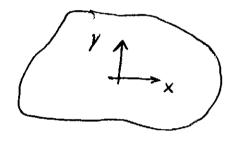
Treatment of point Sources (sinks)

Typical Parabolic System: 2-D $C \frac{2U}{2t} = V \cdot RVU + V \cdot VU + kU + V$

Source strength: Stuff
Time

ex: Heat Transfer



T: distributed e.g.

microwaves in cooking

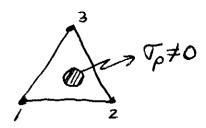
T(x,y) W/cm³

offectively only at 1 point e.g. metal Rod, heating cable Hot water pipe through the plane

In all cases:

$$\langle c \frac{2\hat{u}}{2t} \phi \rangle = \cdots \langle \sigma_i \phi_i \rangle$$

Look at the pipe:



 $\langle \nabla_p \phi_i \rangle = 0$ unless "i" is in the element with the pipe If pipe small relative to element

$$\sqrt{\tau_p} \, \phi_i \rangle \approx \phi_i (x_p, y_p) \langle \tau_p \rangle^e$$

Want limit as pipe - 0, but W/cm constant

Strength: W/cm > 0 = (0)

By defn:
$$\int (x_p, y_p) = 0$$
 everywhere except
= ∞ at (x_p, y_p)

and $\langle \delta(x_p, y_p) \rangle = 1$ if (x_p, y_p) in elemente

- Total input 15 correct
- allocation to closest nodes is greatest

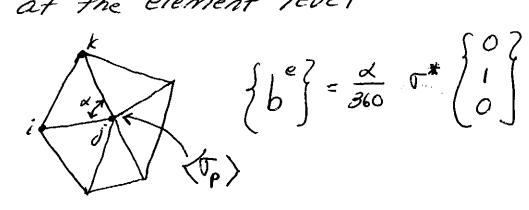
Easiest Case: Tp 15 located at Node j

$$\Rightarrow \langle \tau_{\rho} \phi_{i} \rangle = \tau^{*} \quad \text{if } i = j$$

$$= 0 \quad \text{otherwise } i \neq j$$

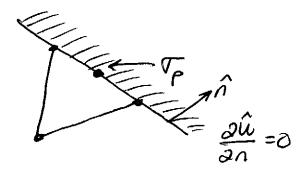
all source in Galerkin equation #j ... Simply add of to RHS

- Formally, at the element level

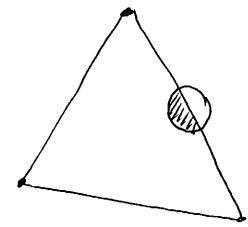


in each element, but sums to T* after all elements considered : No weed to calculate d. Insect of after element assembly

Symmetry Boundary



enlayed:



only 1/2 of Tp goer into an element - balance occurs in "image" region