

# CPSC 335 - Project 2

## Project Report

### *Team Members:*

Adam Weesner - [aweesner@csu.fullerton.edu](mailto:aweesner@csu.fullerton.edu)  
David Toledo - [davidtv2008@csu.fullerton.edu](mailto:davidtv2008@csu.fullerton.edu)  
Antonio Lopez - [antonio\\_lopez@csu.fullerton.edu](mailto:antonio_lopez@csu.fullerton.edu)

---

### Hypothesis:

We hypothesis that the mergesort will be more efficient for lower input sizes and quicksort will be the most efficient for higher input sizes.

### Average Performance:

Mergesort: 0.178348  
Quicksort: 0.053312

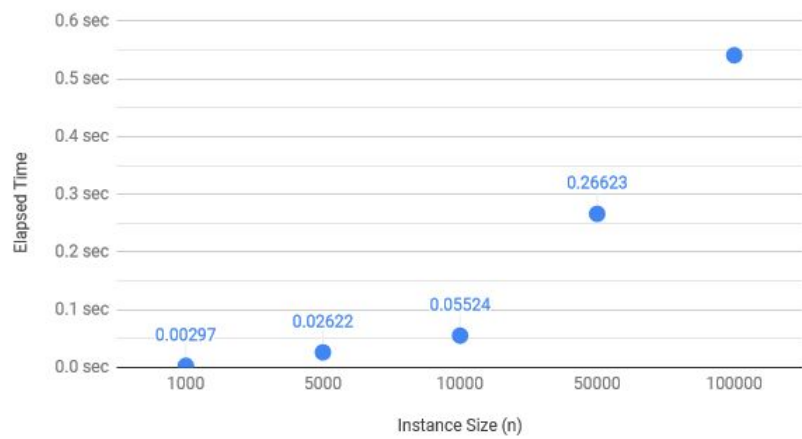
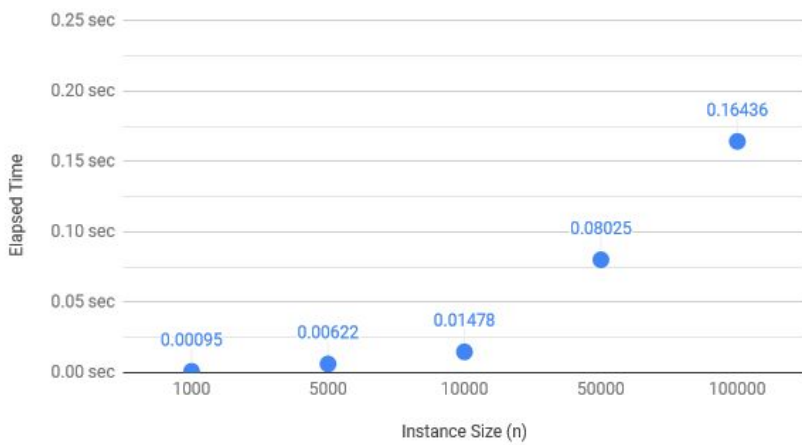
### Range:

Mergesort: 0.53811  
Quicksort: 0.16341

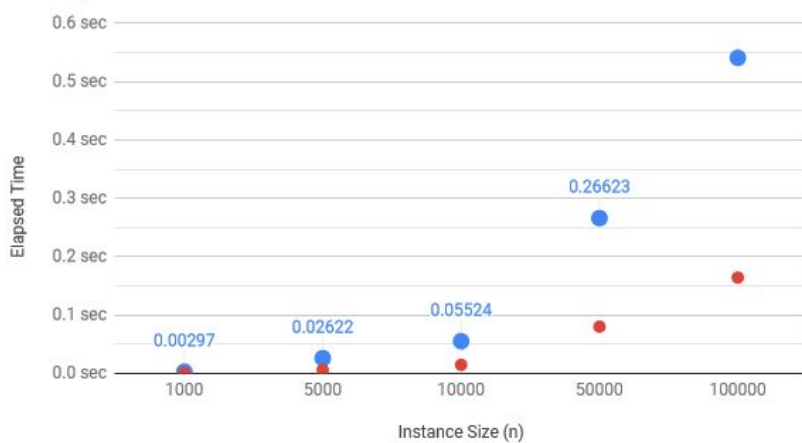
### Standard Deviation:

Mergesort: 0.20413412  
Quicksort: 0.06245232

Plots:

[illegible][illegible]

Blue = Mergesort  
Red = Quicksort



### Conclusion:

Our hypothesis was half-correct. The quicksort algorithm was indeed more efficient for larger data sets, but it also beat the mergesort algorithm in smaller data sets as well. The average Big O time for the quicksort algorithm is  $O(n \log n)$  while the worst-case scenario is  $O(n^2)$ . The worst case is when data is already sorted and the pivot is the first element. Meanwhile, the Big O for the mergesort algorithm is also  $O(n \log n)$  and its worst-case scenario is  $O(n \log n)$ . Having said all this, we avoided the worst case for the quicksort algorithm by choosing a random pivot. Therefore, our quicksort performed slightly better than its mergesort counterpart in all cases.