

# Investigation of cooling process using CFD

# Outline

- The aim of the project
- CFD Approach
  - Estimation of the current set up
  - Mathematical Models
  - CFD approach: validation of solvers
- Summary

# Aim and motivation

- Investigation of cooling process in spirals using CFD
- Motivation:
  - Reduction in energy consumption
  - Increasing productivity
  - Product exportation possibility
  - Improving spirals environment

# Estimation

## ➤ Current facts on spiral (ambient)

Flow rate  $\approx 10 \text{ m/s}$

Volume of air injected  $6 \text{ m}^3/\text{s}$

Total volume  $6 \times 5400 \text{ (90 minutes)} = 32400 \text{ m}^3$

$\approx 3.6 \text{ m}^3/\text{s}$  for each pasty

## ➤ Pasty cooling requirement

Total surface of a unit product  $\approx 0.03 \text{ m}^2$

Required air volume for cooling  $\approx 0.3 \text{ m}^3/\text{s}$

**we could cool 12 units!!!**

# Mathematical models

- Navier-Stokes equations for flow

$$\frac{\partial \rho}{\partial t} + \rho(\nabla \cdot \mathbf{u}) = 0$$

$$\frac{\partial(\rho \mathbf{u})}{\partial t} + \nabla \cdot (\rho \mathbf{u} \times \mathbf{u}) = \nabla P + \nabla \tau + \rho \mathbf{g}$$

- Transport equation for heat transfer

$$\frac{\partial T}{\partial t} + \mathbf{u} \cdot \nabla T = \alpha \Delta T$$

# CFD approach

## ➤ Why CFD?

- Computer based experiments
- Low cost and applicable to most of the cases
- Credibility of CFD solution?

## ➤ Mesh generation (pre-processing): Discretization of the domain into small sub-volumes (cells)

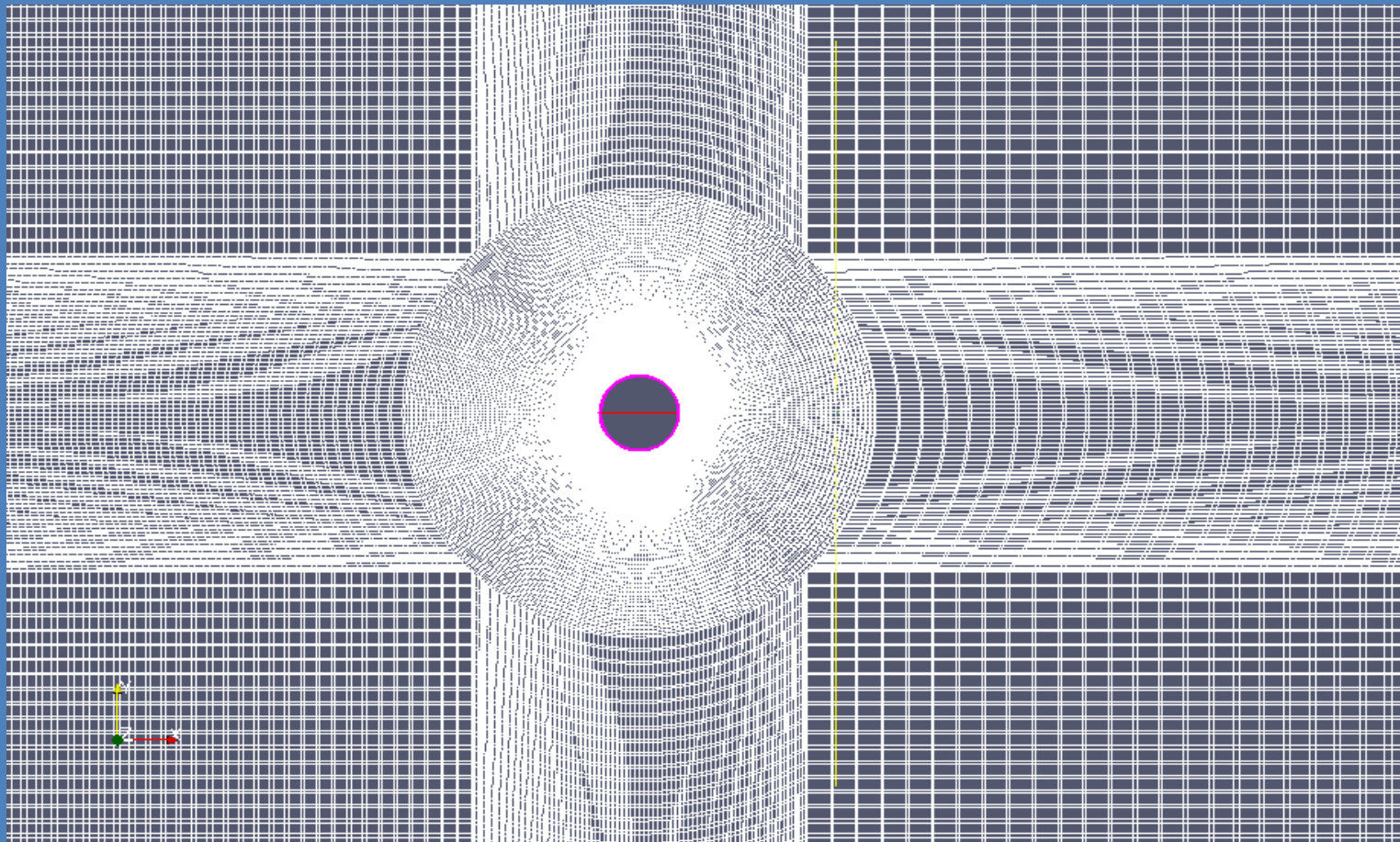
## ➤ Approximation of Mathematical models: Finite difference, finite volume or finite elements

## ➤ Post processing: Analysing and interpreting data

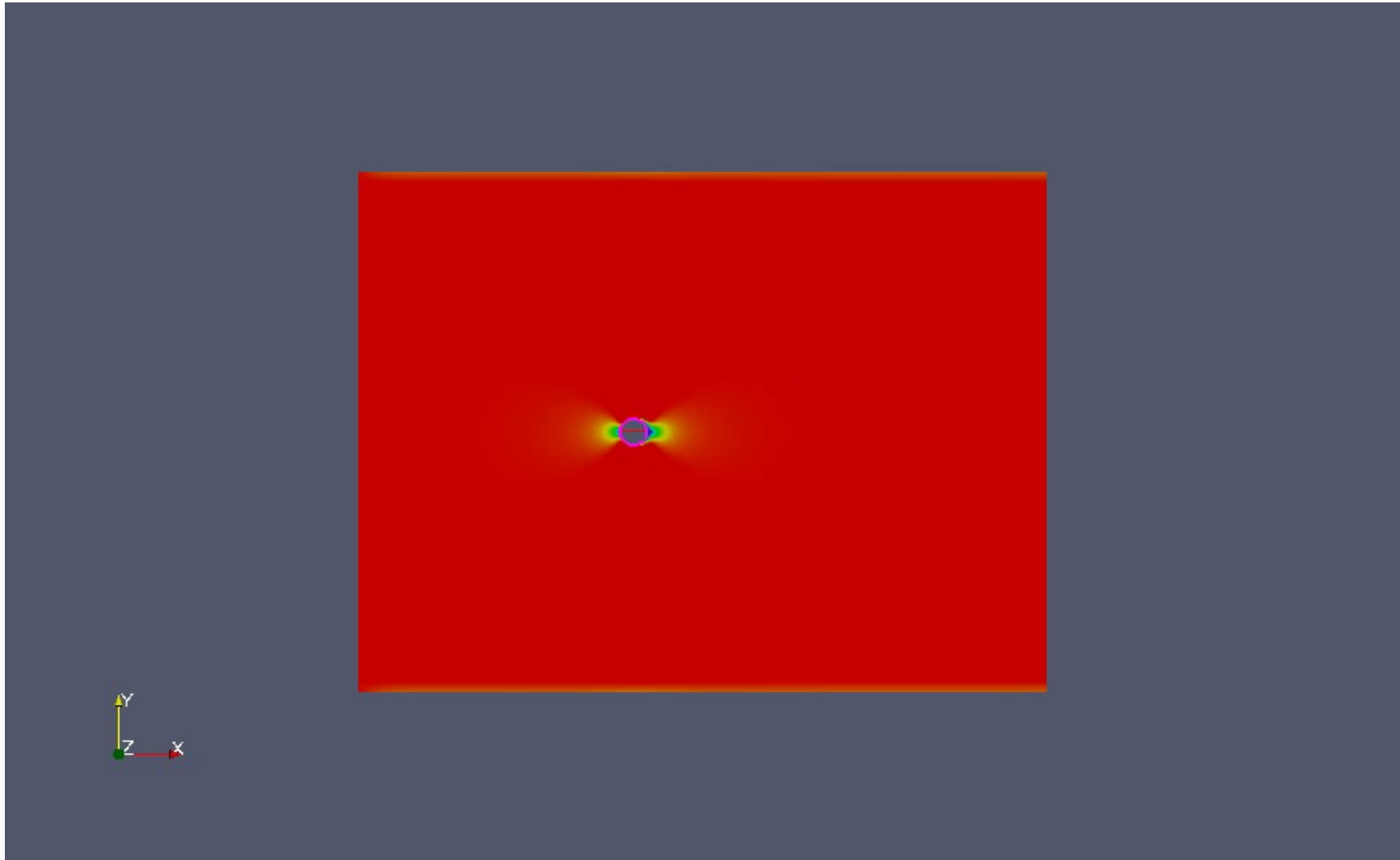
## ➤ OpenFoam converts the equations into algebraic equation: $AV = B$

# Validation of OpenFoam

- Hydrodynamic Solver  
Incompressible flow around cylinder



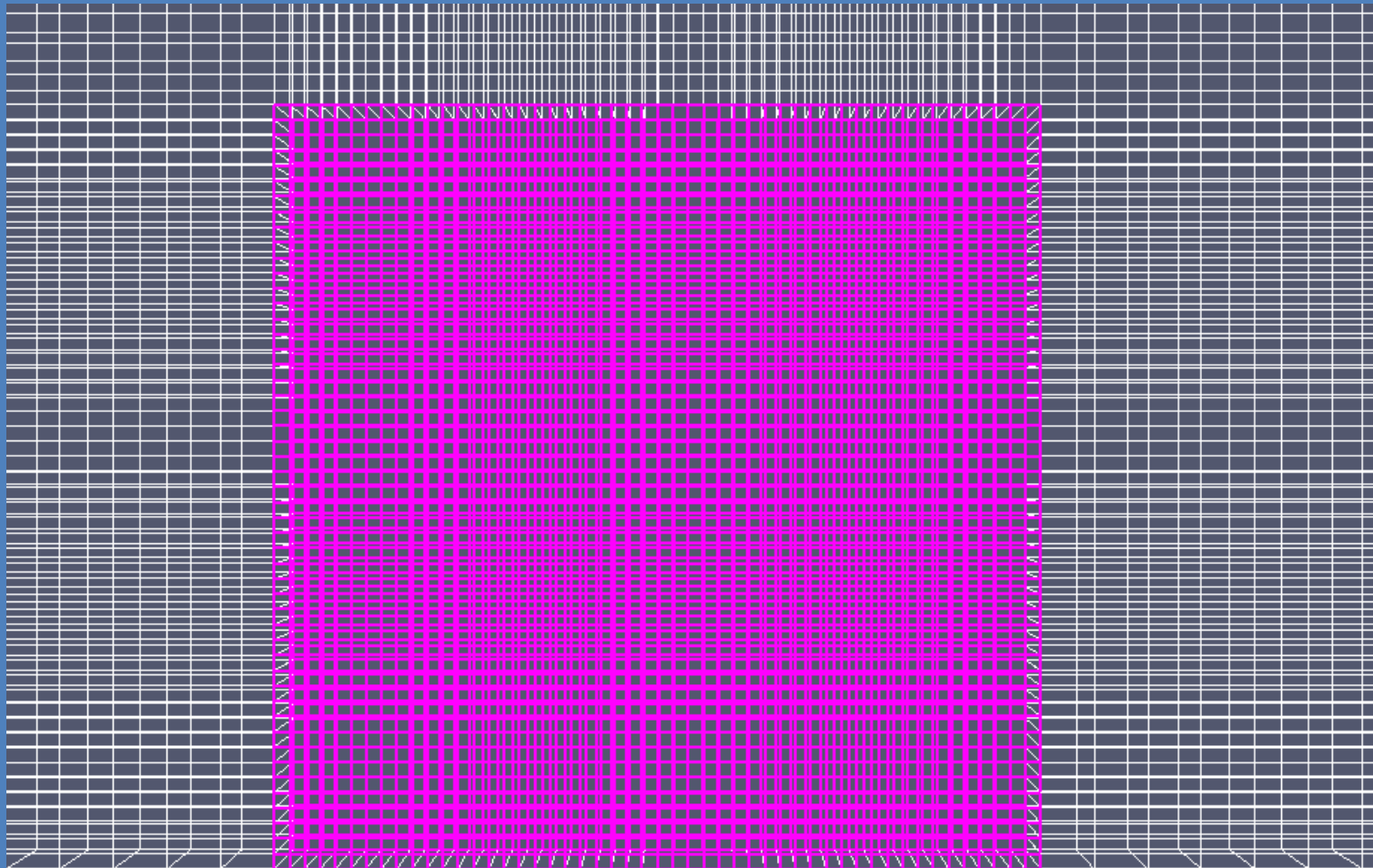
# Validation of OpenFoam



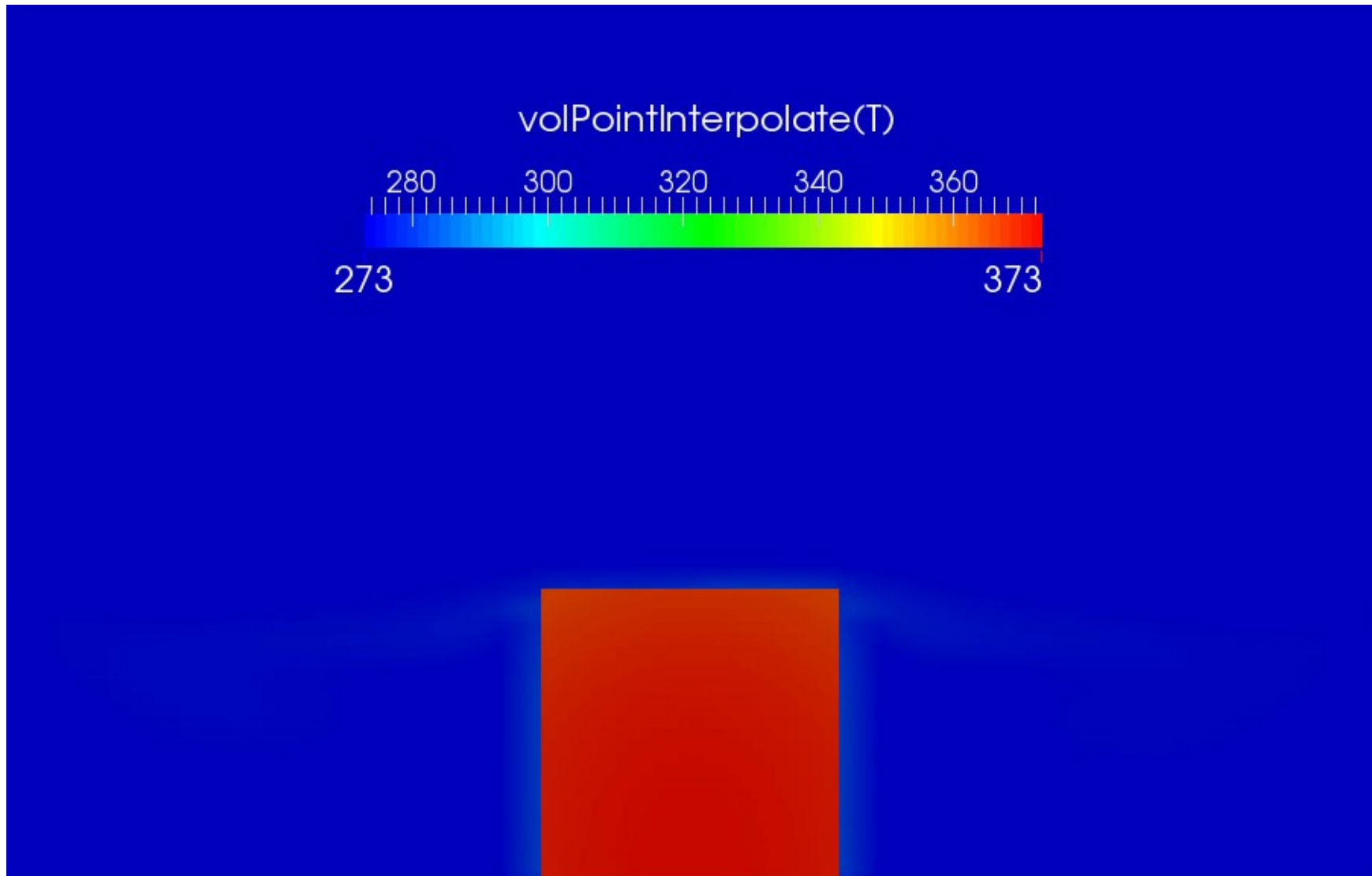


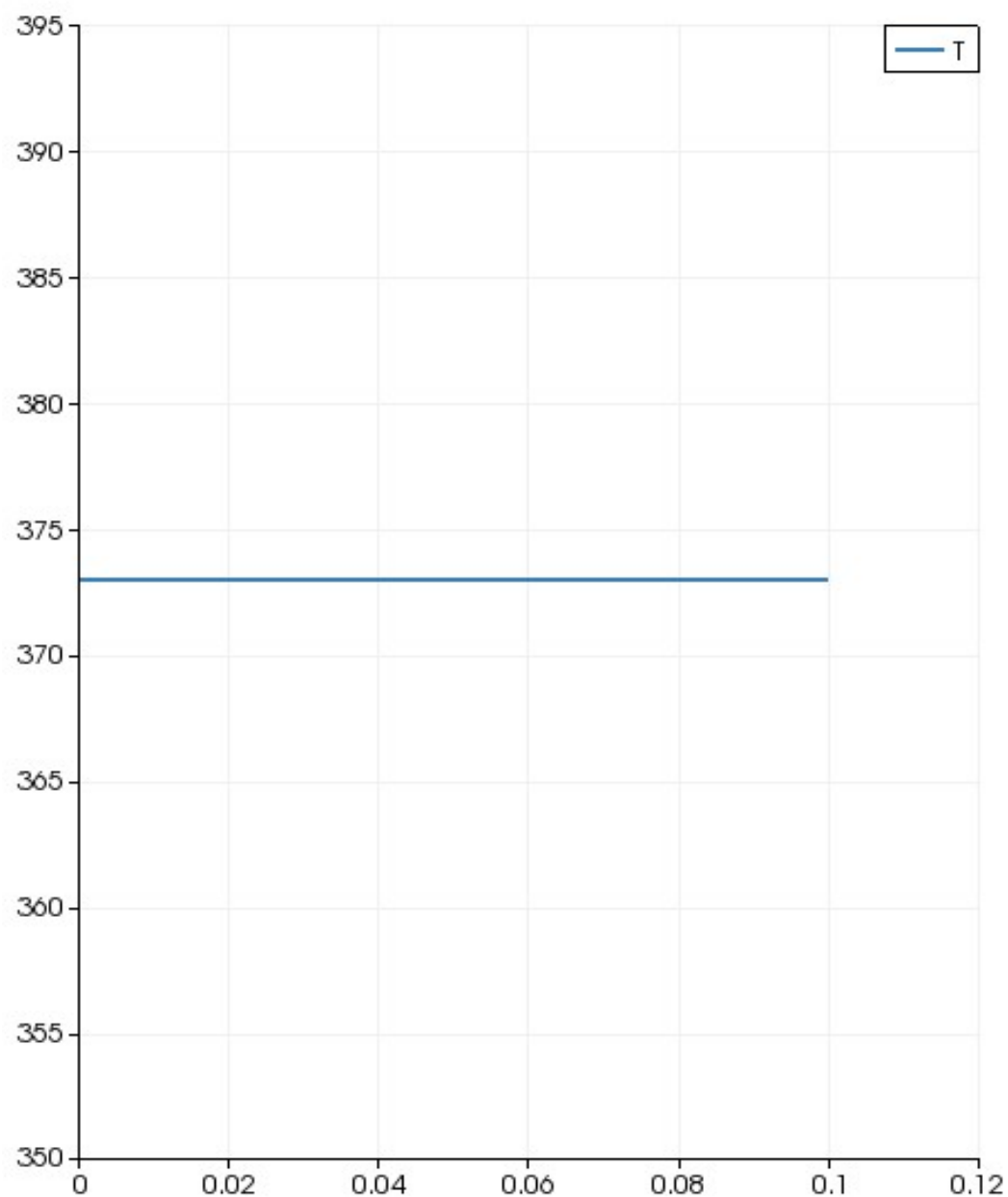
# Validation of OpenFoam

- Heat Transfer Solver  
Cooling rectangle metal

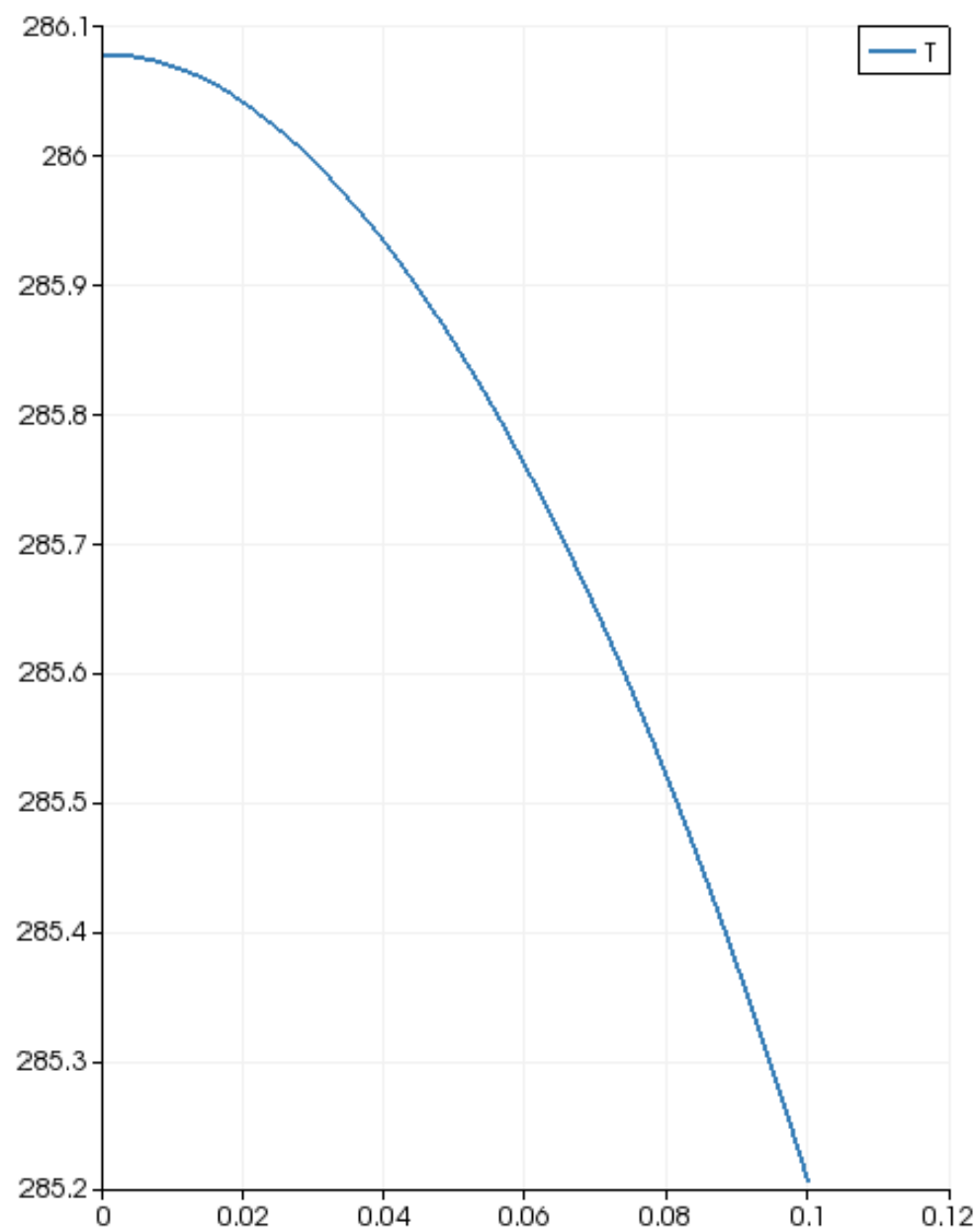


# Animation





Temperature distribution profile in solid box  
from the bottom to the top at  $t=0$  s



Temperature distribution profile in solid  
from the bottom to the top at  $t=4.7$  S

# Summary

- Solvers reproduce flow behaviour and show heat extracting from a solid
- Investigation of the coupled hydrodynamics-Thermal solvers
- Applying it to pasty (model)