

SIMULATIONS

Systems Analysis

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Outline



Outline



What is a simulation?

- **Simulations** are a sort of real-world representation, but rarely exactly the real world.

- Sometimes you need to test or experiment with expensive use cases. Simulations let play with different inputs, conditions, hyper parameter optimizations.

- Also, there are dangerous or hard to reach stages where simulations become the best option.

bread piece \rightarrow 0.3 energy

more information

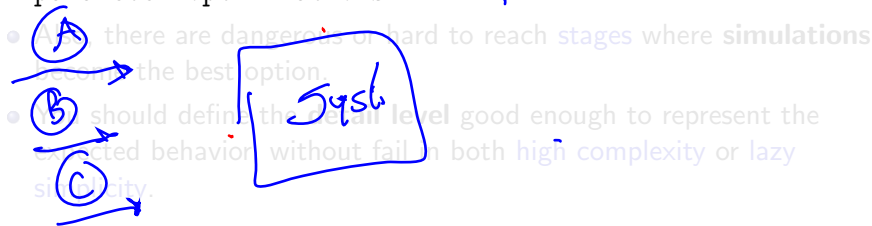
San Juan ~ ~ ~ ~ ~

~ ~ ~ ~ ~ \rightarrow 0.29



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- You should define the **detail level** good enough to represent the expected behavior, without fail in both high complexity or lazy simplicity.



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Events and Stochastic Processes

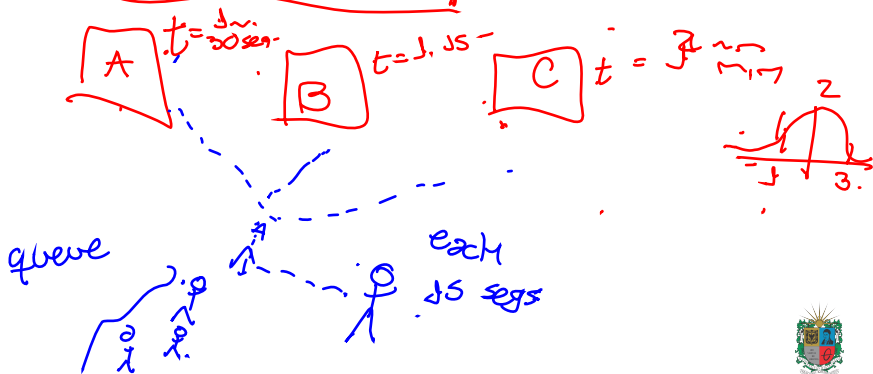
- It is typical to play with **events probability**, creating **stochastic behaviors**. That is how *reality works*.
- One way to **simulate** a lot of **systems** is to use **event-based models**. Embrace the chaos and Murphy's Law.

any possible action
↓
behavior



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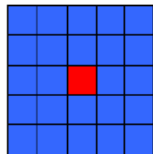
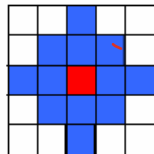
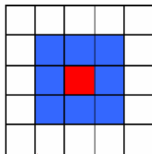
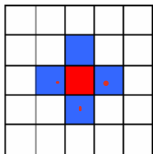
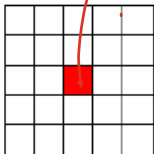
Outline



Cellular Automatas

- **Cellular Automata** are a **discrete model** defined by a **grid** of cells, each one with a **state**.
- The **state** of a cell is updated based on the **state of its neighbors**.

Agent (Objects) \rightarrow Population



traditional

Cellular Automata Typical Neighborhoods



Game of Life

- **Game of Life** is a **cellular automaton** devised by the British mathematician **John Horton Conway** in 1970.
- It is a **zero-player game**, meaning that its **evolution** is determined by its **initial state**, requiring no further input.
- Rules:
 - Any **live** cell with **fewer than two live neighbors** **dies**, as if by underpopulation.
 - Any **live** cell with **two or three live neighbors** **lives** on to the next generation.
 - Any **live** cell with **more than three live neighbors** **dies**, as if by overpopulation.
 - Any **dead** cell with **exactly three live neighbors** becomes a **live** cell, as if by reproduction.

↳ cellular automata

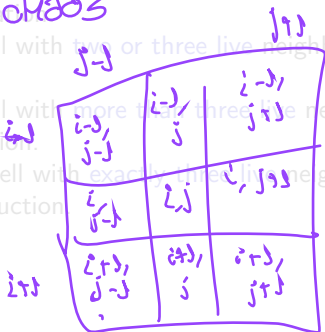
dynamics → nomads



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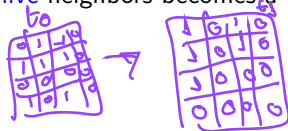


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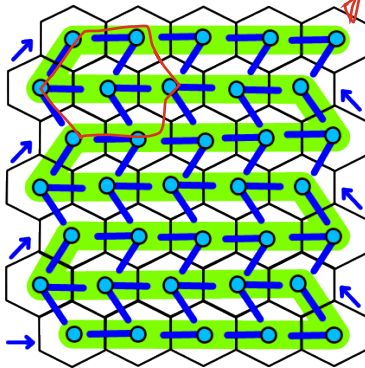
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HoneyComb Cellular Automata

- **HoneyComb Cellular Automata** is a different topology where a cell has **six neighbors**.
- This representation has different **dispersion properties**, sometimes, more interesting.



code ?
 sparse matrix
 ↓
 graphs




SIR Model

--- Dead
 Susceptible - Infected - Recovered

- **SIR Model** is a **compartmental model** used to represent the transmission of a contagious disease.
- The **model** divides the population into three compartments: **S** for the number of **susceptible**, **I** for the number of **infected**, and **R** for the number of **recovered**.
- The model is defined by the following **differential equations** where β is the **transmission rate** and γ is the **recovery rate**:

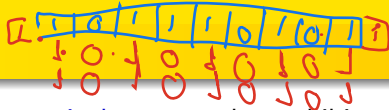
$$\begin{cases} \frac{dS}{dt} = -\beta \cdot S \cdot I \\ \frac{dI}{dt} = \beta \cdot S \cdot I - \gamma \cdot I \\ \frac{dR}{dt} = \gamma \cdot I \end{cases}$$

High probability

I	S	I			
I		S			
S	I	I			



Chaotic Systems



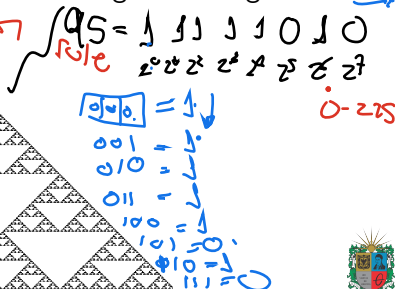
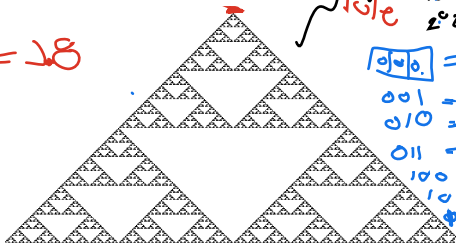
- **Chaotic Systems** are a class of dynamical systems that exhibit sensitive dependence on initial conditions.
- This means that the future behavior of the system is **highly dependent** on the initial conditions.
- The **Lorenz System** is a well-known example of a chaotic system.
- Using **cellular automata** to simulate chaotic systems is a common practice. A lot of fractals can be created using something called chaotic rules.



fractal dimension

$$L \rightarrow \frac{3}{4} = 1.8$$

Sierpinski



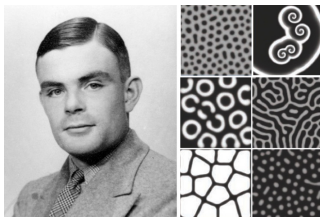
Turing Morphogenesis

- **Turing Morphogenesis** is a theory of **biological development** that explains how **patterns** form in **living organisms**.
- The theory is based on the idea that **chemical signals** can interact to create **patterns** in a **cellular automaton**.
- The **reaction-diffusion** model is a common way to simulate **Turing morphogenesis**.
- The model is defined by a set of **reaction** and **diffusion** equations that describe how the **chemical signals** interact.

Fibonacci
1 1 2 3 5 8 13 21

L-system

$L \rightarrow L + L$



Outline



Thanks!

Questions?



Repo: <https://github.com/EngAndres/ud-public/tree/main/courses/systems-analysis>

