OUGREMOS MOSTUAR:

$$X = \frac{\sum_{k=1}^{n} (X_i - M)^2}{6^2} \sim QU_i - QU_i + QU_i + QU_i$$

$$\frac{5^{2}}{5^{2}} = \frac{1}{5^{2}} \left(\frac{1}{1 - X_{n}} \right)^{2} \sim Q_{0} \left(\frac{1 - Q_{0} + Q_{0} + Q_{0}}{1 - Q_{0} + Q_{0}} \right) \left(\frac{1 - Q_{0}}{1 - Q_{0}} \right)$$

NOTE QUE 5000 THE WARE ANCES.

NOTE QUE, como JA VINOS ANTES,

$$\frac{1}{\sum_{i=1}^{n}(X_{i}-M)^{2}} = \frac{1}{\sum_{i=1}^{n}(X_{i}-X_{n})^{2}} + m(X_{n}-M)^{2}$$

$$\frac{\chi = \chi + n(\chi_m - u)^2}{6^2 \cdot 6^2}$$

$$\Rightarrow Q(n-a) \times N(0,n)$$

$$\Rightarrow 085 \cdot 16 \cdot 6$$

$$\Rightarrow \chi_n - u \times N(0,n)$$

$$\Rightarrow \sum_{n=1}^{\infty} x_n - u \times N(0,n)$$

$$\Rightarrow \chi_n - u \times N(0,n)$$