Time limit: 1.00 s Memory limit: 512 MB

There are n people who want to get to the top of a building which has only one elevator. You know the weight of each person and the maximum allowed weight in the elevator. What is the minimum number of elevator rides?

Input

The first input line has two integers n and x: the number of people and the maximum allowed weight in the elevator.

The second line has n integers w_1, w_2, \ldots, w_n : the weight of each person.

Output

Print one integer: the minimum number of rides.

Constraints

- $1 \le n \le 20$
- $1 \le x \le 10^9$ • $1 \leq w_i \leq x$

Example

Input: 4 10 4 8 6 1

Output:

$$n=3 \text{ W-}[2,7,9] \quad x=10$$

best[2"]

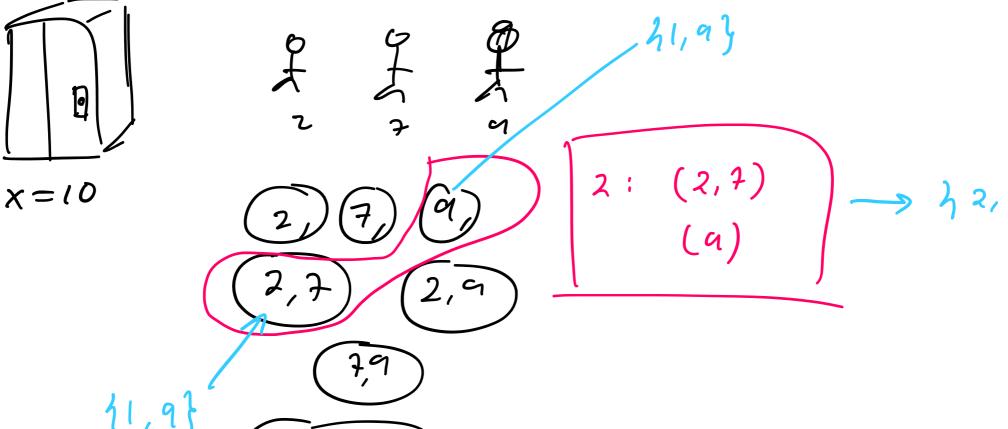
N:3

7 1

-7 5

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ten u



$$(2,7,9)$$
 $(2,7,14,21,1,8,3)$ $(2,7,14,21,1,8,3)$

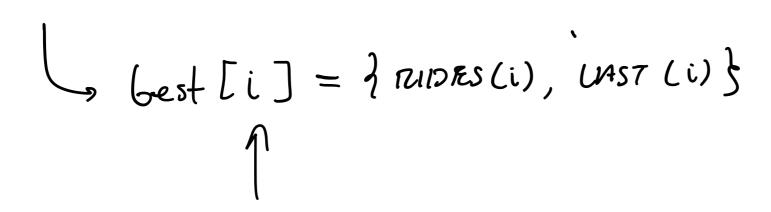
best[7] = mejor opción (

si agrego

2r+1,w)

best (7) first

n, x, wrengetts



SUBCONDUNTO

1,2,3,7

$$p = 1$$
 $p = 1$
 $p = 2$
 $p = 3$
 $p = 3$
 $p = 3$

$$N=3 \quad [3,7,9]$$

$$\chi=10$$

$$best[7] = min(A,B,C)$$

$$\frac{1}{\eta + 1} = 0$$

$$\{r, W + W_{p=i}\}$$

$$\lambda r, W + W_{j}$$

$$W = \{2, 7, 9\}$$

$$\frac{\chi_{=0}}{\sqrt{1-\frac{\sigma}{\sigma}}} = \frac{1}{1/\sqrt{3}}$$

$$\frac{\sigma}{1-\frac{\sigma}{\sigma}} = \frac{1}{1/\sqrt{3}}$$

$$-93 \quad 0 \quad 1 \quad = \quad h1,9$$

$$4 \quad 1 \quad 0 \quad 0 \quad = \quad h1,9$$

$$5 \quad 1 \quad 0 \quad 1 \quad = \min(h^2,2), \quad h^2,9$$

$$6 \quad best [2] = h1,7$$

$$6 \quad best [2] = h1,7$$

$$6 \quad best [2] = h2,2$$

$$0 = \min(\lambda_{2,3}, \lambda_{2,9}) = \lambda_{2,7}$$

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$$0 = \min(\lambda_{2,3}, \lambda_{2,9}, \lambda_{2,9}) = \lambda_{2,9}$$

if (option. second + weights [i]
$$\leq x$$
) 4

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option. second t= neights (i) Phovirms

1 else h option finst + + i
option. Second = neights (i) 5 si 10 Lons 10 Eno

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