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PREPARED FOR

Engineering Students
All Engineering College

CD: COMPILER DESIGN

TOPIC On : UNIT-1

Introduction to Lexical Analyzer:Regular Expression

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Under On: INTRODUCTION TO COMPILER

TOPIC On : UNIT-1 Introduction to Lexical Analyzer:Regular Expression

Regular expression

❖ Regular expression

- ✓ A regular expression is a sequence of characters that define a pattern.
- ✓ Application of R.E: Validation, Searching Tools.

❑ Notational shorthand's

1. One or more instances: +
-

❖ Regular expression

- ✓ A regular expression is a sequence of characters that define a pattern.
- ✓ Application of R.E: Validation, Searching Tools.

❑ Notational shorthand's

1. One or more instances: $+$
2. Zero or more instances: $*$
3. Zero or one instances: $?$
4. Alphabets: Σ

❖ Regular expression

L = One or More Occurrences of a = a^+

+

a
aa
aaa
aaaa
aaaaa.....

Infinite

❖ Regular expression (Kleene * operator)

L = Zero or More Occurrences of a = a^*



ϵ
a
aa
aaa
aaaa
aaaaa.....

Infinite
.....

❖ Regular expression

1. 0 or 1

Strings: 0, 1

R.E. = $(0 | 1)$ also written as $(0 + 1)$ 0 ✓
1 ✓

❖ Regular expression

1. 0 or 1

Strings: 0, 1

R.E. = (0 | 1) also written as (0 + 1)

2. 0 or 11 or 111

Strings: 0, 11, 111

R.E. = (0 | 11 | 111) or (0 + 11 + 111)

3. String having zero or more *a*.

Σ, a, aa, aaa

❖ Regular expression

1. 0 or 1

Strings: 0, 1

R.E. = (0 | 1) also written as (0 + 1)

2. 0 or 11 or 111

Strings: 0, 11, 111

R.E. = (0 | 11 | 111) or (0 + 11 + 111)

3. String having zero or more *a*.

Strings: ε, a, aa, aaa, aaaa

R.E. = a^{}*

❖ Regular expression

1. 0 or 1

Strings: 0, 1

R.E. = (0 | 1) also written as (0 + 1)

2. 0 or 11 or 111

Strings: 0, 11, 111

R.E. = (0 | 11 | 111) or (0 + 11 + 111)

3. String having zero or more a .

Strings: ϵ , a , aa , aaa , $aaaa$

*R.E. = a^**

4. String having one or more a .

Handwritten notes:
 ϵ ✓
 a, aa, a ✓
 $a \cdot a^*$ ✓

❖ Regular expression

1. 0 or 1

Strings: 0, 1

R.E. = (0 | 1) also written as (0 + 1)

2. 0 or 11 or 111

Strings: 0, 11, 111

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3. String having zero or more a .

Strings: ϵ , a , aa , aaa , $aaaa$

*R.E. = a^**

4. String having one or more a .

Strings: a , aa , aaa , $aaaa$

R.E. = a^+

❖ Regular expression

1. 0 or 1

Strings: 0, 1

R.E. = $(0 \mid 1)$ also written as $(0 + 1)$

2. 0 or 11 or 111

Strings: 0, 11, 111

R.E. = $(0 \mid 11 \mid 111)$ or $(0 + 11 + 111)$

3. String having zero or more a .

Strings: ϵ , a , aa , aaa , $aaaa$

R.E. = a^*

4. String having one or more a .

Strings: a , aa , aaa , $aaaa$

R.E. = a^+ = $a \cdot a^*$ ✓

❖ Regular expression

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Strings: 0, 11, 111

R.E. = $(0 \mid 11 \mid 111)$ or $(0 + 11 + 111)$

3. String having zero or more a .

Strings: ϵ , a , aa , aaa , $aaaa$

R.E. = a^*

4. String having one or more a .

Strings: a , aa , aaa , $aaaa$

R.E. = a^+

5. Regular expression over $\Sigma = \{a, b, c\}$ that represent all string of length 3.

$\times a b c d$
 $b b b \checkmark$
 $b a c \checkmark$
 $(a+b+c)(a+b+c)$
 \downarrow
 $(a+b+c)$

$a b c = 3$
 $b a c = 3$
 $c a b = 3$
 $a a a = 3$
 $c c a = 3$
 $a c a = 3$

❖ Regular expression

1. 0 or 1

Strings: 0, 1

R.E. = (0 | 1) also written as (0 + 1)

2. 0 or 11 or 111

Strings: 0, 11, 111

R.E. = (0 | 11 | 111) or (0 + 11 + 111)

3. String having zero or more a .

Strings: ϵ , a , aa , aaa , $aaaa$

*R.E. = a^**

4. String having one or more a .

Strings: a , aa , aaa , $aaaa$

R.E. = a^+

5. Regular expression over $\Sigma = \{a, b, c\}$ that represent all string of length 3.

Strings: abc , bca , bbb , cab , aba

R.E. = $(a + b + c)(a + b + c)(a + b + c)$

❖ Regular expression

1. 0 or 1

Strings: 0, 1

R.E. = (0 | 1) also written as (0 + 1)

2. 0 or 11 or 111

Strings: 0, 11, 111

R.E. = (0 | 11 | 111) or (0 + 11 + 111)

3. String having zero or more a .

Strings: ϵ , a , aa , aaa , $aaaa$

*R.E. = a^**

4. String having one or more a .

Strings: a , aa , aaa , $aaaa$

R.E. = a^+

5. Regular expression over $\Sigma = \{a, b, c\}$ that represent all string of length 3.

Strings: abc , bca , bbb , cab , aba

R.E. = $(a + b + c)(a + b + c)(a + b + c)$

\downarrow \downarrow \downarrow
 c c $c\checkmark$

$c\checkmark c\checkmark c\checkmark$

❖ Regular expression

1. 0 or 1

Strings: 0, 1

R.E. = (0 | 1) also written as (0 + 1)

2. 0 or 11 or 111

Strings: 0, 11, 111

$$R.E. = (0 \mid 11 \mid 111) \text{ or } (0 + 11 + 111)$$

3. String having zero or more a .

Strings: $\epsilon, a, aa, aaa, aaaa \dots$

$$R.E. = a^*$$

4. String having one or more a .

Strings: a, aa, aaa, aaaa ...

$$R.E. = a^+$$

5. Regular expression over $\Sigma = \{a, b, c\}$ that represent all string of length 3.

Strings: abc, bca, bbb, cab, aba ...

$$R.E. = (a + b + c)(a + b + c)(a + b + c)$$

6. All binary string.

+ $\sqrt{0}, 1, \underline{00, 01, 000, 111, 1010}$

❖ Regular expression

1. 0 or 1

Strings: 0, 1

$R.E. = (0 \mid 1)$ also written as $(0 + 1)$

2. 0 or 11 or 111

Strings: 0, 11, 111

$$R.E. = (0 \mid 11 \mid 111) \text{ or } (0 + 11 + 111)$$

3. String having zero or more a .

Strings: $\epsilon, a, aa, aaa, aaaa \dots$

$$R.E. = a^+$$

4. String having one or more a .

Strings: a, aa, aaa, aaaa ...

$$R.E. = a^+$$

5. Regular expression over $\Sigma = \{a, b, c\}$ that represent all string of length 3.

Strings: *abc, bca, bbb, cab, aba ...*

$$R.E. = (a + b + c)(a + b + c)(a + b + c)$$

6. All binary string.

Strings: 0, 1, 11, 00, 101, 10101, 1111 ...

$$R.E = (\mathbf{0} + \mathbf{1})_1^+$$

1 0 1 0 1 0

❖ Regular expression

7. 0 or more occurrence of either a or b or both

$E \rightarrow *$ $a^* b^*$ \rightarrow $aaa bbbb$
 $ab ba$

❖ Regular expression

7. 0 or more occurrence of either a or b or both

$(a+b)^*$
 $ba b b a b b$

❖ Regular expression

7. 0 or more occurrence of either a or b or both

Strings: $\epsilon, a, aa, abab, bab \dots$

$R.E = (a + b)^*$

❖ Regular expression

7. 0 or more occurrence of either a or b or both

Strings: $\epsilon, a, aa, abab, bab \dots$

R.E = $(a + b)^*$

8. 1 or more occurrence of either a or b or both

ϵ
a
b ✓ ab

❖ Regular expression

7. 0 or more occurrence of either a or b or both

Strings: $\epsilon, a, aa, abab, bab \dots$

R.E = $(a + b)^*$

8. 1 or more occurrence of either a or b or both

Strings: $a, aa, abab, bab, bbbaaa \dots$

R.E = $(a + b)^+$

❖ Regular expression

7. 0 or more occurrence of either a or b or both

Strings: $\epsilon, a, aa, abab, bab \dots$ *R.E = $(a + b)^*$*

8. 1 or more occurrence of either a or b or both

Strings: $a, aa, abab, bab, bbbaaa \dots$ *R.E. = $(a + b)^+$*

9. Binary no. ends with 0

$\underline{011110} \checkmark$



$0 (a+b)^+$

❖ Regular expression

7. 0 or more occurrence of either a or b or both

Strings: $\epsilon, a, aa, abab, bab \dots$ *R.E = $(a + b)^*$*

8. 1 or more occurrence of either a or b or both

Strings: $a, aa, abab, bab, bbbaaa \dots$ *R.E. = $(a + b)^+$*

9. Binary no. ends with 0

Strings: $0, 10, 100, 1010, 11110 \dots$ *R.E = $(0 + 1)^* 0$*

❖ Regular expression

7. 0 or more occurrence of either a or b or both

Strings: $\epsilon, a, aa, abab, bab \dots$ *R.E.* $= (a + b)^*$

8. 1 or more occurrence of either a or b or both

Strings: $a, aa, abab, bab, bbbaaa \dots$ *R.E.* $= (a + b)^+$

9. Binary no. ends with 0

Strings: $0, 10, 100, 1010, 11110 \dots$ *R.E.* $= (0 + 1)^* 0$

10. Binary no. ends with 1

Strings: $1, 101, 1001, 10101, \dots$ *R.E.* $= (0 + 1)^* 1$

11. Binary no. starts and ends with 1

Strings: $11, 101, 1001, 10101, \dots$ *R.E.* $= 1(0 + 1)^* 1$

12. String starts and ends with same character

Strings: $00, 101, aba, baab \dots$ *R.E.* $= 1(0 + 1)^* 1$ OR $0(0 + 1)^* 0$
 $a(a + b)^* a$ OR $b(a + b)^* b$

❖ Regular expression

13. All string of a and b starting with a

Strings: $a, ab, aab, abb \dots$ *R.E.* $= a(a + b)^*$

14. String of 0 and 1 ends with 00

Strings: $00, 100, 000, 1000, 1100 \dots$ *R.E.* $= (0 + 1)^* 00$

15. String ends with abb

Strings: $abb, babbb, ababb \dots$ *R.E.* $= (a + b)^* abb$

16. String starts with 1 and ends with 0

Strings: $10, 100, 110, 1000, 1100 \dots$ *R.E.* $= 1(0 + 1)^* 0$

17. All binary string with at least 3 characters and 3rd character should be zero

Strings: $000, 100, 1100, 1001 \dots$ *R.E.* $= (0 + 1)(0 + 1)0(0 + 1)^*$

18. Language which consist of exactly two b's over the set $\Sigma = \{a, b\}$

Strings: $bb, bab, aabb, abba \dots$ *R.E.* $= a^* b a^* b a^*$

❖ Regular expression

19. The language with $\Sigma = \{a, b\}$ such that 3rd character from right end of the string is always **a**

Strings: aaa, aba, aaba, abb... **$R.E = (a + b)^* a (a + b) (a + b)$**

19. Any no. of *a* followed by any no. of *b* followed by any no. of *c*

Strings: ϵ , abc, aabbcc, aabc, abb... **$R.E = a^* b^* c^*$**

20. String should contain at least three 1

Strings: 111, 01101, 0101110.... **$R.E = (0 + 1)^* 1 (0 + 1)^* 1 (0 + 1)^* 1 (0 + 1)^*$**

21. String should contain exactly two 1

Strings: 11, 0101, 1100, 010010, 100100.... **$R.E = 0^* 1 0^* 1 0^*$**

22. Length of string should be at least 1 and at most 3

Strings: 0, 1, 11, 01, 111, 010, 100.... **$R.E = (0 + 1) + (0 + 1)(0 + 1) + (0 + 1)(0 + 1)(0 + 1)$**

❖ Regular expression

23. The language with $\Sigma = \{a, b, c\}$ where *a* should be multiple of 3

Strings: aaa, baaa, bacaba, aaaaaa.. **$R.E = ((b + c)^* a (b + c)^* a (b + c)^* a (b + c)^*)^*$**

24. Even no. of 0

Strings: 00, 0101, 0000, 100100.... **$R.E = (1^* 01^* 01^*)^*$**

25. String should have odd length

Strings: 0, 010, 110, 000, 10010.... **$R.E = (0 + 1) ((0 + 1) (0 + 1))^*$**

26. String should have even length

Strings: 00, 0101, 0000, 100100.... **$R.E = ((0 + 1) (0 + 1))^*$**

27. String start with 0 and has odd length

Strings: 0, 010, 010, 000, 00010.... **$R.E = 0 ((0 + 1) (0 + 1))^*$**

❖ Regular expression

29. All string begins or ends with 00 or 11

Strings: 00101, 10100, 110, 01011 ... *R.E* = $(00 + 11)(0 + 1)^* + (0 + 1)^*(00 + 11)$

30. Language of all string containing both 11 and 00 as substring

Strings: 0011, 1100, 100110, 010011 ...

R.E. = $((0 + 1)^*00(0 + 1)^*11(0 + 1)^*) + ((0 + 1)^*11(0 + 1)^*00(0 + 1)^*)$

31. String ending with 1 and not contain 00

Strings: 011, 1101, 1011 ... *R.E* = $(1 + 01)^+$

32. Language of C identifier

Strings: area, i, redious, grade1 ... *R.E.* = $(_ + L)(_ + L + D)^*$

where L is Letter & D is digit

THANK YOU
