# Selective Real-Time Data Emission in Mobile Intelligent Transport Systems WMC 2017

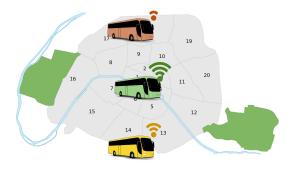
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Tuesday, December 5th 2017

- Use Case Description
- Open Issues
- Solution
- Future Works

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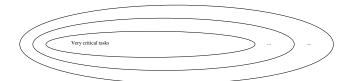


- A vehicle (e.g. a bus) which collects a lot of data
  - speed
  - doors state
  - video recording
  - ...
- Must send the data in real-time to a central station
- But the network speed fluctuates (congestion, link quality etc.)

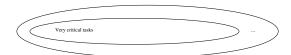
- all the data can be transmitted at a given minimum transmission speed S
- the available transmission speed lowers bellow S:
  - reduce emission frequencies Future works ?
  - drop less critical tasks



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## Open Issues

- Determine the optimal number of criticality groups
- Determine the optimal priority assigment
- Once criticality groups are formed, determine the minimum speed at which each group can be guarantee (more formally stated in a few slides)
  - Solved in this paper

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# Formally

Sending each kind of data is a non preemptive task characterized by:

- a period  $T_i$ ,
- a cost C<sub>i</sub> which is the necessary time to send the data at a given arbitrary reference speed,
- a relative deadline  $D_i$ ,
- a criticality level.

## Formally

- The system is composed by a set of criticality-uniform tasksets:  $\tau(1), \tau(2), ..., \tau(x)$  where x is the number of criticality levels.
- Priorities of tasks in  $\tau(i)$  are higher than in  $\tau(j)$  when i < j (maybe not necessary)
- Priorities inside a criticality group can follow any fixed priority assignment rule
- The problem is then to determine minimal speeds thresholds  $sp_1, sp_2, ..., sp_x$  where at speed  $sp_l$ , the union of  $\tau(1), \tau(2), ... \tau(l)$  is feasible.

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For any sp(x) containing n tasks labelyzed  $\tau_1, \tau_2, ..., \tau_n$  by priority order,

$$sp(x) = \max_{i \in [1,n]} \left( \max_{j \in [0,n_i-1]} \left( \min_{t \in S_{i,j}} \left( \max \left( \frac{w_{i,j}}{t-\epsilon}, \frac{w_{i,j} + C_i}{jT_i + D_i} \right) \right) \right) \right)$$
 (1)

where

- $n_i$  is the number of  $\tau_i$  jobs released in the level-i busy window
- $S_{i,j}$  is the set of time instants between a job release and its deadline at which higher priority tasks release a job, plus its own activation and deadline.

$$S_{i,j} = \bigcup_{k \in \mathsf{hp}(\tau_i)} \left\{ r T_k \mid r \in \mathbb{N}^+ \text{ and } j T_i < r T_k < j T_i + D_i \right\}$$

$$\bigcup \left\{ j T_i, j T_i + D_i \right\}$$
(2)

$$sp(x) =$$

$$\max_{i \in [1,n]} \left( \max_{j \in [0,n_i-1]} \left( \min_{t \in S_{i,j}} \left( \max \left( \frac{w_{i,j}}{t-\epsilon}, \frac{w_{i,j}+C_i}{jT_i+D_i} \right) \right) \right) \right)$$
 (3)

- for a taskset, the minimum speed is the biggest limit that comes by iterate on the tasks
- for a task, we have to iterate on the jobs
- for a job, we look at some key instants
- amongst these instants, the limit come either
  - from the starting time
  - from the finishing times

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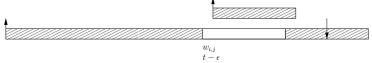
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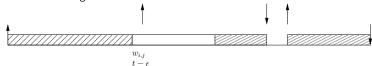
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#### Future Works

- Compute the minimal factor we have to apply to the periods that makes a system feasible
- proove that the formula also apply to a non feasible taskset to find the minimal speed that make it feasible (straight forward?)
- Investigate on how priority assignment can reduce the number of necessary criticality groups
- Compare the deadline missed rate with the setting where we let tasks reach their deadline before dropping them on a real case scenario