

An Automata Based Approach for Verification of Information Flow Properties

Deepak D'Souza, Raghavendra K.R., Barbara Sprick

Indian Institute of Science, Bangalore, India

Background

Granting, restricting & controlling the flow of information

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Goguen, Meseguer, '82 - Non-Interference

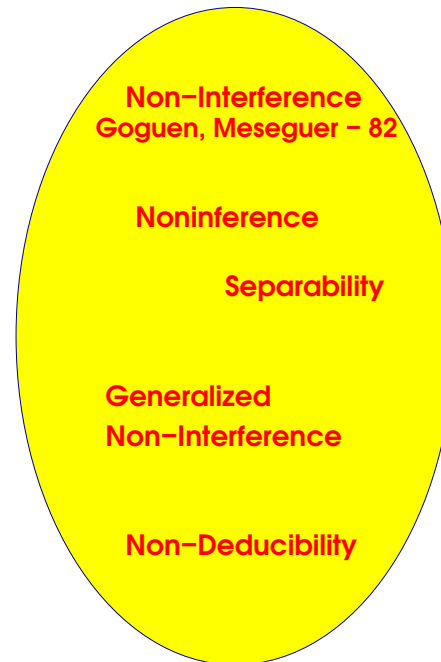
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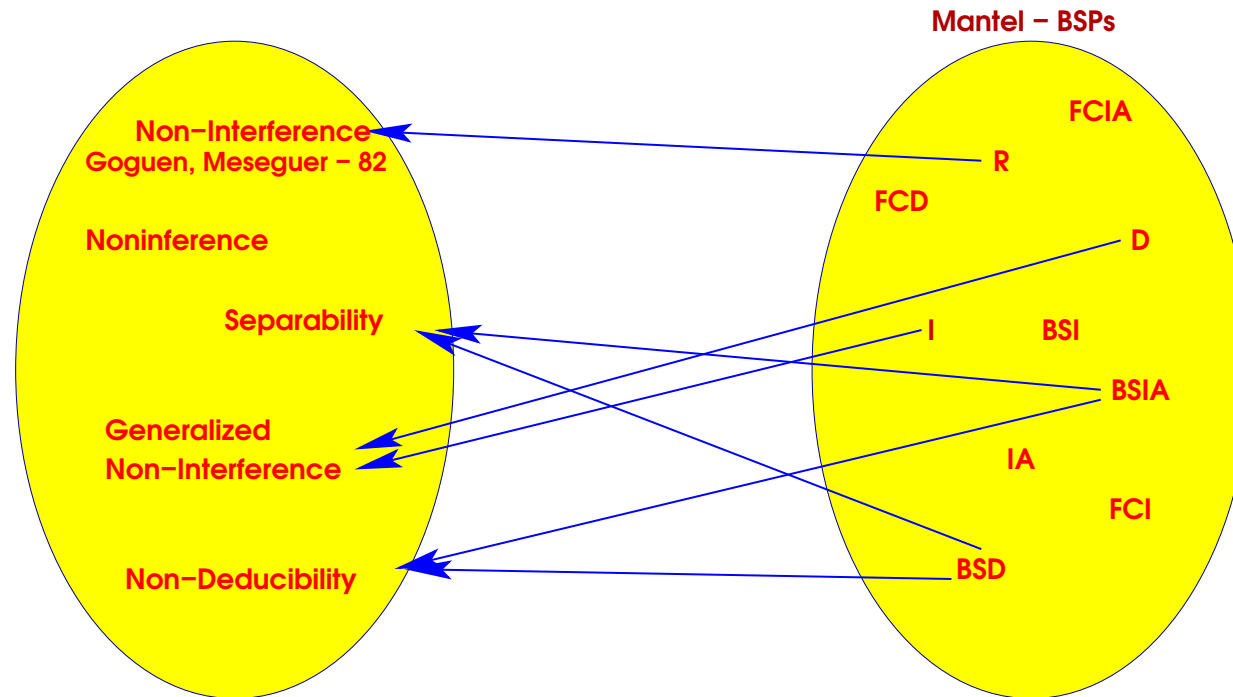


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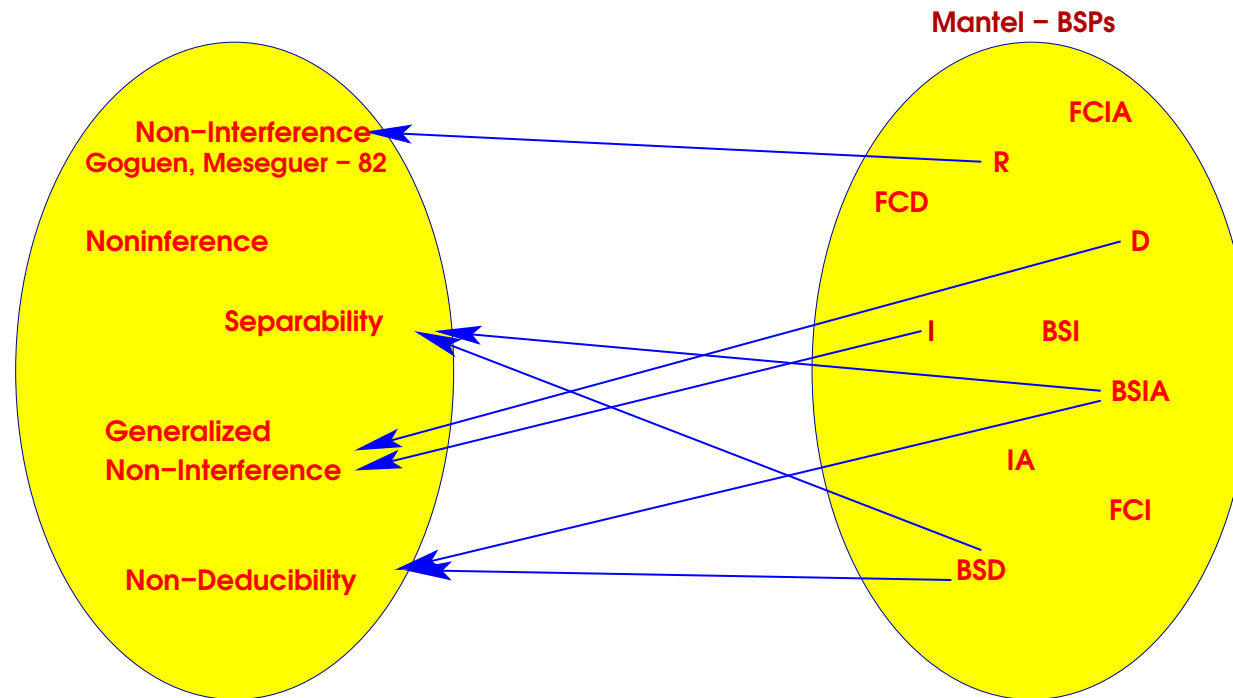


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Can we automate Verification of Security?

Basic Security Predicates (BSPs)

Events. *V*isible, *C*onfidential, *N*either

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BSP Deletion (D)



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BSP Insertion (*I*)



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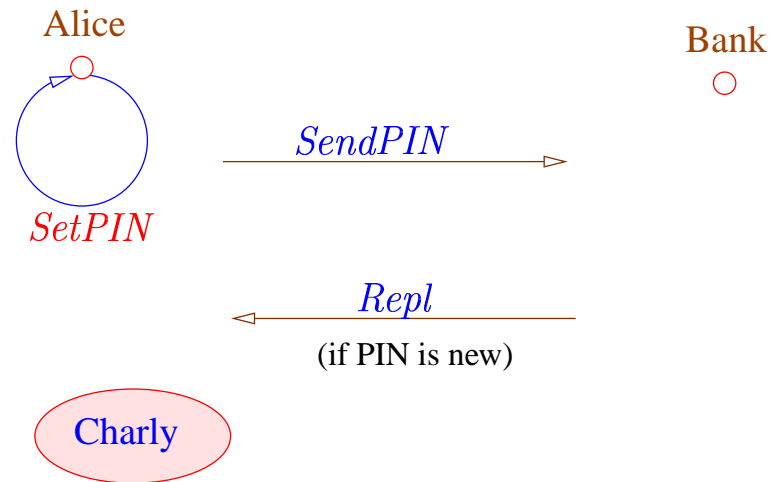
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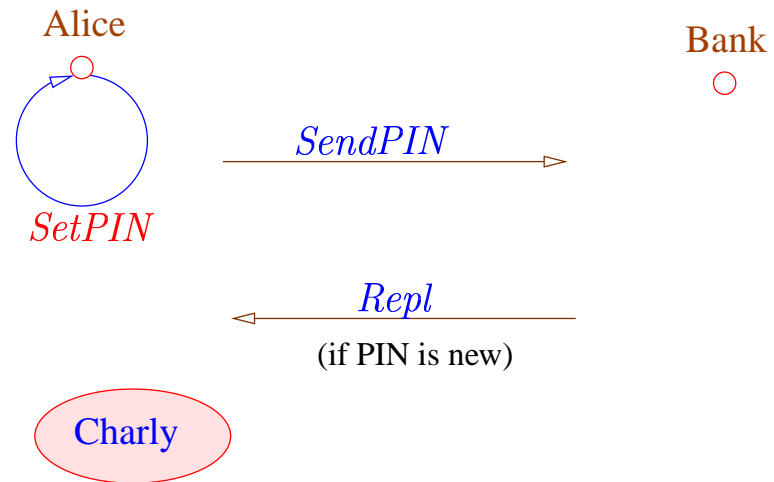
Generalized Non-Interference - I and D

Noninference - R

An Example



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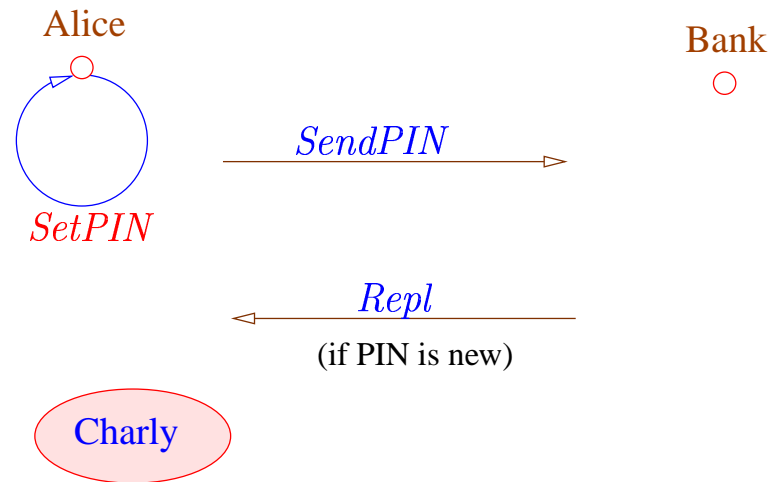


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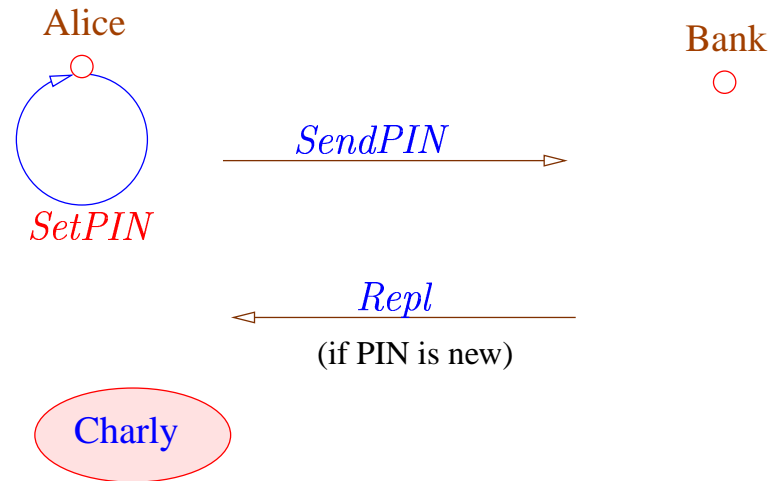
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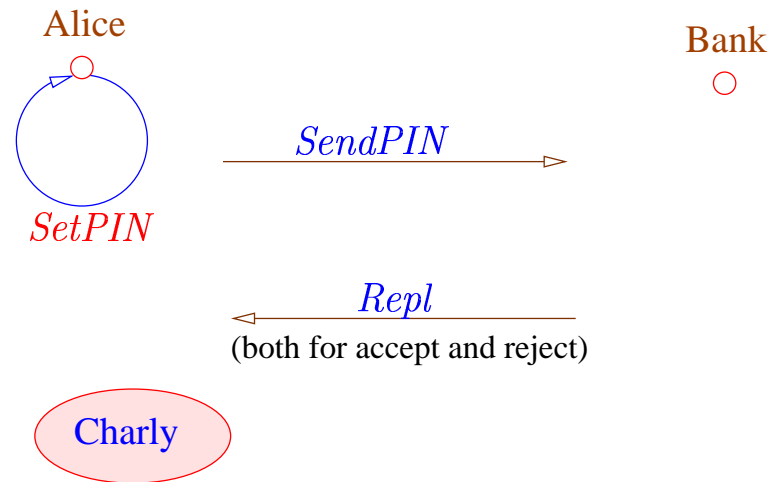
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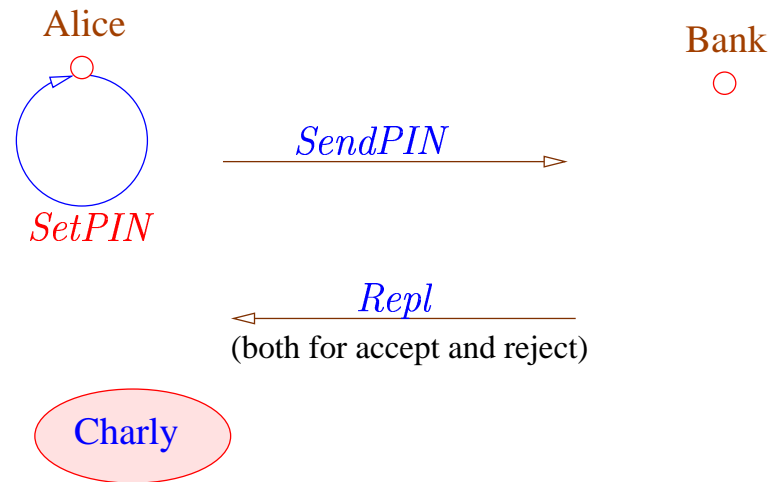
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Confidentiality compromised. BSP Deletion fails

Example ..contd



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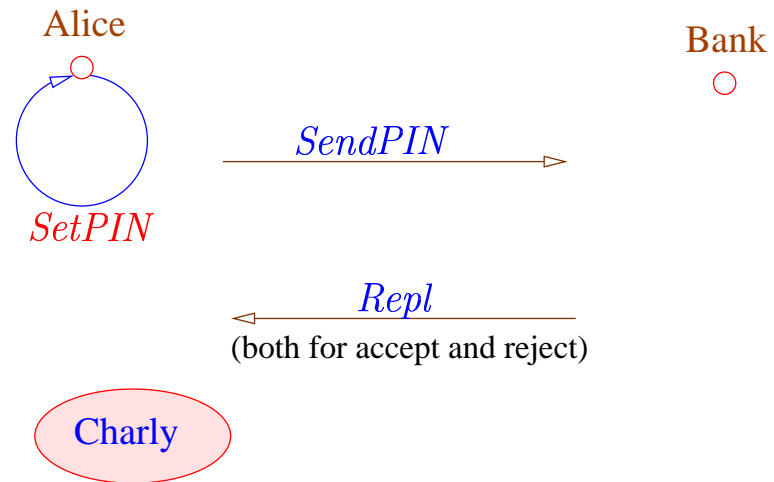


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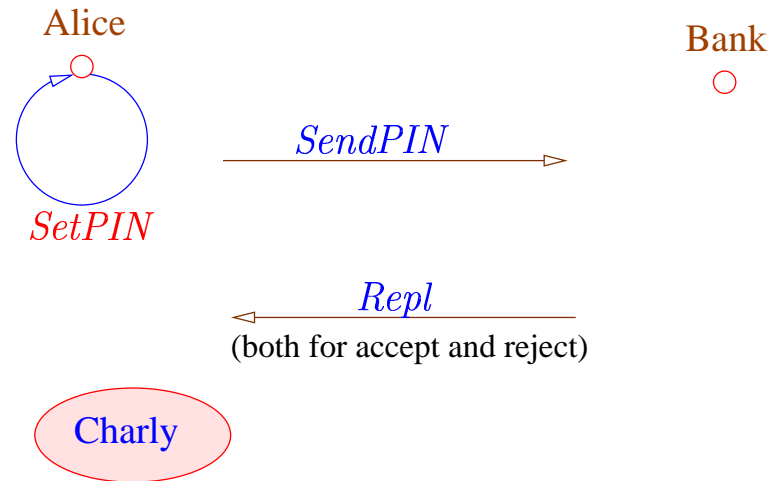
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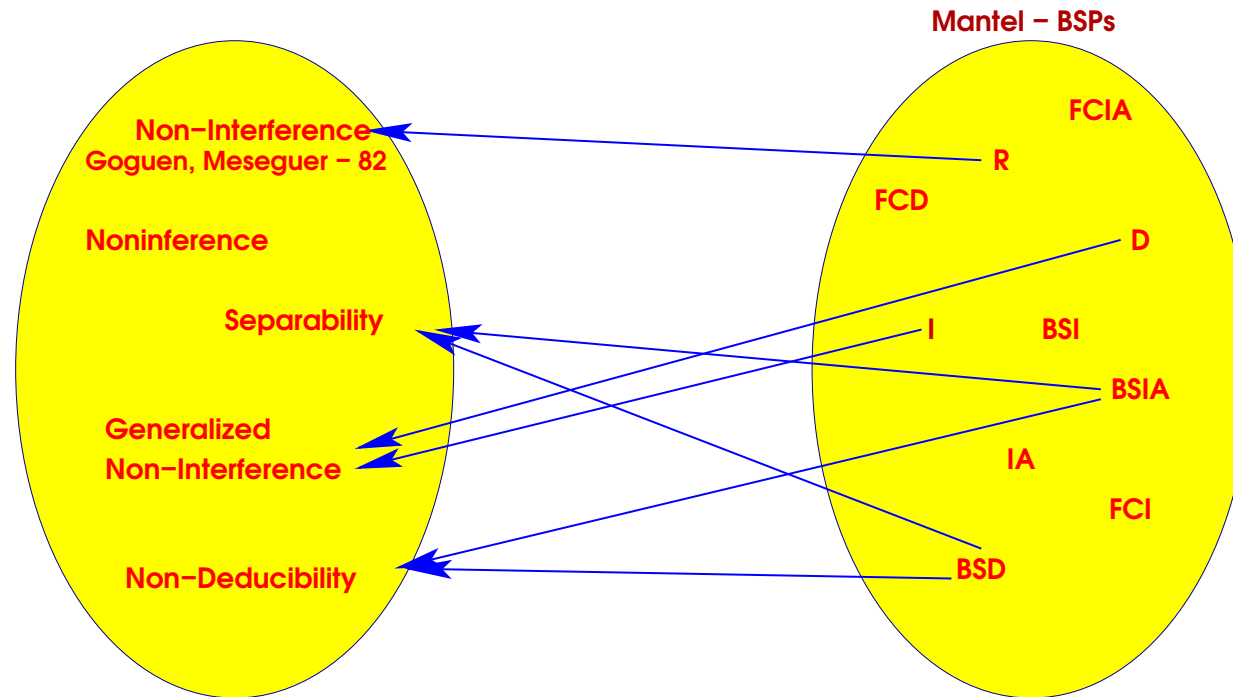
Automated Verification technique - BSP on Finite State Automaton

Language-theoretic Operations

L be a language over Σ , X subset of Σ

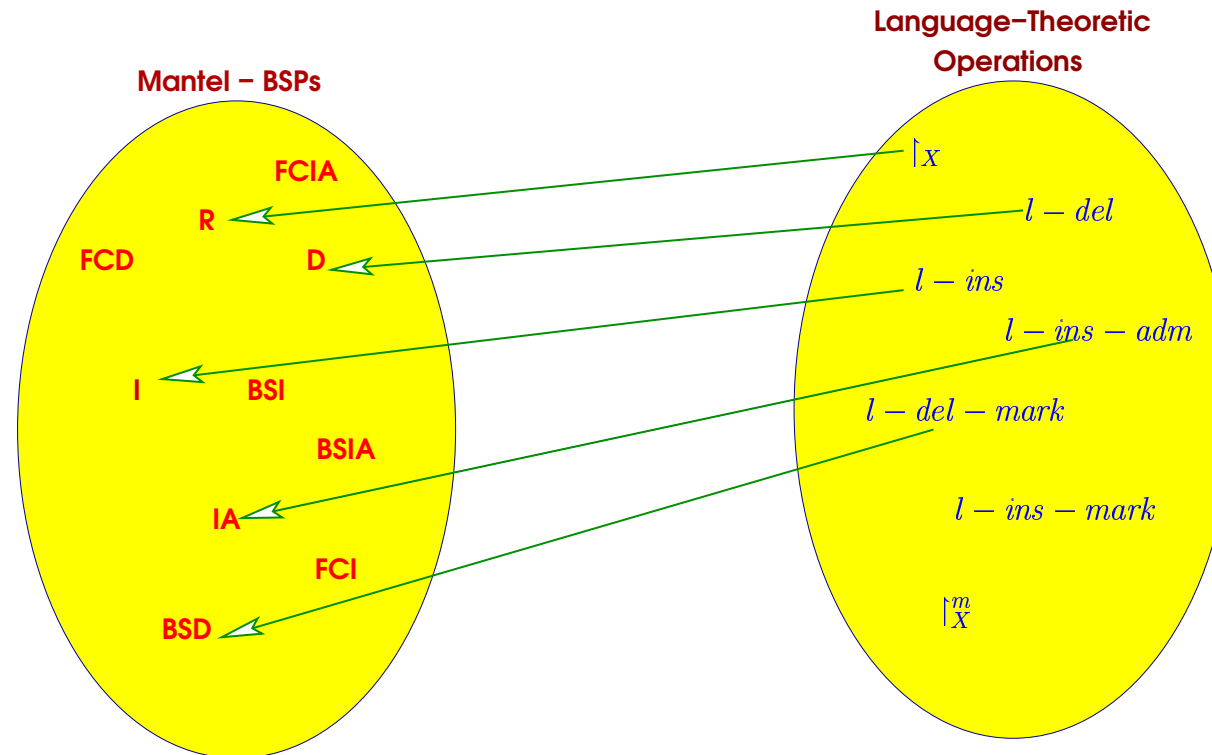
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$$l\text{-ins-adm}^X(L) := \{\alpha c\beta \mid \alpha\beta \text{ in } L, \text{ no } C \text{ events in } \beta, \text{ there exists } \gamma c \text{ in } L, \gamma =_{\bar{X}} \alpha\}$$

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- Removal R iff $L \upharpoonright_V \subseteq_N L$.
- Deletion D iff $I\text{-del}(L) \subseteq_N L$.
- Insertion I iff $I\text{-ins}(L) \subseteq_N L$.
- Strict Removal SR iff $L \upharpoonright_{\overline{C}} \subseteq L$.
- Strict Deletion SD iff $I\text{-del}(L) \subseteq L$.

Language Inclusion Problem for BSP D

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τ' equivalent to τ modulo N -corrections

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Language Inclusion Problem for BSP D

$$l\text{-del}(L) \subseteq_N L$$

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$$L \upharpoonright_X$$

by replacing transitions $p \xrightarrow{a} q$, with $a \notin X$, in \mathcal{A} , by an ϵ -transition $p \xrightarrow{\epsilon} q$

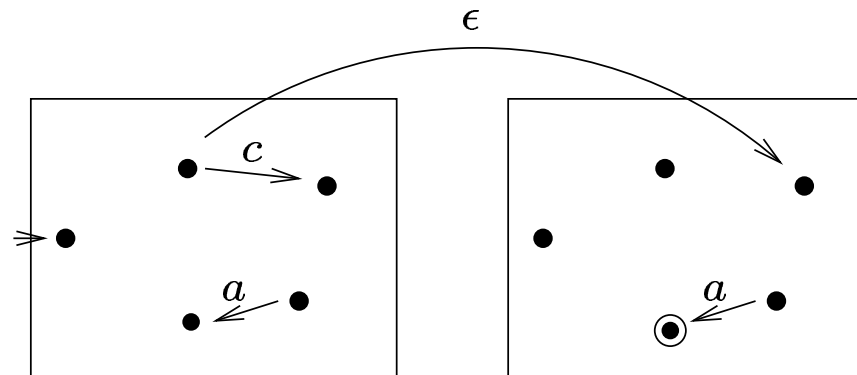
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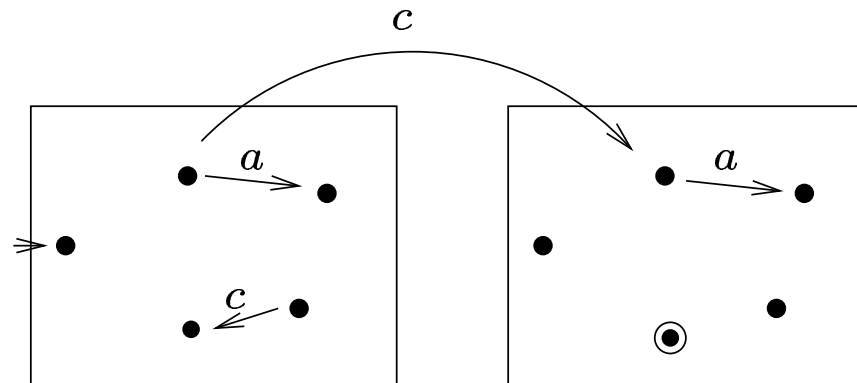
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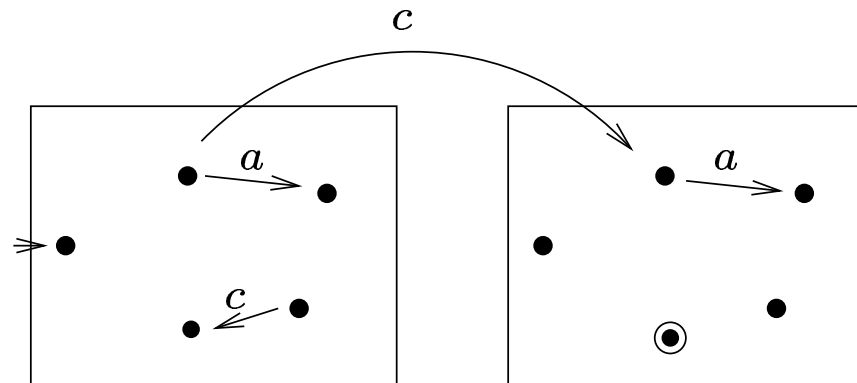
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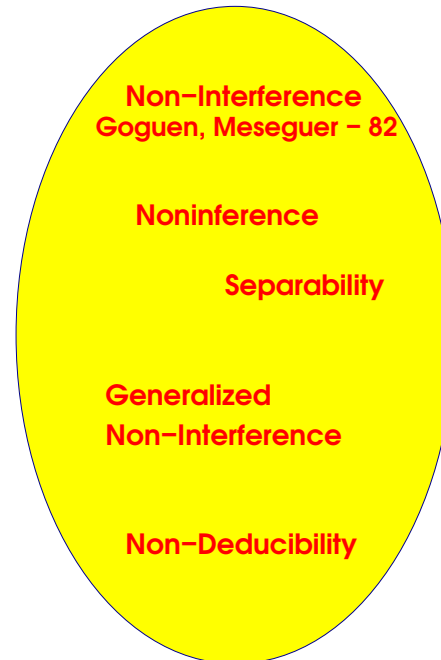
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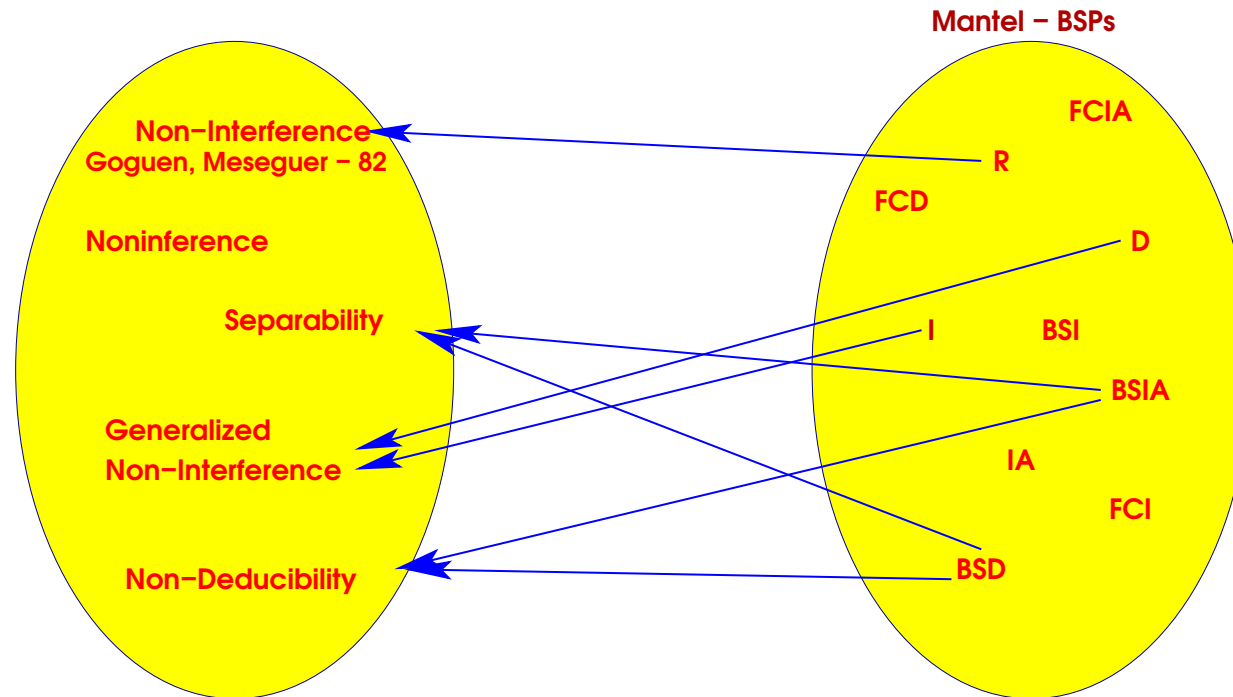
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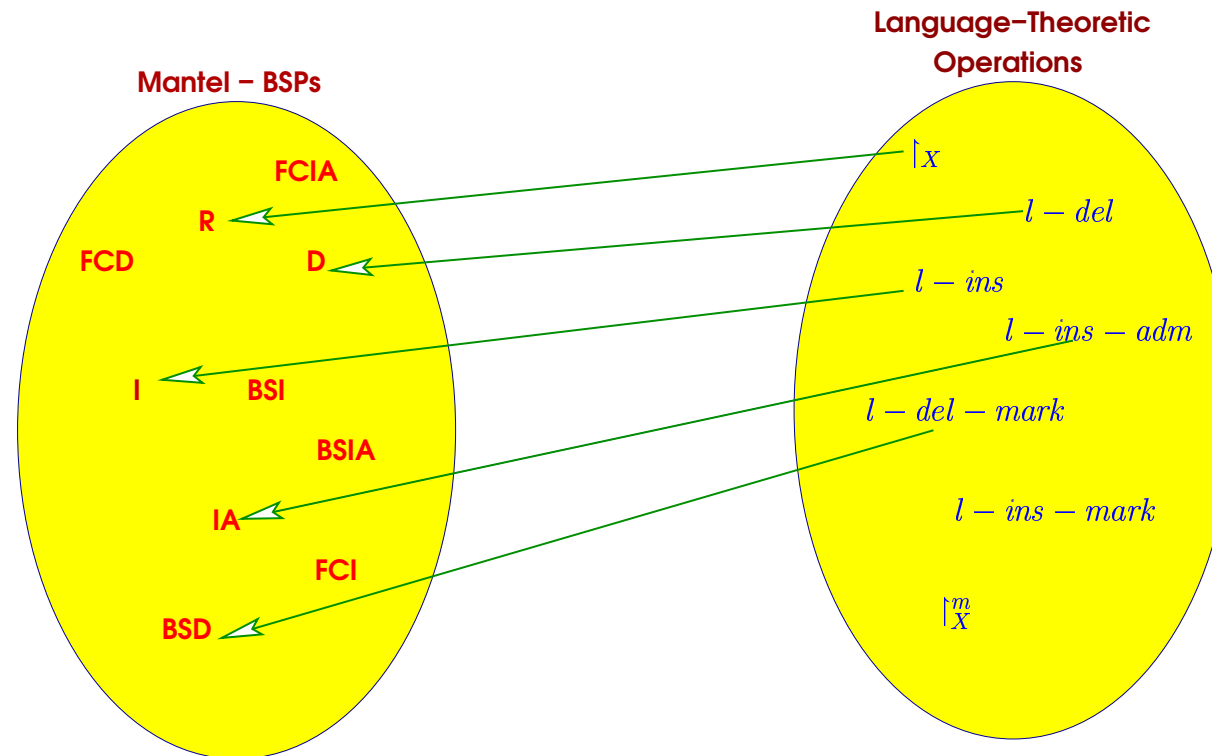
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For infinite state systems?



Thank You