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Covered Topics Under UNIT-3 of "CD- COMPILER DESIGN (KIT-052)"

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CD: UNIT-3

Syntax-Directed Translation

FALL SEMESTER, YEAR (V/VI, 3rd)

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TOPIC On : UNIT-3

3 Address Code for Array Reference(1-D Array and 2-D Array)

By SHWETA TIWARI

Under On: Syntax-Directed Translation

PREPARED FOR
Engineering Students
All Engineering College

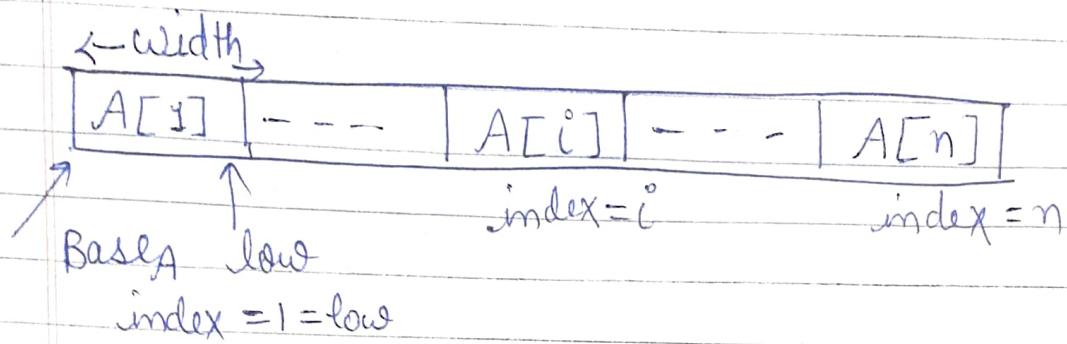
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Three Address Code [Array Reference]

①

Three Address Code for One D Array

→ let us consider one D array A.



$Base_A$ = Address of starting location of array A.

$width$ = width of each array element in bytes.

low = Index of first array element

so, $low=1$ By default

$$\text{Location of } A[i] = Base_A + (i - low) * \text{width}$$

$$= (Base_A - low * \text{width}) + (i * \text{width})$$

$$= (\underbrace{address_A - \text{width}}_{t_2} + \underbrace{(i * \text{width})}_{t_1})$$

$$A[i] = t_2[t_1]$$

Example (eg):-

<8 bytes> <8> <8> <8>				
A[1]	A[2]	A[3]	A[5]	
8	16	<u>24</u>	32	40

Given

[width = 8 bytes]

Locations of A[3]

$$= \text{Base}_A + (i - \text{low}) * \text{width}$$

$$\text{given} \Rightarrow \text{Base}_A = 8$$

$$i = \text{index} = 3,$$

$$\text{low} = 1$$

$$\text{width} = 8$$

$$= 8 + (3-1) * 8$$

$$= 8 + 16$$

$$= \boxed{24}$$

→ Convert following into 3- Address Code

$$\text{eg: } A[i] = 20$$

$$\text{width} = 8 \text{ bytes}$$

3-address Code is
 $a[ij] = 10$

$$t_2[t_1] = 10$$

$$\text{Ans} \quad t_1 = i \times \text{width} = i \times 4$$

$$t_2 = \text{address}_A - \text{width} = \text{address}_{(a)} - 4$$

$$t_2[t_1] = 10$$

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3-Address Code for 2D Array2D Array =

We know that 3-address code for 1D array

$$A[i] = \text{Base}_A + (i - \text{low}) * \text{width}$$

Similarly the 3-address code for 2D array is,

$$A[i, j] = \text{Base}_A + ((i - \text{low}_1) * n_2 + j - \text{low}_2) * \text{width}$$

$$= (\text{Base}_A + i * n_2 * \text{width} - \text{low}_1 * n_2 * \text{width})$$

$$+ j * \text{width} - \text{low}_2 * \text{width}$$

$$= \underbrace{(i * n_2 + j) * \text{width}}_{t_1} + \text{Base}_A - (\text{low}_1 * n_2 * \text{width} + \text{low}_2 * \text{width})$$

 t_1 t_2

$$A[i, j] = t_2 [t_1]$$

Base_A = Address of starting location of array

$\text{low}_1, \text{low}_2$ = Index of 1st row, and 1st column.

n_2 = no. of elements in each column

eg $\rightarrow A \Rightarrow 30 \times 30$
 $\text{row} \times \text{col.}$

width = width of ith row and jth column.

Ques - * Convert the following into 3 address code.

add = 0;
 $i = 1$
 $j = 1$

add = add + a[i,j] + b[j,i]

where a and b are array of size 20×20
and there are 4 bytes per word.

Answer $\text{low}_1 = \text{low}_2 = 1$; $n_1, n_2 = 20 \times 20$;
width = 4 byte;

for a[i,j] = t₂[t₁]

$t_2 = \text{Base}_A - (\text{low}_1 \times n_2 + \text{low}_2) \times \text{width}$

= address_A - (1 × 20 + 1) × 4

address_A = 164

$$t_1 = (i \times n_2 + j) \times \text{width}$$

$$t_1 = (i \times 20 + j) \times 4$$

$$\text{far } B[j, i] = t_4[t_3]$$

$$t_3 = (j \times 20 + i) \times 4$$

= 8

$$t_4 = \text{address}_B - (\text{low}_1, x_{n_2} + \text{low}_2) \times \text{width}$$

$$= \text{address}_B - (1 \times 20 + 1) \times 4$$

$$t_4 = \text{address}_B - 164$$

① add = 0

② i = 1

3 j = 1

4 $t_1 = i \times 20$

5 $t_1 = t_1 + j$

6 $t_1 = t_1 \times 4$

7 $\therefore t_2 = \text{address}_A - 164$

8. $t_5 = t_2[t_1]$

9. $t_3 = j \times 20$

10. $t_3 = t_3 + i$

11. $t_3 = t_3 \times 4$

12. ~~t₄~~

12. $t_4 = \text{address}_A - 164$

13. $t_6 = t_4[t_3]$

14. $t_7 = t_5 + t_7$

15. $t_8 = \text{add} + t_7$

16. $\text{add} = t_8$

Answer

3-Address Code for 2D Array

2D Array =

As we know that 3-address code for 1D array is

$$A[i] = \text{Base}_A + (i - \text{low}) * \text{width}$$

Similarly the 3-address code for 2D array is,

$$A[i, j] = \text{Base}_A + ((i - \text{low}_1) * n_2 + j - \text{low}_2) * \text{width}$$

$$\begin{aligned}
 &= (\text{Base}_A + i * n_2 * \text{width} - \text{low}_1 * n_2 * \text{width} \\
 &\quad + j * \text{width} - \text{low}_2 * \text{width}) \\
 &= (i * n_2 + j) * \text{width} + \text{Base}_A - (\text{low}_1 * n_2 + \text{low}_2) * \text{width}
 \end{aligned}$$

$$A[i, j] = t_2[t_1]$$

t_2

Base_A = Address of starting location of array

$\text{low}_1, \text{low}_2$ = Index of 1st row, 1nd 1st column.

n_2 = no. of elements in each column

$i \rightarrow A \rightarrow 30 \times 30$
 $\text{row} \times \text{col.}$

width = width of ith row and jth column.

Ques - * Convert the following into 3 address code.

$\text{add} = 0;$

$i = 1$

$j = 1$

$\text{add} = \text{add} + a[i,j] + b[j,i]$

where a and b are array of size 20x20
 and there are 4 bytes per word.

Answer $\text{low}_1 = \text{low}_2 = 1 ; n_1, n_2 = 20 \times 20 ;$
 $\text{width} = 4 \text{ byte} ;$

for $a[i,j] = t_2[t_1]$

$-t_2 = \text{Base}_A - (\text{low}_1 \times n_2 + \text{low}_2) \times \text{width}$

$= \text{address}_A - (1 \times 20 + 1) \times 4$

$$\text{address}_A = \underline{\underline{164}} 84$$

$$t_1 = (i \times n_2 + j) \times \text{width}$$

$$t_1 = (i \times 20 + j) \times 4$$

$$\text{for } B[j, i] = t_4[t_3]$$

$$t_3 = (j \times 20 + i) \times 4$$

$\underline{\underline{=}}$

$$t_4 = \text{address}_B - (\text{low}_1 \times n_2 + \text{low}_2) \times \text{width}$$

$$= \text{address}_B - (1 \times 20 + 1) \times 4$$

$$t_4 = \text{address}_B - \underline{\underline{164}} 84$$

① add = 0

② $i = 1$

3 $j = 1$

4 $t_1 = i \times 20$

5 $t_1 = t_1 + j$

6 $t_1 = t_1 \times 4$

7 $t_2 = \text{address}_A - \underline{\underline{84}}$

8. $t_5 = t_2[t_1]$

9. $t_3 = j \times 20$

10. $t_3 = t_3 + i$

11. $t_3 = t_3 \times 4$

12. $\underline{\underline{=}}$

12. $t_4 = \text{address}_A - \underline{\underline{84}}$

13. $t_6 = t_4[t_3]$

14. $t_7 = t_5 + t_6$

15. $t_8 = \text{add} + t_7$

16. $\text{add} = t_8$.

Answer
 $\underline{\underline{=}}$

Example on 3-Address Code of 2-DArray

$$c[a[i,j]] = b[i,j] + c[a[i,j]] + d[i+j]$$

where a and b are array of size 30×40 and c and d are array of size 20. There are 4 bytes per word and $\log_1 = \log_2 = 1$.

$$l_1 = \log_1, l_2 = \log_2$$

$w = \text{width}$

Answer

$$a[i,j] = t_2[t_1] \quad (\text{Eg } [t_8])$$

$$= \underbrace{(i \times n_2 + j)}_{t_1} \times w + \underbrace{\text{address}_a - (l_1 \times n_2 + l_2)w}_{t_2}$$

$$= (i \times 40 + j) \times 4 + \text{addres}_a - (1 \times 40 + 1) \times 4$$

$$= (i \times 40 + j) \times 4 + \text{addres}_a - (41 \times 4)$$

$$= (i \times 40 + j) \times 4 + \text{addres}_a - 164$$

$$\underbrace{\quad}_{t_1}, \quad \underbrace{\quad}_{t_2}$$

$$b[i, j] = t_6[t_5].$$

$$b[i, j] = \underbrace{(i \times 40 + j) \times 4 + \text{addres}_b}_{t_5} - 164$$

* Same as $a[i, j]$
 $b[i, j]$ because
 1) size same

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$$A[i] = t_2[t_1]$$

$$t_1 = i \times w$$

$$t_2 = \underbrace{\text{addres}_A}_{A} - w$$

$$1. \quad t_1 = i \times 40$$

$$2. \quad t_1 = t_1 + j$$

$$3. \quad t_1 = t_1 \times 40$$

$$4. \quad t_2 = \underset{a}{\text{address}} - 164$$

$$5. \quad t_3 = t_2 [t_1]$$

$$6. \quad t_3 = t_3 \times 4$$

$$7. \quad t_4 = \underset{c}{\text{address}} - 4 \quad \cdots c[a[i,j]]$$

$$8. \quad t'_4 = t_4 [t_3]$$

$$9. \quad t_5 = i \times 40$$

$$10. \quad t_5 = t_5 + j$$

$$11. \quad t_5 = t_5 \times 40$$

$$12. \quad t_6 = \underset{b}{\text{address}} - 164$$

$$13. \quad t_7 = t_6 [t_5] \quad \cdots b[i,j]$$

$$14. \quad t_8 = i \times 40$$

$$15. \quad t_8 = t_8 + j$$

16

16. $t_8 = t_8 \times 4$

17. $t_9 = \text{address}_a - 164$

18. $t_{10} = t_9 [t_8]$ ~~$t_{11}[t_{10}]$~~
--- C $[t_{10}]$

19. $t_{10} = t_{10} \times 4$

20. $t_{11} = \text{address}_c - 4$

21. $t_{12} = t_{11}[t_{10}]$ C $a[i,j]$

22. $t_{13} = i+j$

23. $t_{13} = t_{13} \times 4$

24. $t_{14} = \text{address}_d - 4$ ~~$t_{14}[t_{13}]$~~

25. $t_{15} = \text{address}_d \cdot t_{14}[t_{13}]$ -- d $[i+j]$
|| $t_{14}[t_{13}]$

26. $t_{16} = t_7 + t_{12}$

27. $t_{17} = t_{16} + t_{15}$

28. $t_4 = t_{17}$

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