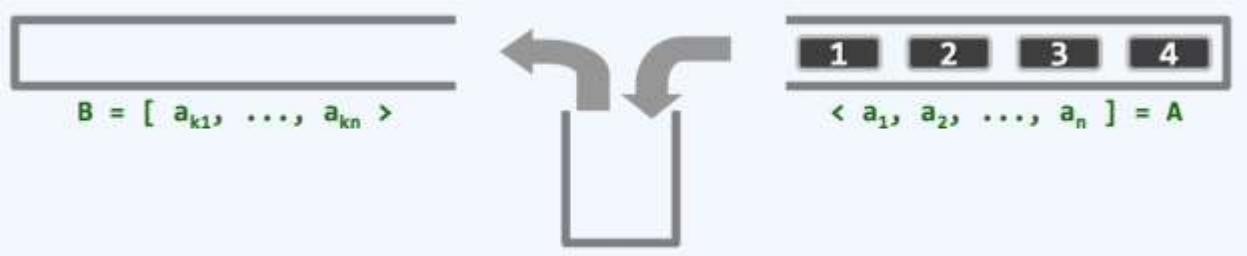
Stack Shuffling

After learning stack--the widely used data structure, Icy plan to play with it. The rule is as follows:

There are 3 stacks **A** **B** and **S**, where stack **B** and **S** are empty initially.



There are only two kinds of movement.

(1)Top element of **A** can only be moved onto the top of **S**.

(2)Top element of **S** can only be moved onto the top of **B**.

By repeating (1) and (2) until **A** and **S** are empty, all elements in **A** will be moved to **B** and the elements in **B** are permuted (the order may not be the same). So here comes the problem. Given the initial order of elements in stack **A** and a final order of elements in **B**, can you cleverly judge whether the final order is possible to achieve?

Input

The input contains multiple test cases. The first line of input is an integer T (1 <= T <= 10) representing the number of test cases. For each test case, the first line gives an integer n ($1 \leq n \leq 3000$) indicating the number of elements in stack **A**, the following line gives n integers representing the corresponding elements in stack **A** (first element is bottom, last element is top and we guarantee that all the elements are

distinct). Then, the next line contains an integer m (m <= 200) telling you how many permutations you have to judge and in each of the following m lines there are n integers indicating the desired elements to be tested in stack **B**.

Output

If the permutation is possible to achieve, print "Aye" otherwise print "Impossible" in a separate line.

Sample Input	Sample Output
1 5 1 2 3 4 5 3 1 2 3 4 5 1 5 4 2 3 3 2 1 4 5	Aye Impossible Aye

Hints

For the last permutation "3 2 1 4 5", it can be achieved by the following operations:

A→S:5
A→S:4
A→S:3
S→B:3
A→S:2
S→B:2
A→S:1
S→B:1
S→B:4
S→B:5

Finally, the stack **B** will be "3 2 1 4 5".