

## EXPERIMENT 5.1

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**Semester:** 6th

**Subject Name:** AP LAB

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**Date of Performance:** 20-09-25

**Subject Code:** 22CSP-351

### 1) Aim:

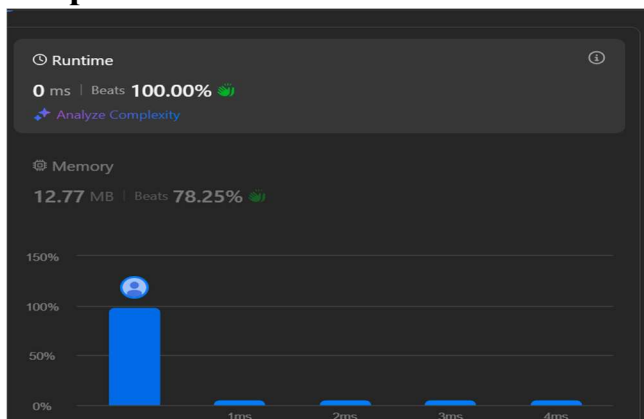
Same Tree

### 2) Implementation/Code: class Solution {

public:

```
bool isSameTree(TreeNode* p, TreeNode* q) {  
    if (!p && !q) return true; // Both trees are empty  
    if (!p || !q) return false; // One tree is empty, the other is not  
    if (p->val != q->val) return false; // Values are different  
  
    // Recursively check left and right subtrees  
    return isSameTree(p->left, q->left) && isSameTree(p->right, q->right);  
}  
};
```

### 3) Output:



#### 4) Complexity:

- Time Complexity:  $O(n^2)$
- Space Complexity:  $O(1)$

## PROBLEM 2

### 1. Aim:

Symmetric Tree

### 2. Implementation/Code:

```
class Solution {
public:
    bool areMirrImg(TreeNode* root1, TreeNode* root2){
        if(!root1 && !root2){
            return true;
        }
        if(!root1 || !root2){
            return false;
        }
        return (root1->val == root2->val) && (areMirrImg(root1->left,root2->right)) &&
(areMirrImg(root1->right,root2->left));
    }
    bool isSymmetric(TreeNode* root) {
        if(!root){
            return true;
        }
    }
```

```

        return areMirrImg(root->left,root->right);
    }
};

```

### 3. Output:



### 5. Complexity:

- Time Complexity:  $O(n)$  •
- Space Complexity:  $O(1)$

## PROBLEM 3

#### 1) Aim:

Balanced Binary Tree

#### 2) Implementation/Code:

```

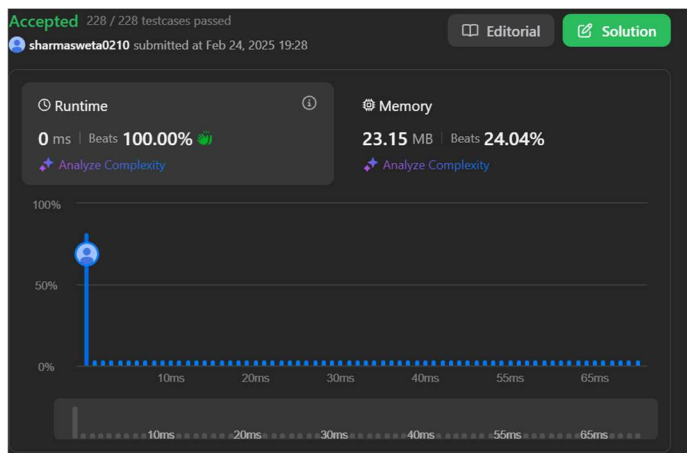
class Solution {
public:

```

```
bool isBalanced(TreeNode* root) {
    return checkHeight(root) != -1;
}

int checkHeight(TreeNode* node) {
    if (!node) return 0;
    int leftHeight = checkHeight(node->left);
    if (leftHeight == -1) return -1;
    int rightHeight = checkHeight(node->right);
    if (rightHeight == -1) return -1;
    if (abs(leftHeight - rightHeight) > 1) return -1;
    return max(leftHeight, rightHeight) + 1;
}
};
```

#### 4) Output:



#### 5) Complexity:

- **Time Complexity:**  $O(n)$
- **Space Complexity:**  $O(n)$

## PROBLEM 4

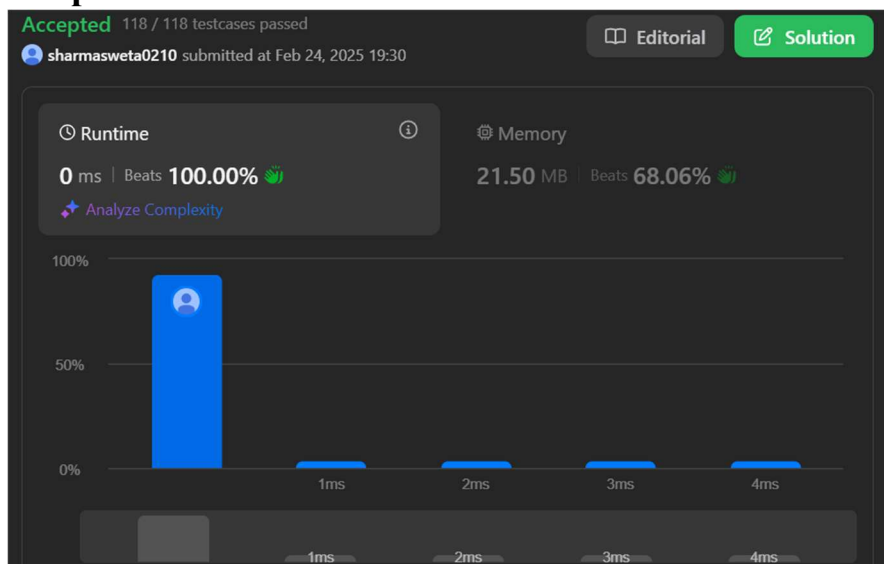
### 1) Aim:

Path Sum

### 2) Implementation/Code:

```
class Solution {  
public:  
    bool hasPathSum(TreeNode* root, int sum) {  
        if (root == nullptr)  
            return false;  
        if (root->val == sum && root->left == nullptr && root->right == nullptr)  
            return true;  
        return hasPathSum(root->left, sum - root->val) ||  
            hasPathSum(root->right, sum - root->val);  
    }  
};
```

### 4) Output:



### 5) Complexity:

- Time Complexity:  $O(1)$  •

Space Complexity:  $O(n)$

## PROBLEM 5

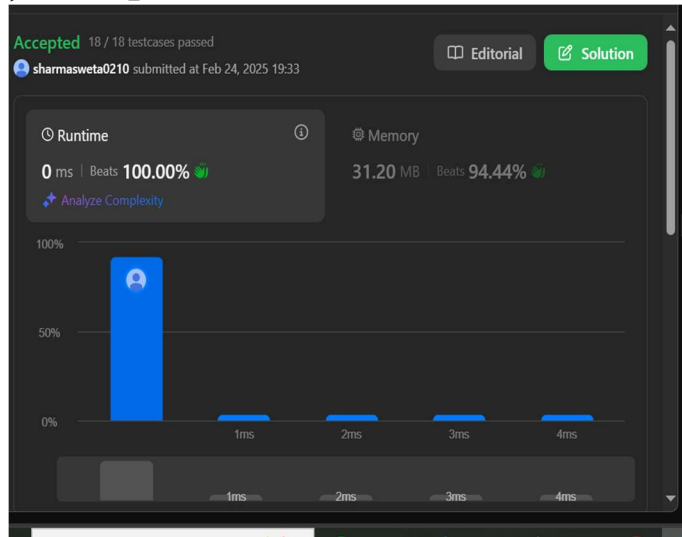
### 3) Aim:

Count Complete Tree Nodes.

### 4) Implementation/Code:

```
class Solution {
public:
    int countNodes(TreeNode* root) {
        if (root == nullptr)
            return 0;
        TreeNode* left = root;
        TreeNode* right = root;
        int heightL = 0;
        int heightR = 0;
        while (left != nullptr) {
            ++heightL;
            left = left->left;
        }
        while (right != nullptr) {
            ++heightR;
            right = right->right;
        }
        if (heightL == heightR)
            return pow(2, heightL) - 1;
        return 1 + countNodes(root->left) + countNodes(root->right);
    }
};
```

## 5) Output:



## 6) Complexity:

- Time Complexity:  $O(1)$  •

Space Complexity:  $O(n)$

## PROBLEM 6

### 1) Aim:

Delete Node in a BST

### 2) Implementation/Code:

```
class Solution {
public:
    TreeNode* deleteNode(TreeNode* root, int key) {
        TreeNode* iter = root, *par = nullptr;
        // search for key node & keep a pointer to current node's parent
        while(iter && iter->val != key) {
            par = iter;
```

```

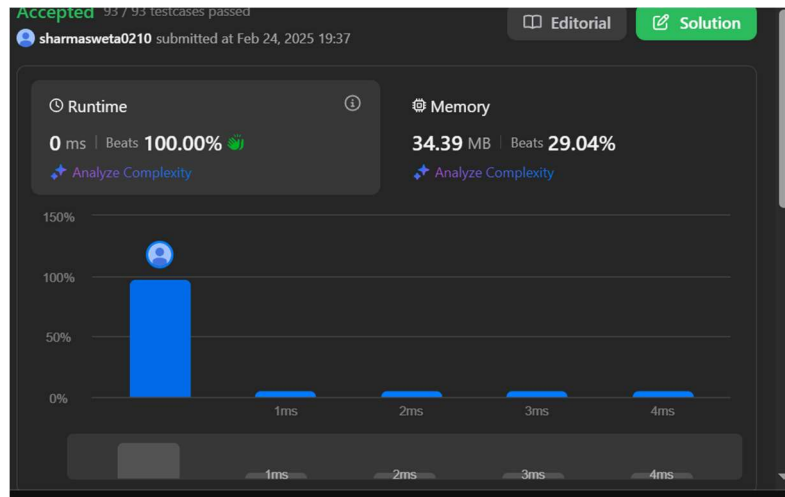
    if(iter -> val < key) iter = iter -> right;
    else iter = iter -> left;
}
if(!iter) return root;           // node not found => Case:1
// iter is the node to be deleted

// node found with less than two children => Case-2/3/4 combined
if(!iter -> left or !iter -> right) {
    auto child = iter -> left ? iter -> left : iter -> right; // find child node of iter if it exists
    if(!par) root = child; // iter is root node. Update root as child of iter
    else if(par -> left == iter) par -> left = child; // iter is left child. Update its parent's left pointer
    as iter's child
    else par -> right = child; // Else update parent's right pointer as iter's child
}
// node found with both children => Case-5
else {
    auto cur = iter; // cur maintains a reference to the node to be deleted
    par = iter, iter = iter -> right; // go to right subtree
    while(iter -> left) par = iter, iter = iter -> left; // and find smallest node in that right subtree
    cur -> val = iter -> val; // delete by replacing with smallest node found
    // smallest node replaced from right subtree may have a right child.
    // So update that node's parent to hold the right child
    if(par -> left == iter) par -> left = iter -> right;
    else par -> right = iter -> right;
}
// dont show the interviewer that you are a leaker :)
delete iter; // free the memory
return root;
}
};

```

### 3) Output:





#### 4) Complexity:

- **Time Complexity:**  $O(1)$
- **Space Complexity:**  $O(n)$

### PROBLEM 7

#### 1) Aim:

Diameter of Binary Tree

#### 2) Implementation/Code:

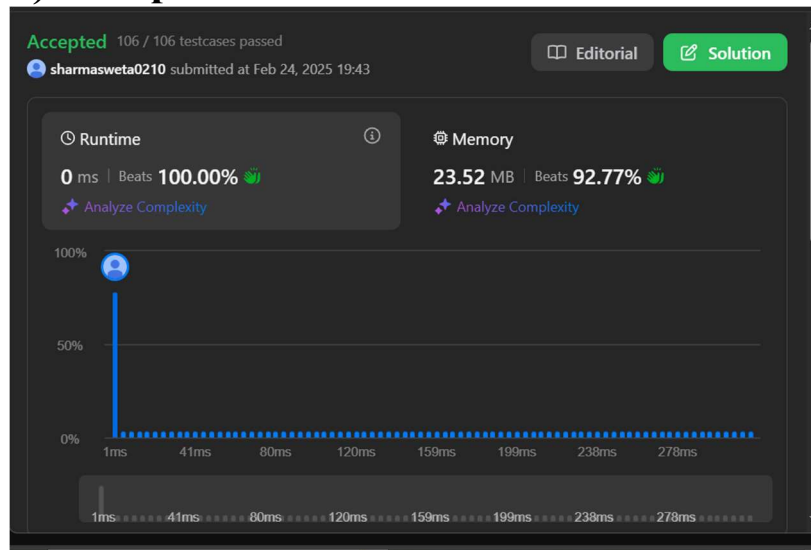
```
class Solution {
public:
    pair<int, int> diameterOfBinaryTreeFast(TreeNode* root){
        if(!root){
            pair<int, int> p = make_pair(0, 0);
            return p;
        }
        pair<int, int> ans;
```

```

pair<int, int> left = diameterOfBinaryTreeFast(root->left);
pair<int, int> right = diameterOfBinaryTreeFast(root->right);
ans.first = max(left.first, max(right.first, left.second+right.second+1));
ans.second = max(left.second, right.second) + 1;
return ans;
}
int diameterOfBinaryTree(TreeNode* root) {
    return diameterOfBinaryTreeFast(root).first - 1;
}
};

```

### 3) Output:



### 4) Complexity:

- **Time Complexity:**  $O(1)$
- **Space Complexity:**  $O(n)$