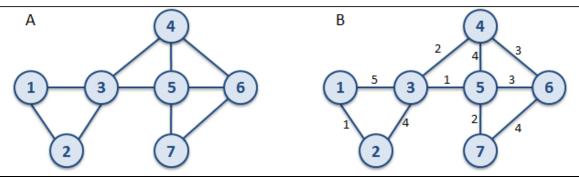
TAD Graph

Graph = $\{V = \{v_1, v_2, ..., v_n\}, E = \{e_1 = (v_{i1}, v_{j1}, w_1), e_2 = (v_{i2}, v_{j2}, w_2), e_m = (v_{im}, v_{jm}, w_m)\},\$ directed, weighted $\}$



{inv:

- 1. $\forall e_k \in E, v_{ik} \in V \land vj_k \in V, w_k > 0$
- 2. directed = false \Rightarrow (\forall (a, b) \in E \exists (b, a) \in E, a, b \in V)
- 3. weighted = false $\Rightarrow \forall e_k \in E$, $w_k = 1$

Primitive Operations

Graph
<> → <Graph> Constructor

addVertex <Vertex> → <Graph> Modifier

addEdge <Vertex, Vertex> → <Graph> Modifier

addEdge <Vertex, Vertex, double> → <Graph> Modifier

removeVertex < Vertex> → <Graph> Modifier

removeEdge < Vertex, Vertex> → <Graph> Modifier

getNumberOfVertices <> → <Integer> Analyzer

getNumberOfEdges <> →< Integer> Analyzer

areAdjacent
< Vertex, Vertex >→ <boolean> Analyzer

searchInGraph
< T >→ <boolean> Analyzer

isDirected <> → <boolean> AnalyzerisWeighted <> → <boolean> Analyzer

bfs <Vertex> → <Graph> Analyzer

dfs<> → <Graph> Analyzer

dijkstra
dijkstra
Vertex> → <Graph> Analyzer
floyd-warshall
prim
Vertex> → <Graph> Analyzer
Vertex > → <Graph> Analyzer

prim < Vertex >→ <Graph> Analyzer
kruskal <> → <Graph> Analyzer

Operations

Graph (boolean directed, boolean weighted, int n)

Create a new graph that may or may not be directed or weighted.

{pre: }

{post: Graph = {V={}, E={}, directed, weighted }

addVertex (Vertex v)

Insert a vertex in the graph.

{pre: v ∉ g.V}

 $\{post: v \in g.V\}$

addEdge (Vertex v1, Vertex v2)

Add an edge of weight 1 that goes from v1 to v2. If the graph is not directed, it also adds it

from v2 to v1.

{pre: v1, v2 ∈ g.V }

{post: edge = $(v1, v2, 1) \in g.E.$ If g.directed = false, edge = $(v2, v1, 1) \in g.E$ }

addEdge (Vertex v1, Vertex v2, double weight)

Add an edge of weight 1 that goes from v1 to v2. If the graph is not directed, it also adds it

from v2 to v1.

{pre: v1, v2 \in g.V, g.weight = true, w > 0}

{post: edge = $(v1, v2, weight) \in g.E.$ If g.directed = false, edge = $(v2, v1, weight) \in g.E$ }

removeVertex (Vertex v)

Eliminate v from the graph

 $\{pre: v \in g.V\}$

{post: $v \notin g.V.$ All vertices that are incidents with $v \notin g.$ E

removeEdge (Vertex v1, Vertex v2)

Eliminate the edge that goes from v1 to v2 in the graph

{pre: v1, v2 \in g.V, (v1,v2,w) \in g.E }

{post: edge= $(v1,v2,w) \notin g.E.$ If g.directed = false, $e' = (v2,v1, w)) \notin g.E$ }

getNumVertex ()
Returns the number of vertices in the graph
{pre: }
{post: number of vertices}
getNumEdges ()
Returns the number of edges in the graph.
{pre:}
{post: number of edges}
searchInGraph (T value)
Returns if there is a vertex with the given value in the graph.
{pre: }
{post: true if $\exists x \in g.V$: value
idDirected ()
Returns if the graph is directed
{pre: }
{post: true if is directed, false otherwise}

isWeighted()

Returns if the graph is weighted.

{pre:}

{post: true if is directed, false otherwise}

areAdjacent (Vertex v1, Vertex v2)

Returns if there is an edge from x to y

{pre: $v1, v2 \in g.V$ }

{post: true if $(v1, v2, w) \in g.E.$ }

dijkstra (Vertex v)

Carry out the Dijkstra algorithm, taking v as the initial vertex

{pre: $v \in g.V, g$ }

{post: $\forall v \in g.V$, adds attributes v.pred and v.d, corresponding respectively to the

predecessor and the distance added by Dijkstra's algorithm}

bfs(Vertex v)

Performs the Breadth First Search algorithm, adjusting information for the vertices of the graph.

{pre $v \in g.V, g:$ }

{post: $\forall v \in g.V$, adds attributes v.pred and v.d, which correspond to those added by the

Breadth First Search algorithm}

dfs ()

Performs the Depth First Search algorithm, adjusting information for the vertices of the

graph

{pre: }

{post:

 $\forall v \in g.V$, adds attributes v.pred, v.d and v.f, which correspond to those added by the Depth First Search algorithm}

floyd-warshall ()

Perform the Floyd-Warshall algorithm on graph.

{pre: }

{post: Returns the dist matrix, where position [i, j] represents the minimum distance to go from vertex vi to vj}

kruskal ()
Perform Kruskal's algorithm on the graph.
{pre: }
{post: $\{e1, e2,, en\}$, where $ei \in g.E$ are the edges that belong to the MST formed by Kruskal }

prime (Vertex v)

Perform Prim's algorithm taking r as the root of the tree, adjusting information for the vertices of the graph.

{pre: $v \in g.V$, g is not directed }

{post: $\forall v \in g.V$, adds attributes v.pred and v.d, which correspond respectively to the predecessor and the key added by Prim's algorithm}