Physics 201

Day _

Quiz Wed Point Charges This Friday: Review & lite Ha gas? Next Fri: Exam 1.

U, V in space due Continuous F, E F= 2'E

Ex = -91 -SE.dx = AV

to Point Q tinuous $\vec{F} = 2'\vec{E}'$ $\vec{F} = -\partial U$ $\vec{F} = -\partial V$ any conservative
force
(gravity, elastic,
electrostatic) -JF.dx = AU

+Q1 Configuration.

Find the Wof this configuration.

TI = k 2.22

Unot = k Q, (-az) + k Q, Q3 + k V defined at empty point in space. IF, later, a q' is placed there,

TI = q'V

+ Q, OI; r - O'Q

TI. +030- - : Point P Vat P = ... = + Q3 + - kQ2 + kQ1 dV= kdg total charge Q (x+w) GV = Skldw (X+w)

$$V = k\lambda \int \frac{dw}{x+w} = k\lambda \int \frac{du}{u}$$

$$x+w = u \quad \frac{du}{dw} = 1 \quad du = dw$$

$$V = k\lambda \ln |u| = k\lambda \ln |x+w|$$

$$= k\lambda \left[\ln |x+u| - \ln |x| \right]$$

$$V = k\lambda \left[\ln (x+u) - \ln (x) \right]$$

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$$V =$$

9 - 4.7 I, = I, + -1.5 + 47 I,

$$\frac{9}{100} + \frac{1.5}{220} = (1 + 4.7 + 47) I,$$

$$0.096 = 7.84 I,$$

$$0.096 = I, = 0.01234 A$$

$$7.84$$

$$12.3 m A$$