Performance (Preview)

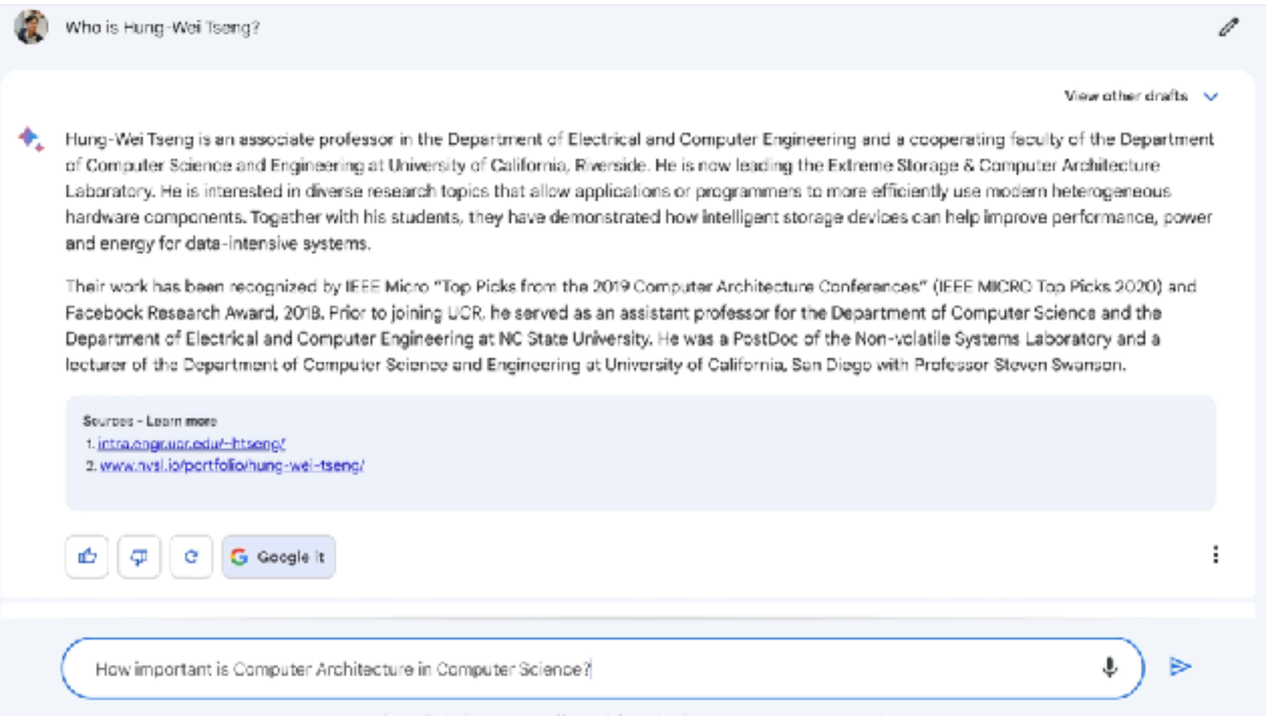
Hung-Wei Tseng

Outline

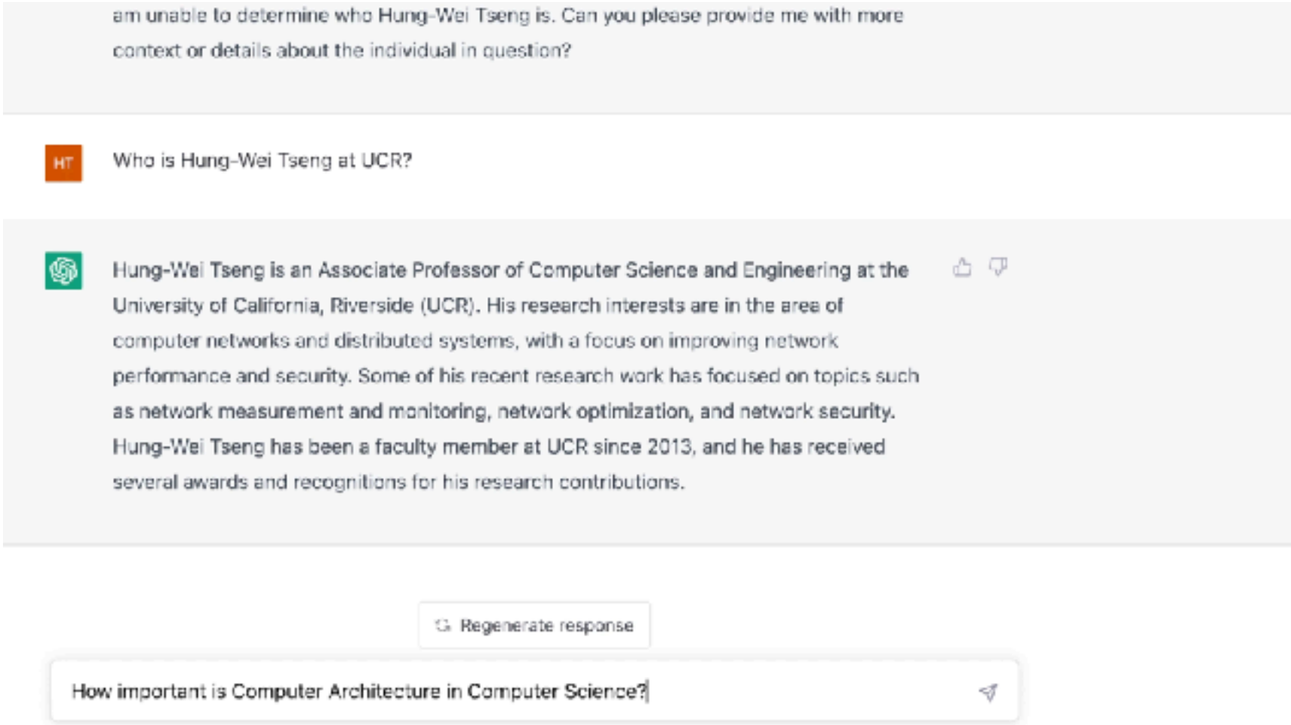
- Definition of “Performance”
- The performance equation
- What affects each factor in “Performance Equation”

What does it really mean by “better” performance

Bard



182 words/6 secs



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Performance

- The right metric — latency? throughput? quality of results?
- The same page — everyone needs to compare on the same metric under almost the same criteria — except for the one change you want to compare
- The quantitative comparison — A is better than B by “how much”

Let’s start with “end-to-end latency” as the default metric — how long it takes to execute a program?

CPU Performance Equation

$$Performance = \frac{1}{Execution\ Time}$$

$$Execution\ Time = \frac{Instructions}{Program} \times \frac{Cycles}{Instruction} \times \frac{Seconds}{Cycle}$$

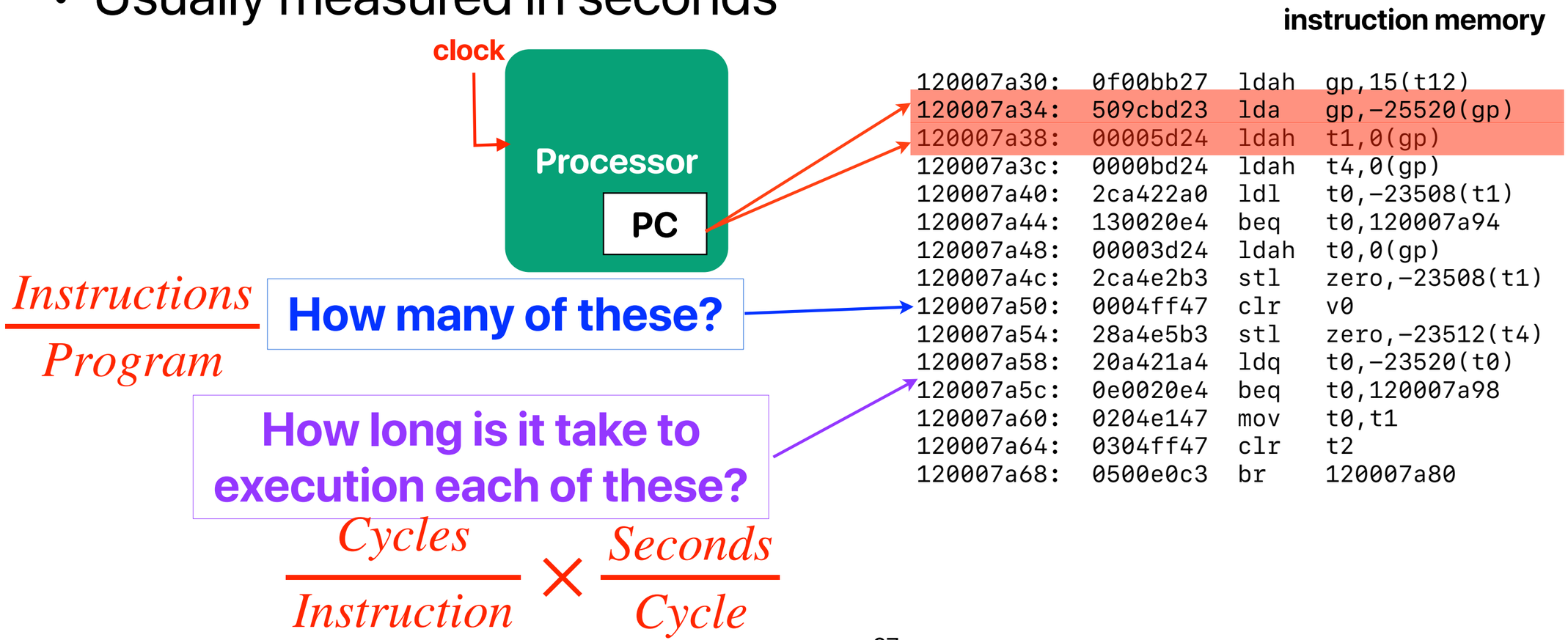
$$ET = IC \times CPI \times CT$$

$$1GHz = 10^9 Hz = \frac{1}{10^9} sec\ per\ cycle = 1\ ns\ per\ cycle$$

$$\frac{1}{Frequency(i.e., clock\ rate)}$$

Execution Time

- The simplest kind of performance
- Shorter execution time means better performance
- Usually measured in seconds



Speedup

- The relative performance between two machines, X and Y. Y is n times faster than X

$$n = \frac{Execution\ Time_X}{Execution\ Time_Y}$$

- The speedup of Y over X

$$Speedup = \frac{Execution\ Time_X}{Execution\ Time_Y}$$

What Affects Each Factor in Performance Equation

Demo — programmer & performance

A

```
for(i = 0; i < ARRAY_SIZE; i++)
{
  for(j = 0; j < ARRAY_SIZE; j++)
  {
    c[i][j] = a[i][j]+b[i][j];
  }
}
```

B

```
for(j = 0; j < ARRAY_SIZE; j++)
{
  for(i = 0; i < ARRAY_SIZE; i++)
  {
    c[i][j] = a[i][j]+b[i][j];
  }
}
```

$O(n^2)$ **Complexity** $O(n^2)$

Instruction Count?

Clock Rate

CPI

Demo — programmer & performance

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for(i = 0; i < ARRAY_SIZE; i++)
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{
  for(i = 0; i < ARRAY_SIZE; i++)
  {
    c[i][j] = a[i][j]+b[i][j];
  }
}
```

$O(n^2)$	Complexity	$O(n^2)$
Same	Instruction Count?	Same
Same	Clock Rate	Same
???	CPI	???

Use “performance counters” to figure out!

- Modern processors provides performance counters
  - instruction counts
  - cache accesses/misses
  - branch instructions/mis-predictions
- How to get their values?
  - You may use “perf stat” in linux
  - You may use Instruments —> Time Profiler on a Mac
  - Intel’s vtune — only works on Windows w/ intel processors
  - You can also create your own functions to obtain counter values

Demo — programmer & performance

A

```
for(i = 0; i < ARRAY_SIZE; i++)
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  {
    c[i][j] = a[i][j]+b[i][j];
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B

```
for(j = 0; j < ARRAY_SIZE; j++)
{
  for(i = 0; i < ARRAY_SIZE; i++)
  {
    c[i][j] = a[i][j]+b[i][j];
  }
}
```

$O(n^2)$	Complexity	$O(n^2)$
Same	Instruction Count?	Same
Same	Clock Rate	Same
Better	CPI	Worse

Programmers can also set the cycle time

https://software.intel.com/sites/default/files/comment/1716807/how-to-change-frequency-on-linux-pub.txt

```
==========================================
Subject: setting CPU speed on running linux system


If the OS is Linux, you can manually control the CPU speed by reading and writing some virtual files in the "/proc"

1.) Is the system capable of software CPU speed control?
If the "directory" /sys/devices/system/cpu/cpu0/cpufreq exists, speed is controllable.
-- If it does not exist, you may need to go to the BIOS and turn on EIST and any other C and P state control and vi



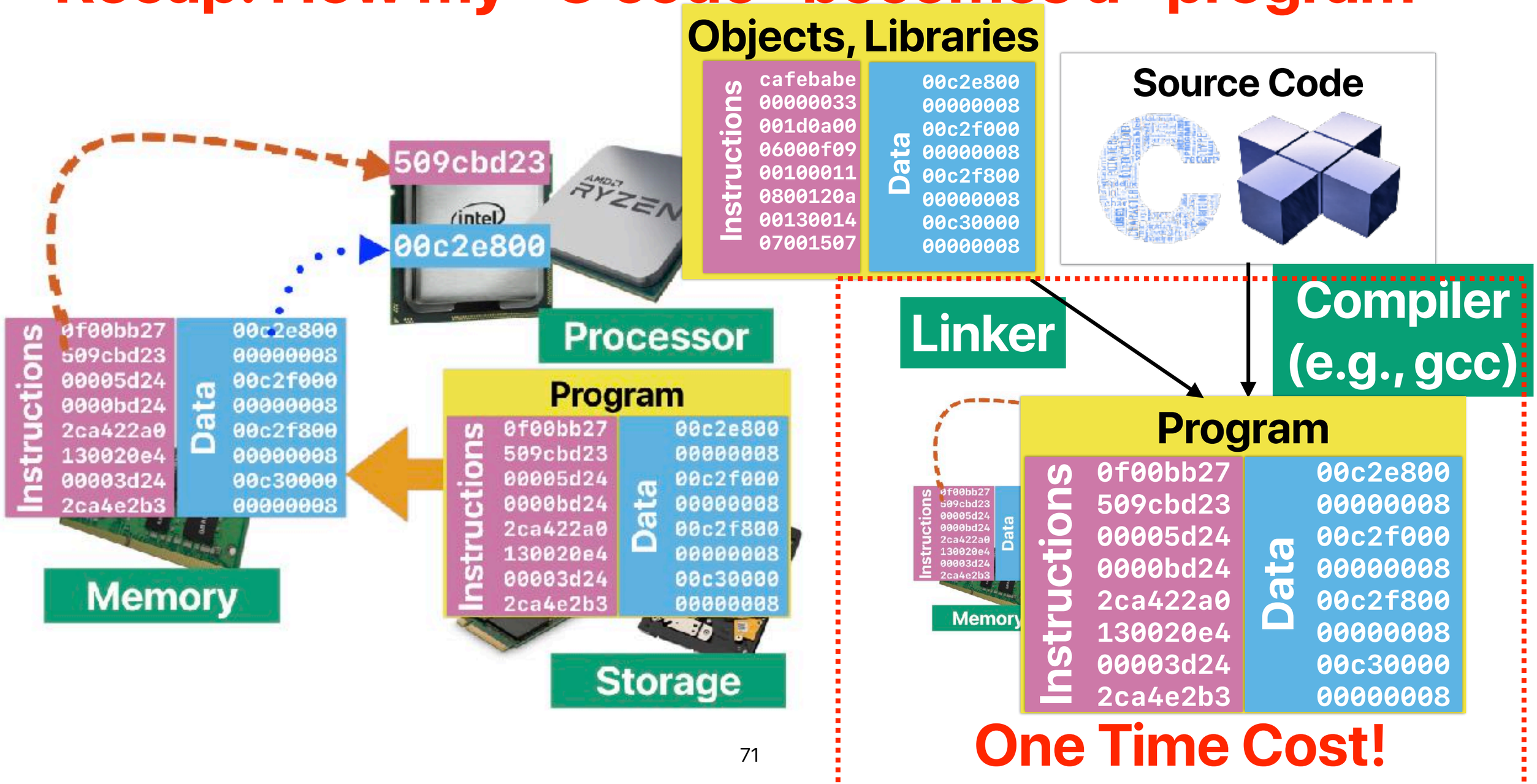
2.) What speed is the box set to now?
Do the following:
$ cd /sys/devices/system/cpu
$ cat ./cpu0/cpufreq/cpuinfo_max_freq
3193000
$ cat ./cpu0/cpufreq/cpuinfo_min_freq
1596000

3.) What speeds can I set to?
Do
$ cat /sys/devices/system/cpu/cpu0/cpufreq/scaling_available_frequencies
It will list highest settable to lowest; example from my NHM "Smackover" DX58SO HEDT board, I see:
3193000 3192000 3059000 2926000 2793000 2660000 2527000 2394000 2261000 2128000 1995000 1862000 1729000 159600
You can choose from among those numbers to set the "high water" mark and "low water" mark for speed.  If you set "h

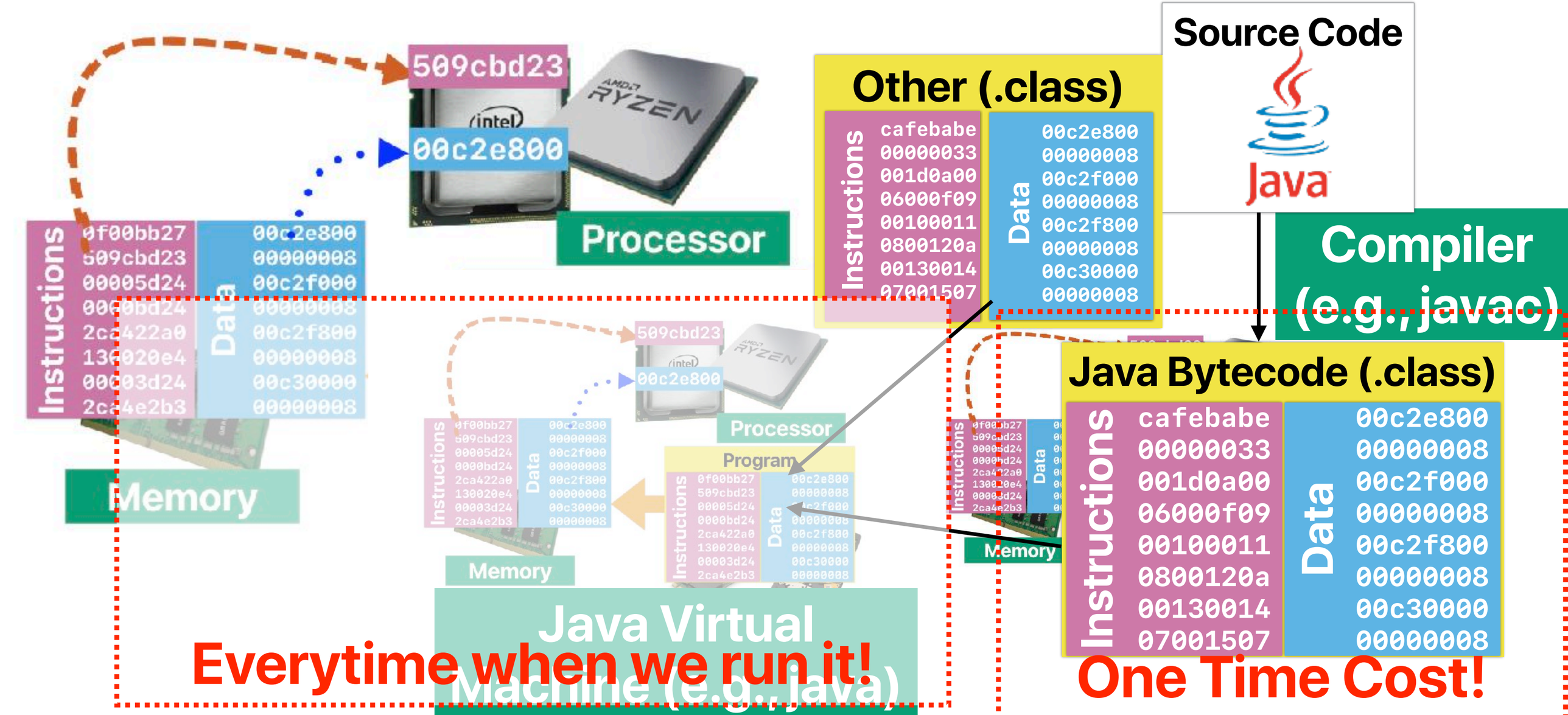

4.) Show me how to set all to highest settable speed!
Use the following little sh/ksh/bash script:
$ cd /sys/devices/system/cpu  # a virtual directory made visible by device drivers
$ newSpeedTop=`awk '{print $1}' ./cpu0/cpufreq/scaling_available_frequencies`
$ newSpeedLow=$newSpeedTop  # make them the same in this example
$ for c in ./cpu[0-9]* ; do
>   echo $newSpeedTop >${c}/cpufreq/scaling_max_freq
>   echo $newSpeedLow >${c}/cpufreq/scaling_min_freq
> done
$

5.) How do I return to the default - i.e. allow machine to vary from highest to lowest?
Edit line # 3 of the script above, and re-run it.  Change the line:
$ newSpeedLow=$newSpeedTop  # make them the same in this example
```

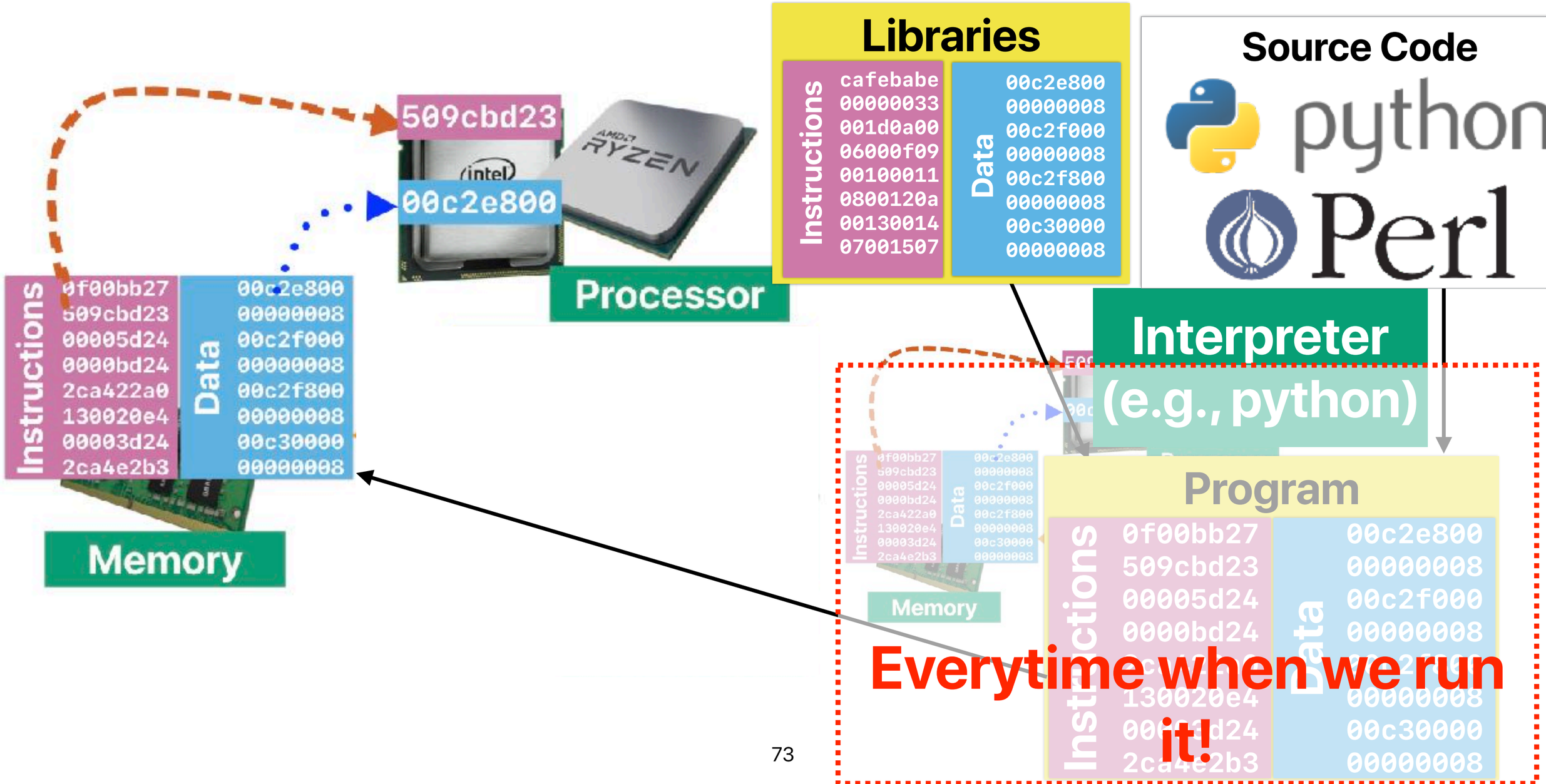
Recap: How my "C code" becomes a "program"



Recap: How my "Java code" becomes a "program"



Recap: How my "Python code" becomes a "program"



Revisited the demo with compiler optimizations!

- gcc has different optimization levels.
  - -O0 — no optimizations
  - -O3 — typically the best-performing optimization

A

```
for(i = 0; i < ARRAY_SIZE; i++)
{
  for(j = 0; j < ARRAY_SIZE; j++)
  {
    c[i][j] = a[i][j]+b[i][j];
  }
}
```

B

```
for(j = 0; j < ARRAY_SIZE; j++)
{
  for(i = 0; i < ARRAY_SIZE; i++)
  {
    c[i][j] = a[i][j]+b[i][j];
  }
}
```

How about complexity?

How about “computational complexity”

- Algorithm complexity provides a good estimate on the performance if —
  - Every instruction takes exactly the same amount of time
  - Every operation takes exactly the same amount of instructions

These are unlikely to be true

Summary of CPU Performance Equation

$$Performance = \frac{1}{Execution\ Time}$$

$$Execution\ Time = \frac{Instructions}{Program} \times \frac{Cycles}{Instruction} \times \frac{Seconds}{Cycle}$$

$$ET = IC \times CPI \times CT$$

- IC (Instruction Count)
  - ISA, Compiler, algorithm, programming language, **programmer**
- CPI (Cycles Per Instruction)
  - Machine Implementation, microarchitecture, compiler, application, algorithm, programming language, **programmer**
- Cycle Time (Seconds Per Cycle)
  - Process Technology, microarchitecture, **programmer**

Amdahl's Law — and It's Implication in the Multicore Era

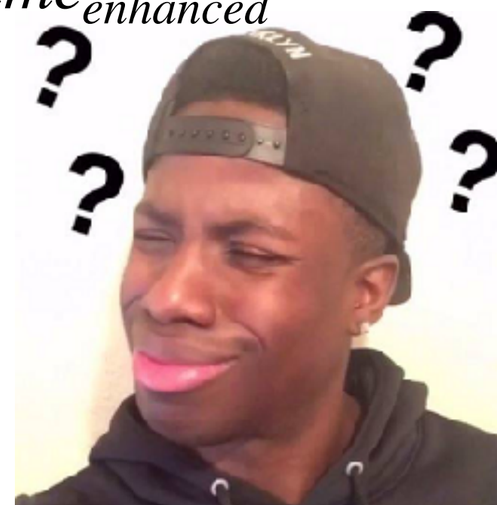
Amdahl's Law

$$Speedup_{enhanced}(f, s) = \frac{1}{(1 - f) + \frac{f}{s}}$$

f — The fraction of time in the original program

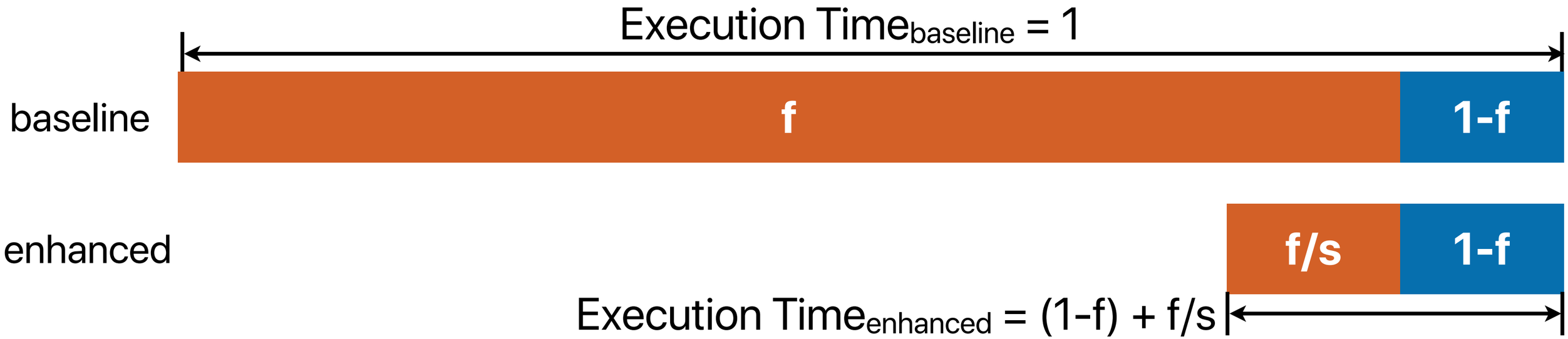
s — The speedup we can achieve on f

$$Speedup_{enhanced} = \frac{Execution\ Time_{baseline}}{Execution\ Time_{enhanced}}$$



Amdahl's Law

$$Speedup_{enhanced}(f, s) = \frac{1}{(1 - f) + \frac{f}{s}}$$



$$Speedup_{enhanced} = \frac{Execution\ Time_{baseline}}{Execution\ Time_{enhanced}} = \frac{1}{(1 - f) + \frac{f}{s}}$$

Amdahl's Law Corollary #1

- The maximum speedup is bounded by

$$Speedup_{max}(f, \infty) = \frac{1}{(1-f) + \frac{f}{\infty}}$$

$$Speedup_{max}(f, \infty) = \frac{1}{(1-f)}$$

NEWS

Intel kills the remnants of Optane memory

The speed-boosting storage tech was already on the ropes.

By Michael Crider
Staff Writer, PCWorld | JUL 29, 2022 6:59 AM PDT

Image: Intel

Corollary #1 on Multiple Optimizations

- If we can pick just one thing to work on/optimize

$$Speedup_{max}(f_1, \infty) = \frac{1}{(1 - f_1)}$$
$$Speedup_{max}(f_2, \infty) = \frac{1}{(1 - f_2)}$$
$$Speedup_{max}(f_3, \infty) = \frac{1}{(1 - f_3)}$$
$$Speedup_{max}(f_4, \infty) = \frac{1}{(1 - f_4)}$$

The biggest f_x would lead to the largest $Speedup_{max}$!

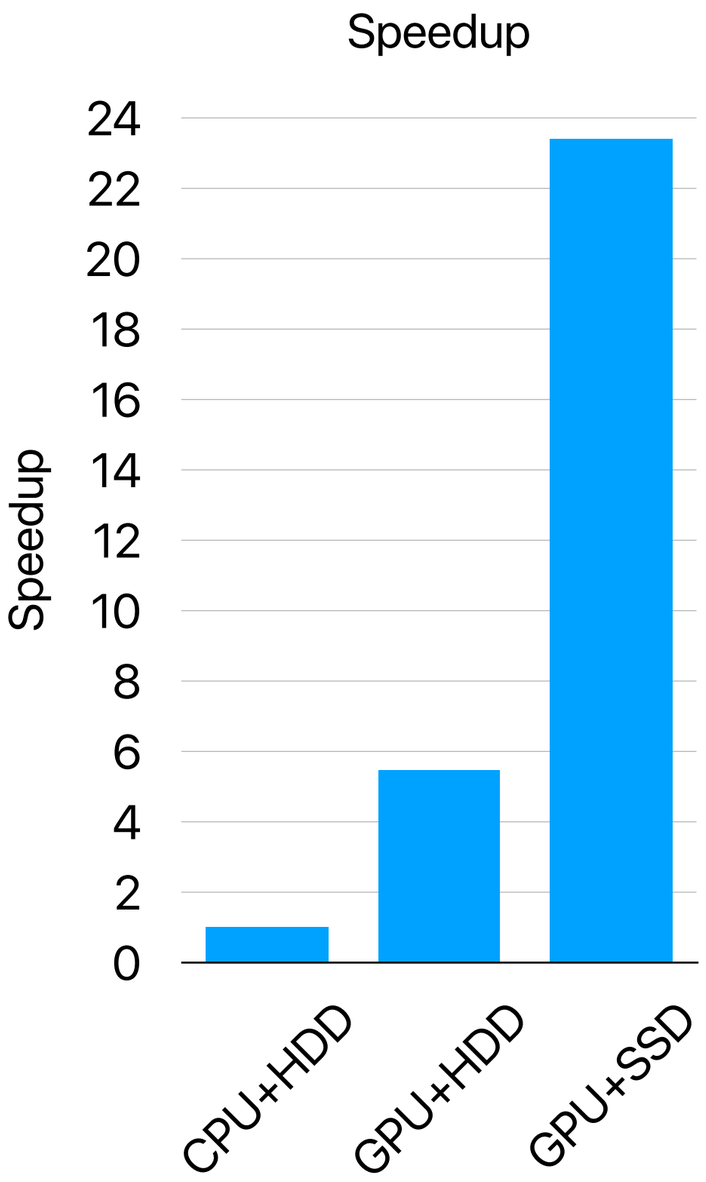
Corollary #2 — make the common case fast!

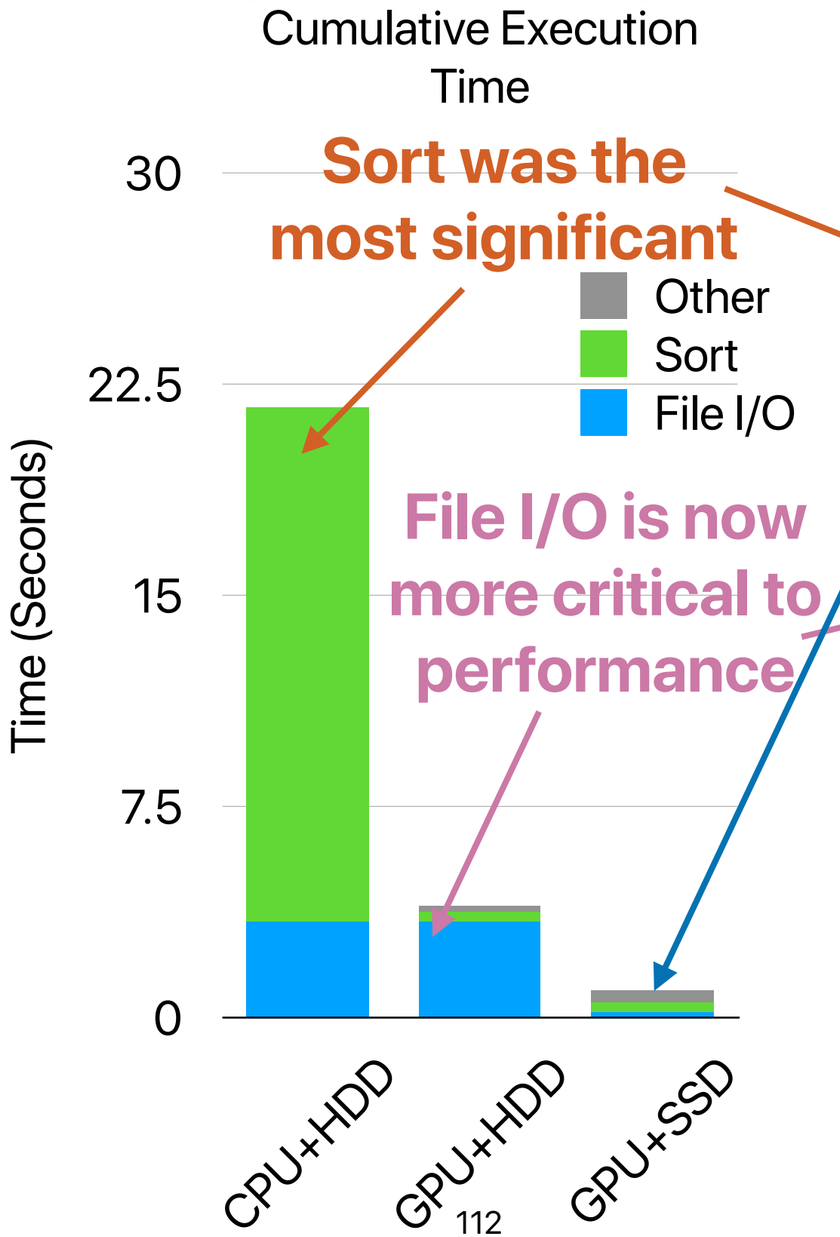
- When f is small, optimizations will have little effect.
- Common == **most time consuming** not necessarily the most frequent
  - $ET = IC \times CPI \times CT$
- The uncommon case doesn't make much difference
- The common case can change based on inputs, compiler options, optimizations you've applied, etc.

Identify the most time consuming part

- Compile your program with -pg flag
- Run the program
  - It will generate a gmon.out
  - gprof your_program gmon.out > your_program.prof
- It will give you the profiled result in your_program.prof

Demo — sort

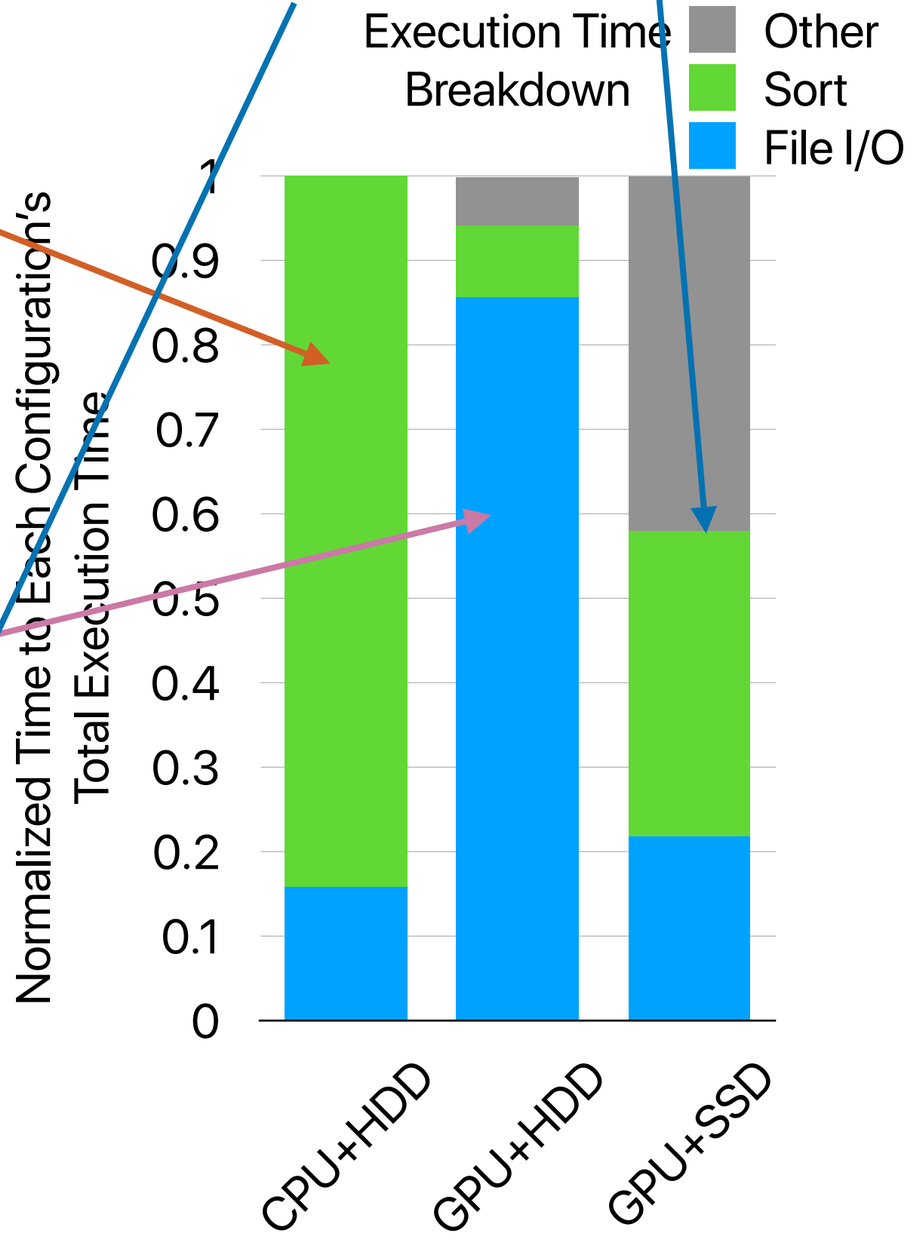




Sort was the most significant

File I/O is now more critical to performance

Something else (e.g., data movement) matters more



If we repeatedly optimizing our design based on Amdahl's law…

- With optimization, the common becomes uncommon.
- An uncommon case will (hopefully) become the new common case.
- Now you have a new target for optimization — You have to revisit "Amdahl's Law" every time you applied some optimization

Amdahl's Law on Multicore Architectures

- Symmetric multicore processor with n cores (if we assume the processor performance scales perfectly)

$$Speedup_{parallel}(f_{parallelizable}, n) = \frac{1}{(1 - f_{parallelizable}) + \frac{f\_parallelizable}{n}}$$

Demo — merge sort v.s. bitonic sort on GPUs

Merge Sort

$O(nlog_2n)$

Bitonic Sort

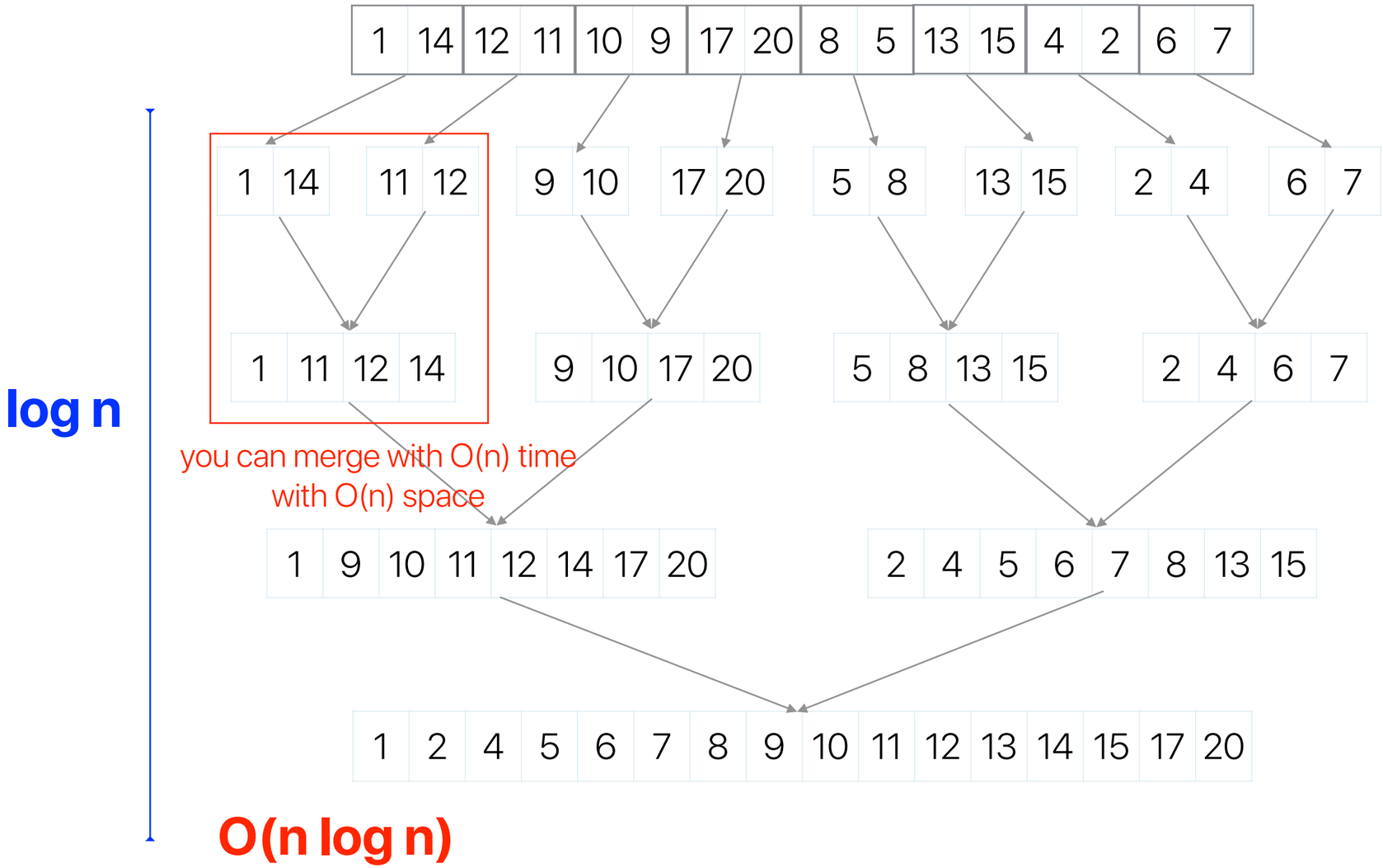
$O(nlog_2^2n)$

```
void BitonicSort() {

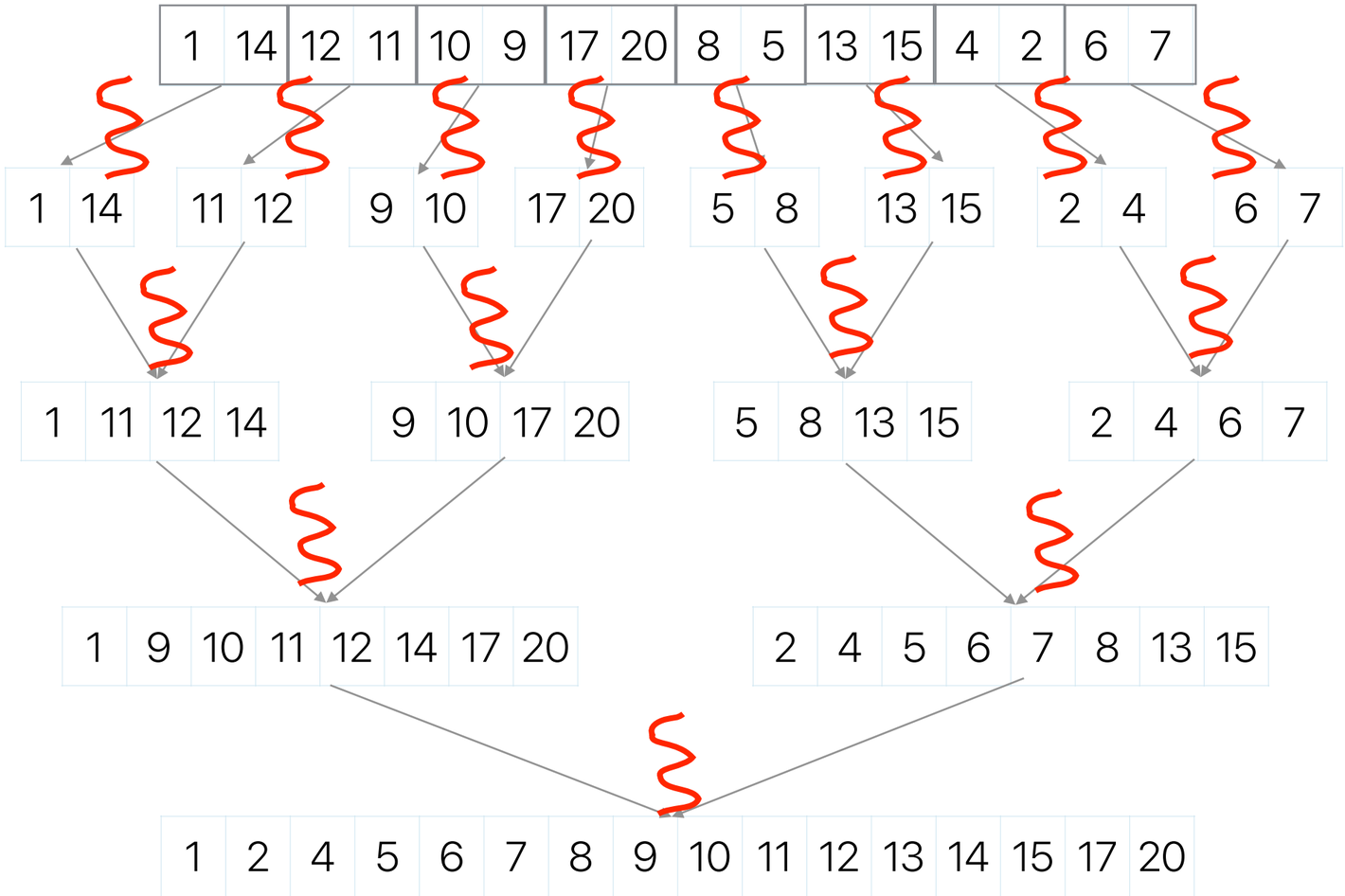
    int i,j,k;

    for (k=2; k<=N; k=2*k) {
        for (j=k>>1; j>0; j=j>>1) {
            for (i=0; i<N; i++) {
                int ij=i^j;
                if ((ij)>i) {
                    if ((i&k)==0 && a[i] > a[ij])
                        exchange(i,ij);
                    if ((i&k)!=0 && a[i] < a[ij])
                        exchange(i,ij);
                }
            }
        }
    }
}
```

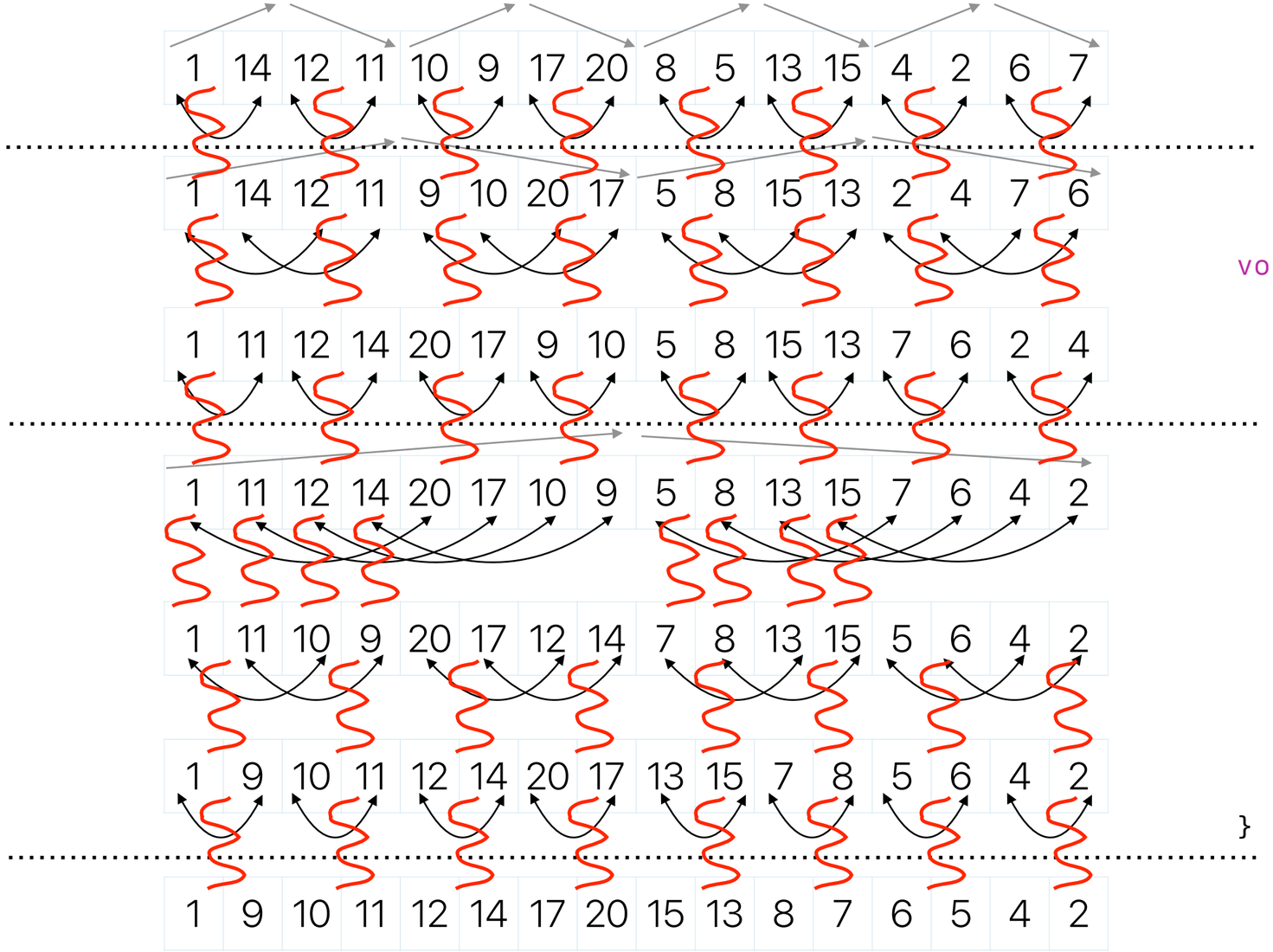
Merge sort


1 14 12 11 10 9 17 20 8 5 13 15 4 2 6 7
1 14 11 12 9 10 17 20 5 8 13 15 2 4 6 7
1 11 12 14 9 10 17 20 5 8 13 15 2 4 6 7
you can merge with O(n) time
with O(n) space
1 9 10 11 12 14 17 20 2 4 5 6 7 8 13 15
1 2 4 5 6 7 8 9 10 11 12 13 14 15 17 20
log n
O(n log n)

Parallel merge sort



Bitonic sort

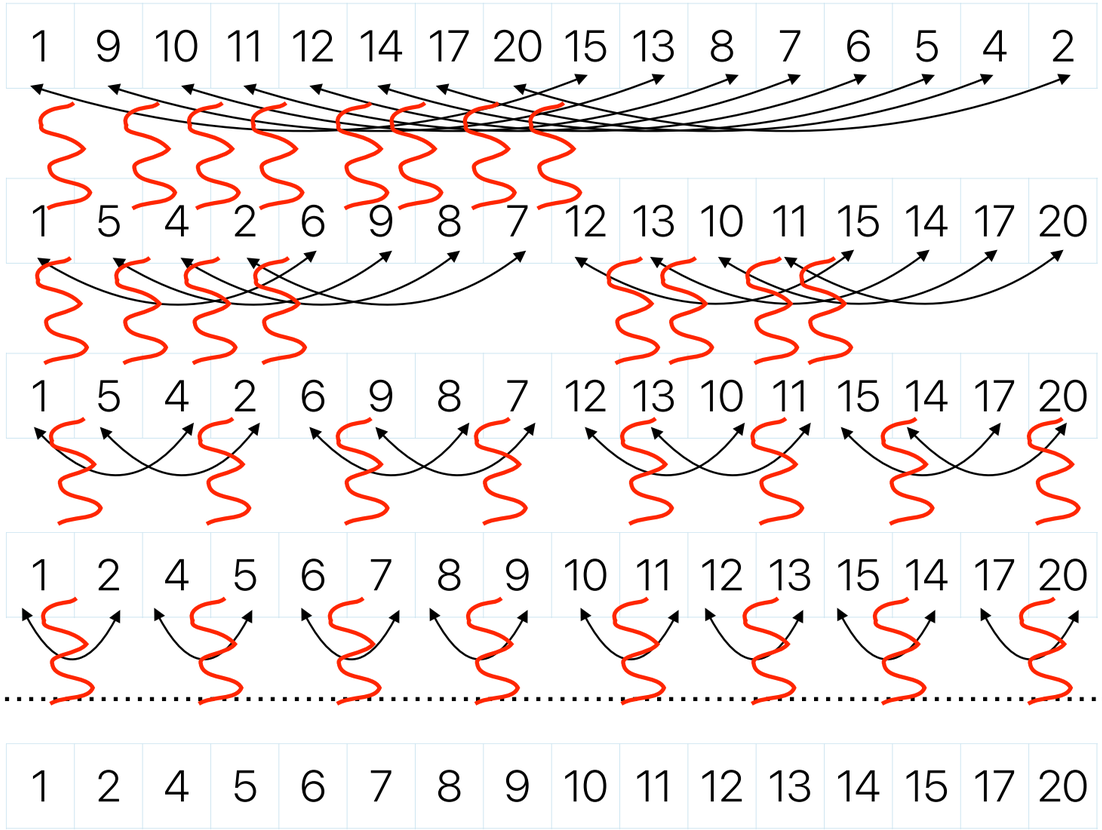



```
void BitonicSort() {

    int i,j,k;

    for (k=2; k<=N; k=2*k) {
        for (j=k>>1; j>0; j=j>>1) {
            for (i=0; i<N; i++) {
                int ij=i^j;
                if ((ij)>i) {
                    if ((i&k)==0 && a[i] > a[ij])
                        exchange(i,ij);
                    if ((i&k)!=0 && a[i] < a[ij])
                        exchange(i,ij);
                }
            }
        }
    }
}
```

Bitonic sort (cont.)

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    for (k=2; k<=N; k=2*k) {
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            for (i=0; i<N; i++) {
                int ij=i^j;
                if ((ij)>i) {
                    if ((i&k)==0 && a[i] > a[ij])
                        exchange(i,ij);
                    if ((i&k)!=0 && a[i] < a[ij])
                        exchange(i,ij);
                }
            }
        }
    }
}
```

benefits — in-place merge (no additional space is necessary), very stable comparison patterns

$O(n \log^2 n)$ — hard to beat $n(\log n)$ if you can't parallelize this a lot!

Corollary #4

$$Speedup_{parallel}(f_{parallelizable}, \infty) = \frac{1}{(1 - f_{parallelizable}) + \frac{f\_parallelizable}{\infty}}$$

$$Speedup_{parallel}(f_{parallelizable}, \infty) = \frac{1}{(1 - f_{parallelizable})}$$

- If we can build a processor with unlimited parallelism
  - The complexity doesn't matter as long as the algorithm can utilize all parallelism
  - That's why bitonic sort or MapReduce works!
- **The future trend of software/application design is seeking for more parallelism rather than lower the computational complexity**

Is it the end of computational complexity?

Corollary #5

$$Speedup_{parallel}(f_{parallelizable}, \infty) = \frac{1}{(1 - f_{parallelizable}) + \frac{f\_parallelizable}{\infty}}$$

$$Speedup_{parallel}(f_{parallelizable}, \infty) = \frac{1}{(1 - f_{parallelizable})}$$

- Single-core performance still matters
  - It will eventually dominate the performance
  - If we cannot improve single-core performance further, finding more "parallelizable" parts is more important
  - Algorithm complexity still gives some "insights" regarding the growth of execution time in the same algorithm, though still not accurate

However, parallelism is not "tax-free"

- Synchronization
- Preparing data
- Addition function calls
- Data exchange if the parallel hardware has its own memory hierarchy

$$\text{Execution Time}_{\text{enhanced}} = (1 - f) + perf(r) + \frac{f}{n}$$

Amdahl's Law considering overhead

$$Speedup_{enhanced}(f, s, r) = \frac{1}{(1 - f) + perf(r) + \frac{f}{s}}$$

- r is some other parameter that affects the overhead
  - input size?
  - degree of parallelism?
- The overhead may scale differently than the original problem — that's why we introduce "perf()" function

Corollary #6: Don't hurt non-common part too mach

- If the program spend 90% in A, 10% in B. Assume that an optimization can accelerate A by 9x, by hurts B by 10x...

$$Speedup = \frac{1}{(1-f) + perf(r) + \frac{f}{s}} = \frac{1}{(1-0.9) + (1-0.9) \times 9 + \frac{0.9}{9}} = 0.91 \times$$

Lessons learned from Amdahl's Law

$$Speedup_{enhanced}(f, s) = \frac{1}{(1 - f) + \frac{f}{s}}$$

- Corollary #1: Maximum speedup
- Corollary #2: Make the common case fast
  - Common case changes all the time
- Corollary #3: Optimization is a moving target
- Corollary #4: Exploiting more parallelism from a program is the key to performance gain in modern architectures
- Corollary #5: Single-core performance still matters
- Corollary #6: Don't hurt the most common case too much

$$Speedup_{max}(f, \infty) = \frac{1}{(1 - f)}$$

$$Speedup_{max}(f_1, \infty) = \frac{1}{(1 - f_1)}$$

$$Speedup_{max}(f_2, \infty) = \frac{1}{(1 - f_2)}$$

$$Speedup_{max}(f_3, \infty) = \frac{1}{(1 - f_3)}$$

$$Speedup_{max}(f_4, \infty) = \frac{1}{(1 - f_4)}$$

$$Speedup_{parallel}(f_{parallelizable}, \infty) = \frac{1}{(1 - f_{parallelizable})}$$

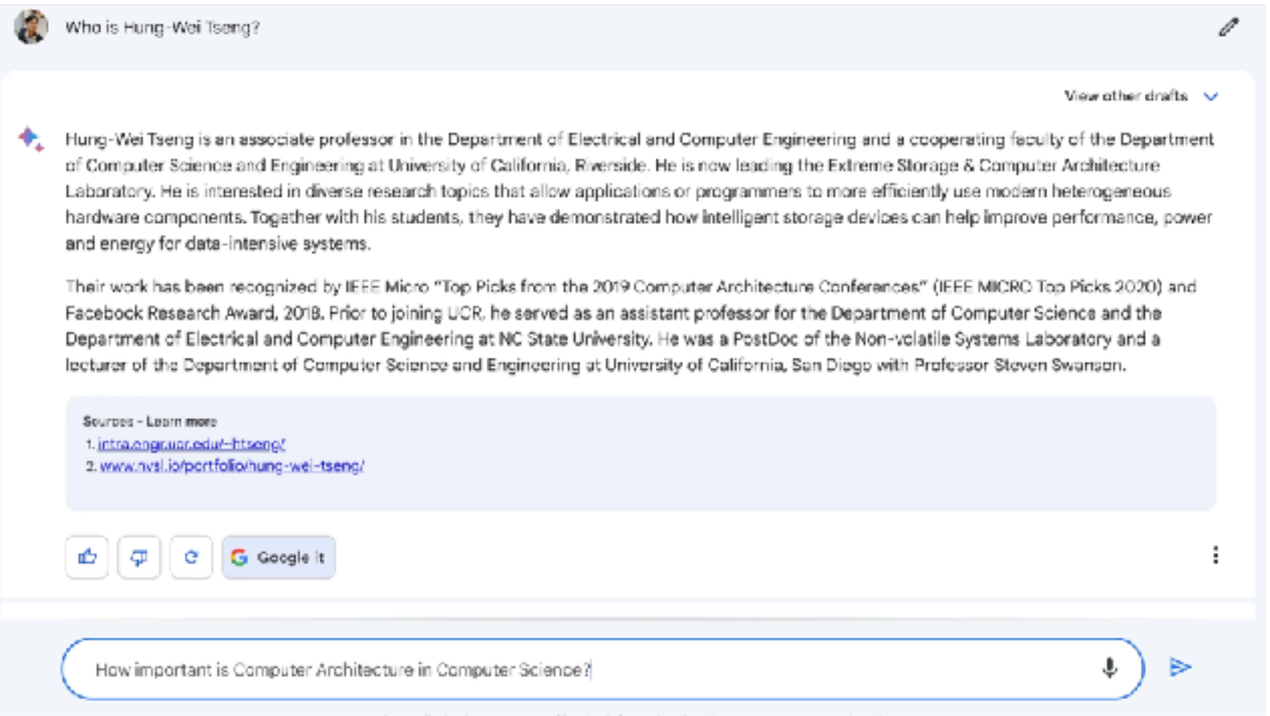
$$Speedup_{parallel}(f_{parallelizable}, \infty) = \frac{1}{(1 - f_{parallelizable})}$$

$$Speedup_{enhanced}(f, s, r) = \frac{1}{(1 - f) + perf(r) + \frac{f}{s}}$$

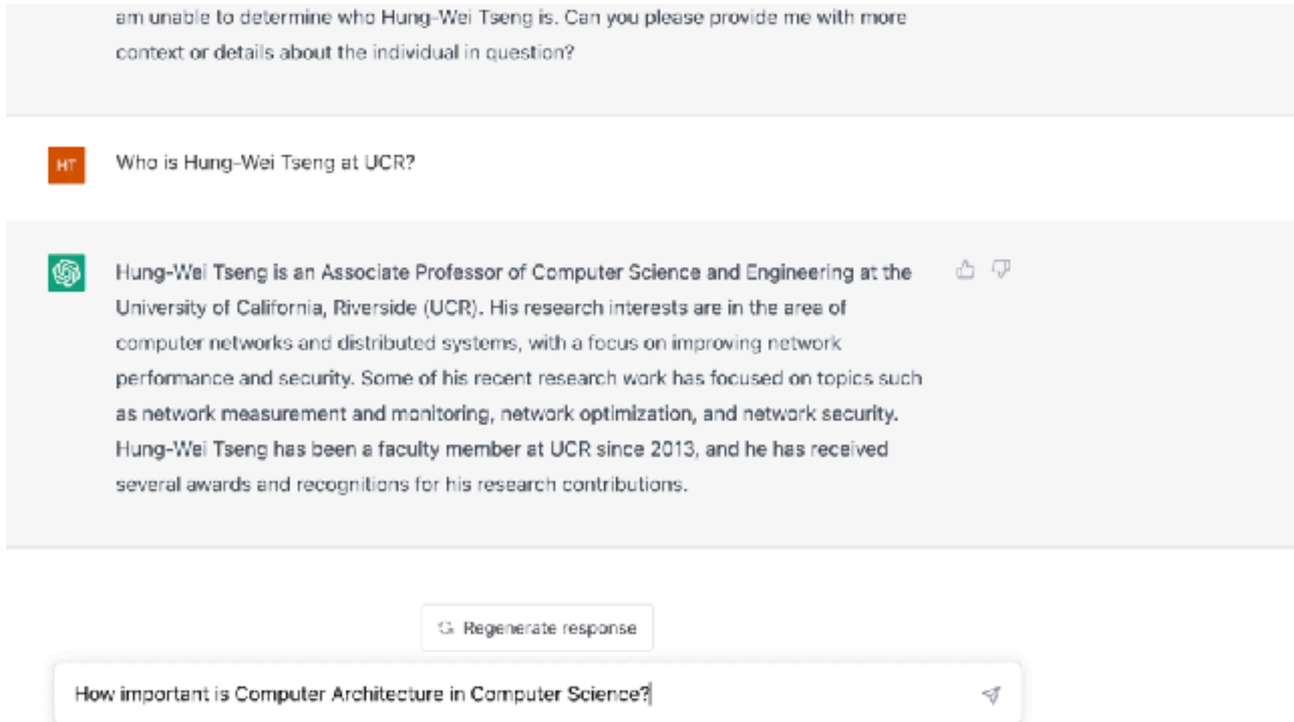
Choose the right metric — Latency v.s. Throughput/Bandwidth

Round #1

Bard



1 answer/6 secs



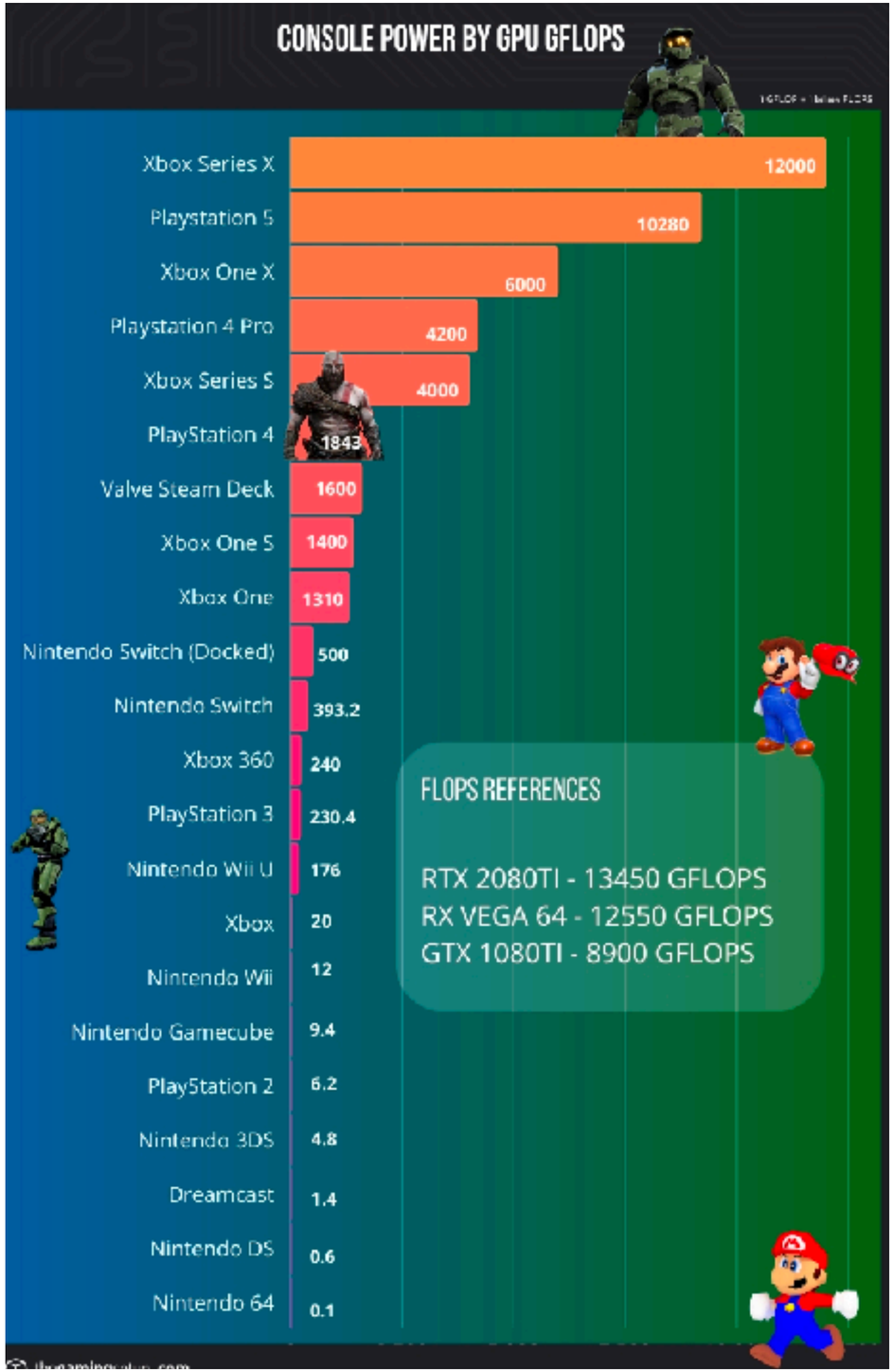
1 answer/18 secs

Latency v.s. Bandwidth/Throughput

- Latency — the amount of time to finish an operation
  - End-to-end execution time of “something”
  - Access time
  - Response time
- Throughput — the amount of work can be done within a given period of time (typically “something” per “timeframe” or the other way around)
  - Bandwidth (MB/Sec, GB/Sec, Mbps, Gbps)
  - IOPs (I/O operations per second)
  - FLOPs (Floating-point operations per second)
  - IPS (Inferences per second)

TFLOPS (Tera FLoating-point Operations Per Second)

	TFLOPS	clock rate
Switch	1	921 MHz
PS5	10.28	2.23 GHz
XBox Series X	12	1.825 GHz
GeForce RTX 3090	40	1.395 GHz



Let's measure the FLOPS of matrix multiplications

```
for(i = 0; i < ARRAY_SIZE; i++) {
  for(j = 0; j < ARRAY_SIZE; j++) {
    for(k = 0; k < ARRAY_SIZE; k++) {
      c[i][j] += a[i][k]*b[k][j];
    }
  }
}
```

Floating point operations:

$i \times j \times k \times 2$

Given $i = j = k = 2048$

$2^{3 \times 11} \times 2 = 2^{34}$ **FLOPs in total**

$$FLOPS = \frac{2^{34}}{ET_{seconds}}$$

Is TFLOPS (Tera FLoating-point Operations Per Second) a good metric?

$$TFLOPS = \frac{\#\ of\ floating\ point\ instructions \times 10^{-12}}{Exection\ Time}$$

$$= \frac{IC \times \%\ of\ floating\ point\ instructions \times 10^{-12}}{IC \times CPI \times CT}$$

$$= \frac{\%\ of\ floating\ point\ instructions \times 10^{-12}}{CPI \times CT}$$

IC is gone!

- Cannot compare different ISA/compiler
  - What if the compiler can generate code with fewer instructions?
  - What if new architecture has more IC but also lower CPI?
- Does not make sense if the application is not floating point intensive

Fair comparison in computer architectures

- You must consider the fact that performance is composed of IC, CPI, and CT. — any metric that misses one of them is misleading
- Only one variation in each comparison
  - Only change the processor, but not ISA (related to IC) and others
  - Only change the algorithm, but not others
  - The same dataset, must be the same outcome

nvidia.com

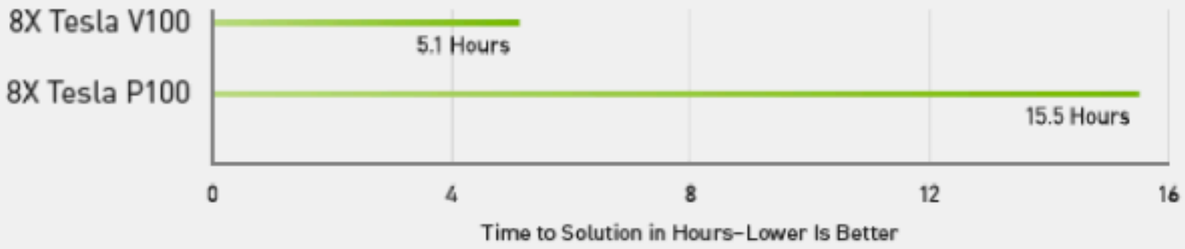
NVIDIA

Artificial Intelligence Computing Leadership from NVIDIA

CLOUD & DATA CENTER PRODUCTS SOLUTIONS APPS FOR DEVELOPERS TECHNOLOGIES

Tesla V100 AI TRAINING AI INFERENCE HPC DATA CENTER GPUs SPECIFICATIONS

Deep Learning Training in Less Than a Workday



Server Config: Dual Xeon E5-2699 v4 2.6 GHz | 8X NVIDIA® Tesla® P100 or V100 | ResNet-50 Training on MXNet for 90 Epochs with 1.28M ImageNet Dataset.

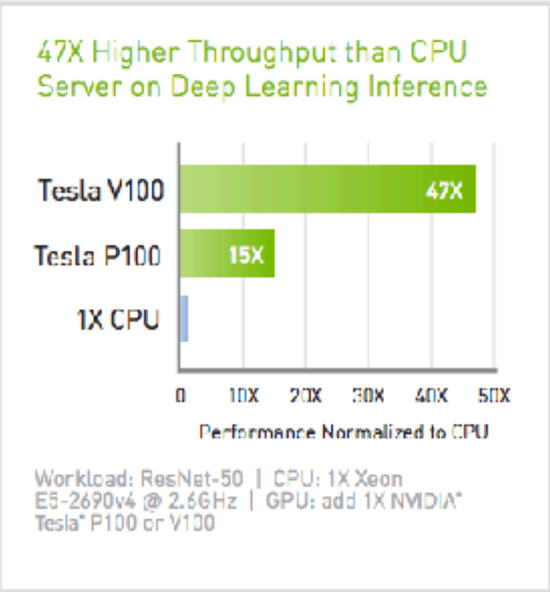
AI TRAINING

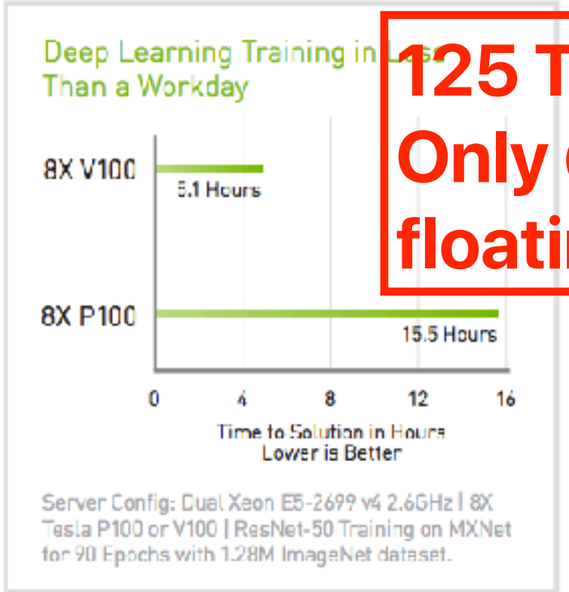
From recognizing speech to training virtual personal assistants and teaching autonomous cars to drive, data scientists are taking on increasingly complex challenges with AI. Solving these kinds of problems requires training deep learning models that are exponentially growing in complexity, in a practical amount of time.

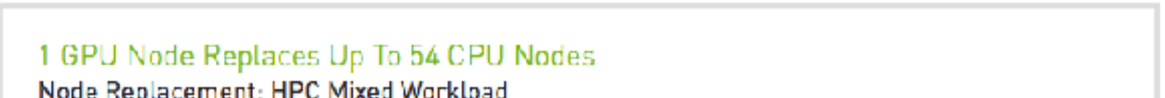
With 640 Tensor Cores, Tesla V100 is the world's first GPU to break the 100 teraFLOPS (TFLOPS) barrier of deep learning performance. The next generation of NVIDIA NVLink™ connects multiple V100 GPUs at up to 300 GB/s to create the world's most powerful computing servers. AI models that would consume weeks of computing resources on previous systems can now be trained in a few days. With this dramatic reduction in training time, a whole new world of problems will now be solvable with AI.

The Most Advanced Data Center GPU Ever Built.

NVIDIA® Tesla® V100 is the world's most advanced data center GPU ever built to accelerate AI, HPC, and graphics. Powered by NVIDIA Volta, the latest GPU architecture, Tesla V100 offers the performance of up to 100 CPUs in a single GPU—enabling data scientists, researchers, and engineers to tackle challenges that were once thought impossible.

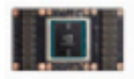






125 TFLOPS Only @ 16-bit floating point

SPECIFICATIONS



	Tesla V100 PCIe	Tesla V100 SXM2
GPU Architecture	NVIDIA Volta	
NVIDIA Tensor Cores	640	
NVIDIA CUDA® Cores	5,120	
Double-Precision Performance	7 TFLOPS	7.8 TFLOPS
Single-Precision Performance	14 TFLOPS	15.7 TFLOPS
Tensor Performance	112 TFLOPS	125 TFLOPS
GPU Memory	32GB /16GB HBM2	
Memory Bandwidth	900GB/sec	
ECC	Yes	
Interconnect Bandwidth	32GB/sec	300GB/sec
System Interface	PCIe Gen3	NVIDIA NVLink
Form Factor	PCIe Full Height/Length	SXM2
Max Power		

They try to tell it's the better AI hardware

https://blogs.nvidia.com/blog/2017/04/10/ai-drives-rise-accelerated-computing-datacenter/

	K80 2012	TPU 2015	P40 2016
Inferences/Sec <10ms latency	$^1/_{13}$X	1X	2X
Training TOPS	6 FP32	NA	12 FP32
Inference TOPS	6 FP32	90 INT8	48 INT8
On-chip Memory	16 MB	24 MB	11 MB
Power	300W	75W	250W
Bandwidth	320 GB/S	34 GB/S	350 GB/S

Inference per second

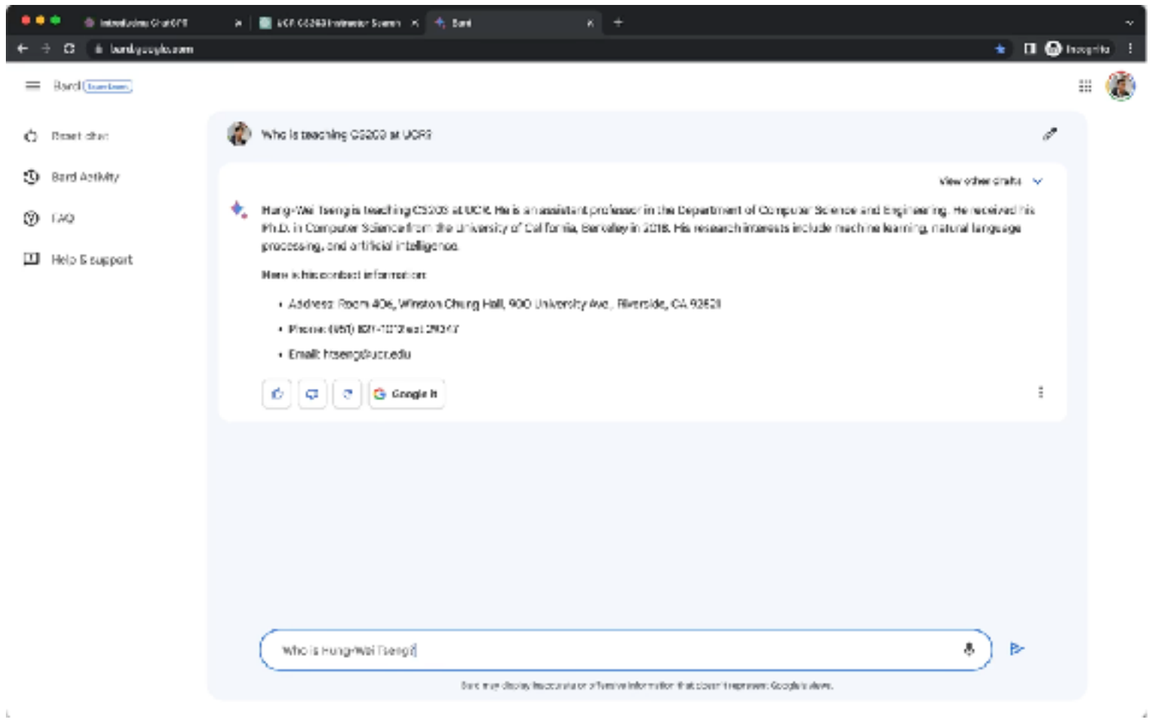
$$\frac{Inferences}{Second} = \frac{Inferences}{Operation} \times \frac{Operations}{Second}$$

$$= \frac{Inferences}{Operation} \times [\frac{operations}{cycle} \times \frac{cycles}{second} \times \#\_of\_PEs \times Utilization\_of\_PEs]$$

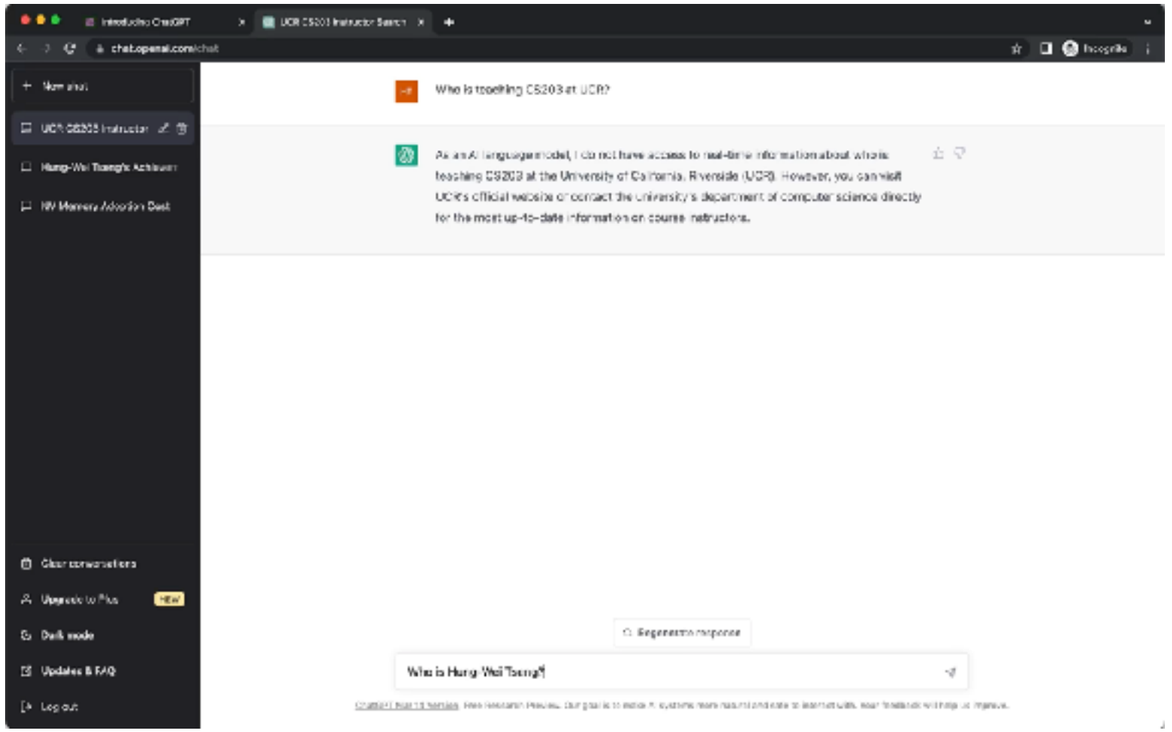
	Hardware	Model	Input Data
Operations per inference		v	
Operations per cycle	v		
Cycles per second	v		
Number of PEs	v		
Utilization of PEs	v	v	
Effectual operations out of (total) operations		v	v
Effectual operations plus unexploited ineffectual operations per cycle	v		

Round #2

Bard



1 answer/6 secs



1 answer/6 secs

What's wrong with inferences per second?

- There is no standard on how they inference — but these affect!
  - What model?
  - What dataset?
  - Quality?
- That's why Facebook is trying to promote an AI benchmark — MLPerf

- *Pitfall: For NN hardware, Inferences Per Second (IPS) is an inaccurate summary performance metric.*

Our results show that IPS is a poor overall performance summary for NN hardware, as it's simply the inverse of the complexity of the typical inference in the application (e.g., the number, size, and type of NN layers). For example, the TPU runs the 4-layer MLP1 at 360,000 IPS but the 89-layer CNN1 at only 4,700 IPS, so TPU IPS vary by 75X! Thus, using IPS as the single-speed summary is *even more misleading* for NN accelerators than MIPS or FLOPS are for regular processors [23], so IPS should be even more disparaged. To compare NN machines better, we need a benchmark suite written at a high-level to port it to the wide variety of NN architectures. Fathom is a promising new attempt at such a benchmark suite [3].

"Fair" Comparisons

Andrew Davison. Twelve Ways to Fool the Masses When Giving Performance Results on Parallel Computers. In Humour the Computer, MITP, 1995

V. Sze, Y. -H. Chen, T. -J. Yang and J. S. Emer. How to Evaluate Deep Neural Network Processors: TOPS/W (Alone) Considered Harmful. In IEEE Solid-State Circuits Magazine, vol. 12, no. 3, pp. 28-41, Summer 2020.

Extreme Multitasking Performance

- Dual 4K external monitors
- 1080p device display
- 7 applications

What's missing in this video clip?

- The ISA of the "competitor"
- Clock rate, CPU architecture, cache size, how many cores
- How big the RAM?
- How fast the disk?

12 ways to Fool the Masses When Giving Performance Results on Parallel Computers

- Quote only 32-bit performance results, not 64-bit results.
- Present performance figures for an inner kernel, and then represent these figures as the performance of the entire application.
- Quietly employ assembly code and other low-level language constructs.
- Scale up the problem size with the number of processors, but omit any mention of this fact.
- Quote performance results projected to a full system.
- Compare your results against scalar, unoptimized code on Crays.
- When direct run time comparisons are required, compare with an old code on an obsolete system.
- If MFLOPS rates must be quoted, base the operation count on the parallel implementation, not on the best sequential implementation.
- Quote performance in terms of processor utilization, parallel speedups or MFLOPS per dollar.
- Mutilate the algorithm used in the parallel implementation to match the architecture.
- Measure parallel run times on a dedicated system, but measure conventional run times in a busy environment.
- If all else fails, show pretty pictures and animated videos, and don't talk about performance.