



Experiment 5

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Subject Name: Computer Graphics Lab

Subject Code: 22CSH-352

1. Aim:

Implement clockwise and anticlockwise rotation of a triangle about a specified point and evaluate the results.

2. Objective:

To perform and visualize clockwise and anticlockwise rotations of a triangle about a specified point.

3. Algorithm:

a) To Rotate Clockwise :

1. Initialize Graphics Mode:-

Detect and initialize the graphics driver and mode using `initgraph()`.

2. Input Triangle Coordinates:-

Take user input for the three vertices $(x1, y1)$, $(x2, y2)$, $(x3, y3)$.

3. Draw Original Triangle:-

Use `drawpoly()` to display the initial triangle.

4. Compute Centroid:-

Calculate the centroid (xc, yc) using:

$$xc = \frac{x1 + x2 + x3}{3}, yc = \frac{y1 + y2 + y3}{3}$$

5. Input Rotation Angle:-

Accept the rotation angle from the user and convert it to radians:

$$rad = \text{angle} \times \frac{3.14}{180}$$

6. Compute New Rotated Coordinates (Clockwise Rotation Formula):-

For each vertex (X, Y) , calculate:

$$X' = xc + (X - xc) \cdot \cos(rad) + (Y - yc) \cdot \sin(rad)$$

$$Y' = yc - (X - xc) \cdot \sin(rad) + (Y - yc) \cdot \cos(rad)$$

7. Draw Rotated Traingle:-

Use drawpoly() to display the rotated triangle in a different color.

8. Wait for User Input & Close Graphics Mode:-

Use getch() to pause, then closegraph() to exit.

b) To Rotate Anti-clockwise:

1. Initialize Graphics Mode:-

Detect and initialize the graphics driver and mode using initgraph().

2. Input Triangle Coordinates:-

Take user input for the three vertices (x1,y1), (x2,y2), (x3,y3).

3. Draw Original Triangle:-

Use drawpoly() to display the initial triangle.

4. Compute Centroid:-

Calculate the centroid (xc,yc) using:

$$xc = \frac{x1+x2+x3}{3}, yc = \frac{y1+y2+y3}{3}$$

5. Input Rotation Angle:-

Accept the rotation angle from the user and convert it to radians:

$$rad = \text{angle} \times \frac{3.14}{180}$$

6. Compute New Rotated Coordinates (Clockwise Rotation Formula):-

For each vertex (X,Y), calculate:

$$X' = xc + (X - xc) \cdot \cos(rad) - (Y - yc) \cdot \sin(rad)$$

$$Y' = yc + (X - xc) \cdot \sin(rad) + (Y - yc) \cdot \cos(rad)$$

7. Draw Rotated Traingle:-

Use drawpoly() to display the rotated triangle in a different color.

8. Wait for User Input & Close Graphics Mode:-

Use getch() to pause, then closegraph() to exit.

4. Implementation/Code:

a.To Rotate Clockwise:

```
#include <iostream>
#include <conio.h>
#include <graphics.h>
#include <math.h>

using namespace std;
int main() {
    clrscr();
    int gd = DETECT, gm;
    initgraph(&gd, &gm, "C:\\\\Turboc3\\\\BGI"); // Use the correct BGI path

    int x1, y1, x2, y2, x3, y3;
    cout << "Enter (x1, y1), (x2, y2), (x3, y3) for the triangle: ";
    cin >> x1 >> y1 >> x2 >> y2 >> x3 >> y3;

    int tri[] = {x1, y1, x2, y2, x3, y3, x1, y1};
    setcolor(WHITE);
    drawpoly(4, tri);

    int xc = (x1 + x2 + x3) / 3;
    int yc = (y1 + y2 + y3) / 3;

    float angle;
    cout << "Enter the rotation angle: ";
    cin >> angle;

    float rad = angle * M_PI / 180.0;

    int X1 = xc + (int)((x1 - xc) * cos(rad) - (y1 - yc) * sin(rad));
    int Y1 = yc + (int)((x1 - xc) * sin(rad) + (y1 - yc) * cos(rad));

    int X2 = xc + (int)((x2 - xc) * cos(rad) - (y2 - yc) * sin(rad));
    int Y2 = yc + (int)((x2 - xc) * sin(rad) + (y2 - yc) * cos(rad));

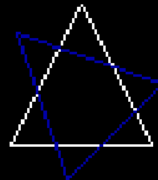
    int X3 = xc + (int)((x3 - xc) * cos(rad) - (y3 - yc) * sin(rad));
    int Y3 = yc + (int)((x3 - xc) * sin(rad) + (y3 - yc) * cos(rad));

    setcolor(RED);
    int rotatedTri[] = {X1, Y1, X2, Y2, X3, Y3, X1, Y1};
    drawpoly(4, rotatedTri);
```

```
getch();  
closegraph();  
return 0;  
}
```

Output:-

```
Enter (x1, y1), (x2, y2), (x3, y3) for the triangle: 200  
200  
175  
250  
225  
250  
Enter the rotation angle: 45
```



b. To Rotate Anti-Clockwise:

```
#include <iostream.h>  
#include <conio.h>  
#include <graphics.h>  
#include <math.h>  
  
void main() {  
clrscr();  
// Initialize graphics mode  
int gd = DETECT, gm;  
initgraph(&gd, &gm, "C:\\Turboc3\\BGI");  
  
// Input triangle coordinates  
int x1, y1, x2, y2, x3, y3;  
cout << "Enter (x1, y1), (x2, y2), (x3, y3) for the triangle: ";  
cin >> x1 >> y1 >> x2 >> y2 >> x3 >> y3;
```



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```
// Draw original triangle
int tri[] = {x1, y1, x2, y2, x3, y3, x1, y1};
setcolor(WHITE);
drawpoly(4, tri);

// Compute centroid
int xc = (x1 + x2 + x3) / 3;
int yc = (y1 + y2 + y3) / 3;

// Input rotation angle
float angle;
cout << "Enter the rotation angle: ";
cin >> angle;

// Convert angle to radians
float rad = angle * M_PI / 180;

// Compute new rotated coordinates (Anti-clockwise rotation formula)
int X1 = xc + (int)((x1 - xc) * cos(rad) - (y1 - yc) * sin(rad));
int Y1 = yc + (int)((x1 - xc) * sin(rad) + (y1 - yc) * cos(rad));

int X2 = xc + (int)((x2 - xc) * cos(rad) - (y2 - yc) * sin(rad));
int Y2 = yc + (int)((x2 - xc) * sin(rad) + (y2 - yc) * cos(rad));

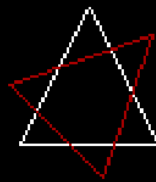
int X3 = xc + (int)((x3 - xc) * cos(rad) - (y3 - yc) * sin(rad));
int Y3 = yc + (int)((x3 - xc) * sin(rad) + (y3 - yc) * cos(rad));

// Draw rotated triangle
setcolor(BLUE);
int rotatedTri[] = {X1, Y1, X2, Y2, X3, Y3, X1, Y1};
drawpoly(4, rotatedTri);

getch();
closegraph();
}
```

Output:-

```
Enter (x1, y1), (x2, y2), (x3, y3) for the triangle: 200  
200  
175  
250  
225  
250  
Enter the rotation angle: 45
```



5. Learning Outcomes:-

- Learned how **rotation transformation** works in computer graphics using **trigonometric functions** (sin, cos).
- Explored the difference between **clockwise** and **anti-clockwise** rotation by modifying the **sine term signs** in the rotation formula.
- Understood the importance of **centroid (xc, yc)** in rotating a shape **around its center** rather than the origin.
- Gained hands-on experience in using C++ **graphics.h** library functions like `initgraph()`, `drawpoly()`, and `setcolor()` for visual representation.
- Learned the necessity of converting **degrees to radians** using the formula:
$$\text{rad} = \text{angle} \times 3.14/180$$