## **WORKSHEET 6**

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Branch: BE-CSE Section/Group: 22BCS\_NTPP-602-A

Semester: 6<sup>th</sup> Date of Performance: 20/02/2025

Subject Name: AP LAB - II Subject Code: 22CSP-351

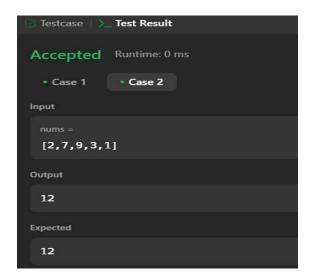
1. **Aim:** Given an integer array nums representing the amount of money of each house, return the maximum amount of money you can rob tonight without alerting the police1

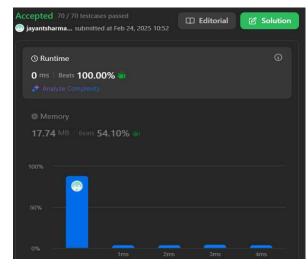
### 2. Source Code:

```
def rob(self, nums: List[int]) -> int:
    if not nums:
        return 0
    if len(nums) == 1:
        return nums[0]

    prev, curr = 0, 0
    for num in nums:
        prev, curr = curr, max(curr, prev + num)
```

# 3. Screenshots of outputs:





**2. Aim:** Given the two integers m and n, return the number of possible unique paths that the robot can take to reach the bottom-right corner.

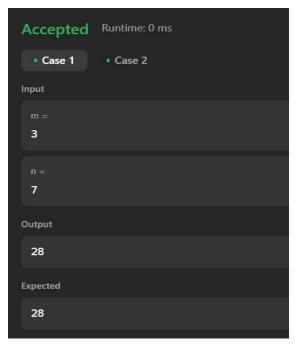
### **Source Code**

```
class Solution:
    def uniquePaths(self, m: int, n: int) -> int:
        dp = [[1] * n for _ in range(m)]

    for i in range(1, m):
        for j in range(1, n):
        dp[i][j] = dp[i - 1][j] + dp[i][j - 1]

    return dp[-1][-1]
```

## **Screenshots of outputs:**





**3. Aim:** Given an integer array nums, find a subarray that has the largest product, and return the product.

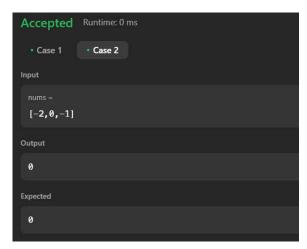
#### **Source Code:**

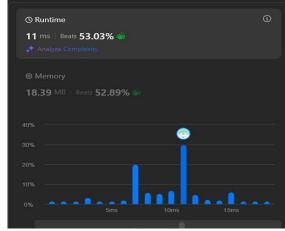
```
class Solution:
    def maxProduct(self, nums: List[int]) -> int:
        max_prod = min_prod = result = nums[0]

    for num in nums[1:]:
        temp_max = max(num, max_prod * num, min_prod * num)
        min_prod = min(num, max_prod * num, min_prod * num)
        max_prod = temp_max
        result = max(result, max_prod)

return result
```

# **Screenshots of outputs:**



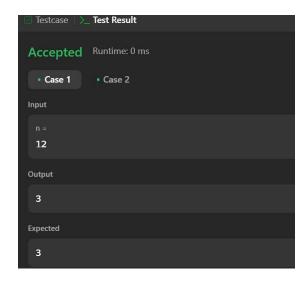


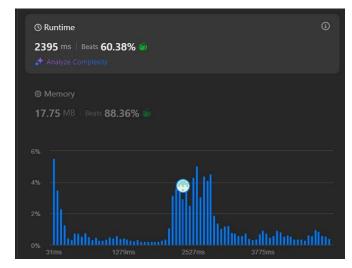
**4. Aim:** Given an integer n, return the least number of perfect square numbers that sum to n.

### **Source Code:**

```
class Solution:  \begin{split} &\text{def numSquares(self, n: int)} \Rightarrow \text{int:} \\ &\text{dp} = [\text{float('inf')}] * (n+1) \\ &\text{dp}[0] = 0 \end{split}   &\text{for i in range}(1, n+1): \\ &\text{for j in range}(1, \text{int(math.sqrt(i))} + 1): \\ &\text{dp}[i] = \min(\text{dp}[i], \text{dp}[i-j*j] + 1) \end{split}   &\text{return dp}[n]
```

# 4. Screenshots of outputs:





#### **Learning Outcomes:**

- Binary Tree Construction:\* Efficiently reconstruct a binary tree from inorder and postorder traversals using recursion and hash maps.
- Dynamic Programming (DP) Concepts:\* Applying DP to solve problems like the minimum number of perfect squares summing to n, unique paths in a grid, and house robber problem.
- State Transition Optimization:\* Utilizing DP and variable swapping to optimize space complexity, as seen in rob() and maxProduct().
- Mathematical Approaches:\* Understanding how mathematical properties like square numbers and factorial-based paths contribute to problem-solving.
- Algorithmic Thinking:\* Developing problem-solving skills with recursive tree construction, iterative DP, and greedy strategies for maximizing results.