Deep Learning 101

CSCI 1460: Computational Linguistics

Lecture 8

Ellie Pavlick Fall 2023

Announcements

- Assignment 2 fixes (tf-idf vs. BOW)
- NLP talks in the department!
 - Oct 13th, 12pm Panel/Discussion Strong vs. Weak Compositionality in Humans and Machines!

Topics

- More Followup on Word Embeddings from SVD
- Logistic Regression and Gradient Descent
- Multilayer Perceptrons
- Word Embeddings from NNs

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The below figure shows the following: (Part of) a term-document matrix M; A V matrix that results when running LSA on M; An embedding (i.e., row of the U matrix) associated with a document d. Which of the below represents the most likely content of document d? (Note that document d is not supposed to be one of the docs doc1, doc2, doc3, doc4, doc5 along the rows of M. You can assume d is a different document that also occurred in M but is not shown in the below figure.)

	red	green	apple	kiwi
doc1	1	1	1	1
doc2	1	0	1	0
doc3	1	1	0	1
doc4	1	0	1	1
doc5	0	0	1	1

10	1	0
8	0	8
1	6	1
-1	7	11

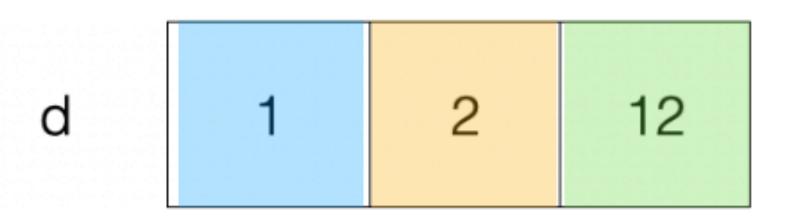
d 1 2 12

M

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d 1 2 12

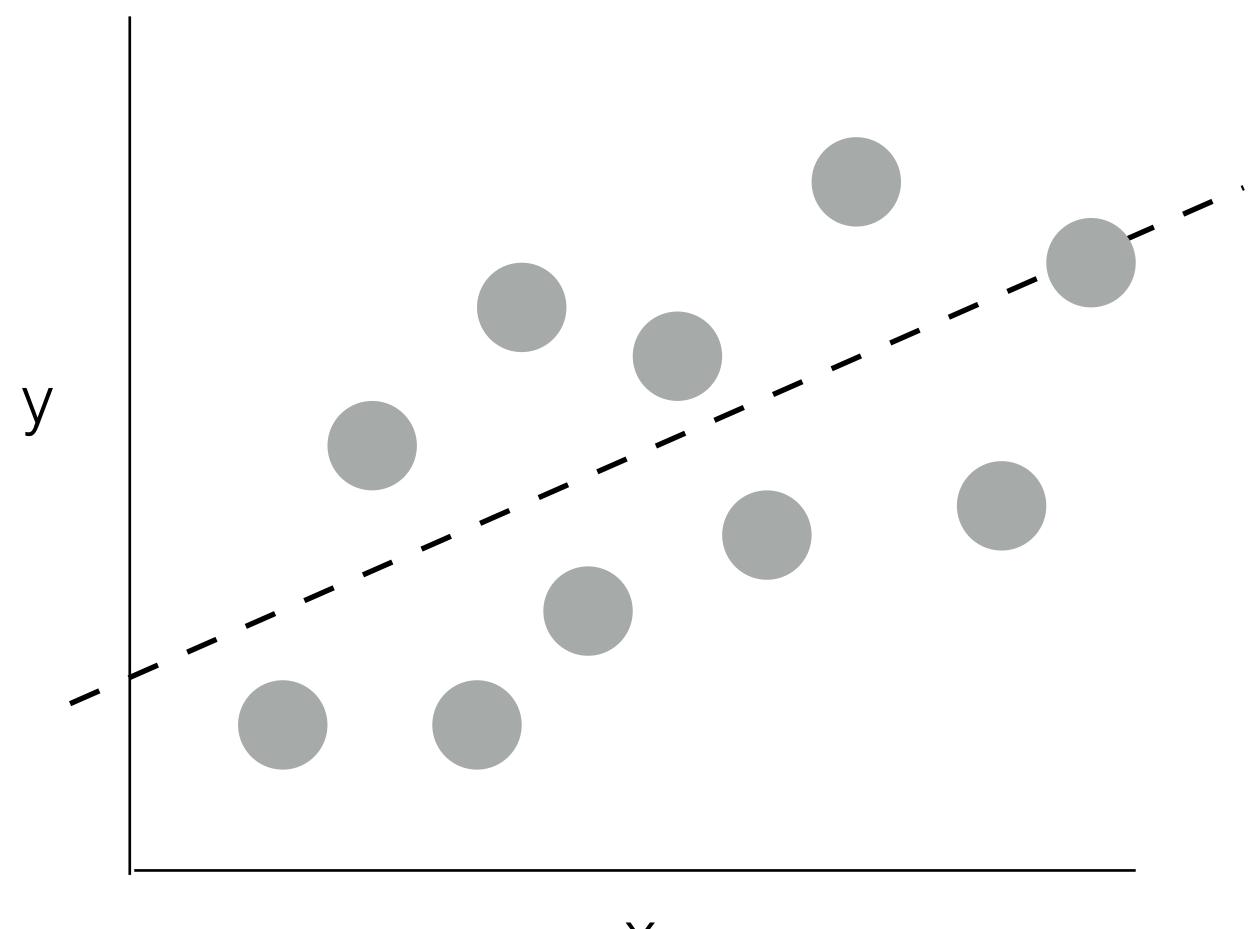
M

Colab Notebook

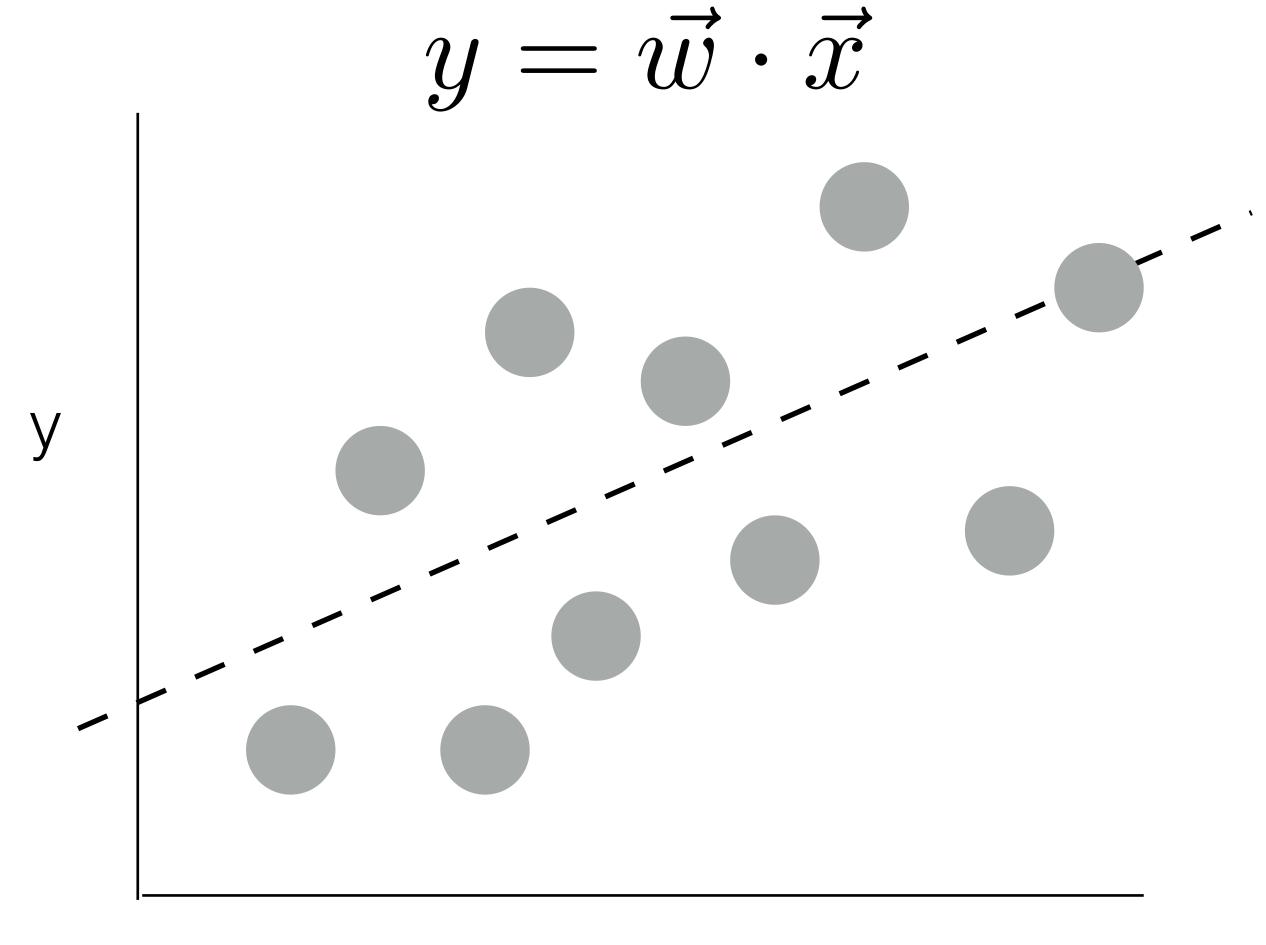
Topics

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- Logistic Regression and Gradient Descent
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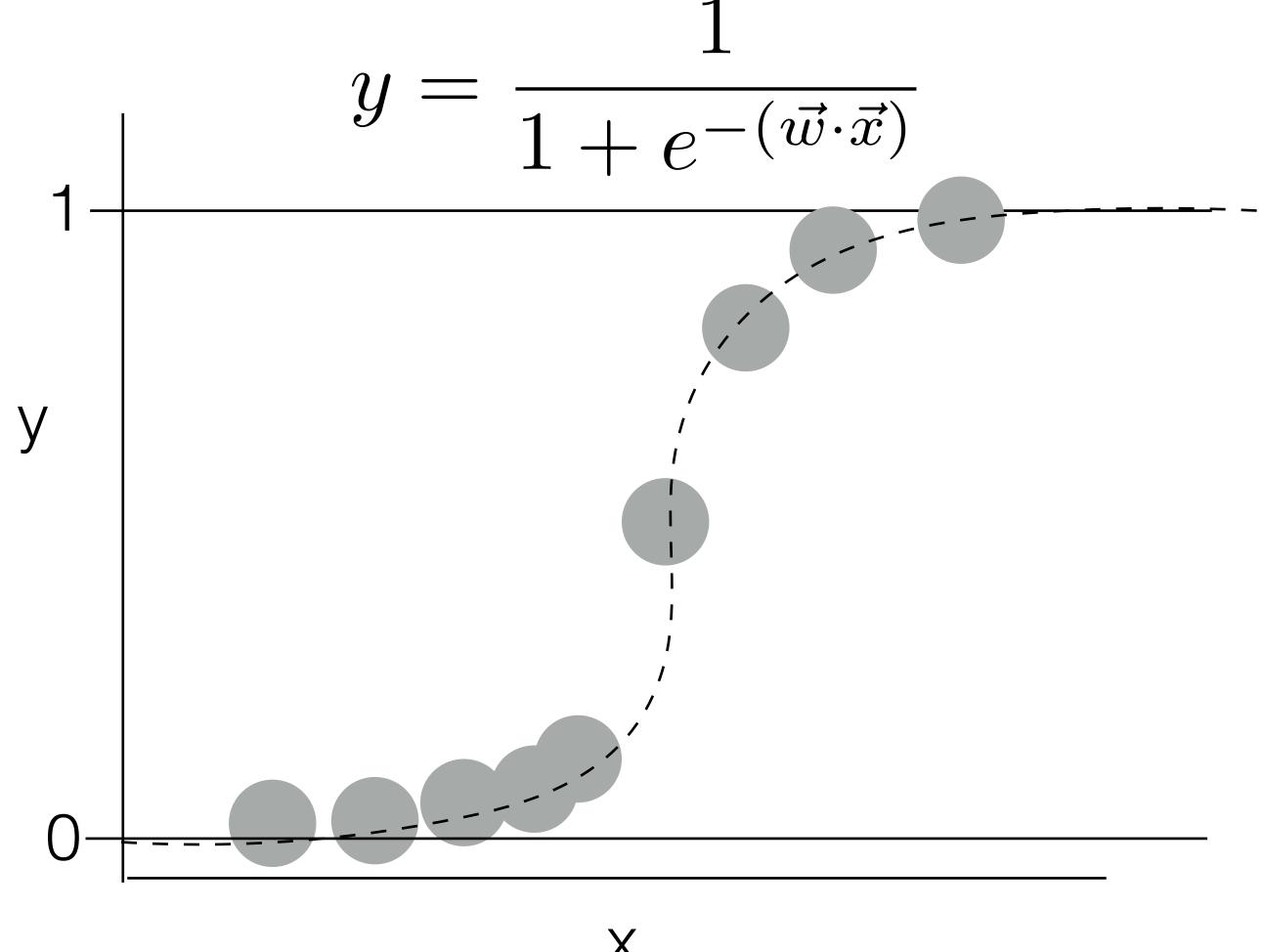
Making Predictions



Making Predictions

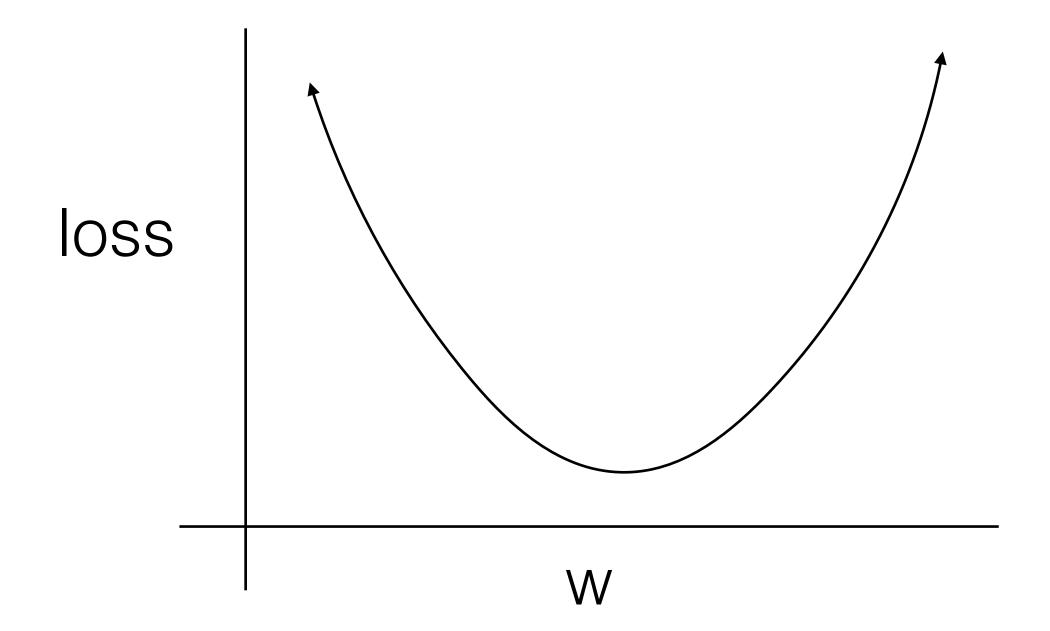


Making Predictions



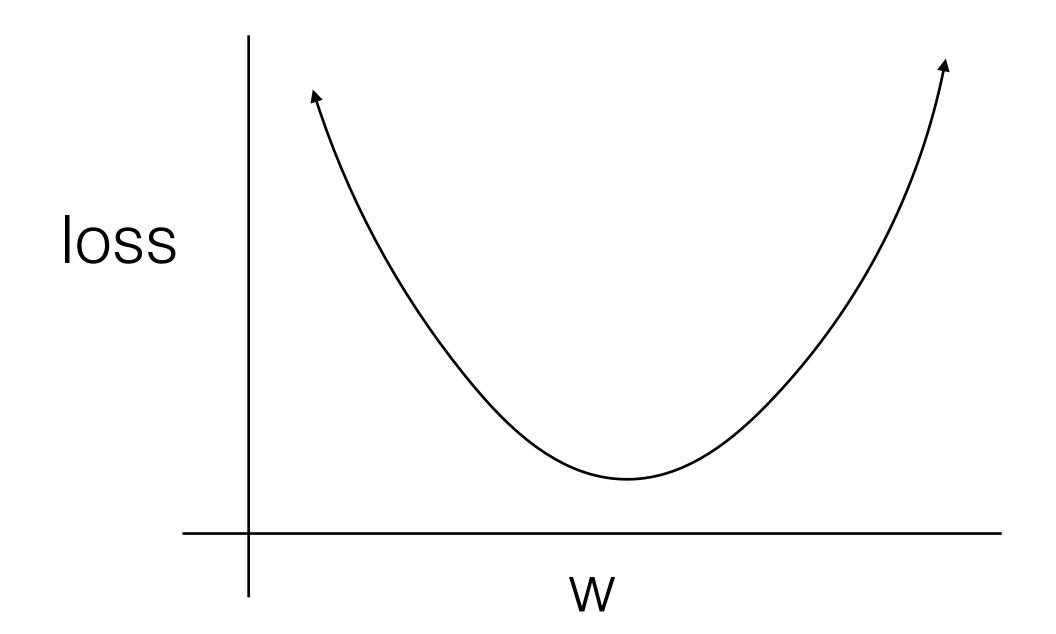
Training with Gradient Descent

minimize loss(data, w)



Training with Gradient Descent

$$-Ylog\hat{Y} + (1-Y)log(1-\hat{Y})$$

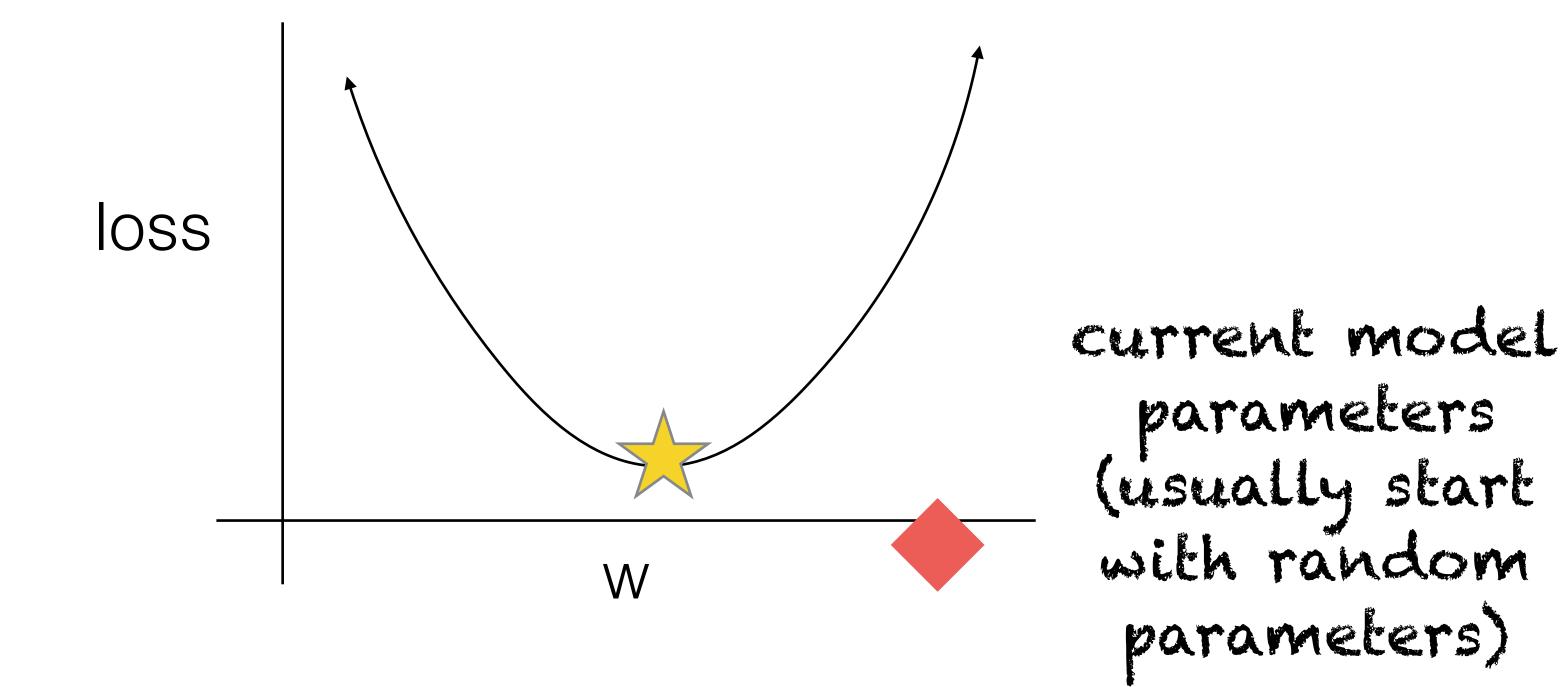


Training with Gradient Descent

Goal (Lowest achievable value for loss given data). You don't know what value of parameters will give you this. loss W

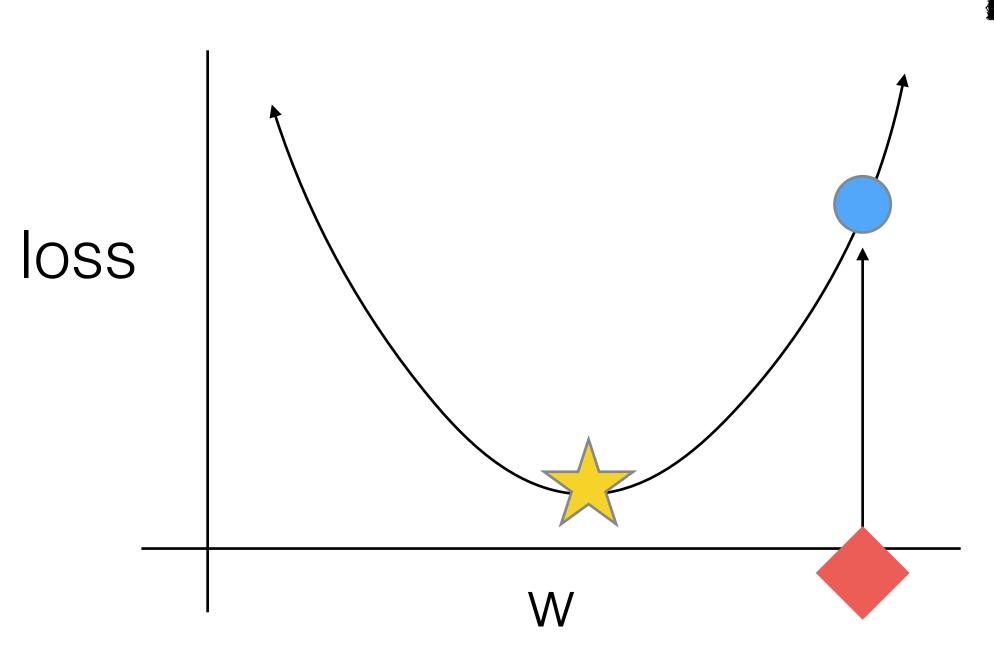
Training with Gradient Descent

$$-Ylog\hat{Y} + (1 - Y)log(1 - \hat{Y})$$



Training with Gradient Descent

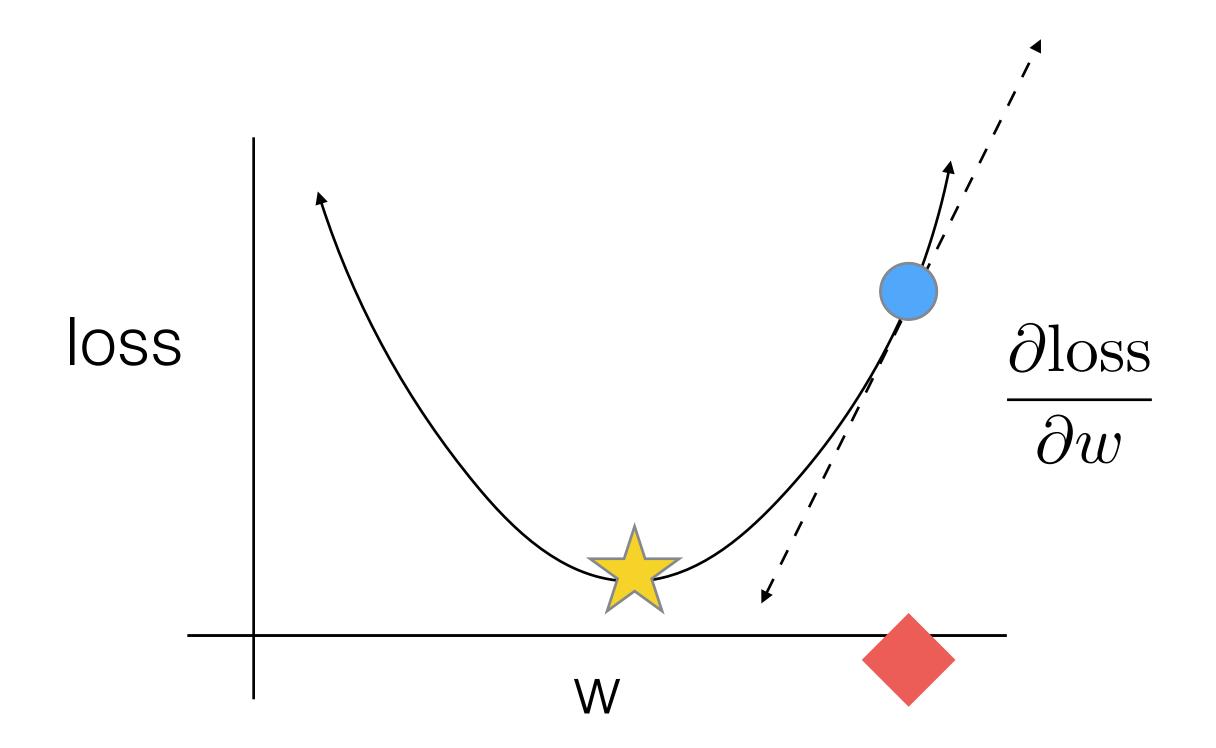
$$-Ylog\hat{Y} + (1 - Y)log(1 - \hat{Y})$$



loss given data and current model parameters

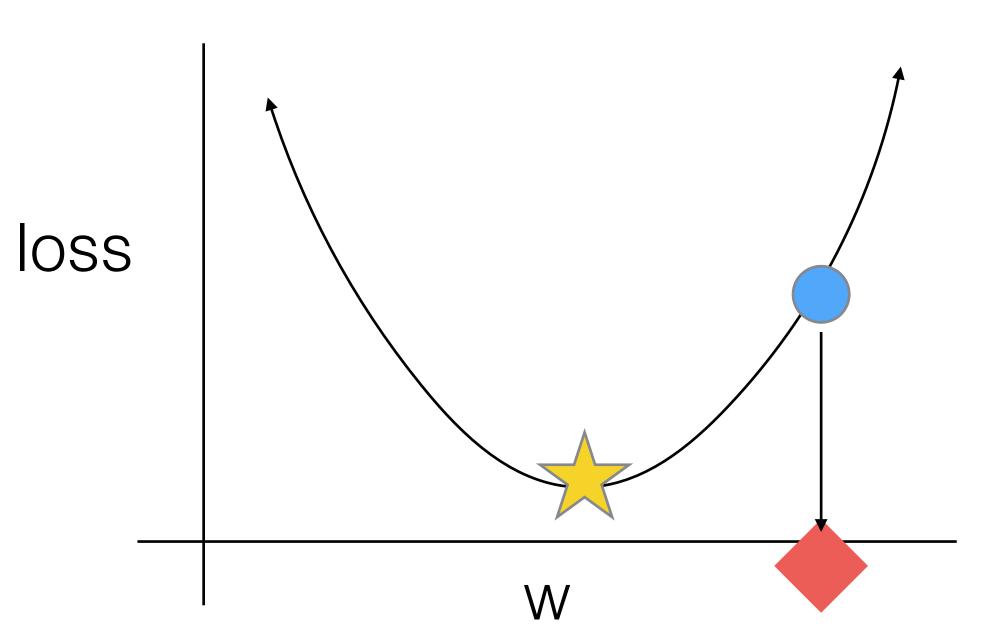
Training with Gradient Descent

$$-Ylog\hat{Y} + (1 - Y)log(1 - \hat{Y})$$



Training with Gradient Descent

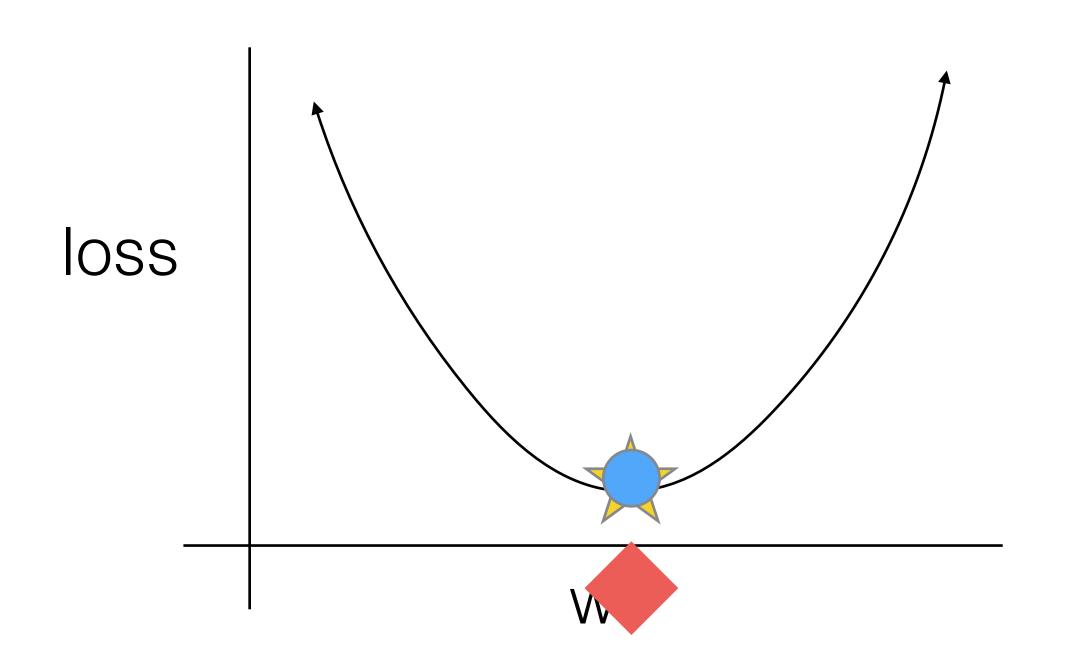
$$-Ylog\hat{Y} + (1-Y)log(1-\hat{Y})$$



Take small step to reduce loss, update parameters accordingly.

Training with Gradient Descent

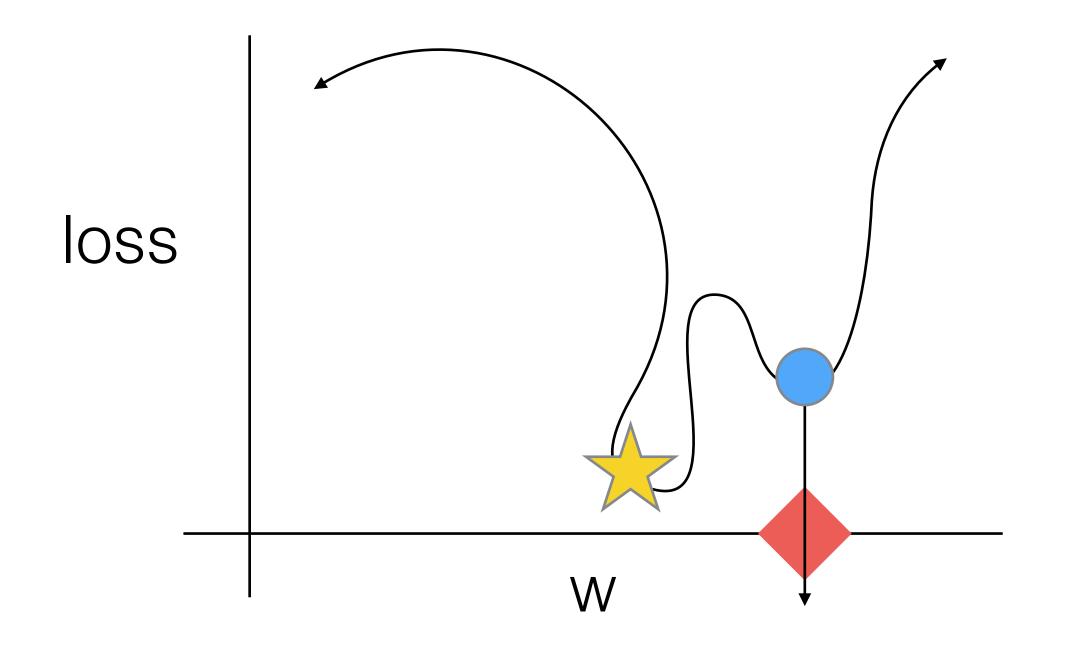
$$-Ylog\hat{Y} + (1 - Y)log(1 - \hat{Y})$$



Repeat until
you converge,
i.e., loss cant
be decreased,
or you time
out (like in
kmeans).

Training with Gradient Descent

$$-Ylog\hat{Y} + (1-Y)log(1-\hat{Y})$$



Take small step to reduce loss, update parameters accordingly.

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Language Modeling Task

Running Example

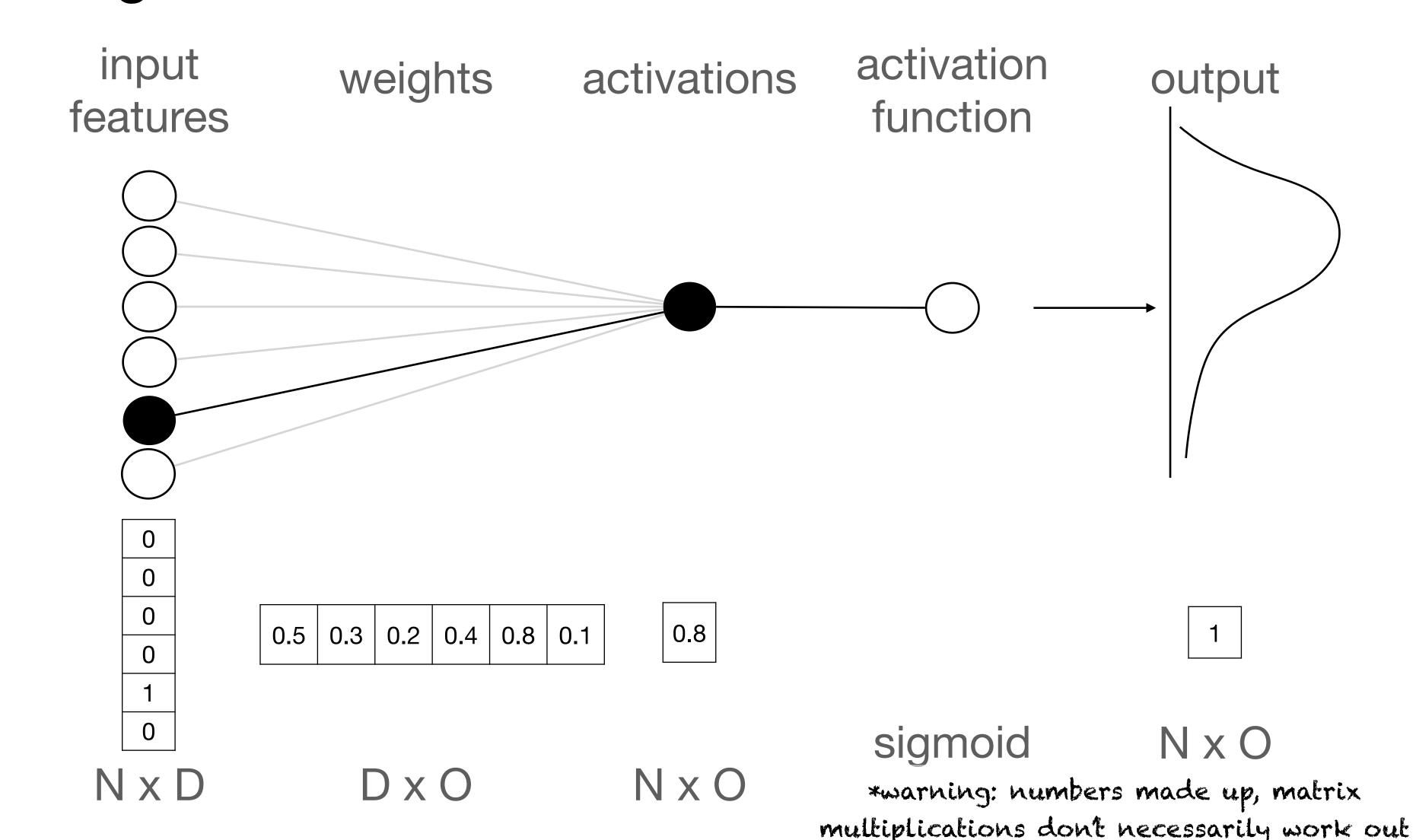
Task: Predict the next word in a sentence.

The cat sat on the ____

Same as Logistic Regression

Task: Predict the next word

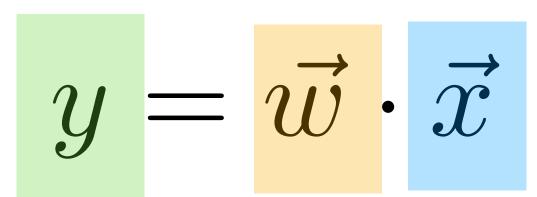
Input: the

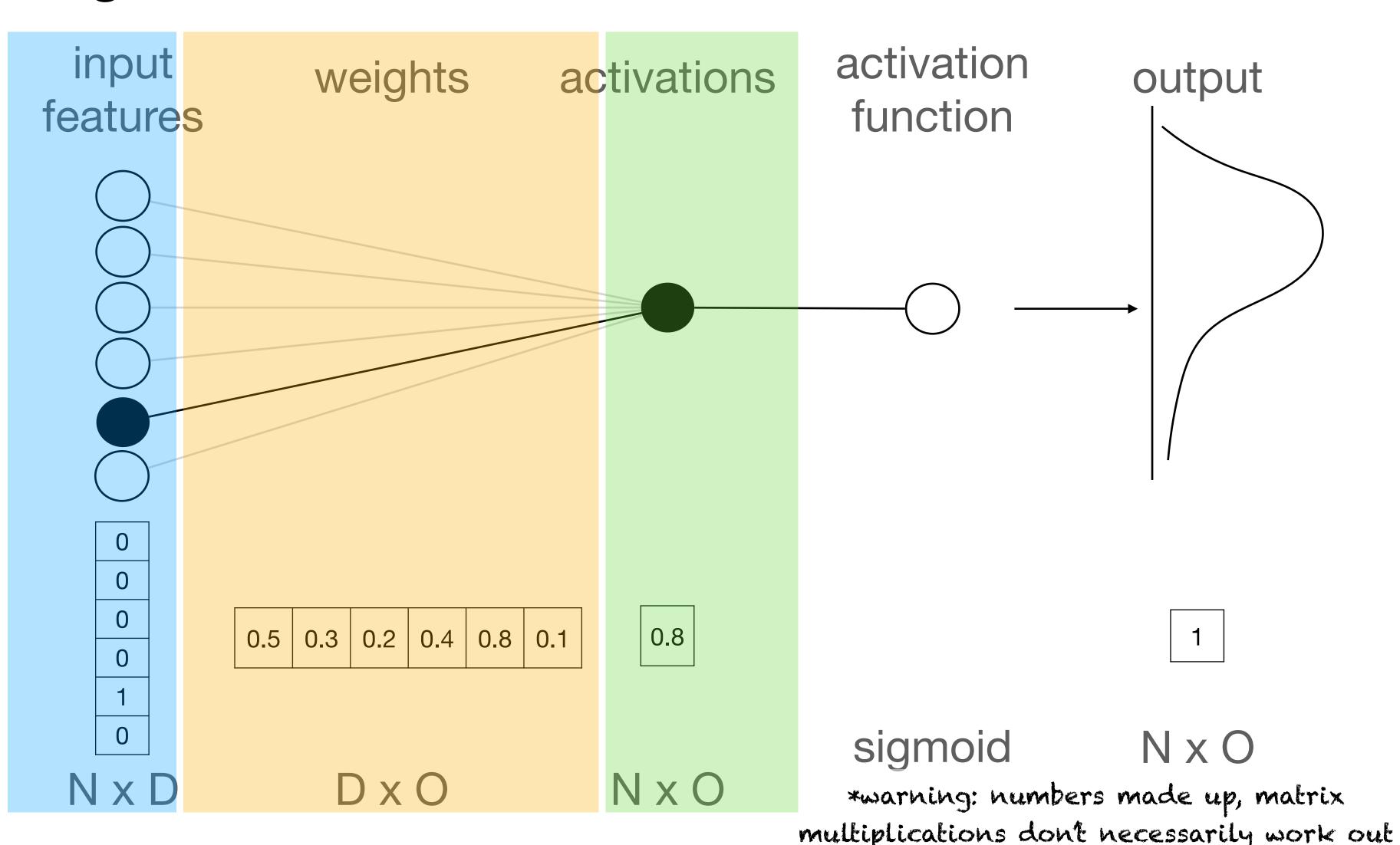


Same as Logistic Regression

Task: Predict the next word

Input: the

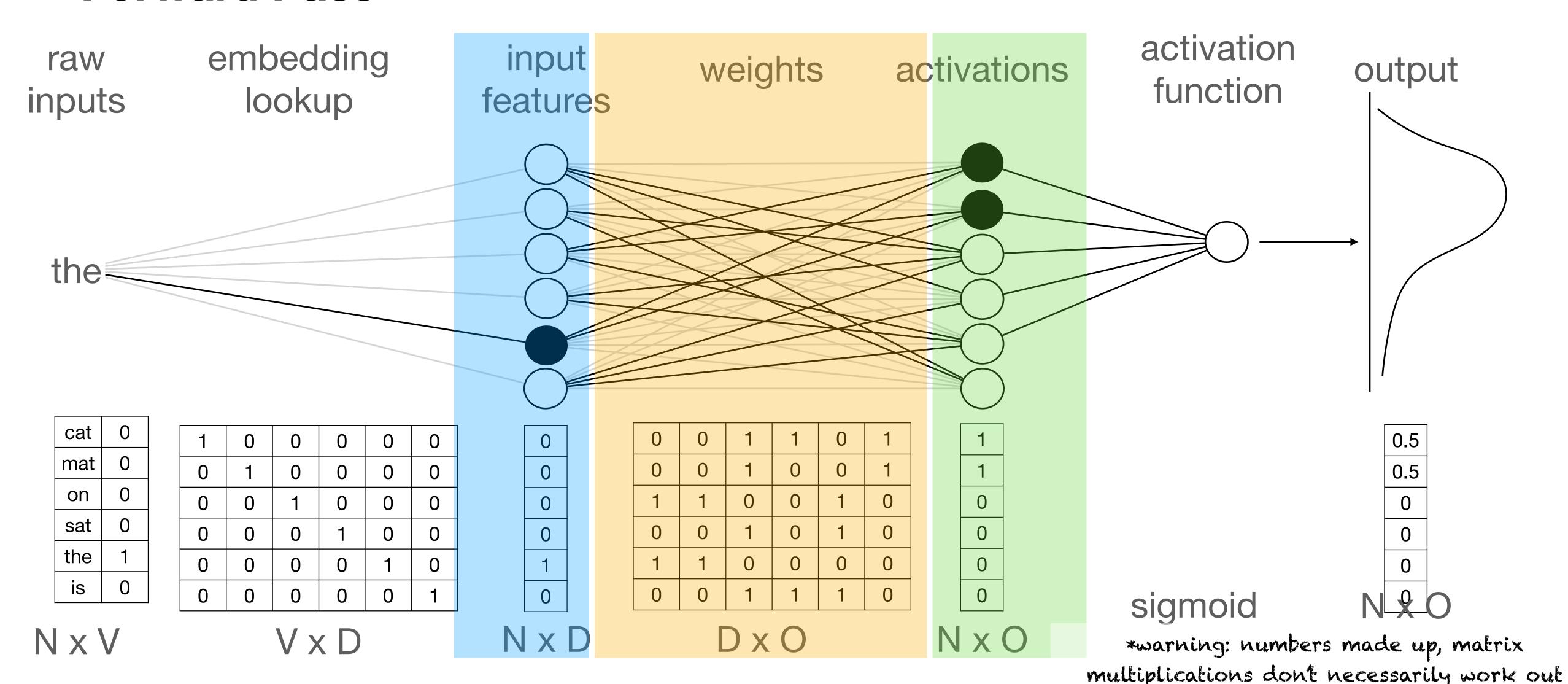




Forward Pass

Task: Predict the next word

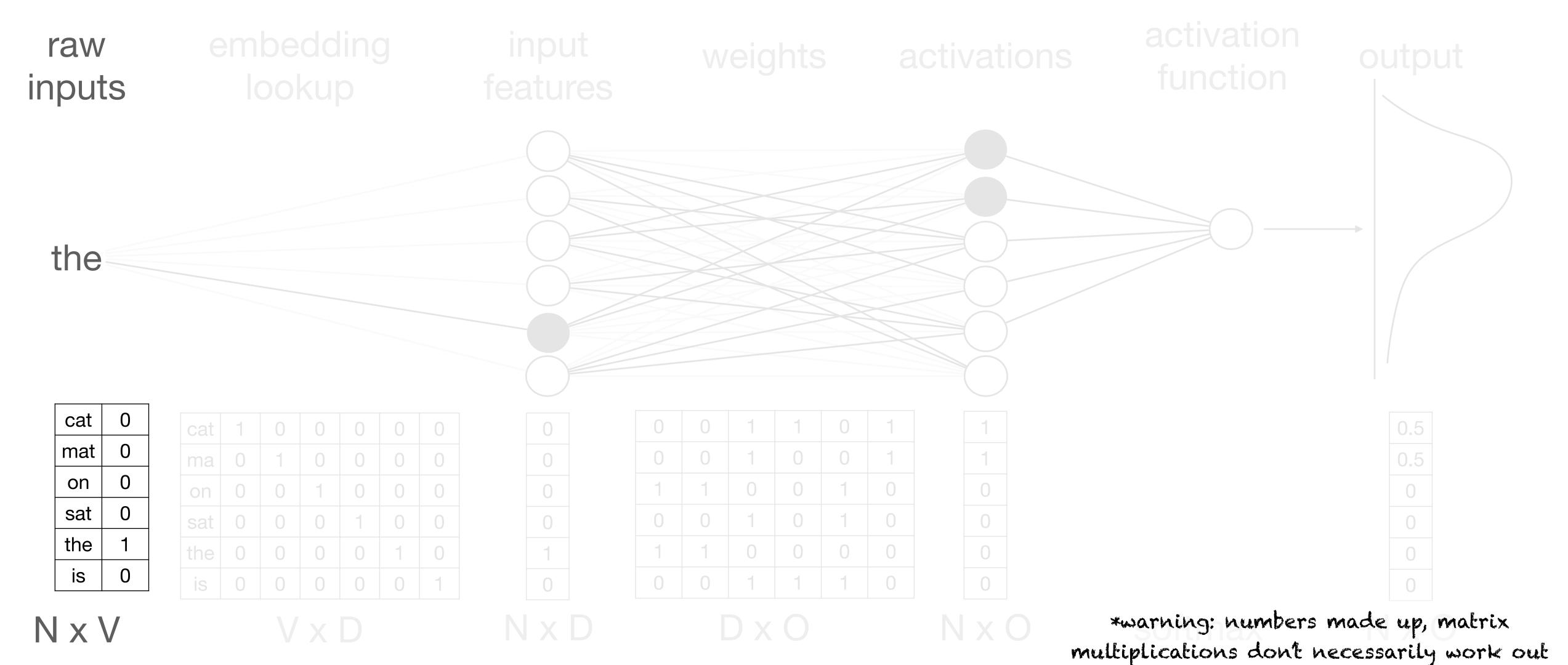
Input: the



Forward Pass

Task: Predict the next word

Input: the

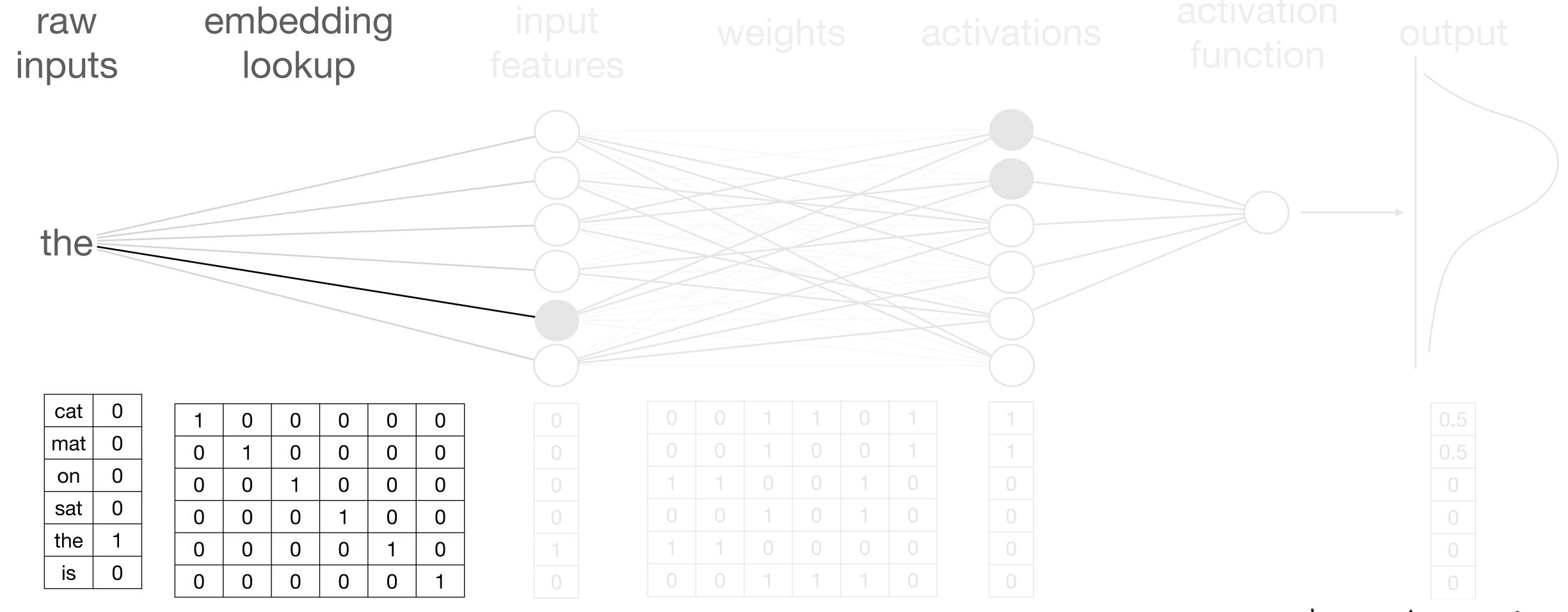


Forward Pass

Task: Predict the next word

Input: the

Expected: cat



 $N \times V$

 $V \times D$

 $N \times [$

DxC

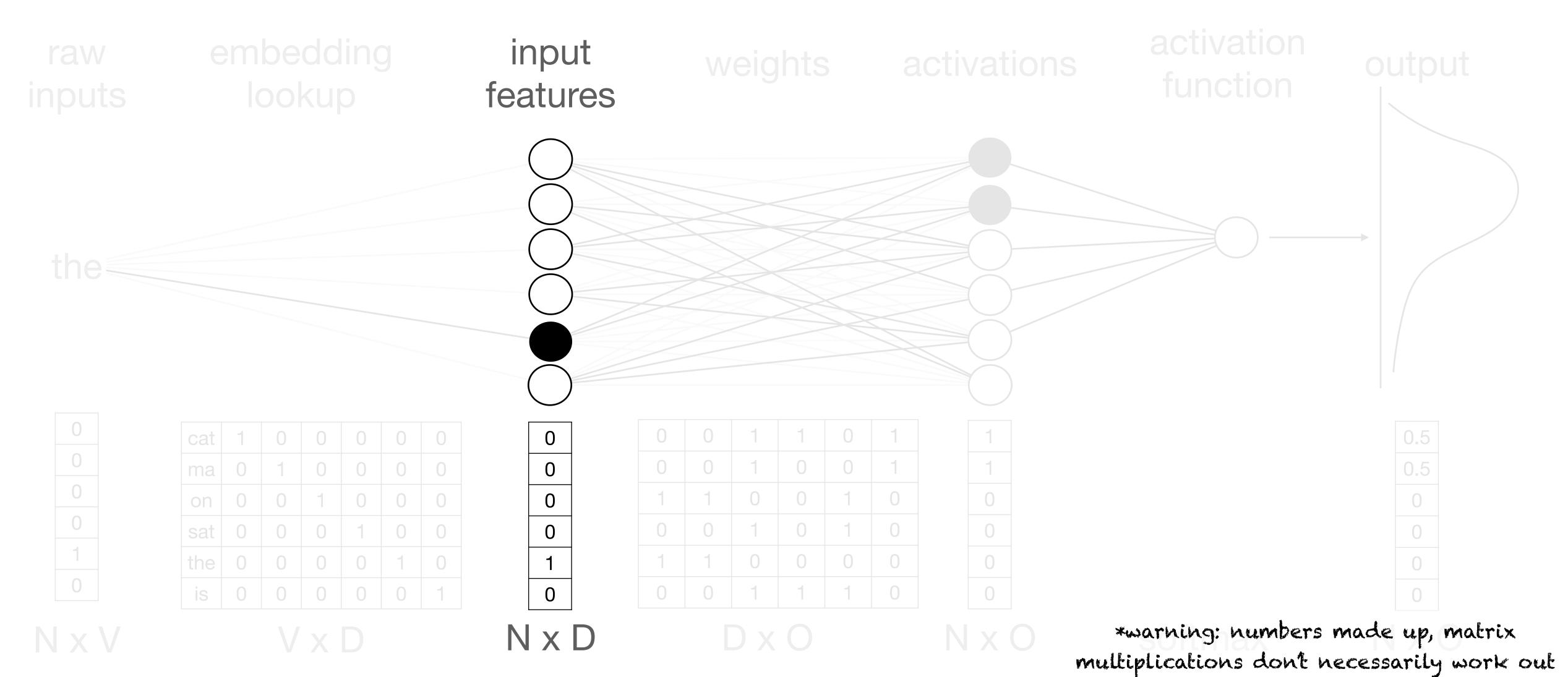
 $N \times O$

*warning: numbers made up, matrix multiplications don't necessarily work out

Forward Pass

Task: Predict the next word

Input: the

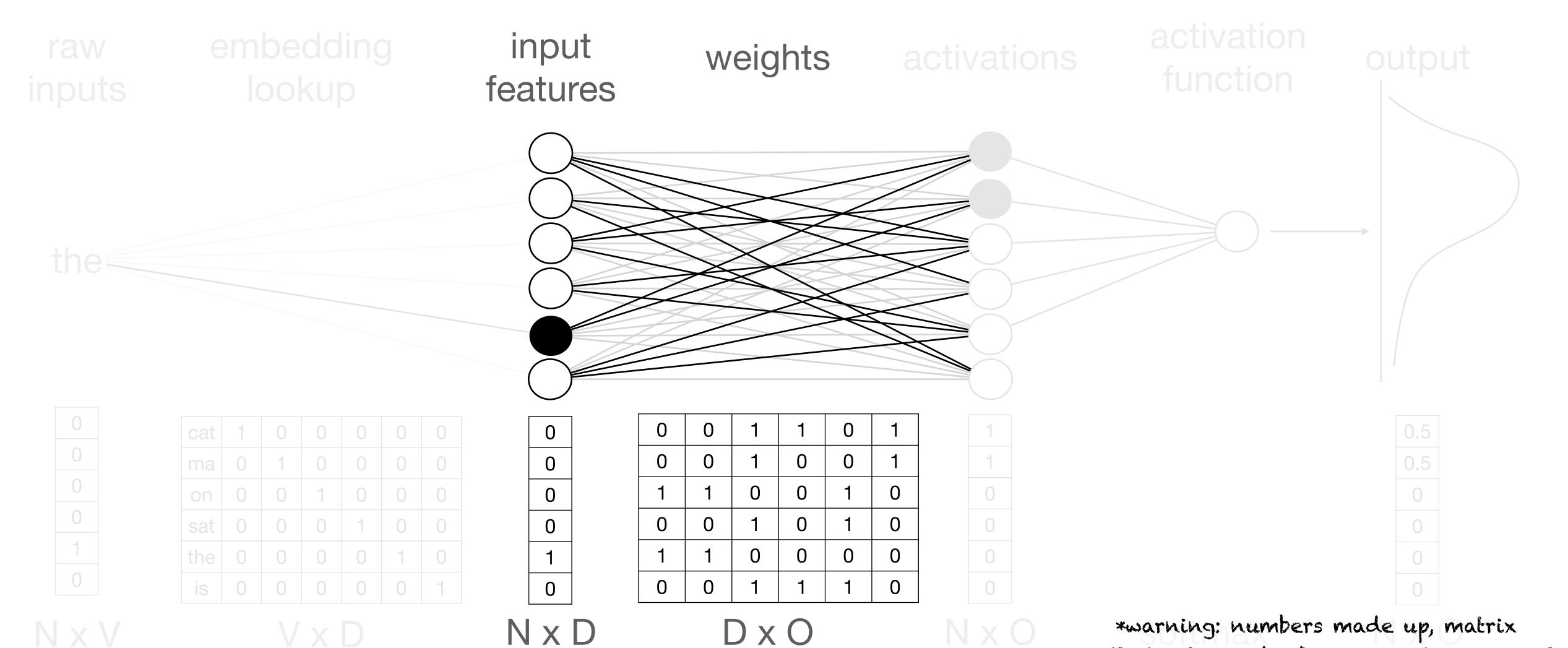


Forward Pass

Task: Predict the next word

multiplications don't necessarily work out

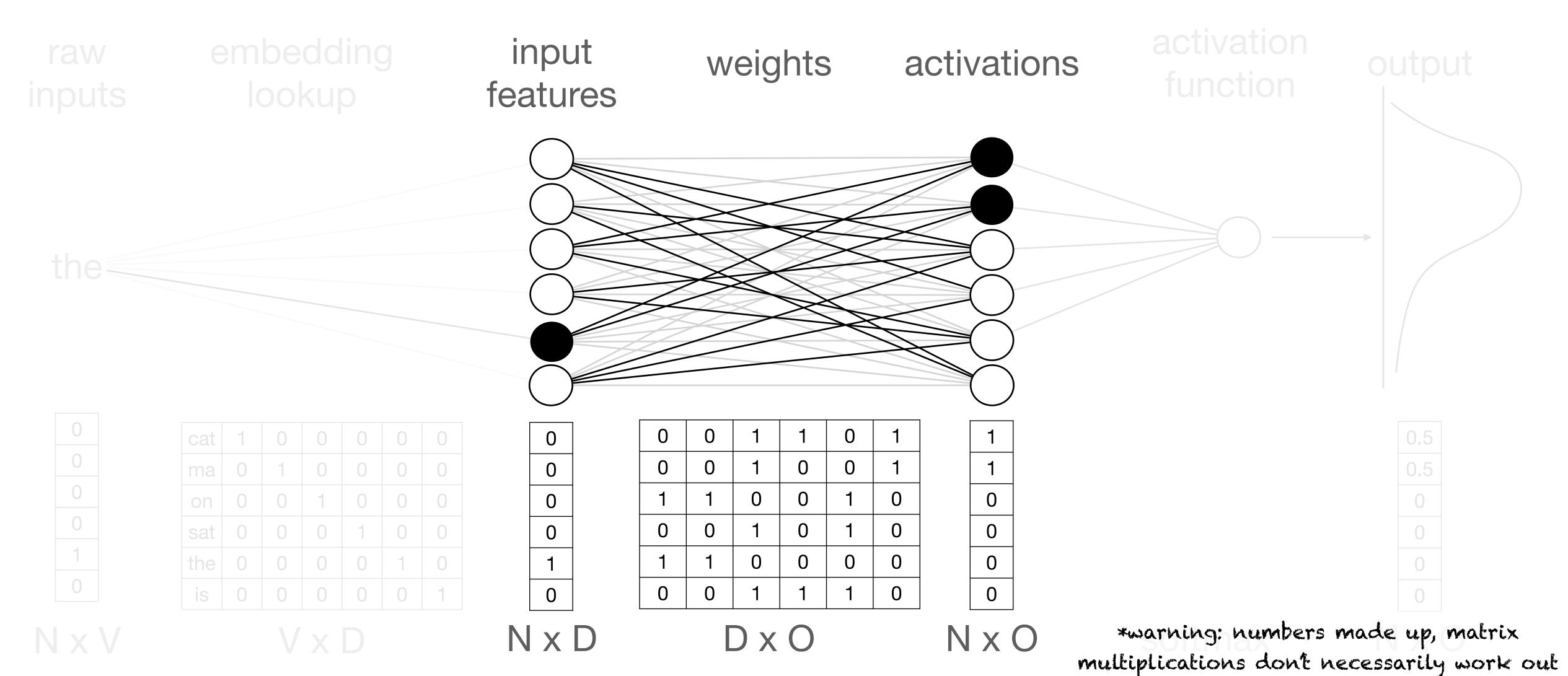
Input: the



Forward Pass

Task: Predict the next word

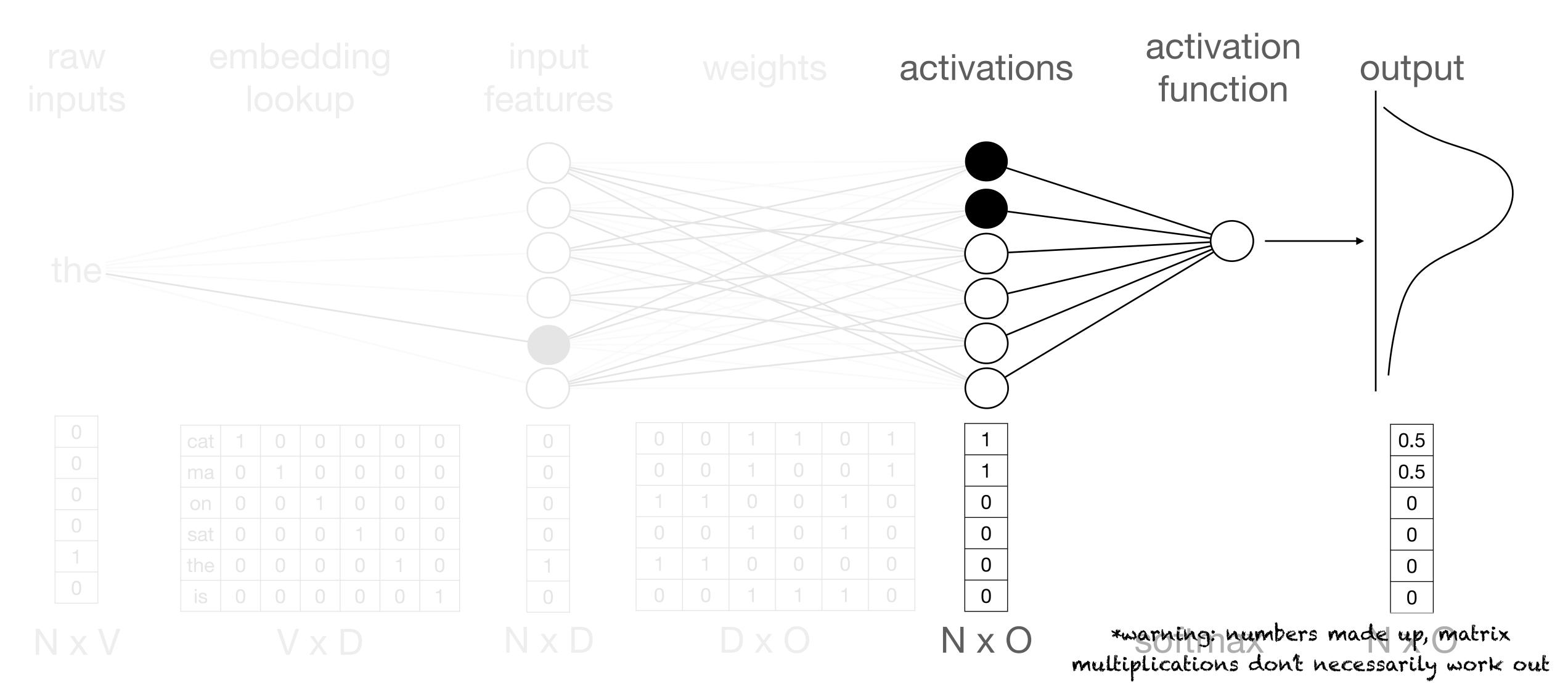
Input: the



Forward Pass

Task: Predict the next word

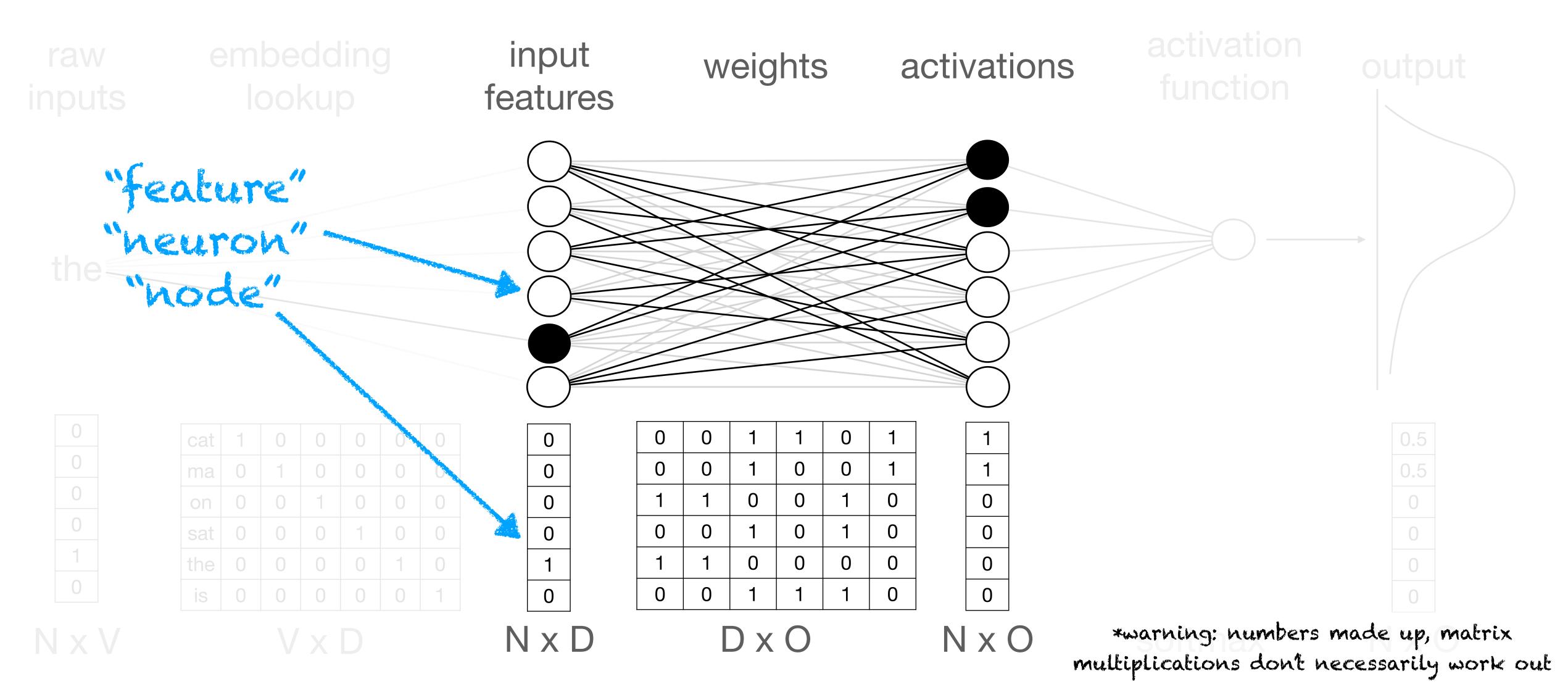
Input: the



Forward Pass

Task: Predict the next word

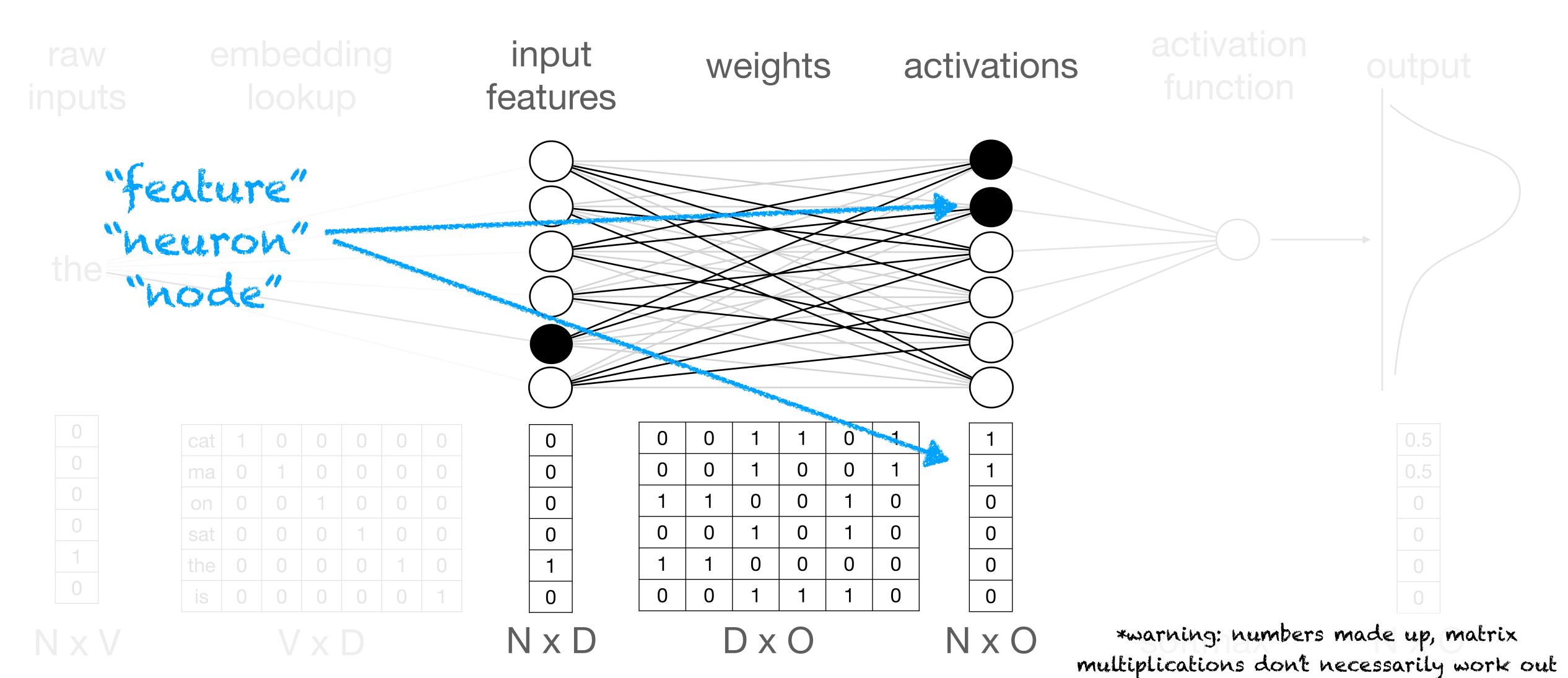
Input: the



Forward Pass

Task: Predict the next word

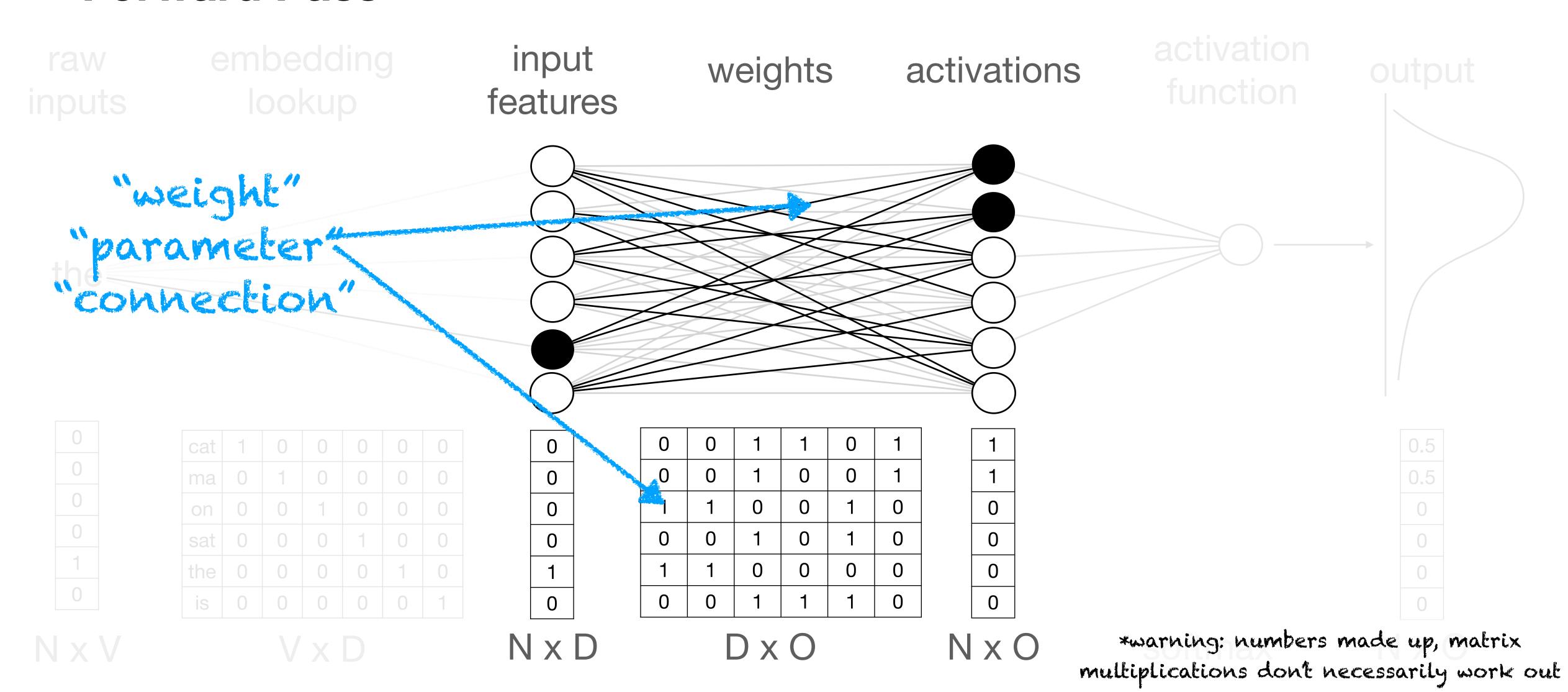
Input: the



Forward Pass

Task: Predict the next word

Input: the

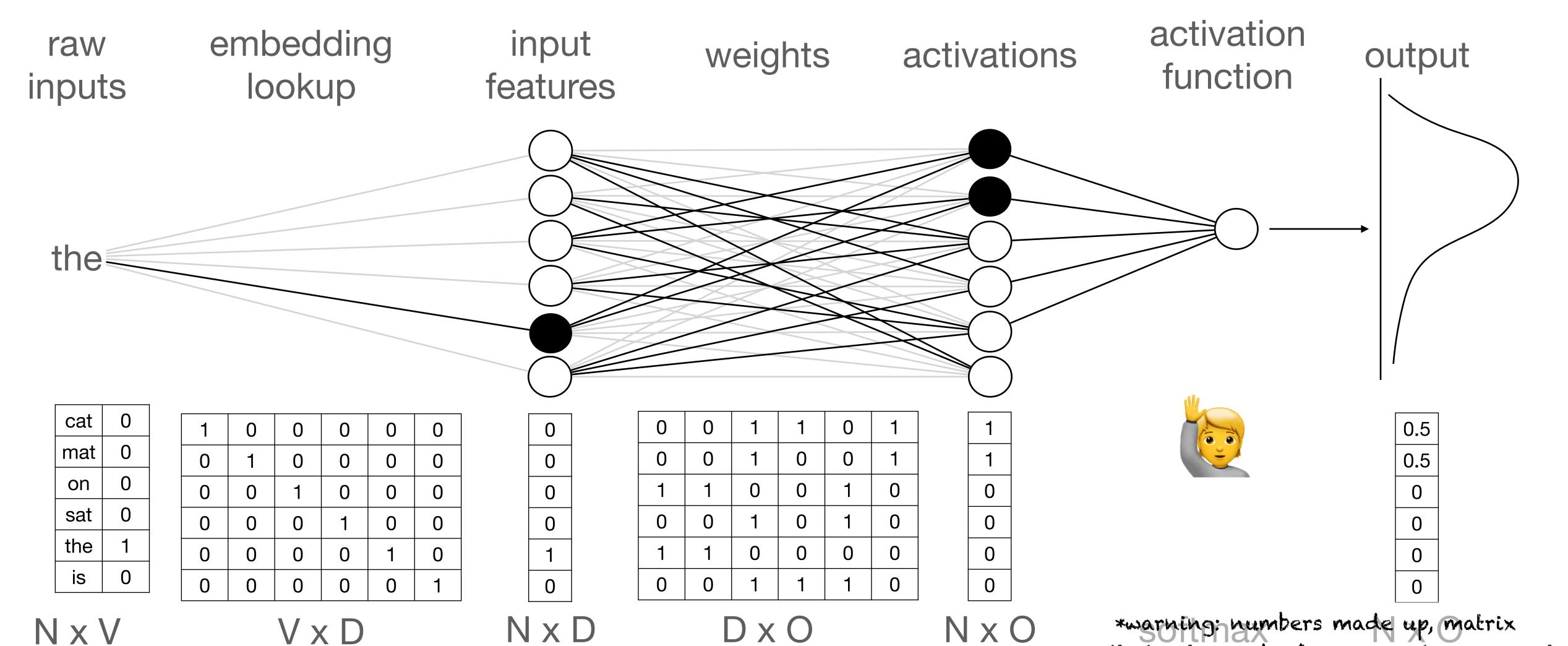


Forward Pass

Task: Predict the next word

multiplications don't necessarily work out

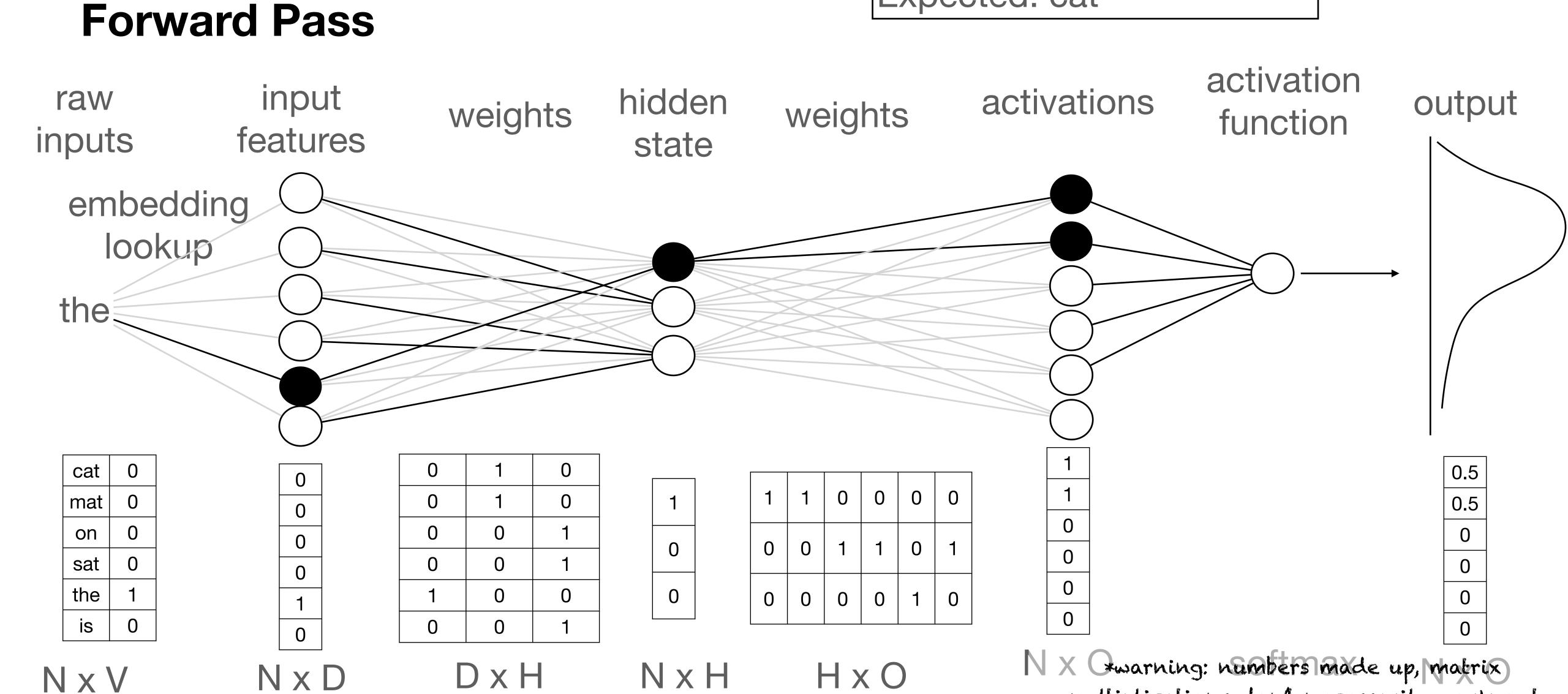
Input: the



Input: the

Expected: cat

Task: Predict the next word



 $D \times H$

 $N \times D$

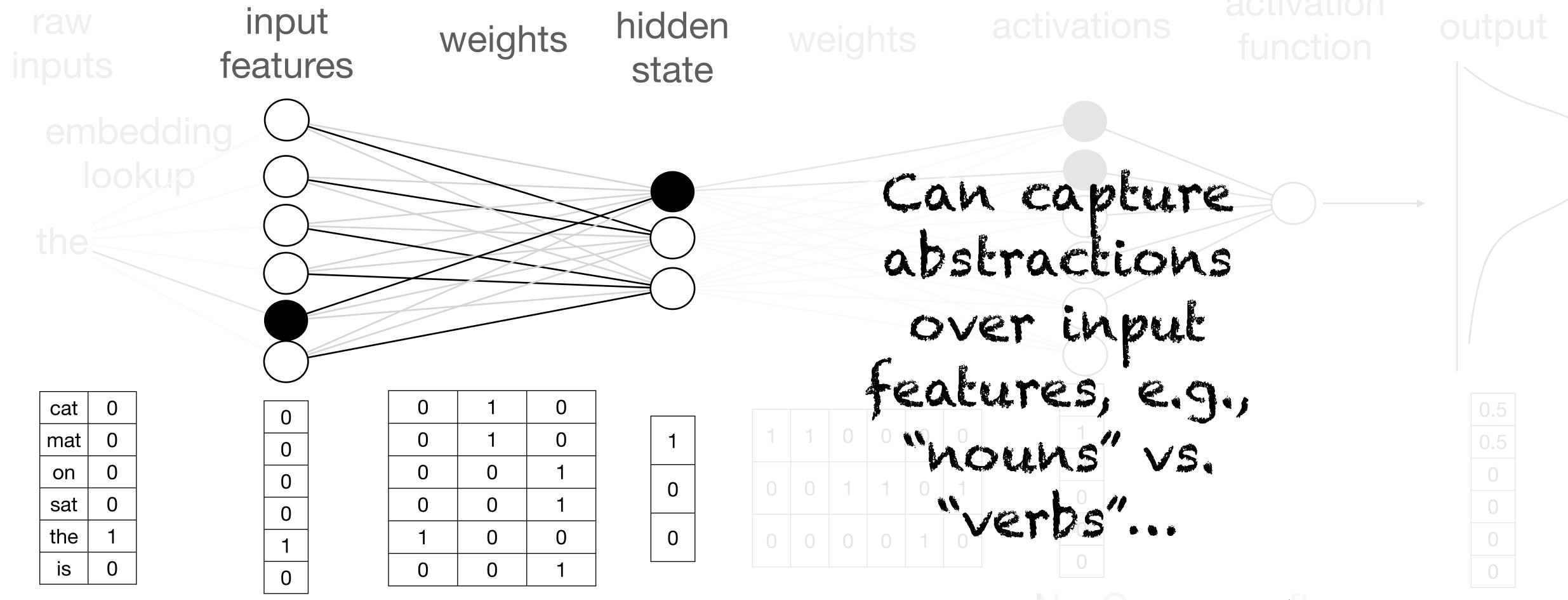
 $N \times V$

Forward Pass

Task: Predict the next word

Input: the

Expected: cat



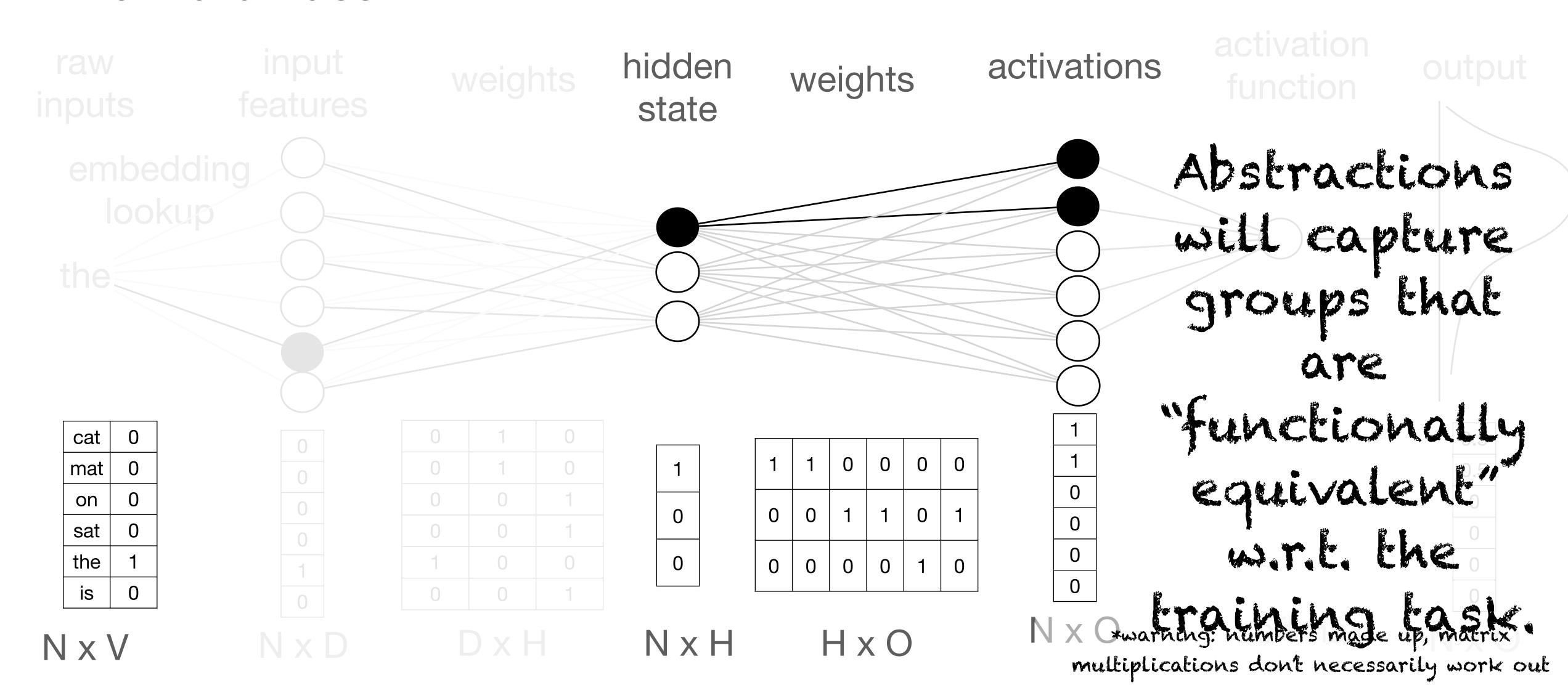
 $N \times H$

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Forward Pass

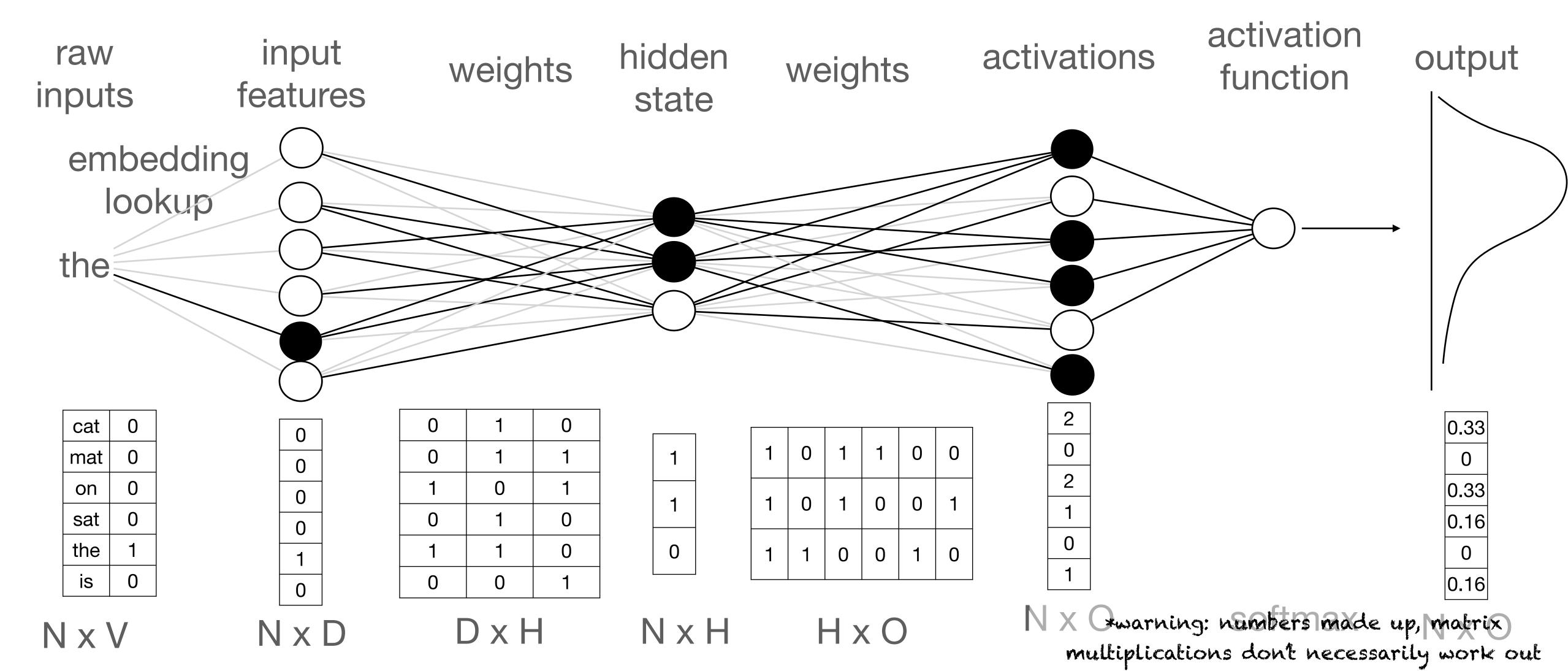
Task: Predict the next word

Input: the



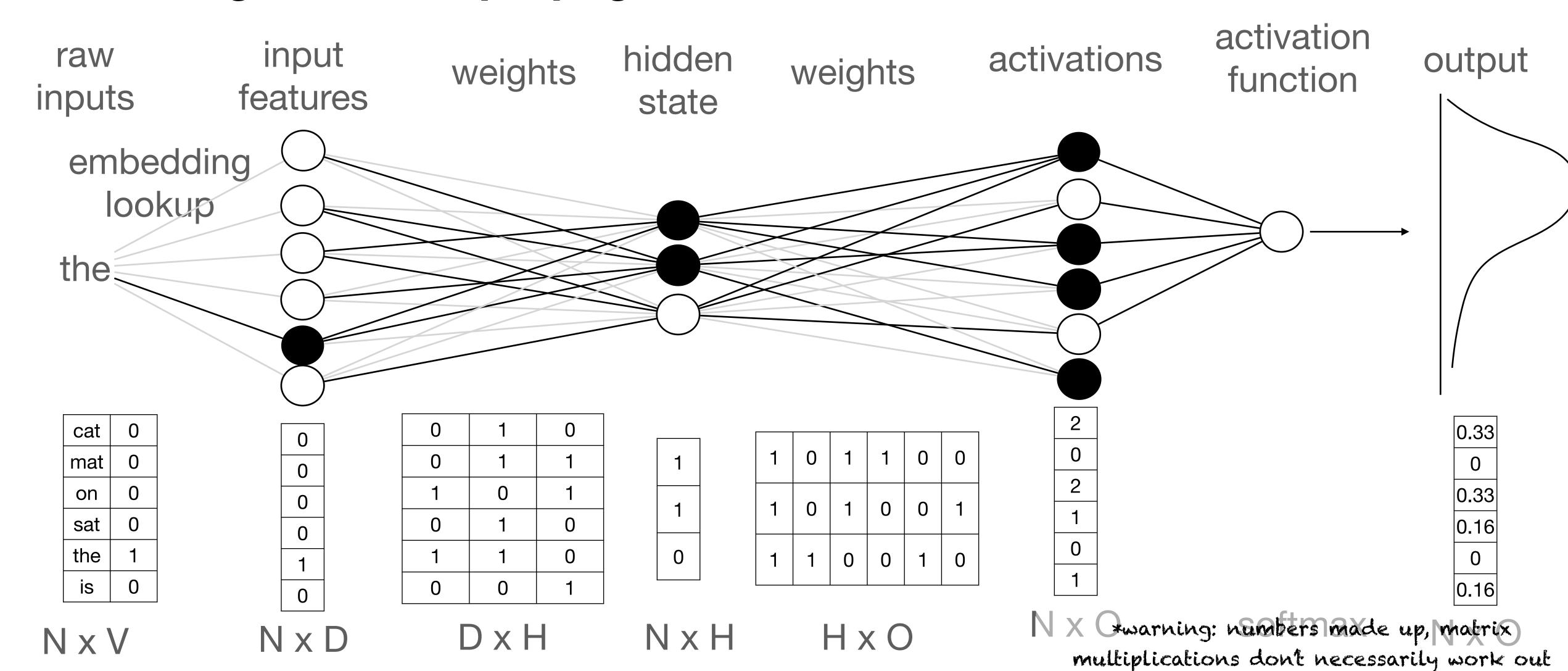
Parameters are randomly initialized.

Training with Backpropagation



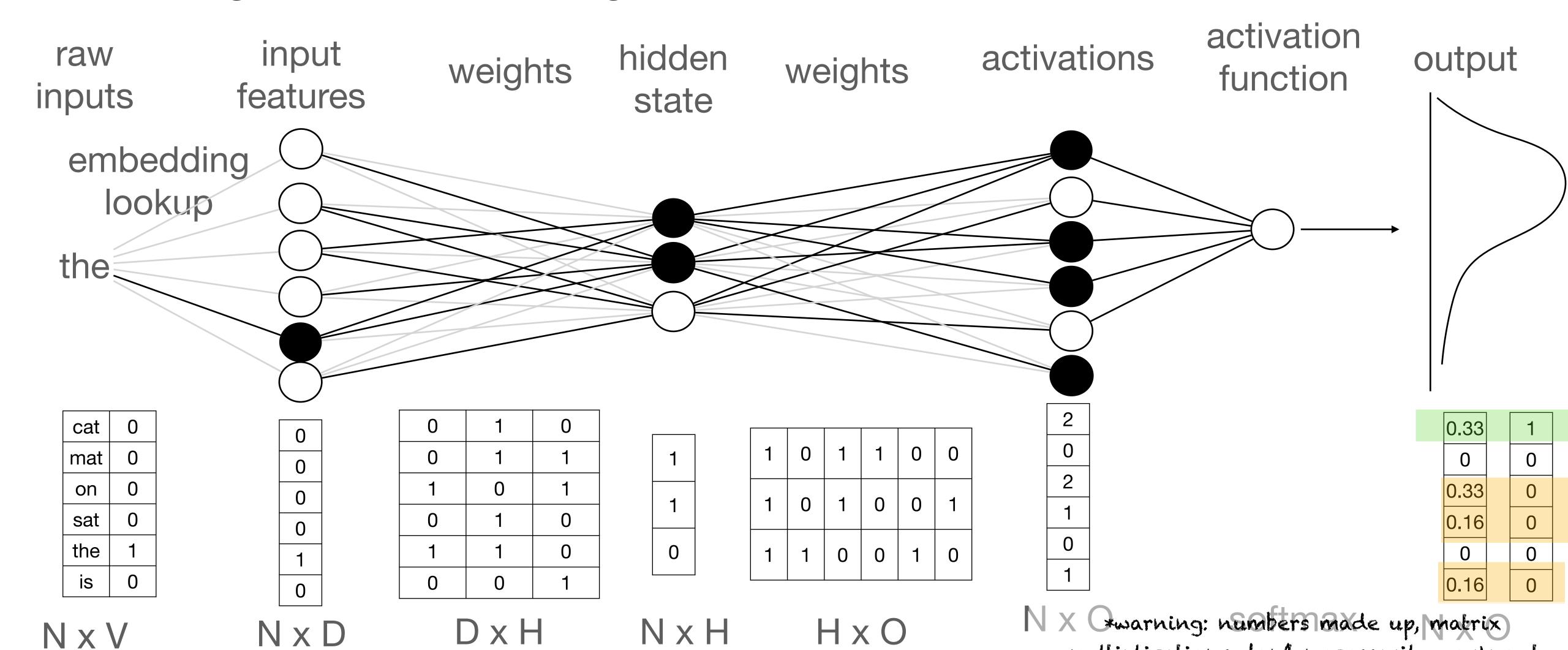
Training with Backpropagation

I.e., predictions are random



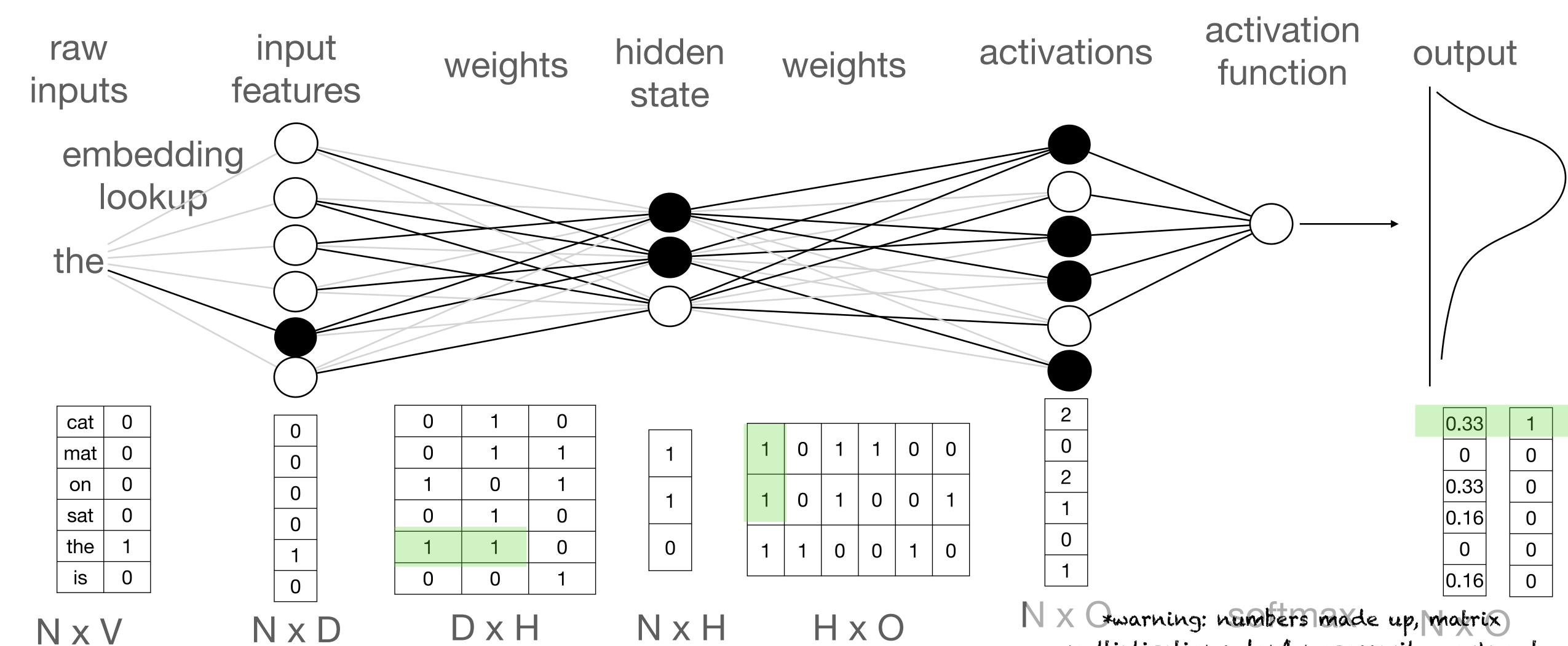
Training with Backpropagation

Compare predictions to ground truth output...



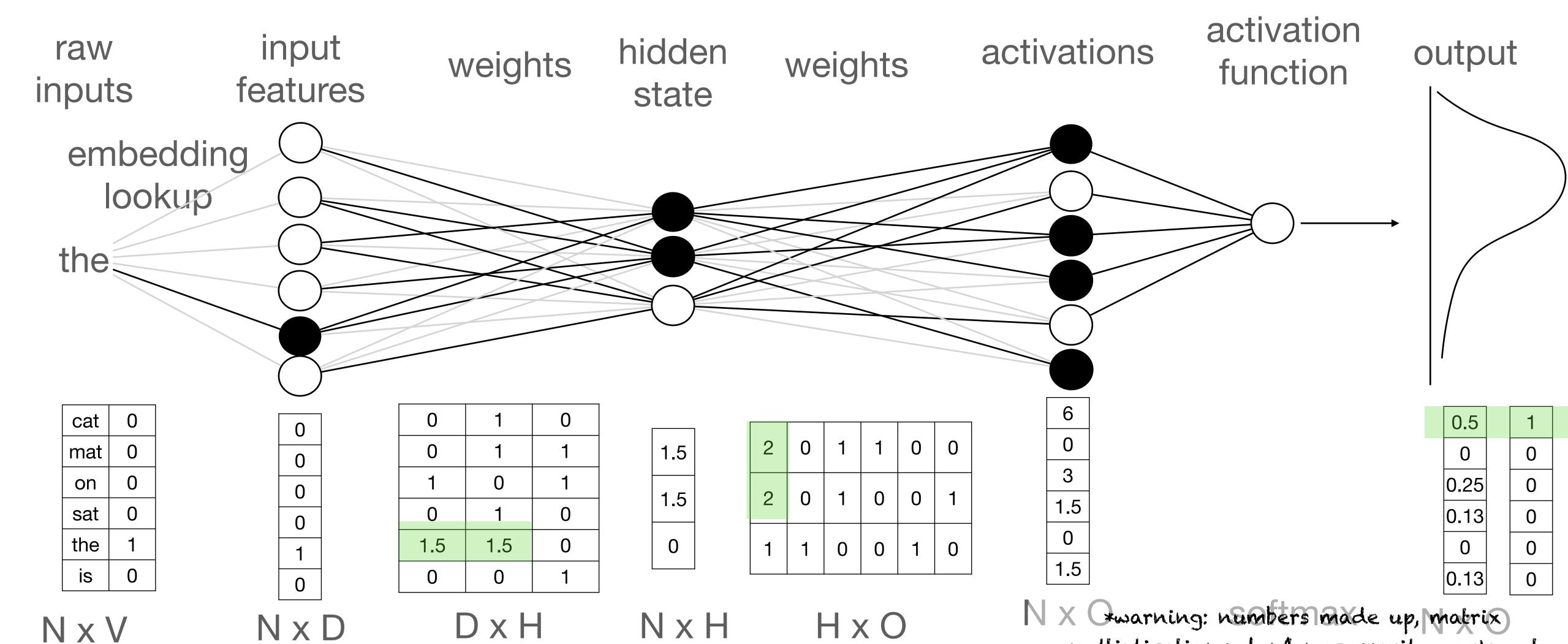
Training with Backpropagation

Adjust each weight (using gradient descent and chain rule)



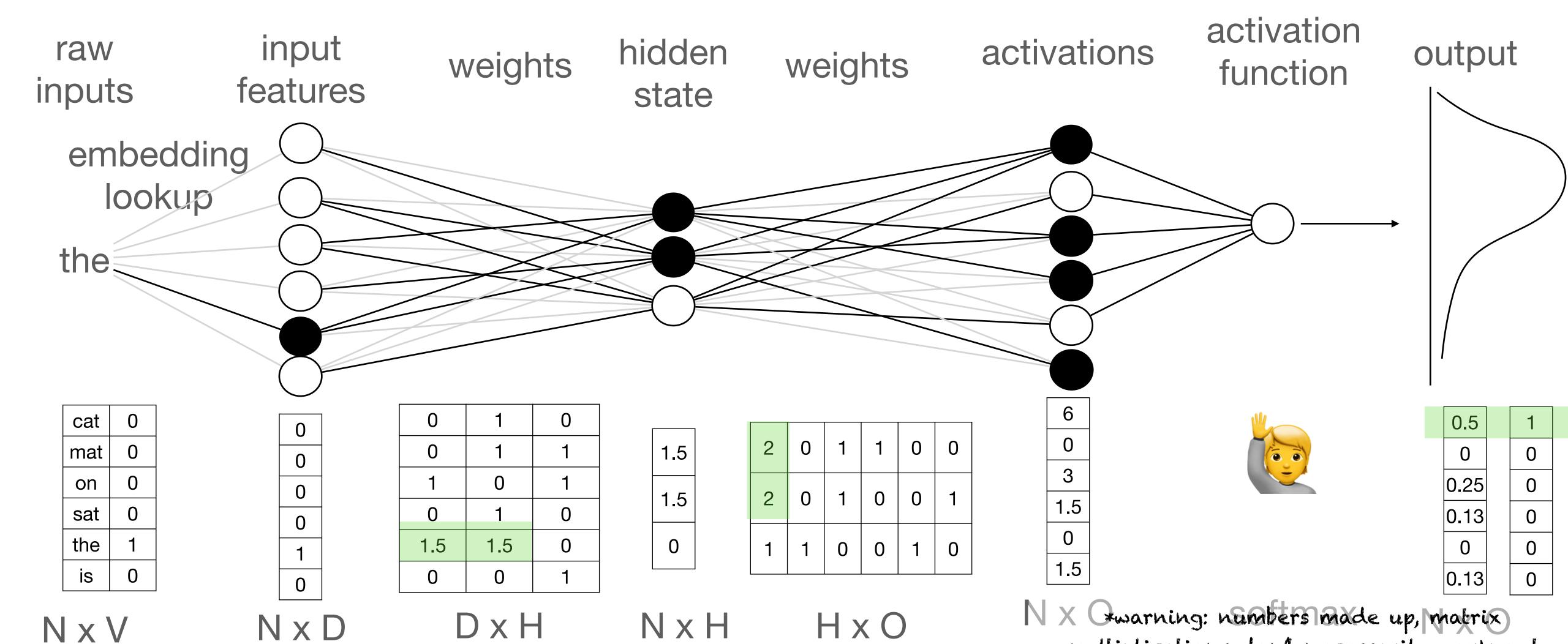
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Training with Backpropagation

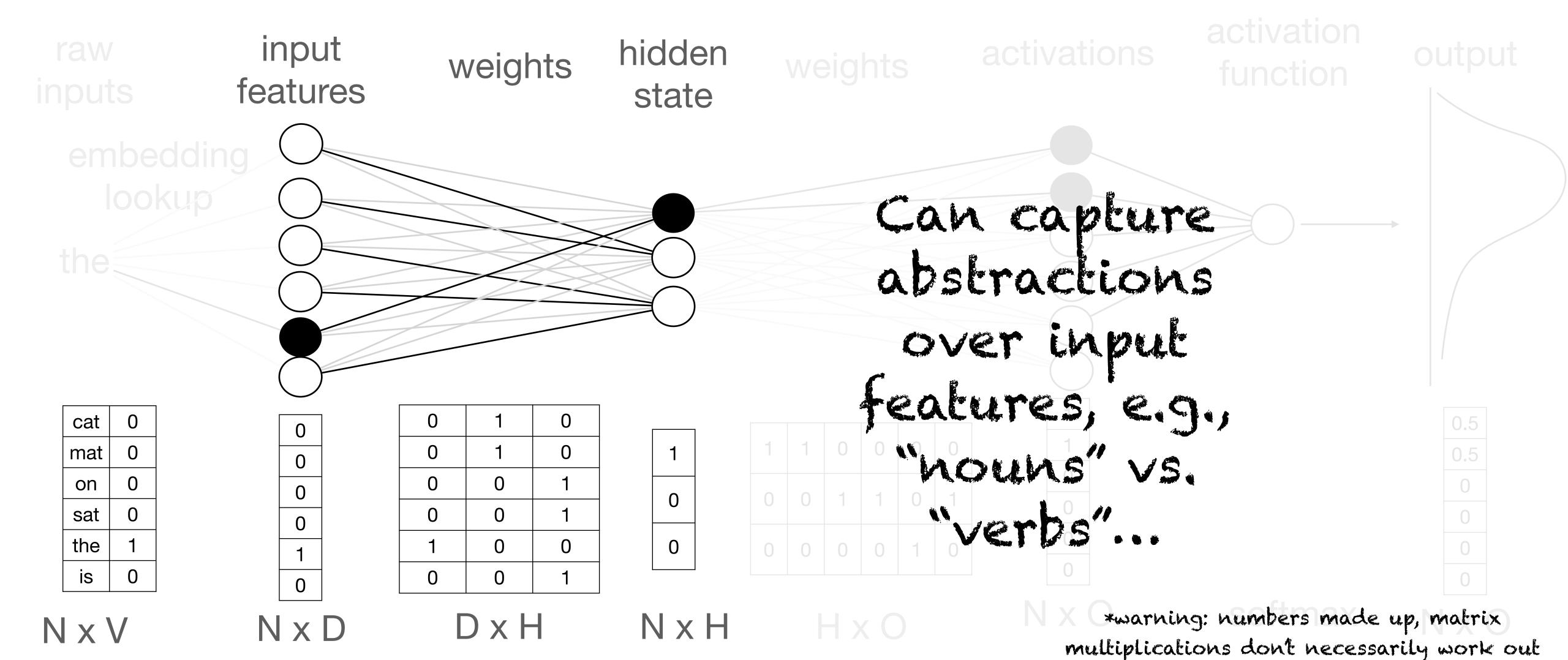
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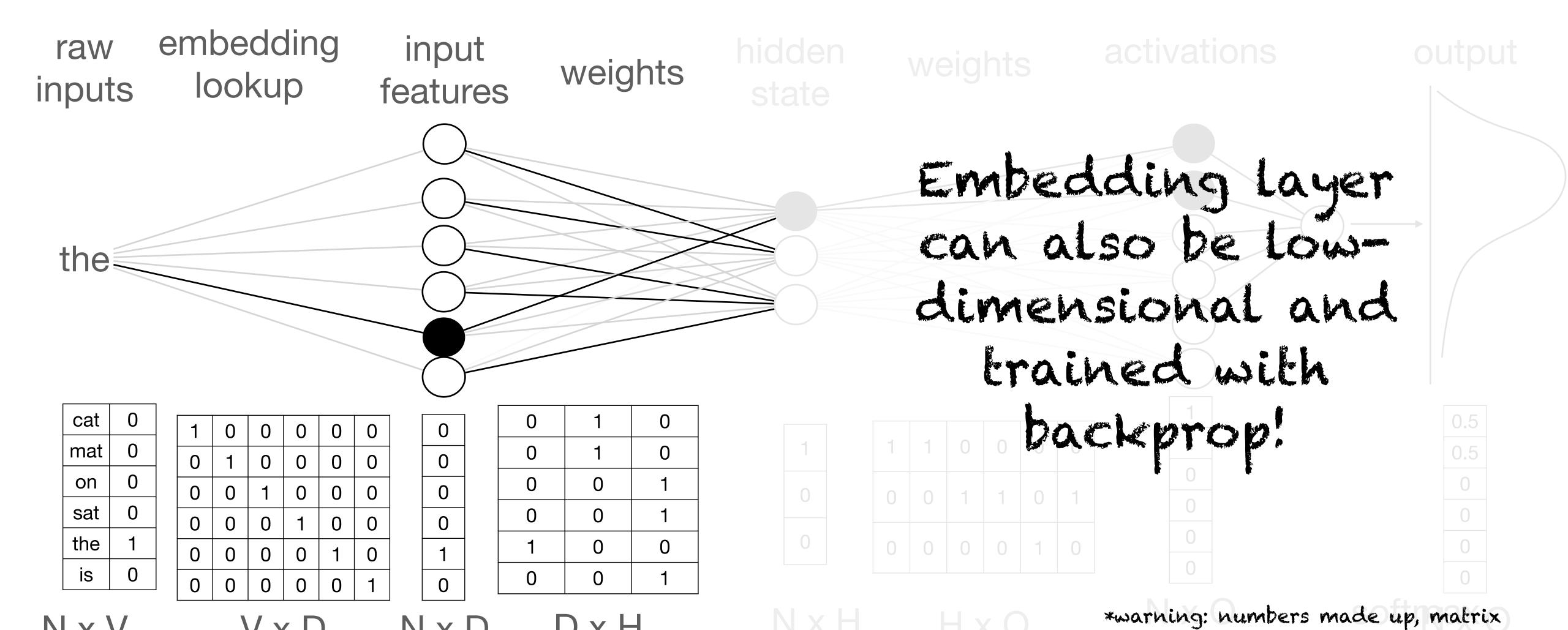
Task: Predict the next word Input: the Letwork (S



Task: Predict the next word Networks

multiplications don't necessarily work out

Expected: cat



 $D \times H$

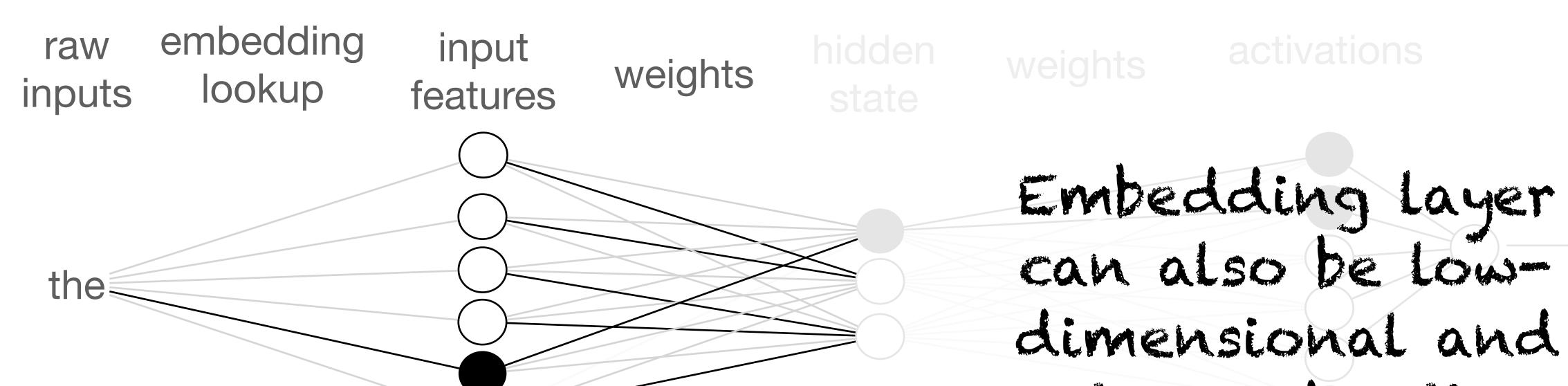
 $N \times D$

 $V \times D$

 $N \times V$

Task: Predict the next word Networks

Expected: cat



cat	0
mat	0
on	0
sat	0
the	1
is	0

0.3	0.5	0.4	0.5
0.5	0.4	0.1	0.1
0.1	0.3	0.4	0.3
0.2	0.1	8.0	0.7
0.5	0.9	0.1	0.5
0.4	0.4	0.9	0.2

0.5	
0.1	
0.3	
0.2	

0.5	0.5	8.0
0.1	0.3	0.7
0.2	8.0	0.2
0.3	0.2	8.0

trained with backprop!

 $N \times V$

 $V \times D$

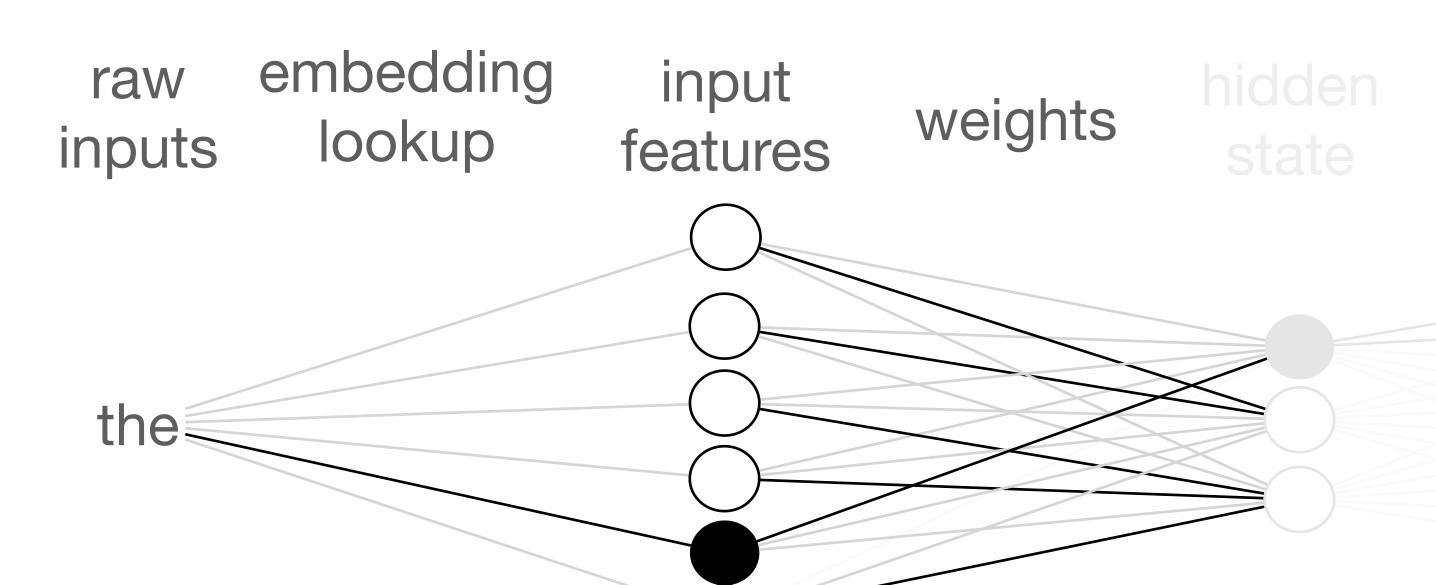
 $N \times D$

DxH



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Task: Predict the next word Expected: cat



No different than
other hidden states.
But often gets
special affention as
the word

representation"

cat	0
mat	0
on	0
sat	0
the	1
is	0

0.3	0.5	0.4	0.5
0.5	0.4	0.1	0.1
0.1	0.3	0.4	0.3
0.2	0.1	8.0	0.7
0.5	0.9	0.1	0.5
0.4	0.4	0.9	0.2

0.5	
0.1	
0.3	
0.2	

).5	0.5	0.5	8.0
).1	0.1	0.3	0.7
0.3	0.2	0.8	0.2
).2	0.3	0.2	8.0

NxV

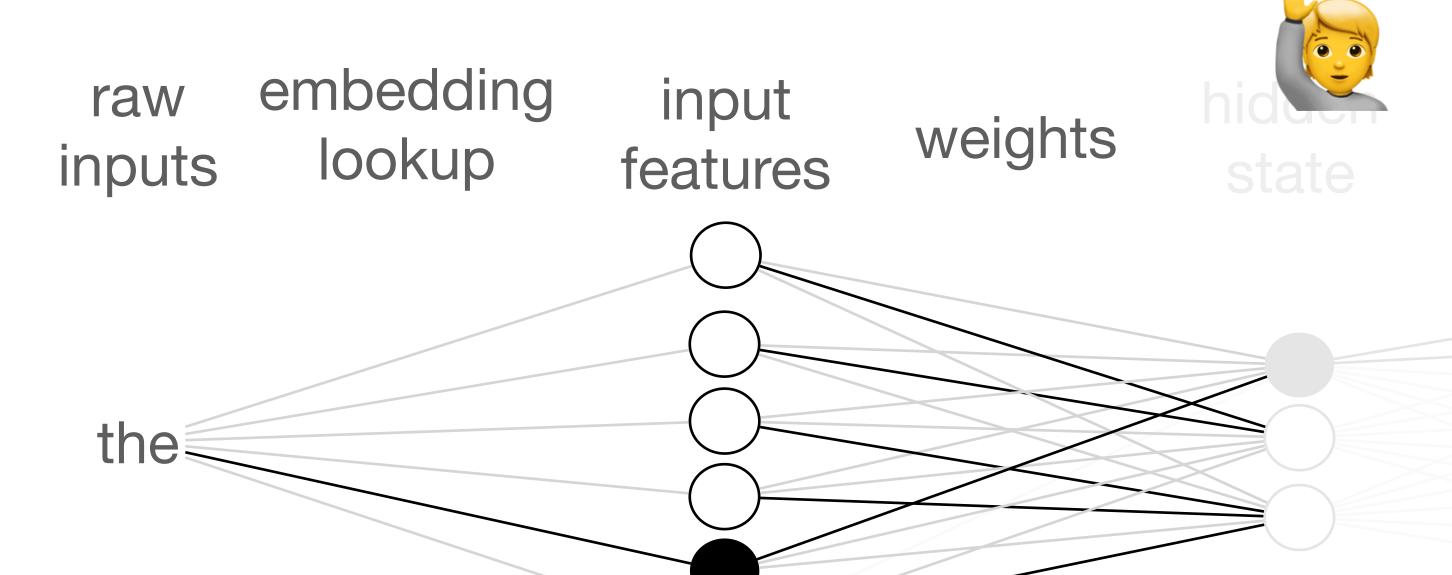


 $N \times D$

 $D \times H$

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Task: Predict the next word Expected: cat



N		dif	fer	ent	Cha	M
					stat	
	130		ofte		jets	
SPE		ial	att	ENE	ion	as
•						

representation"

cat	: 0
ma	t O
on	0
sat	. 0
the	1
is	0

0.3	0.5	0.4	0.5
0.5	0.4	0.1	0.1
0.1	0.3	0.4	0.3
0.2	0.1	8.0	0.7
0.5	0.9	0.1	0.5
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0.5	
0.1	
0.3	
0.2	

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0.3	0.2	0.8	0.2
0.2	0.3	0.2	8.0

 $N \times V$ $V \times D$ $N \times D$

 $D \times H$

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Efficient Estimation of Word Representations in Vector Space

Tomas Mikolov

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Greg Corrado

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Kai Chen

Google Inc., Mountain View, CA kaichen@google.com

Jeffrey Dean

Google Inc., Mountain View, CA jeff@google.com

Distributed Representations of Words and Phrases and their Compositionality

Tomas Mikolov Google Inc. Mountain View

mikolov@google.com

Ilya Sutskever Google Inc. Mountain View

ilyasu@google.com

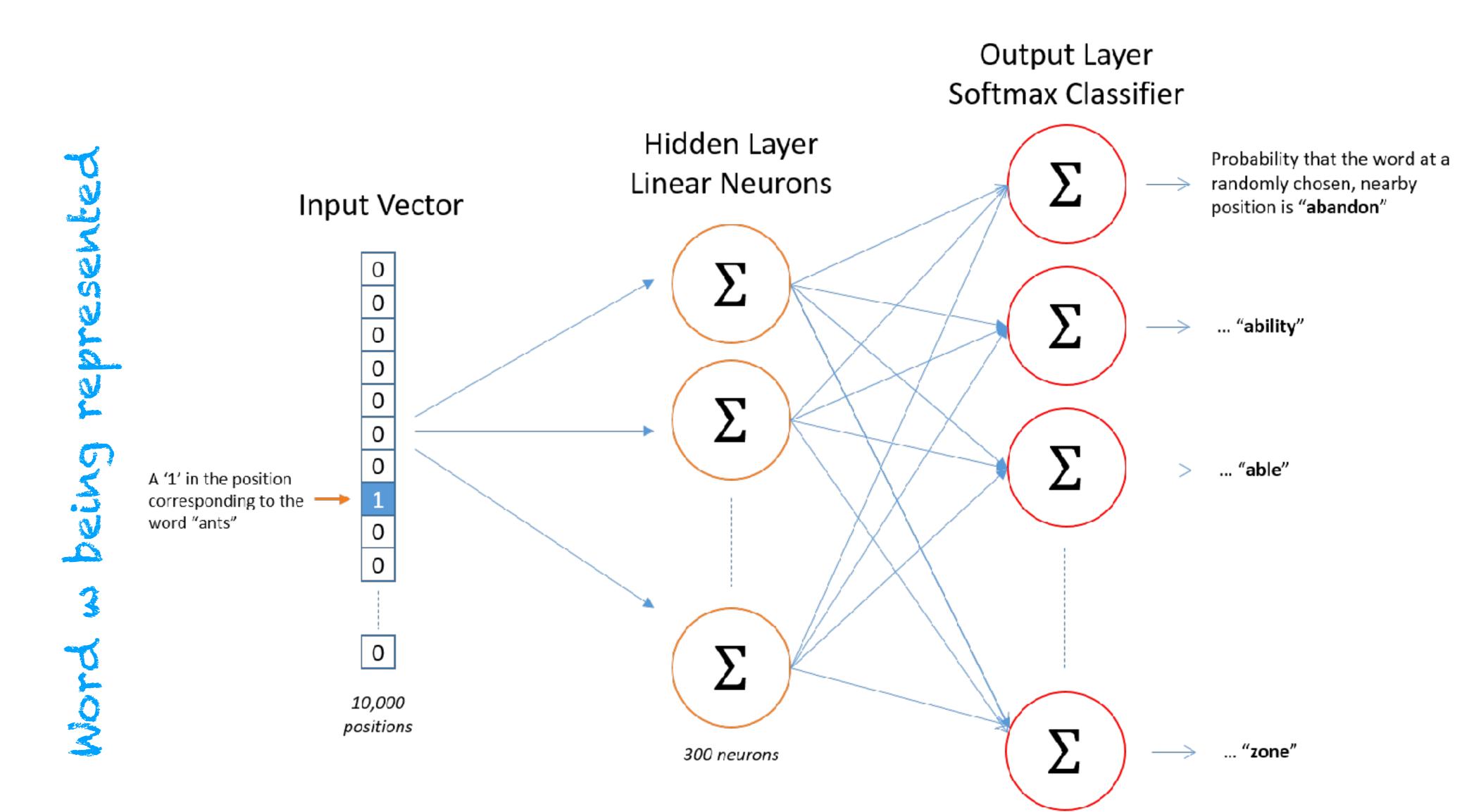
Kai Chen Google Inc. Mountain View kai@google.com

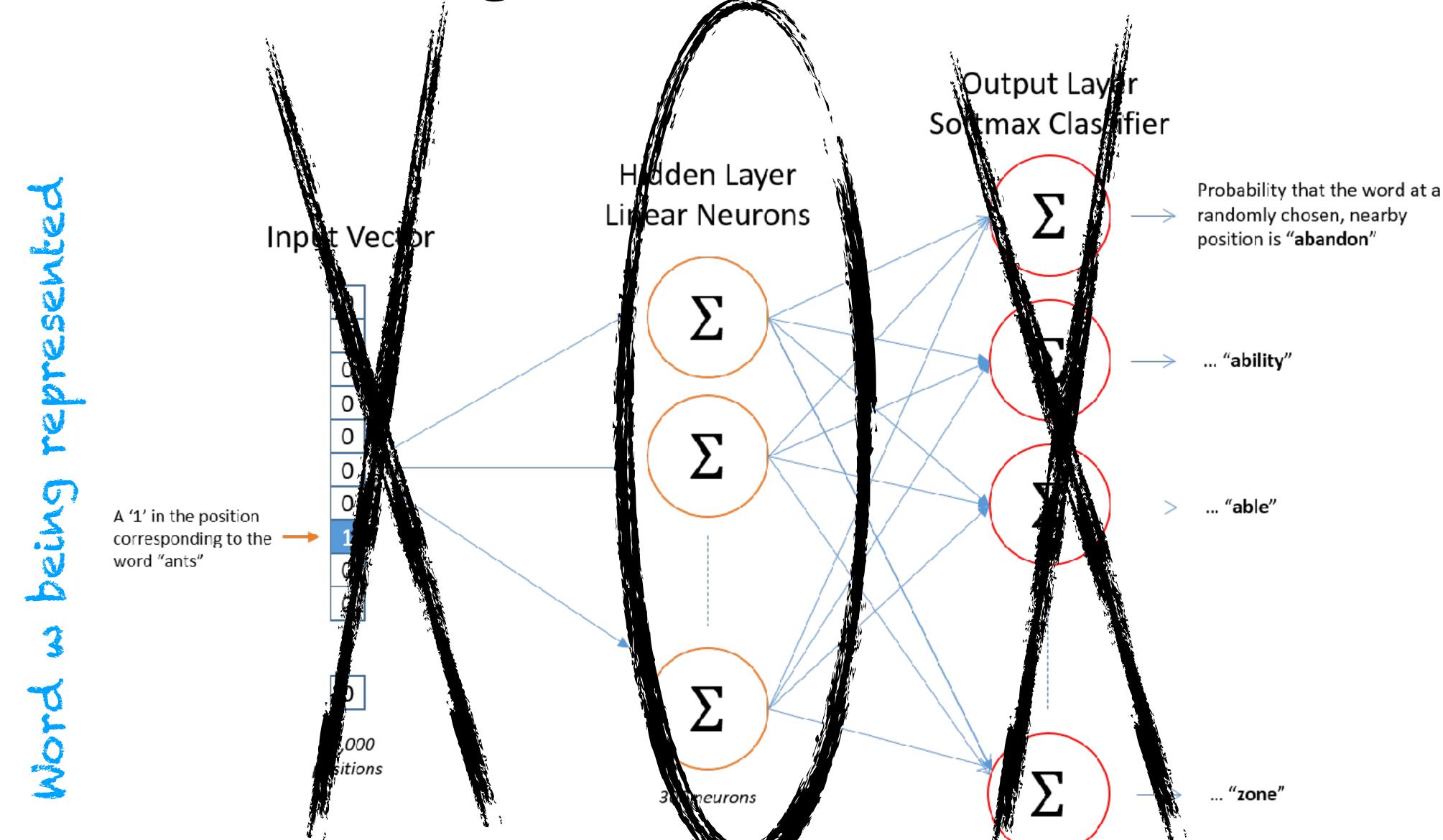
Greg Corrado Google Inc. Mountain View gcorrado@google.com

Jeffrey Dean Google Inc. Mountain View jeff@google.com

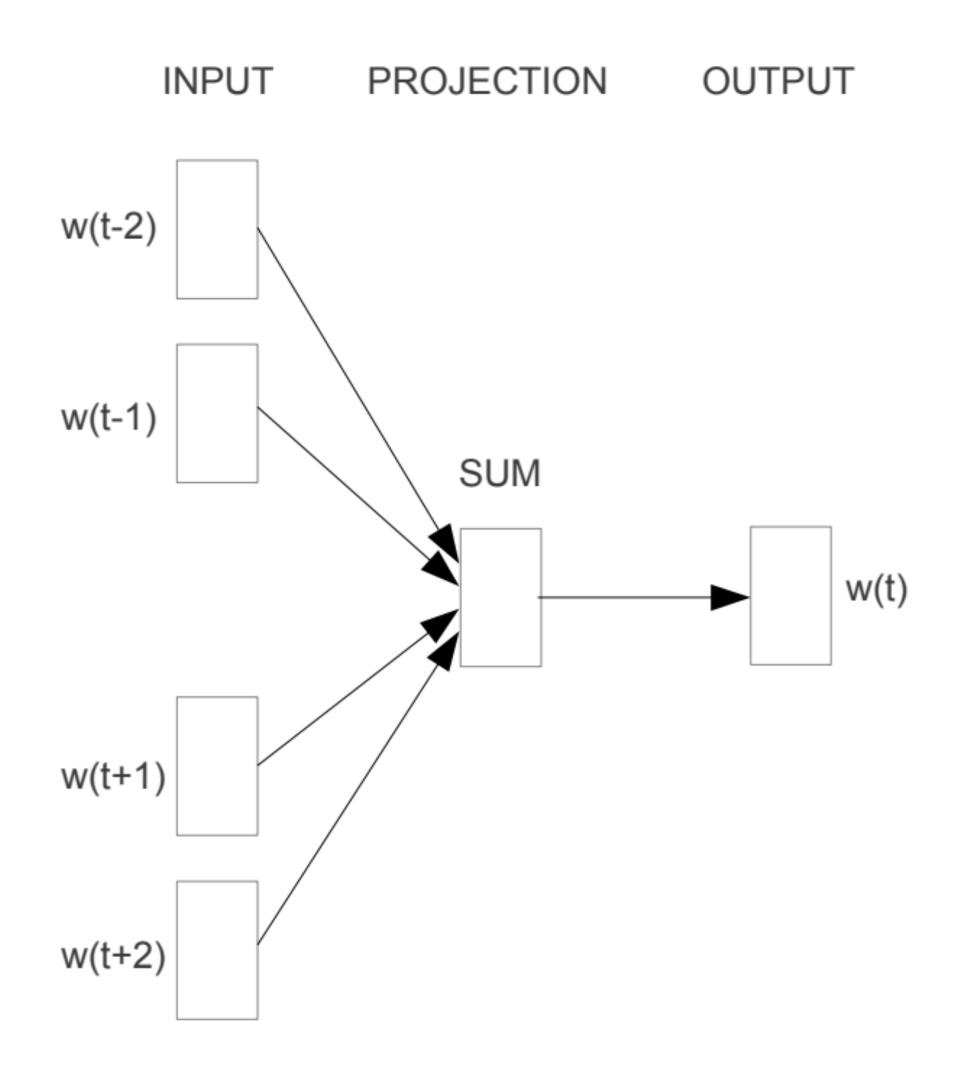
Distribution of words in w's context

70		cat	kitten	cute	adorable	gradients
	cat	0	0	1	1	0
	kitten	0	0	1	1	0
	cute	1	1	0	0	0
	adorable	1	1	1	0	0
	gradients	0	0	1	1	1



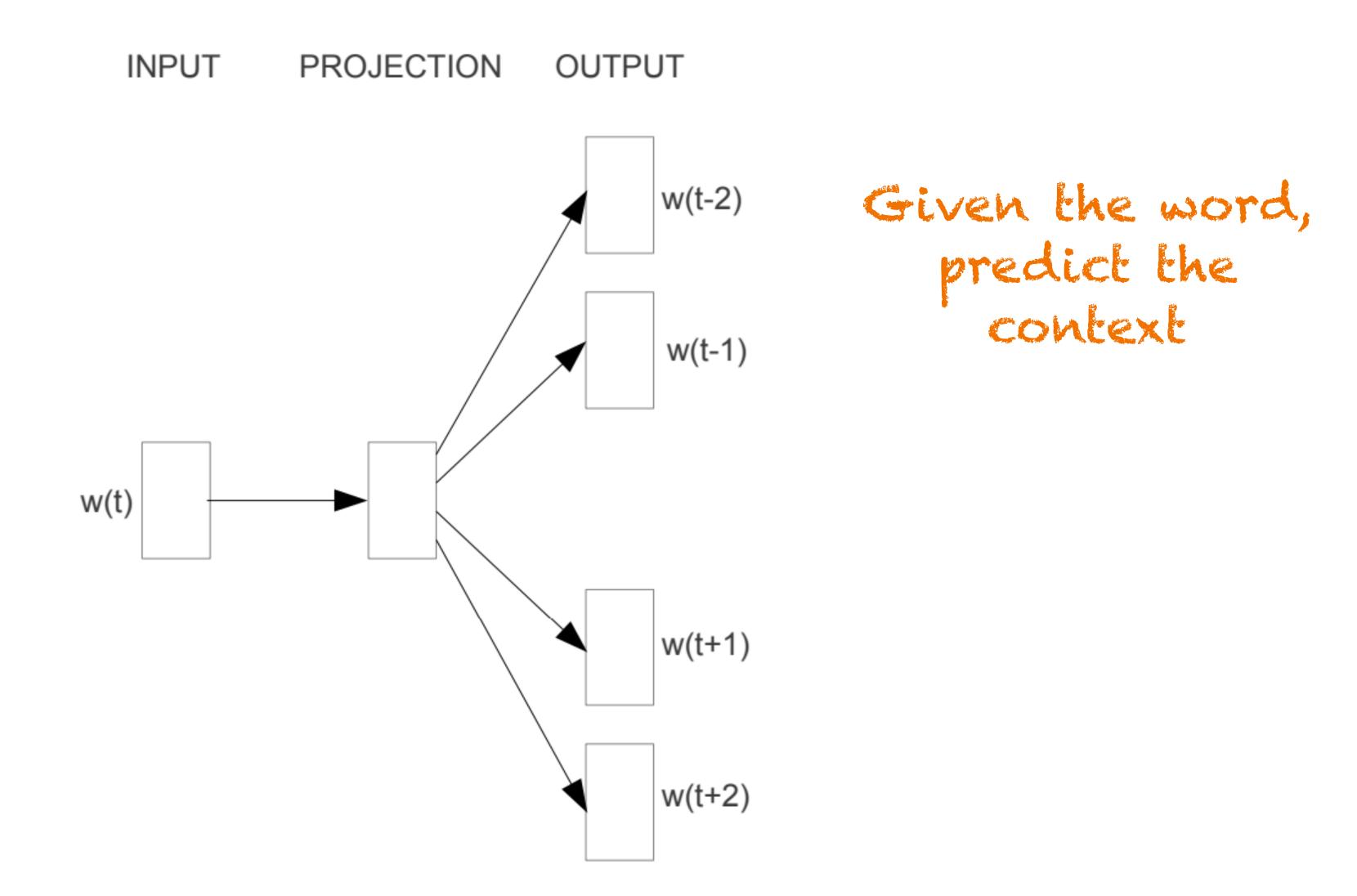


Continuous Bag of Words (CBOW)



Given context, predict the word

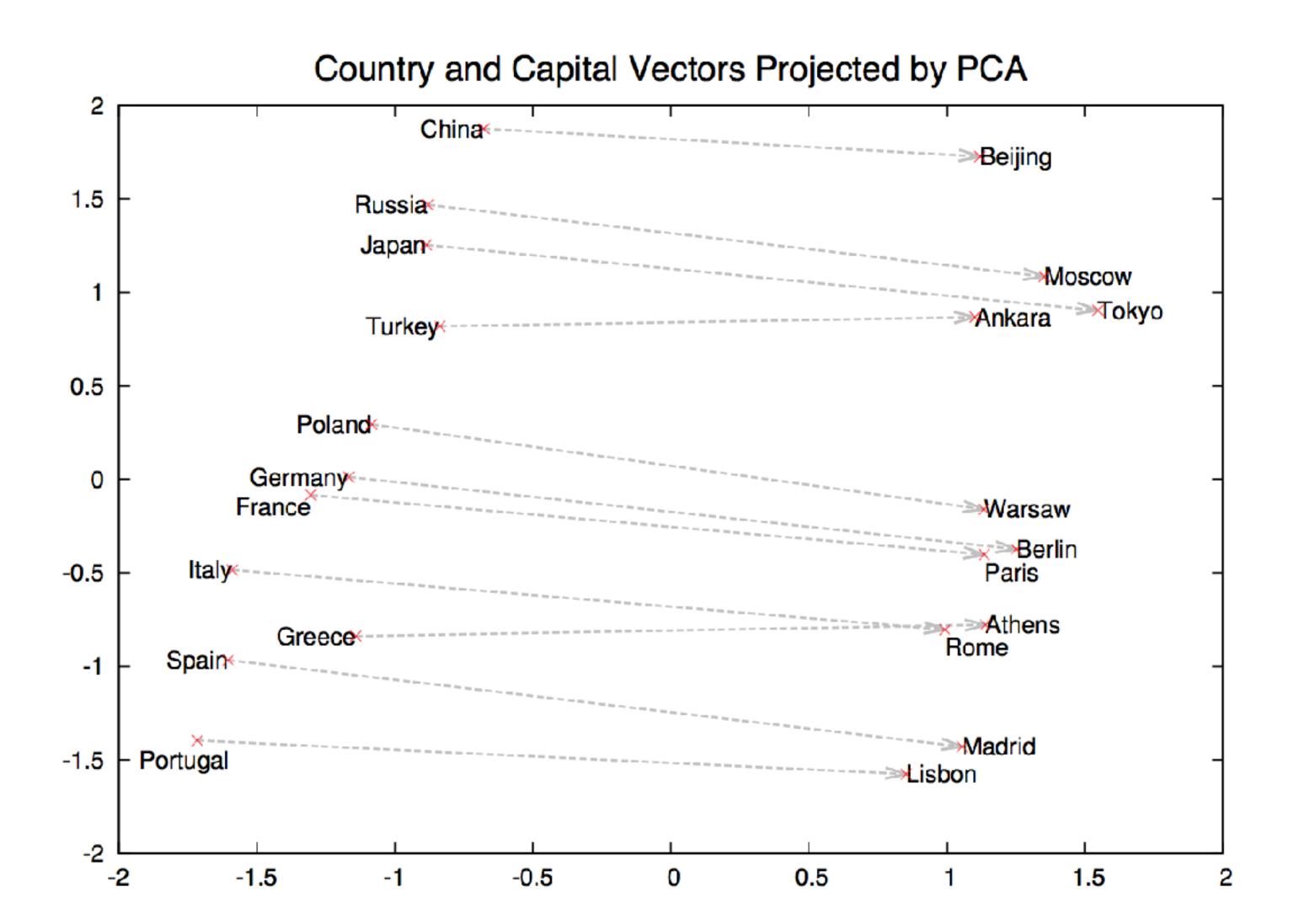
Word Embeddings from Neural Networks SkipGram



Pro Eva



Evaluations of word2vec embeddings



Evaluations of word2vec embeddings

Table 8: Examples of the word pair relationships, using the best word vectors from Table 4 (Skipgram model trained on 783M words with 300 dimensionality).

Relationship	Example 1	Example 2	Example 3
France - Paris	Italy: Rome	Japan: Tokyo	Florida: Tallahassee
big - bigger	small: larger	cold: colder	quick: quicker
Miami - Florida	Baltimore: Maryland	Dallas: Texas	Kona: Hawaii
Einstein - scientist	Messi: midfielder	Mozart: violinist	Picasso: painter
Sarkozy - France	Berlusconi: Italy	Merkel: Germany	Koizumi: Japan
copper - Cu	zinc: Zn	gold: Au	uranium: plutonium
Berlusconi - Silvio	Sarkozy: Nicolas	Putin: Medvedev	Obama: Barack
Microsoft - Windows	Google: Android	IBM: Linux	Apple: iPhone
Microsoft - Ballmer	Google: Yahoo	IBM: McNealy	Apple: Jobs
Japan - sushi	Germany: bratwurst	France: tapas	USA: pizza

NNs vs. SVD

Pretrained Word Embeddings NNs vs. SVD

 Same basic idea! Dimensionality reduction leads to good abstractions

NNs vs. SVD

- Same basic idea! Dimensionality reduction leads to good abstractions
 - In fact, the two methods are provably equivalent in the simplest case

Neural Word Embedding as Implicit Matrix Factorization

Omer Levy
Department of Computer Science
Bar-Ilan University
omerlevy@gmail.com

NNs vs. SVD

- Same basic idea! Dimensionality reduction leads to good abstractions
 - In fact, the two methods are provably equivalent in the simplest case
- But embeddings from NNs can become more powerful (and harder to interpret) as:

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 - In fact, the two methods are provably equivalent in the simplest case
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 - We add more layers

Neural Word Embedding as Implicit Matrix Factorization

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omerlevy@gmail.com

NNs vs. SVD

- Same basic idea! Dimensionality reduction leads to good abstractions
 - In fact, the two methods are provably equivalent in the simplest case
- But embeddings from NNs can become more powerful (and harder to interpret) as:
 - We add more layers
 - We add more non-linearity

Neural Word Embedding as Implicit Matrix Factorization

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NNs vs. SVD

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 - We invent more complex training objectives

Neural Word Embedding as Implicit Matrix Factorization

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 - More next lecture(s)!

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