Goose: A Meta-Solver for Deep Neural Network Verification

Reporter: Chi Zhiming

November 18, 2022

- 1 Introduction
- 2 Goose
- 3 Experiment

- 1 Introduction
- 2 Goose
- 3 Experiment

Contribution

- Goose, a meta-solver, leverages three key meta-solving techniques, namely, adaptive algorithm selection, probabilistic satisfiability inference, and time interval deepening to implement an adaptive sequential portfolio of solvers for NN verification.
- \bullet Goose improve 37.7% across benchmarks and solvers from VNN-COMP'21 and 41.4% over competition solvers on a 90 select ACAS Xu instances .

Background

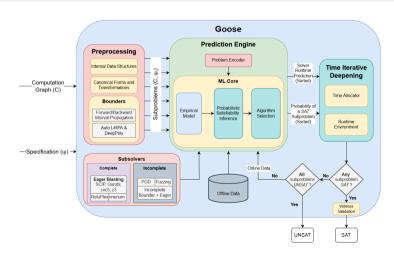
VNN-COMP

- International Verification of Neural Networks Competition
- website link

	Total Score		
#	Tool	Score	
1	α,β -CROWN	1274.9]
2	MN BaB	1017.3	
3	Verinet	892.5	OI O basea
4	Nnenum	534.0	•
5	Cgdtest	406.4	
6	Peregrinn	399.0	
7	Marabou	380.6	
8	Debona	222.9	
9	Fastbatllnn	100.0	
10	Verapak	98.2	
11	Averinn	29.1	

- Introduction
- 2 Goose
- 3 Experiment

Framework



Preliminary Study

Problem Encoder:

- Goose implements a problem encoder $\xi(C; \psi_i)$ to compute **feature vectors** a real-valued vector representation of C, ψ_i , with 221 dimensions (features).
- Network, specification, online information and subproblem features. Probabilistic Satisfiability Inference
- determine which subproblems to be targeted using decision NN model. Algorithm selection:
- determine which solvers should be used decision NN model.



Pseudocode for Goose

Algorithm 1 The main execution loop of Goose

Sort P in descending order by α_{ψ} .

Input: A computation graph C and a linear specification ψ over C

Output: SAT/UNSAT

8:

```
1: procedure GOOSE-MAINLOOP 2: t = t_{init} 2: t = t_{init} 2: t = t_{init} 3: P = T(C, \psi) \triangleright T is the transform from Theorem 1 4: F = [\bot \forall C, \psi_i \in P] \triangleright subproblem flag 5: solved \pm 6: while not solved do 7: \alpha_{\psi_i} = allocation of t for each unsolved \psi_i from probabilistic satisfiability inference.
```

```
for C, \psi_i in P do
 9:
10:
                if \mathcal{F}[C, \psi_i] then
11:
                     continue
12.
                 end if
13:
                 \beta_{s,\psi_s} = allocation of \alpha_{\psi_s} for each s \in S from algorithm selection.
14:
                 Sort S in descending order by \beta_{s,\psi_s}
15:
                for s \in S do
16:
                     \rho = \operatorname{run}(s, C, \psi_i, \beta_{s,\psi_i})
17:
                                                                   ⊳ If any subproblem ψε is SAT
                     if o is SAT then
18:
                         return SAT
19:
                     else if \rho is UNSAT then
20:
                         \mathcal{F}[C, \psi_i] = T
21:
                     end if
22:
                end for
23:
            end for
24:
            t += an exponential increment
            solved = \Lambda v
26:
        end while
        return UNSAT
28: end procedure
```

- Introduction
- 2 Goose
- 3 Experiment

benchmark of VNN-COMP'21

The PAR-2 score of a solver on a benchmark is the wallclock runtime if successful, otherwise twice the wallclock runtime (lower is better).

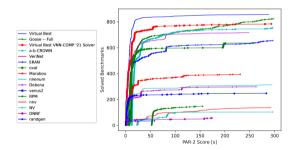


Fig. 2. Main experimental CDF plot over VNN-COMP '21 benchmarks (Section 4.2). A CDF is a visualization of a solver's performance on a benchmark suite the vertical axis represents the number of benchmarks solved (higher is better) and the horizontal axis is the benchmark wise PAR-2 (lower is better). See abalation study in

benchmark of Acasxu

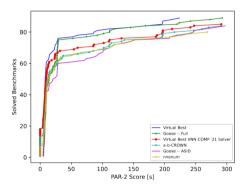


Fig. 3. CDF plot over select ACAS Xu benchmarks (Section 4.3). A CDF plot is a visualization of a solver's performance on a benchmark suite the horizontal axis represents the number of benchmarks solved (higher is better) and the vertical axis is the benchmark wise PAR-2 (lower is better).

Thank you