

Everything ideal, then happy life!

$$k_{\text{par}} = k_0 * \sin(\text{slitangle})$$

$k_x$  and  $k_y$  are projected from  $k_{\text{par}}$

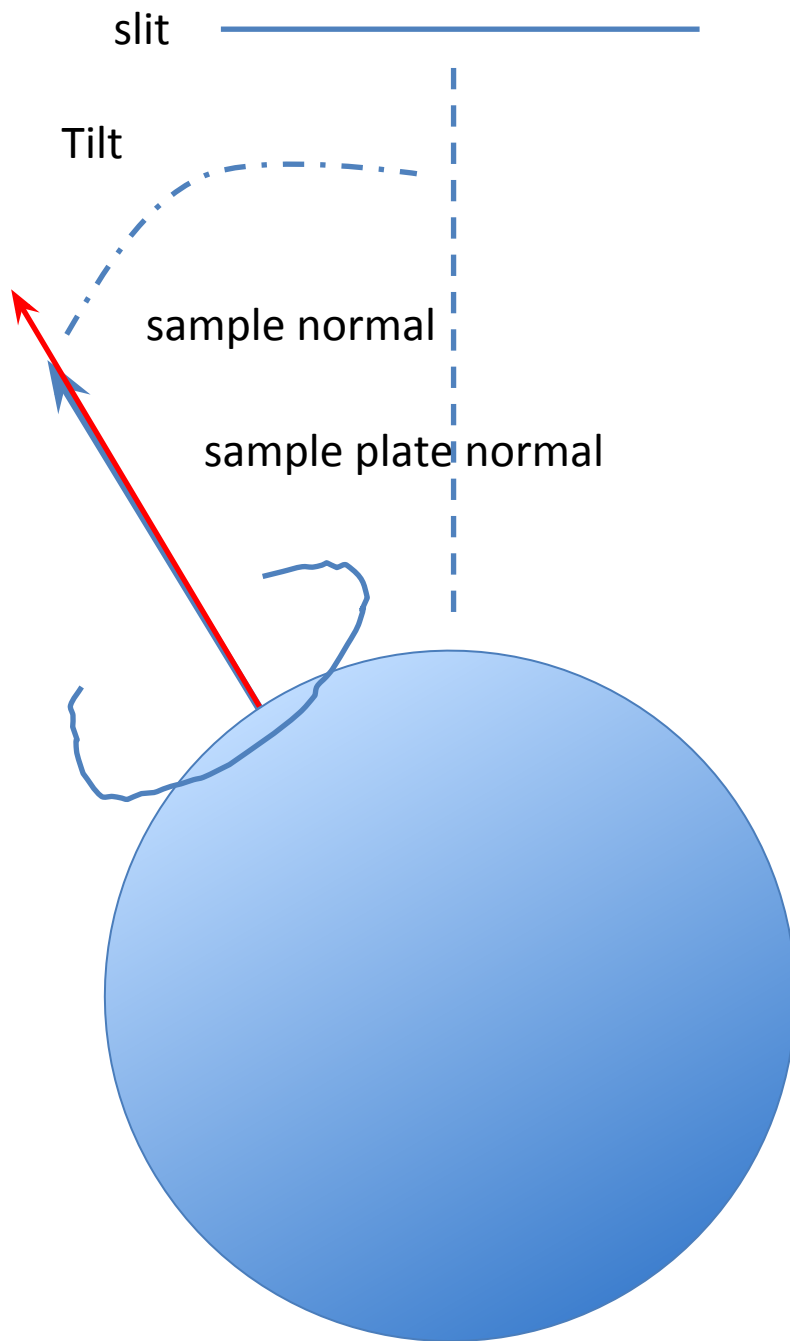
each  $k_{\text{par}}$  has their own azimuthal position

so we can choose arbitrary azimuth as our center

$$k_x = k_{\text{par}} * \cos(\text{azimuth} - \text{offset})$$

$$k_y = k_{\text{par}} * \sin(\text{azimuth} - \text{offset})$$

$$k_{\text{norm}} = k_0 * \cos(\text{slitangle})$$



Only tilt, still happy life!

$$k_{\text{par}} = k_0 * \sin(\text{slitangle\_offset})$$

$k_x$  and  $k_y$  are projected from  $k_{\text{par}}$

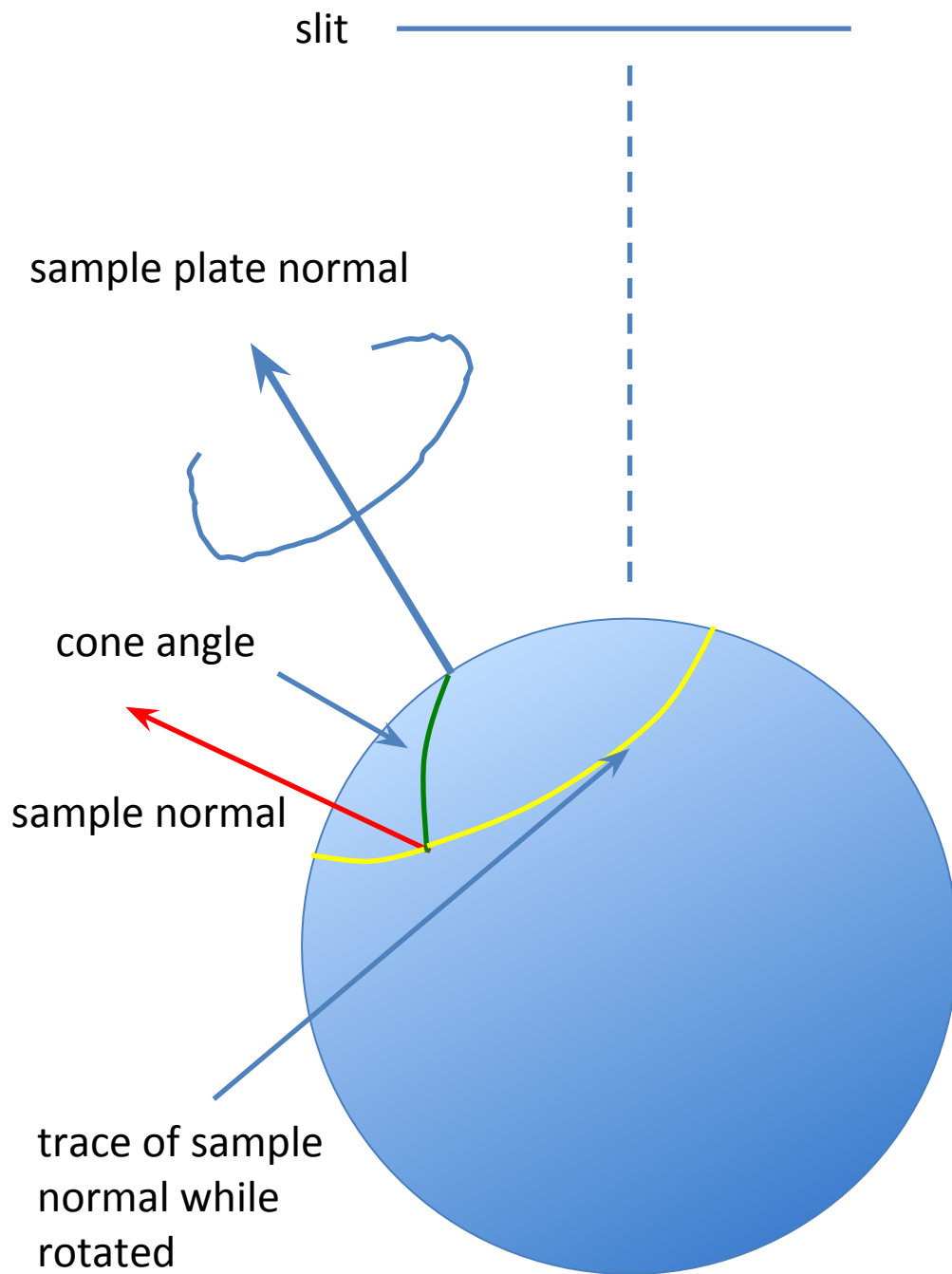
each  $k_{\text{par}}$  has their own azimuthal position

so we can choose arbitrary azimuth as our center

$$k_x = k_{\text{par}} * \cos(\text{azimuth} - \text{offset})$$

$$k_y = k_{\text{par}} * \sin(\text{azimuth} - \text{offset})$$

$$k_{\text{norm}} = k_0 * \cos(\text{slitangle\_offset})$$



Tilt and sample cone,

still use the previous momentum component

$$k_{\text{par}} = k_0 * \sin(\text{slitangle\_offset})$$

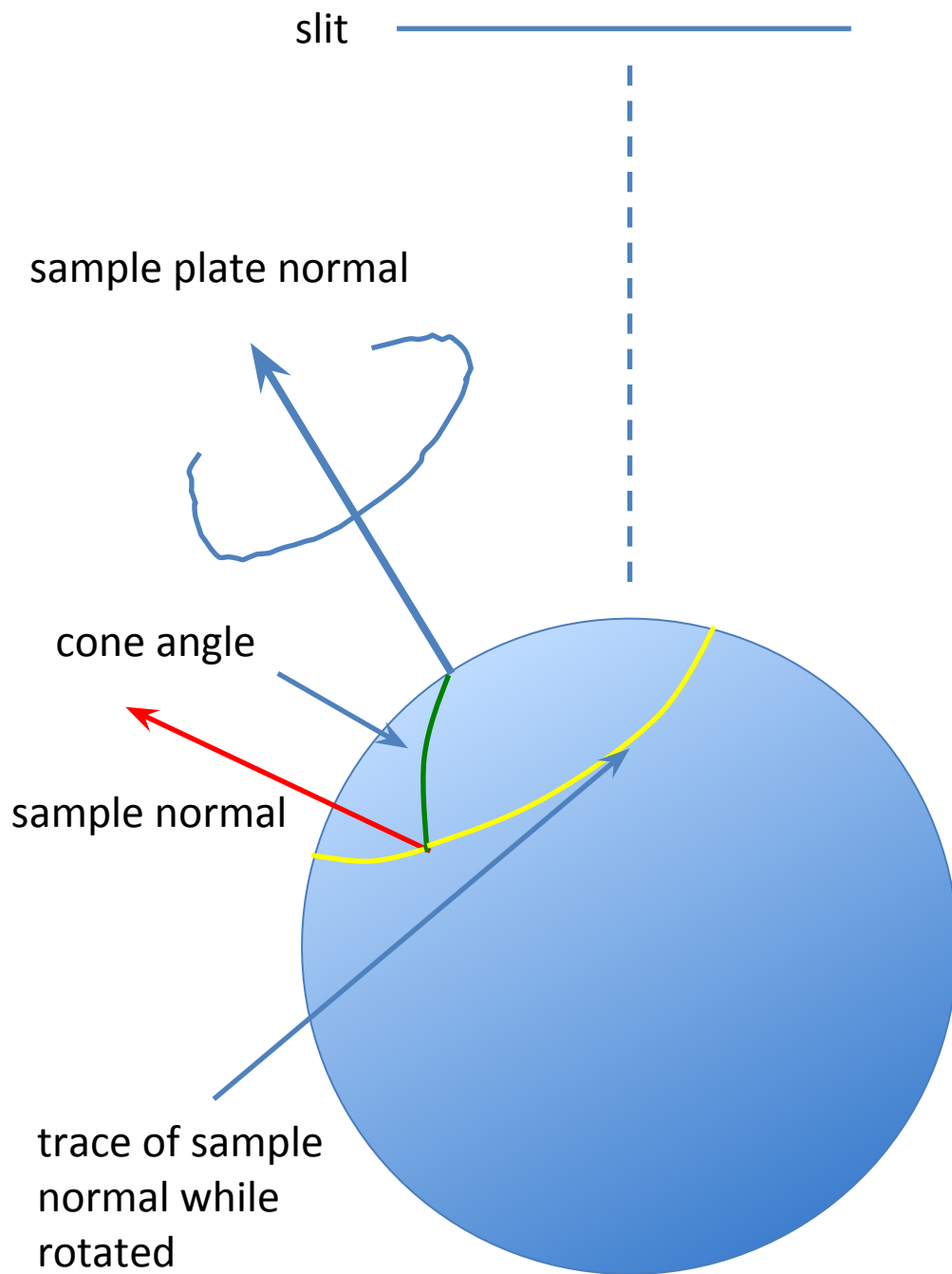
$$k_{\text{norm}} = k_0 * \cos(\text{slitangle\_offset})$$

this momentum are with respect to sample plate, in their respective azimuthal position

so to get the component of them in sample plane, we rotate their unit axis vector

$$X_{\text{sample}} = R_{\text{cone}} * R_{\text{azimuth}} * X(\text{sample\_plate})$$

I assume that the original cut which contains Gamma point is the y.axis to follow our convention



Tilt and sample cone,

so we use the program called

`kSpaceConversionFromPolar_v2`

with input:

- data
- cone\_angle
- cone\_angle\_azimuthposition
- lattice constant
- #kx
- #ky

We don't need to worry about tilt because it is recorded in the data inside `data.info.theta`

line of cut that passes Gamma

# Raw Data

combined

