



Multi-modal integration of MEG, EEG & fMRI

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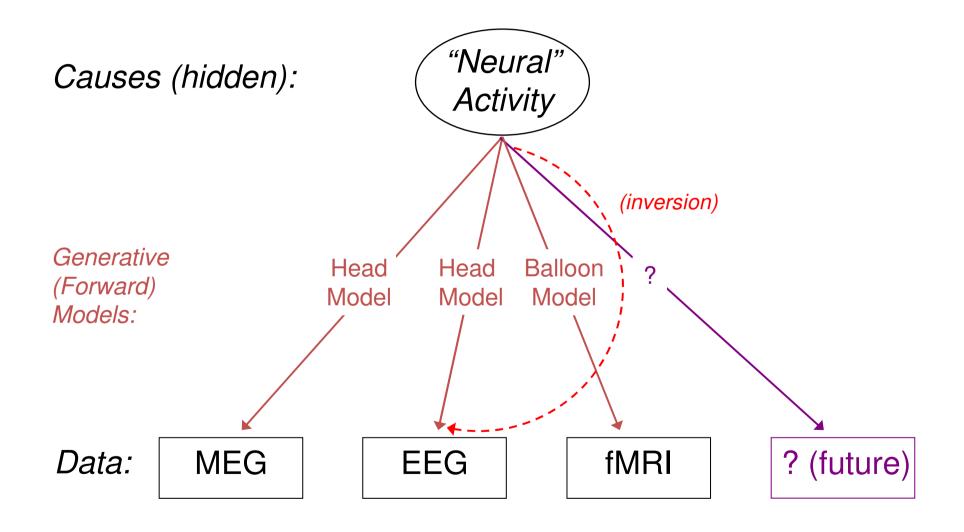
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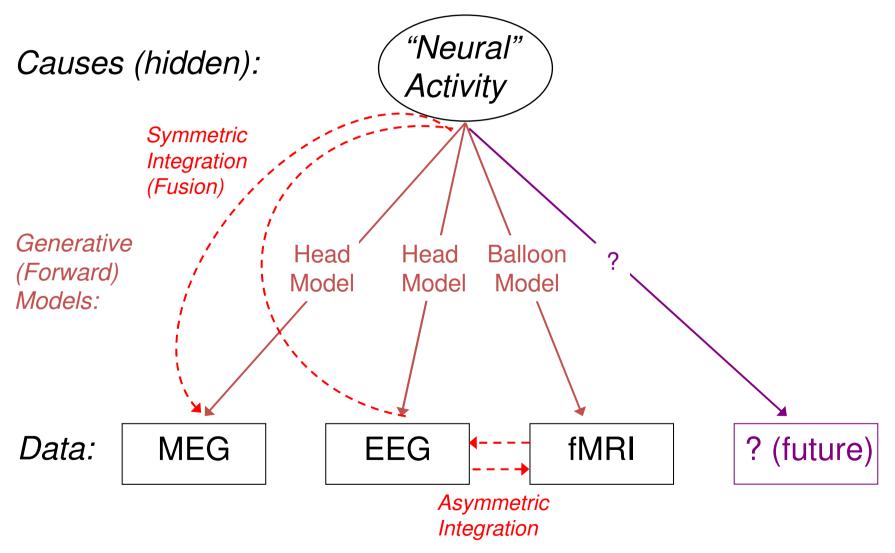
Multi-modal Integration





Multi-modal Integration





Talk Overview



- 1. MEG + EEG symmetric integration (fusion)
- 2. M/EEG + fMRI asymmetric integration

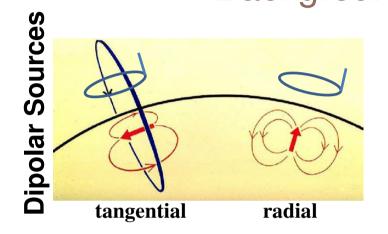
Symmetric Integration of MEG+EEG Background

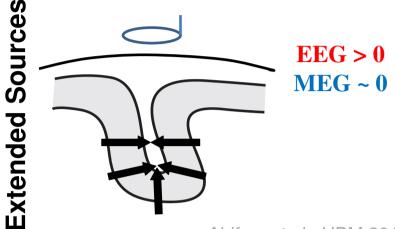


- MEG generally has superior spatial resolution vs. EEG (less blurred by skull/scalp)
- MEG cannot detect radial component of current sources;
 EEG can!

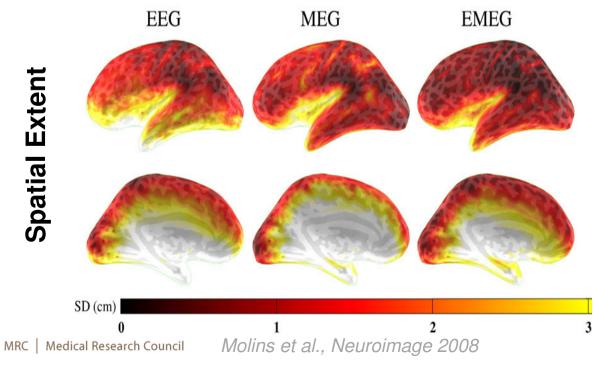
Symmetric Integration of MEG+EEG Background

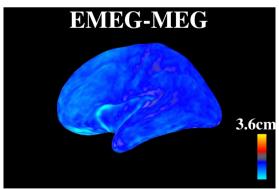






Ahlfors et al., HBM 2010





Stenroos & Hauk, in prep

Symmetric Integration of MEG+EEG Background



- MEG generally has superior spatial resolution vs. EEG (less blurred by skull/scalp)
- MEG cannot detect radial component of current sources;
 EEG can!
- And few practical problems acquiring concurrent EEG (apart from extra time attaching electrodes)
- ...but EEG data is more sensitive to head geometry and conductivity (potentially biasing any joint-localisation)...
- …and has different noise characteristics…

MEG Linear Forward Model



Given *n* sensors and *p* sources fixed in location and orientation (e.g, on a cortical mesh), then linear Forward Model (for single timepoint):

$$\begin{bmatrix} d_1 \\ \vdots \\ d_n \end{bmatrix} = \begin{bmatrix} L_{11} & L_{12} & \cdots & L_{1p} \\ \vdots & \ddots & & \vdots \\ L_{n1} & \cdots & \cdots & L_{np} \end{bmatrix} \begin{bmatrix} s_1 \\ s_2 \\ \vdots \\ s_n \end{bmatrix} + \begin{bmatrix} e_1 \\ \vdots \\ e_n \end{bmatrix}$$
 $d = \text{Data}$ $n \text{ sensors}$ $p >> n \text{ sources}$ $p >> n \text{ sources}$ $n \text{ sensors } x p \text{ sources}$ $n \text{ sensors } x$

Equivalent matrix format:

$$d = Ls + e$$

Assume sensor noise is zero-mean Gaussian with error covariance $\mathbb{C}^{(e)}$:

$$e \sim N(0, \mathbf{C}^{(e)})$$

Assume sources similarly Gaussian with source covariance $\mathbb{C}^{(s)}$:

$$s \sim N(0, \mathbf{C}^{(s)})$$

MEG Linear Forward Model Assumptions to Solve



$$\mathbf{d} = \mathbf{L}\mathbf{S} + \mathbf{e}$$

$$\mathbf{e} \sim N(0, \mathbf{C}^{(e)})$$

$$\mathbf{d} = \text{Data}$$

$$s = \text{Sources}$$

$$L = \text{Leadfields}$$

$$e = \text{Error (noise)}$$

$$n \text{ sensors } x \text{ p sources}$$

$$n \text{ sensors } x \text{ p sources}$$

$$n \text{ sensors } x \text{ p sources}$$

General solution is:

Hauk (2004), Neuroimage

$$\widehat{\mathbf{s}} = \mathbf{C}^{(s)} \mathbf{L}^T (\mathbf{L} \mathbf{C}^{(s)} \mathbf{L}^T + \lambda \mathbf{C}^{(e)})^{-1} \mathbf{d}$$

 λ = Regularisation (hyperparameter)

But how calculate $\mathbb{C}^{(e)}$ and $\mathbb{C}^{(s)}$?

MEG Linear Forward Model Assumptions to Solve



One approach is to model sources and noise by variance components:

$$\mathbf{C} = \sum_{i} \lambda_{i} \, \mathbf{Q}_{i}$$

C = Sensor/Source covariance

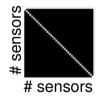
Q = Covariance components

 λ = Hyper-parameters

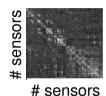
Friston et al (2008) Neuroimage

1. Sensor components, $\mathbf{Q}_{i}^{(e)}$ (error):

"IID" (white noise):

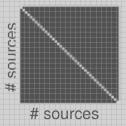


Empty-room:

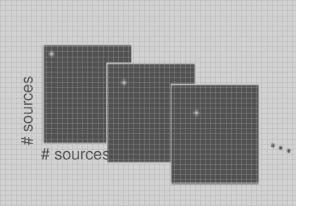


2. Source components, $\mathbf{Q}_{i}^{(s)}$ (priors/regularisation):

"IID" (min norm):

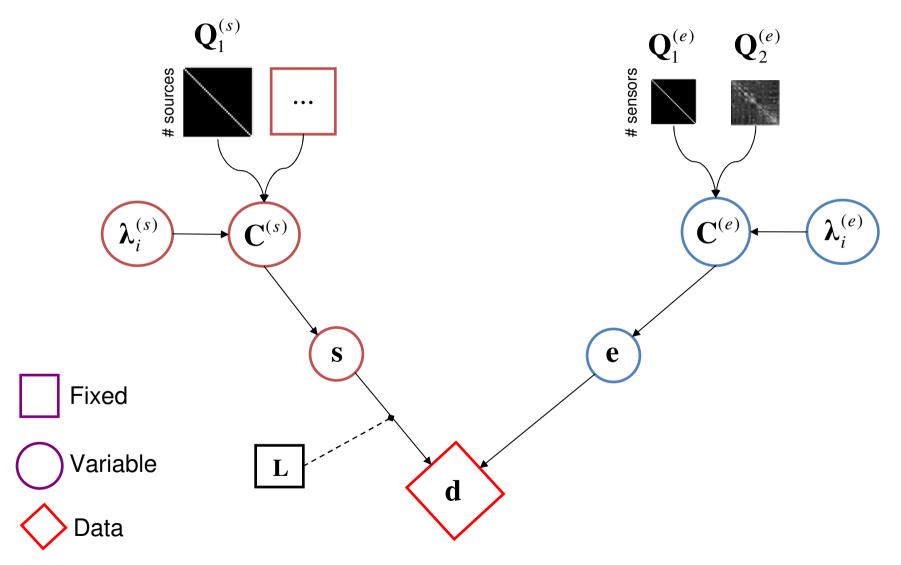


Multiple Sparse Priors (MSP):



MEG Generative Model





Symmetric Integration of MEG+EEG Generative Model



For fusing MEG and EEG, we can simply concatenate the MEG+EEG data:

$$\begin{bmatrix} \mathbf{d}_{(MEG)} \\ \mathbf{d}_{(EEG)} \end{bmatrix} = \begin{bmatrix} \mathbf{L}_{(MEG)} \\ \mathbf{L}_{(EEG)} \end{bmatrix} \mathbf{s} + \begin{bmatrix} \mathbf{e}_{(MEG)} \\ \mathbf{e}_{(EEG)} \end{bmatrix}$$
$$\mathbf{s} \sim N(0, \mathbf{C}^{(e)})$$

Note same sources, eg, for Minimum (L2) Norm solution:

$$\mathbf{C}^{(s)} = \mathbf{I}$$

$$\widehat{\mathbf{s}} = \mathbf{L}^T (\mathbf{L}\mathbf{L}^T + \widehat{\mathbf{C}}^{(e)})^{-1} \mathbf{d}$$

Noise expressed by MEG and EEG terms (e.g, white noise):

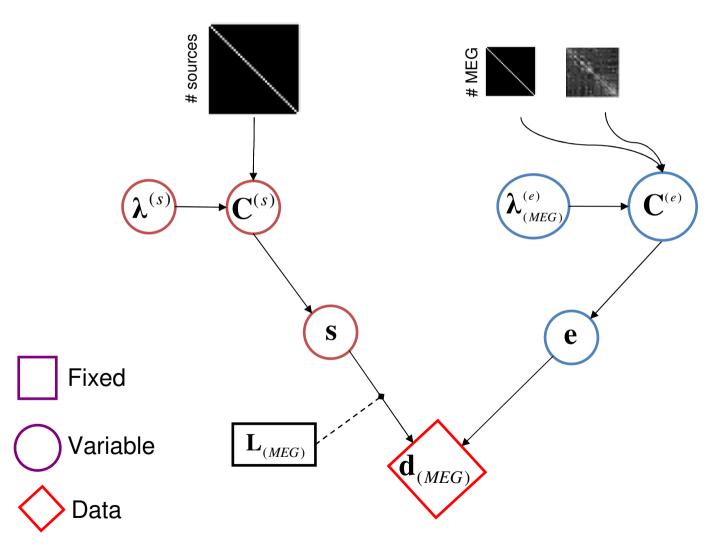
$$\hat{\mathbf{C}}^{(e)} = \lambda_1^{(e)} \mathbf{Q}_{(MEG)}^{(e)} + \lambda_2^{(e)} \mathbf{Q}_{(EEG)}^{(e)} \qquad \mathbf{Q}_{(MEG)}^{(e)} = \begin{cases} \mathbf{g} \\ \mathbf{g} \\ \mathbf{g} \\ \mathbf{g} \end{cases}$$
sensors
$$\mathbf{Q}_{(EEG)}^{(e)} = \begin{cases} \mathbf{g} \\ \mathbf{g} \\ \mathbf{g} \\ \mathbf{g} \\ \mathbf{g} \end{cases}$$
sensors

The separate hyperparameters allow for different noise levels (SNR)

The multiple hyperparameters are estimated by maximising **model evidence**MRC | Medical Research Council (using a variational Bayesian approach, eg EM algorithm)

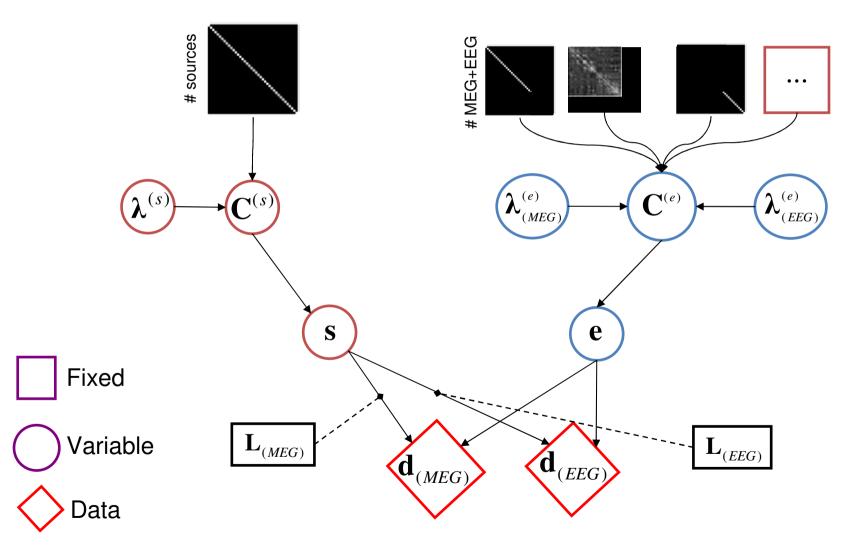
Symmetric Integration of MEG+EEG Generative Model





Symmetric Integration of MEG+EEG Generative Model





One final problem...



- Though this allows for different additive noise levels in MEG and EEG...
- ...we are assuming mapping from common electrical sources to sensor values (in terms of Telsa and Volts) is known precisely...
- ...whereas in reality, this depends on several unknowns (e.g., precise) conductivity of skull/scalp)
- One solution is to scale data/leadfields to have same variance:

$$\tilde{Y}_i = \frac{Y_i}{\sqrt{\frac{1}{n_i} tr(Y_i Y_i^T)}}$$

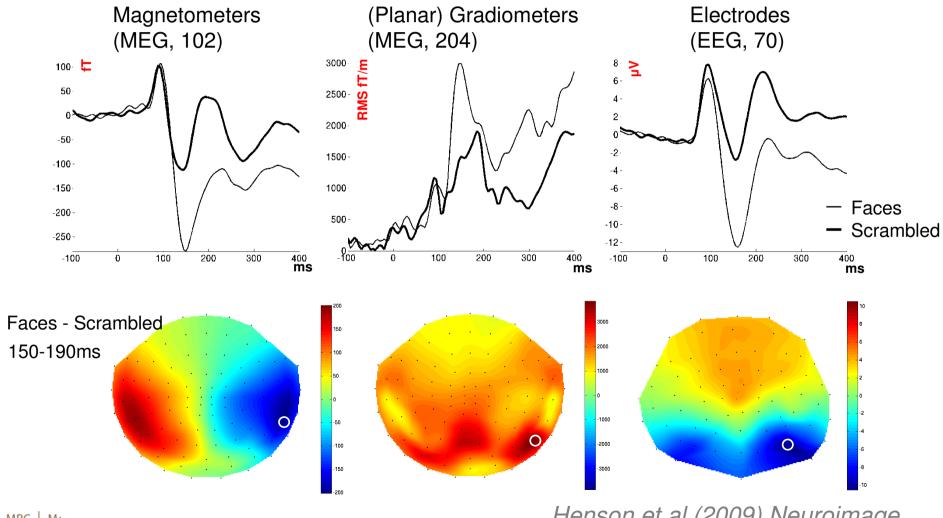
$$\tilde{L}_{i} = \frac{L_{i}}{\sqrt{\frac{1}{n_{i}}tr(L_{i}L_{i}^{T})}}$$

 $\tilde{Y_i} = \frac{Y_i}{\sqrt{\frac{1}{n}tr(Y_iY_i^T)}}$ $\tilde{L_i} = \frac{L_i}{\sqrt{\frac{1}{n}tr(L_iL_i^T)}}$ $i = ith \ modality, \ ie \ MEG \ or \ EEG$ $n_i = \text{Number of sensors for modality } i$

Symmetric Integration of MEG+EEG Example

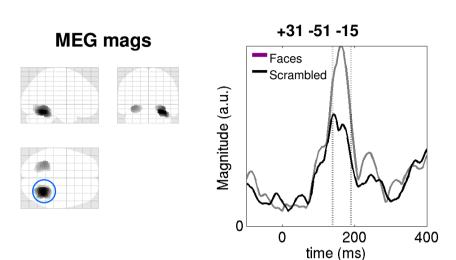


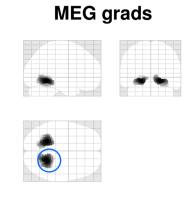
ERs from 12 subjects for 3 simultaneously-acquired Neuromag sensor-types:

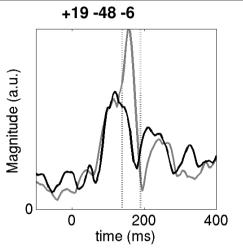


Symmetric Integration of MEG+EEG

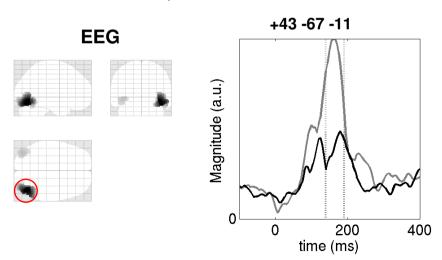


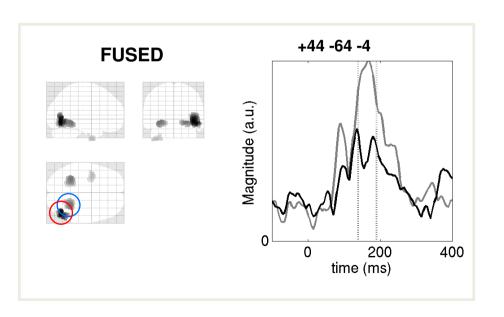






Faces - Scrambled, 150-190ms





Other Approaches to M/EEG fusion



Estimate noise covariance from pre-stimulus baseline (**b**):

$$\mathbf{C}^{(e)} = \begin{bmatrix} cov(\mathbf{b}_{(MEG)}) & \mathbf{0} \\ \mathbf{0} & cov(\mathbf{b}_{(EEG)}) \end{bmatrix}$$
Molins et al (2008), Neuroimage

(which can also be used to pre-whiten data and leadfields, scaling to noise units)...

...but downside is that **baseline contains source activity**, so not estimate of true sensor noise

Maximise mutual information between MEG and EEG

Baillet et al (1999), IEEE

Re-parameterise leadfields in terms of radial/tangential components

Huang et al (2007). Neuroimage

Talk Overview



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- 2. M/EEG + fMRI asymmetric integration

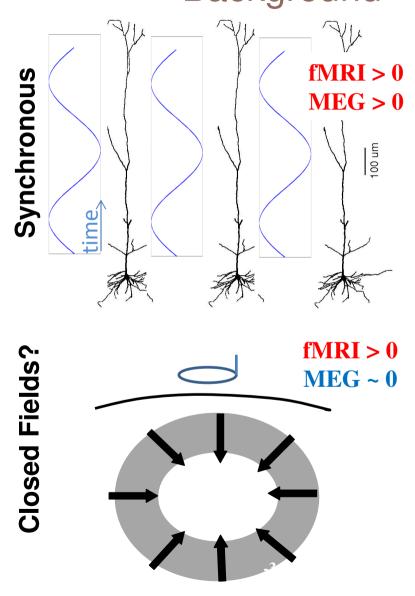
Asymmetric Integration of MEG+fMRI Background

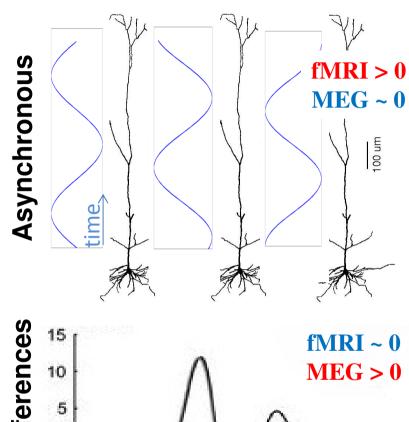


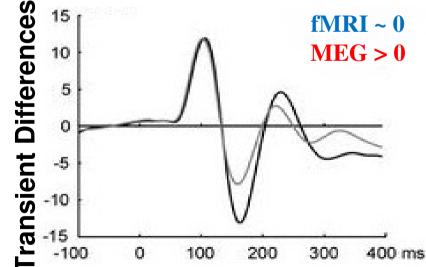
- fMRI has superior spatial resolution (~mm) vs. M/EEG, but inferior temporal resolution (integrating over seconds)
- fMRI and M/EEG measure similar, but not identical, neural activity
- Eg, some source configurations give detectable fMRI signal, but no detectable M/EEG signal...
- ...and vice versa

Asymmetric Integration of MEG+fMRI Background









Asymmetric Integration of MEG+fMRI Background



- fMRI has superior spatial resolution (~mm) vs. M/EEG, but inferior temporal resolution (integrating over seconds)
- fMRI and M/EEG measure similar, but not identical, neural activity
- Eg, some source configurations give detectable fMRI signal, but no detectable M/EEG signal...
- ...and vice versa
- Use fMRI as a soft, rather than hard, constraint on localisation of sources of M/EEG data...



Specifying (co)variance components (priors/regularisation):

$$\mathbf{C} = \sum_{i} \lambda_{i} \, \mathbf{Q}_{i}$$

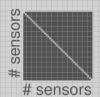
C = Sensor/Source covariance

Q = Covariance components

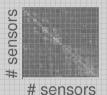
★ = Hyper-parameters

1. Sensor components, $Q_i^{(e)}$ (error):

"IID" (white noise):

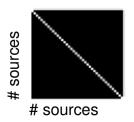


Empty-room:



2. Each suprathreshold fMRI cluster becomes a separate prior $\mathbf{Q}_{i}^{(s)}$

"IID" (min norm):



fMRI Priors:





General solution again:

$$\widehat{\mathbf{s}} = \mathbf{C}^{(s)} \mathbf{L}^T (\mathbf{L} \mathbf{C}^{(s)} \mathbf{L}^T + \lambda \mathbf{C}^{(e)})^{-1} \mathbf{d}$$

$$\mathbf{e} \sim N(0, \mathbf{C}^{(e)})$$

$$\mathbf{s} \sim N(0, \mathbf{C}^{(s)})$$

Now source covariance expressed as number of fMRI clusters:

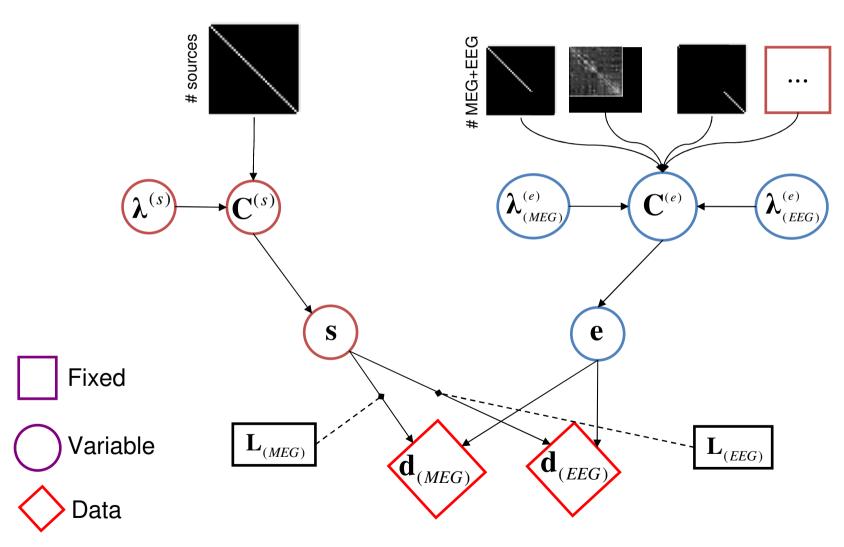
$$\mathbf{C}^{(s)} = \lambda_1^{(s)} \mathbf{Q}_{(fMRI1)}^{(s)} + \lambda_2^{(s)} \mathbf{Q}_{(fMRI2)}^{(s)} + \dots$$

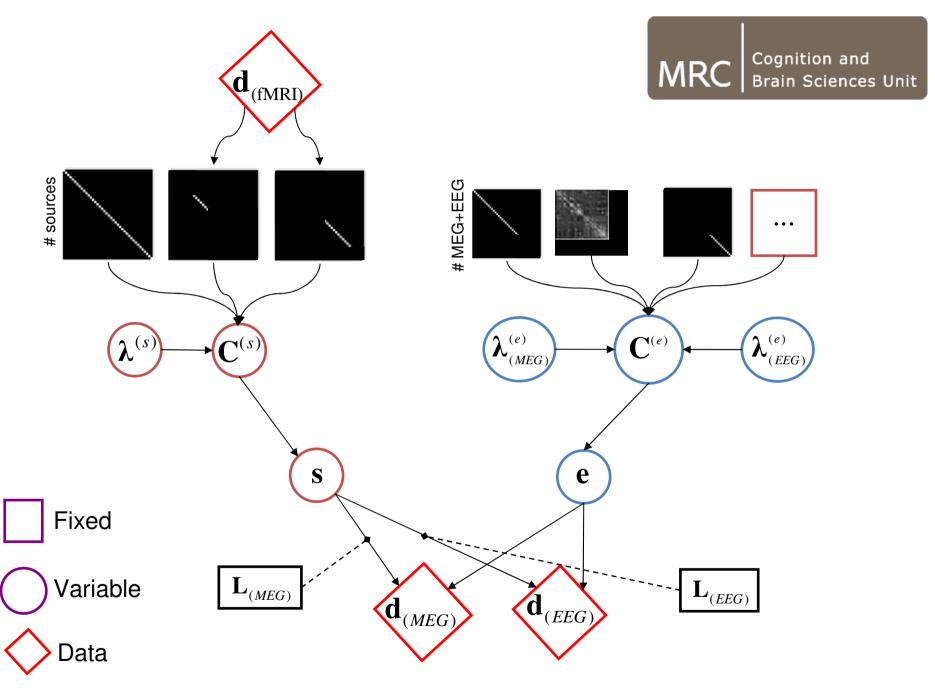
When $\mathbf{Q}_i^{(s)}$ does not help maximise model evidence, $\lambda_i^{(s)} \to 0$, i.e, constraints ignored...

...catering for situations where fMRI signal does not reflect same activity as in M/EEG signal (e.g, occurring later than time-window than M/EEG data)

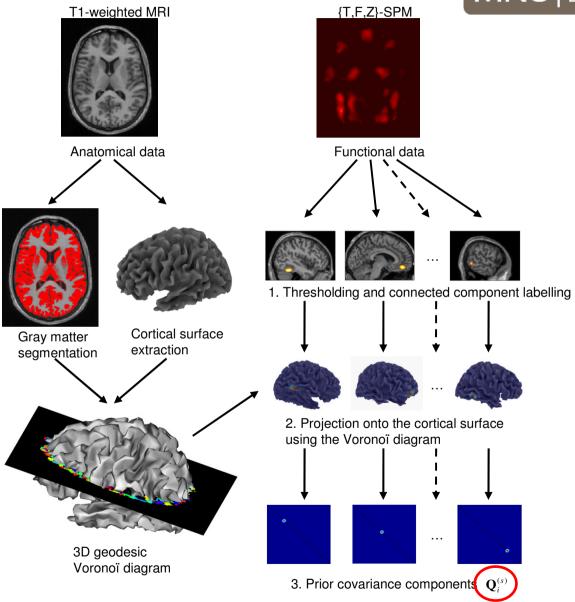
Symmetric Integration of MEG+EEG Generative Model



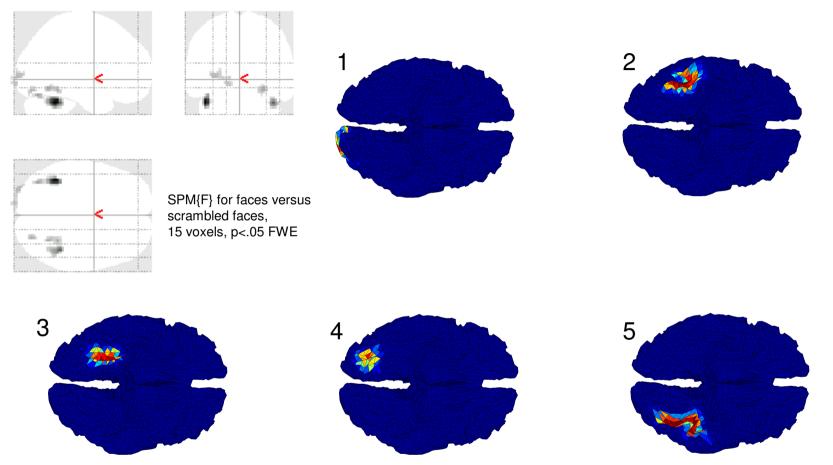






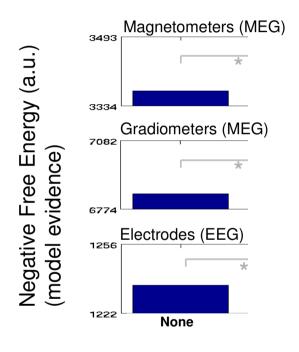




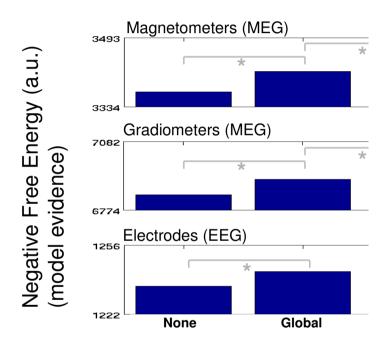


5 clusters from SPM of fMRI data from separate group of (18) subjects in MNI space

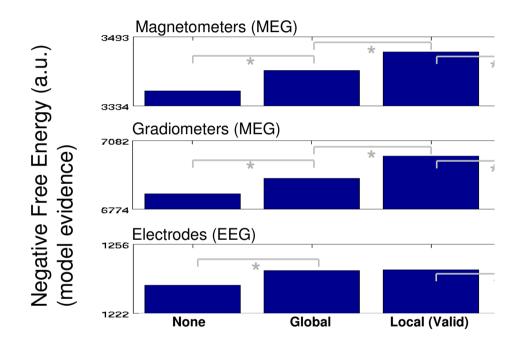




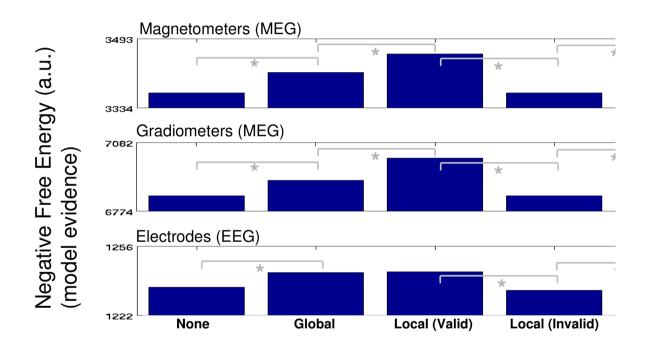




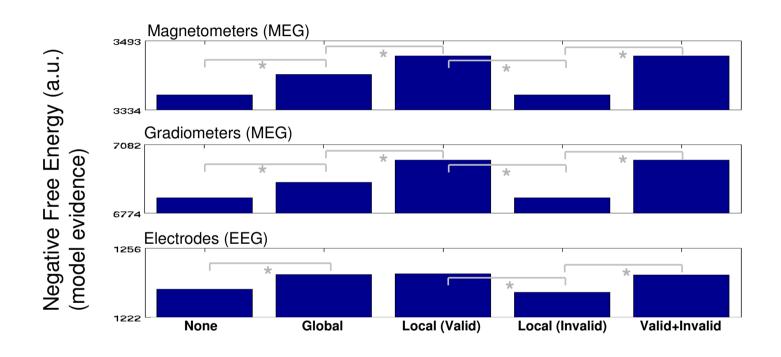






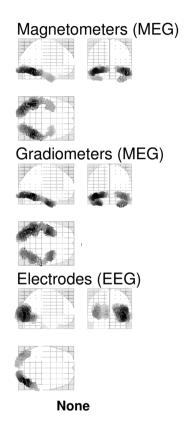






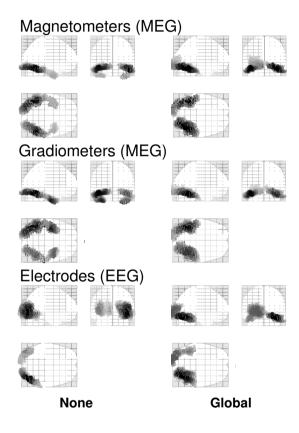


IID sources and IID noise (L2 MNM)



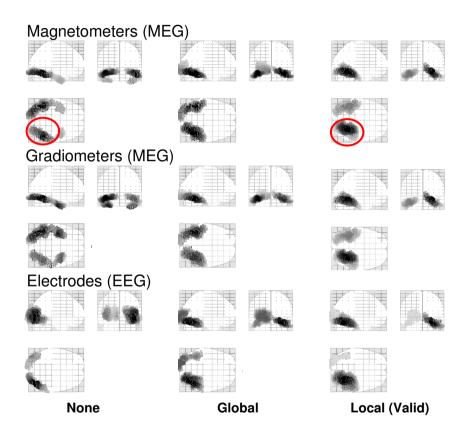


IID sources and IID noise (L2 MNM)





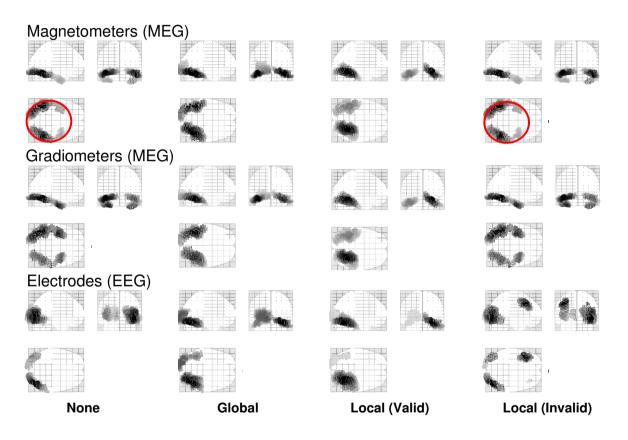
IID sources and IID noise (L2 MNM)



fMRI priors counteract superficial bias of Min Norm



IID sources and IID noise (L2 MNM)



Invalid priors generally discounted (at least for MEG)



- Adding a single, global fMRI prior increases model evidence
- Adding multiple valid priors increases model evidence further
- Adding invalid priors does not necessarily increase model evidence, particularly in conjunction with valid priors Helpful if some fMRI regions produce no MEG/EEG signal (or arise from neural activity at different times)
- Can counteract superficial bias of, e.g, minimum-norm
- Makes some allowance for different sensitivities of fMRI and M/EEG to certain types of neural activity

Other Approaches to fMRI/MEG/EEG



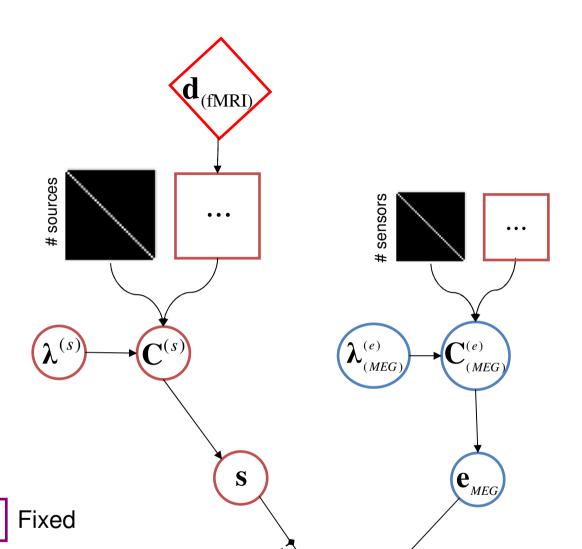
Symmetric Integration (fusion) of fMRI and M/EEG

•e.g based on ROIs:

Ou et al (2010), Neuroimage

•e.g, full biophysical model

Sotero & Trujillo-Barreto (2008), Neuroimage



(d_(MEG)

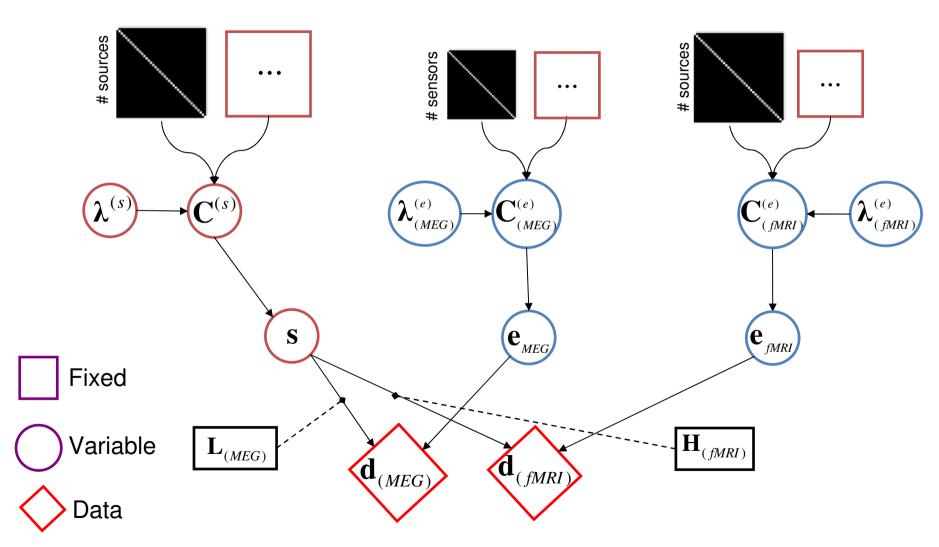


Data

Variable

 $\mathbb{L}_{({\it MEG})}$







The End