# CUAI 딥러닝 논문 리뷰 스터디 CV 1팀

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발표자 : 김태환

## 목차

- 1. 스터디원 소개 및 만남 인증
- 2. 논문 리스트
- 3. Task
- 4. 기호 및 용어정리
- 5. DragDiffusion: 전체 프로세스
- 6. DragDiffusion: Identity-preserving Fine-tuning
- 7. DragDiffusion: Motion tracking
- 8. DragDiffusion: Reference-latent control
- 9. DragGAN과의 비교
- 10. Ablation Study



# 스터디원 소개 및 만남 인증



스터디원 1: 김태환

스터디원 2: 김현수

스터디원 3: 오서윤

## 논문 리스트

Long Short Term Memory

Empirical Evaluation of Gated Recurrent Neural Networks on Sequence Modeling

**EfficientNet** 

DragDiffusion

DragonDiffusion

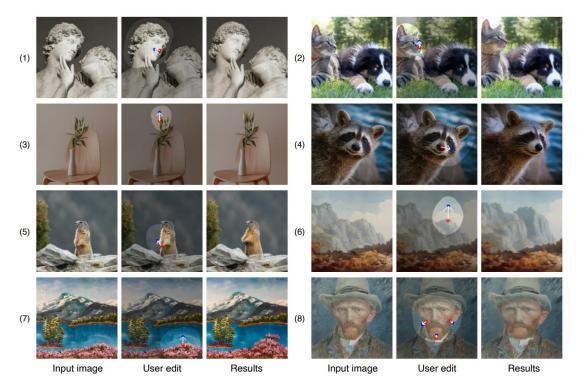
CLIP

Mask R-CNN

**DETR** 

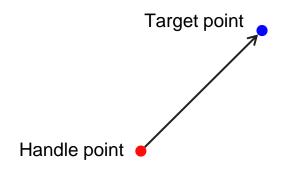
## **Task**

### Point-based image editing (Drag-based image)



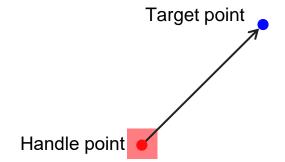


# 기호 및 용어 정리



## 기호 및 용어 정리

 $\Omega(h_i^k,r)$ : k번 업데이트된 i번째 handle point 주변 한 변이 2r인 정사각형 패치



## 기호 및 용어 정리

 $\epsilon_{\theta}$ : Unet

 $z_t$ : t번 노이즈가 들어간 latent

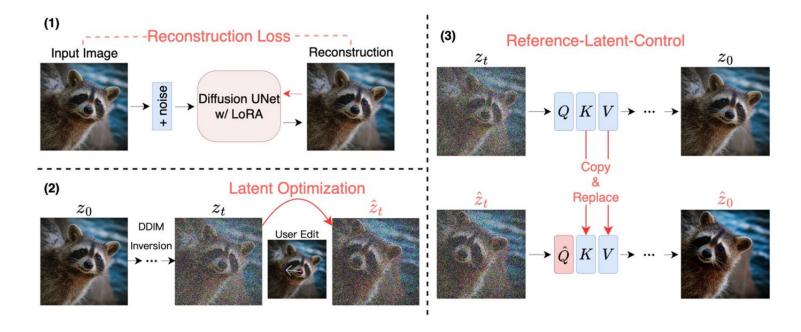
 $\hat{z}_t^k$ : t번 노이즈가 들어가고, k번 optimize된 latent

 $F_q(\cdot)$ : input의 위치 q에서의 feature

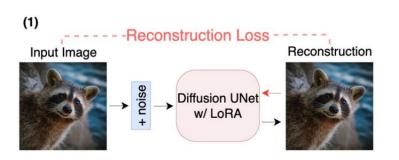
 $sg(\cdot)$ : stop gradient

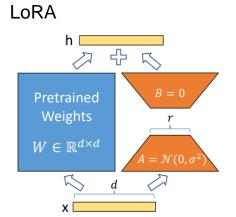
M: 편집할 영역의 binary mask

# DragDiffusion: 전체 프로세스



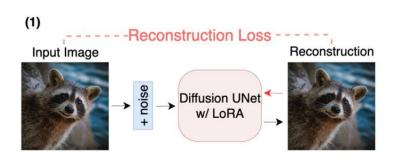
## **DragDiffusion: Identity-preserving Fine-tuning**

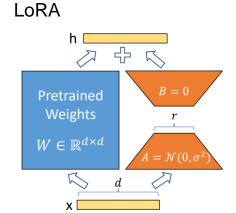




$$\mathcal{L}_{ft}(z, \Delta \theta) = \mathbb{E}_{\epsilon, t} \left[ \| \epsilon - \epsilon_{\theta + \Delta \theta} (\alpha_t z + \sigma_t \epsilon) \|_2^2 \right],$$

## **DragDiffusion: Identity-preserving Fine-tuning**

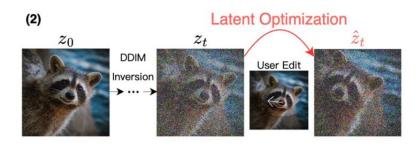




$$\mathcal{L}_{\mathrm{ft}}(z, \Delta \theta) = \mathbb{E}_{\epsilon, t} \left[ \| \epsilon - \epsilon_{\theta + \Delta \theta} (\alpha_t z + \sigma_t \epsilon) \|_2^2 \right],$$

### Motion supervision

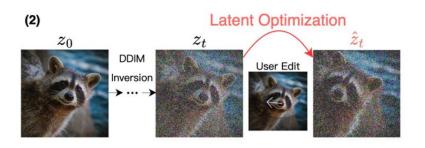
$$\begin{split} \mathcal{L}_{\text{ms}}(\hat{z}_{t}^{k}) &= \sum_{i=1}^{n} \sum_{q \in \Omega(h_{i}^{k}, r_{1})} \left\| F_{q+d_{i}}(\hat{z}_{t}^{k}) - \text{sg}(F_{q}(\hat{z}_{t}^{k})) \right\|_{1} \\ &+ \lambda \left\| (\hat{z}_{t-1}^{k} - \text{sg}(\hat{z}_{t-1}^{0})) \odot (\mathbb{1} - M) \right\|_{1} \end{split} \qquad \hat{z}_{t}^{k+1} = \hat{z}_{t}^{k} - \eta \cdot \frac{\partial \mathcal{L}_{\text{ms}}(\hat{z}_{t}^{k})}{\partial \hat{z}_{t}^{k}} \end{split}$$



$$h_i^{k+1} = \underset{q \in \Omega(h_i^k, r_2)}{\arg\min} \left\| F_q(\hat{z}_t^{k+1}) - F_{h_i^0}(z_t) \right\|_1$$

### Motion supervision

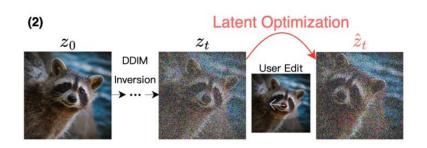
$$\mathcal{L}_{\text{ms}}(\hat{z}_{t}^{k}) = \sum_{i=1}^{n} \sum_{q \in \Omega(h_{i}^{k}, r_{1})} \left\| F_{q+d_{i}}(\hat{z}_{t}^{k}) - \operatorname{sg}(F_{q}(\hat{z}_{t}^{k})) \right\|_{1} + \lambda \left\| (\hat{z}_{t-1}^{k} - \operatorname{sg}(\hat{z}_{t-1}^{0})) \odot (\mathbb{1} - M) \right\|_{1} \qquad \hat{z}_{t}^{k+1} = \hat{z}_{t}^{k} - \eta \cdot \frac{\partial \mathcal{L}_{\text{ms}}(\hat{z}_{t}^{k})}{\partial \hat{z}_{t}^{k}}$$



$$h_i^{k+1} = \underset{q \in \Omega(h_i^k, r_2)}{\arg\min} \left\| F_q(\hat{z}_t^{k+1}) - F_{h_i^0}(z_t) \right\|_1$$

### Motion supervision

$$\mathcal{L}_{\text{ms}}(\hat{z}_{t}^{k}) = \sum_{i=1}^{n} \sum_{q \in \Omega(h_{i}^{k}, r_{1})} \left\| F_{q+d_{i}}(\hat{z}_{t}^{k}) - \text{sg}(F_{q}(\hat{z}_{t}^{k})) \right\|_{1} \\ + \lambda \left\| (\hat{z}_{t-1}^{k} - \text{sg}(\hat{z}_{t-1}^{0})) \odot (\mathbb{1} - M) \right\|_{1} \qquad \qquad \hat{z}_{t}^{k+1} = \hat{z}_{t}^{k} - \eta \cdot \frac{\partial \mathcal{L}_{\text{ms}}(\hat{z}_{t}^{k})}{\partial \hat{z}_{t}^{k}}$$

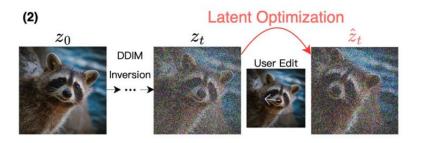


$$h_i^{k+1} = \underset{q \in \Omega(h_i^k, r_2)}{\arg\min} \left\| F_q(\hat{z}_t^{k+1}) - F_{h_i^0}(z_t) \right\|_1$$

### Motion supervision

$$\mathcal{L}_{\text{ms}}(\hat{z}_{t}^{k}) = \sum_{i=1}^{n} \sum_{q \in \Omega(h_{i}^{k}, r_{1})} \left\| F_{q+d_{i}}(\hat{z}_{t}^{k}) - \operatorname{sg}(F_{q}(\hat{z}_{t}^{k})) \right\|_{1} + \lambda \left\| (\hat{z}_{t-1}^{k} - \operatorname{sg}(\hat{z}_{t-1}^{0})) \odot (\mathbb{1} - M) \right\|_{1}$$

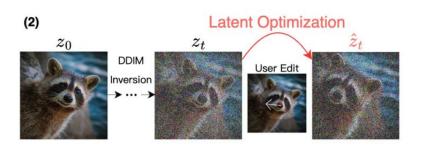
$$\hat{z}_t^{k+1} = \hat{z}_t^k - \eta \cdot \frac{\partial \mathcal{L}_{\text{ms}}(\hat{z}_t^k)}{\partial \hat{z}_t^k}$$



$$h_i^{k+1} = \underset{q \in \Omega(h_i^k, r_2)}{\arg\min} \left\| F_q(\hat{z}_t^{k+1}) - F_{h_i^0}(z_t) \right\|_1$$

### Motion supervision

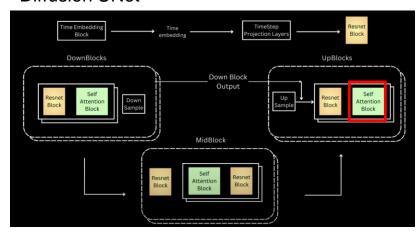
$$\begin{split} \mathcal{L}_{\text{ms}}(\hat{z}_{t}^{k}) &= \sum_{i=1}^{n} \sum_{q \in \Omega(h_{i}^{k}, r_{1})} \left\| F_{q+d_{i}}(\hat{z}_{t}^{k}) - \text{sg}(F_{q}(\hat{z}_{t}^{k})) \right\|_{1} \\ &+ \lambda \left\| (\hat{z}_{t-1}^{k} - \text{sg}(\hat{z}_{t-1}^{0})) \odot (\mathbb{1} - M) \right\|_{1} \\ &\qquad \qquad \hat{z}_{t}^{k+1} = \hat{z}_{t}^{k} - \eta \cdot \frac{\partial \mathcal{L}_{\text{ms}}(\hat{z}_{t}^{k})}{\partial \hat{z}_{t}^{k}} \end{split}$$

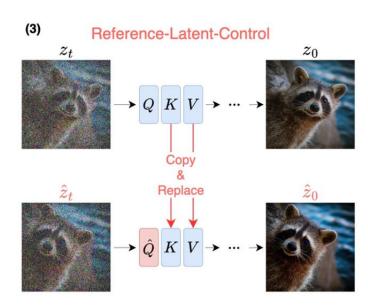


$$h_i^{k+1} = \underset{q \in \Omega(h_i^k, r_2)}{\operatorname{arg \, min}} \left\| F_q(\hat{z}_t^{k+1}) - F_{h_i^0}(z_t) \right\|_1$$

## **DragDiffusion: Reference-latent control**







$$Attention(\hat{Q}, \hat{K}, \hat{V}) = softmax\left(\frac{\hat{Q}\hat{K}^T}{\sqrt{d_k}}\right)\hat{V} \rightarrow Attention(\hat{Q}, K, V) = softmax\left(\frac{\hat{Q}K^T}{\sqrt{d_k}}\right)V$$

# DragGAN과의 비교

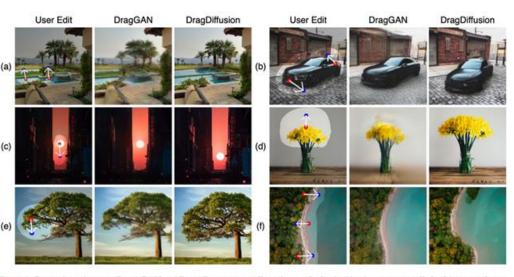


Figure 4. Comparisons between DRAGGAN and DRAGDIFFUSION. All results are obtained under the same user edit for fair comparisons.

## **Ablation Study**

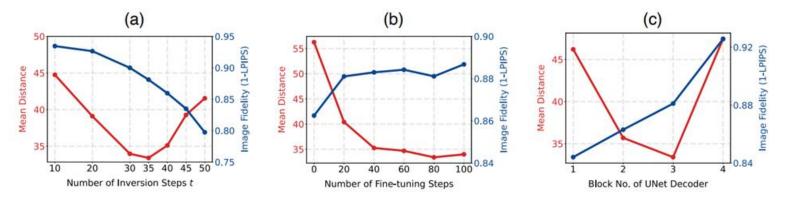


Figure 7. Ablation study on (a) the number of inversion step t of the diffusion latent; (b) the number of identity-preserving fine-tuning steps; (c) Block No. of UNet feature maps. Mean Distance ( $\downarrow$ ) and Image Fidelity ( $\uparrow$ ) are reported. Results are produced on DRAGBENCH.



Figure 6. Ablating the number of inversion step t. Effective results are obtained when  $t \in [30, 40]$ .

## **Ablation Study**



Figure 9. Qualitative validation on effectiveness of identitypreserving fine-tuning and reference-latent-control.



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