CSE 5441 (Fall 2019, Dr. Jones) Serial AMR (Lab 1)

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Overview

For this lab, I prepared a serial C program to perform a serial Adaptive Mesh Refinement (AMR)¹. The input to the problem is a tiling of a rectuangular grid composed of disjoint boxes along with their initial temperatures². The program then iteratively updates the values in each box based on the current values of neighboring boxes. In addition to the inputs described above, two additional inputs are given: α (affectate), which determines the magnitude of the effect of neighboring boxes, and ε (epsilon), which determines when convergence is reached an the program terminates.

Algorithm

Given α , ε , a description of grid-aligned boxes, and initial Domain Specific Values (DSV), the rough pseudocode for my implementation is as follows:

```
procedure AMR(\alpha, \varepsilon, N, Boxes, InitialDSV)
        DSV \leftarrow InitialDSV
        DSV' \leftarrow InitialDSV
3:
        while (\max DSV - \min DSV) / \max DSV > \varepsilon  do
 4:
             for i < N do
 5:
                 DSV'[i] \leftarrow (1 - \alpha) \cdot DSV[i] + \alpha \cdot \sum_{j \in nhbr} DSV[j] \cdot \text{OVERLAP}(i, j, Boxes)
 6:
 7:
             DSV \leftarrow DSV'
 8:
9:
        end while
10: end procedure
```

Note the use of the ε (epsilon) parameter on line 4 to check for convergence and the use of the α (affect-rate) parameter on line 6 to weight the effect of neighboring boxes³. Updated DSV are committed on line 8. The particular implementation details can be found in the common.c and amr.c files, which contain the code for pre-processing the input and running the stencil code.

Summary

- Runtimes increased when either parameter was decrease, as expected.
- Selected parameters $\alpha = 0.1$, $\varepsilon = 0.2$, which yielded a runtime of roughly 4 minutes to run with the testgrid_400_12206 file. Full timing results with these parameters are presented in the results section.

¹In this case, the *mesh* is static, so the program may be more accurately described as a serial *stencil code/computation*.

²While the values are specifically assumed to be temperatures, the setup is general enough to encompass any type of values. Throughout the report, I simply refer to them as "Domain Specific Values" (DSV).

³Some boxes touch the edge of the grid, in which case they are assigned themselves as an additional neighbor. This is equivalent to assuming that the area outside the grid has the same DSV as the nearest box.

Tests

Environment

The program was developed and tested on a single node of the Pitzer cluster at the Ohio Supercomputer Center.

For development, I loaded the intel/18.0.3 module, which allowed the program to be compiled with version 18.0.3 of the icc C-compiler.

For testing, I loaded the python/3.6-conda5.2 module, which loads a python environment with the NumPy, SciPy, and Matplotlib packages, amoung others.

Timing

The program was timed using several methods⁴:

- The time function declared in the time.h header
- The clock function declared in the time.h header
- The clock_gettime function declared in the time.h header
- The UNIX utility time

Test Files

Dr. Jones provided several files for testing purposes:

- testgrid_50_78: 50x50 grid with 78 boxes
- testgrid_50_201: 50x50 grid with 201 boxes
- testgrid_200_1166: 200x200 grid with 1166 boxes
- testgrid_400_1636: 400x400 grid with 1636 boxes
- \bullet testgrid_400_12206: $400\mathrm{x}400$ grid with 12206 boxes

 $^{^4\}mathrm{Each}$ method reports in different units/structues, all of which were converted seconds.

Results

The first requirement of this project was to determine values for α (affect-rate) and ε (epsilon) such that the program converged in between 3 to 6 minutes when run on the testgrid_400_12206 test file. I ran a sweep over both parameters, capturing the runtimes reported by clock_gettime (see Figure 1). As expected, the runtime increases when either of the parameters decrease.

I selected parameters $\alpha=0.1$, $\varepsilon=0.2$ and ran the program on each of the test files. The results are tabulated in Table 1. In particular, the program took roughly 4 minutes, 21 seconds to run on the testgrid_400_12206 file.

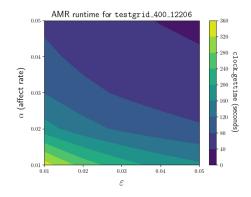


Figure 1: The runtime of the amr program on the testgrid_400_12206 test file for various values of α , ε .

Test file	<pre>#include <time.h></time.h></pre>			UNIX
	time	clock	gettime	time
50,78	0.00	0.01	0.02	0.07
50,201	0.00	0.07	0.08	0.12
200,1166	3.00	2.95	2.96	3.01
400,1636	7.00	7.12	7.13	7.18
400,12206	261.00	260.47	261.09	261.18

Table 1: Runtimes for each of the test files using parameters $\alpha = 0.1$, $\varepsilon = 0.2$. Test file names are abbrviated from testgrid_n_m to n,m.

Project Usage

This section details basic commands needed to build and run the project and is only applicable for the code submission corresponding to this report. For full details, see the README included in the code submission.

Building

To build the amr executable, navigate to the top level of the submitted directory and build as follows:

```
# Ensure that you have icc compiler

$ make
...
$ ./amr
Usage: amr [affect-rate] [epsilon]

affect-rate: float value controlling the effect of neighboring boxes
epislon : float value determining the cutoff for convergence
```

To compile this report from source:

```
# Ensure that you have pdflatex compiler
# and that the results/ directory has
# the necessary plots for the report
$ make report
```

Running

The syntax to run the program is:

```
$ ./amr [affect-rate] [epsilon] <[test-file]</pre>
```