



Experiment 6

StudentName:Bhuvanendra Sai

UID:22BCS10786

Branch:BE-CSE

Section/Group:22BCS-IOT-640(B)

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PROGRAMMING LAB - 2

SubjectCode:22CSP-351

PROGRAM-1

1) Aim:MaximumDepth ofBinary Tree.

2) Objective: The objective of this code is to determine the maximum depth (or height) of a binary tree. The depth is defined as the number of nodes along the longest path from the root node to a leaf node. The code uses a recursive approach to traverse the tree and compute the depth.

3) Implementation/Code:

```
#include <iostream>
using namespace std;

//structTreeNode{
//  int val;
//  TreeNode*left;
//  TreeNode*right;
//  TreeNode(intx):val(x),left(NULL),right(NULL){ }
// };

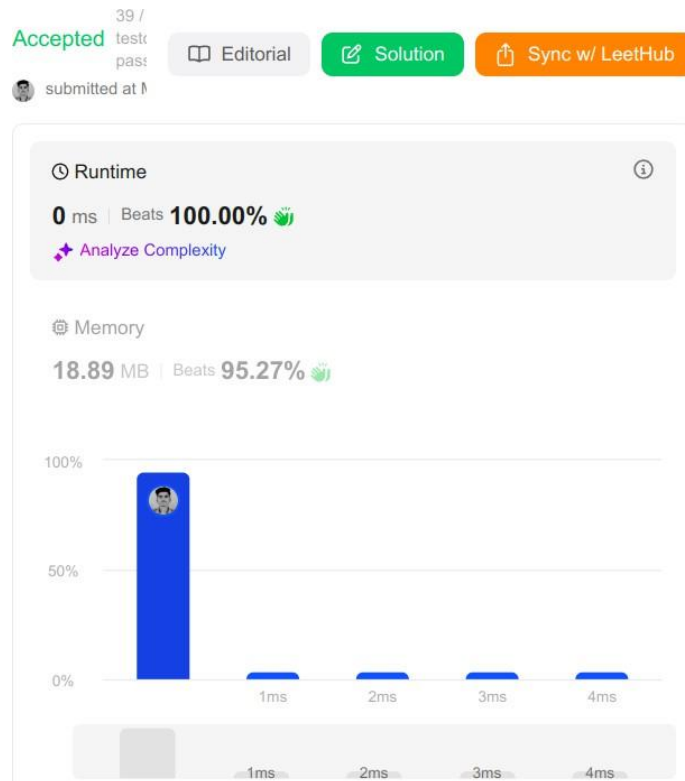
classSolution{ public:
    intmaxDepth(TreeNode*root){ if
        (!root) return 0;
        int left_depth = maxDepth(root->left);
        intright_depth=maxDepth(root->right);
        return max(left_depth, right_depth) + 1;
    }
};
```



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4) Output:



5) Learning Outcomes:

- Understanding Recursion in Tree Traversals.
- Binary Tree Depth Calculation.
- Use of Base Case in Recursion.
- Comparison of Left and Right Subtrees.
- Implementation of a Recursive Function in C++.

PROGRAM-2

1) **Aim:** Convert Sorted Array to Binary Search Tree.

2) **Objective:** The objective of this code is to convert a sorted array into a height-balanced Binary Search Tree (BST). A height-balanced BST is a binary tree where the depth of the left and right subtrees of every node differs by at most one. The algorithm uses a recursive approach to construct the BST by selecting the middle element of the array as the root, ensuring balanced tree formation.

3) Implementation/Code:

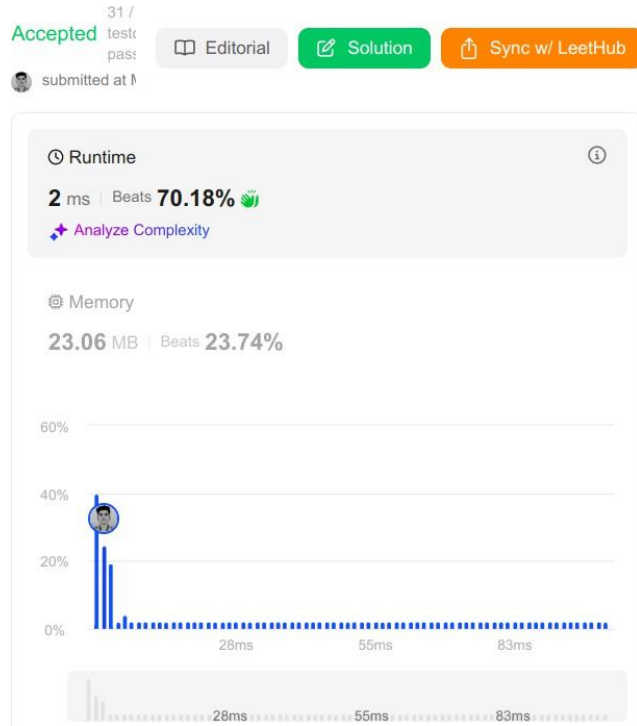
```
/**
 * Definition for a binary tree node.
 * struct TreeNode{
 *     int val;
 *     TreeNode*left;
 *     TreeNode*right;
 *     TreeNode():val(0),left(nullptr),right(nullptr){ }
 *     TreeNode(intx):val(x),left(nullptr),right(nullptr){ }
 *     TreeNode(intx,TreeNode*left,TreeNode*right):val(x),left(left),right(right){ }
 * };
 */
class Solution{ public:
    TreeNode*sortedArrayToBST(vector<int>&nums){ return
        buildBST(nums, 0, nums.size() - 1);
    }
private:
    TreeNode*buildBST(vector<int>&nums,intleft,intright){ if
        (left > right) return nullptr;
        int mid = left + (right - left) / 2;
        TreeNode*root=newTreeNode(nums[mid]);
        root->left = buildBST(nums, left, mid - 1);
        root->right=buildBST(nums,mid+1,right);
        return root;
    }
};
```



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4) Output:



5) Learning Outcomes:

- Understanding Binary Search Tree (BST) Construction.
- Recursive Divide-and-Conquer Approach.
- Optimal Root Selection for Balanced Trees.
- Efficient Tree Construction Using $O(n)$ Time Complexity.
- Practical Implementation of TreeNode Class in C++.



PROGRAM-3

1) Aim: SymmetricTree.

2) Objective: The objective of this code is to determine whether a given binary tree is symmetric. A binary tree is symmetric if it is a mirror image of itself around its center. The solution uses a recursive approach to check if the left and right subtrees of the root node are mirror images of each other.

3) Implementation/Code:

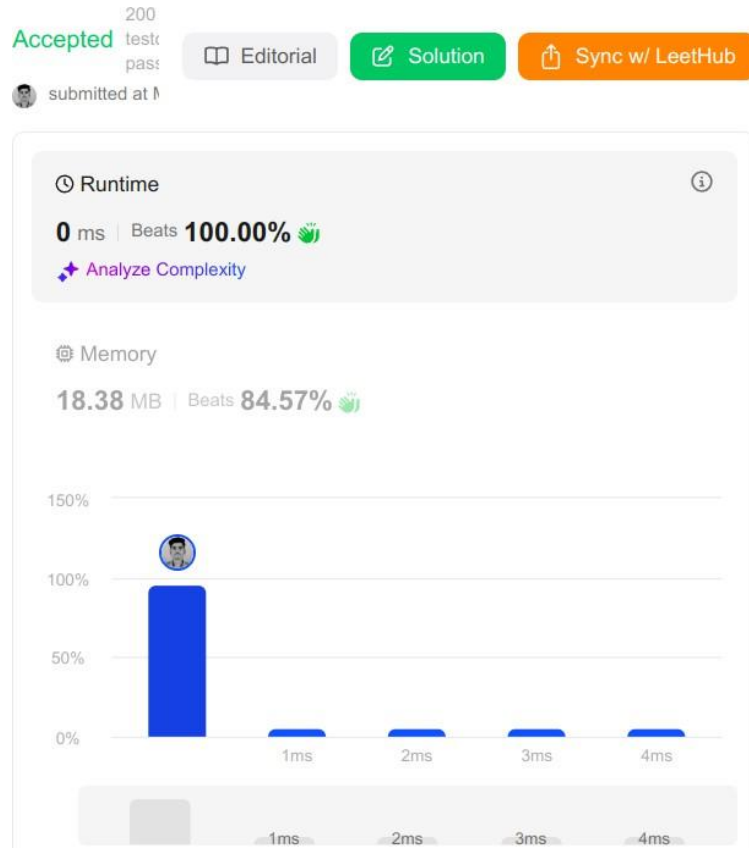
```
/**
 * Definition for a binary tree node.
 * struct TreeNode{
 *     int val;
 *     TreeNode*left;
 *     TreeNode*right;
 *     TreeNode():val(0),left(nullptr),right(nullptr){ }
 *     TreeNode(intx):val(x),left(nullptr),right(nullptr){ }
 *     TreeNode(intx,TreeNode*left,TreeNode*right):val(x),left(left),right(right){ }
 * };
 */
class Solution{ public:
    bool isMirror(TreeNode*t1,TreeNode*t2){ if
        (!t1 && !t2) return true;
        if (!t1 || !t2) return false;
        return (t1->val == t2->val) &&
            isMirror(t1->left,t2->right)&&
            isMirror(t1->right, t2->left);
    }
    bool isSymmetric(TreeNode*root){
        return isMirror(root, root);
    }
};
```



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4) Output:



5) Learning Outcomes:

- Understanding Tree Symmetry.
- Recursive Tree Traversal.
- Concept of Mirror Trees.
- Handling Base Cases in Recursion.
- Efficient Checking Using $O(n)$ Time Complexity.