

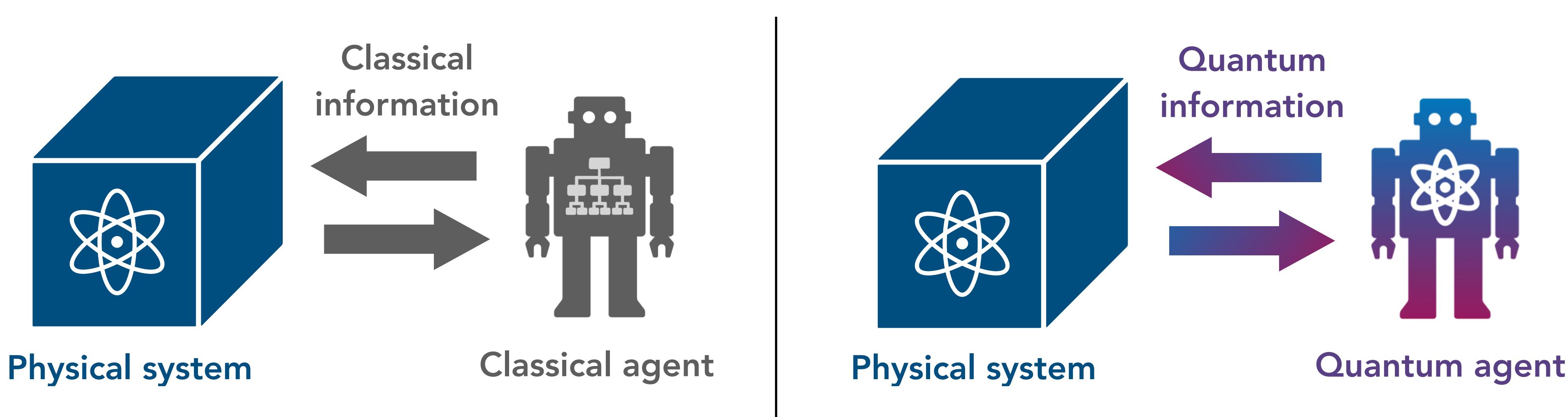
Ph 220: Lecture 20

Next Steps for

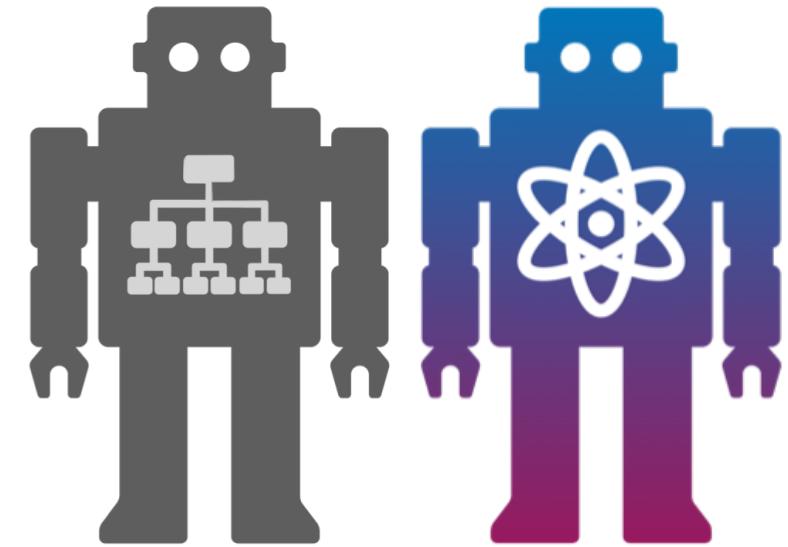
Quantum x AI

Classical vs Quantum AI

- What are the **advantages** of quantum AI agents over classical AI?
- Could quantum technology fundamentally alter our ability to **learn** about the world?



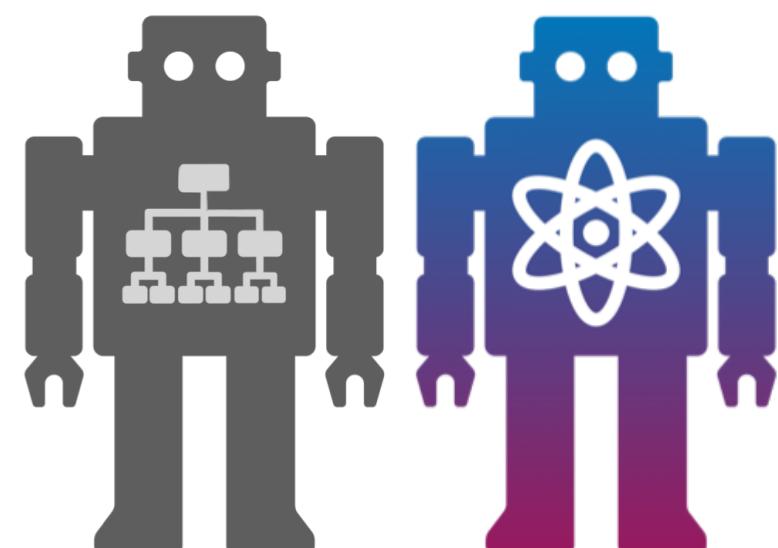
Exponential quantum advantage



Exponential quantum advantage

Predicting many incompatible observables

To predict all Pauli observables $\{I, X, Y, Z\}^{\otimes n}$,
classical agent needs $\Omega(2^n)$ experiments,
quantum agent only needs $\mathcal{O}(n)$ experiments.



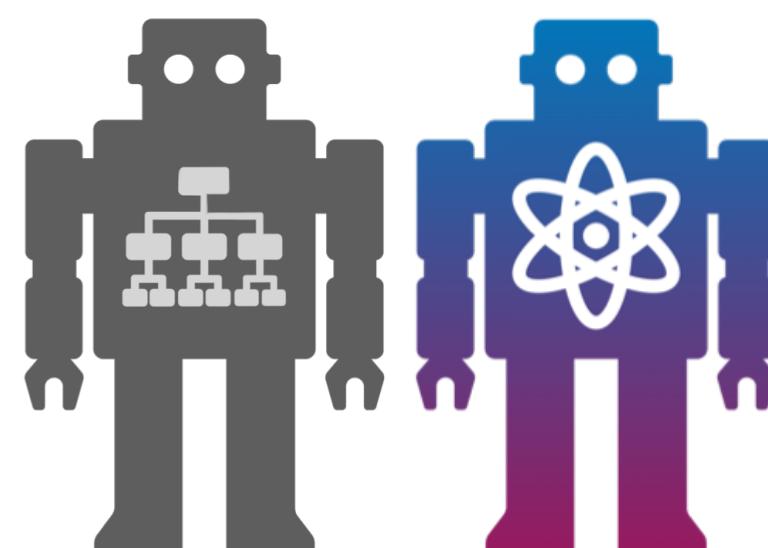
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Performing quantum PCA

To estimate property of principal component,
classical agent needs **exponential time**,
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Exponential quantum advantage

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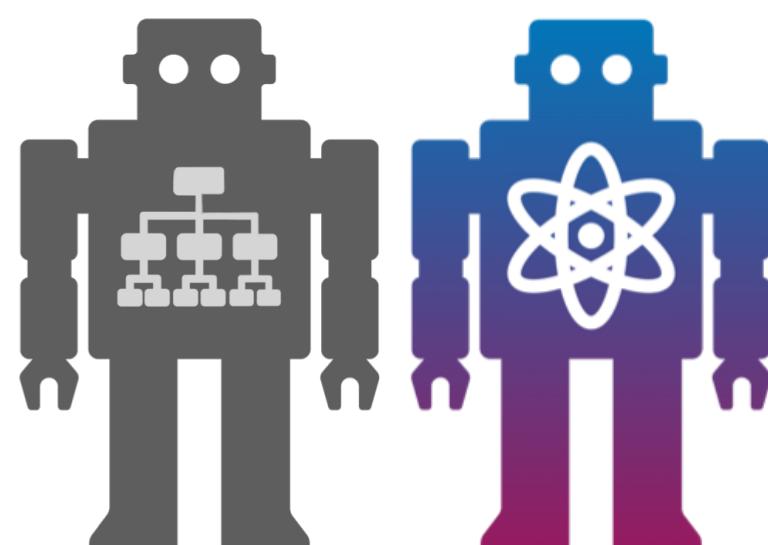
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Uncovering symmetry in dynamics

Classifying dynamics with or without time-reversal
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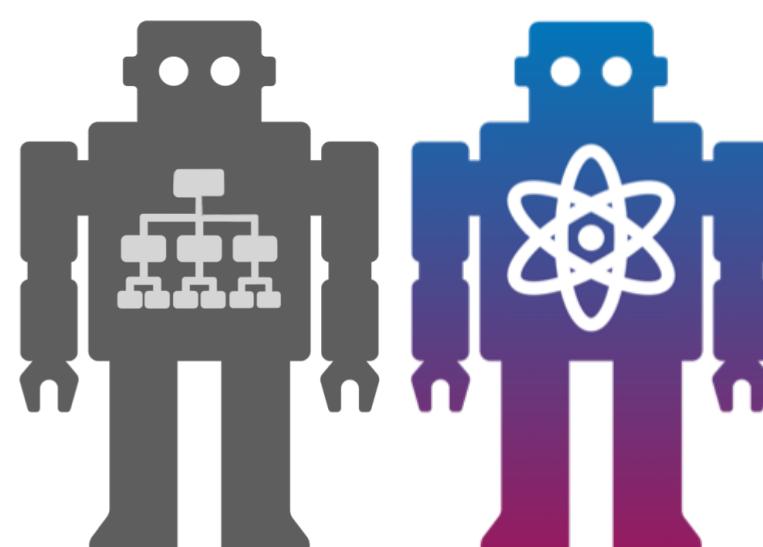
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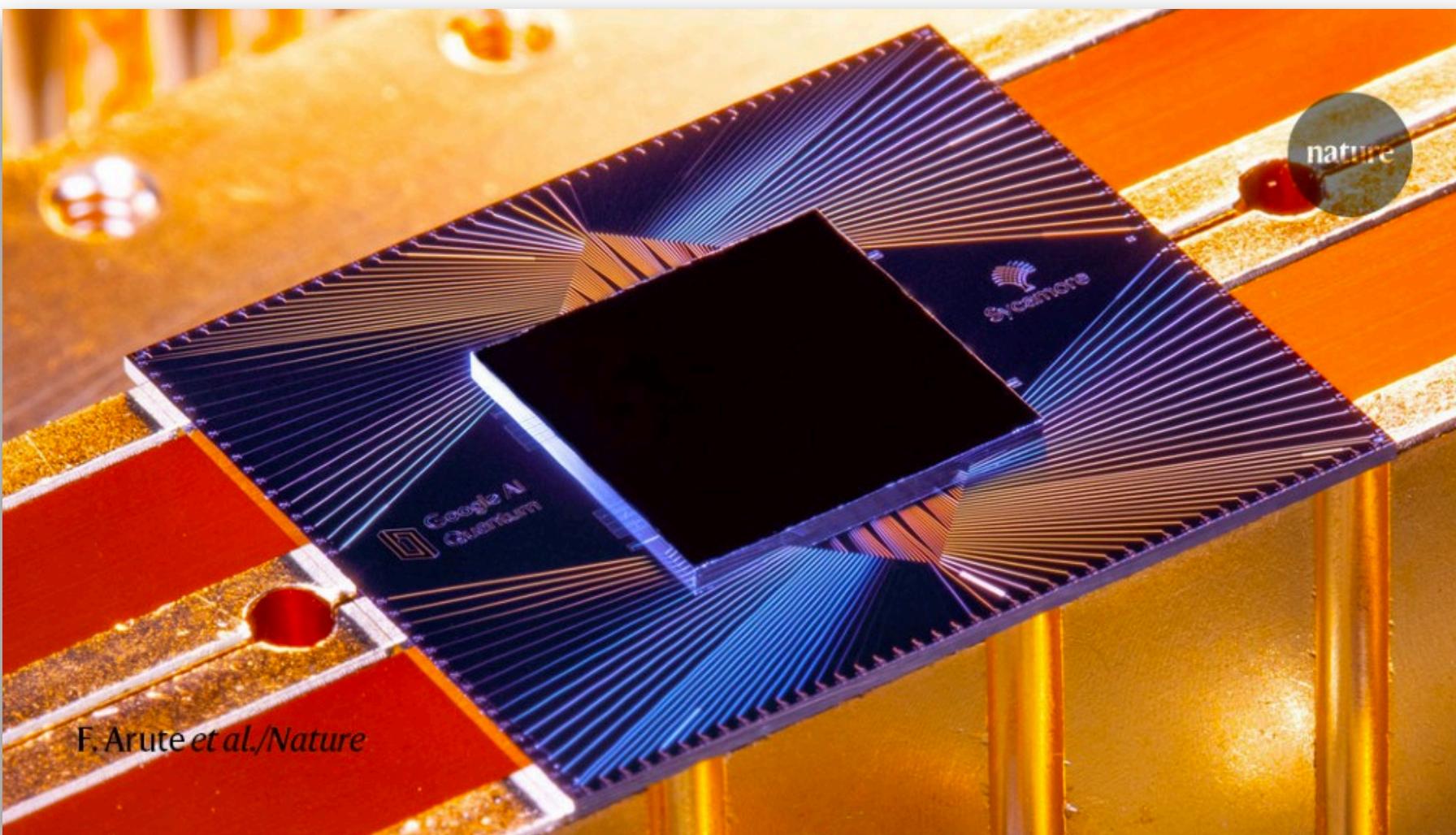
Learning physical dynamics

To learn a polynomial-time quantum process,
a classical agent requires **exponential experiments**,
a quantum agent only needs **polynomial experiments**.

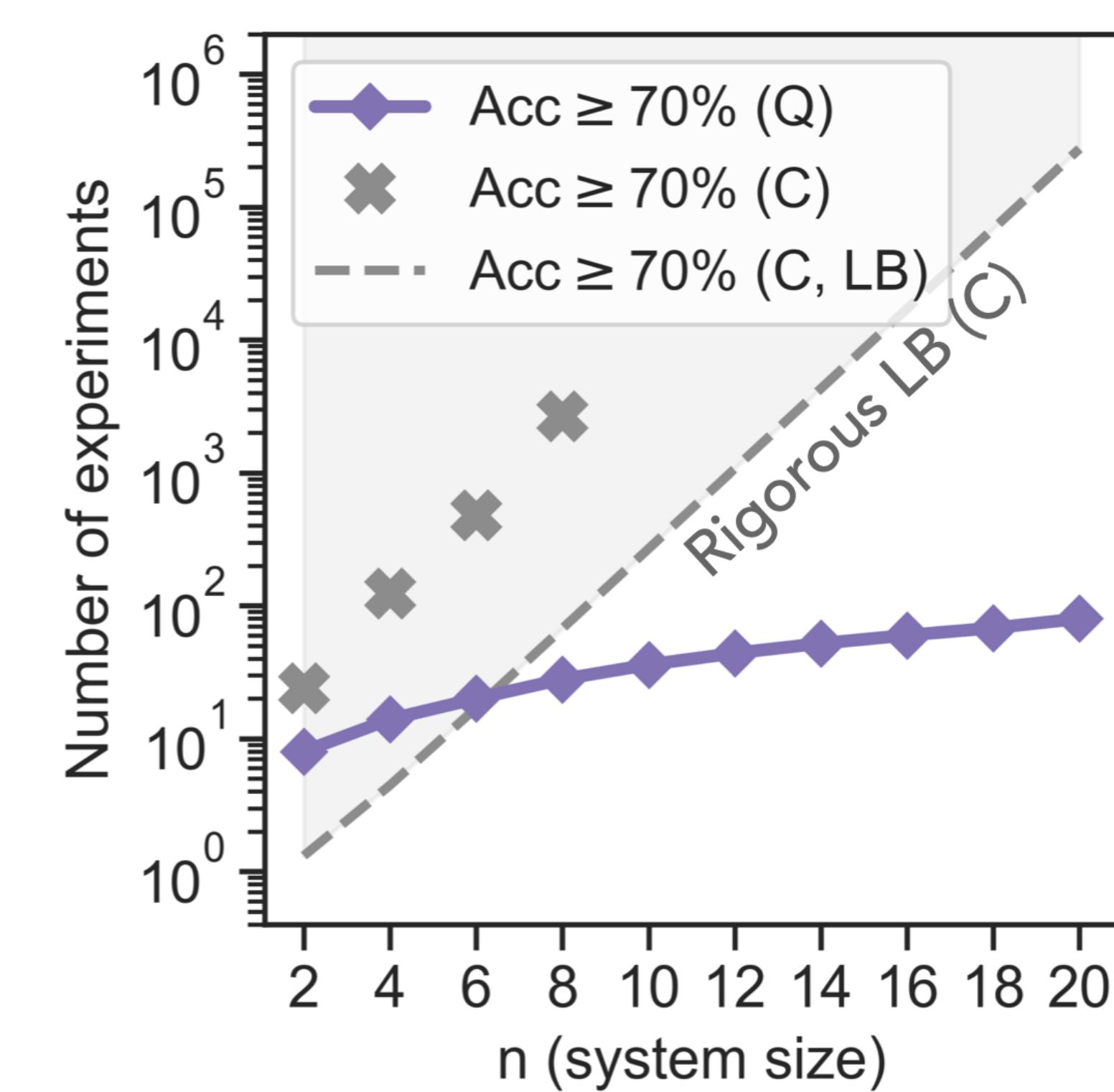


Demonstration on Sycamore: Quantum advantage in learning states

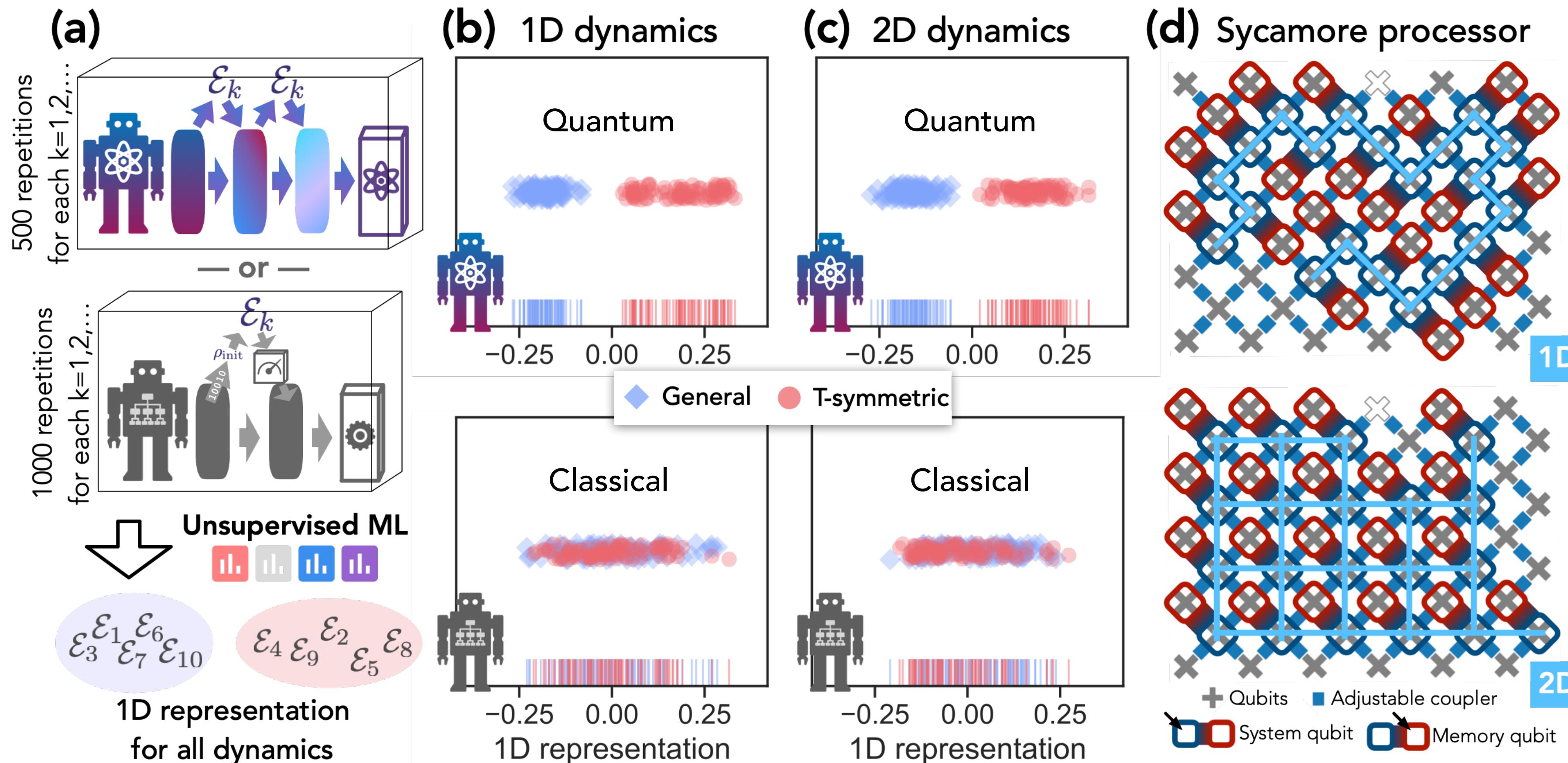
Utilizing a total of 40 qubits



Sycamore Processor



Demonstration on Sycamore: Quantum advantage in learning dynamics



What we learned so far

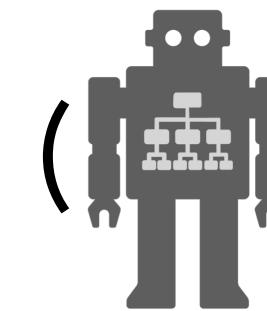
What we learned so far

- ❖ How to efficiently learn in the quantum universe?

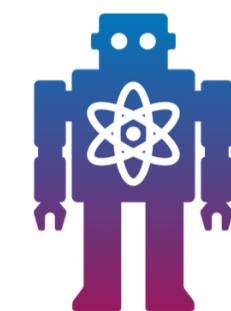
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❖ How to efficiently learn in the quantum universe?

We have seen how to learn fields, **states**, **unitaries**, **Hamiltonians**, **devices**



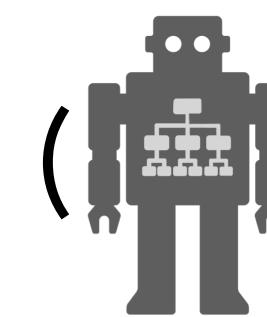
(via randomized measurement, via gentle entangled measurement)



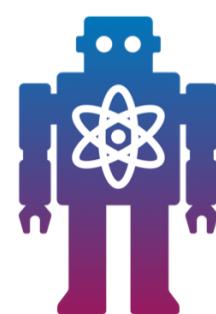
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❖ How to efficiently learn in the quantum universe?

We have seen how to learn fields, **states**, **unitaries**, **Hamiltonians**, **devices**



(via randomized measurement, via gentle entangled measurement)



Mathematical tools: concentration inequality, Weingarten calculus,
gentle measurements, matrix analysis.

What we learned so far

- ❖ What physical phenomena can quantum machines learn?

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Evolution time, causal structure, entanglement, topological order, noise
in state/measurement are **quantumly hard** to feel/see/measure/learn.

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- ❖ What physical phenomena can quantum machines learn?

Evolution time, causal structure, entanglement, topological order, noise

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Mathematical tools: cryptography, purification, pseudorandom states and unitaries, representation theory.

What we learned so far

- ❖ When can quantum machines learn/predict better than classical?

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QNNs can learn to generate classically hard distributions.

Quantum AI can learn exponentially faster than classical AI in quantum tasks.

What we learned so far

❖ When can quantum machines learn/predict better than classical?

QNNs can learn to generate classically hard distributions.

Quantum AI can learn exponentially faster than classical AI in quantum tasks.

Mathematical tools: teleportation/MBQC, quantum complexity theory, learning tree, uncertainty principle.

Where do we go from here?

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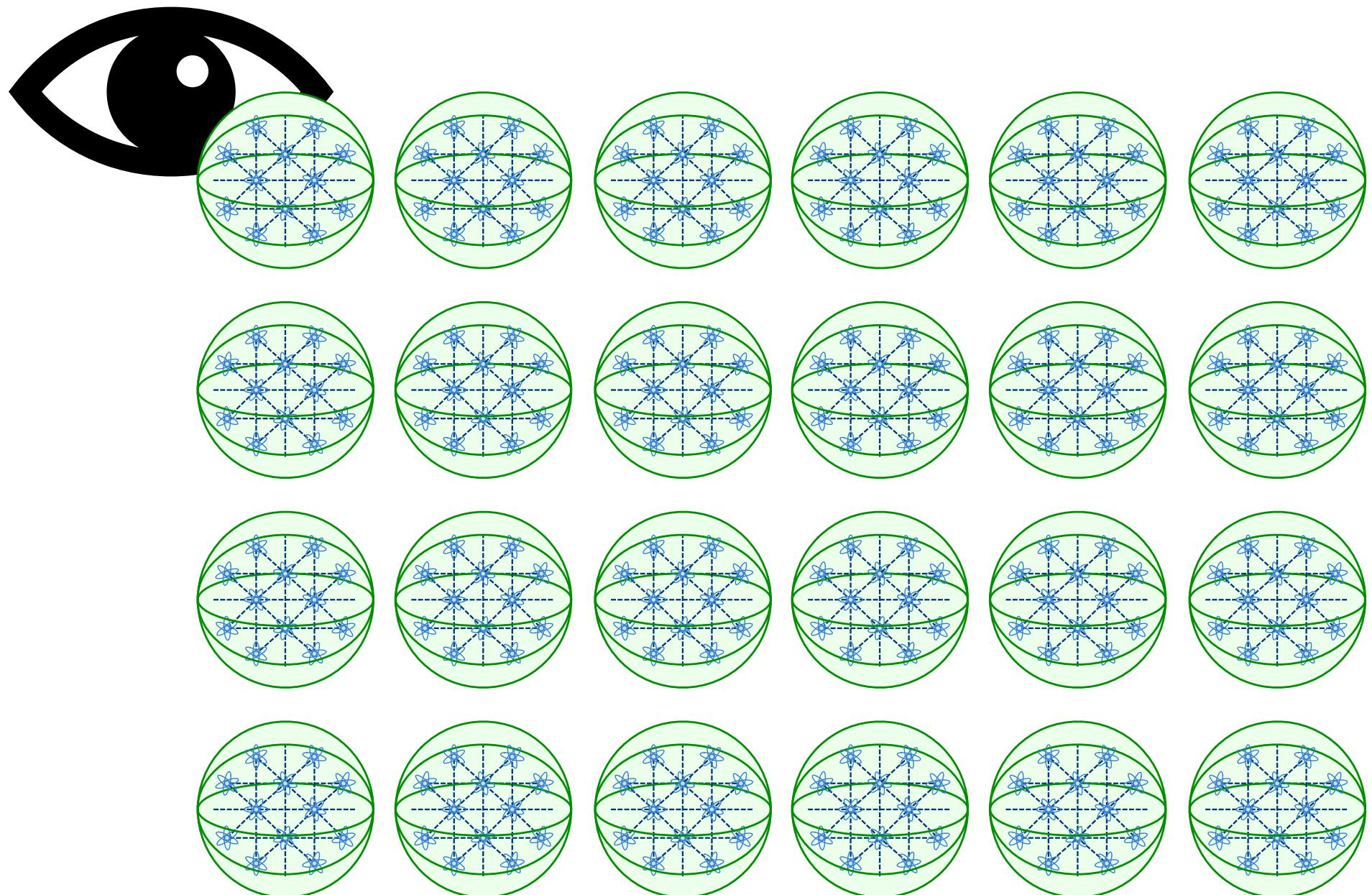
❖ AI for Quantum Technology:

How to **accelerate/automate** quantum technology with AI?

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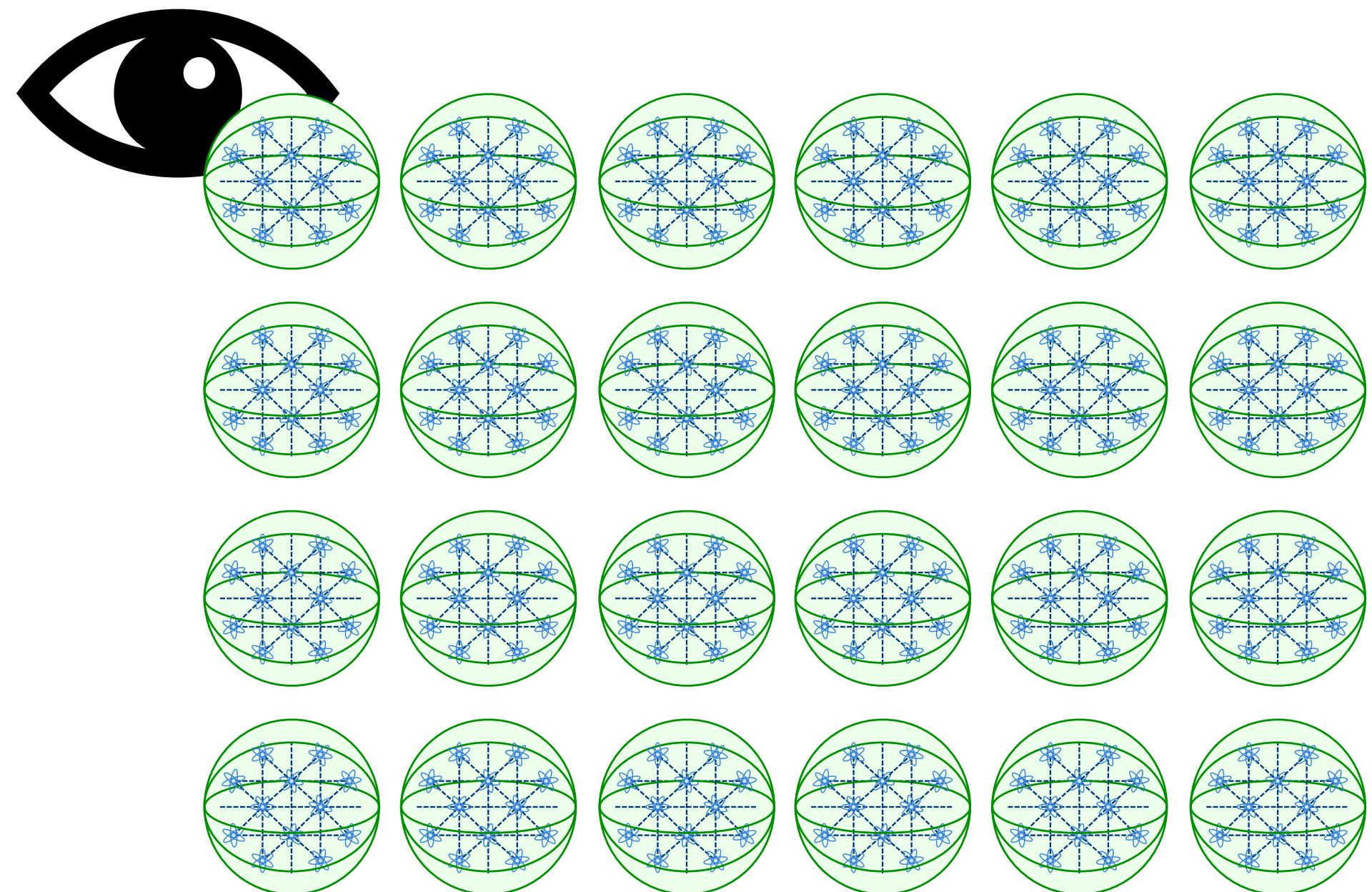
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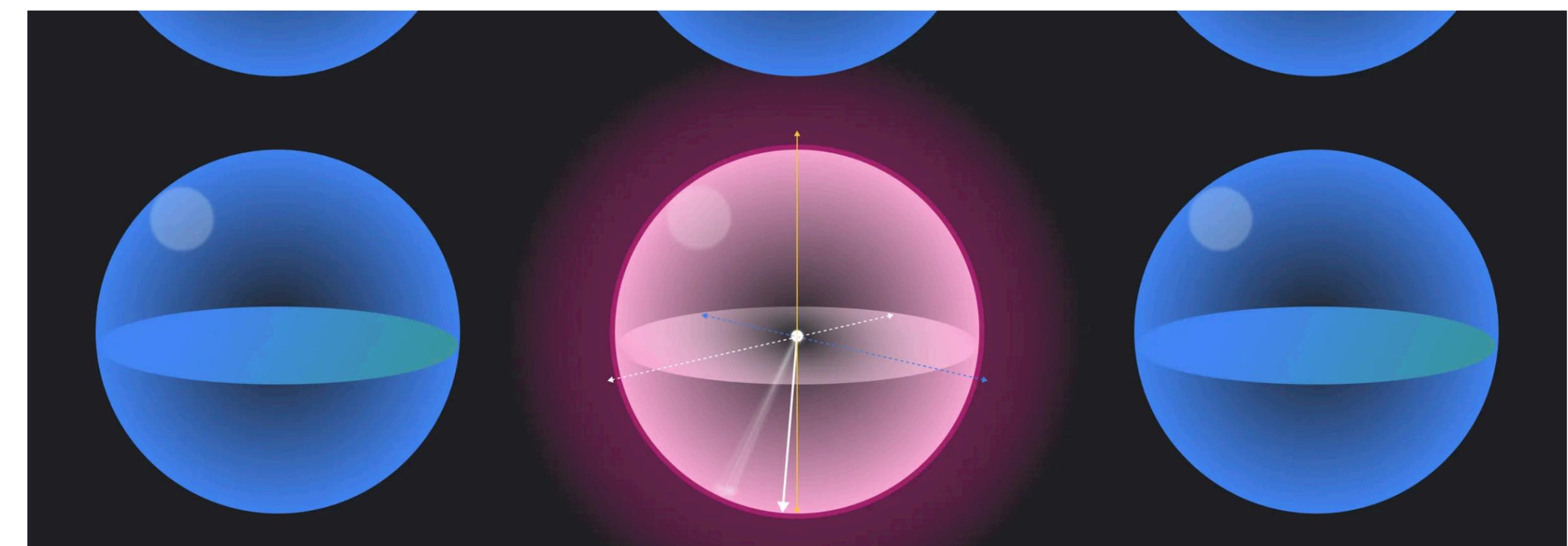
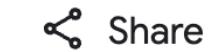
How to **accelerate/automate** quantum technology with AI?



AlphaQubit tackles one of quantum computing's biggest challenges



Google DeepMind and Quantum AI teams



Where do we go from here?

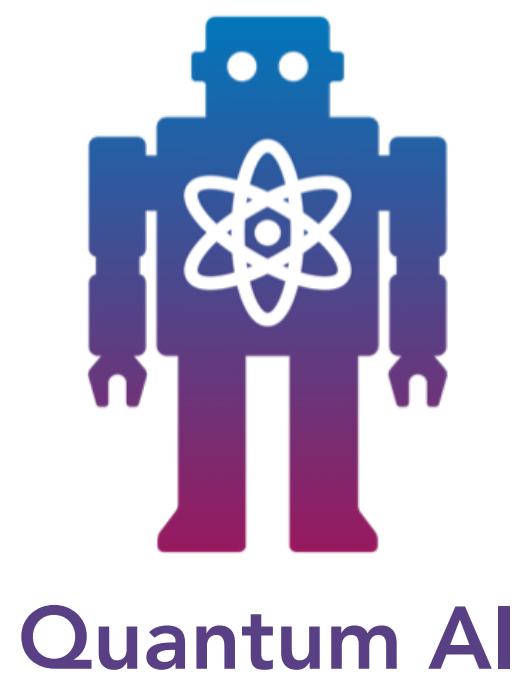
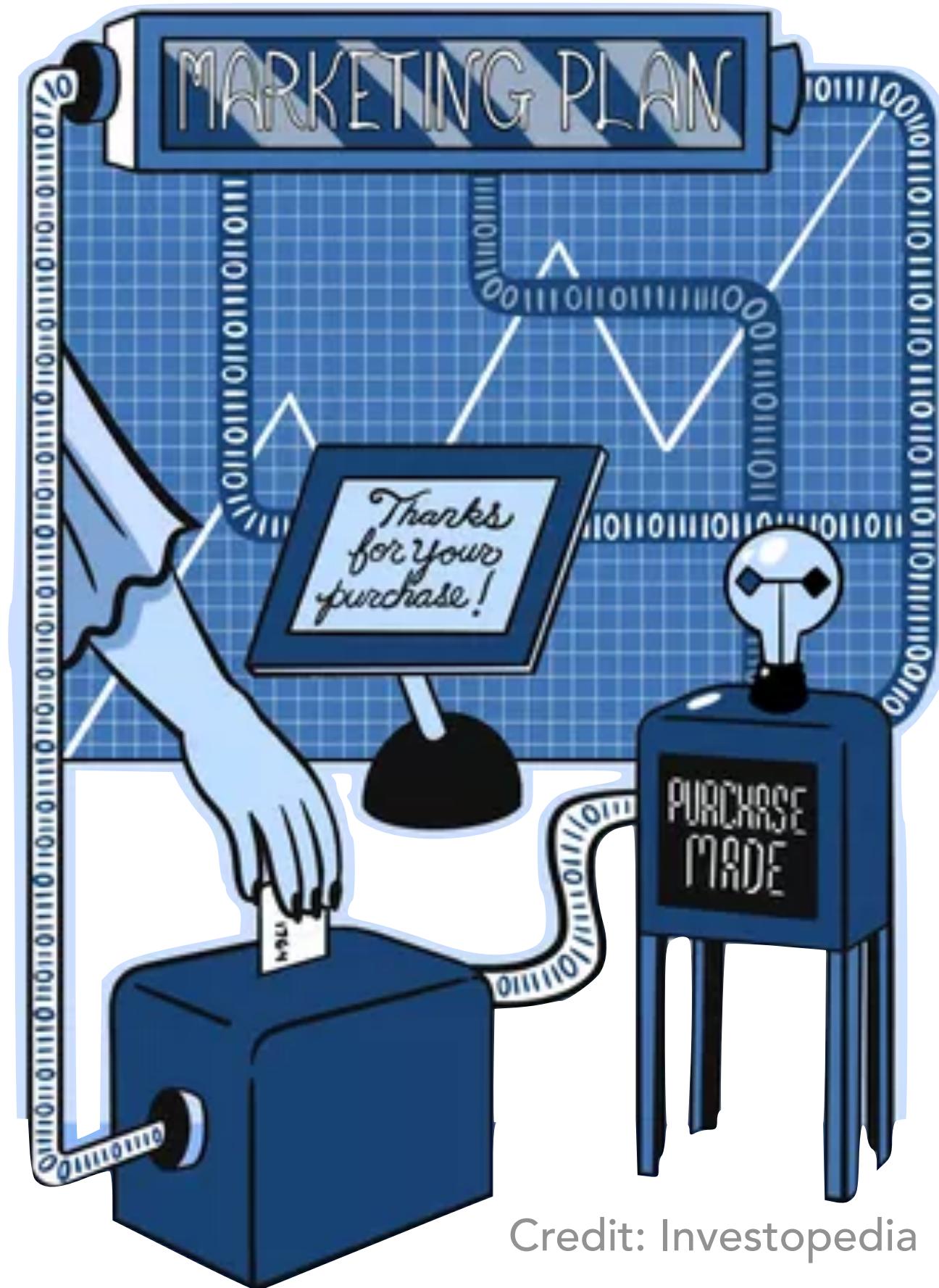
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- ❖ **Quantum Advantage for Classical AI:**

Can quantum machines achieve **significant advantage** in learning problems arising from **classical ML/AI**?

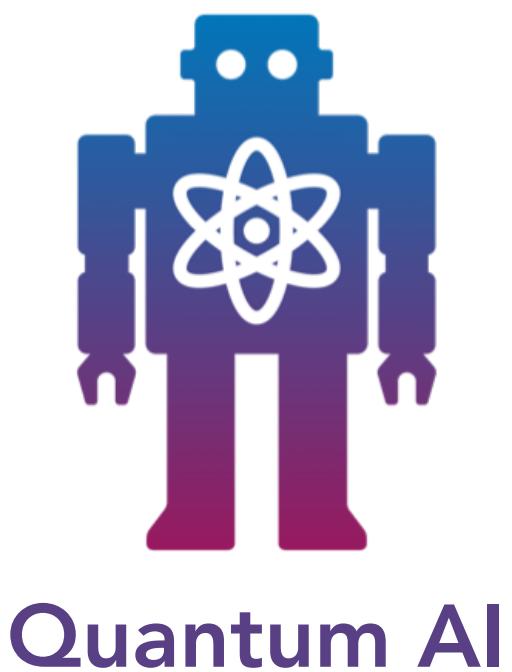
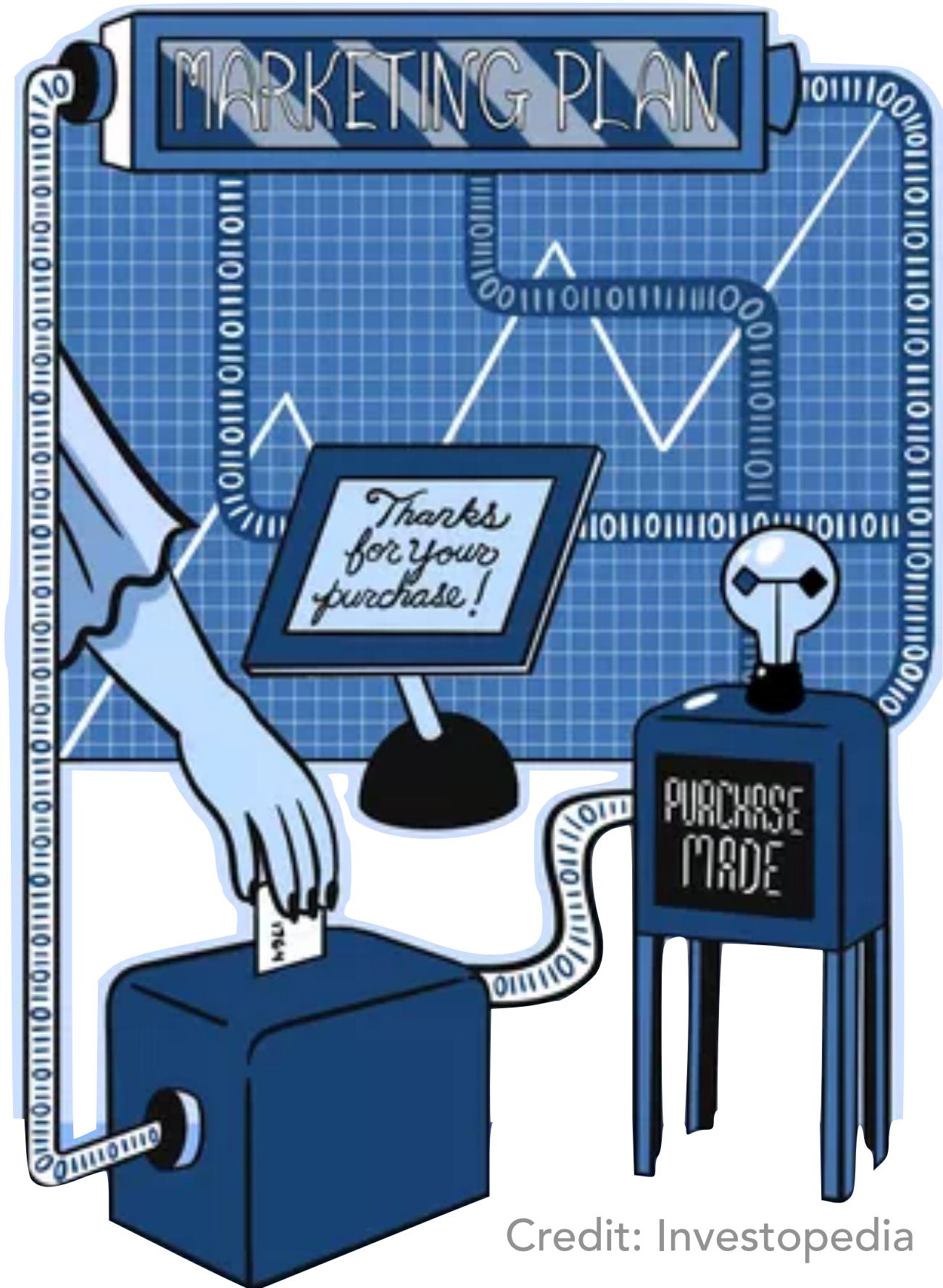
Quantum Advantage for Analyzing Classical Data



Question:

Can quantum AI offer useful advantage in analyzing large amount of **classical data**?

Quantum Advantage for Analyzing Classical Data

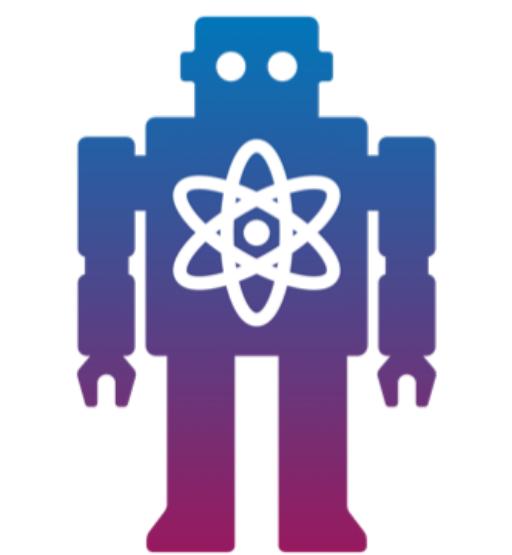
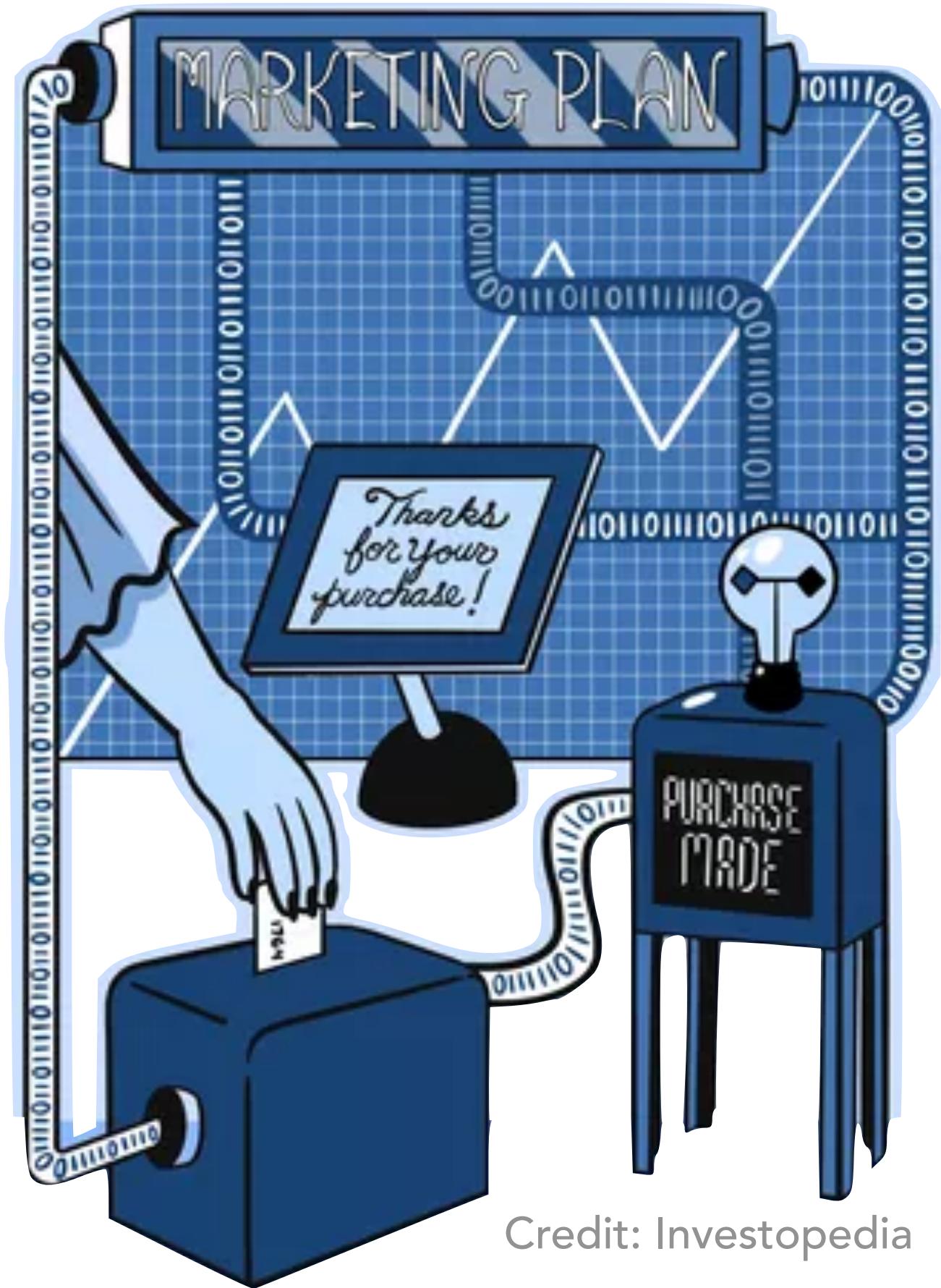


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Existing QML algorithms does not seem useful.

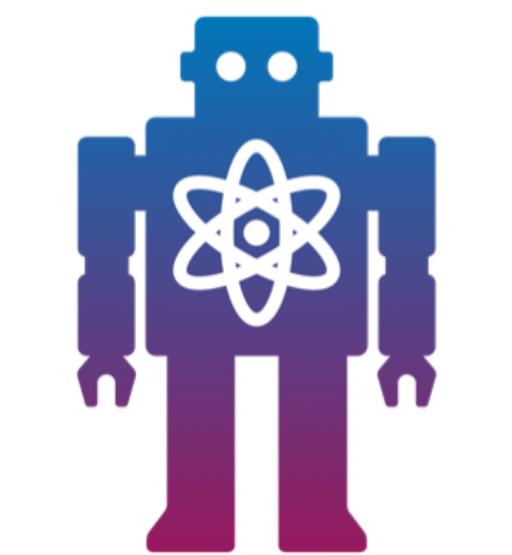
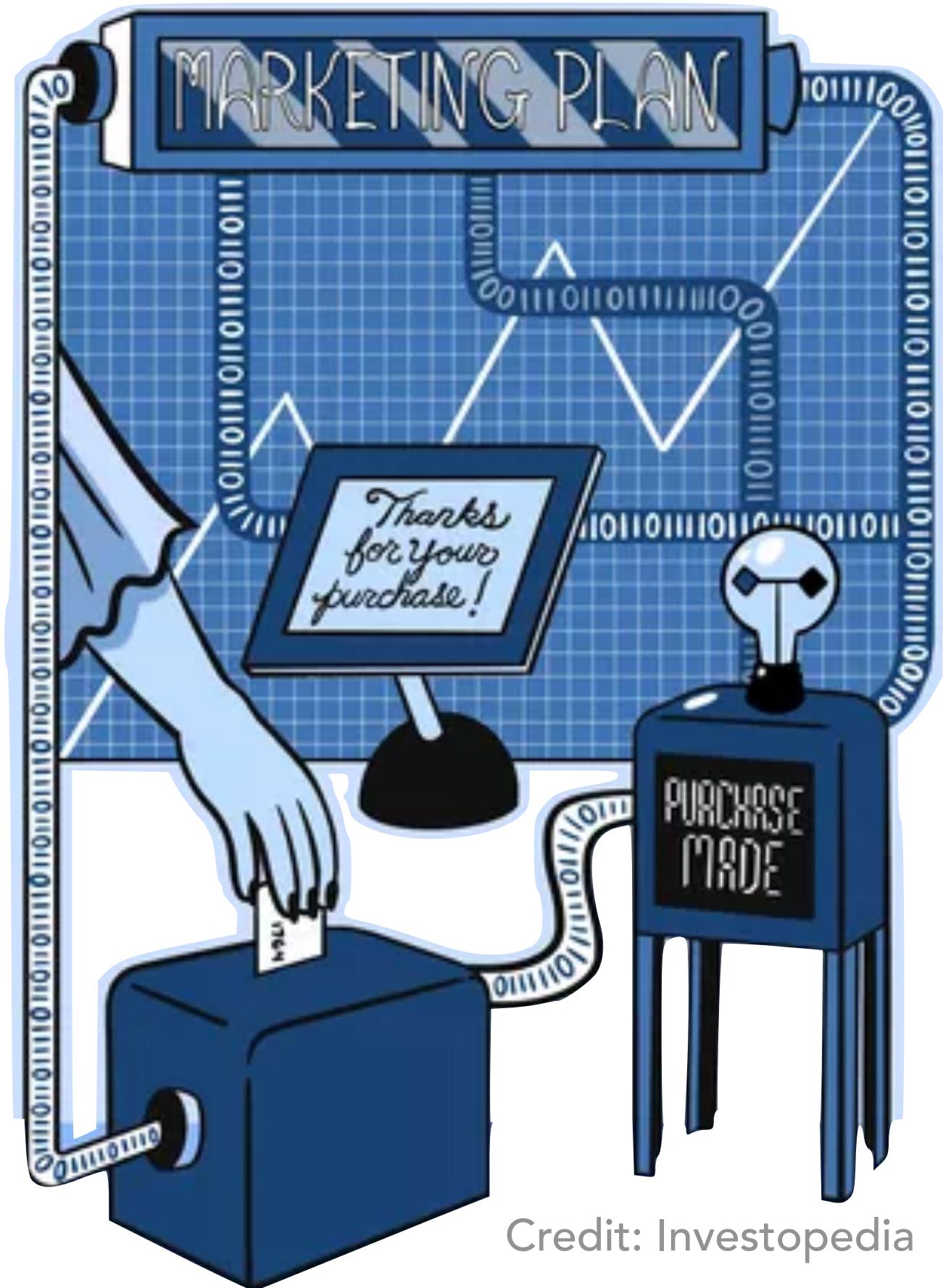
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Data loading problem
(data loading \gg computation)



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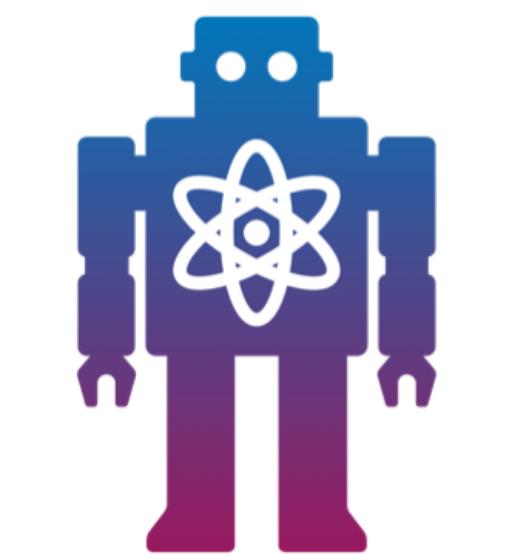
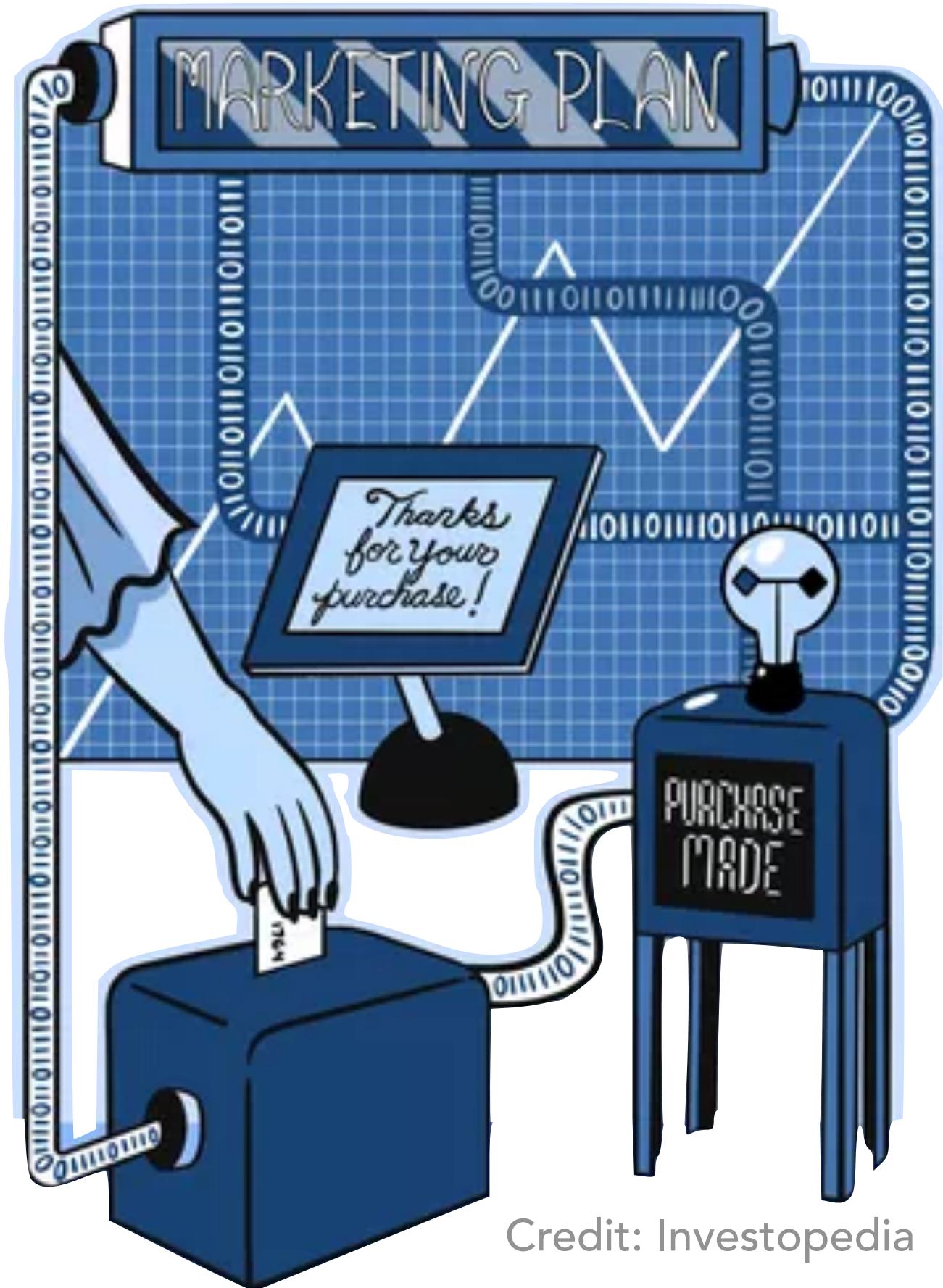


Data loading problem
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Exponentially large QRAM



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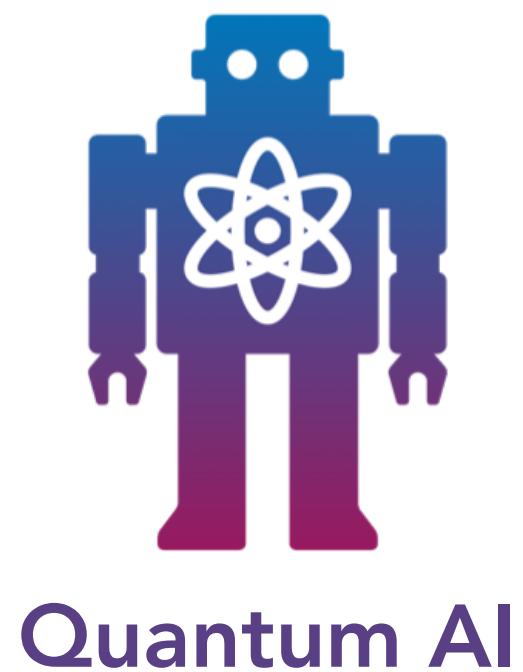
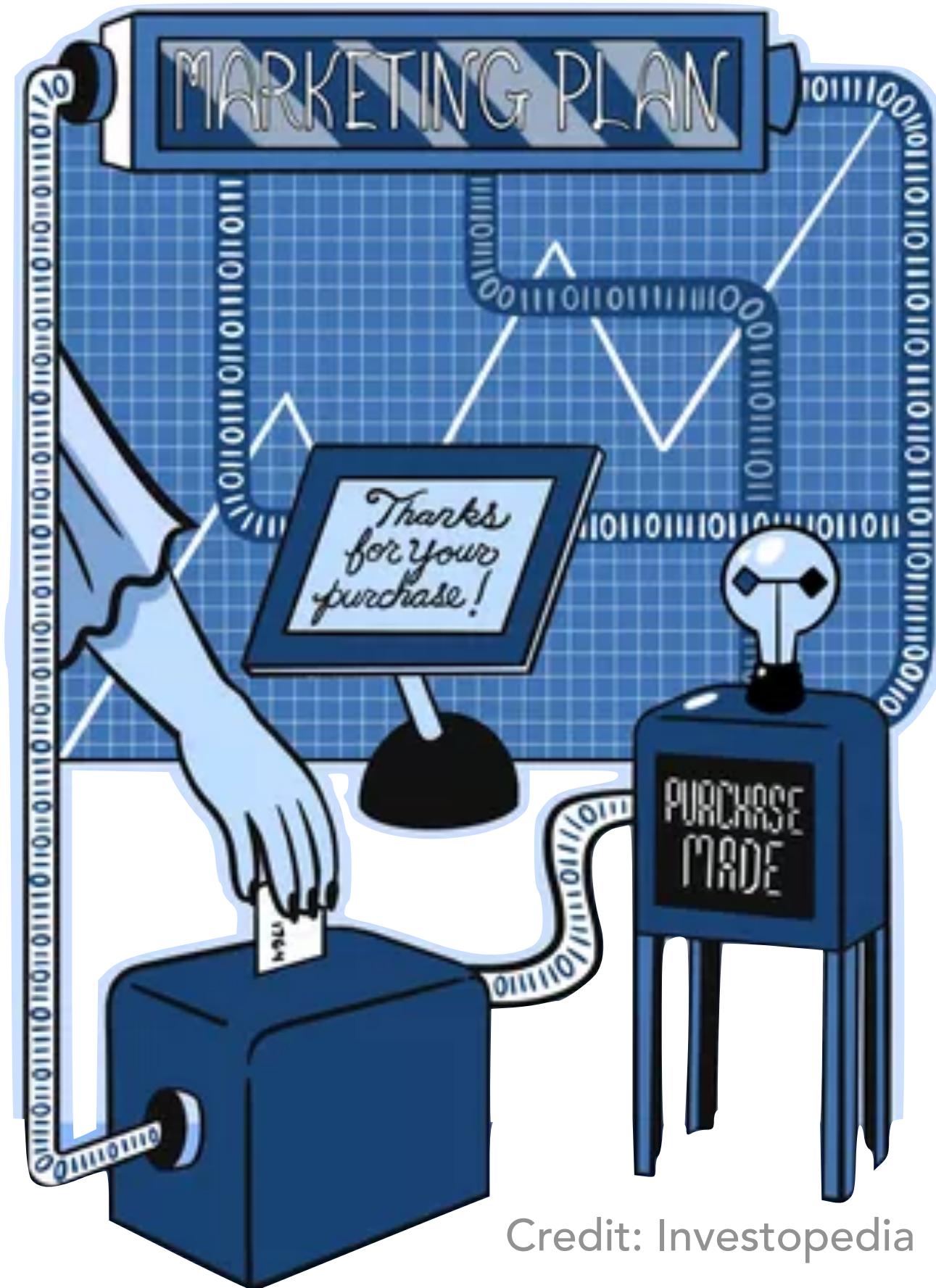
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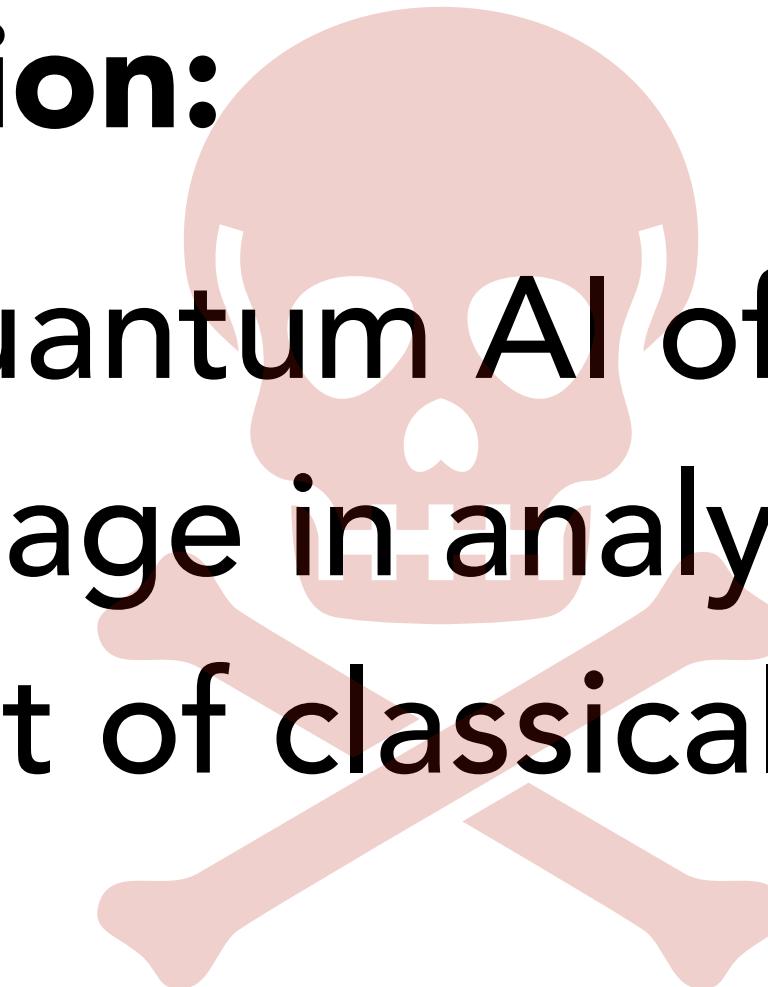
Only polynomial speedup
(dequantization)

Quantum Advantage for Analyzing Classical Data

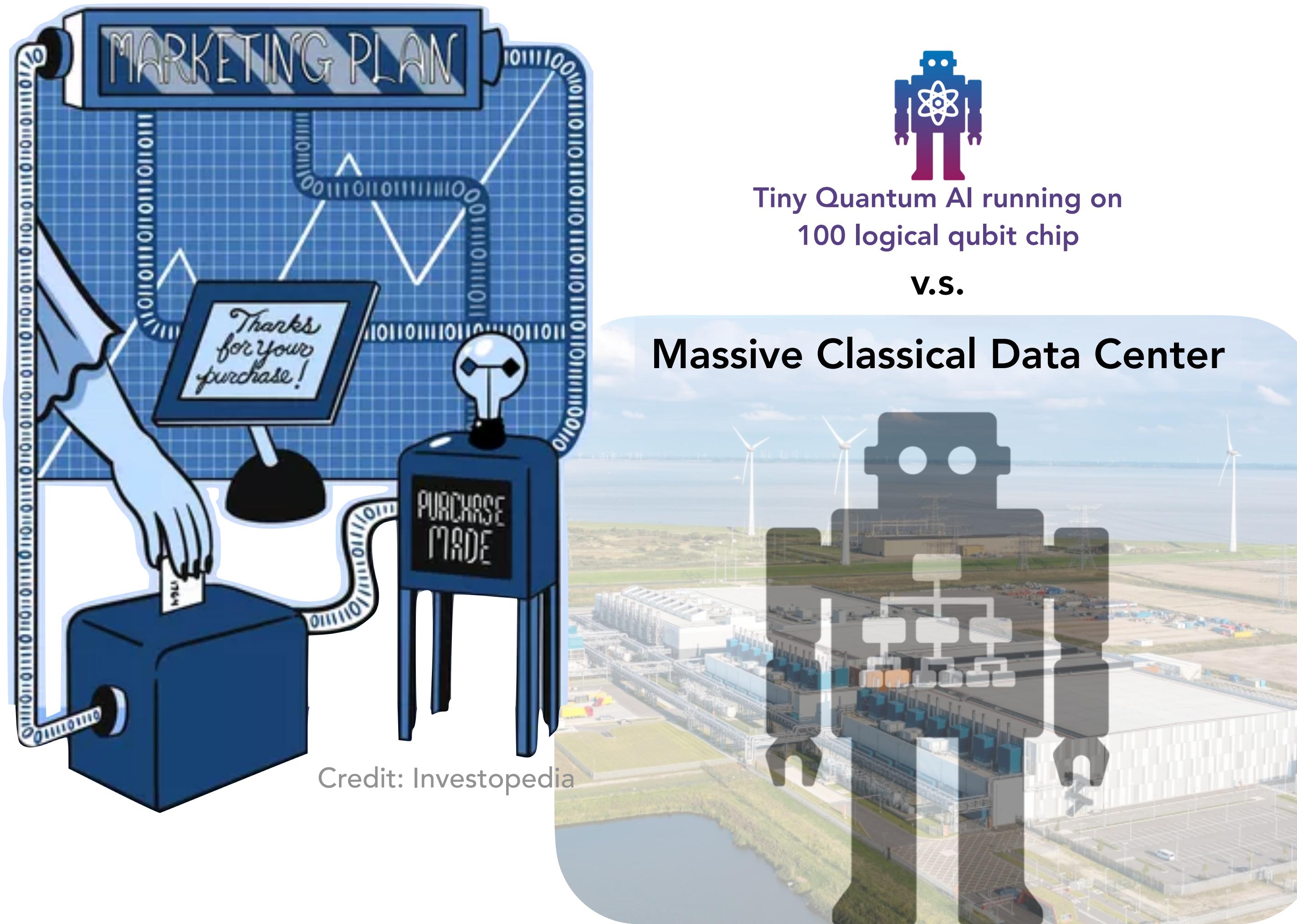


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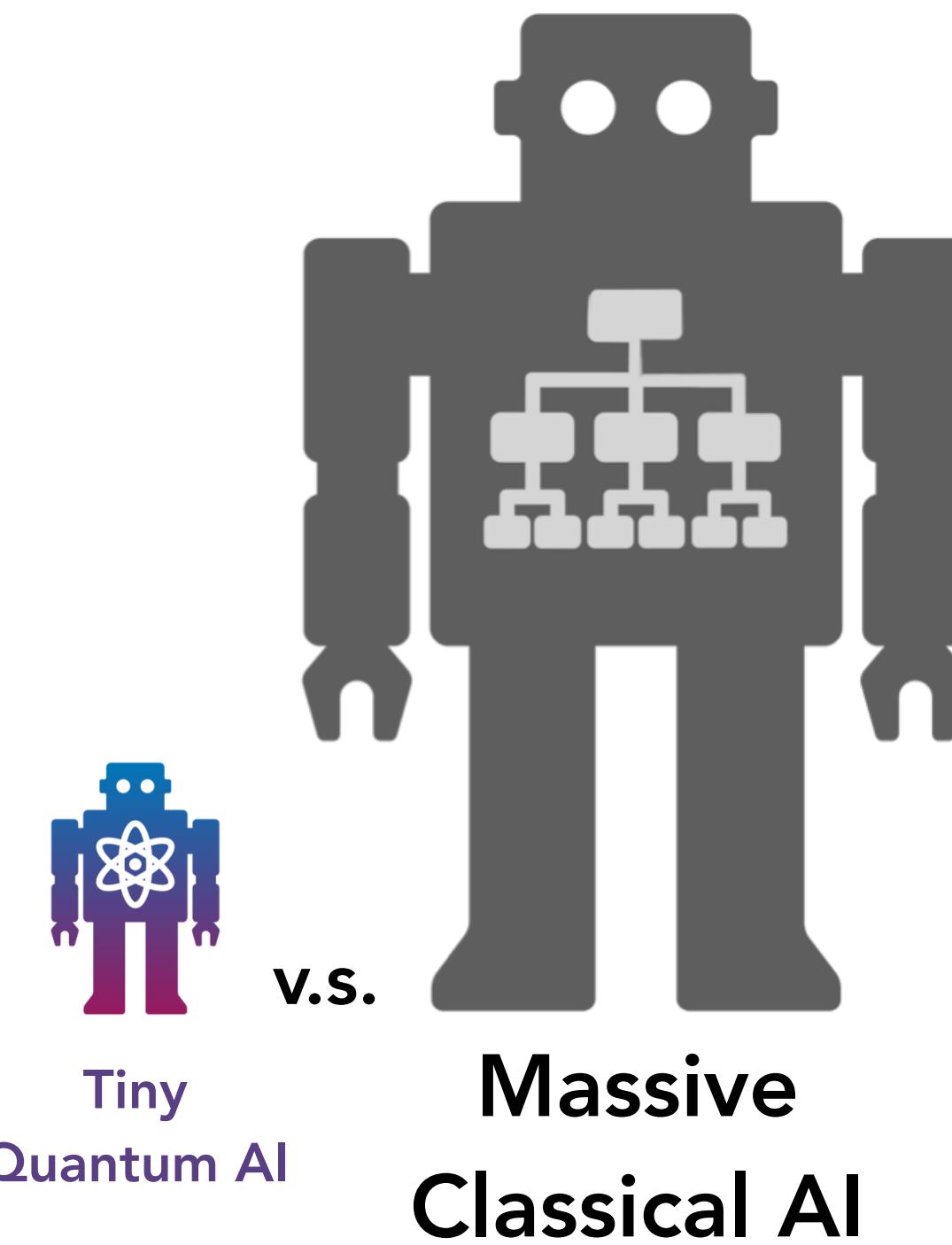
Can QML running on
small quantum chips
outperform
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Quantum Advantage for Analyzing Classical Data



User data, internet data,
sensor data, financial data,
consumer data, market data, ...

Classical
Data
Samples
 \rightarrow
 $z \sim \mathcal{D}$



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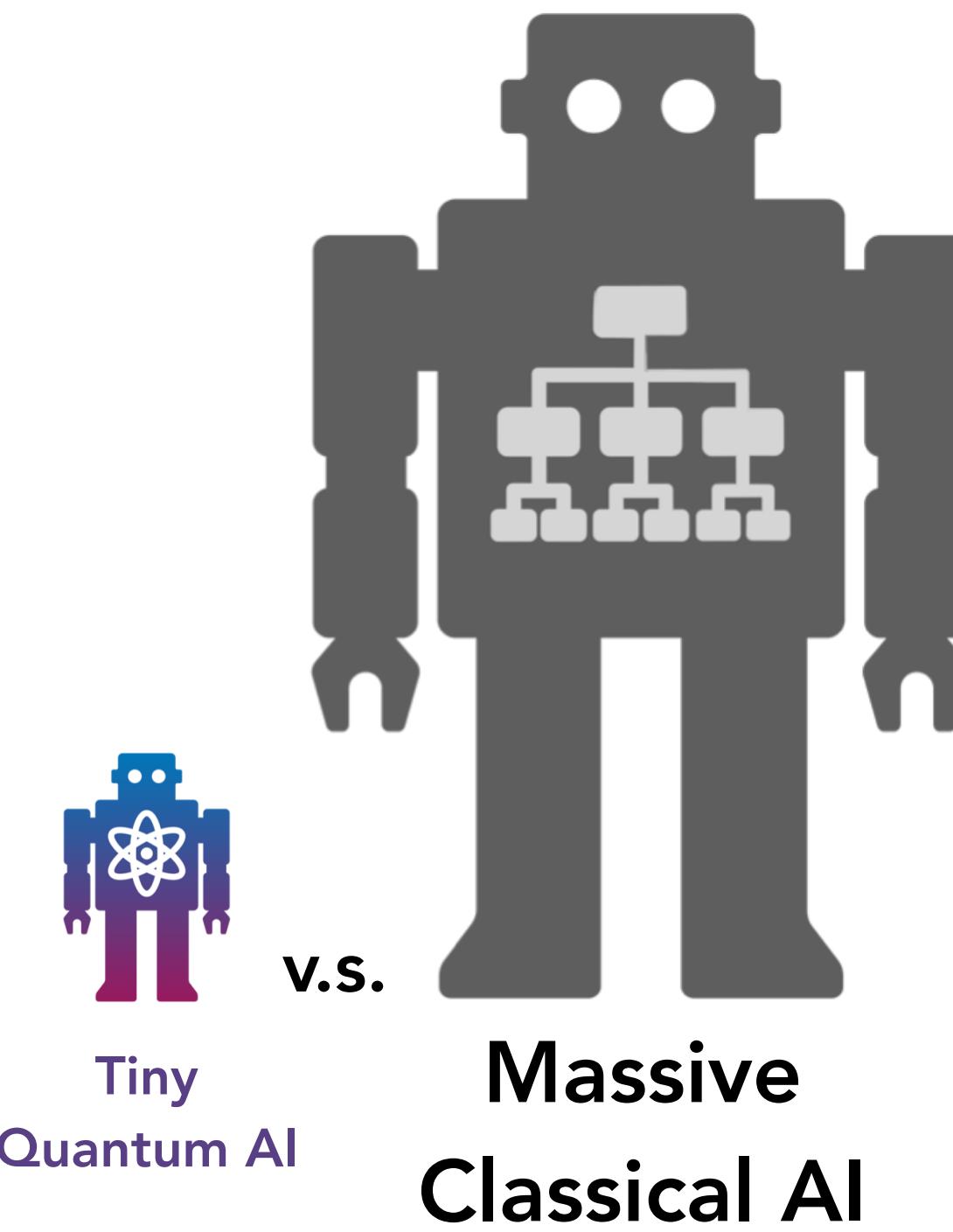
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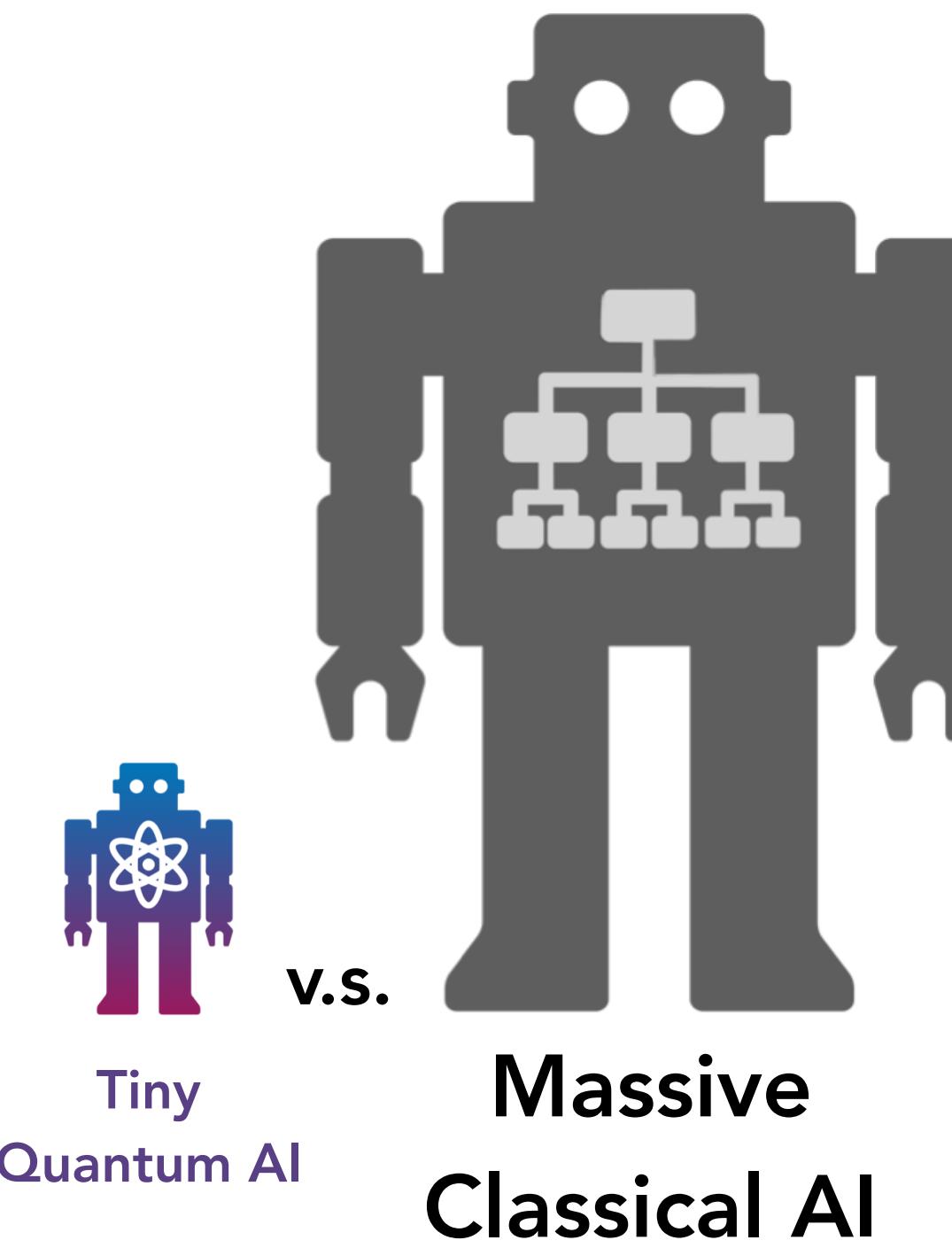
High-level algorithmic idea:

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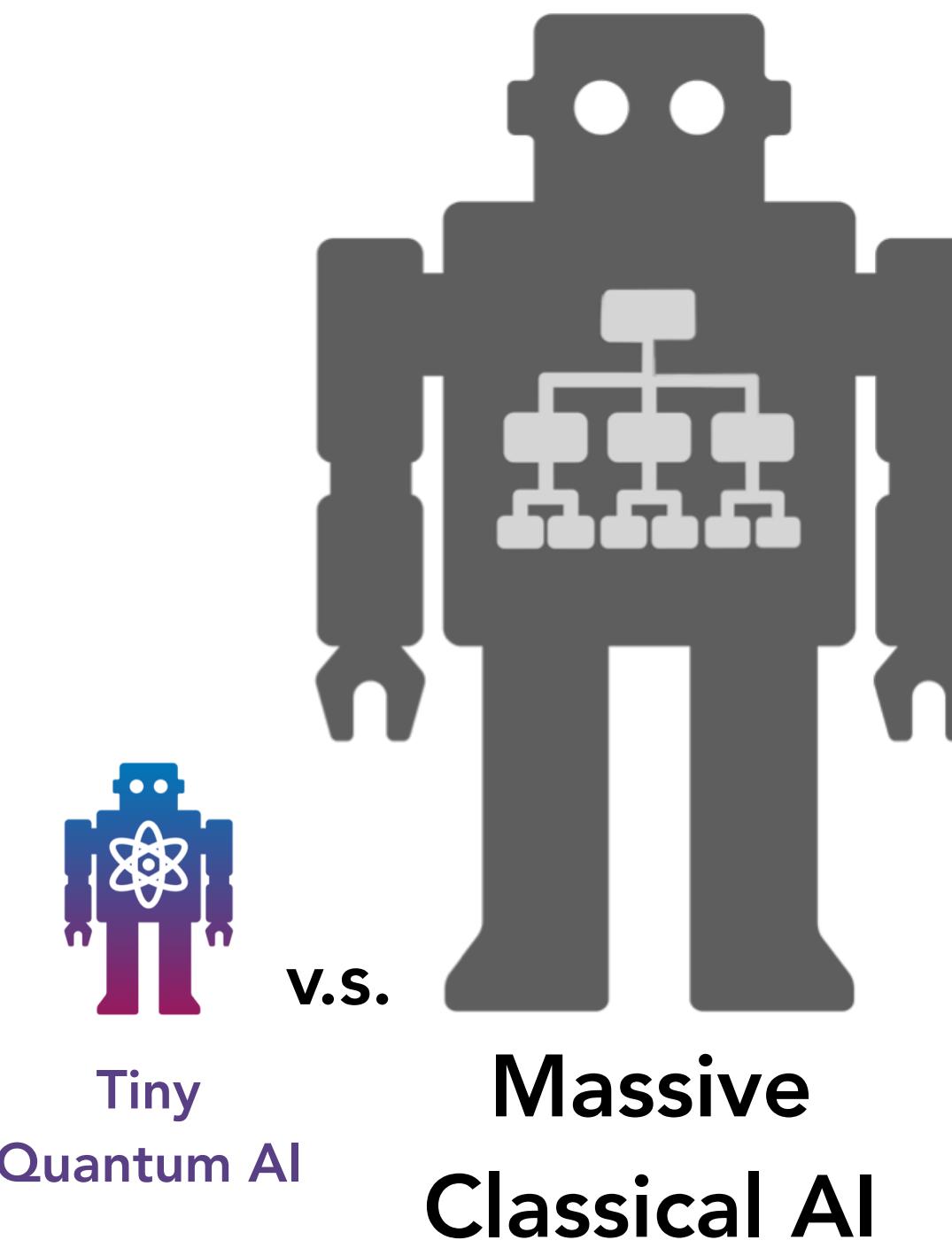
High-level algorithmic idea:
(1) Get data sample $z \sim \mathcal{D}$

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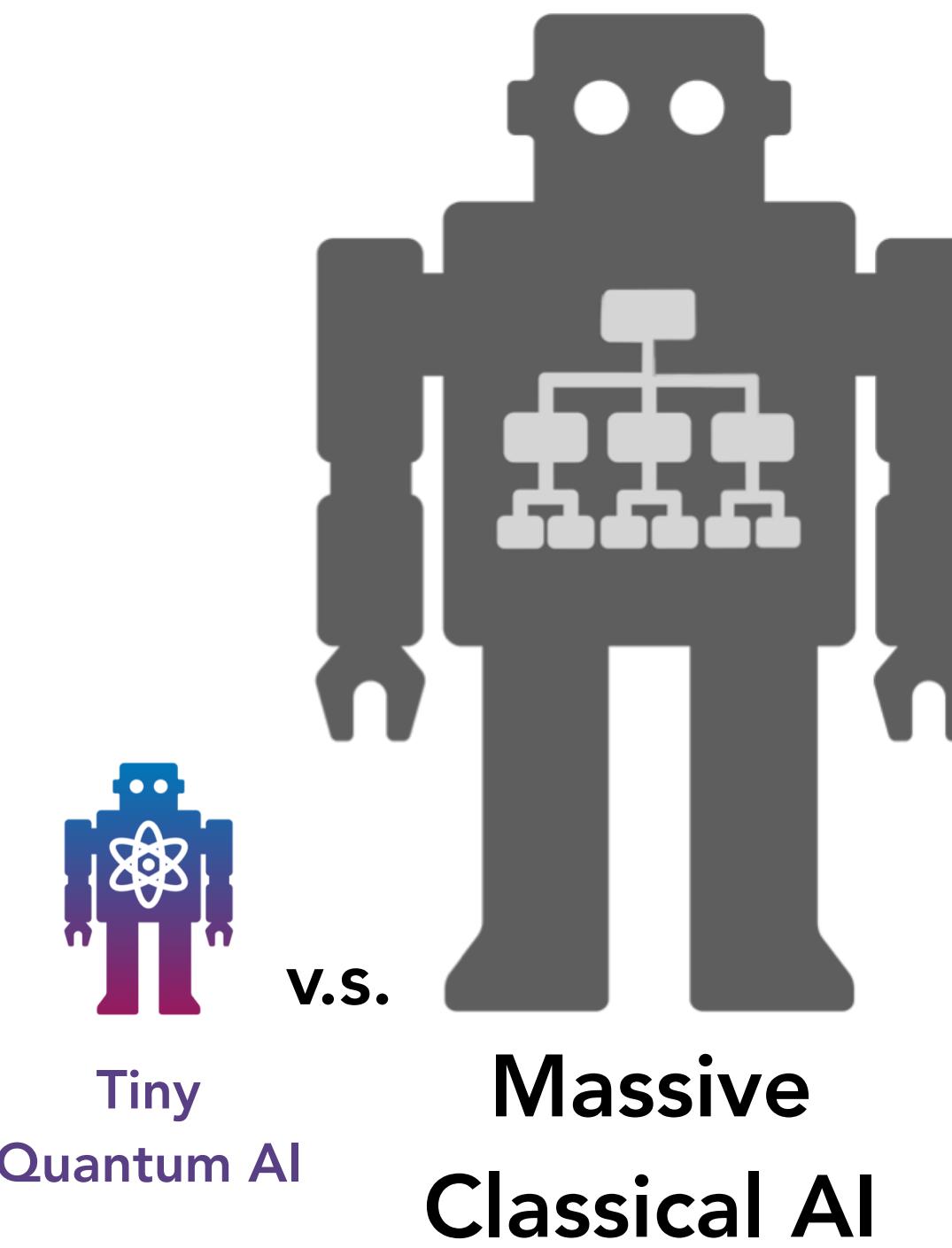
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- (2) Create Hamiltonian term h_z

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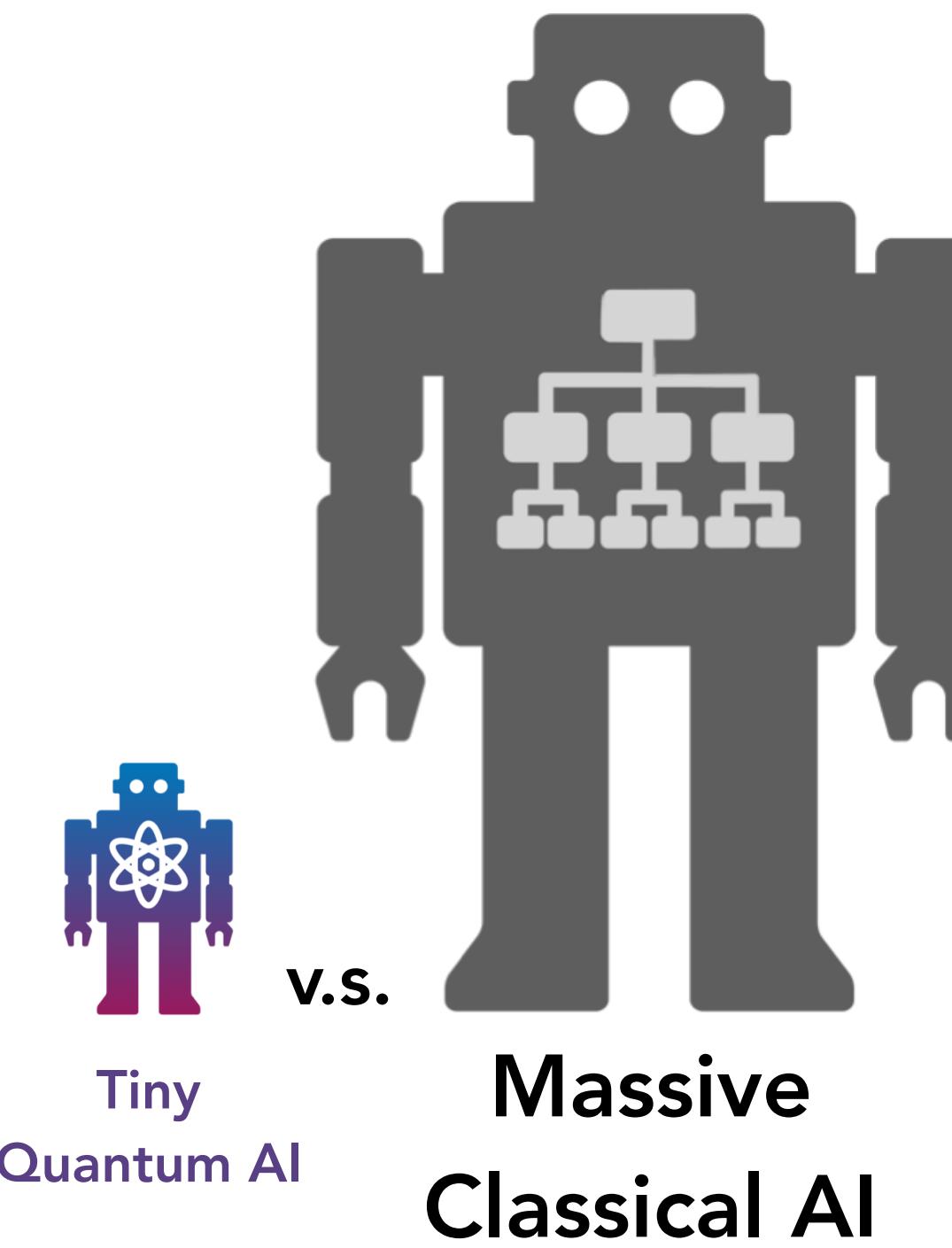
- (1) Get data sample $z \sim \mathcal{D}$
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- (3) Evolve under $e^{-i\Delta t \cdot h_z}$

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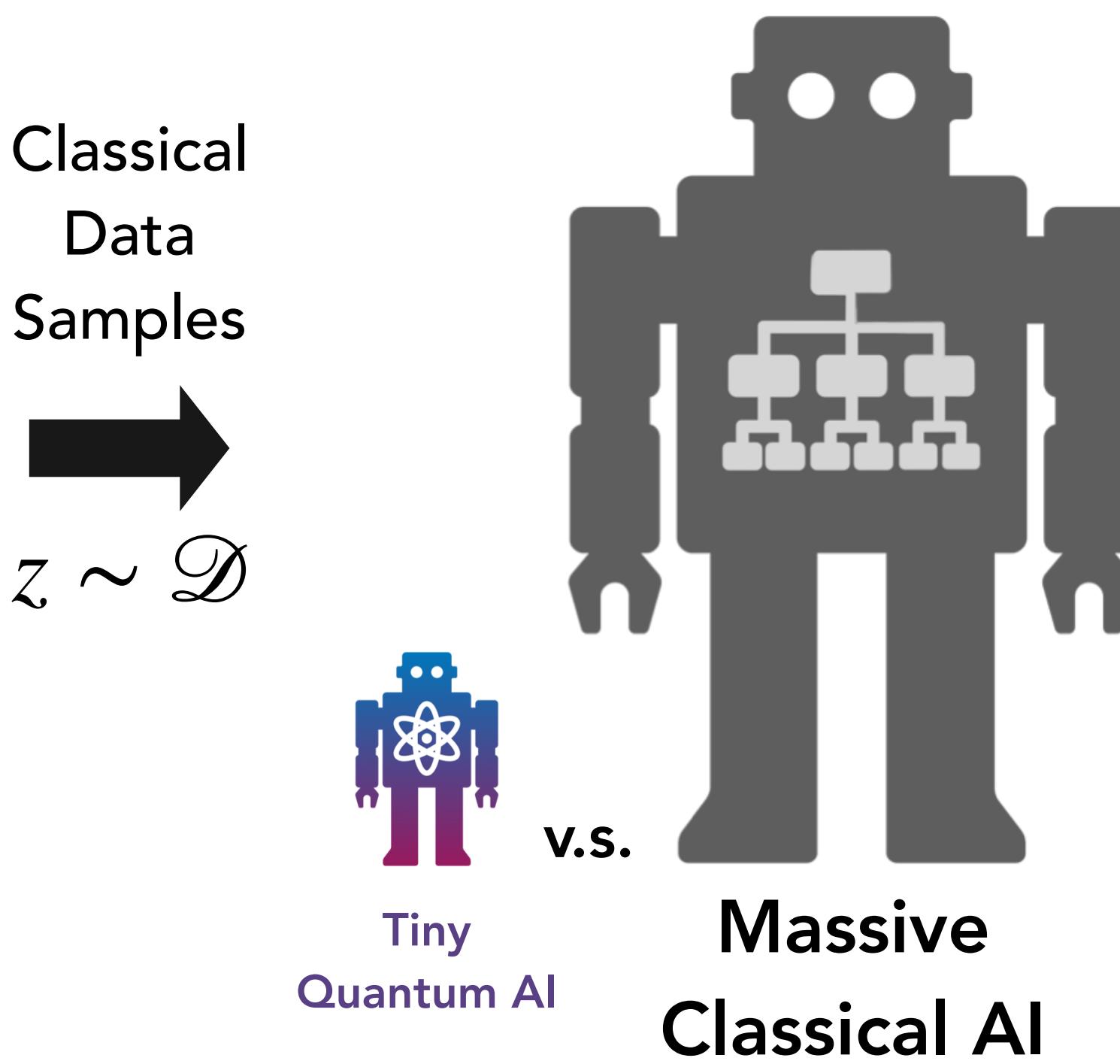
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- (4) Repeat

After seeing some samples,
the random unitary converges to
 $e^{-it \cdot \mathbb{E}_{z \sim \mathcal{D}}[h_z]}$ for a tunable t .

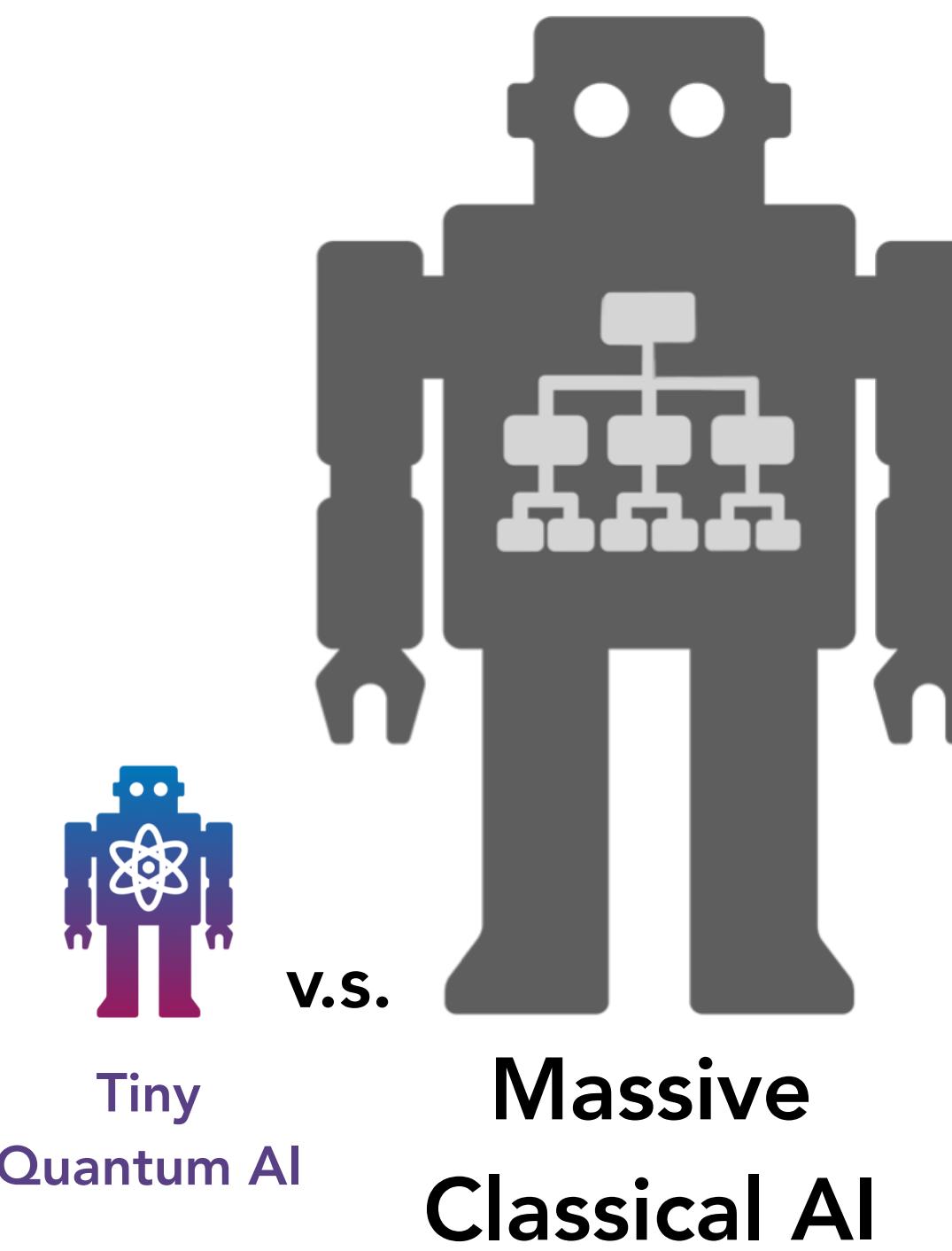
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Classical
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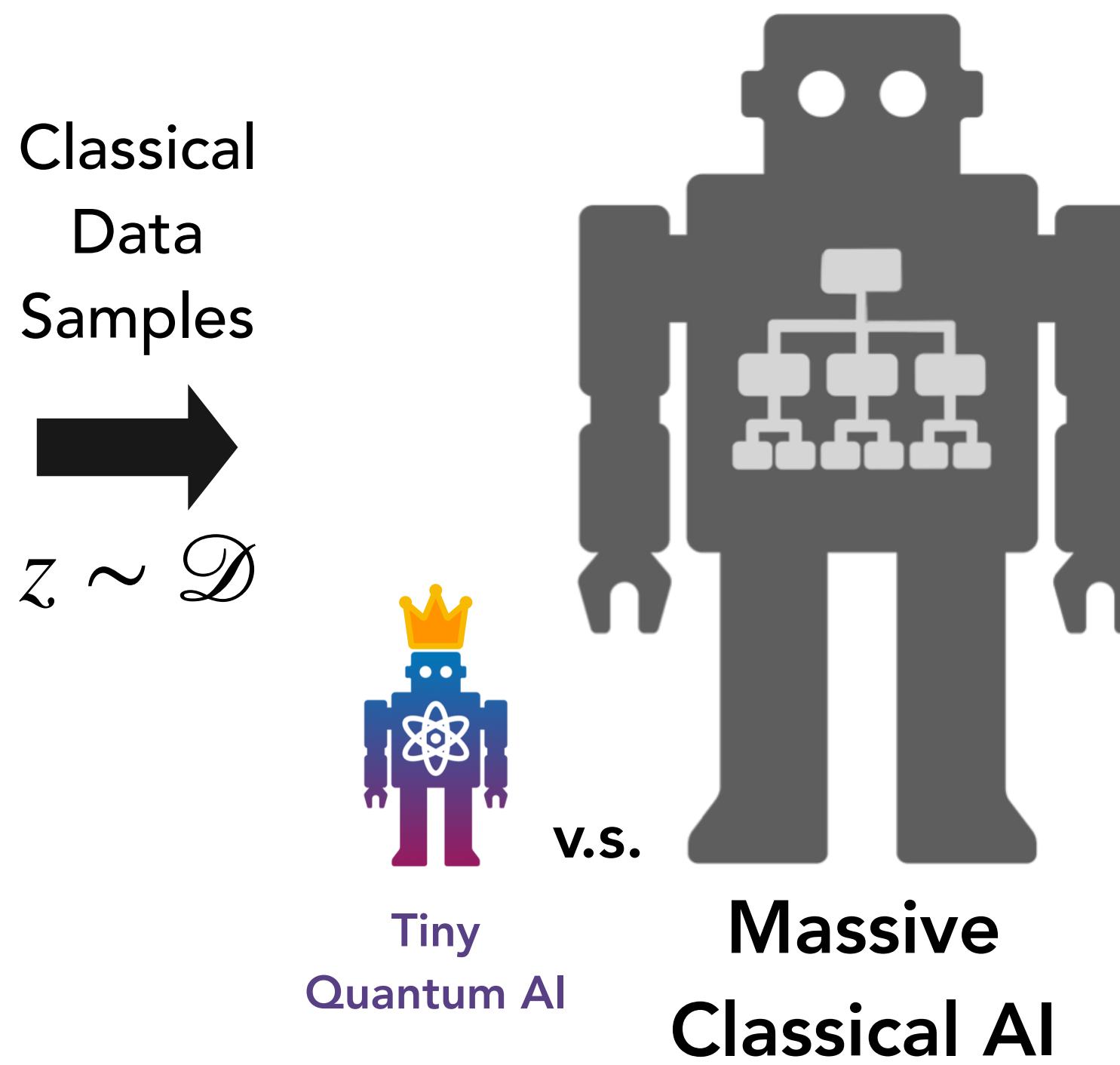
Central Idea:

Replace **QRAM** with
a **quantum oracle**
sketched from
classical data samples.

Quantum Advantage for Analyzing Classical Data



User data, internet data,
sensor data, financial data,
consumer data, market data, ...



Claim:

With $\mathcal{O}(N)$ samples,
poly($\log N$)-qubit machine
can solve SVM, PCA, ...
better than any **classical**
machines with $\mathcal{O}(N^{0.99})$ bits.

Where do we go from here?

- ❖ **AI for Quantum Technology:**

How to **accelerate/automate** quantum technology with AI?

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What are the **fundamental limit** in **space**, **time**, and **energy** governing **any** physical system that can learn?

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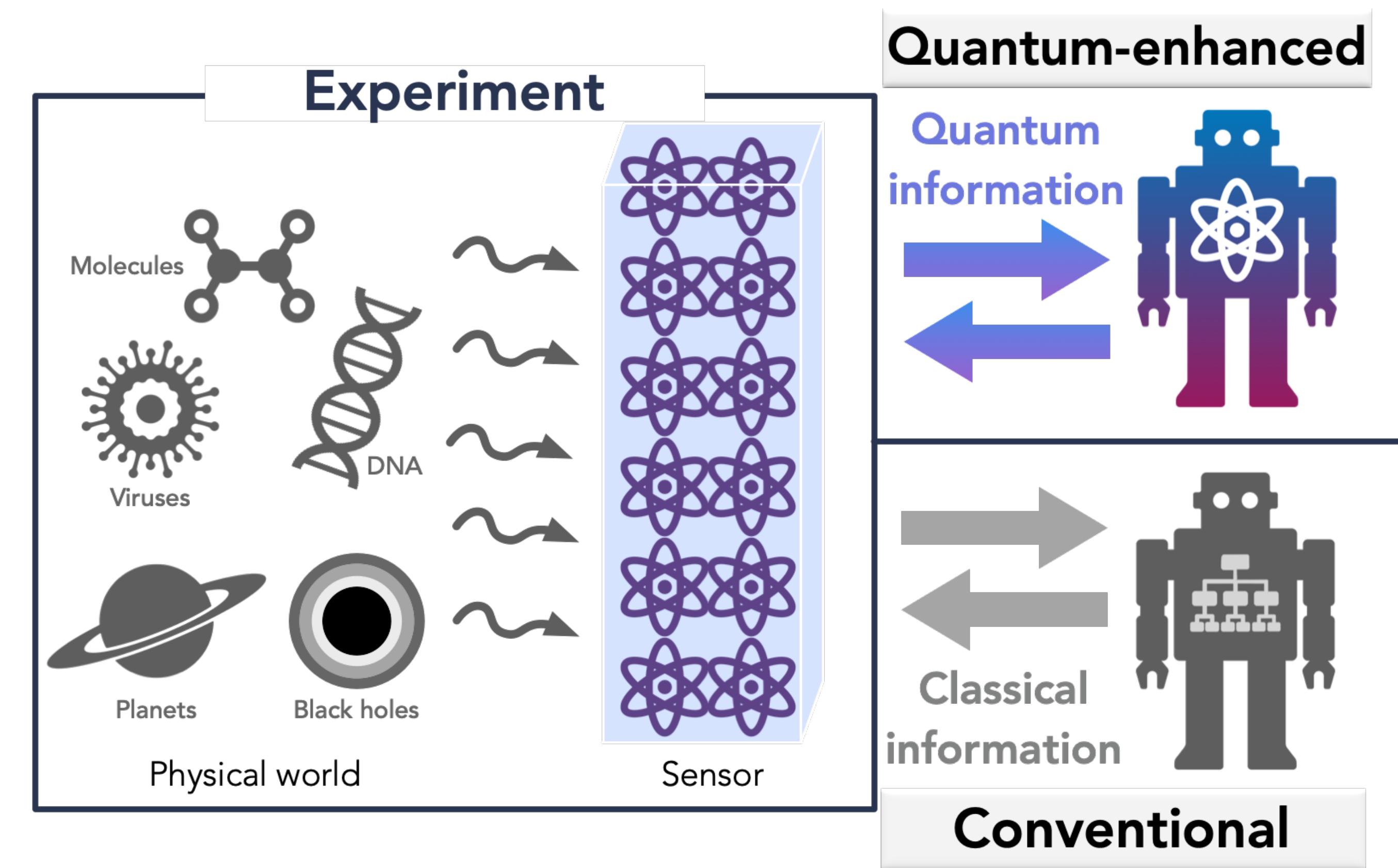
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- ❖ **Quantum AI Discovery:**

How can quantum machines learn to **discover new physics**?

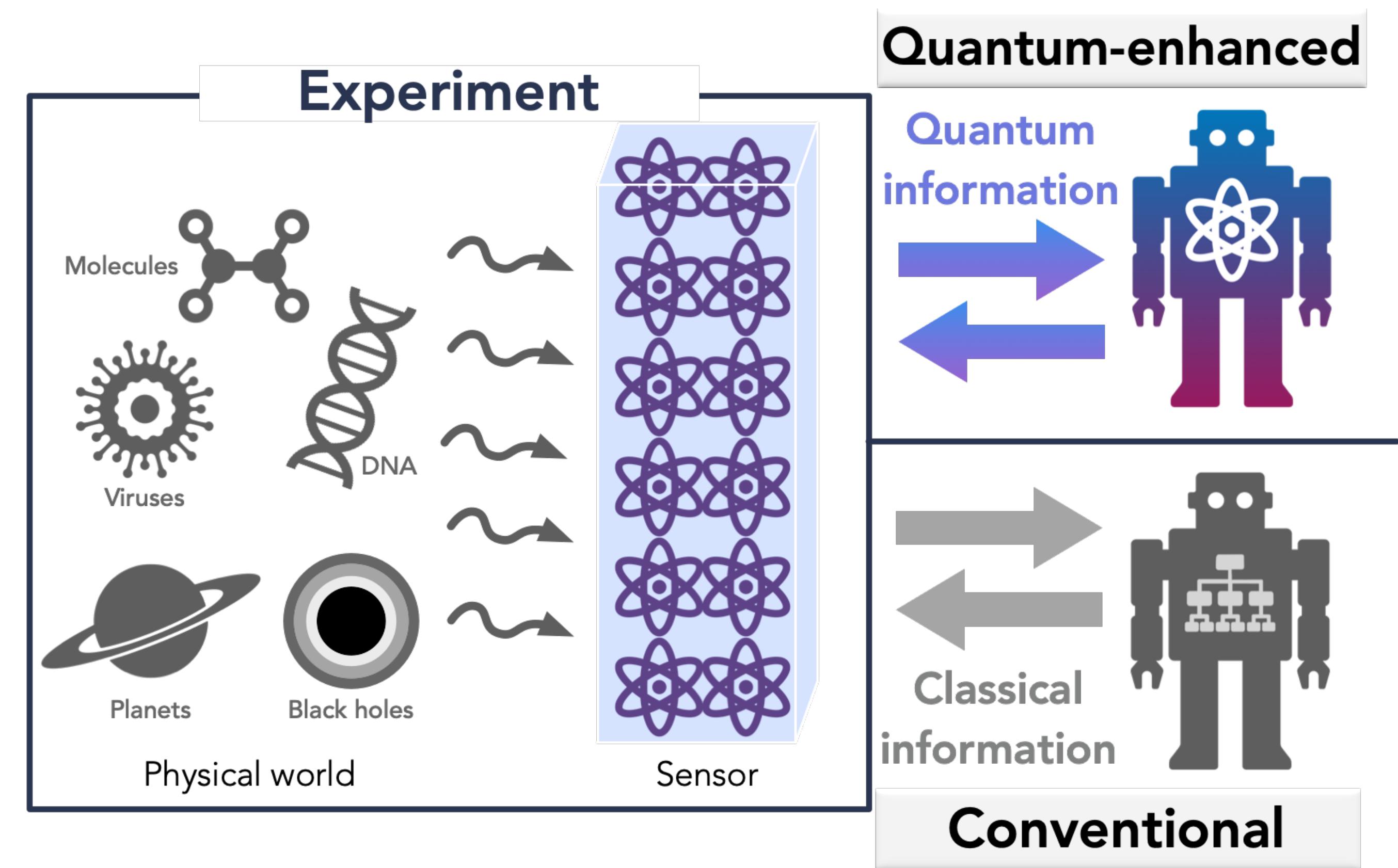
Sensing Classical Fields

- Sensing classical fields has wide-ranging applications.



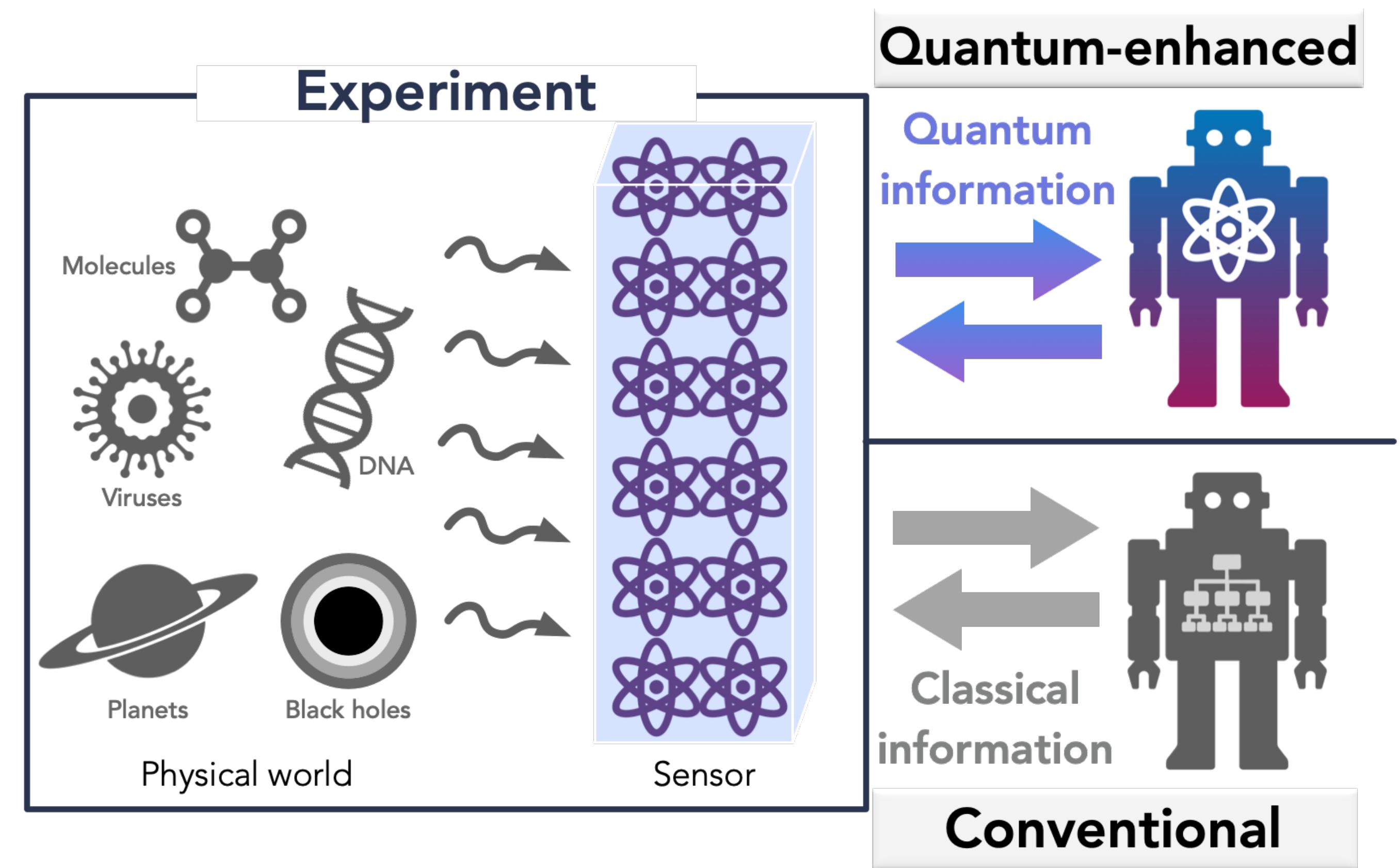
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Probing **material** properties,



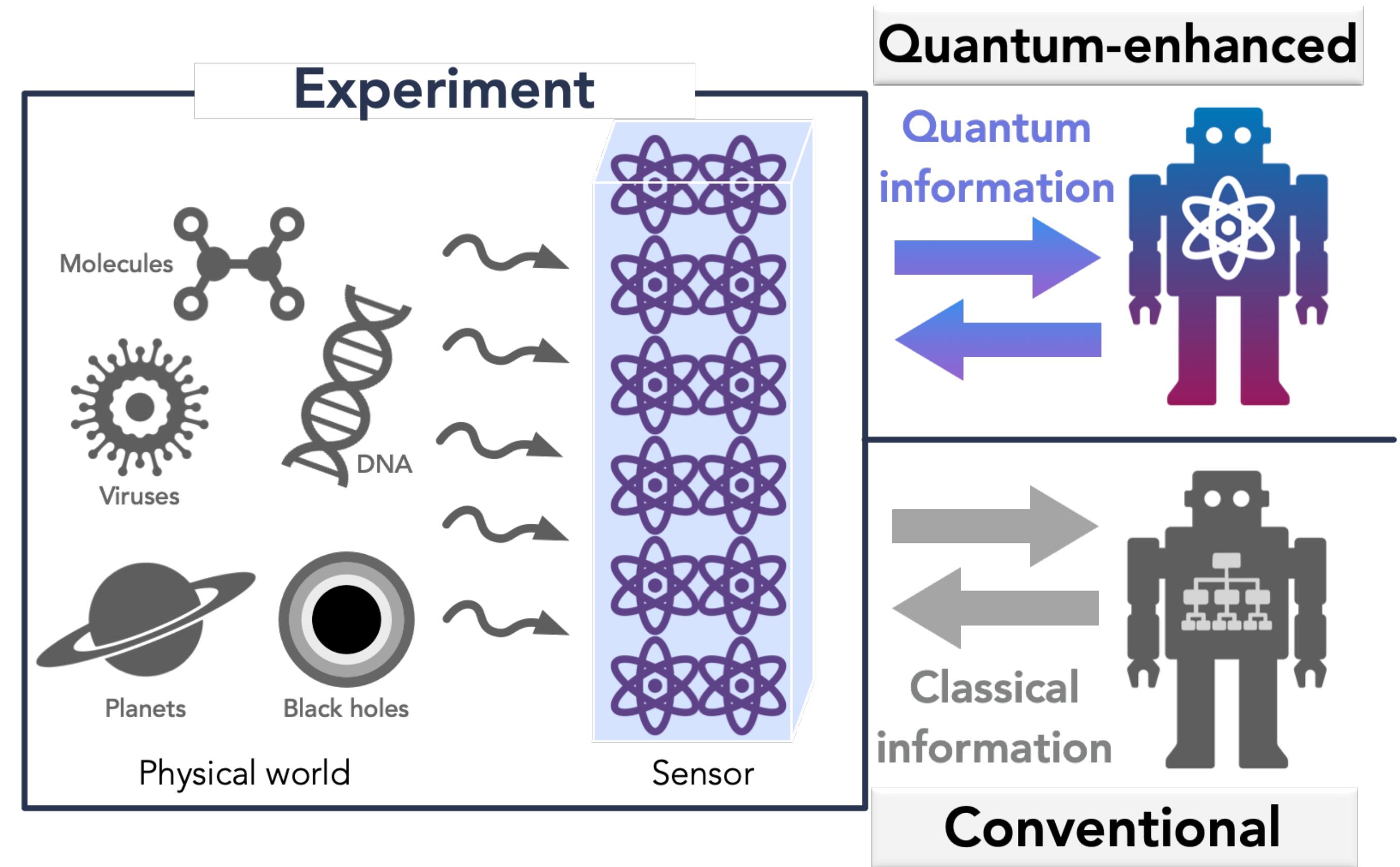
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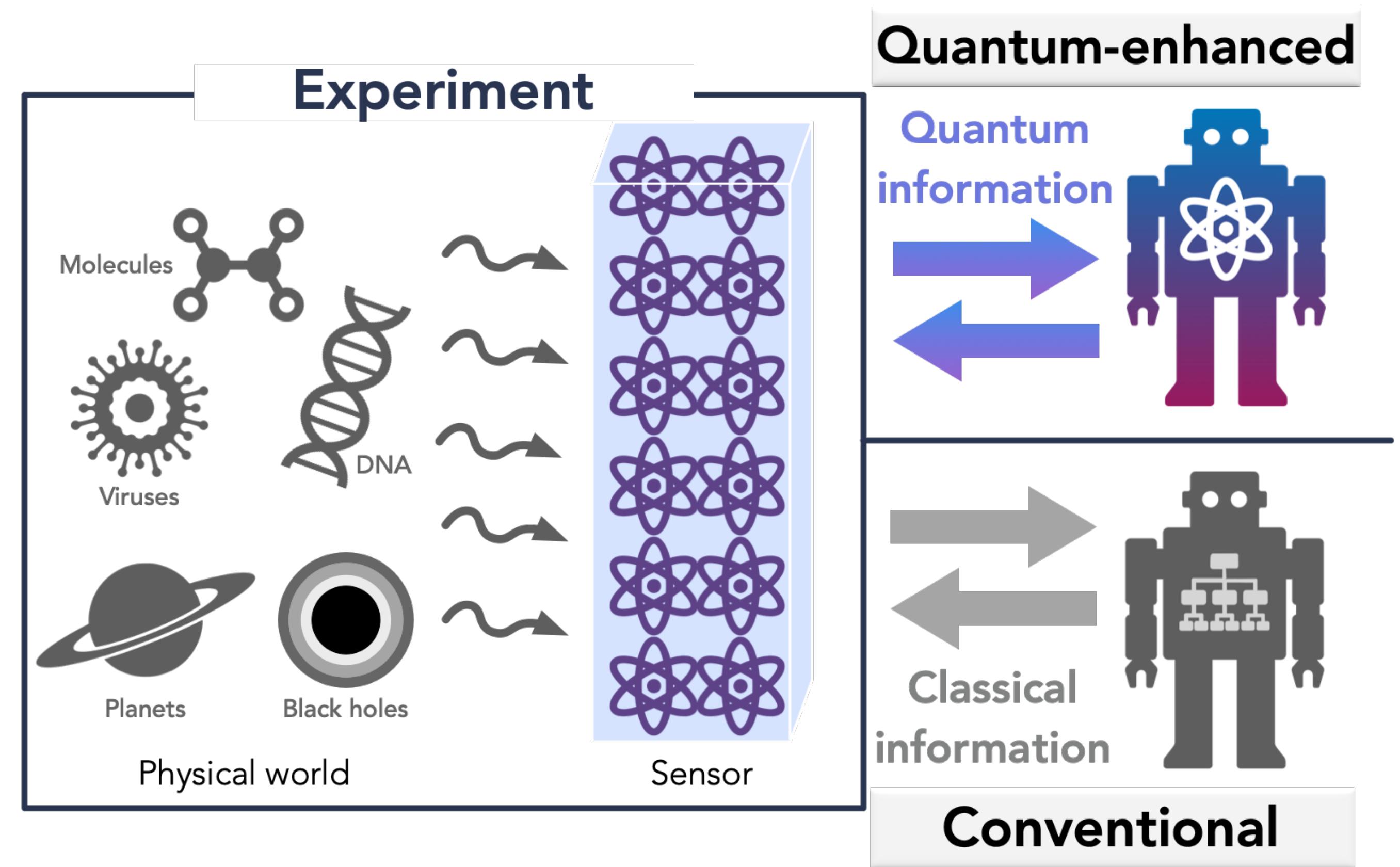
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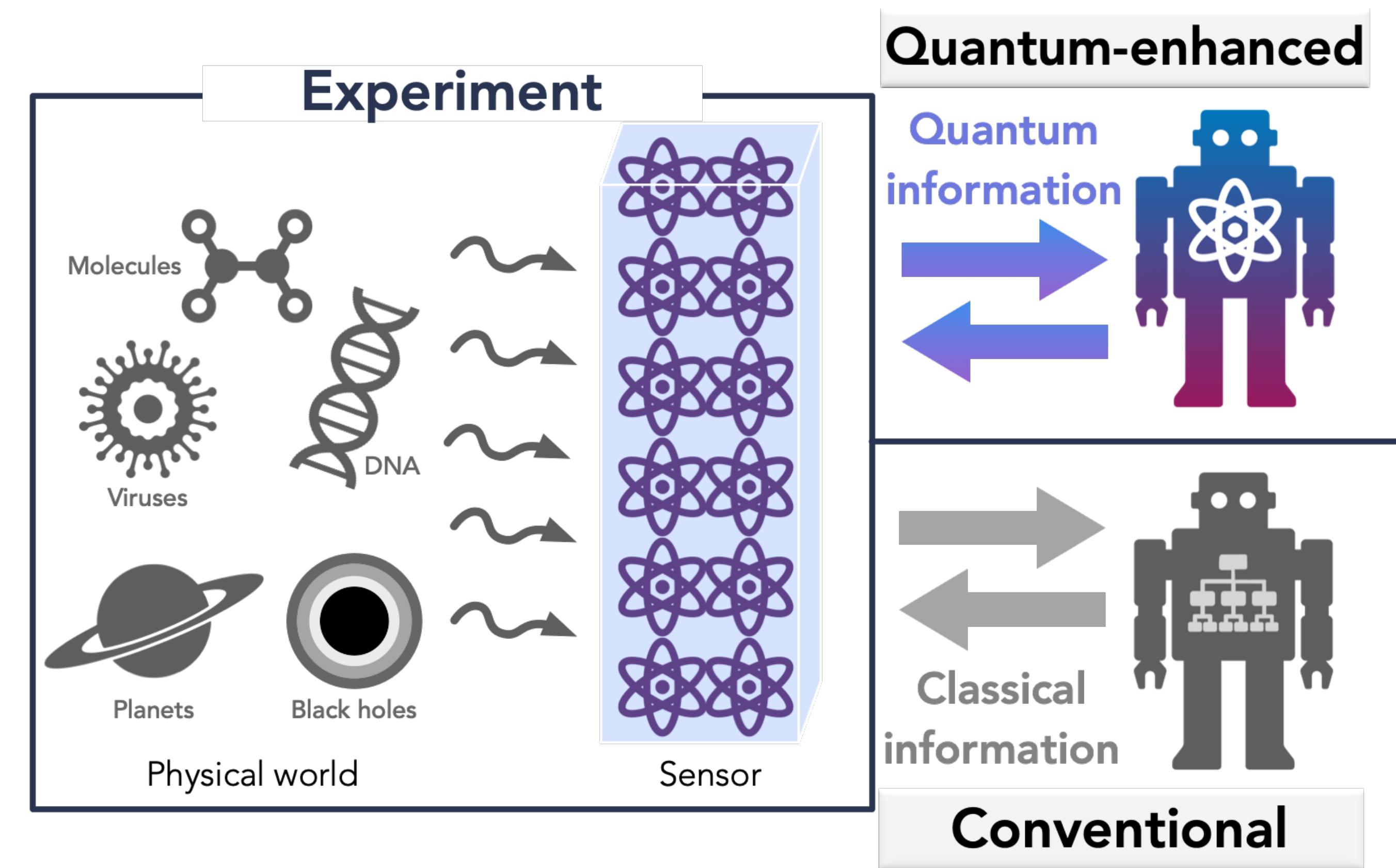
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 - Observing merging black holes,
 - Exploring **subterranean deposit**,
 - Detecting dark matter, ...



Sensing Classical Fields

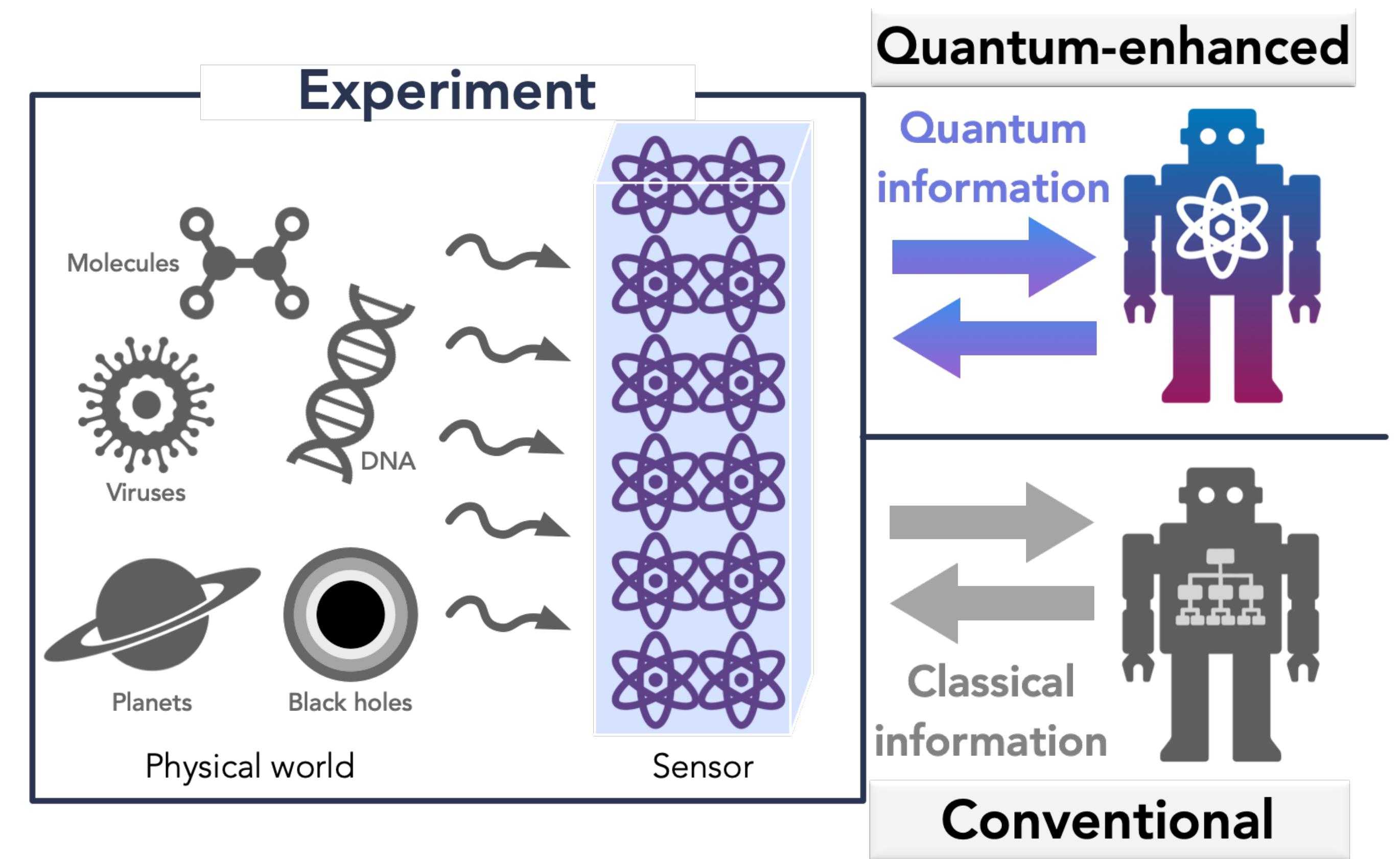
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$$B(t) = B \text{ vs } B(t) = 0$$



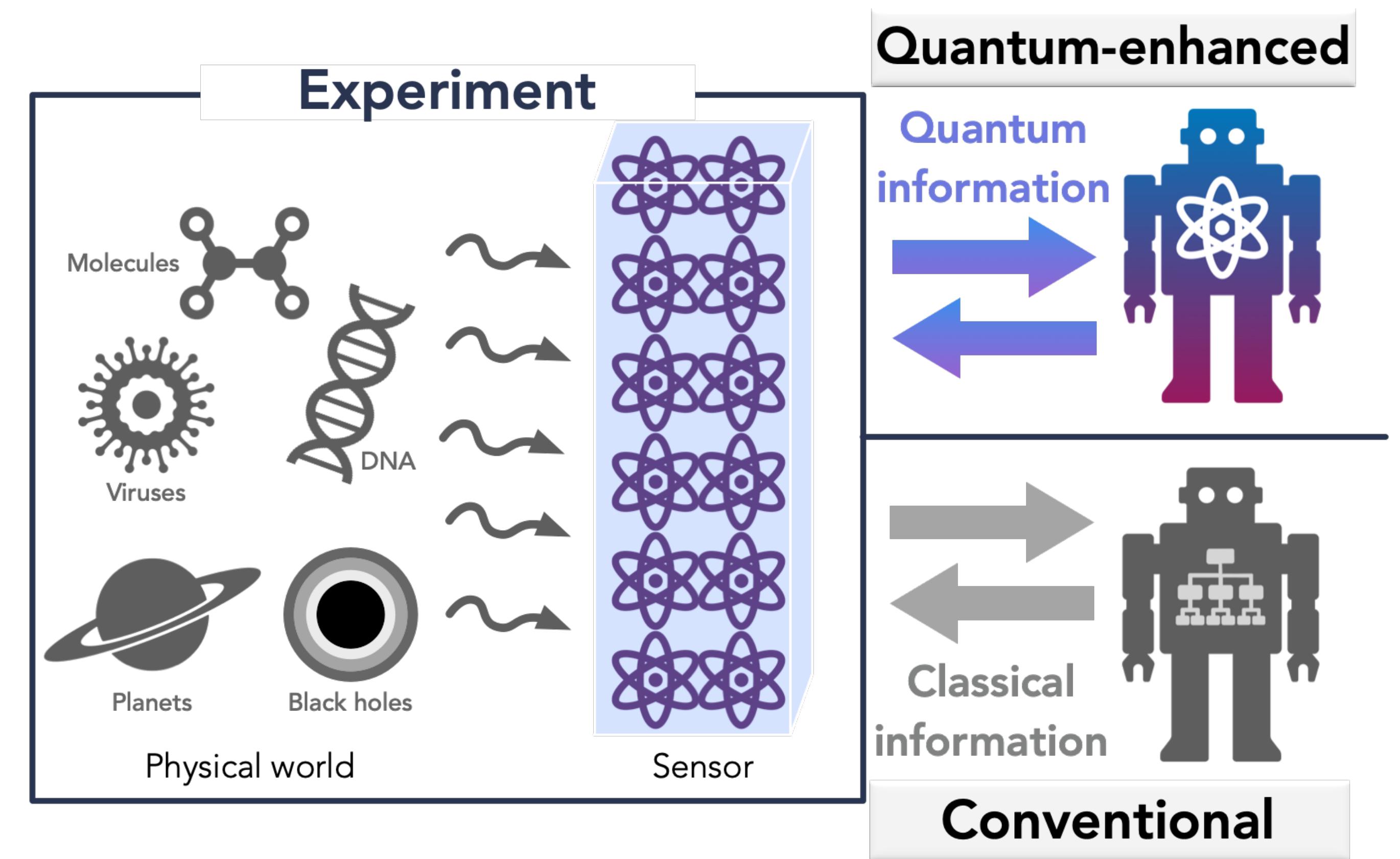
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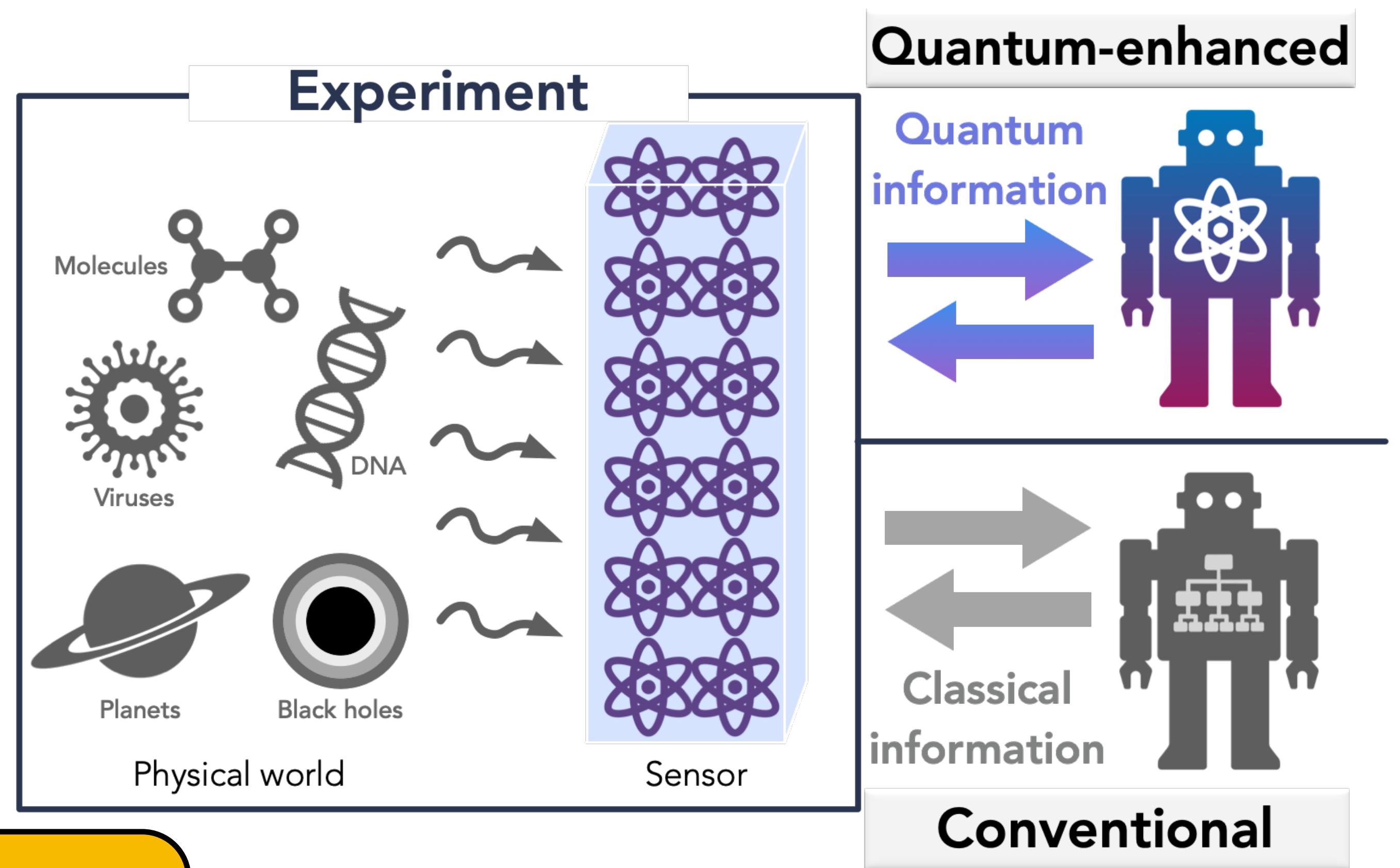
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This optimality has spawned the field of **quantum sensing**

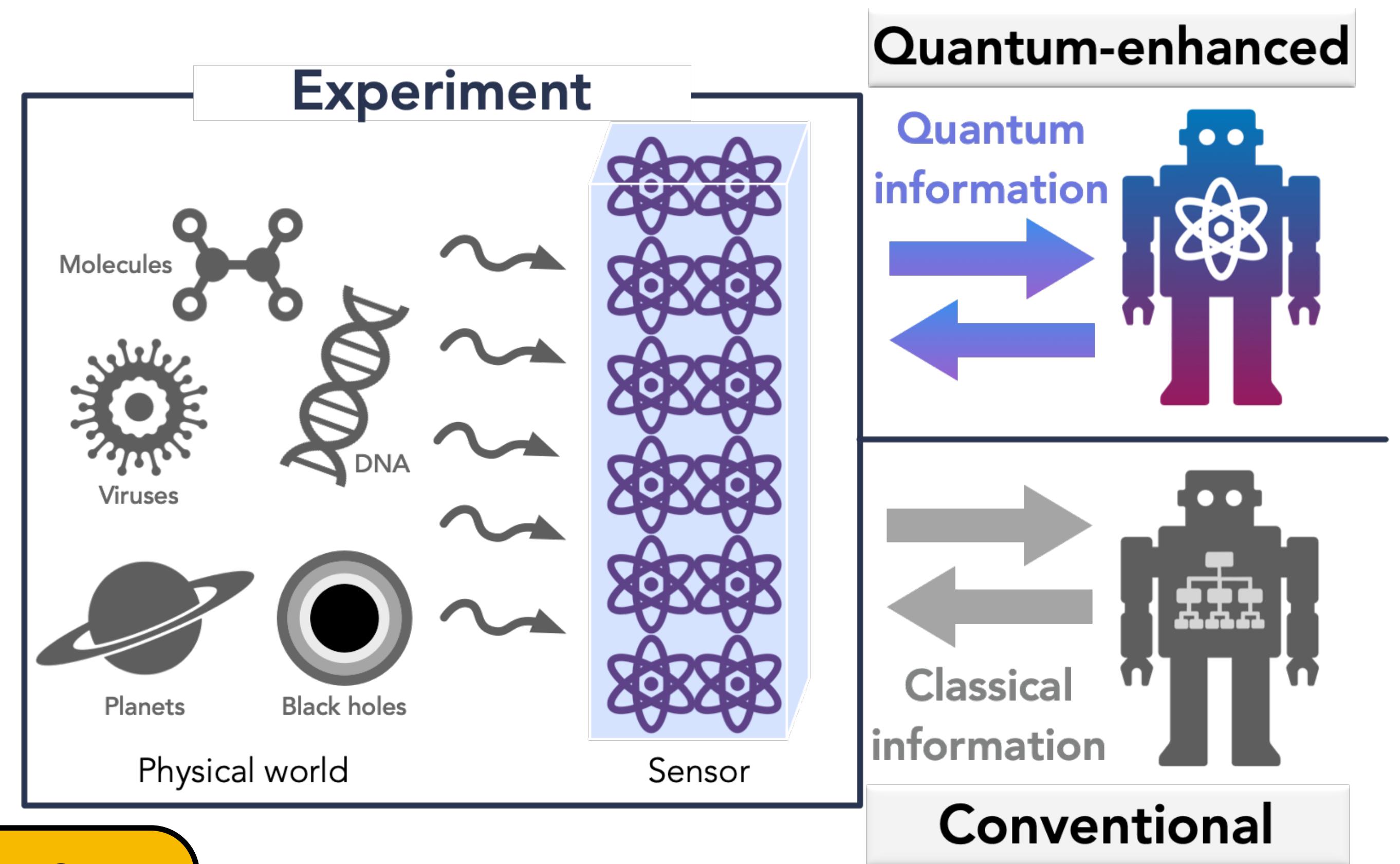


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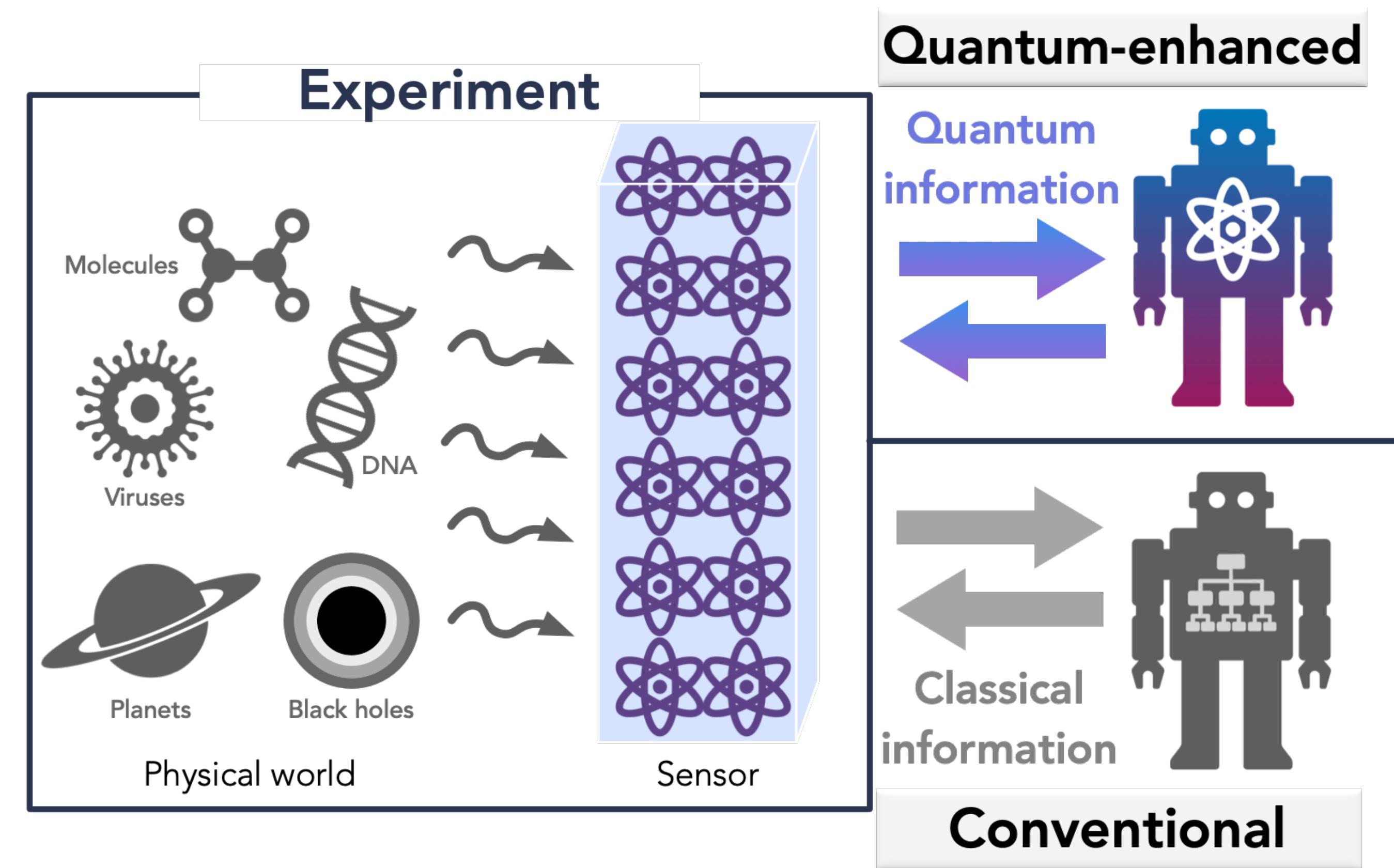


But **no need** for quantum AI & the speedup is just quadratic.

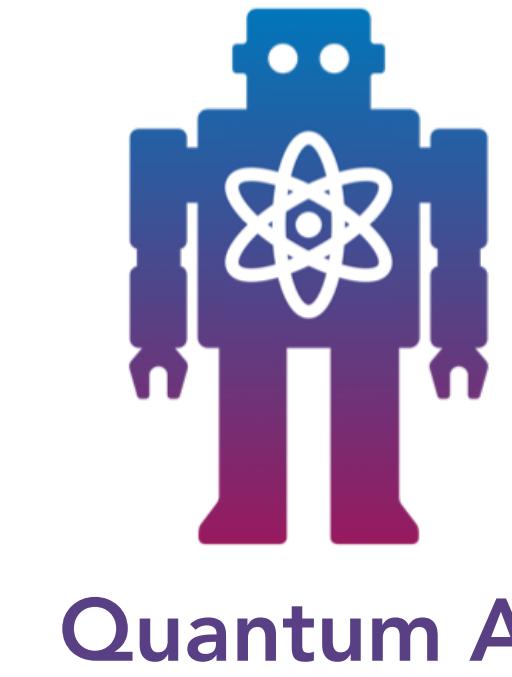
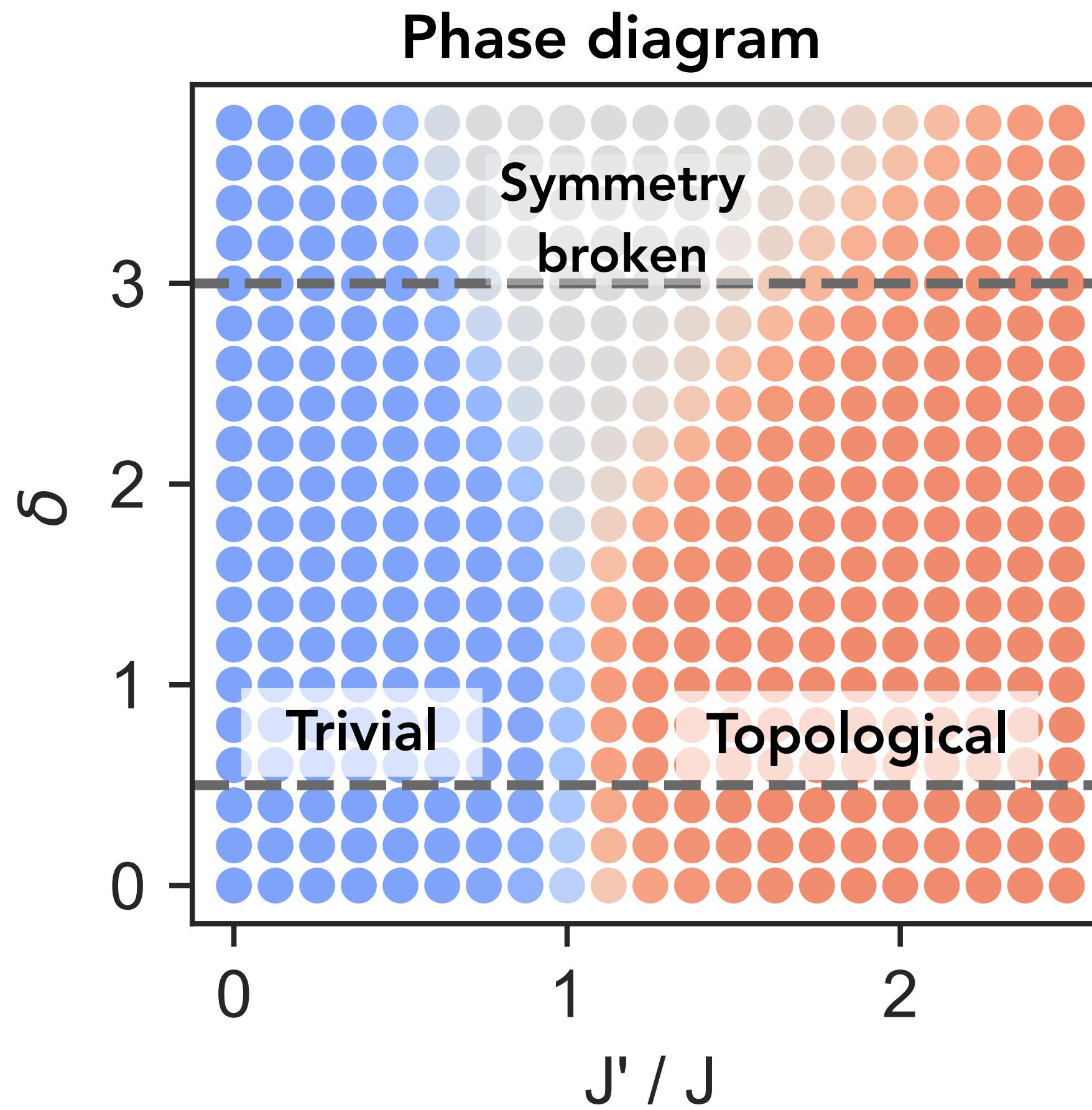
Sensing Classical Fields

Question:

Can quantum AI offer
superpolynomial
quantum advantage
in sensing classical fields?



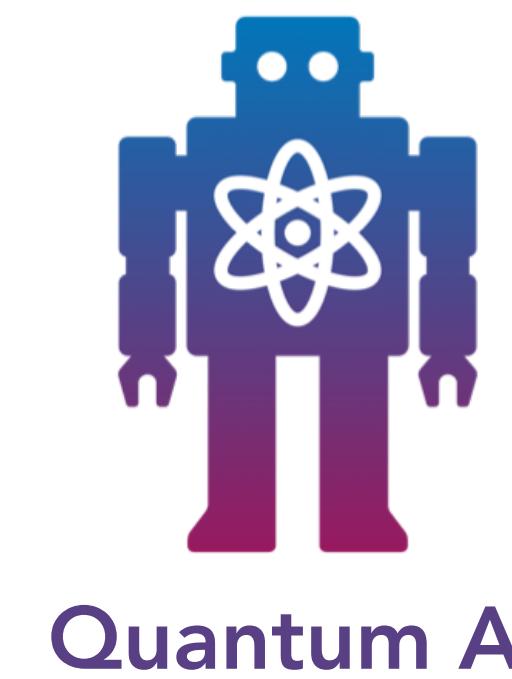
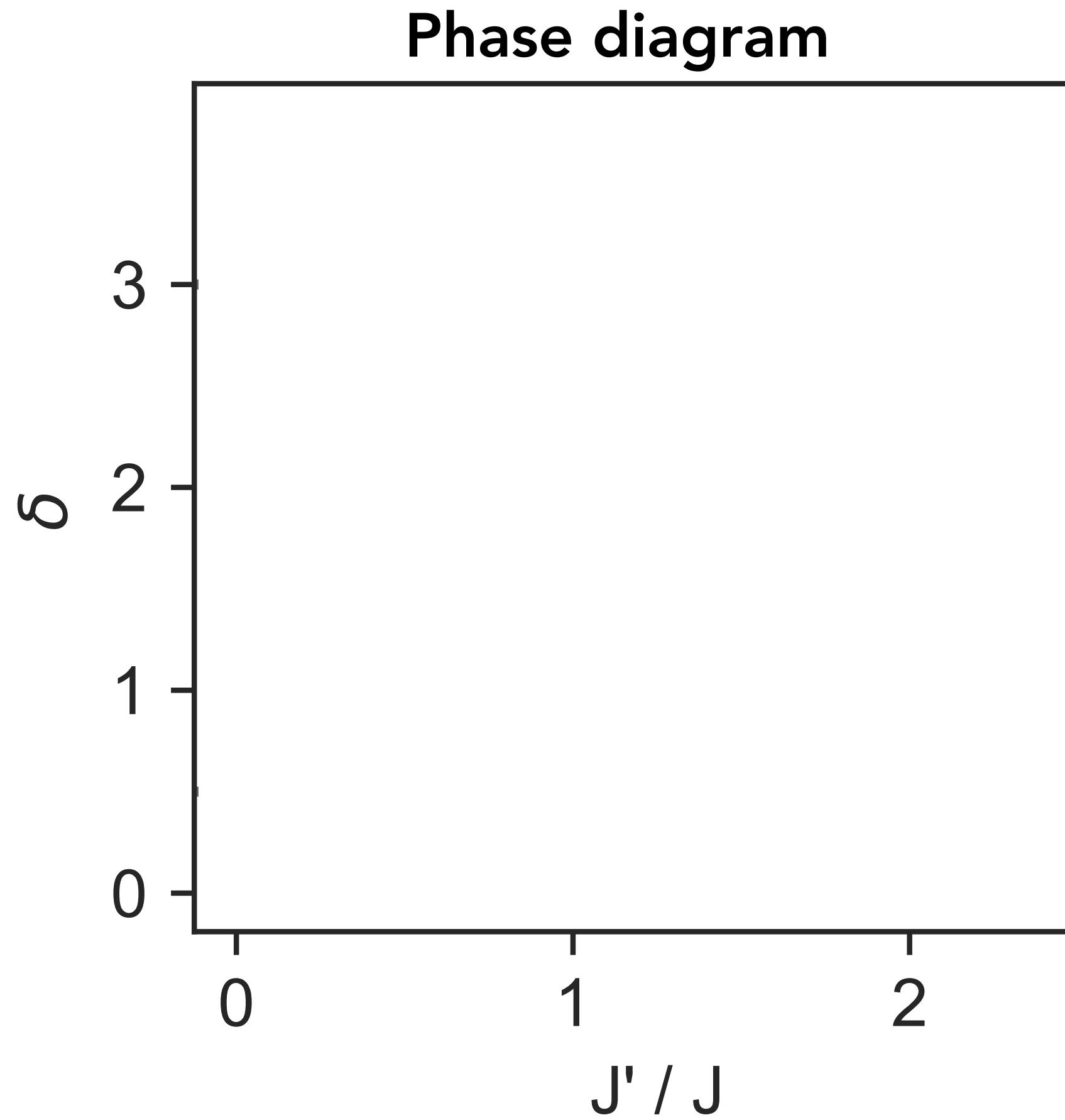
Discovering New Phases of Matter



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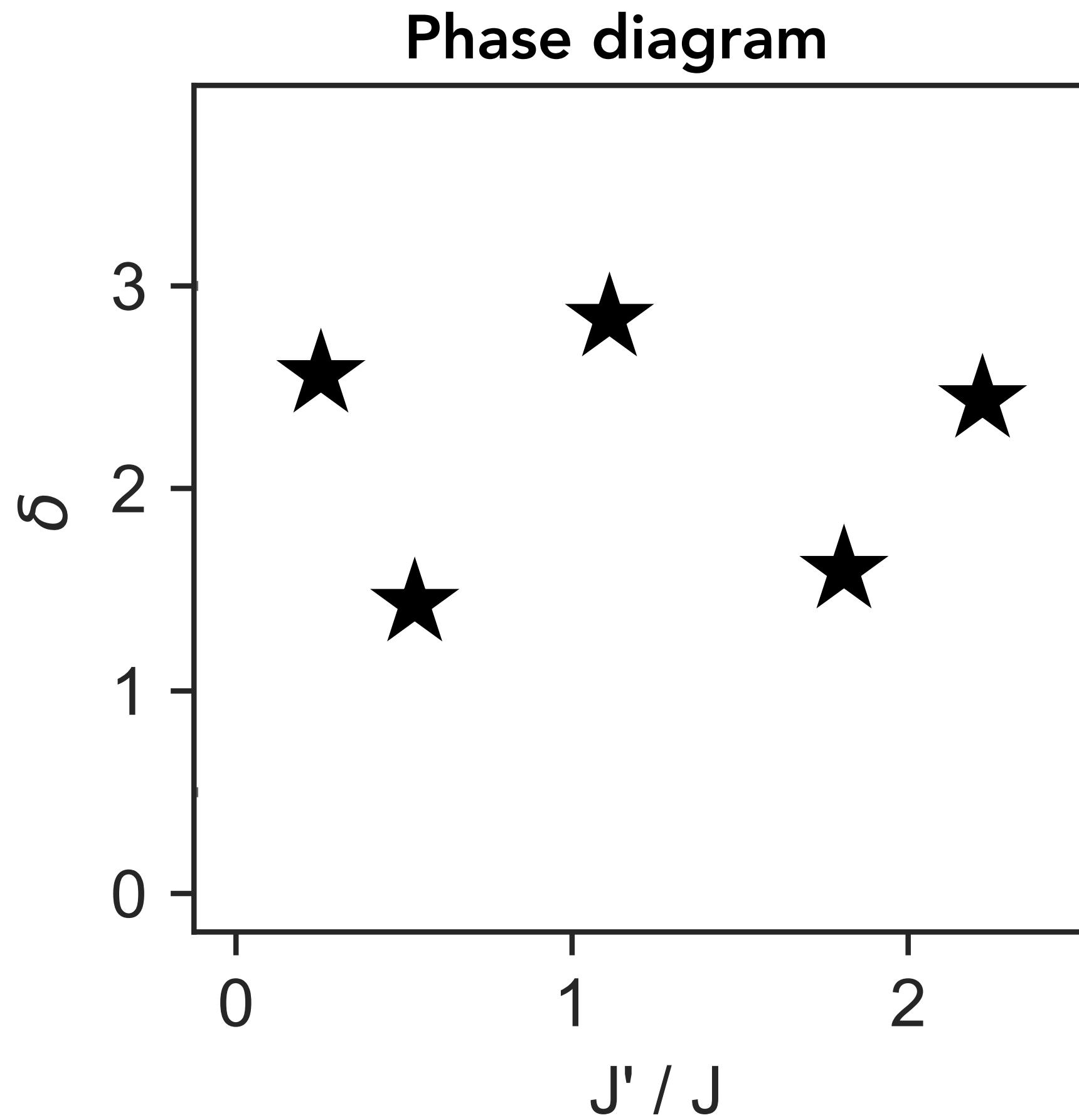
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Discovering New Phases of Matter

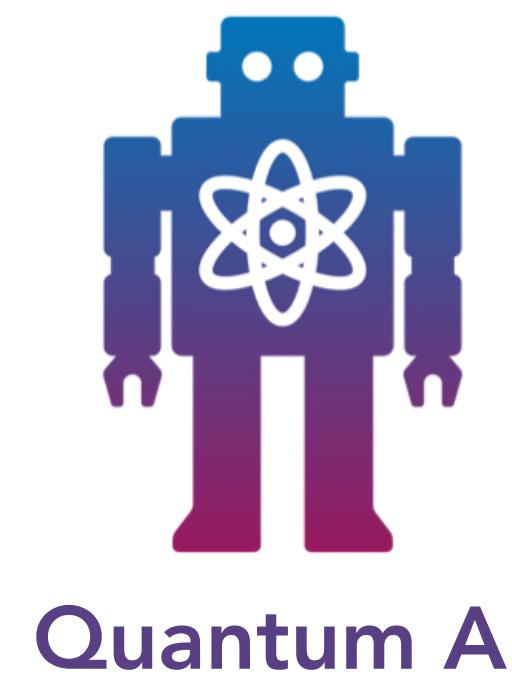


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Discovering New Phases of Matter



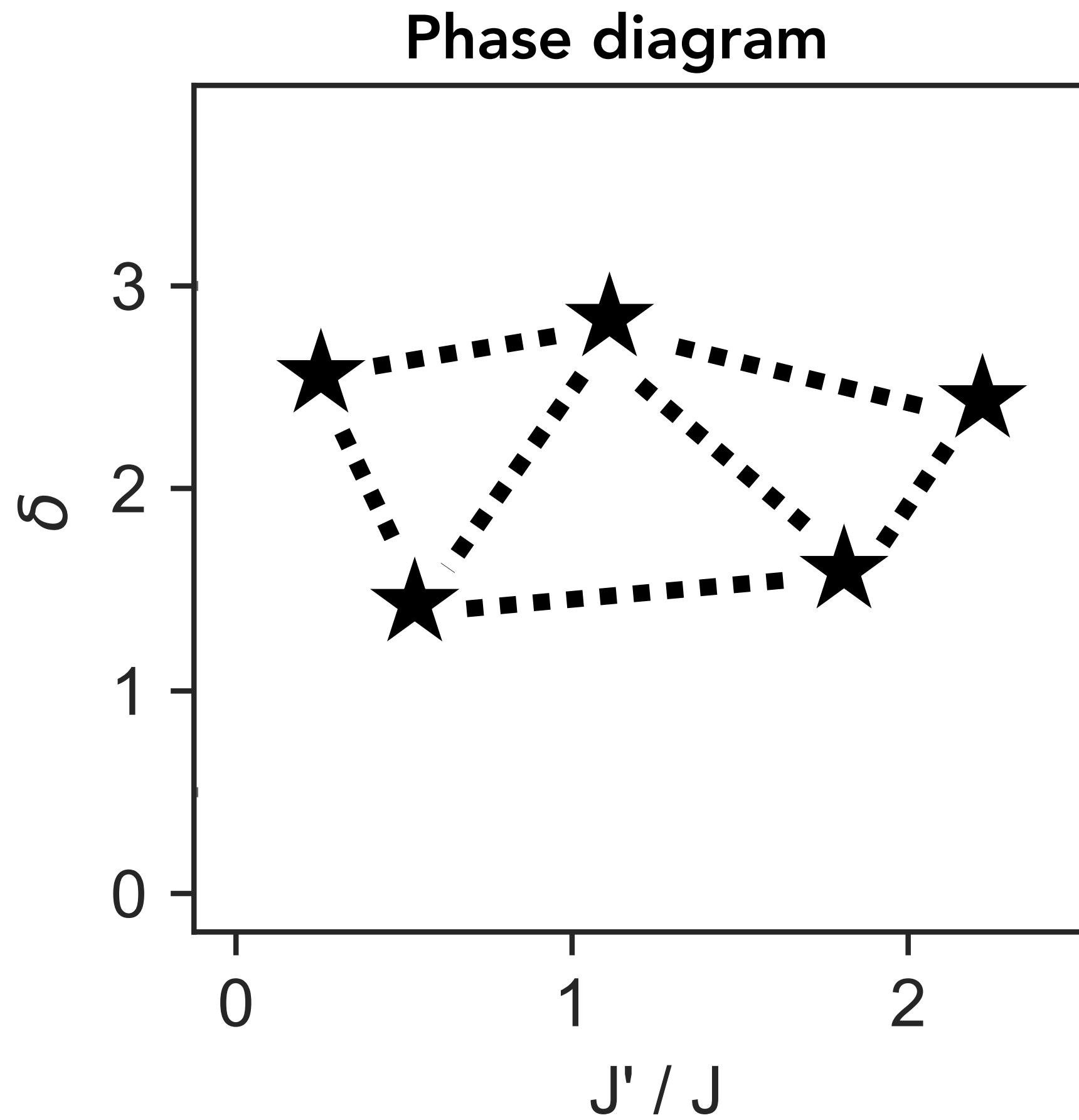
★ : ground states we found on QC



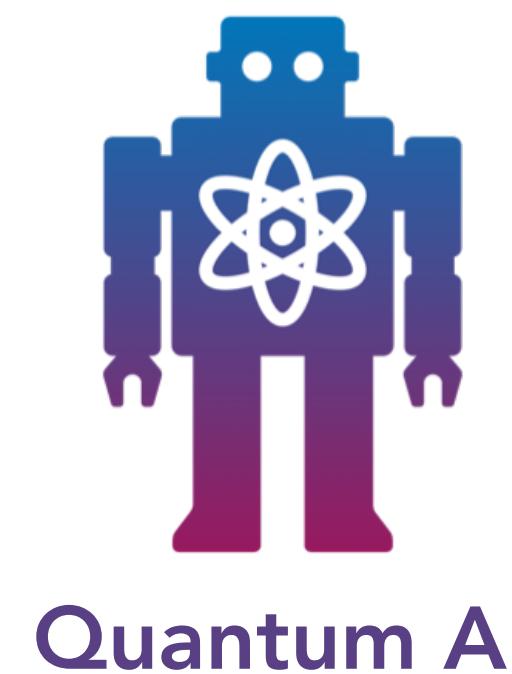
Question:

How can quantum AI
discover phases of
matter on its own?

Discovering New Phases of Matter



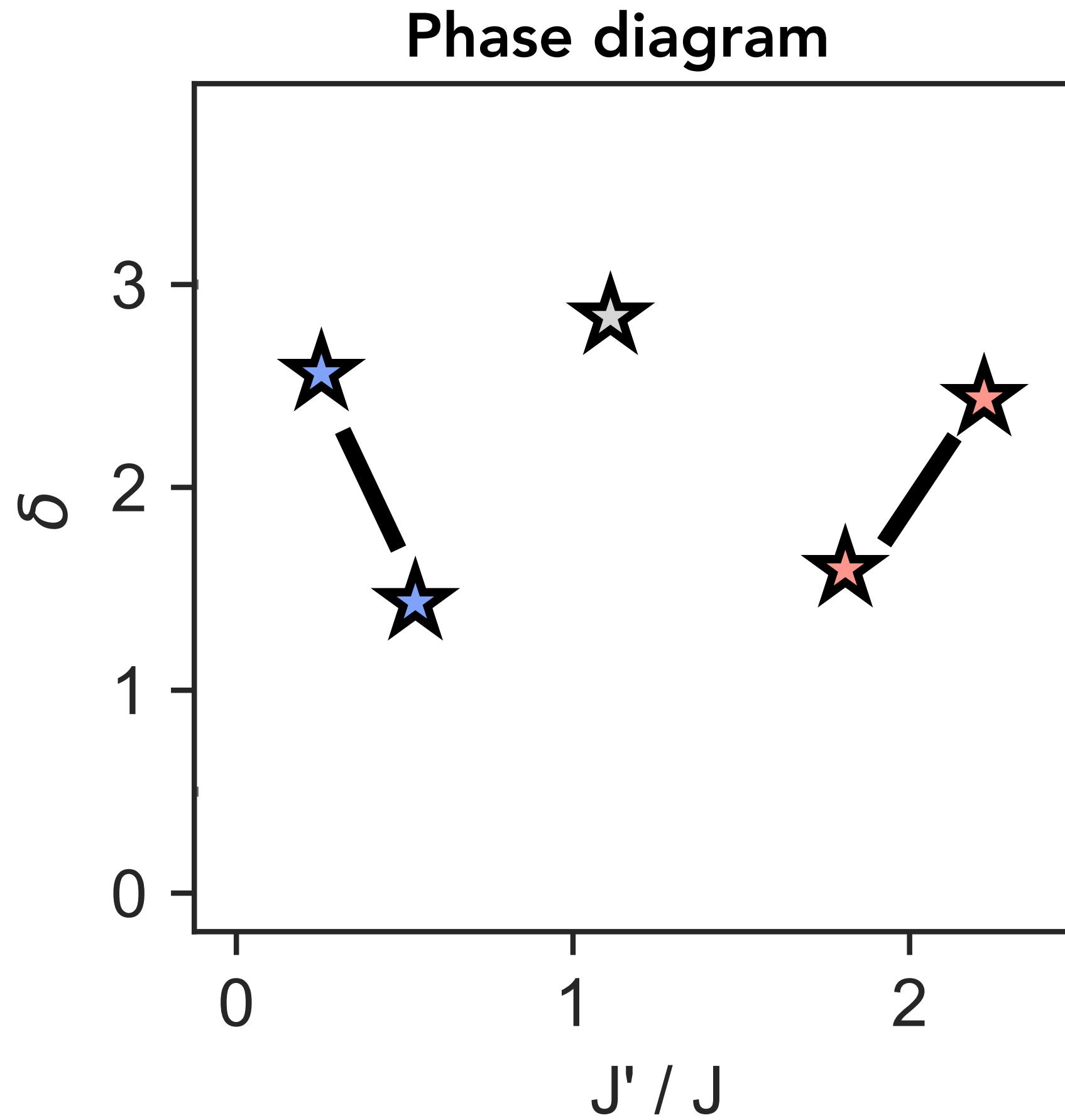
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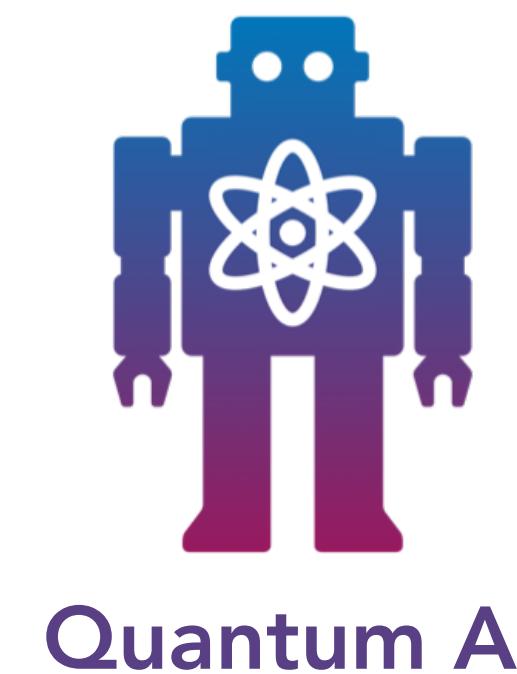
Question:

Can quantum AI tell if
two states are in the
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Discovering New Phases of Matter



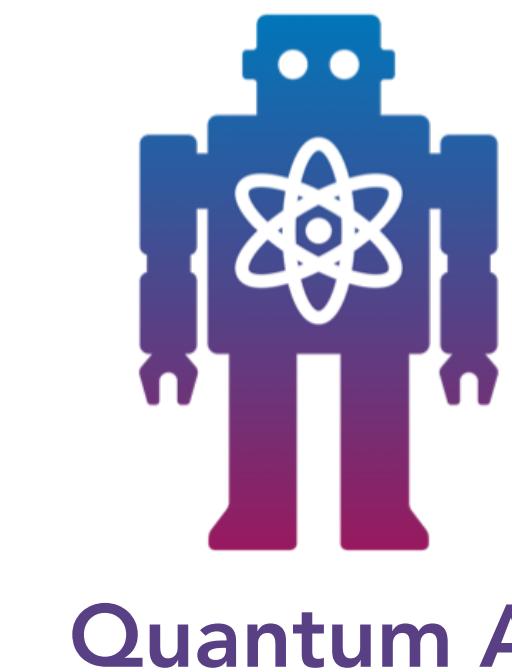
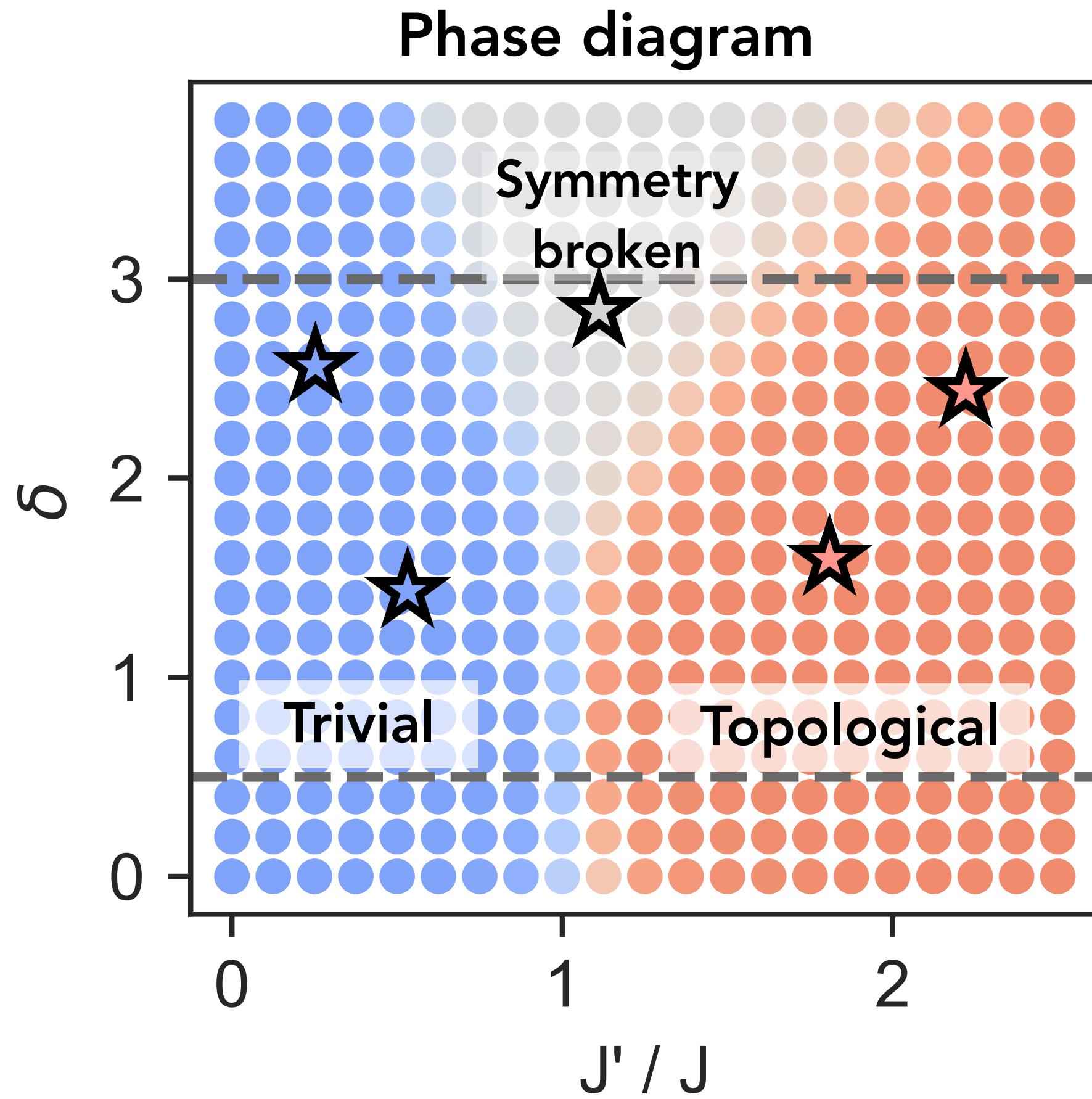
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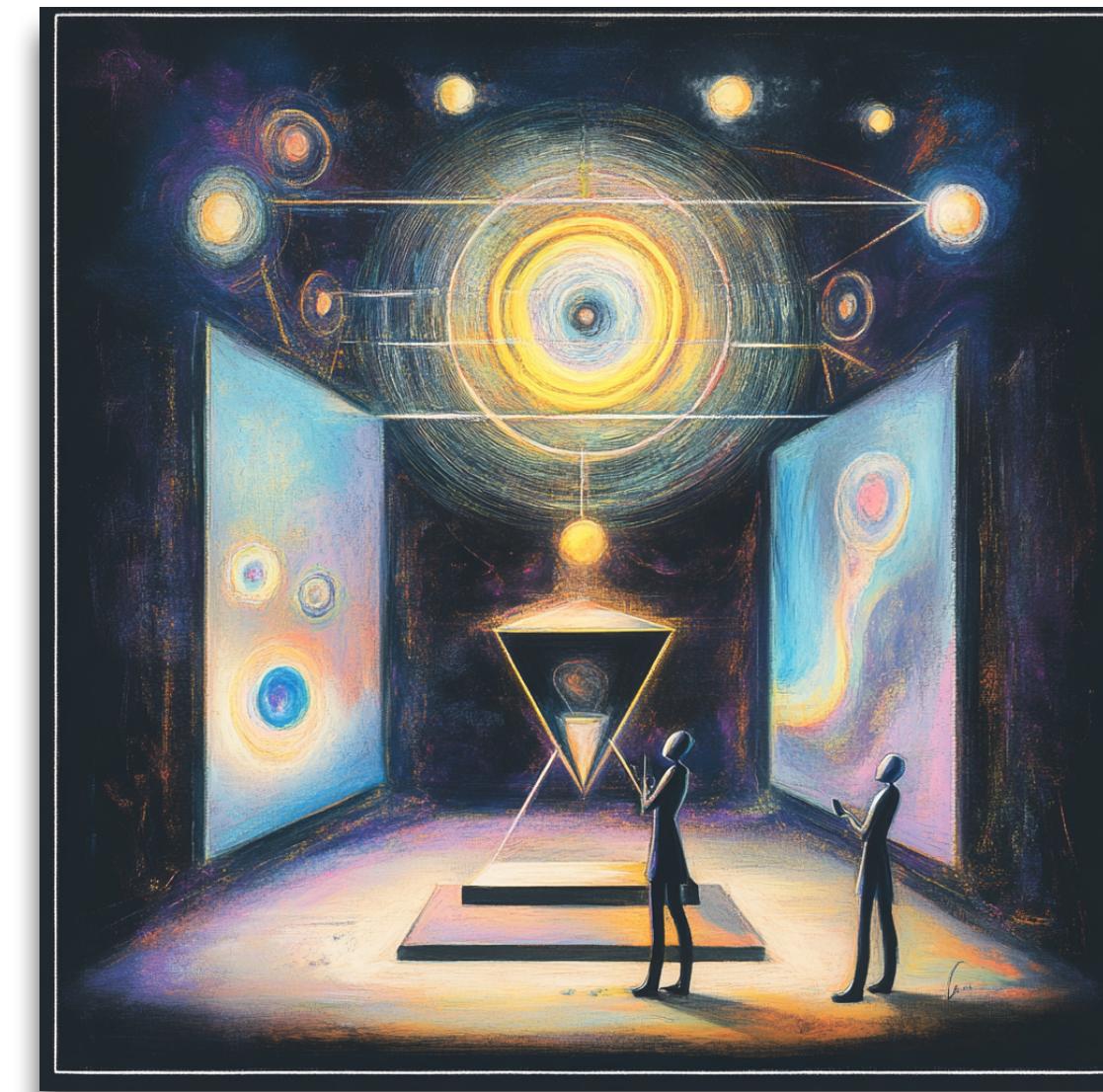
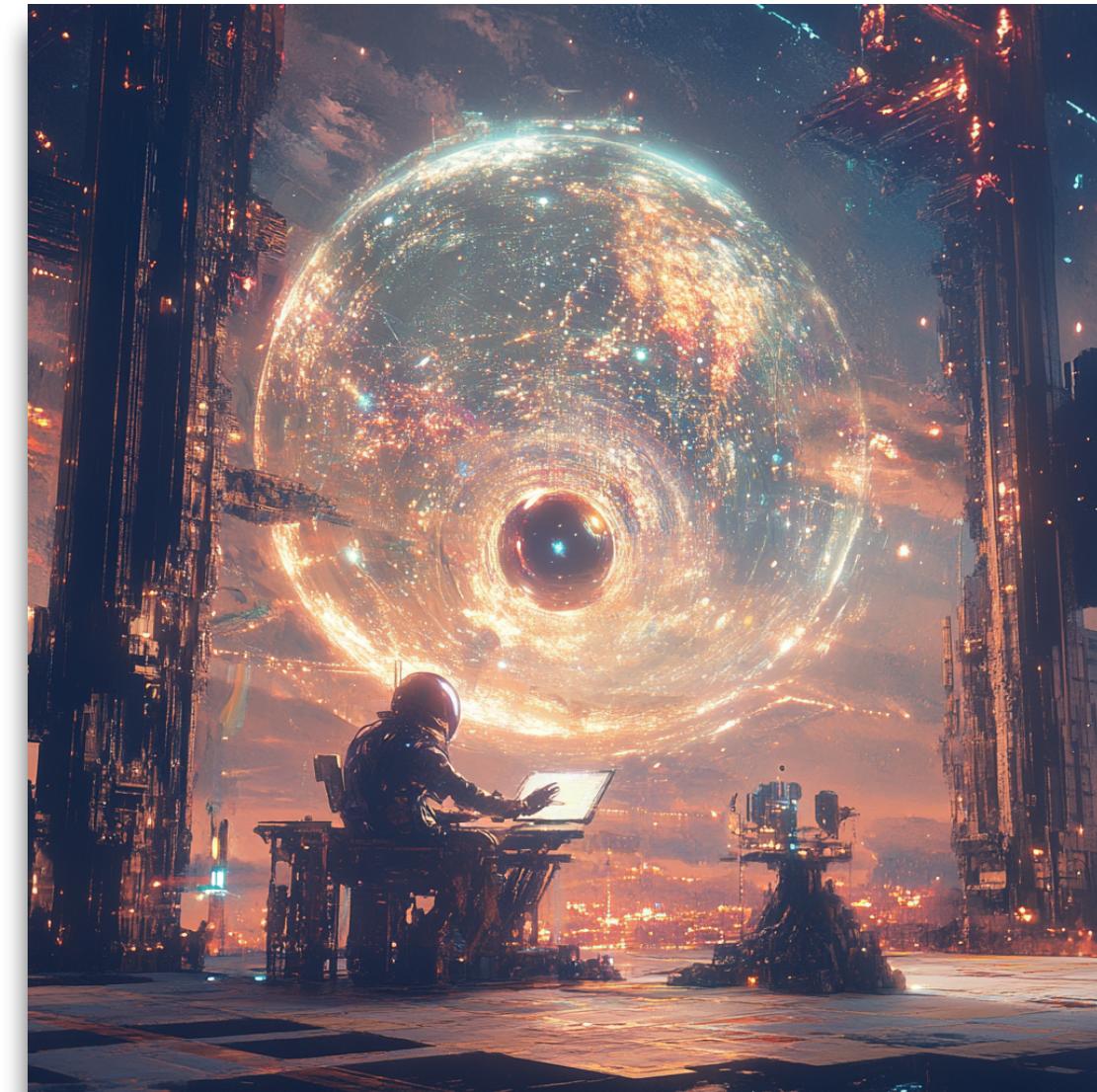
Discovering New Phases of Matter



If yes, quantum AI can
discover new phases
by mapping out the
entire phase diagram.

Long-term ambitions

1. Develop our understanding of learning to accelerate/automate science.
2. Build a **quantum machine** capable of learning and discovering new facets of our universe beyond humans and classical machines.



AI imagination of itself learning and discovering new facets of our quantum universe