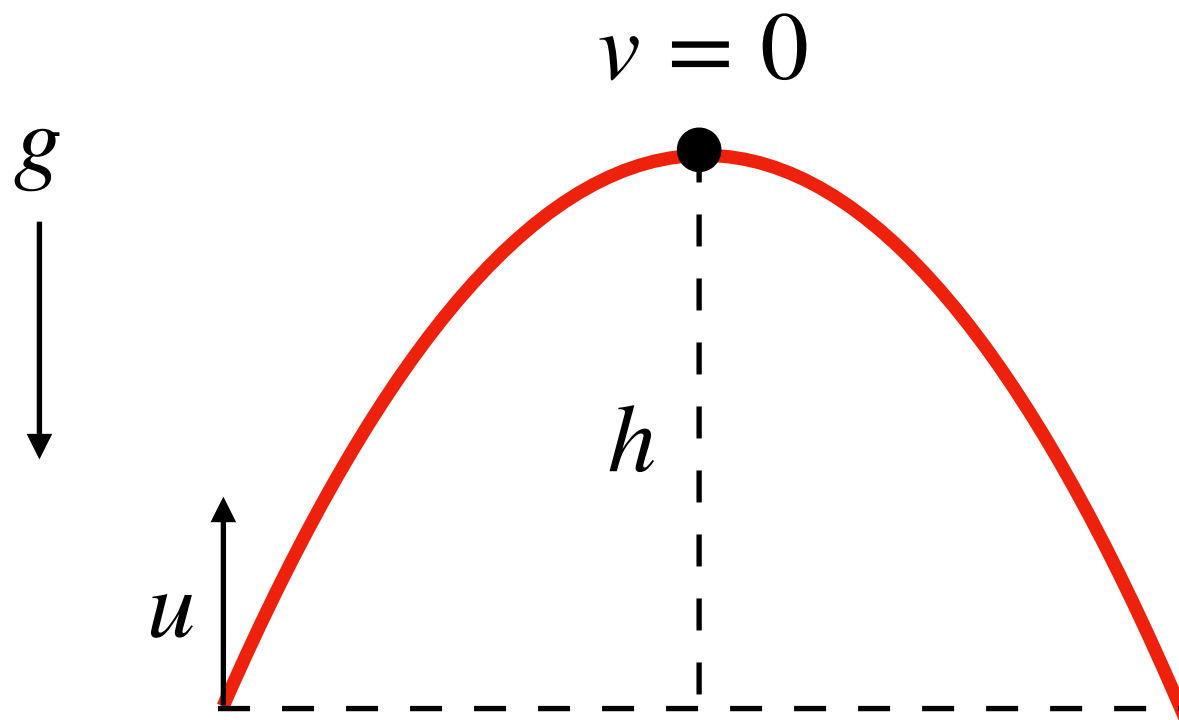


# State machine



# State machine





$$v = u + at$$

$$s = ut + \frac{1}{2}at^2$$

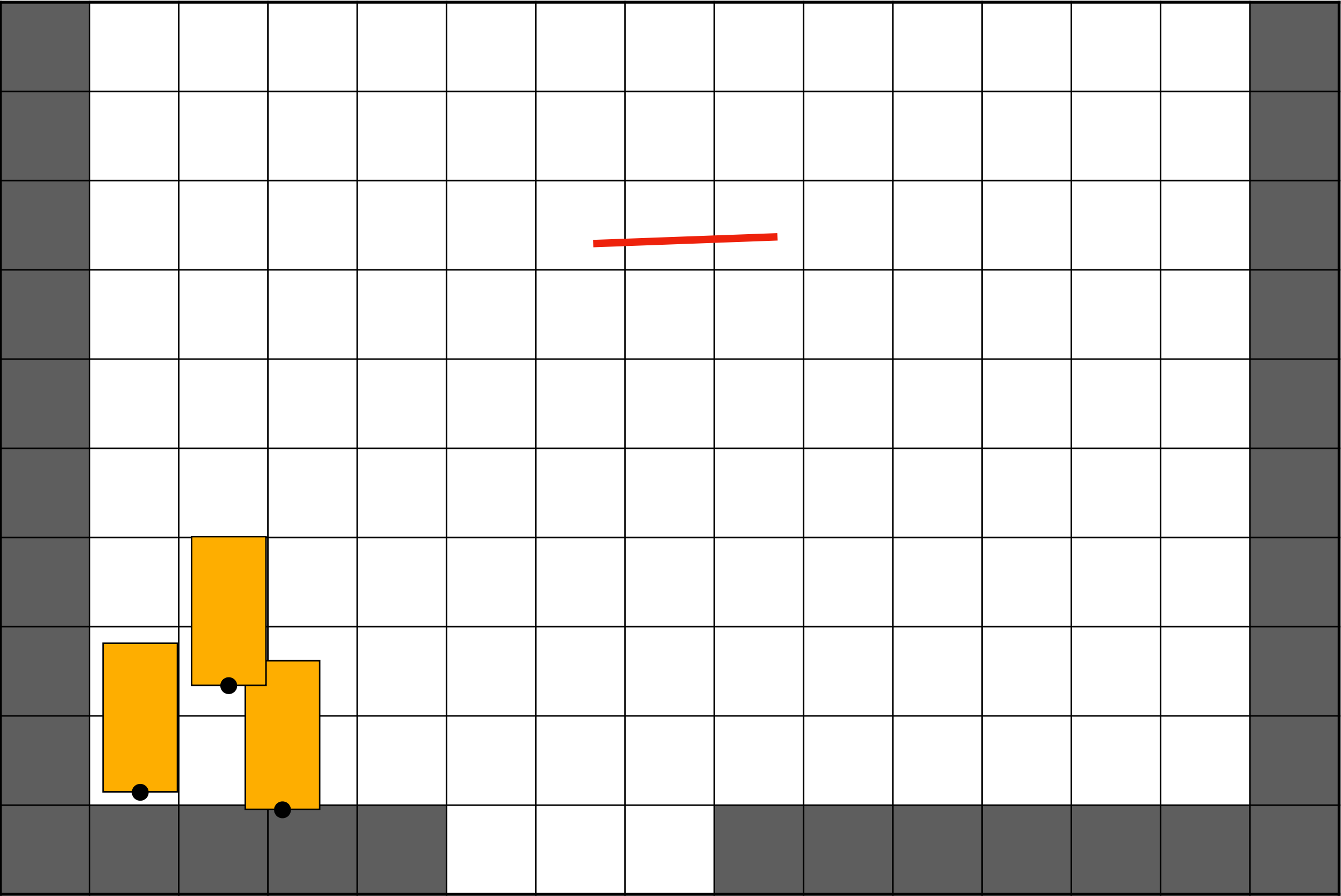
$$v^2 = u^2 + 2as$$

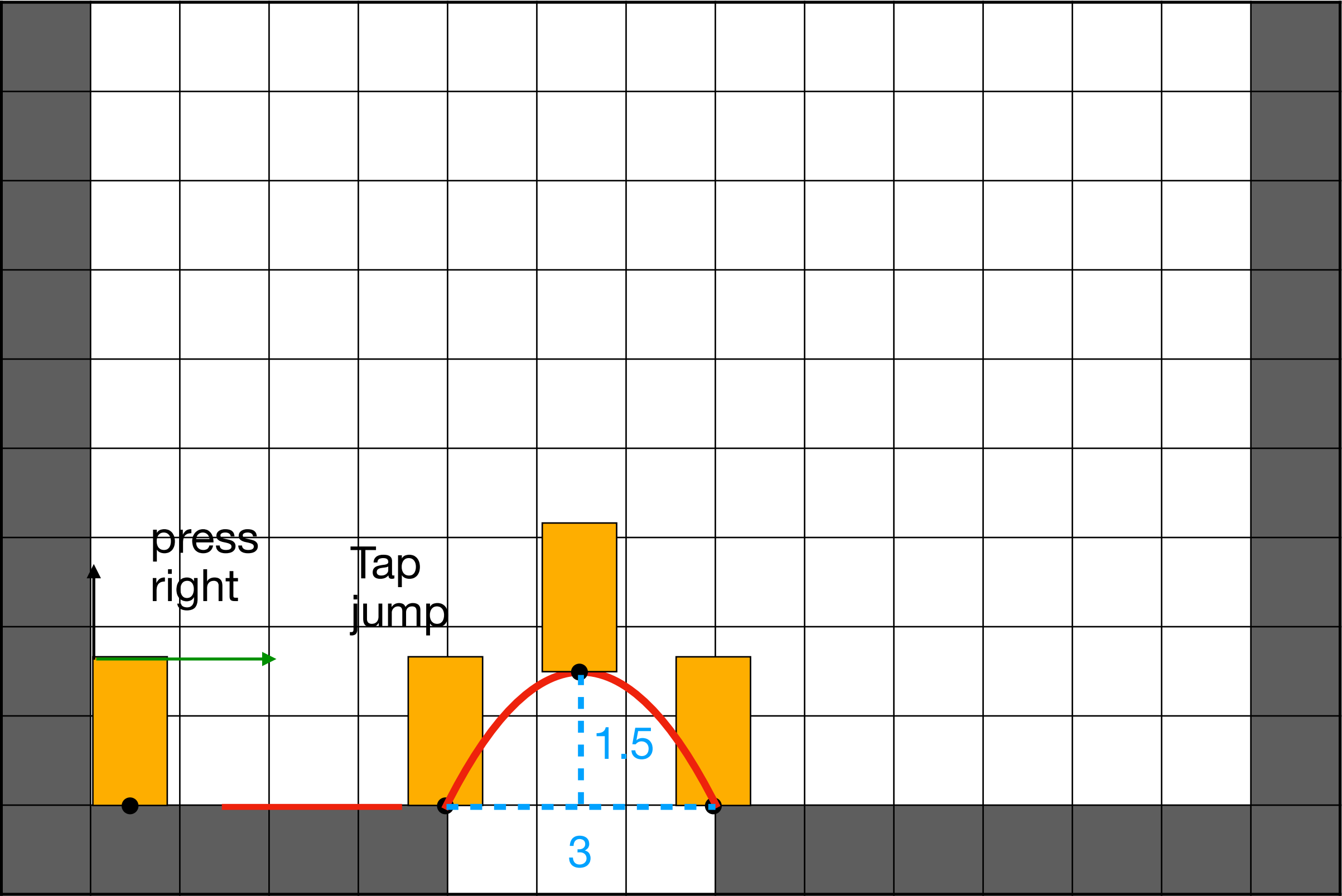
$$v^2 = u^2 + 2gh$$

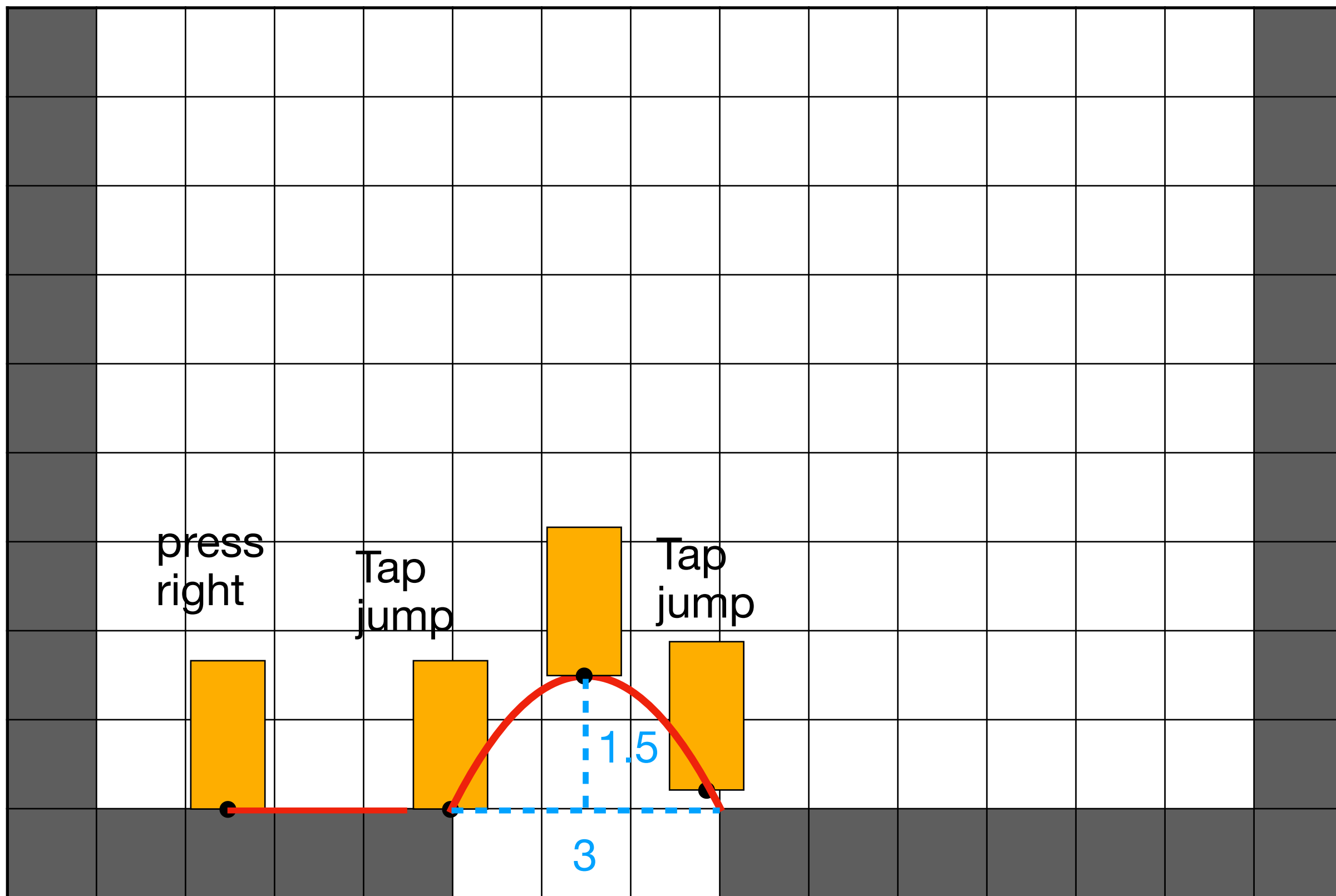
$$0 = u^2 + 2gh$$

$$u^2 = -2gh$$

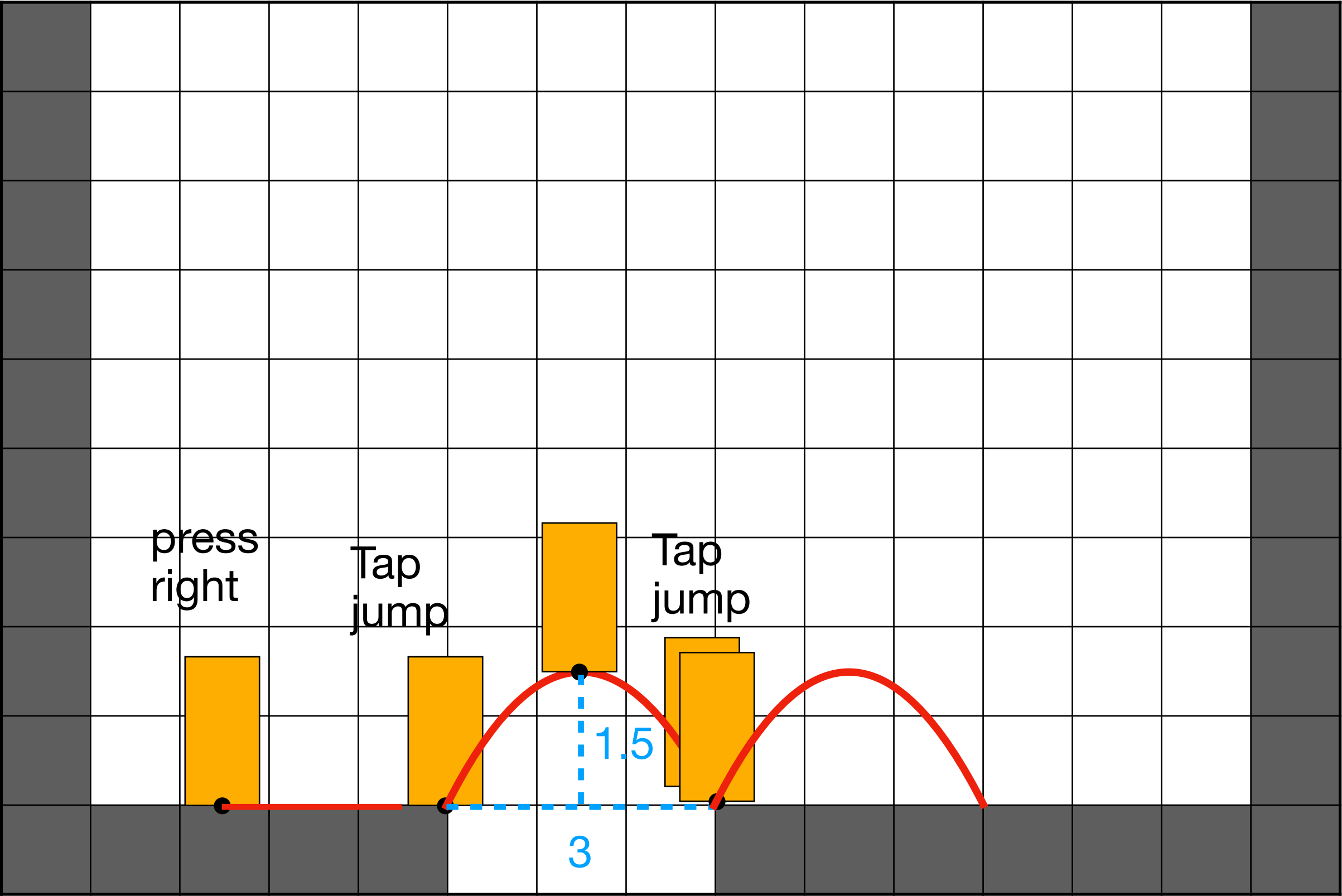
$$u = \sqrt{-2gh}$$

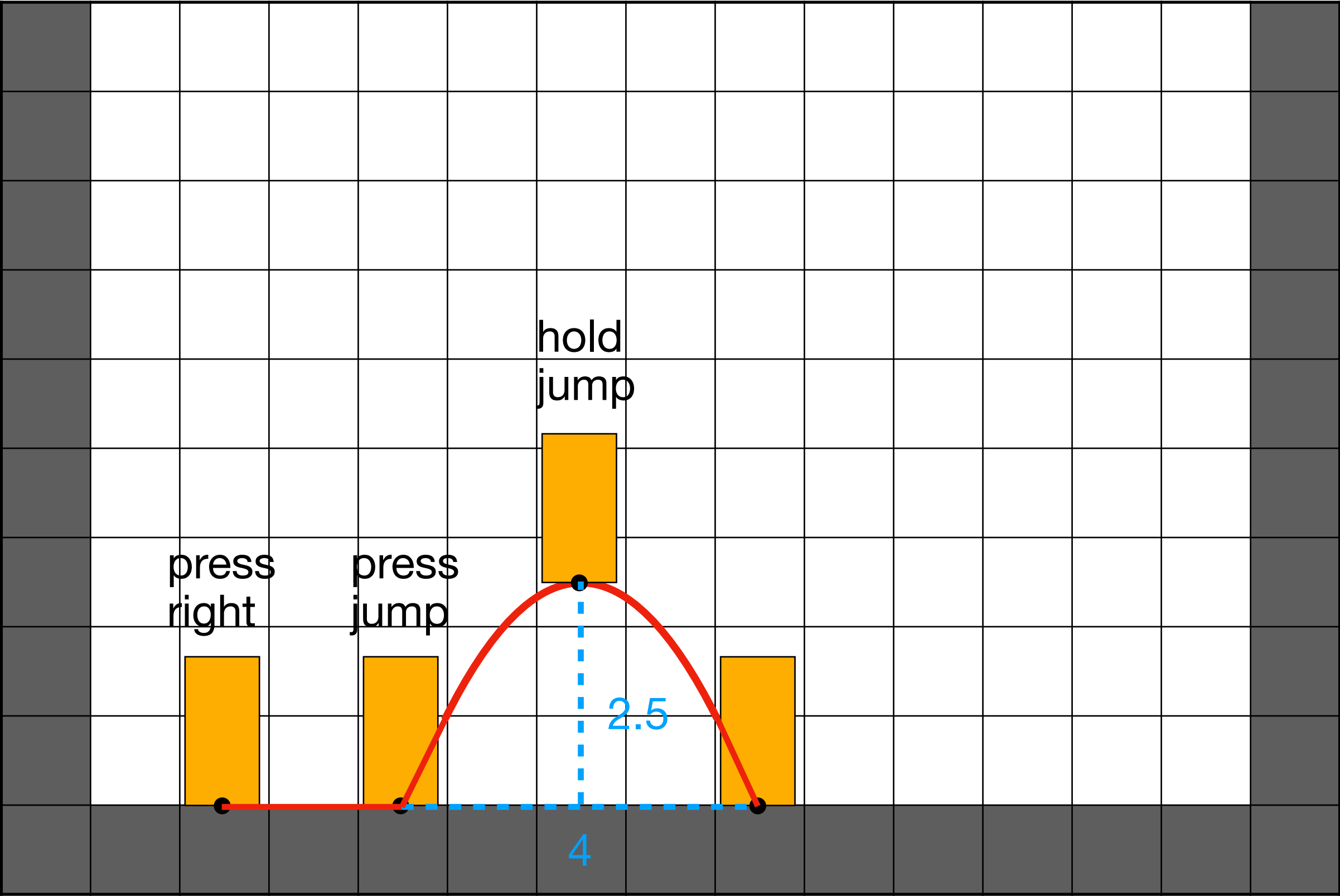












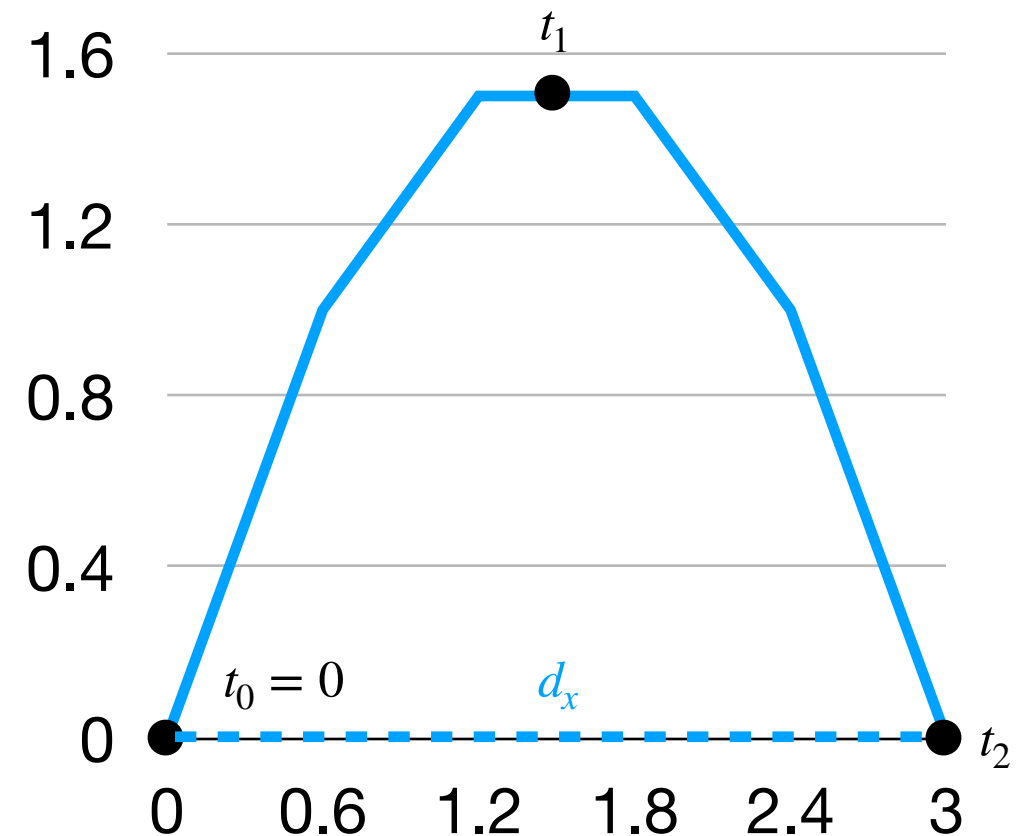
# Some math

## Short jump

$v_x$  = horizontal speed.

$d_x$  = horizontal jump distance

$t_2 = d_x / v_x$  = jump time



# Some math

## Short jump

$t_1$

$u_y$  = initial vertical jump speed

$g$  = acceleration due to gravity

$v_y(t) = u_y + gt$  = vertical speed at time  $t$

$d_y(t)$  = the height at time  $t$

$$d_y(t) = u_y t + gt^2/2$$

# Some math

## Short jump

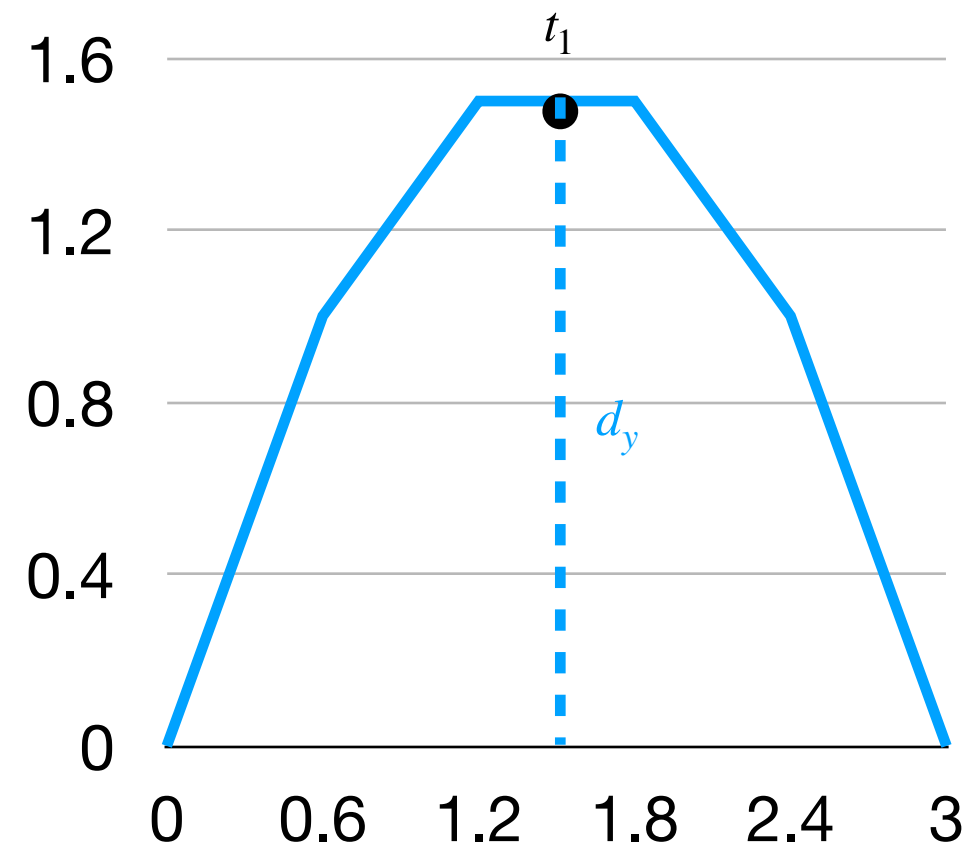
At the highest point of the jump:

$$t_1 = t_2/2$$

$$v_y(t_1) = 0$$

$$d_y(t_1) = h$$

Solve to find  $u_y$  and  $g$



# Some math

## Short jump

$$v_y(t_1) = 0$$

$$u_y + gt_1 = 0$$

$$u_y = -gt_1$$

# Some math

## Short jump

$$d_y(t_1) = h$$

$$u_y t_1 + g t_1^2 / 2 = h$$

$$(-g t_1) t_1 + g (t_1)^2 / 2 = h$$

$$-g (t_1)^2 / 2 = h$$

$$g = -2h / t_1^2$$

$$u_y = 2h / t_1$$

# Some math

## Short jump

Plugging in our desired values:

$$v_x = 5, d_x = 3, h = 1.5$$

$$t_2 = 3/5, t_1 = 3/10$$

$$u_y = 2(1.5)/(3/10) = 10$$

$$g = -2(1.5)/(3/10)^2 = -100/3$$





# Some math

## High jump

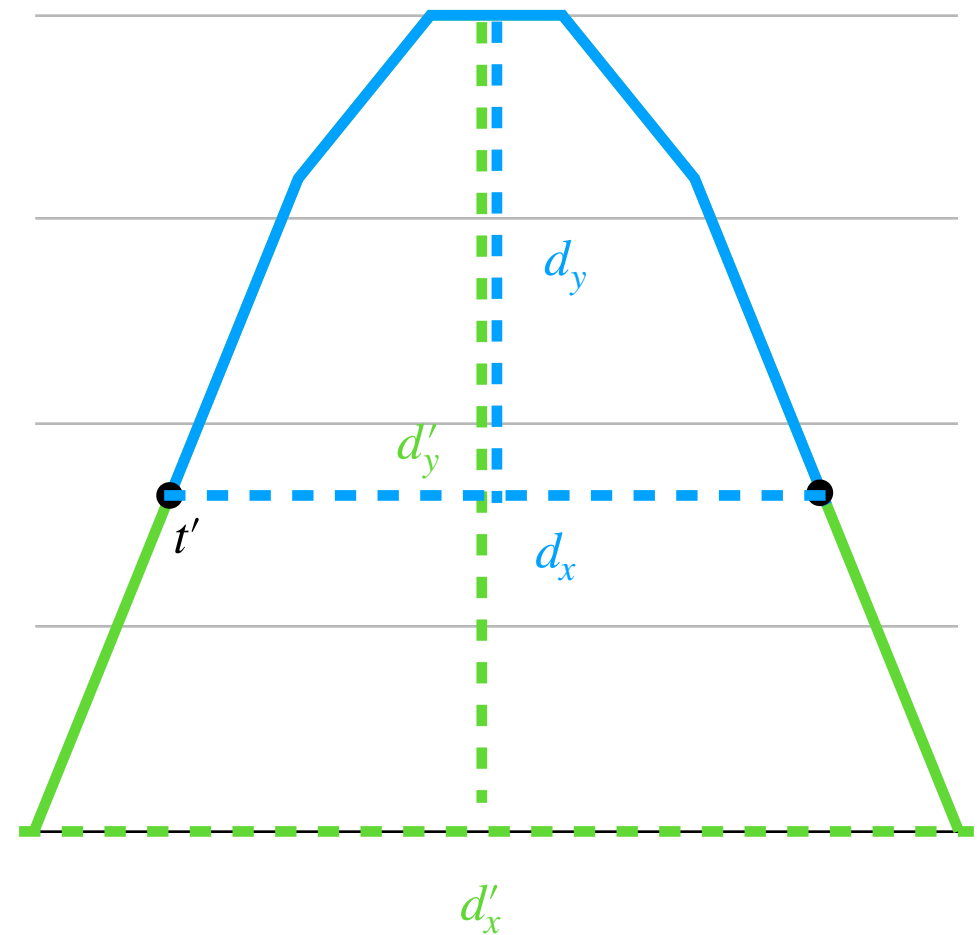
$$u_y t' = (d'_y - d_y)$$

$$t' = (d'_y - d_y) / u_y$$

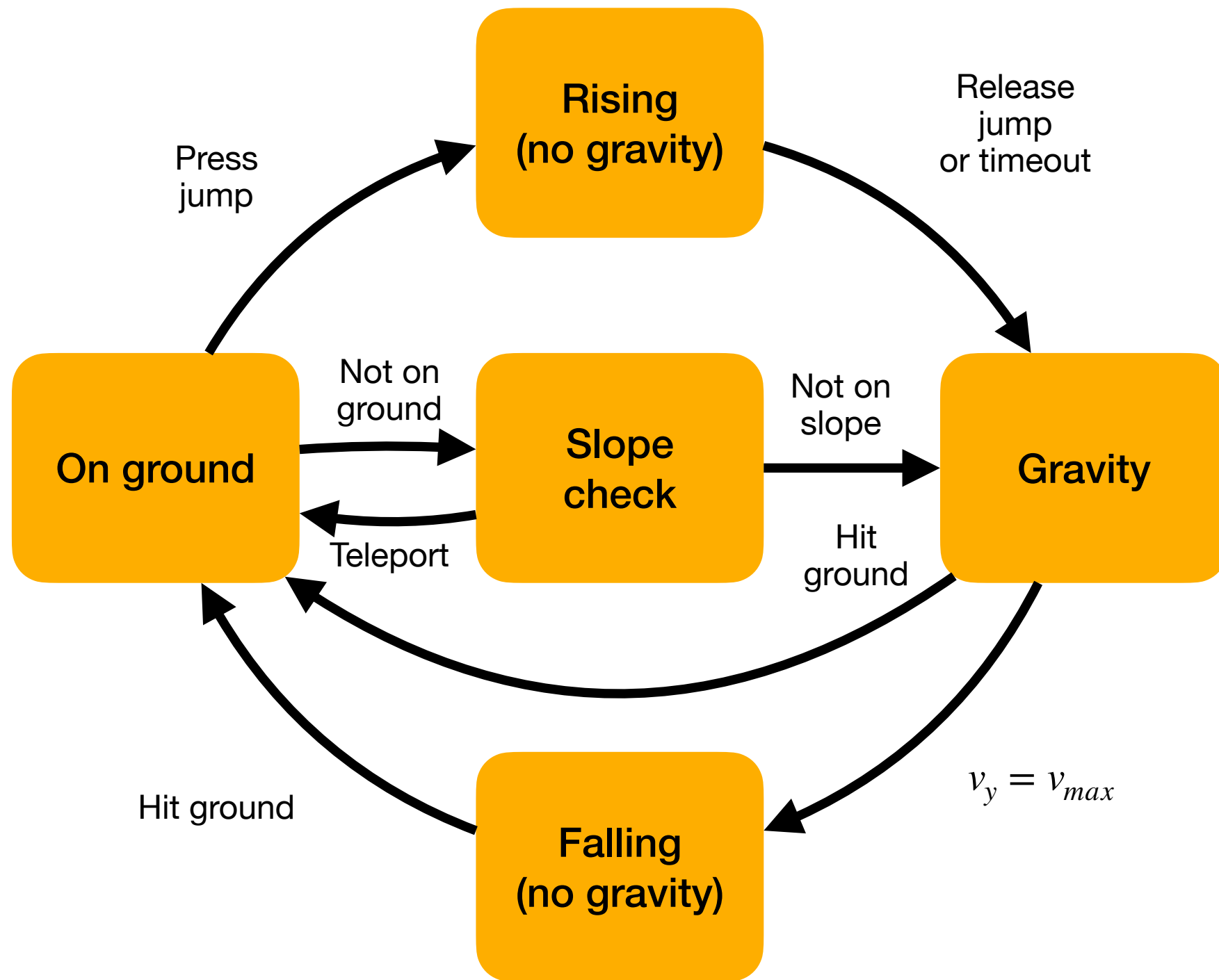
$$t' = 1/10$$

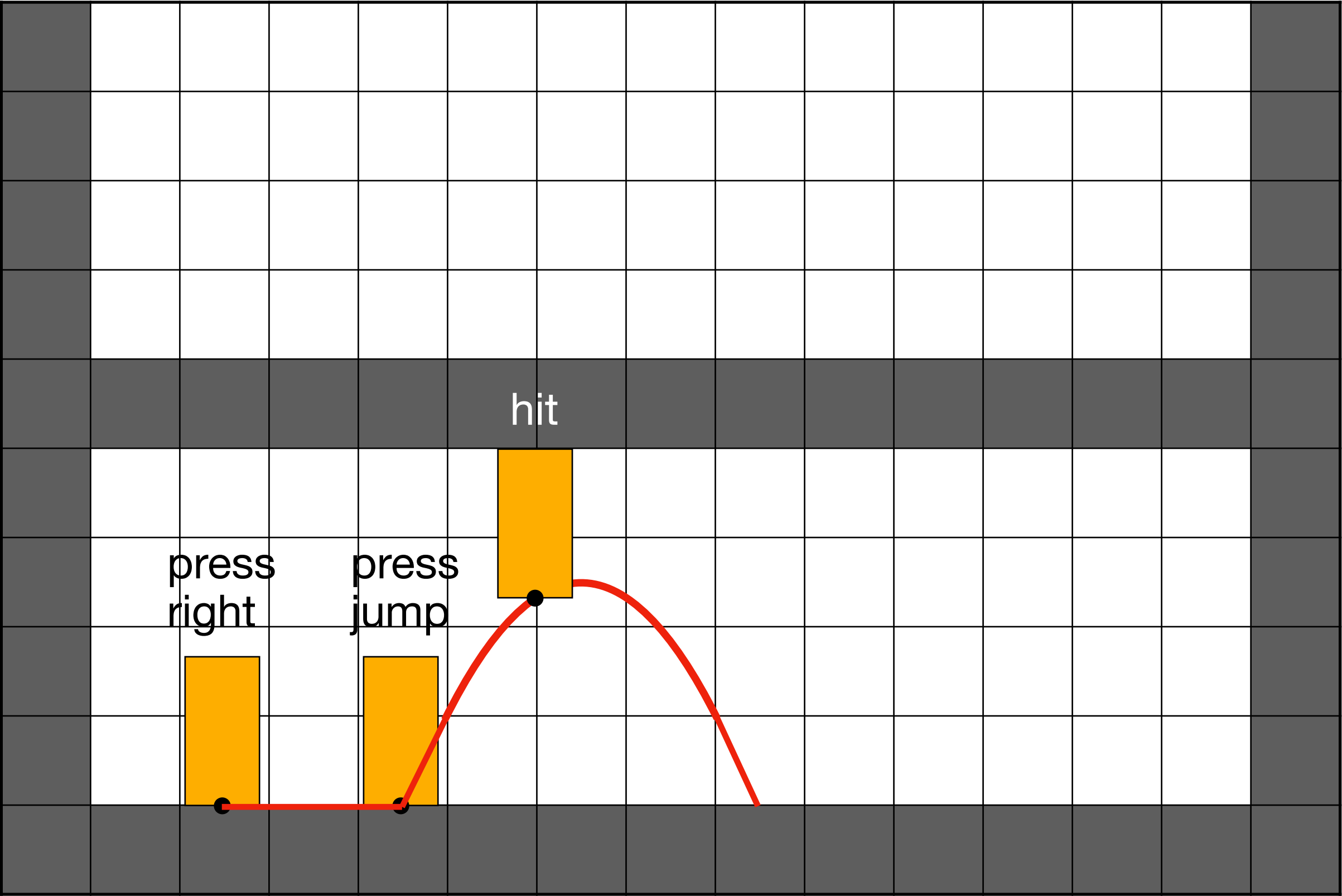
$$d'_x = d_x + 2v_x t'$$

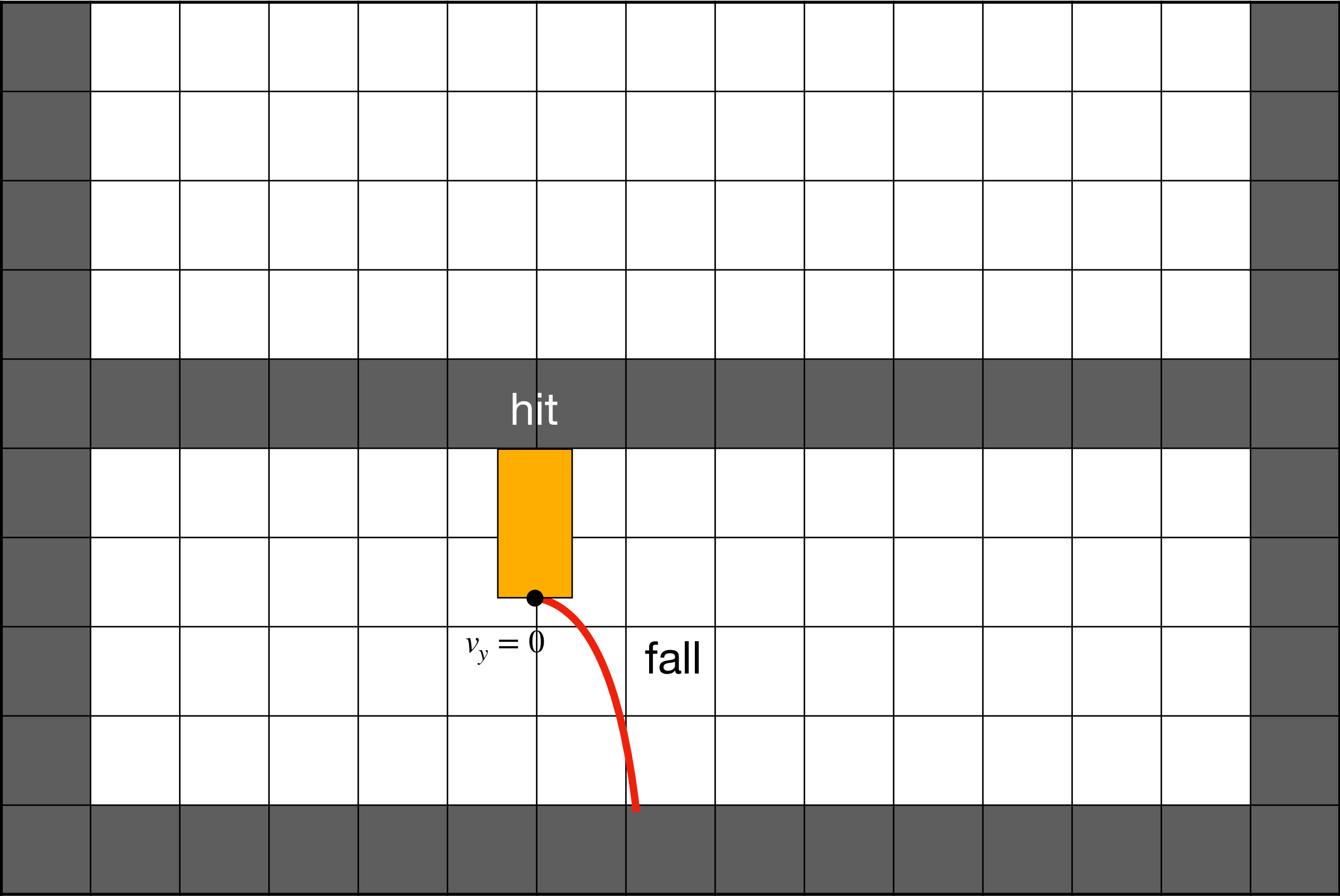
$$d'_x = 3 + 2(5)/10 = 4$$



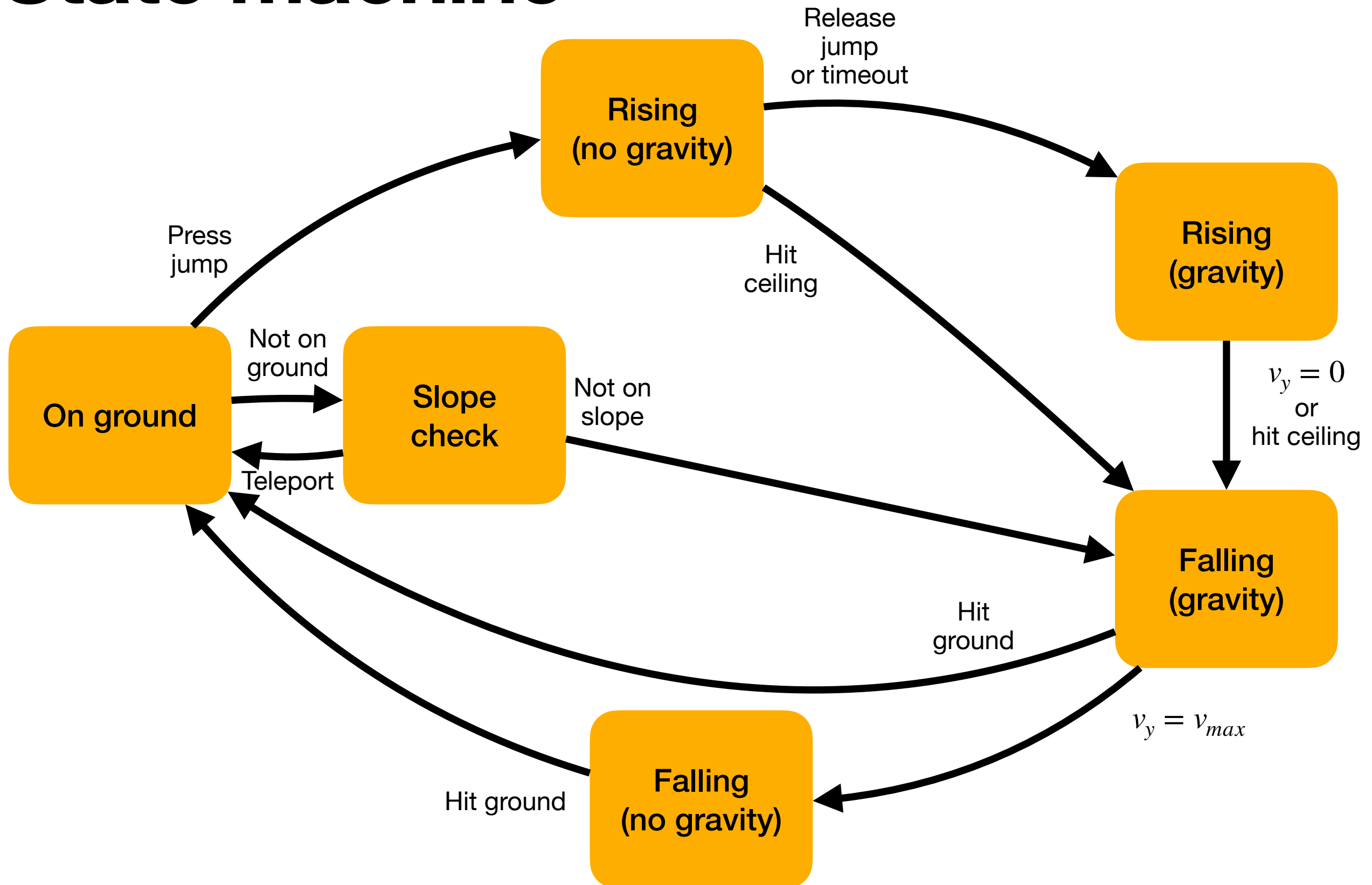
# State machine

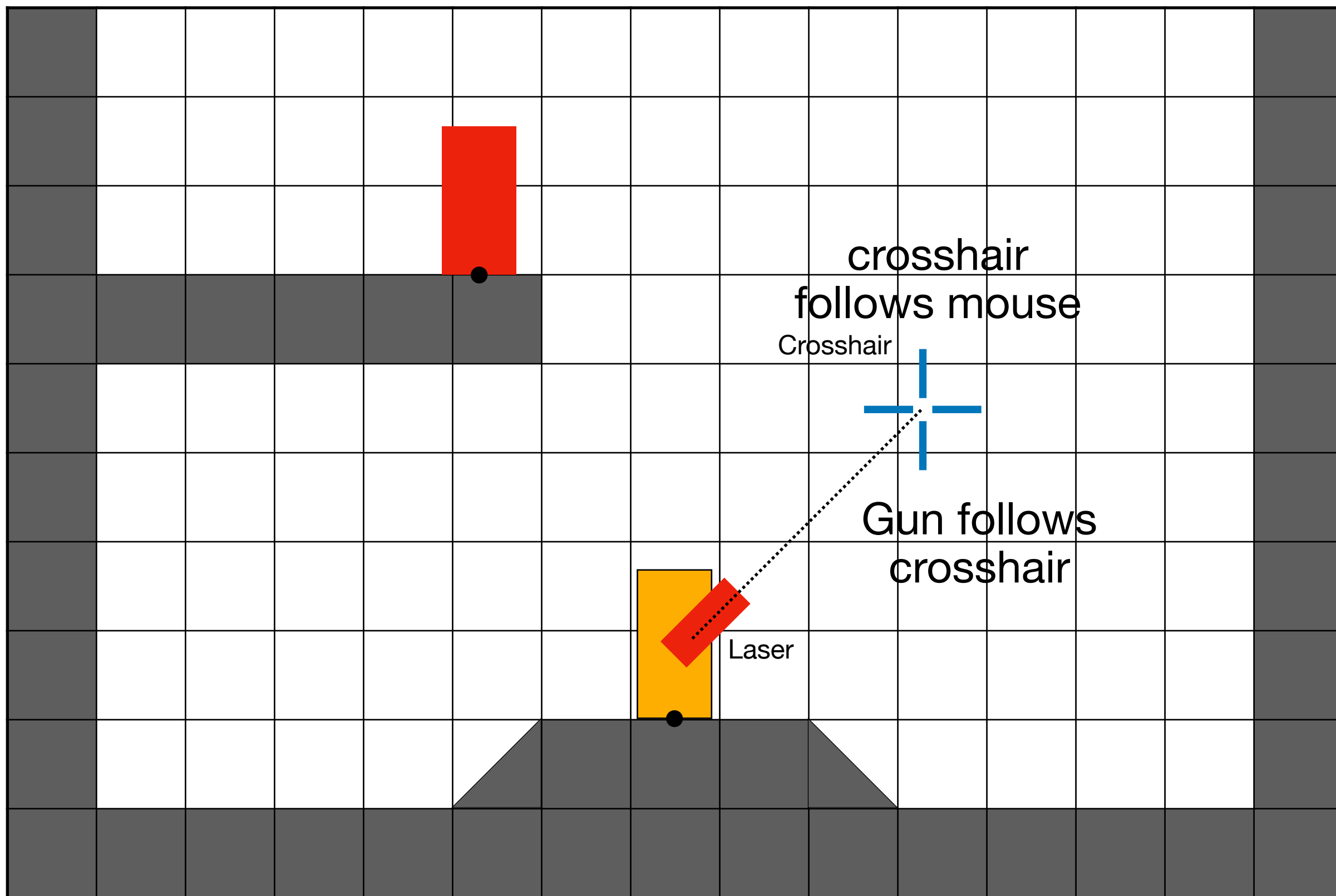


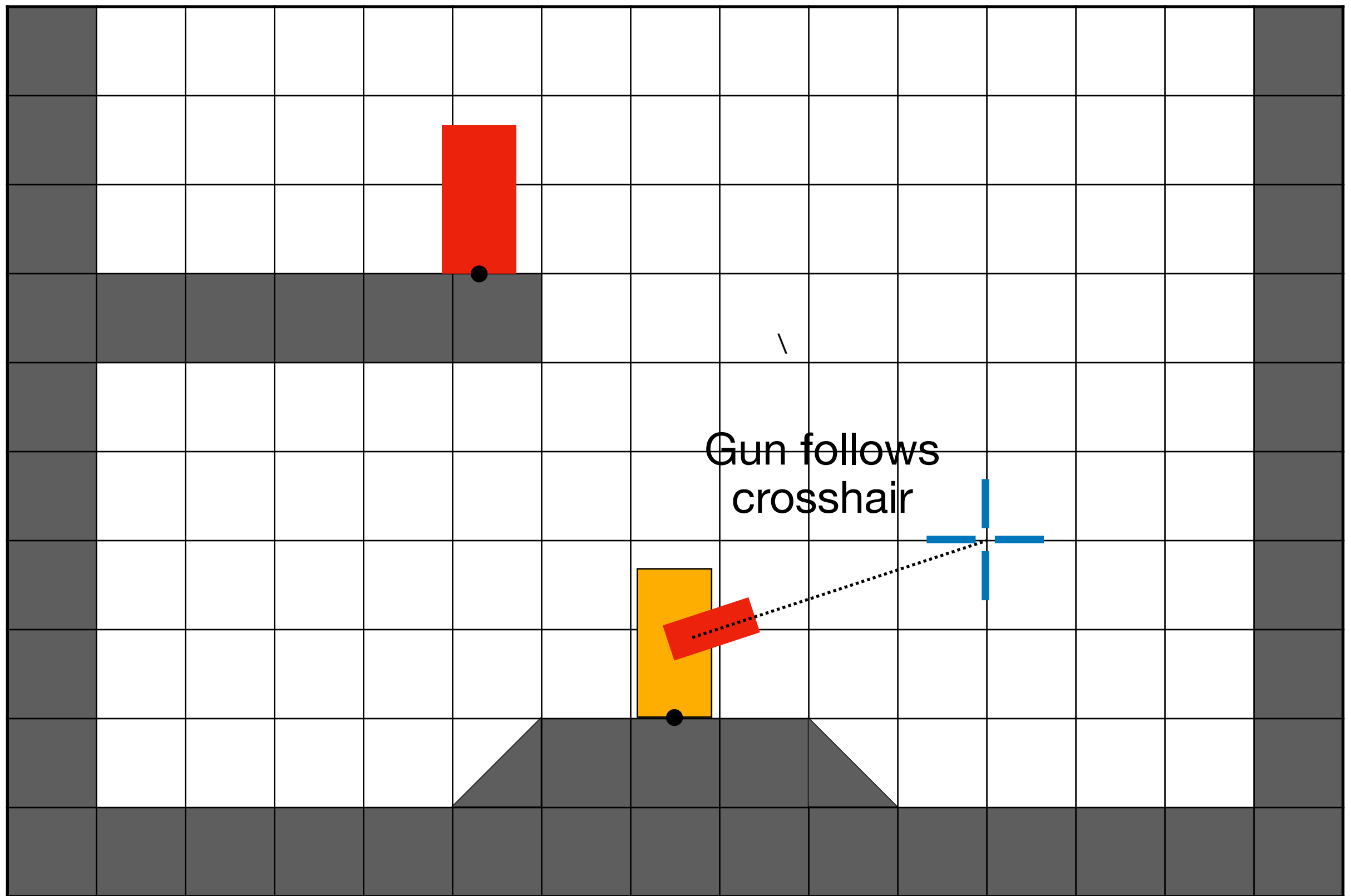




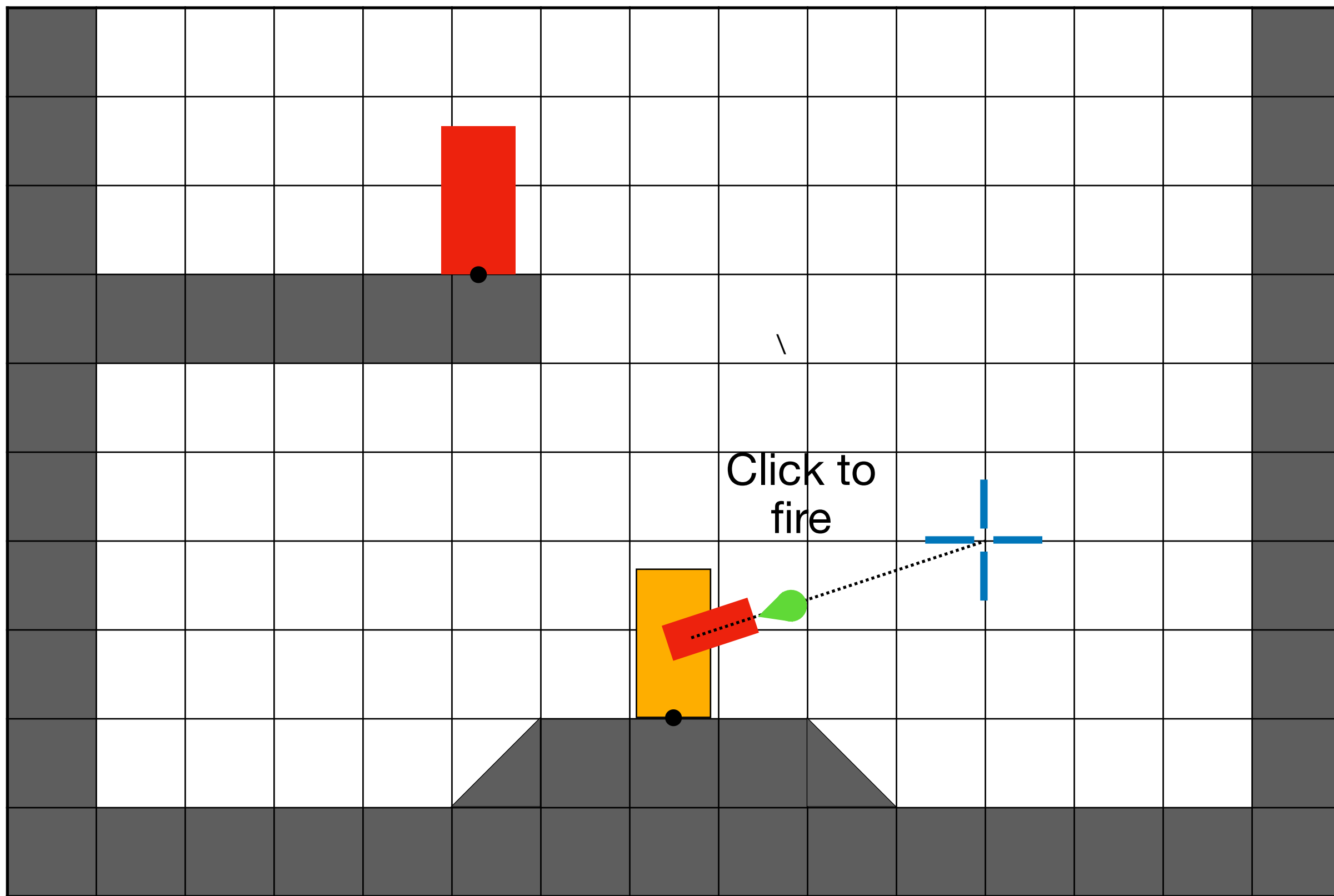
# State machine

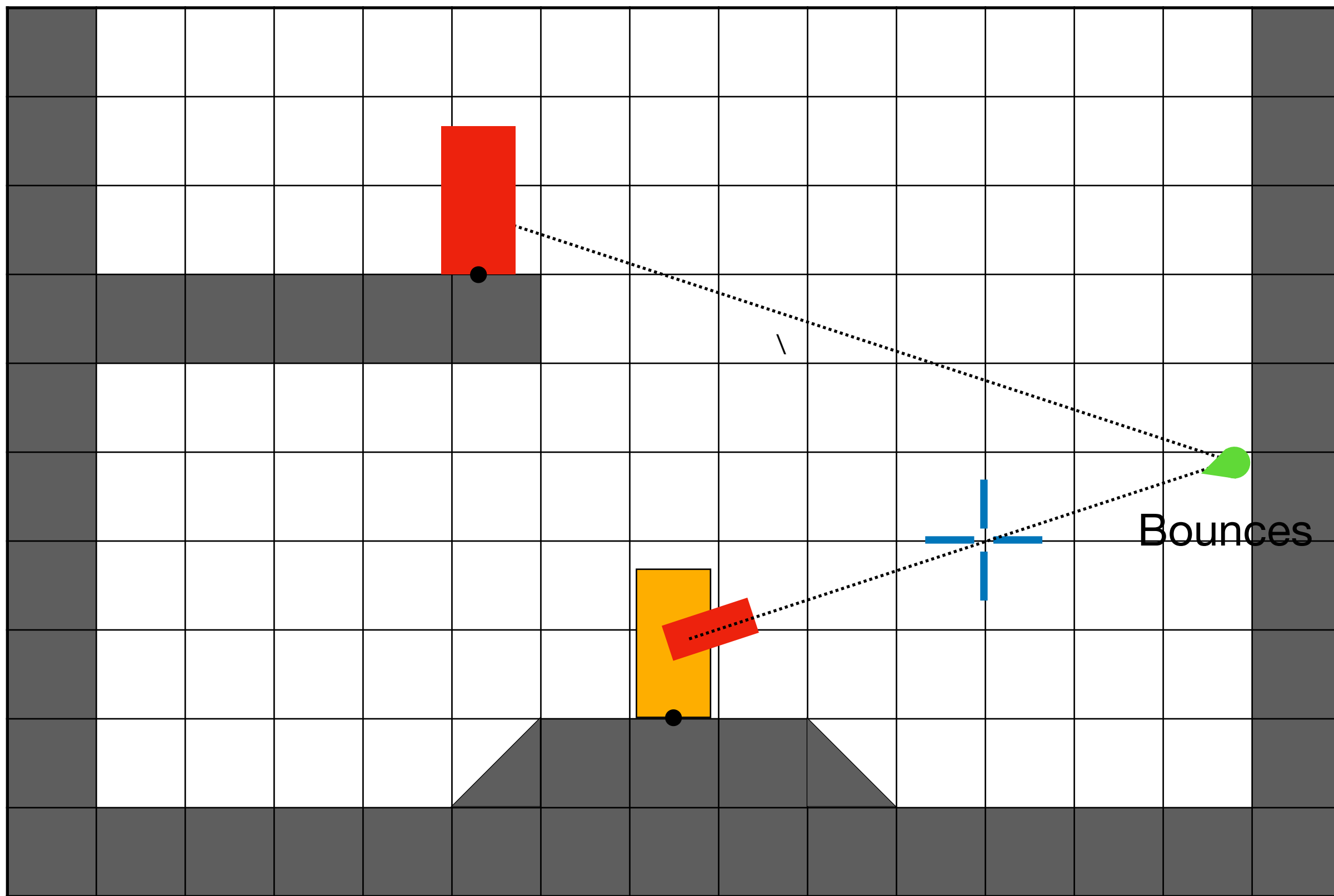


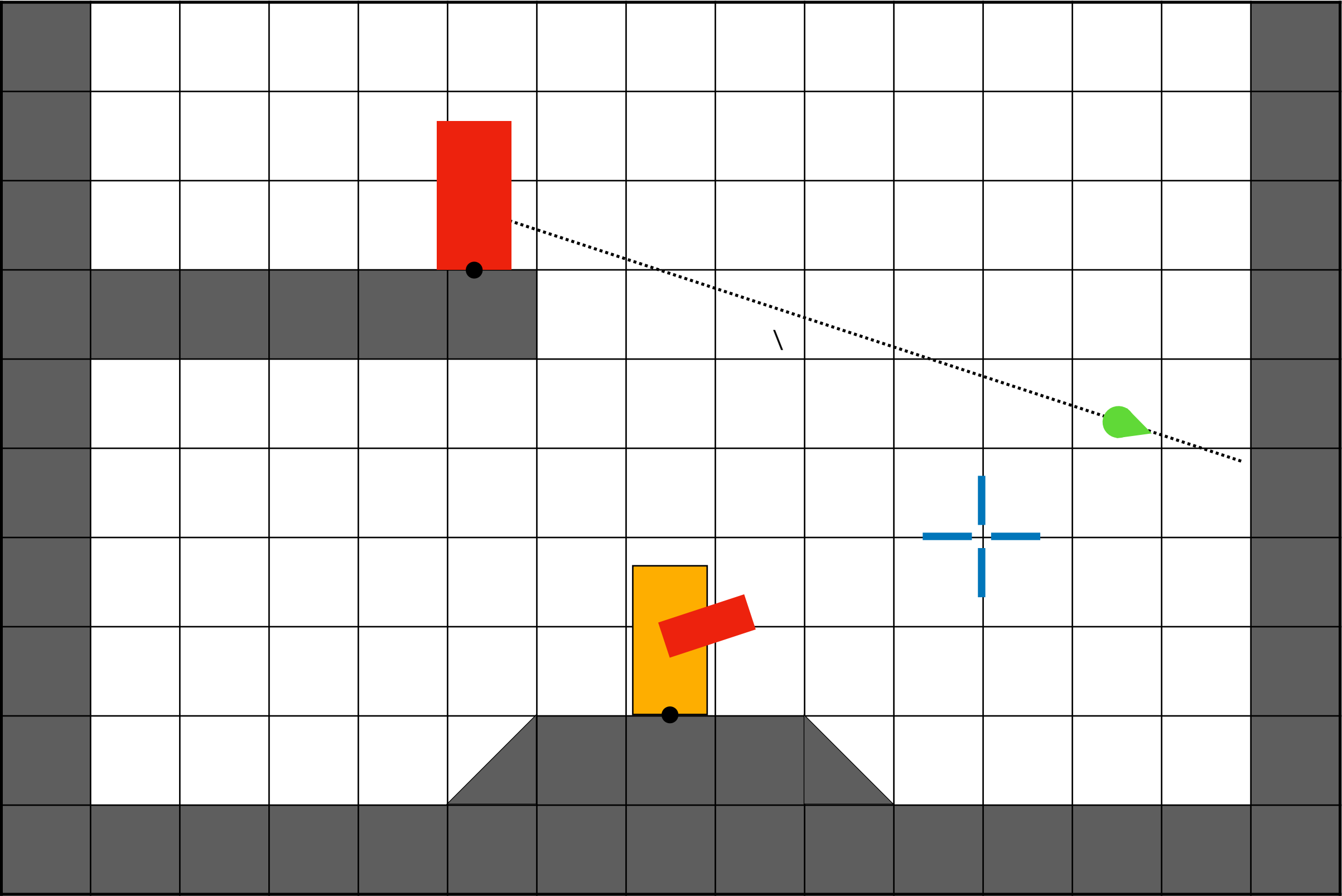


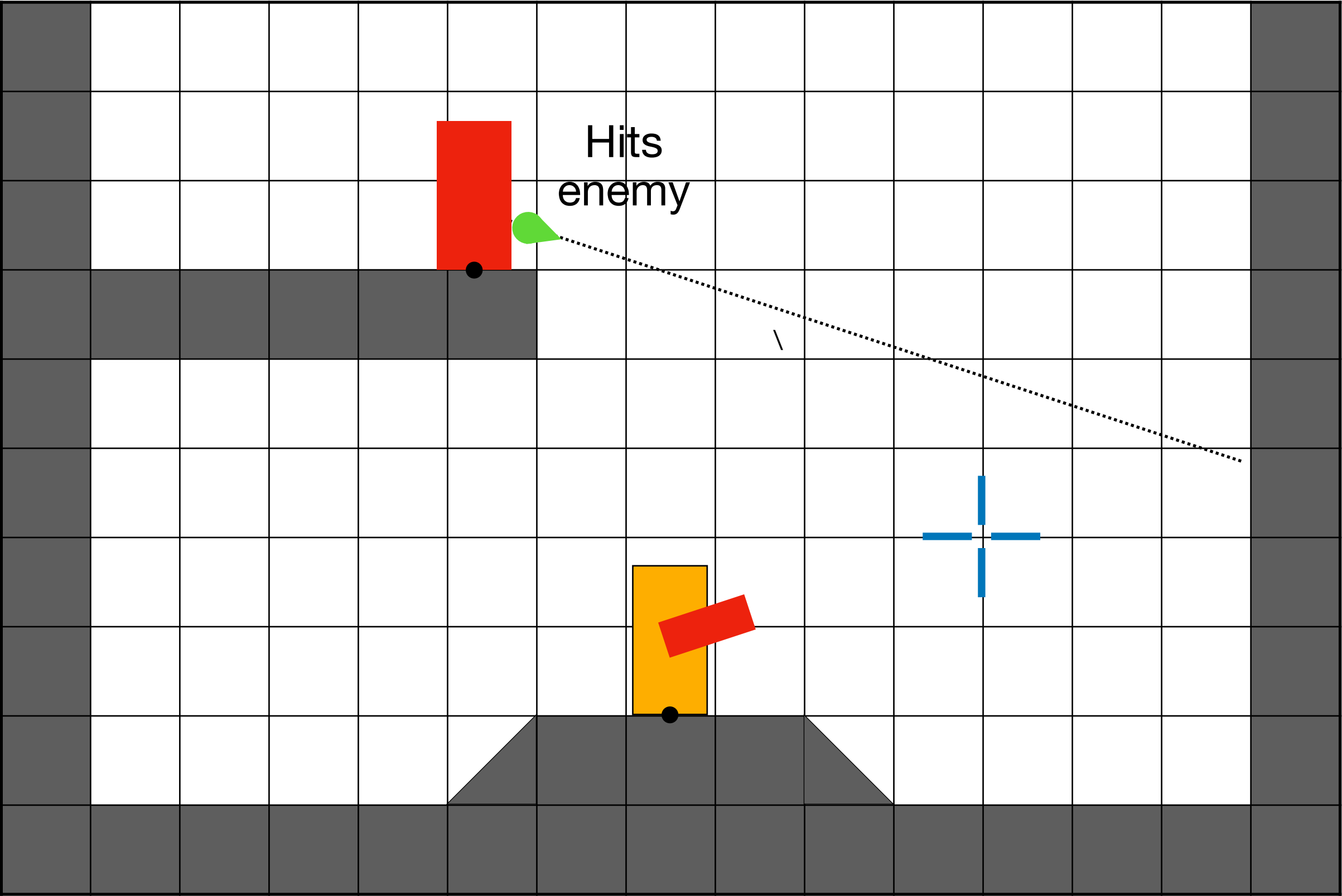


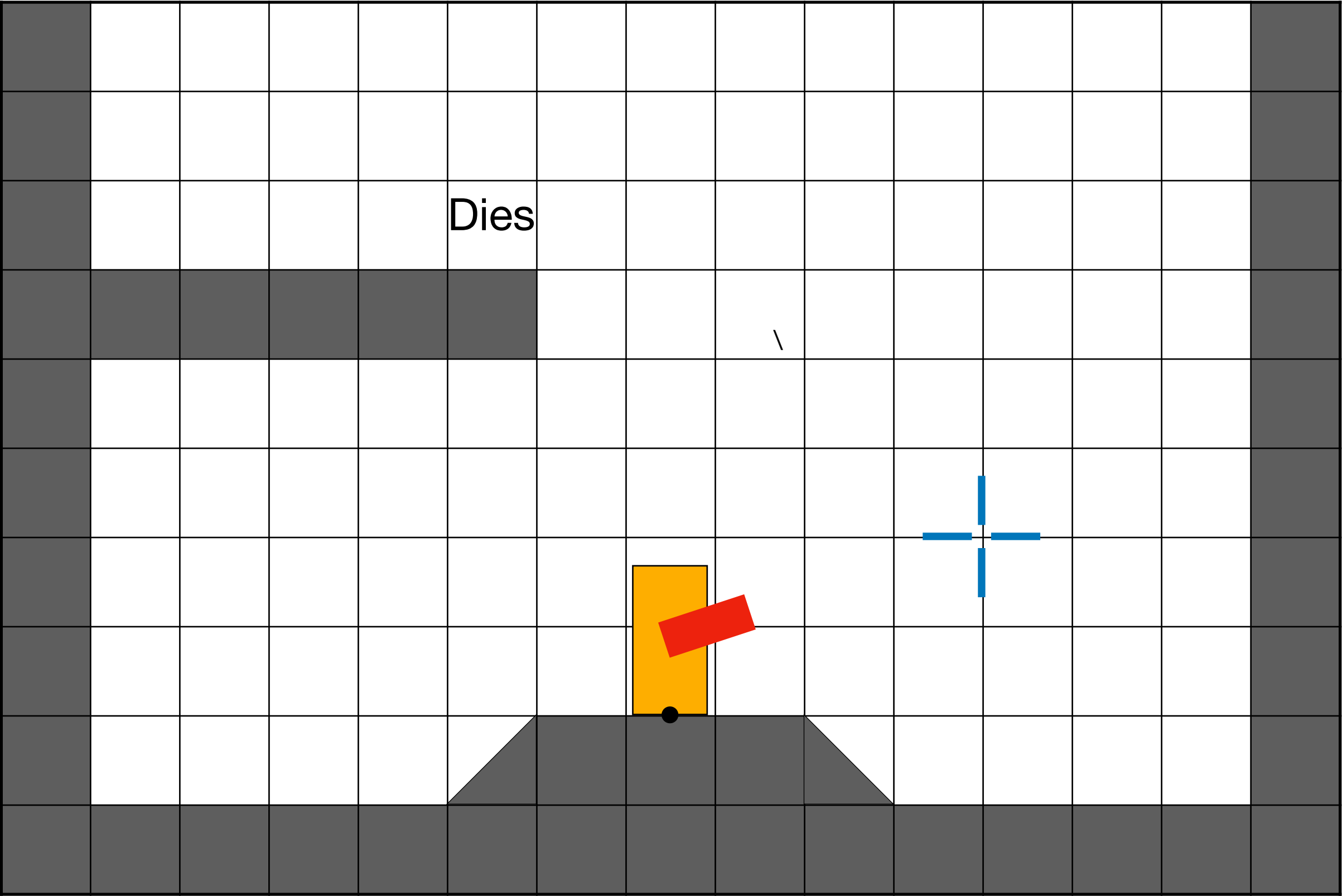




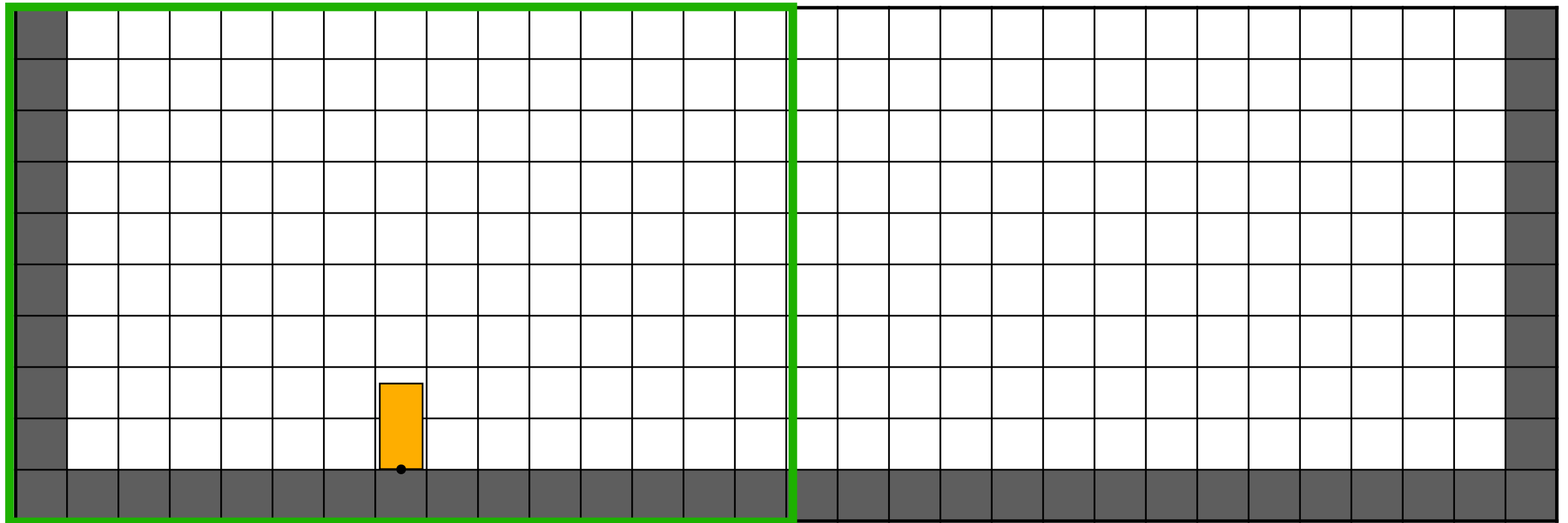




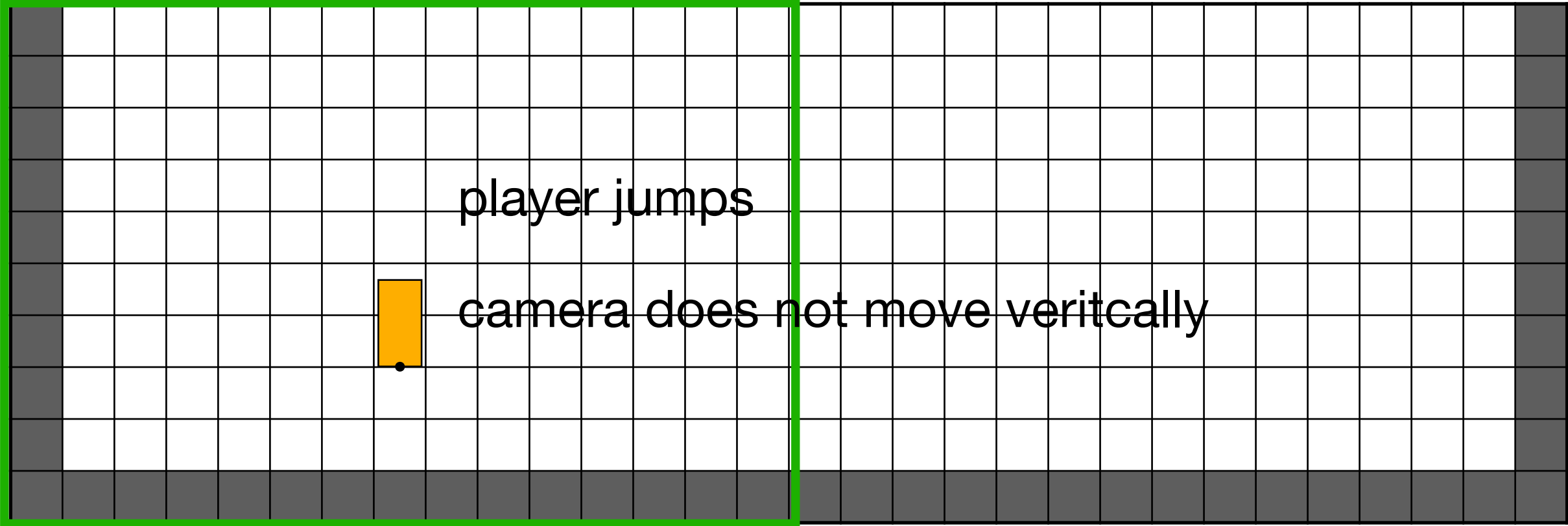




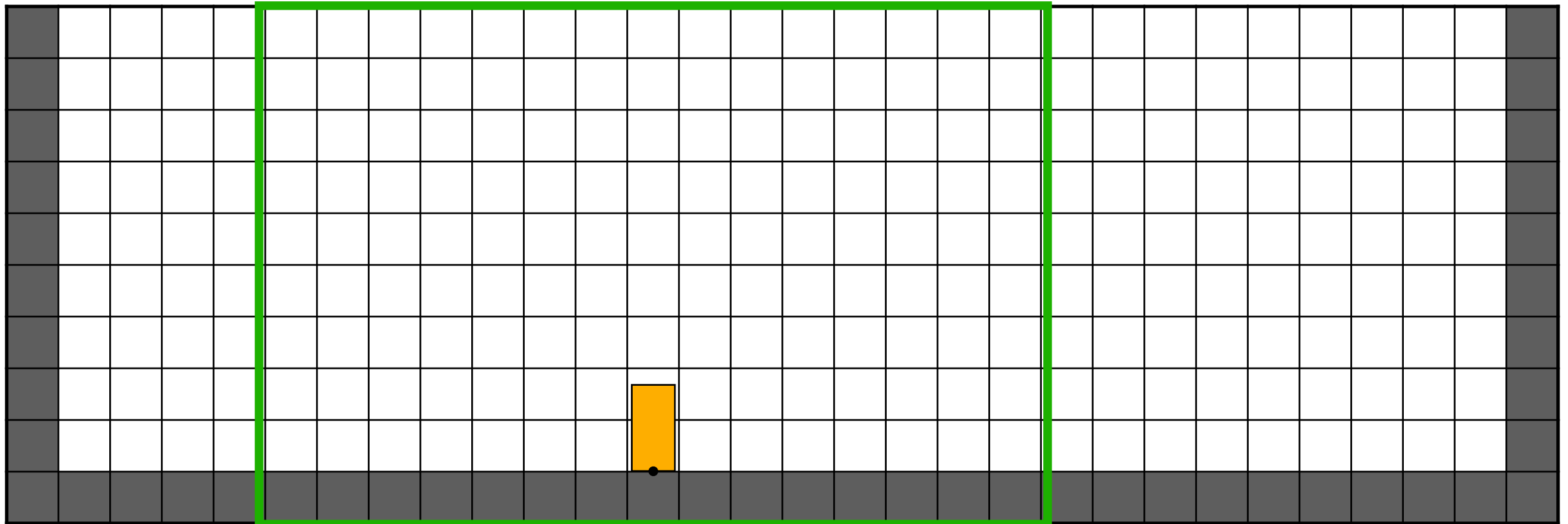
Camera



# Camera



Camera

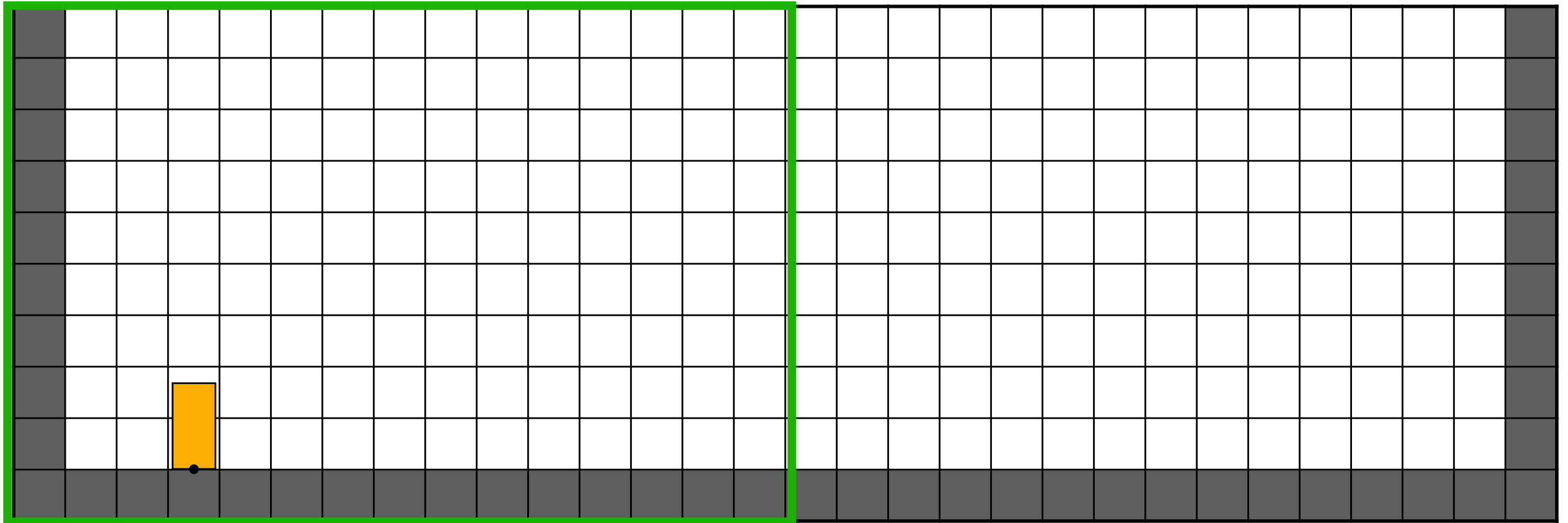


Camera moves to keep player at centre

horizontally

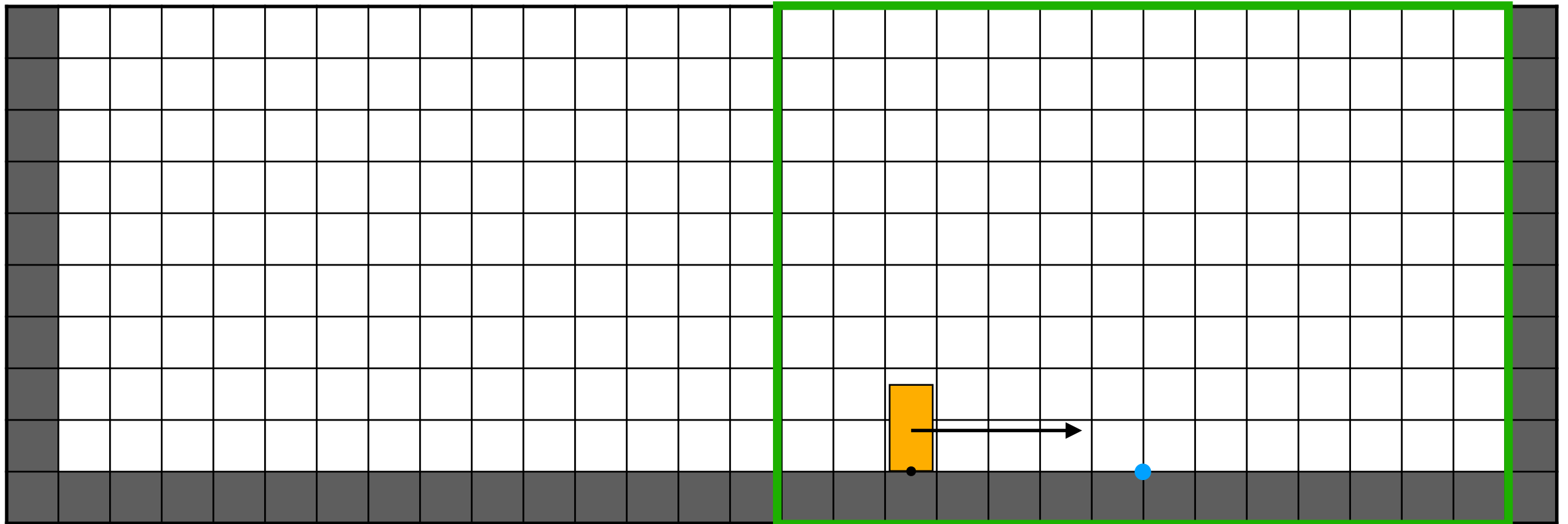


Camera



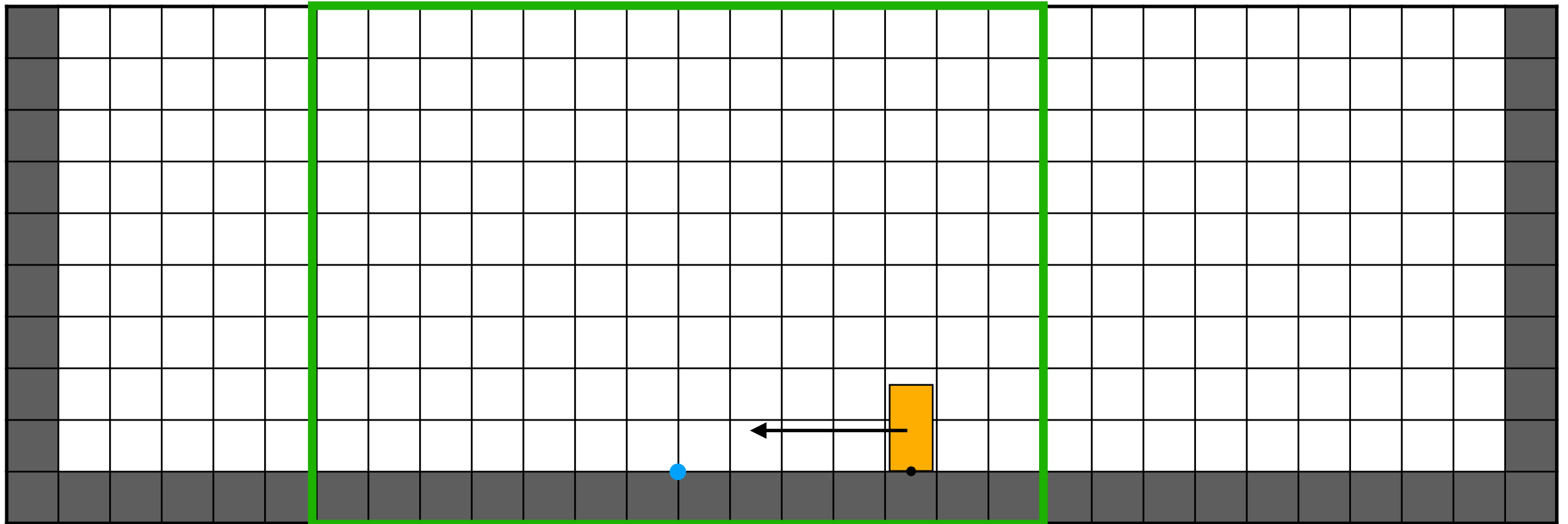
Camera stops at edge of level

Camera



Camera moves in front of player

Camera



Camera moves in front of player

