Day 7. Model-based RL

NPEX Reinforcement Learning

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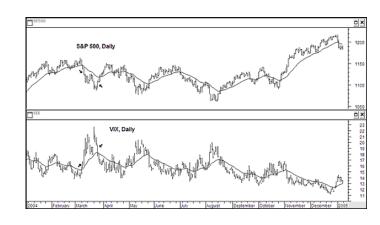
So far, we have learned **model-free** RL algorithms, i.e., learning policy/value function were done without model info:

$$s_{t+1} \sim p(\cdot | s_t, a_t), \quad r_t = r(s_t, a_t).$$

What is p?

 \longrightarrow law of physics, artificial rules, etc.











Can we **learn** p?

simplest case: $s_{t+1} = s_t + f(s_t, a_t)$

Assume we have a large number of transition samples (s_j, a_j, s'_j) from the **true** transition dynamics f.

Then, we may learn a parametrized model f_{θ} which is **close** to f.

How?



Given a batch $B = \{(s_j, a_j, s'_j)\}_{j=1}^N$, we construct a loss as follows:

$$\mathcal{L}(\theta) = \frac{1}{N} \sum_{j=1}^{N} \|s_{t+1} - s_t - f_{\theta}(s_t, a_t)\|^2$$

and update θ by gradient-based algorithms.

What can we do if we have a good model?



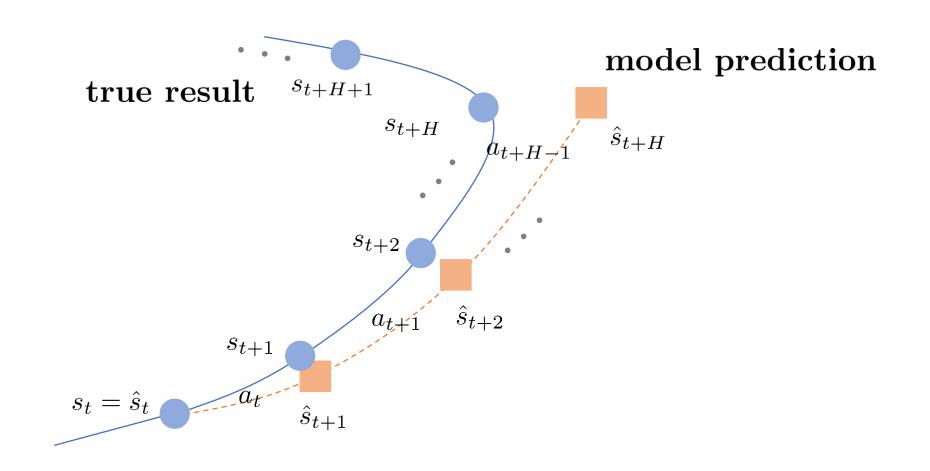
One can apply some well-known methods in control theory, such as **model predictive control(MPC)**:

$$\max_{A_{t}^{(H)}=(a_{t},\cdots a_{t+H-1})} \sum_{t'=t}^{t+H-1} r(\hat{s}_{t'}, a_{t'})$$
where
$$\hat{s}_{t} = s_{t},$$

$$\hat{s}_{k+1} = \hat{s}_{k} + f_{\theta}(\hat{s}_{k}, a_{k}), \quad k = t, \dots t + H - 1.$$

In this case, we will use a simple algorithm so called **random sampling shooting method**.







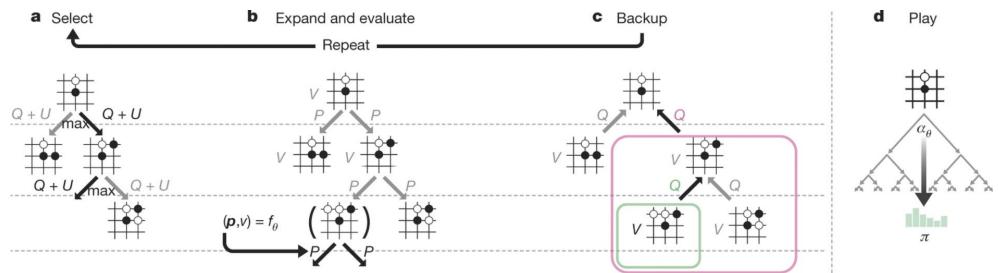
Random sampling shooting is...

- 1. Generate N action sequences $\left\{\left\langle a_t^{(i)}, \cdots, a_{t+H-1}^{(i)}\right\rangle : 1 \leq i \leq N\right\}$ randomly.
- 2. For each action sequence, compute the predicted state trajectory $\left\langle \hat{s}_{t}^{(i)}, \cdots, \hat{s}_{t+H-1}^{(i)} \right\rangle$ and the resulting cost $c^{(i)} \coloneqq \sum_{k=t}^{t+H-1} c\left(\hat{s}_{k}^{(i)}, a_{k}^{(i)}\right)$.
- 3. Choose the action sequence with largest $c^{(i)}$ as a solution.
- other options? **cross-entropy method**(included in the practice session code), tree search, path integral optimal control, etc.



other options?

 \longrightarrow cross entropy method, tree search, etc.





Summary:

Algorithm 1 Model-based Reinforcement Learning

- 1: gather dataset \mathcal{D}_{RAND} of random trajectories
- 2: initialize empty dataset \mathcal{D}_{RL} , and randomly initialize \hat{f}_{θ}
- 3: for iter=1 to max_iter do
- 4: train $\hat{f}_{\theta}(\mathbf{s}, \mathbf{a})$ by performing gradient descent on Eqn. 2, using $\mathcal{D}_{\text{RAND}}$ and \mathcal{D}_{RL}
- 5: for t = 1 to T do
- 6: get agent's current state s_t
- 7: use \hat{f}_{θ} to estimate optimal action sequence $\mathbf{A}_{t}^{(H)}$ (Eqn. 4)
- 8: execute first action \mathbf{a}_t from selected action sequence $\mathbf{A}_t^{(H)}$
- 9: add $(\mathbf{s}_t, \mathbf{a}_t)$ to \mathcal{D}_{RL}
- 10: end for
- 11: end for



more advanced Model-based RL algorithms?

Ex) World Models (Ha, Schmidhuber, 2018)

At each time step, our agent receives an **observation** from the environment.

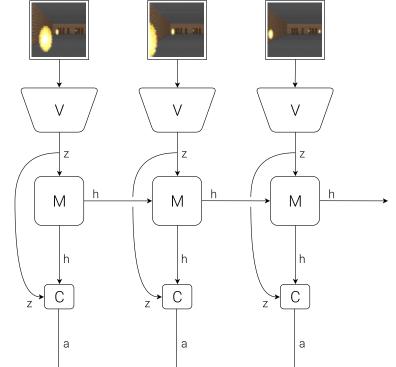
World Model

The Vision Model (V) encodes the high-dimensional observation into a low-dimensional latent vector.

The Memory RNN (M) integrates the historical codes to create a representation that can predict future states.

A small Controller (C) uses the representations from both V and M to select good actions.

The agent performs **actions** that go back and affect the environment.



https://worldmodels.github.io/





```
class TransitionMemory:
         def __init__(self, state_dim, act_dim, maxlen=20000):
         def append(self, state, act, next_state):
             self.data.append((state, act, next state))
         def sample batch(self, size):
             return (state_batch, act_batch, next_state_batch)
neural network: trained in supervised manner
\implies only (s, a, s') needed! (known reward function)
```



```
class TransitionModel(nn.Module):
         def __init__(self, state_dim, act_dim, hidden1, hidden2):
             super(TransitionModel, self). init ()
             self.state dim = state dim
             self.act dim = act dim
             self.fc1 = nn.Linear(state dim + act dim, hidden1)
             self.fc2 = nn.Linear(hidden1, hidden2)
             self.fc3 = nn.Linear(hidden2, state_dim)
 9
                                                     neural network approximation of deterministic dynamics
         def forward(self, state, act):
10
11
             x = torch.cat([state, act], dim=1)
12
             x = F.relu(self.fc1(x))
             x = F.relu(self.fc2(x))
13
             delta = self.fc3(x)
14
             next_state = state + delta
15
16
             return next state
```



19

```
class ModelBasedAgent:
         def init (self, ...):
         def train(self, batch size):
             self.model.train()
             (state batch, act batch, next state batch) = self.memory.sample batch(batch size)
             state batch = torch.tensor(state batch).float()
 8
             act batch = torch.tensor(act batch).float()
             next state batch = torch.tensor(next state batch).float()
10
11
             prediction = self.model(state batch, act batch)
12
             loss ftn = MSELoss()
13
             loss = loss ftn(prediction, next state batch)
14
15
             self.optimizer.zero grad()
16
             loss.backward()
             self.optimizer.step()
17
             loss_val = loss.detach().numpy()
18
             return loss val
```

Remark. This is a supervised learning, so we may try to measure validation error!



```
def solve random shooting opt(self, state, H, N):
             scores = np.zeros(N)
             action_sequences = self.ctrl_range * (2. * np.random.rand(H, N, dimA) - 1.)
             states = np.tile(state, (N, 1))
                                                           generation of multiple control trajectories at once
             for t in range(H):
                 actions = action sequences[t]
                 scores += self.reward model(states, actions)
                 s = torch.tensor(states).float()
                 a = torch.tensor(actions).float()
10
                 next s = self.model(s, a)
                 states = next s.detach().numpy()
12
13
                                              simultaneous computation of predictions & cost along paths
             best seq = np.argmax(scores)
14
15
16
             return action sequences[best seq]
```

Some observations on random-shooting method

- Increasing # of trajectories : relatively less burden
- Increasing horizon length: critical to speed!
 - small horizon length \Longrightarrow low quality of resulting control
 - long horizon length \Longrightarrow high computational burden

In general, MPC is a computational bottleneck in complex, high-dimensional domains.



Model-based RL - Experiment



Model-based RL – Experiment

OpenAI Gym Pendulum-v0

- environment file modified to allow simultaneous evalution of multiple cost functions
- Test both random-shooting method & cross-entropy method!





Thank you

