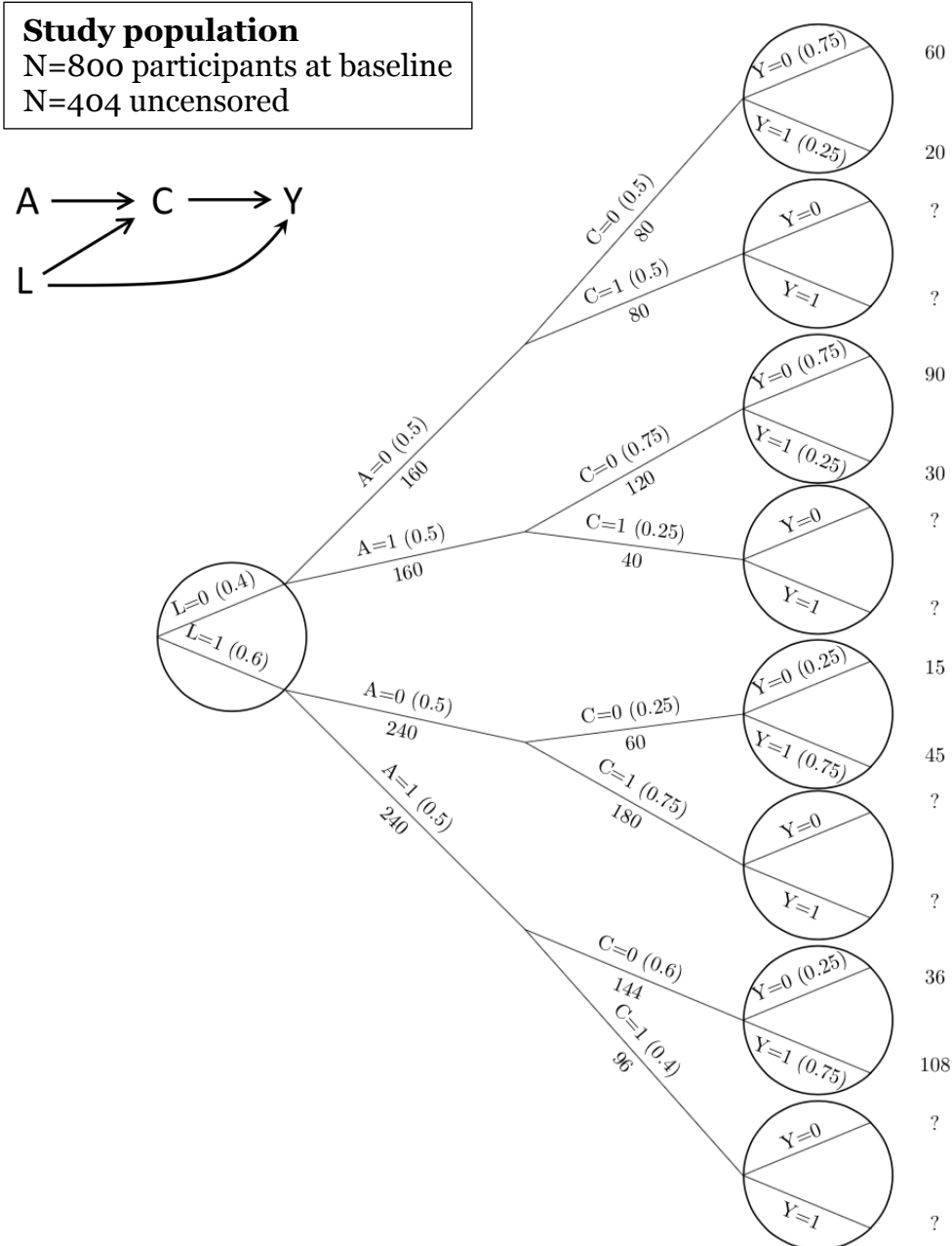


## EPI289. Models for Causal Inference

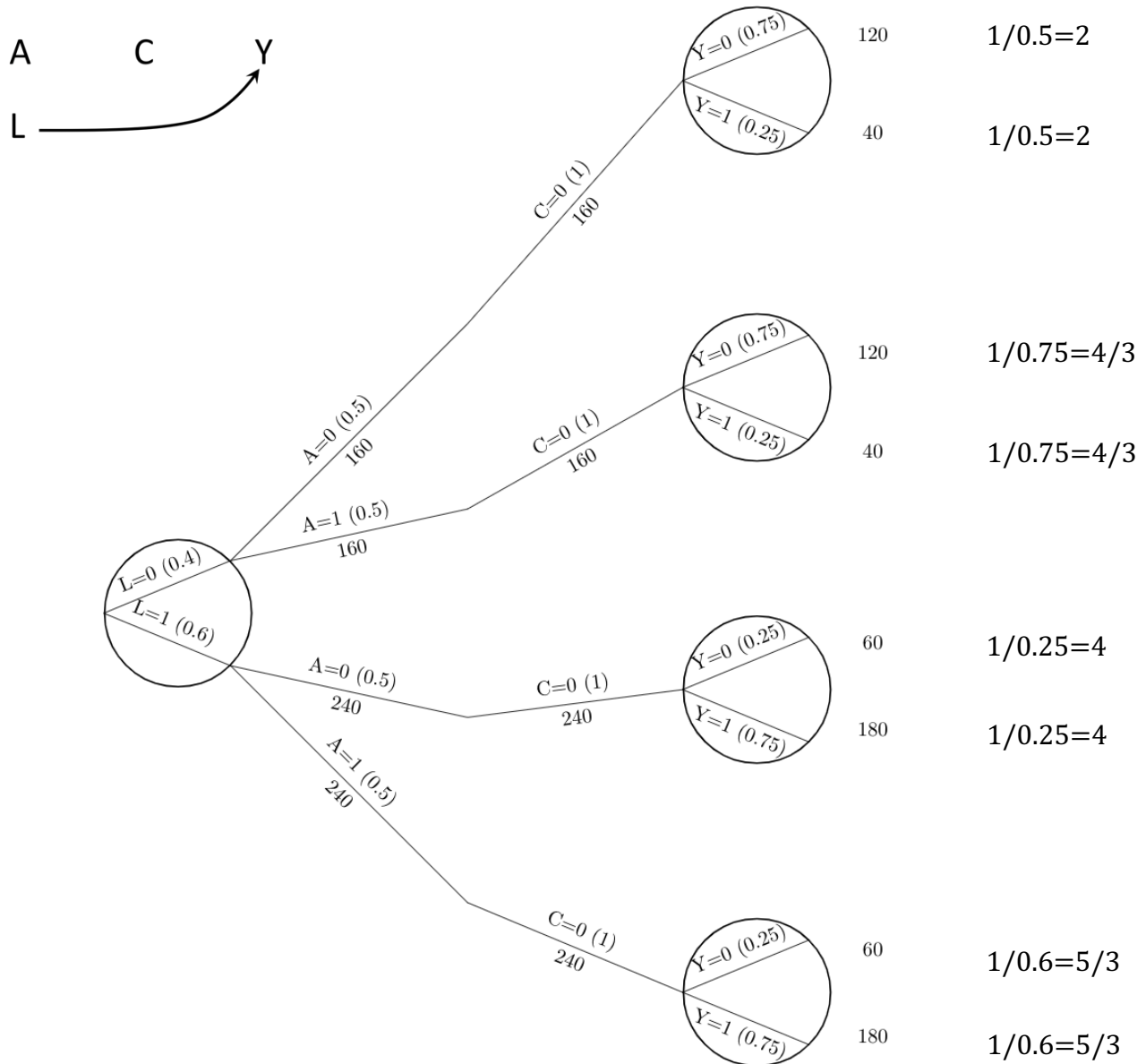
**Inverse probability weights for selection bias:**  
**A worked example using nonstabilized and stabilized weights**



In analysis restricted to the uncensored (C=0),  
 Risk difference =  $[(30+108)/(144+120)] - [(20+45)/(60+80)] = 0.0584 \approx 0.06$  (6 deaths per 100 people over the study period)

**Pseudo-population  
(nonstabilized weights for censoring)**  
N=800

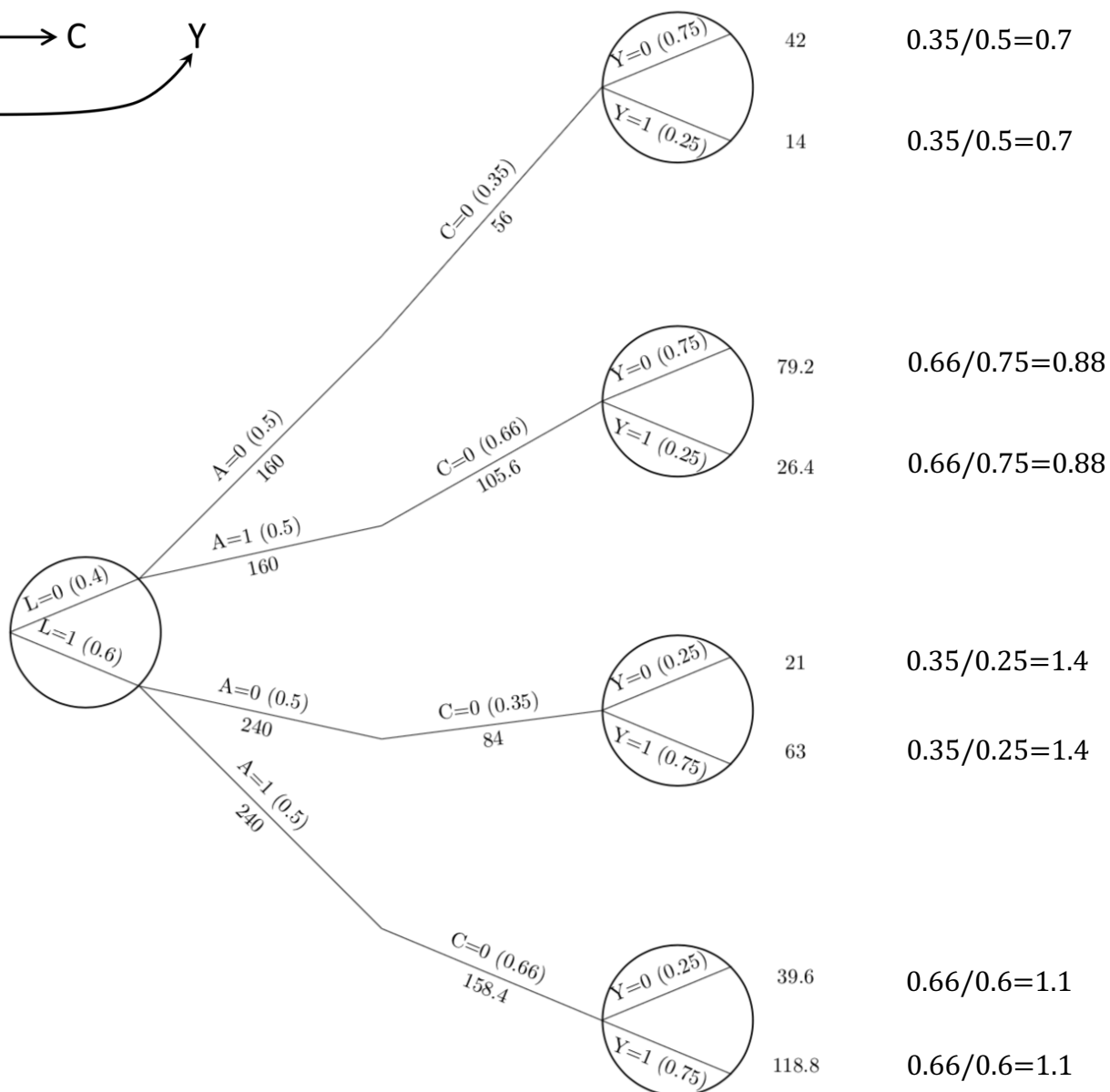
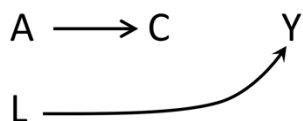
$$w^c = \frac{1}{\Pr[C=0|A,L]}$$



- Nonstabilized weights were applied to the uncensored in the original population
- The size of the pseudo-population is n=800 (as if nobody was censored)
- Risk difference =  $[(180+40)/(180+60+40+120)] - [(180+40)/(180+60+40+120)] = 0$
- We have removed the arrows from  $A \rightarrow C$  and  $L \rightarrow C$ 
  - $\Pr[C=0|A=0] = \Pr[C=0|A=1] = 1$
  - $\Pr[C=0|L=0] = \Pr[C=0|L=1] = 1$

**Pseudo-population**  
**(stabilized weights for censoring)**  
 N=404

$$SW^C = \frac{\Pr[C = 0|A]}{\Pr[C = 0|A, L]}$$



- Stabilized weights were applied to the uncensored in the original population
- The size of the pseudo-population is n=404 (selection, but no selection bias)
- Risk difference = [(118.8+26.4)/(118.8+39.6+26.4+79.2)] - [(63+14)/(63+21+14+42)] = 0
- We have removed the arrow from L→C
  - $\Pr[C=0|L=0] = (56+105.6)/320 = 0.505$
  - $\Pr[C=0|L=1] = (84+158.4)/480 = 0.505$
- The arrow from A→C remains
  - $\Pr[C=0|A=0] = 0.35$
  - $\Pr[C=0|A=1] = 0.66$