Multivariate PreInjector Simulation With PARMELA/ROOT

Tom Schwarz, Dan Amidei University of Michigan

James Rosenzweig UCLA

Advisory: Marc Ross, John Sheppard, Tor Raubenheimer

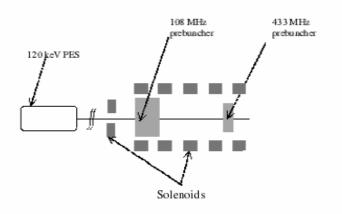
Multivariate Simulation With PARMELA/ROOT

- → Bringing Particle Physics Data Handling Capabilities To Accelerator Simulation
- → Perform Multiple Variable Input Scans In UCLA PARMELA And Use Data Handling Capabilities Of ROOT(CERN) For Analysis
- → PARMELA Combined With AWK (A Pattern Scanning Language)
 Commands Used For Multivariate Scan
- → ROOT Provides Analysis Capabilities To Easily Find Tolerances, Sensitivities, Performance Sweet Spots, Correlations, Etc.

The Method Allows You To Perform Large Simulations That Scan Over Several Variables, Then Do Analysis In A Framework Built For Large Amounts Of Data

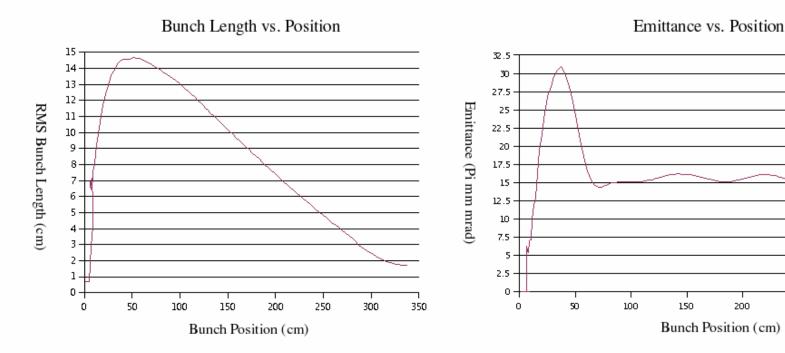
PreInjector Comparison To Outside Work (Curtoni And Jablonka)

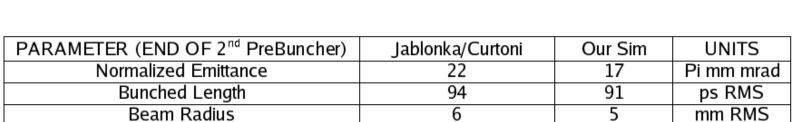
- → Pre-Bunchers Simulated In TESLA PreAccelerator Study (Curtoni and Jablonka, Saclay, TESLA Note 2001-22-2)
- → Used To Benchmark Our Simulations Against Published Work



PARAMETER	VALUE	UNITS
Gun Voltage	120	KV
Bunch Length	2	ns RMS
Beam Radius	5	mm RMS
Charge	2.0E+10	Electrons
1st PreBuncher Frequency	108	Mhz
2 nd PreBuncher Frequency	433	Mhz
1 st PreBuncher Voltage	40	KV
2 nd PreBuncher Voltage	44	KV
SHB1 Position From Cathode	78	cm
SHB2 Position From Cathode	280	cm
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Comparison



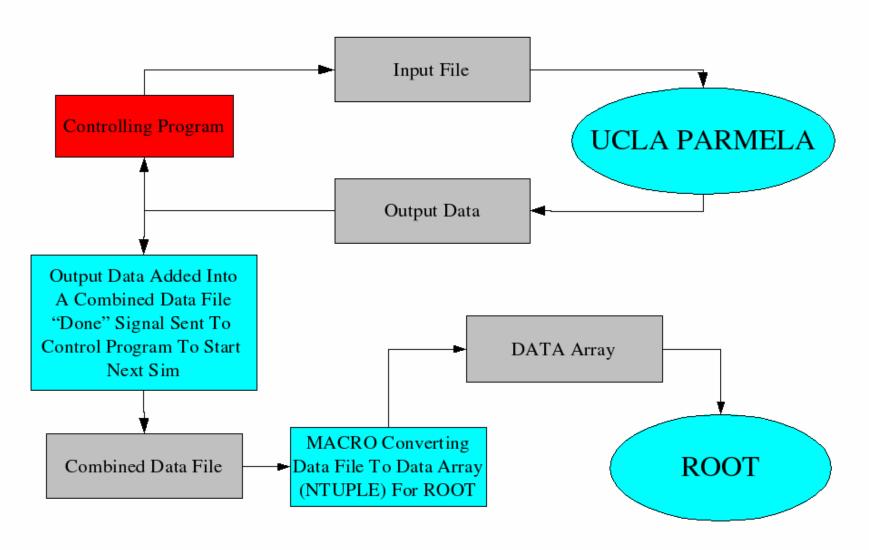


Example: What Range Of Input Parameters Is Compatible With Performance Tolerances

- → Accelerator Needs To Perform Within Certain Tolerances
 PARMELA/ROOT Used To Find Range Of Input Parameters For Operation
- → DC Gun, prebunching cavity, and two solenoids
- → ~ 8000 PARMELA Simulations Run
- → Large CPU Allows For Fine Scan

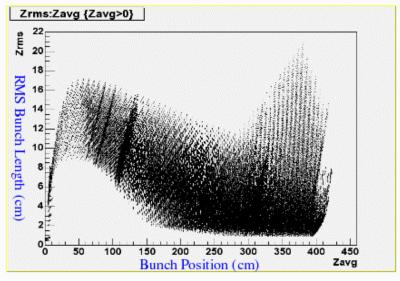
PARAMETER	Min	Max	UNITS
Gun Voltage	120	200	KV
Bunch Length	0.5	2	ns RMS
Beam Radius	5	5	mm RMS
Pre-Buncher Freq.	108	432	Mhz
Charge	1.0E+10	2.50E+10	Electrons
Buncher Efield	40	60	KV

Method

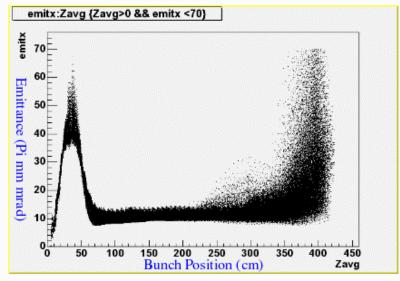


Cuts On Data

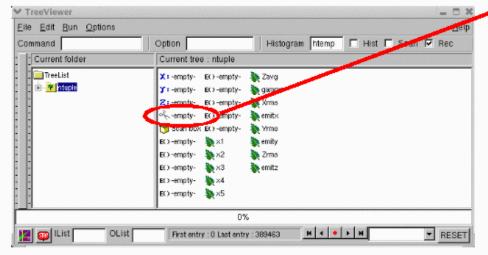
Bunch Length vs. Position



Emittance vs. Position



ROOT TreeViewer

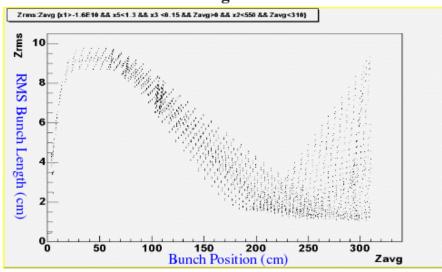


Performance and Input Constraints:

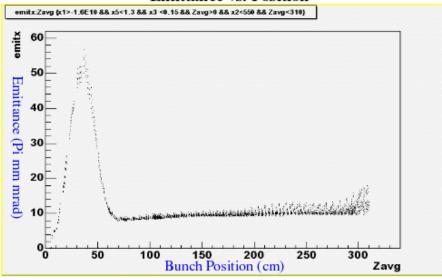
Position ~ 250 to 260 cm Emittance < 12 Pi mm-mrad Bunch Length < 200 ps Charge < 1.6e10 e-'s Buncher Voltage < 44 kV Gun Voltage < 150 kV

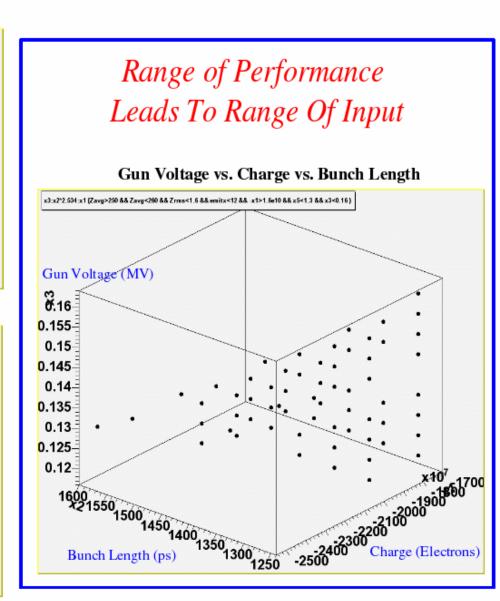
What Range of Inputs Satisfy This?

Bunch Length vs. Position



Emittance vs. Position





Example: NLC/TESLA PreInjector Sensitivities

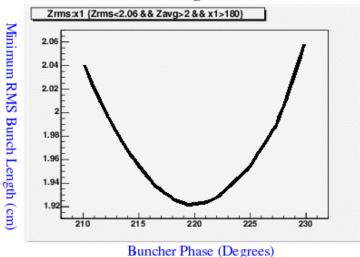
- → PreBuncher Performance Sensitivity
- → The Following Might Be Of Interest:
 - · What is the optimum phase?
 - How quickly will buncher performance degrade if phase is unstable?
 - · Are we working ourselves into too tight a tolerance?
 - If we have some jitter in frequency in the buncher how bad will buncher performance degrade?

NLC/TESLA Sensitivity Plots

NLC Phase Sensitivity

PARAMETER	Value	UNITS
Gun Voltage	175	KV
Bunch Length	0.5	ns RMS
Beam Radius	5	mm RMS
Pre-Buncher Freq.	714	Mhz
#Charges	1.2E+10	Electrons
Buncher Efield	40	KV

Min Bunch Length vs Phase

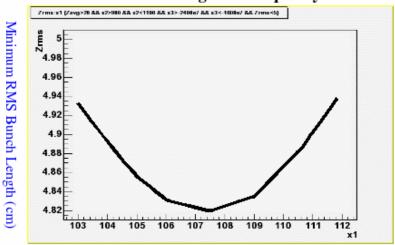


- NLC Min Bunch Length vs. phase in buncher
- → 2% Change In Min Bunch Length -> +/- 6 degrees in phase

TESLA Frequency Sensitivity

PARAMETER	Value	UNITS
Gun Voltage	120	KV
Bunch Length	2	ns RMS
Beam Radius	5	mm RMS
Pre-Buncher Freq.	108	Mhz
# Charges	200E+08	Electrons
Buncher Efield	40	KV

Min Bunch Length vs Frequency

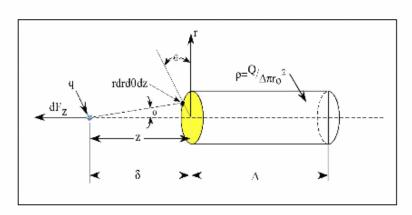


Buncher Frequency (Mhz)

- → TESLA Min Bunch Length vs. Freq in buncher
- → 2% Change In Min Bunch Length
 -> +/- 4 Mhz in Buncher Freq

Example: Testing Scaling Of PreInjectors

- → Can PreInjector Performance Be Scaled From The SLC Source To NLC?
- → J. Sheppard: Can The Force On A Charge At The End Of A Bunch Be Used As An Indicator Of Performance (Used To Scale)?
- → Same Force ~ Same Performance?



$$dF_{z} = \frac{q}{(4\pi\epsilon_{o})} \frac{Q}{(\Delta\pi r_{o}^{2})} r \cos(\phi) dr d\Theta \frac{dz}{(z^{2} + r^{2})}$$

$$F_{z} = \gamma m z$$

$$z \alpha \frac{Q}{(\Delta\nu)}$$

$$z \propto \frac{Q}{\Delta_t} (\gamma^2 - 1)^{(-1/2)}$$

$$\frac{Q_1}{\Delta_{tl}} (\gamma_1^2 - 1)^{(-1/2)} = \frac{Q_2}{\Delta_{t2}} (\gamma_2^2 - 1)^{(-1/2)} \equiv M$$

Results For Space Charge Alone

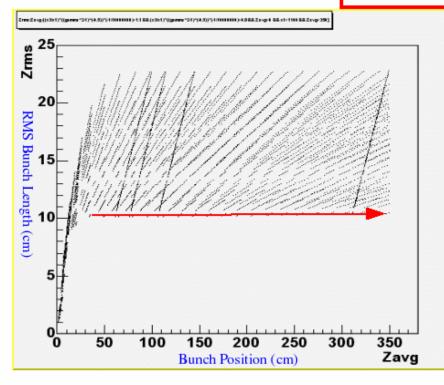
SCAN

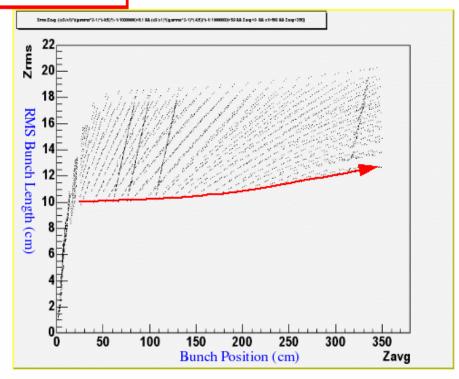
PARAMETER	Min	Max	UNITS
Gun Voltage	120	200	KV
Bunch Length	0.5	2	ns RMS
Charge	1.0E+10	5.00E+10	Electrons

Bunch Length vs. Position For M=1

$$M = \frac{Q}{\Delta_I} (\gamma^2 - 1)^{(-1/2)} \alpha z$$

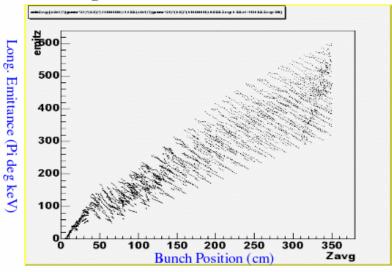
Bunch Length vs. Position For M=5



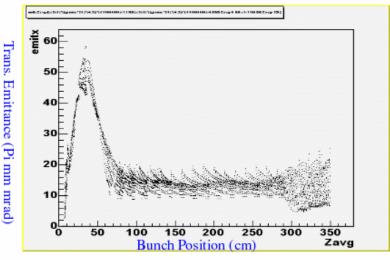


Emittance

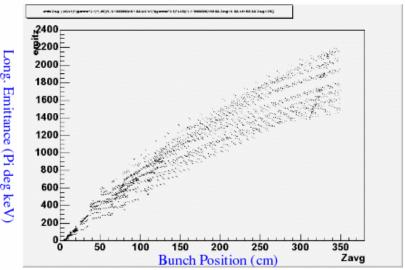
Long. Emittance vs. Position For M=1



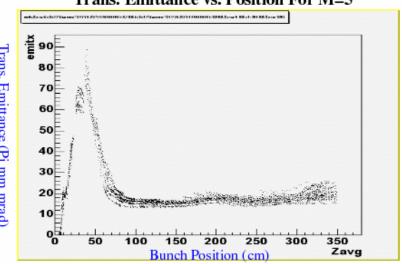
Trans. Emittance vs. Position For M=1



Long. Emittance vs. Position For M=5



Trans. Emittance vs. Position For M=5

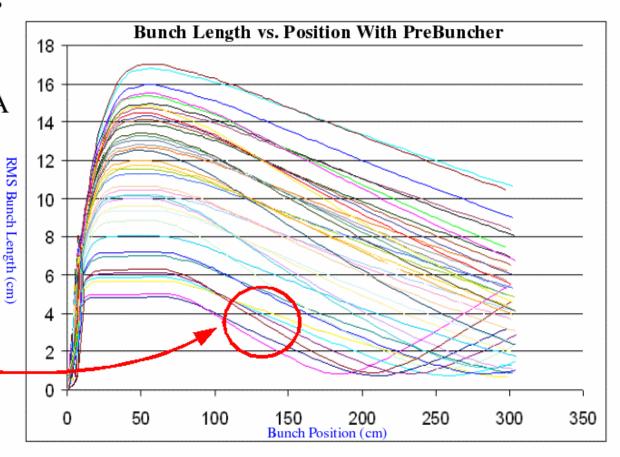


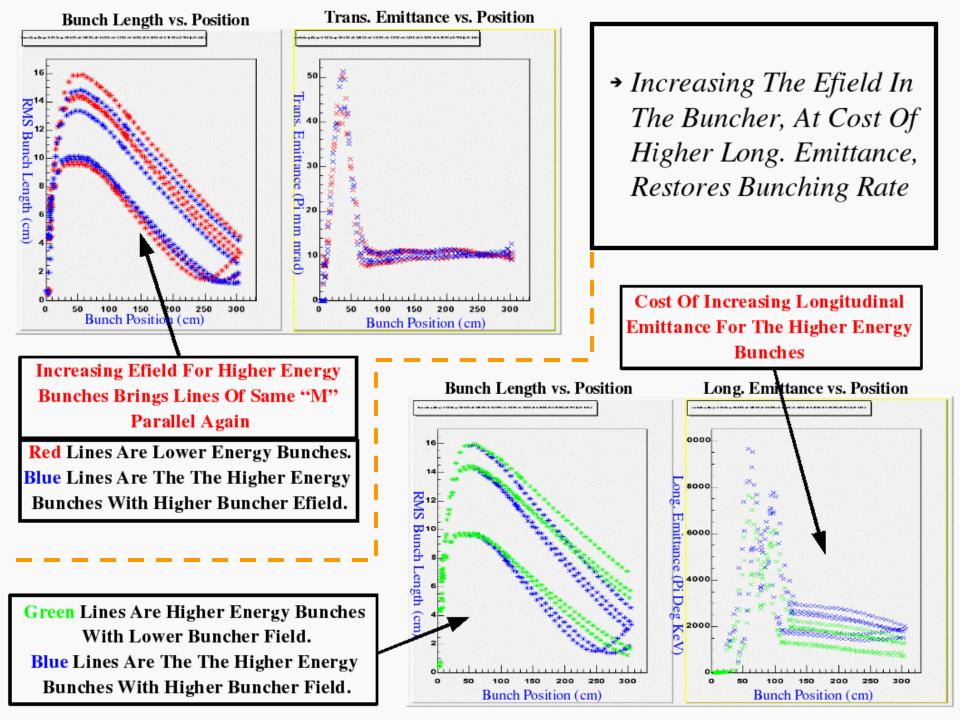
With Prebuncher

- → Mostly Works Out Except For Extremes In Gun Voltage
- → High Gun Voltage -> Less Time In PreBuncher
- → Compensated By Raising Buncher Field, But With A Price

Lines Not Parallel

<u>Scan</u>			
PARAMETER	Min	Max	UNITS
Gun Voltage	120	200	KV
Bunch Length	0.5	2	ns RMS
Charge	1.0E+10	5.00E+10	Electrons
Buncher Efield	40	60	KV





Conclusion

- → We've Developed Code To Perform Multiple Variable Input Scans In UCLA PARMELA And Use The Data Handling Capabilities Of ROOT For Analysis
- → PARMELA/ROOT Allows You To Perform Large Simulations That Scan Over Several Variables Once, Then Analyze The Data However You Wish