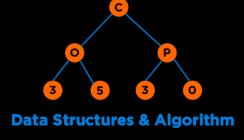
# Sets, Maps and Hash Tables



# **Categories of Data Structures**

**Linear Ordered** 

**Non-linear Ordered** 

**Not Ordered** 

Lists

**Trees** 

Sets

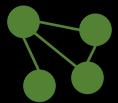
**Stacks** 

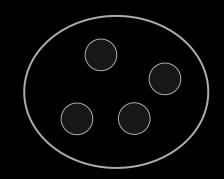
**Graphs** 

Tables/Maps

Queues







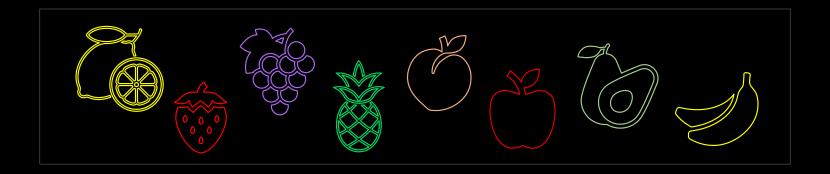


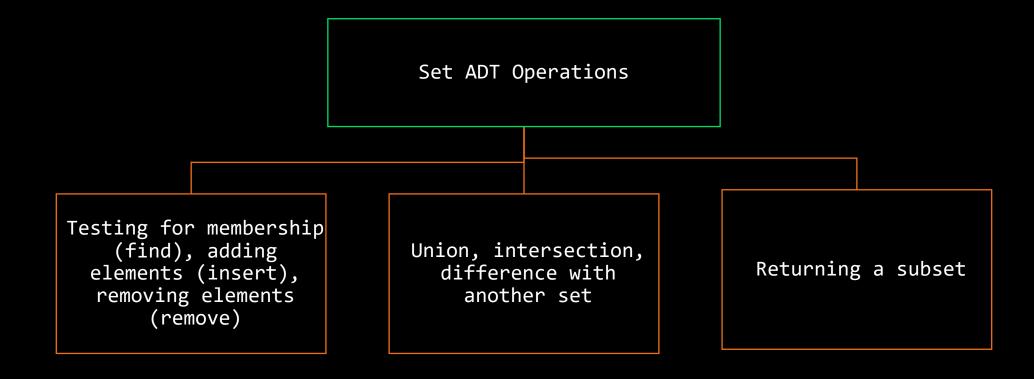


A set is a collection that contains no duplicate elements

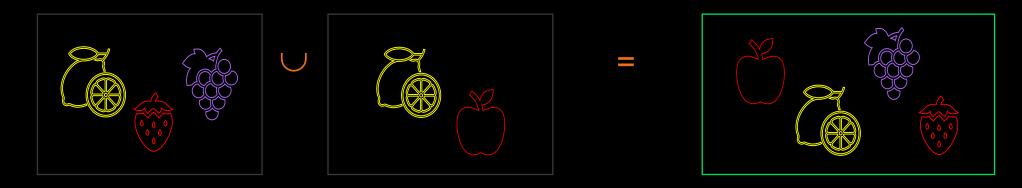
#### Set objects

- are not indexed
- do not reveal the order of insertion of items
- do enable efficient search and retrieval of information
- do allow removal of elements without moving other elements around

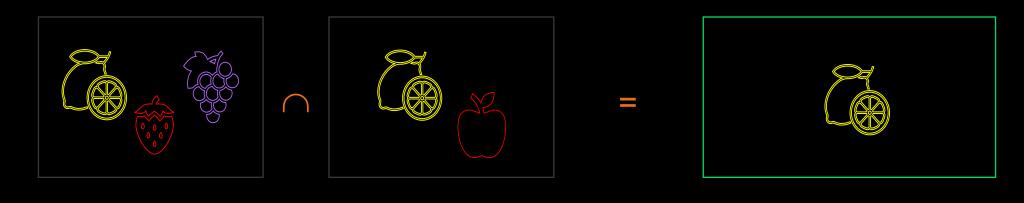




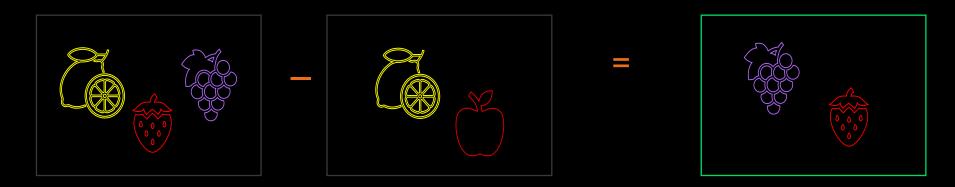
Union of two sets, A  $\cup$  B is a set whose elements belong either to A or B or to both A and B.



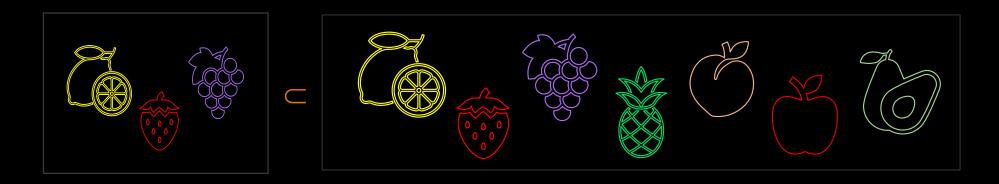
Intersection of sets  $A \cap B$  is the set whose elements belong to both A and B.



Difference of sets A - B is the set whose elements belong to A but not to B.



Set A is a subset of set B, A  $\subset$  B if every element of set A is also an element of set B.



# **Lists vs Sets**

	Lists	Sets
Order and Access through Element Index	Yes	No
Duplicates	Yes	No
Implementations	Array Based, Linked Lists	Array Based, Tree Based

## Sets in C++

	std::set	std::unordered_set
Order in Elements	Yes	No
Initialization	std::set <type> s;</type>	std::unordered_set <type> s;</type>
Common Methods	insert, erase, find, count, size, empty	<pre>insert, erase, find, count, size,   empty, bucket_size, load_factor</pre>
Implementations	Binary Search Tree (TreeSet)	Hash Table (Hash Set)
Time Complexity of Common Operations	O(log n) for a Self- Balancing BST, e.g. Red Black Tree	0(1) + 0(k) for hash



## **Sets in C++ Example**

```
// Ordered tree-based set
    set <int> s1;
03
    // insert elements in random order
05
   s1.insert(5);
06 | s1.insert(2);
    s1.insert(4);
   s1.insert(11);
    s1.insert(2); // only one 2 will be added to the set
10
    // printing set
12 set <int> :: iterator itr1;
13 cout << "The set s1 is : ";
    for (itr1 = s1.begin(); itr1 != s1.end(); ++itr1)
15
               cout << " " << *itr1;</pre>
```

```
The set s1 is : 2 4 5 11
```

```
//Unordered Set - Hash-based
    unordered set <int> s2;
03
    // insert elements in random order
    s2.insert(5);
06 | s2.insert(2);
    s2.insert(4);
08 s2.insert(11);
    s2.insert(2); // only one 2 will be added to the set
10
    // printing set
11
    unordered set <int> :: iterator itr2;
13
    cout << "The set s2 is:";</pre>
    for (itr2 = s2.begin(); itr2 != s2.end(); ++itr2)
15
               cout << " " << *itr2;
    cout << endl;</pre>
    cout << "Bucket count: " << s2.bucket_count();</pre>
    cout << "\nLoad Factor: " << s2.load factor();</pre>
   cout << "\nMax Load Factor:" << s2.max load factor();</pre>
```

```
The set s2 is: 11 4 5 2
Bucket count: 7
Load Factor: 0.571429
Max Load Factor: 1
```



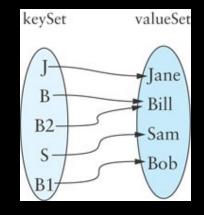
# Maps



## Maps

A map is a collection of key-value pairs that do not contain duplicate keys.

- Maps are sort of an abstraction over Sets
- The Keys in a map are a Set.
- Values can be non-unique [Many-to-One Relationship, Onto Mapping]
- If you store values along with keys in a Set data structure, you get a Map





# Maps

Type of item	Key	Value
University student	Student ID number	Student name, address, major, grade point average
Online store customer	E-mail address	Customer name, address, credit card information, shopping cart
Inventory item	Part ID	Description, quantity, manufacturer, cost, price

## Maps in C++

	std::map	std::unordered_map
Order in Elements	Yes	No
Initialization (Internally stored as pairs)	<pre>std::map<type, type=""> m;</type,></pre>	<pre>std::unordered_map <type,< td=""></type,<></pre>
Common Methods	insert, [], erase, find, count, size, empty	<pre>insert, [], erase, find,     count, size, empty, bucket_size, load_factor</pre>
Implementations	Binary Search Tree (TreeMap)	Hash Table (Hash Map)



## Maps in C++ Example

```
01
    //Unordered Map - Hash-based
02
    unordered map<char,int> table unordered;
03
    // insert elements in random order
04
05
    table unordered['b']=30;
06
    table_unordered['a']=10;
    table_unordered['c']=50;
07
    table unordered['a']=40;
98
09
10
    // printing set
11
    for(auto member: table_unordered)
12
          cout << member.first << " " << member.second <<"\n";</pre>
13
    cout << "Load Factor: " << table unordered.load factor();</pre>
14
```

```
a 40b 30c 50
```

```
c 50
b 30
a 40
Load Factor: 0.428571
```



# Questions



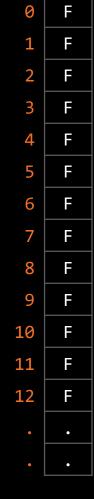
# Hash Tables



## **Problems with Tree Based Maps and Sets**

- If the datatypes are comparable such as integers or characters, tree-based maps and sets makes sense. What if the data itself is incomparable?
- Common operations such as insert() or search() are O(log n). Can we do better than this?

- Let's say we want to insert 11, 2 and 5 into a set
- Initially all values are false



- Let's say we want to insert 11, 2 and 5 into a set
- Initially all values are false
- When we insert an item, we set the value at index to true



```
class ArraySet
02
03
        private:
04
             bool set[100] = {0};
        public:
05
            void insert(int value);
06
07
             bool search(int value);
08
    };
09
    void ArraySet::insert(int value)
11
12
        set[value] = 1;
13
14
    bool ArraySet::search(int value)
16
17
        return set[value];
18
```

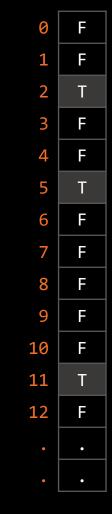
```
19 int main()
20 {
21    ArraySet testSet;
22    testSet.insert(5);
23    std::cout << std::boolalpha << testSet.search(15) <<"\n";
24    std::cout << std::boolalpha << testSet.search(5);
25    return 0;
26 }</pre>
```

10

11

12

- Let's say we want to insert 11, 2 and 5 into a set
- Initially all values are false
- When we insert an item, we set the value at index to true
- Common operations
  - Insert:
  - Find:



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  - Insert: O(1)
  - Find: O(1)



- Let's say we want to insert 11, 2 and 5 into a set
- Initially all values are false
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- Problems with this: wastes memory and other datatypes?
- What if we want to store: "cat" or "dog"?
  - Idea: Convert "cat" or "dog" into a number
  - Approach: Use the first letter 'c' = 3, 'd' = 4

11 12

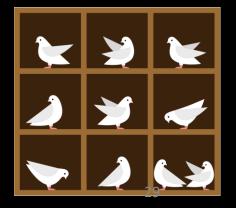
- Problems with this: wastes memory and other datatypes?
- What if we want to store: "cat" or "dog"?
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  - Approach: Use the first letter 'c' = 3, 'd' = 4
  - Problem: What happens with "cap"?



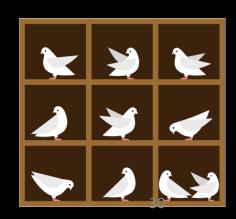
- What if we want to store: "cat" or "dog"?
  - Idea: Convert "cat" or "dog" into a number
  - Approach: Use the first letter 'c' = 3, 'd' = 4
  - Problem: What happens with "cap"? "Collision"
- To fix this use all digits by multiplying each by a power of 27
  - Index of "cat" is  $(3 \times 27^2) + (1 \times 27^1) + (20 \times 27^0) = 2234$ .



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- As long as base >=26, we will get a unique number and no collisions. If it is less than 26, we are guaranteed for collisions due to pigeonhole principle



- To fix this use all digits by multiplying each by a power of 27
  - Index of "cat" is  $(3 \times 27^2) + (1 \times 27^1) + (20 \times 27^0) = 2234$ .
- As long as base >=26, we will get a unique number and no collisions. If it is less than 26, we are guaranteed for collisions due to pigeonhole principle
  - If base = 2, index of "ac" is  $(1 \times 2^1) + (3 \times 2^0) = 5$
  - If base = 2, index of "e" is (5 x 2°) = 5
  - If base = 27, index of "ac" is  $(1 \times 27^1) + (3 \times 27^0) = 30$
  - If base = 27, index of "e" is (5 x 27°) = 5



## How to deal with Strings - ASCII and Unicode?

- Increase the base for other characters as 26 characters is too restrictive
  - ASCII: 128 characters
  - Unicode: 143,859 characters



## **How to deal with Strings - ASCII and Unicode?**

- Increase the base for other characters as 26 characters is too restrictive
  - ASCII: 128 characters
  - Unicode: 143,859 characters
- Fixed the problem of storing other datatypes
- Problem: ?



## **How to deal with Strings - ASCII and Unicode?**

- Increase the base for other characters as 26 characters is too restrictive
  - ASCII: 128 characters
  - Unicode: 143,859 characters
- Fixed the problem of storing other datatypes
- Problem: How do we store large values? Overflows, lead to collisions again. And we are now wasting even more space.

### **Crux of the Problem**

## Approach

Data -> Hash Function -> Hash Code

Hash code values for different data map to same index in array even after increasing a lot of space in table:

"cat" -> transform2("cat") -> 34

→ 1. poor hash functions

"cat" -> transform127("cat") -> 48534

- 2. limitations of language
- "cat" -> transform143859("cat") -> 62,086,379,522

-> 1956837378

Collisions are Inevitable due to overflows!



## **Crux of the Problem**

### Problem

- Wastes memory if we have hash tables that are large
- Has collisions based on language limitations or poor hash functions

#### Solution

- allow collisions
- use collision resolution strategies
- use small table sizes initially and increase it as per need when performance is affected



## **Hash Tables**

## **Approach**

- Data -> Hash Function -> Hash Code -> Reduce -> Index
- Insert the data (D) at the index in the table and if there is some other data at the index which is not D, then there is a collision and use a collision resolution mechanism

#### **Hash Function**

- A function that converts a data object to a hash code.
- Properties
  - Input: Object x
  - Output: An integer representation of x
  - If x is equal to y, H(x) = H(y)
  - If x is not equal to y, it would be great if H(x) is not equal to H(y)

## **Hash Function Examples**

A function, H() that converts a data object, x to a hash code.

```
o H(x): { return 0; }
```

- H(x): { return Sum of all ASCII values; }
- H(x): { return Powers of 31 with ASCII; }
- H(x): { return Random Number; }
- H(x): { return Current Time; }



## **Hash Function Examples**

A function, H() that converts a data object, x to a hash code.

```
    Poor - H(x): { return O; }
    Ok - H(x): { return Sum of all ASCII values; }
    Good - H(x): { return Powers of 31 with ASCII; }
    Invalid - H(x): { return Random Number; }
    Invalid - H(x): { return Current Time; }
```

## **Hash Function Examples**

- A function, H() that converts a data object, x to a hash code.
  - H(x): { return Powers of 31 with ASCII; }
  - Primes are usually used over composites
  - Smaller primes are preferred for faster calculations

Hash Functions

Should evenly distribute the data

Should be easy to compute



#### **Collision Resolution**

- Buckets and Load Factor
- Separate Chaining
  - Open Hashing (object is stored outside the table)
  - Fixed
  - Resizable
- Open Addressing
  - Closed Hashing (object is stored inside the table)
  - Linear Probing
  - Quadratic Probing



#### **Collision Resolution: Terms**

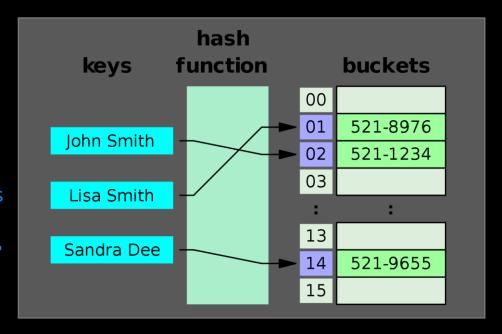
#### Buckets

Total slots in the Hash Table structure

#### Load Factor

$$\text{Load Factor}(\alpha) = \frac{\text{Total number of entries}}{\text{Number of buckets}}$$

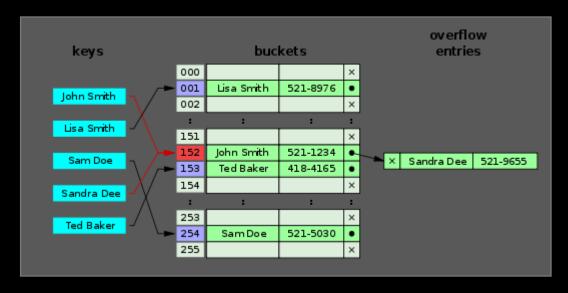
If load factor increases a certain threshold, then move to a larger table using rehashed values



https://en.wikipedia.org/wiki/Hash table

#### **Collision Resolution: Separate Chaining**

Key Idea: buckets store a linked list; collisions are appended to the list

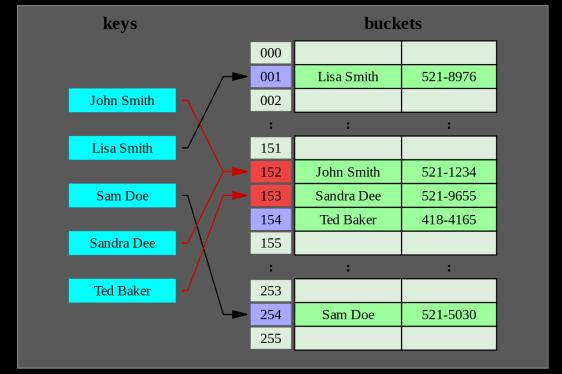


https://en.wikipedia.org/wiki/Hash table



# **Collision Resolution: Open Addressing (Linear Probing)**

#### Key Idea: all entries in a bucket; collisions are added to empty spots

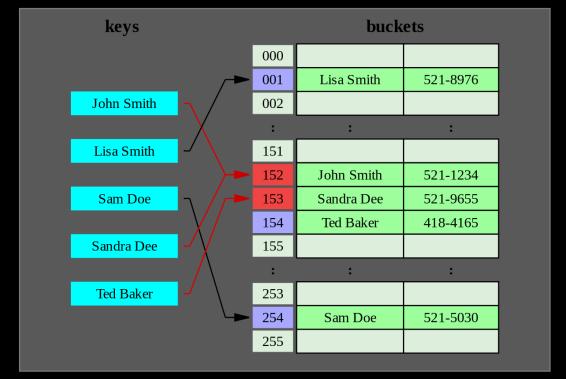


Move the probe by 1 unit



# Collision Resolution: Open Addressing (Quadratic Probing)

#### Key Idea: all entries in a bucket; collisions are added to empty spots



Move the probe by 1, 4, 9, 16 ... units



```
Data -> Hash Function -> Hash Code -> Reduce -> Index
```

```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE_SIZE
```

```
9
```

```
Data -> Hash Function -> Hash Code -> Reduce -> Index
```

```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE_SIZE
```

#### Insert a.

- 0

- 3
- 4

```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE_SIZE
```

```
Insert a. H(a) = 97

Index = H(a) \% 5 = 2
```

- 0123
- 4

H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE SIZE

```
Insert a. H(a) = 97
             Index = H(a) \% 5 = 2
```

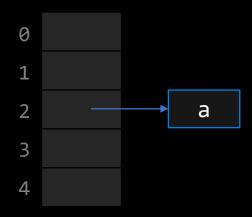


Load Factor = 0.2 Maximum Load Factor = 0.8



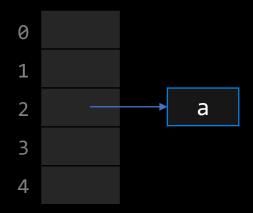
```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE_SIZE
```

#### Insert ac.



```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE SIZE
```

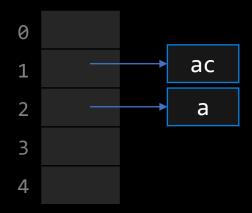
```
Insert ac. H(ac) = 97 + 99 = 196
             Index = H(ac) \% 5 = 1
```



```
Data -> Hash Function -> Hash Code -> Reduce -> Index
```

```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE SIZE
```

```
Insert ac. H(ac) = 97 + 99 = 196
             Index = H(ac) \% 5 = 1
```

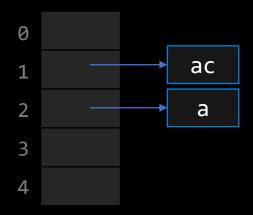


```
Load Factor = 0.4
Maximum Load Factor = 0.8
```



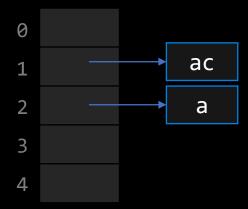
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE\_SIZE

#### Insert e.



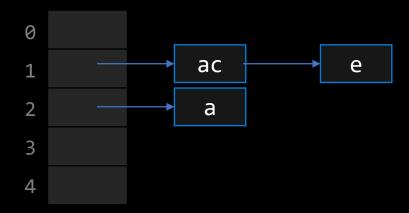
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE\_SIZE

Insert e. H(e) = 101Index = H(e) % 5 = 1



```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE SIZE
```

```
Insert e. H(e) = 101
             Index = H(e) \% 5 = 1
```

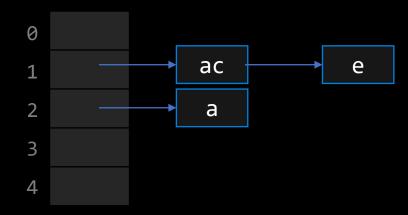


```
Load Factor = 0.6
Maximum Load Factor = 0.8
```



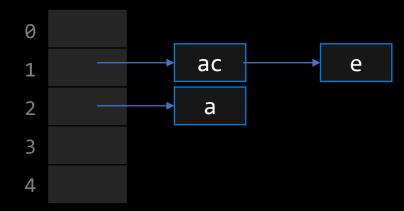
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE\_SIZE

#### Search e.



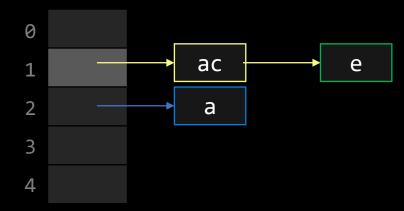
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE\_SIZE

Search e. H(e) = 101Index = H(e) % 5 = 1



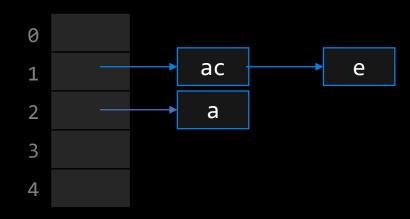
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE\_SIZE

Search e. H(e) = 101Index = H(e) % 5 = 1



H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE\_SIZE

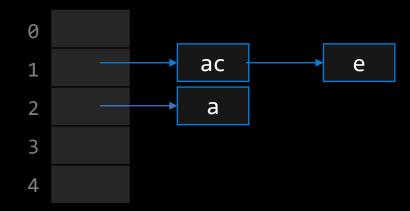
#### Insert cat.



```
Data -> Hash Function -> Hash Code -> Reduce -> Index
```

```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE SIZE
```

```
Insert cat. H(cat) = 99 + 97 + 116 = 312
             Index = H(cat) % 5 = 2
```

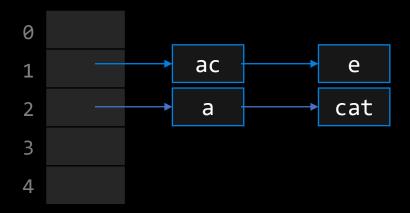




```
Data -> Hash Function -> Hash Code -> Reduce -> Index
```

```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE SIZE
```

```
Insert cat. H(cat) = 99 + 97 + 116 = 312
             Index = H(cat) % 5 = 2
```

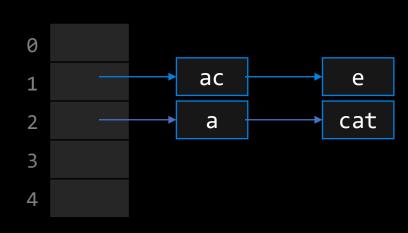


```
Load Factor = 0.8
Maximum Load Factor = 0.8
```



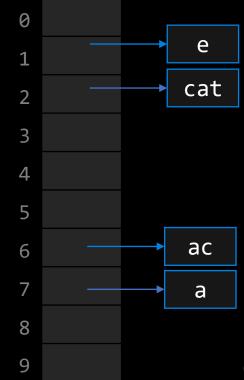
H(key) = Sum of key's ASCII characters

R(Hashcode) = Hashcode % TABLE\_SIZE



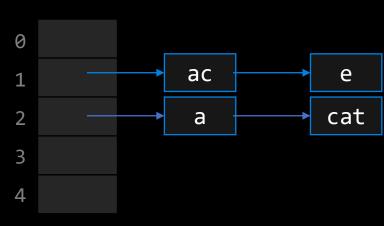
#### Rehashing

```
H(ac) = 196, Index = 196 % 10 = 6
H(e) = 101, Index = 101 % 10 = 1
H(a) = 97, Index = 97 % 10 = 7
H(cat) = 312, Index = 312 % 10 = 2
```





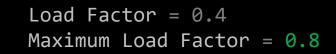
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE SIZE

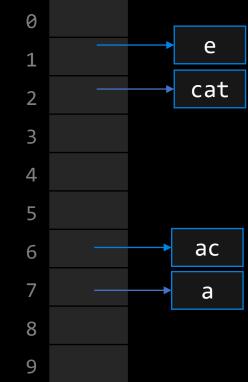


#### Load Factor = 0.8 Maximum Load Factor = 0.8

#### H(ac) = 196, Index = 196 % 10 = 6H(e) = 101, Index = 101 % 10 = 1 H(a) = 97, Index = 97 % 10 = 7 H(cat) = 312, Index = 312 % 10 = 2

Rehashing







H(key) = Sum of key's ASCII characters R(Hashcode) = Has

R(Hashcode) = Hashcode % TABLE\_SIZE

Open addressing/Closed Hashing: Index is not determined by hash code, i.e., index is open

0

.

2

3

.

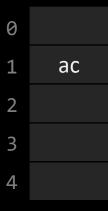


```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE SIZE
```

```
H(ac) = 196, Index = 196 \% 5 = 1
```

```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE SIZE
```

```
H(ac) = 196, Index = 196 \% 5 = 1
```



```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE SIZE
```

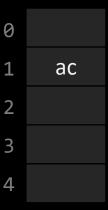
#### Insert:

$$H(ac) = 196$$
,  $Index = 196 \% 5 = 1$ 

ac

```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE SIZE
```

```
H(ac) = 196, Index = 196 \% 5 = 1
H(e) = 101, Index = 101 % 5 = 1
```



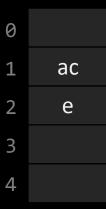
```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE SIZE
```

#### Insert:

0 ac

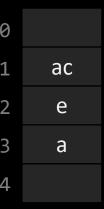
```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE SIZE
```

```
H(ac) = 196, Index = 196 \% 5 = 1
H(e) = 101, Index = 101 % 5 = 1
H(a) = 97, Index = 97 % 5 = 2
```



```
H(key) = Sum of key's ASCII characters | R(Hashcode) = Hashcode % TABLE SIZE
```

```
H(ac) = 196, Index = 196 \% 5 = 1
H(e) = 101, Index = 101 % 5 = 1
H(a) = 97, Index = 97 % 5 = 2
```



```
H(key) = Sum of key's character ASCII
```

R(Hashcode) = Hashcode % TABLE\_SIZE

```
H(ac) = 196, Index = 196 % 5 = 1
H(e) = 101, Index = 101 % 5 = 1
H(a) = 97, Index = 97 % 5 = 2
H(cat) = 312, Index = 312 % 5 = 2
```

```
ac e a a
```

### Hash Table Example: Open addressing with Linear Probing

```
H(key) = Sum of key's character ASCII
```

R(Hashcode) = Hashcode % TABLE\_SIZE

```
H(ac) = 196, Index = 196 % 5 = 1
H(e) = 101, Index = 101 % 5 = 1
H(a) = 97, Index = 97 % 5 = 2
H(cat) = 312, Index = 312 % 5 = 2
```

```
ac e a cat
```

# Hash Table Example: Open addressing with Linear Probing

```
H(key) = Sum of key's character ASCII
```

R(Hashcode) = Hashcode % TABLE\_SIZE

#### Search ab:

```
H(ab) = 195, Index = 195 % 5 = 0
```

### Hash Table Example: Open addressing with Linear Probing

H(key) = Sum of key's character ASCII

R(Hashcode) = Hashcode % TABLE\_SIZE

#### Search ab:

$$H(ab) = 195$$
, Index = 195 % 5 = 0

Look at bucket 0; if never occupied, then stop and return false;

If occupied, repeat till a bucket is available that is never used, or element is found.



# Hash Table Example: Open addressing with Quadratic Probing

R(Hashcode) = Hashcode % TABLE\_SIZE

Same as linear probing but indexes are moved quadratically e.g., 1, 4, 9, 16, 25 ... to avoid clusters in the hash table.





### Hash Table Example: Open addressing with Quadratic Probing

R(Hashcode) = Hashcode % TABLE\_SIZE

Same as linear probing but indexes are moved quadratically e.g., 1, 4, 9, 16, 25 ... to avoid clusters in the hash table.

```
H(ac) = 196, Index = 196 % 5 = 1
H(e) = 101, Index = 101 % 5 = 1
H(j) = 106, Index = 106 % 5 = 1
```





# Hash Table Example: Open addressing with Quadratic Probing

```
H(key) = Sum of key's character ASCII
```

R(Hashcode) = Hashcode % TABLE\_SIZE

Same as linear probing but indexes are moved quadratically e.g., 1, 4, 9, 16, 25 ... to avoid clusters in the hash table.

```
H(ac) = 196, Index = 196 % 5 = 1
H(e) = 101, Index = 101 % 5 = 1
H(j) = 106, Index = 106 % 5 = 1

Move 1 (conflict 2 - e),
Move 4 from hashed value; (1+4)
```

```
j ac e
```



### **Hash Table Performance**

- Time complexities of Search/Insert/Delete are O(1) on average
- Time complexities of Search/Insert/Delete are O(n) in the worst case

# Mentimeter

**Menti.com** 

8734 3378



# Hash Tables and Map vs Set

```
class Set
01
02
03
        private:
04
            string arraySet[100];
05
        public:
            void insert(int value);
06
07
            bool search(int value);
08
    };
09
    void ArraySet::insert(int value)
11
12
        //find the hash of the value
13
        //reduce the hash to get an index
        //check if value is not at index
14
15
                //insert value at index
16
        //otherwise, use collision resolution strategy
17
18
    bool ArraySet::search(int value)
19
20
21
        //find the hash of the value
22
        //reduce the hash to get an index
        //check if value is not at index
23
24
                //return false
25
        //otherwise, search based on collision resolution strategy
26
```

#### Remember C++ Unordered Maps and Sets are backed by Hash Tables



### **Sets and Maps in C++ Example**

```
//Unordered Set - Hash-based
    unordered set <int> s2;
03
    // insert elements in random order
   s2.insert(5);
   s2.insert(2);
   s2.insert(4);
08 s2.insert(11);
    s2.insert(2); // only one 2 will be added to the set
10
    // printing set
11
12 unordered set <int> :: iterator itr2;
   cout << "The set s2 is:";</pre>
    for (itr2 = s2.begin(); itr2 != s2.end(); ++itr2)
14
15
               cout << " " << *itr2;
16 cout << endl;
   cout << "Bucket count: " << s2.bucket_count();</pre>
   cout << "\nLoad Factor: " << s2.load factor();</pre>
   cout << "\nMax Load Factor:" << s2.max load factor();</pre>
```

```
//Unordered Map - Hash-based
    unordered map<char,int> table unordered;
03
    // insert elements in random order
    table unordered['b']=30;
    table unordered['a']=10;
    table unordered['c']=50;
    table unordered['a']=40;
09
10
    // printing set
    for(auto member: table unordered)
11
          cout << member.first << " " << member.second <<"\n";</pre>
12
13
    cout << "Load Factor: " << table unordered.load factor();</pre>
```

```
c 50
b 30
a 40
Load Factor: 0.428571
```

```
The set s2 is: 11 4 5 2
Bucket count: 7
Load Factor: 0.571429
Max Load Factor: 1
```

https://onlinegdb.com/SkHykUnlP



# Questions



#### 10.1.2 Two Sum Problem

N-sum is a common problem where you are given an array and asked to see if there are N numbers that add up to a target. For this stepik module, you'll be asked to complete Two-Sum. This means you'll be given an array of integers and you have to determine if there are 2 values that sum to a desired target. The method signature is pair<int, int> two\_sum(vector<int> arr, int target), which returns a pair of the indices whose values sum to the desired target. If no such 2 value exists, return the pair {-1,-1}. Make sure that the smaller index is first.

#### Example: arr = [3, 5, 11, 12, 15] target = 17 Output = {1,3}

#### 10.1.2 Two Sum Problem

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the smaller index is first.

```
Example:

arr = [3, 5, 11, 12, 15]

target = 17

Output = {1,3}
```

```
pair<int, int> two sum(vector<int>& arr, int target)
02
        unordered map<int, int> map;
03
        pair<int, int> result(-1, -1);
04
05
        for (int i = 0; i < arr.size(); i++)
06
            int diff = target - arr[i];
07
            if(map.count(diff))
                                         //check if complement is present in the set
98
09
                result.first = map[diff];
10
                result.second = i;
11
12
                break;
13
14
            map[arr[i]] = i;
                                         //add the element to the set otherwise
15
        return result;
16
17
```