## COMP3721 Tutorial 6

## 1 Pumping Theorem for CFL

- 1. For each of the following languages L, state whether L is contextfree or not and justify your answer. If context free show a PDA or CFG, if not apply Pumping Lemma for CFL.
  - (a)  $\{a^i b^j c^k : i + j = k, i, j, k \ge 0\}$
  - (b)  $\{a^ib^ic^{2i}: i \ge 0\}$
  - (c)  $\{a^i b^j c^i d^j : i, j \ge 0\}$
  - (d)  $\{a^i b^j c^j d^i : i, j \ge 0\}$

## 2 Closure Property for CFL

- 1. Use closure property of CFG to show that the following languages are context-free.
  - (a)  $\{a^ib^j: i \neq j\}$
  - (b)  $\{xx^Ryy^Rzz^R: x, y, z \in \{a, b\}^*\}$
  - (c) L-R, where L is context-free and R is regular.