SEC 6.1 & 6.2 SYSTEMS OF EQUATIONS

1. SUBSTITUTION METHOD

- A) SOLVE FOR ONE VARIABLE

 (HINT: CHOOSE A JARIABLE WITH A

 COEFFICIENT OF 1)
- B) SUBSTITUTE THE EXPRESSION INTO THE OTHER EQUATION FOR THAT VARIABLE.
- C) SOLVE FOR REMAINING VARIABLE
- D) BACK-SUBSTITUTE INTO THE EXPRESSION IN (PART A) AND SOWE FOR THE OTHER VARIABLE
 - E) CHECK SOLUTION

#7
$$X + y^2 = 0$$
 $X = \begin{bmatrix} -5 \\ 2 \end{bmatrix}^2$

$$2x + 5y^2 = 75$$

$$2(-y^2) + 5y^2 = 75$$

$$-2y^2 + 5y^2 = 75$$

$$3y^2 = 75$$

$$\sqrt{-25}, 5$$

$$\sqrt{-25}, 5$$

$$\sqrt{-25}, 5$$

$$\sqrt{-25}, 5$$

$$\sqrt{-25}, 5$$

2. ELIMINATION METHOD

- A) ADJUST THE COEFFICIENTS: MULTIPLY
 BY ONE OR BOTTH EQUATIONS SO
 THAT THE VARIABLE THAT IS TO BE
 ELIMINATED HAS OPPOSITE COEFFICIENT.
- B) ADD EQUATIONS TOGETHER TO ELIMINATE THE VAIRIABLE.
- C) SOLVE FOR REMAINING VARIABLE
- D) BACK-SUBSTITUTE INTO EITHER EQUATION AND SOLVE FOR THE ELIMINATED VARIABLE
- E) CHECK SOLUTION(S).

11
$$-x^{2} + 2y = 1$$
 $x^{2} - 2(4) = 1$
 $+x^{2} + 5y = 29$ $x^{2} - 8' = 1$
 $+x^{2} + 5y = 28$ $x^{2} - 8' = 1$
 $+x^{2} + 8$
 $-x^{2} + 5y = 29$ $x^{2} - 8' = 1$
 $-x^{2} + 5y = 29$ $x^{2} - 8' = 1$
 $-x^{2} + 5y = 29$ $x^{2} - 8' = 1$
 $-x^{2} + 5y = 29$ $x^{2} - 8' = 1$
 $-x^{2} + 5y = 29$ $x^{2} - 8' = 1$
 $-x^{2} + 5y = 29$ $x^{2} - 8' = 1$
 $-x^{2} + 5y = 29$ $x^{2} - 8' = 1$
 $-x^{2} + 5y = 29$ $x^{2} - 8' = 1$
 $-x^{2} + 5y = 29$ $x^{2} - 8' = 1$
 $-x^{2} + 5y = 29$ $x^{2} - 8' = 1$
 $-x^{2} + 5y = 29$ $x^{2} - 8' = 1$
 $-x^{2} + 5y = 29$ $x^{2} - 8' = 1$
 $-x^{2} + 5y = 29$ $x^{2} - 8' = 1$
 $-x^{2} + 8y = 1$
 $-x^{2} + 1$
 $-x^{2} + 1$
 $-x^{2} + 1$
 $-x^{2} + 1$
 $-x^{2} +$

- 3. GRAPHING METHOD
 - A) GRAPH BOTH EQUATIONS
 - B) FIND THE INTERSECTION POINTS

ONE SOLUTION

CONSISTENT (A SOLUTION EXISTS)

INDEPENDENT (TWO SEPARATE UNES)

NO GOLUTION

INCONSISTENT (NO SOLUTION)

INDEPENDENT (TWO SEPARATE LINES)

UNFINITELY MANY SOLUTIONS

LONGISTENT (A SOLUTION EXISTS)

DEPENDENT (SAME UNES)

LET x = t 3(t) - 6y = 12 -3t -6y = -3t + 12 -6y = -3t + 12 $y = \frac{1}{2}t - 2$ $y = \frac{1}{2}t - 2$