Final Project of ML Finance

Bijie, Kai, Kus, Li

What problem we solved?

Hybrid ARIMA & SVM revisited

- Problem to solve
 - To achieve better prediction using the hybrid method
- Perfecting the original paper
 - Removed mysterious model 3, arima + svm
 - Created consistent tables
 - Used a different data set to replicate result
 - Used only one error Measurement (mean squared error)

Closing Price from these 8 companies

- 1) American National Insurance Company
- 2) Citi Group
- 3) General Electric Company
- 4) General Motors Company
- 5) JPMorgan Chase & Co
- 6) Eastman Kodak Company
- 7) Phillips Morris International Inc.
- 8) AT&T Inc.

Training Period	Testing Period
Jan 1st ~ 11th, 2015	Jan 12th ~ March 31st, 2015

Data Set

What we Did?

Models

ARIMA

$$y_t = \theta_0 + \varphi_1 y_{t-1} + \varphi_2 y_{t-2} + \ldots + \varphi_p y_{t-p} + \varepsilon_t - \theta_1 \varepsilon_{t-1} - \theta_2 \varepsilon_{t-2} - \ldots - \theta_q \varepsilon_{t-q}$$



SVR

$$y = w \varphi(x) + b$$

$$R(\alpha_i - \alpha_i^*) = \sum_{i=1}^{N} d_i (\alpha_i - \alpha_i^*) - \varepsilon \sum_{i=1}^{N} (\alpha_i - \alpha_i^*)$$

$$- \frac{1}{2} \sum_{i=1}^{N} \sum_{j=1}^{N} (\alpha_i - \alpha_i^*)$$

$$\times (\alpha_j - \alpha_j^*) K(x_i, x_j)$$

$$\times (\alpha_j - \alpha_j^*) K(x_i, x_j)$$

$$K(x_i, x_j) = \exp(-\|x_i - x_j\|^2/(2\sigma^2))$$

Language, Platform, and Toolkits













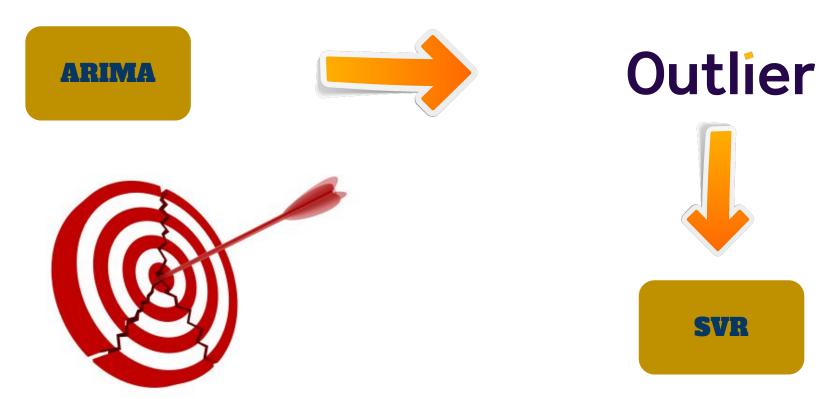
Program - ARIMA

```
35 X = series.values
36 \# size = int(len(X) * 0.995)
37 \, \text{size} = 100
38 #train, test = X[0:size], X[size:len(X)]
                                                                               Create ARIMA model!
39 train = X[0:10]
40 \text{ test} = X[10:\text{size}]
41 history = [x for x in train]
42 predictions = list()
43 for t in range(len(test)):
      model = ARIMA(history, order=(1,0,0))
                                                                             Fits ARIMA(p,d,q) by exact maximum
      model fit = model.fit()
                                                                                 likelihood via Kalman filter.
      output = model fit.forecast() -
      yhat = output[0]
      predictions.append(vhat)
49
50
      obs = test[t]
      history.append(obs)
      print('predicted=%f, expected=%f' % (yhat, obs))
                                                                              Forecast values based on history
52 error = mean squared error(test, predictions)
53 print('Test MSE: %.3f' % error)
54 # plot
55 pyplot.plot(test, color='blue')
56 pyplot.plot(predictions, color='red')
57 pyplot.show()
```

Program - SVR

```
53 size = 100;
54 #train, test = series[0:size], series[size:len(series)]
55 train = series[0:10]
56 test = series[11:size]
57 history = [x for x in train]
58 predictions = list()
59 for t in range(len(test)):
      test data = np.arange(len(history),len(history)+1)
61
      test data = np.expand dims(test data,axis=1)
62
      train data = np.arange(0,len(history))
      train data = np.expand dims(train data,axis=1)
63
64
      svr = SVR(kernel='rbf', C=1e3, gamma = 1/1250)
                                                                        Create SVR model!
65
      yhat = svr.fit(train data, history).predict(test data)
66
      predictions.append(yhat)
                                                                          Fit and predict
67
      obs = test[t]
68
      history.append(obs)
      print('predicted=%f, expected=%f' % (yhat, obs))
70 error = mean squared_error(test, predictions)
71 print('Test MSE: %.3f' % error)
73 plt.plot(test, color='blue')
74 plt.plot(predictions, color='red')
75 plt.show()
```

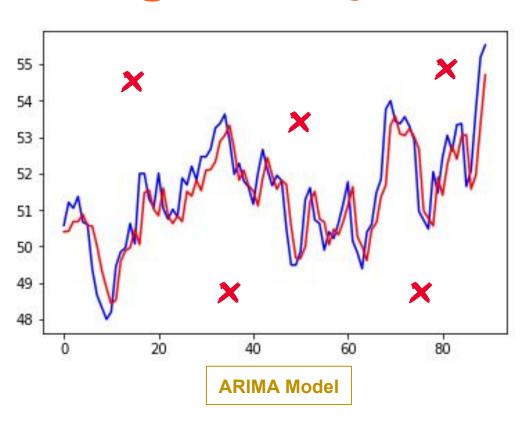
Program - Hybrid



Programs - Hybrid

```
38 for t in range(start point, len(train)):
      model = ARIMA(history, order=(0,1,0))
39
40
41
42
43
44
45
46
47
48
49
      model fit = model.fit()
      output = model fit.forecast()
      yhat = output[0]
      if abs(yhat-train[t]) > epsilon:
                                                                          Outlier and threshold
          outlier.append(train[t])#if a point
      else:
          predictions.append(yhat)
          true data.append(train[t])
          obs = train[t]
          history.append(obs)
 55 for t in range(1, len(outlier)):
 56
        predicted data = np.arange(len(history),len(history)+1)
        predicted data = np.expand dims(predicted data,axis=1)
 57
 58
        train data = np.arange(0,len(history))
        train data = np.expand dims(train data,axis=1)
 59
 60
        svr = SVR(kernel='rbf', C=1e3, gamma = 1/1250)
 61
        vhat = svr.fit(train data, history).predict(predicted data)
 62
        true data.append(outlier[t])
 63
        predictions.append(yhat)
 64
        obs = outlier[t]
 65
        history.append(obs)
```

Programs - Hybrid



What are our results?

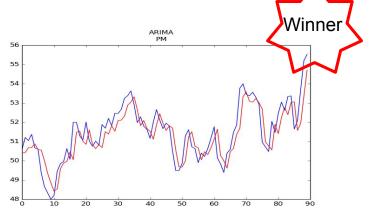
Experiment Settings:

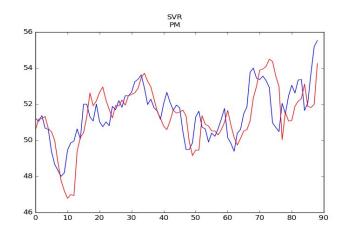
 Training & Testing: For training dataset, we use first 10 day for training and 90 day for testing

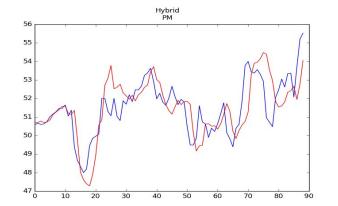
Data Sets: Eight datasets in January 1st, 2015 to March 31st, 2015

 Evaluation Metrics: We use MSE (mean squared error) of testing data to evaluate the accuracy of the model

Result PM:

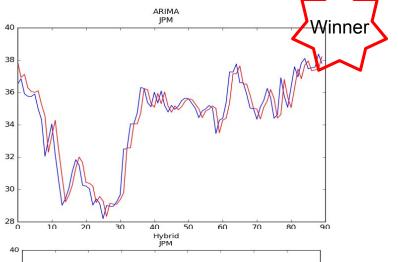


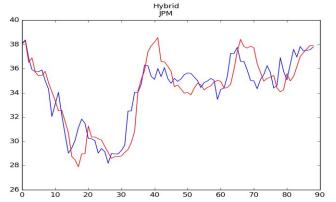


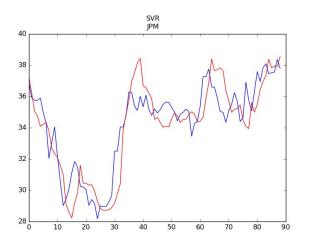


ARIMA	SVM	Hybrid
0.617	1.704	1.443

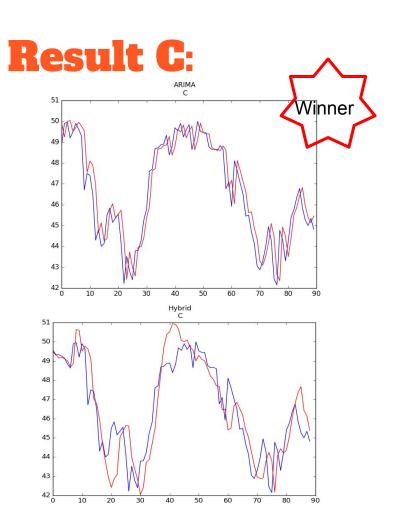


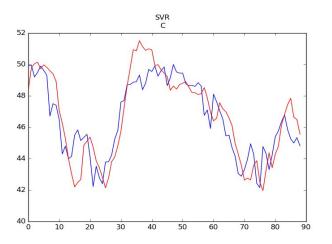






ARIMA	SVM	Hybrid
0.837	1.972	1.955





F	ARIMA	SVM	Hybrid
0).863	1.819	1.609

What's different from the original?

Our MSE Results:

	ARIMA	SVM	Hybrid
РМ	0.617	1.704	1.443
Т	0.566	0.700	0.656
KODK	0.713	2.971	2.398
JPM	0.837	1.972	1.955
GM	0.342	1.031	0.946
GE	0.714	1.362	1.131
С	0.863	1.819	1.609
ANAT	1.215	2.133	1.867

The MSE From Paper

	ARIMA	SVM	Hybrid
PM	0.187	0.187	0.110
Т	0.426	0.425	0.589
KODK	0.225	0.224	0.213
JPM	0.128	0.127	0.112
GM	0.374	0.318	0.204
GE	0.135	0.133	0.132
С	0.3078	0.333	0.262
ANAT	1.130	1.112	1.002

Differences & Discussion

As we can see, we can not replicate the result. In our experiment, most of the time, the ARIMA model yields the best result. Hybrid model performs better than SVM, but worse than ARIMA. This may due to following reasons:

- 1) Different data period. We are using datasets within three years instead of data ten years ago
- 2) Different market condition. The market condition might change during this period
- 3) "Efficient Market Hypothesis" at work.