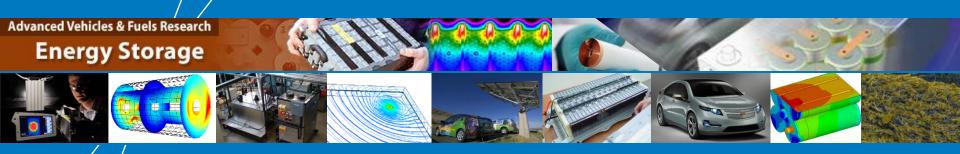


# Life Prediction Model for Grid-Connected Li-ion Battery Energy Storage System



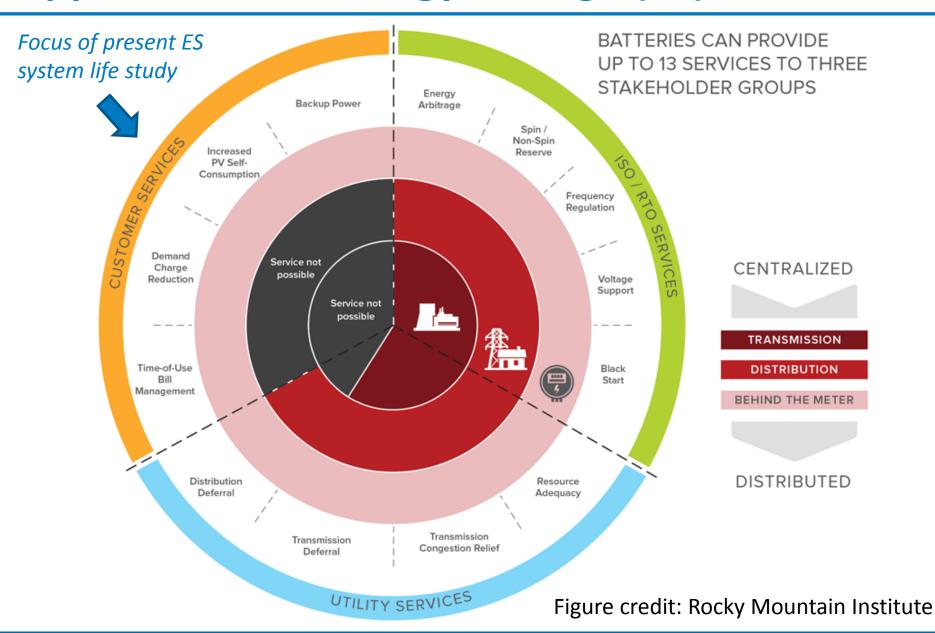
Kandler Smith\*, Aron Saxon, Matthew Keyser, Blake Lundstrom
National Renewable Energy Laboratory

Ziwei Cao, Albert Roc SunPower Corp.

American Control Conference Seattle, WA May 23-26, 2017

\*kandler.smith@nrel.gov

# **Applications of Energy Storage (ES) on the Grid**



# Example Application: Behind-the-meter ES enables PV use in locations such as Hawaii (where power export is prohibited)

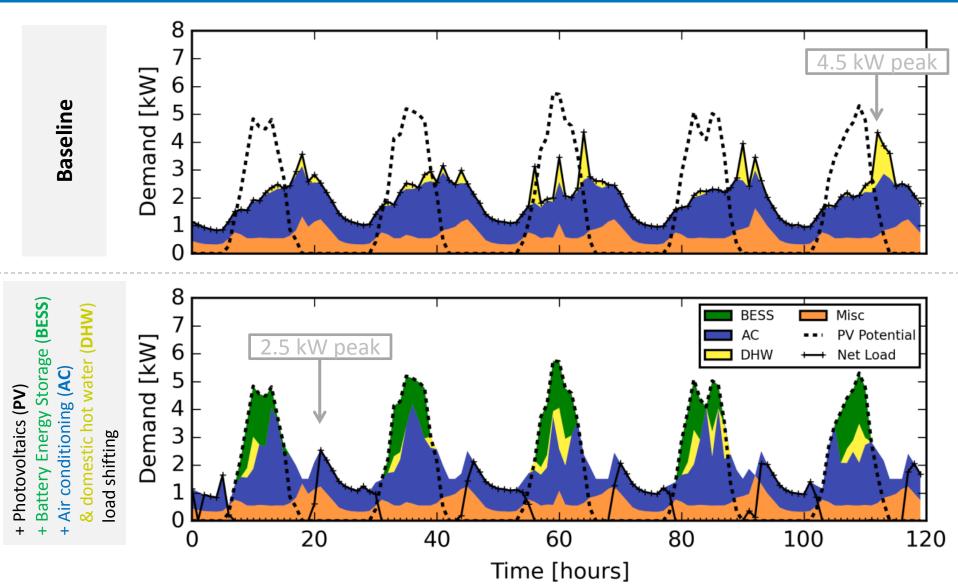


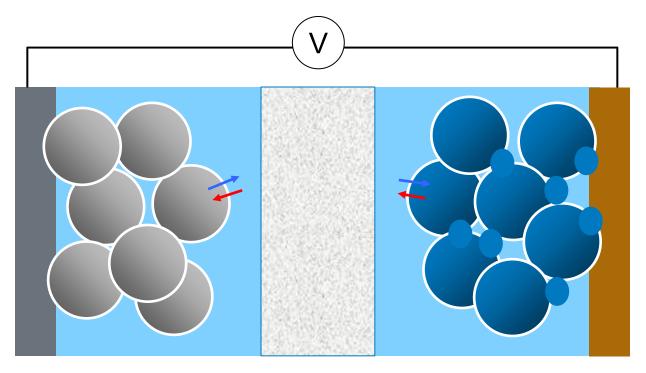
Figure: "Solar Plus: An Holistic Approach to Distributed Solar PV" Eric O'Shaughnessy, Kristen Ardani, Dylan Cutler, Robert Margolis (NREL Pub #68371)

#### **Outline**

- Degradation mechanisms
- Modeling approach
- Aging tests
- Model and parameter identification
- Example life prediction

# **Li-ion Working Principles**

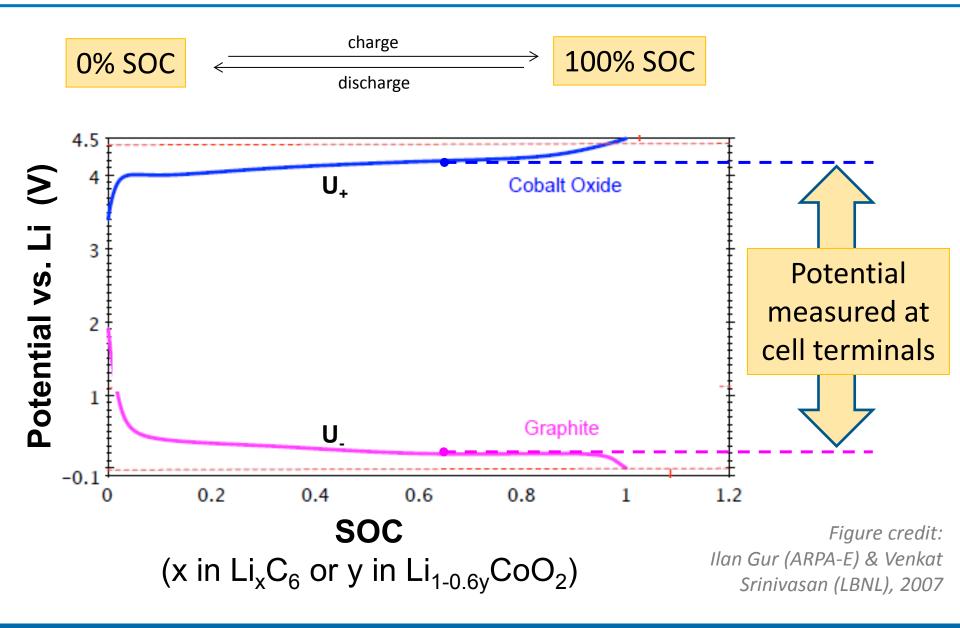
Neg. Electrode
Graphite
Hard carbon
Silicon
Titanate
Li metal



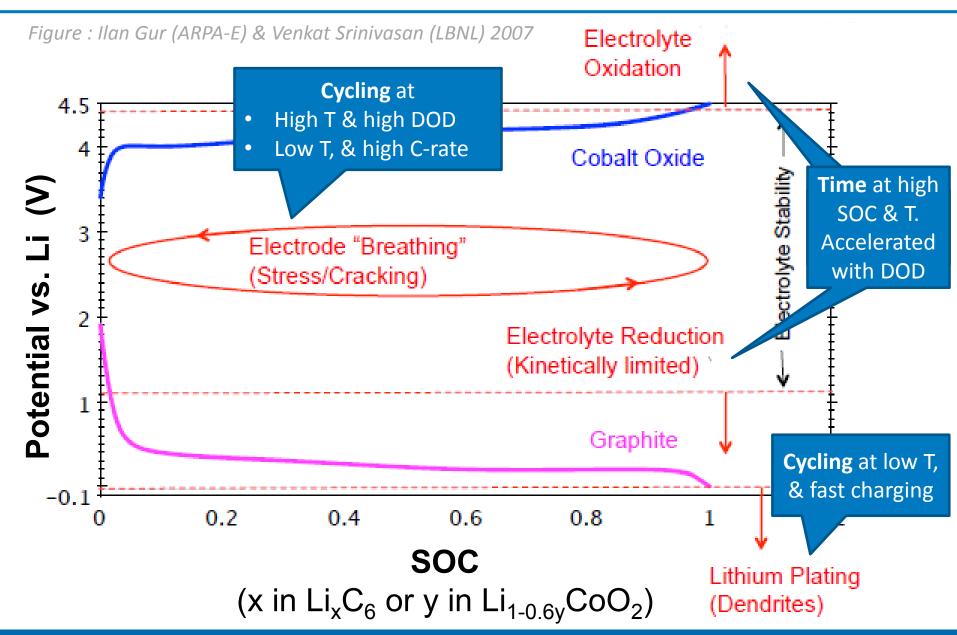
Pos. Electrode
LiXO<sub>2</sub>, X = NiMnCoCo NiCoAlLiMn<sub>2</sub>O<sub>4</sub>,
LiFePO<sub>4</sub>

Figure credit: Gi-Heon Kim

## **Electrochemical Operating Window**



#### **Electrochemical Window – Degradation**

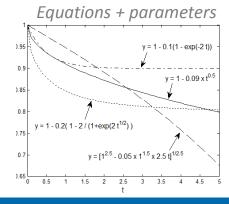


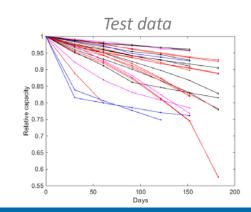
## **NREL Battery Life Predictive Model Framework**

# Reduced-order models for physical fade mechanisms, e.g.

- SEI growth & damage
- Particle fracture
- Electrode isolation
- Electrolyte decomposition
- Gas generation, delamination
- Li plating

# Semi-automated software aids model equation selection and parameter identification





ł	Mechanism	Trajectory equation	State equation	Parameters
	Diffusion- controlled reaction	$x(t) = kt^{1/2}$	$\dot{x}(t) = \frac{k}{2} \left( \frac{k}{x(t)} \right)$	k-rate (p=1/2)
	Kinetic- controlled reaction	x(t) = kt	$\dot{x}(t) = k$	k – rate (p=1)
	Mixed diffusion/ kinetic	$x(t) = kt^p$	$\dot{x}(t) = kp \left(\frac{k}{x(t)}\right)^{\left(\frac{1-p}{p}\right)}$	k – rate p – order, 0.3 <p<1< td=""></p<1<>
	Diffusion controlled reaction with mechanical damage	See Appendix A	$\dot{D} = \frac{dN}{dt} k_D \cdot \left(\sqrt{D}\right)^p$ $\dot{x}_0(t) = \frac{k}{2} \left(\frac{k}{x(t)}\right)$	k – rate p – order
	Cyclic fade-	x(N) = kN	$\dot{x}_{j}(t) = D \frac{k}{2} \left( \frac{k}{x(t)} \right)$ $\dot{x}(N) = k$	k-rate
	linear Cyclic fade – accelerating.	$x(N) = \left[x_0^{1+p} + kx_0^p (1+p)N\right]^{\frac{1}{1+p}}$	$\dot{x}(N) = k \left(\frac{x_0}{x(N)}\right)^p$	$(p=0)$ $k-rate$ $p-order,$ $0 \ge p > 3$
	Break-in process	$x(t) = M(1 - \exp(-kt))$ or $x(N) = \dots$	$\dot{x}(t) = k\big(M - x(t)\big)$	M- maximum fade k-rate
	Sigmoidal reaction	$x(t) = M \left[ 1 - \frac{2}{1 + \exp(kt^p)} \right]$ or $x(N) = \dots$	$\dot{x}(t) = \frac{2MkpX(t)\exp(kX(t))}{\left[1 + \exp(kX(t))\right]^2}$ $X(t) = \left\{\frac{1}{k}\ln\left(\frac{2}{1 - \frac{x(t)}{M}} - 1\right)\right\}^{\frac{1}{p}}$	M- maximum fade k-rate p-order
	x, D: st			

 $k, k_D$ : fade rates

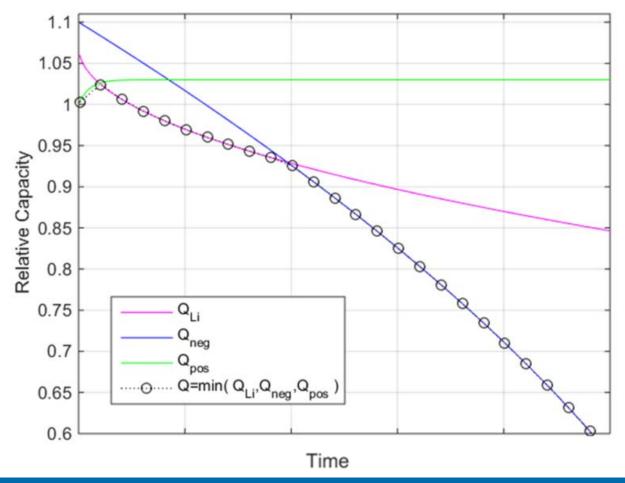
p: order

M: maximum extent of fade

S. Santhanagopalan, **K. Smith**, J. Neubauer, G.-H. Kim, A. Pesaran, M. Keyser, Design and Analysis of Large Lithium-Ion Battery Systems, Artech House, 2015.

#### Model assumes measured capacity is minimum of:

- 1. Cycleable lithium, Q<sub>Li</sub>
- 2. Negative electrode sites, Q<sub>neg</sub>
- 3. Positive electrode sites, Q<sub>pos</sub>



## Aging tests – Kokam 75Ah Gr/NMC Li-ion cells

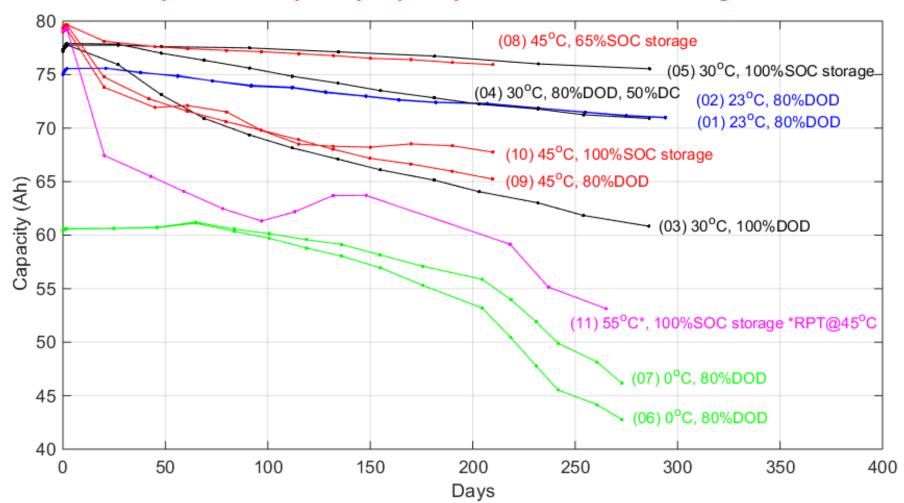
- Tests design to include both benign and highly accelerated aging
  - Some real-world, some reaching 30% capacity fade in 6-9 months
- Pure storage (0%), partial cycling (50% DC\*), & fully accelerated cycling (100% DC)
  - Separate calendar from cycling fade
- Capacity check run at test temperature
  - Simplifies testing but makes model ID more difficult
- Ideal test matrix would include more aging conditions

Gr = Graphite negative electrode NMC = Nickel-Manganese-Cobalt positive electrode

Cycling tests					
Temperature	DOD	Dis./charge rate	Duty- cycle*	# of cells	
23°C	80%	1C/1C	100%	2	
30°C	100%	1C/1C	100%	1	
30°C	80%	1C/1C	50%	1	
0°C	80%	1C/0.3C	100%	2	
45°C	80%	1C/1C	100%	1	
Storage tests					
Temperature	nperature SOC				
30°C 100%				1	
45°C 65%				1	
45°C 100%				1	
55°C 100%			1		

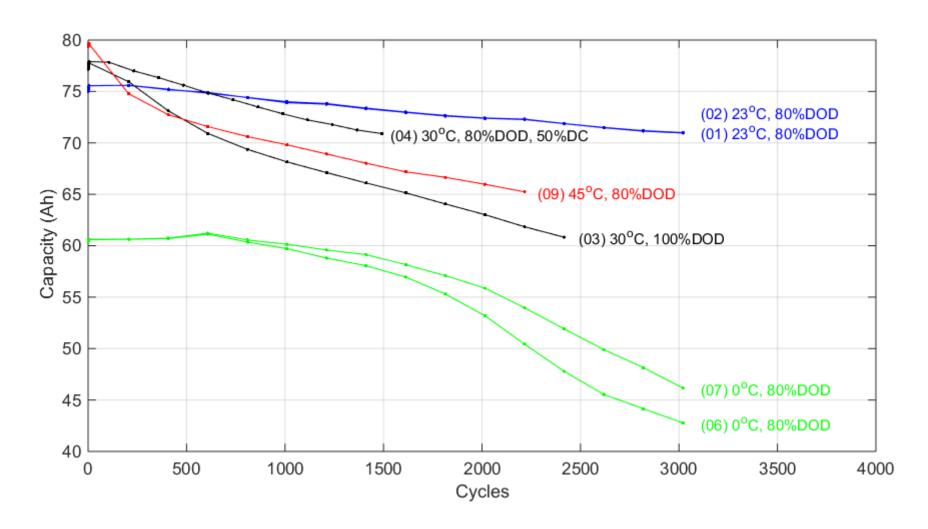
# C/5 Capacity vs. Time

- Tight agreement for replicate cells 1&2 at 23°C
- Some divergence for replicate cells 6&7 at 0°C
- Unexplained temporary capacity increase for 55°C storage cell

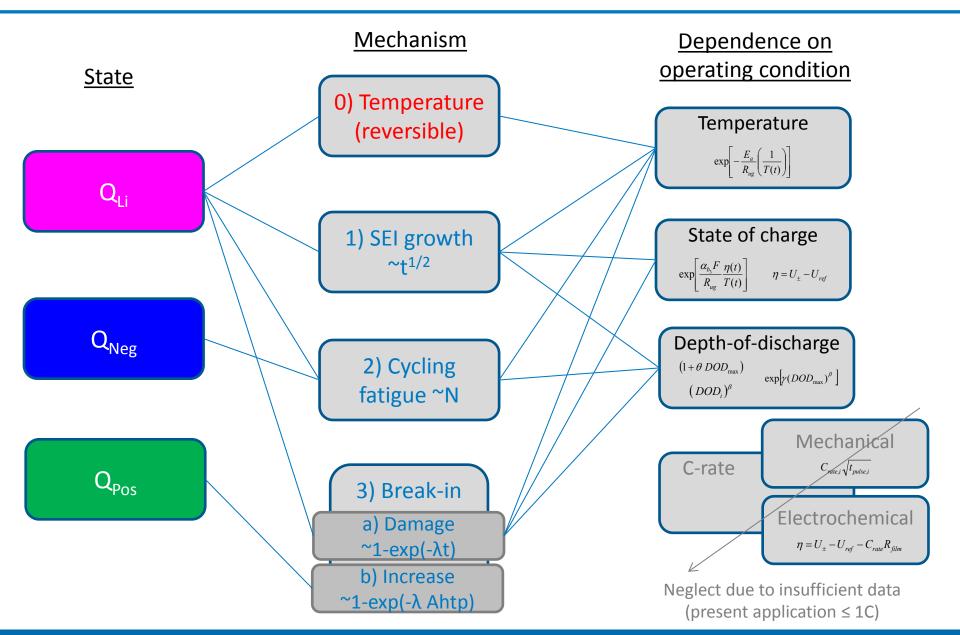


# C/5 Capacity vs. Cycles

- Storage data omitted
- Just 6% capacity loss after 3000 cycles at 23°C, 80% DOD

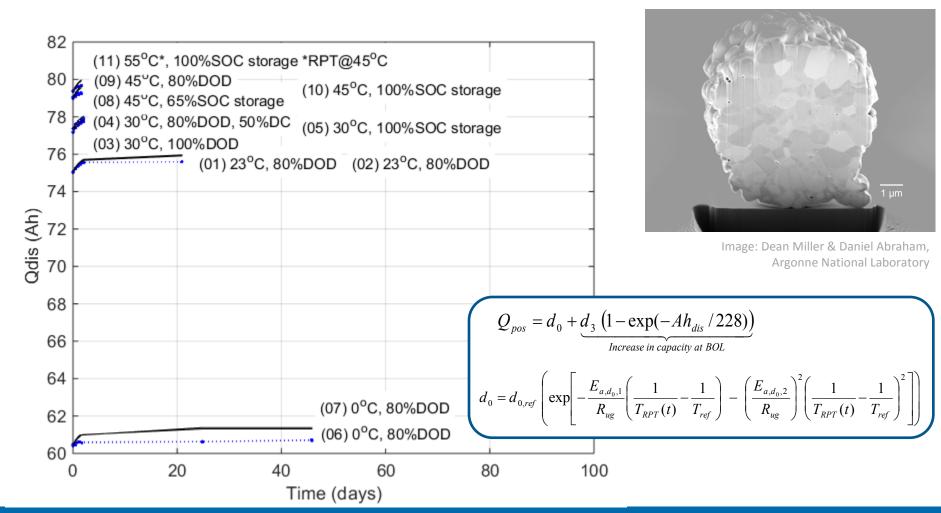


# Capacity Evolution-Reversible and Irreversible



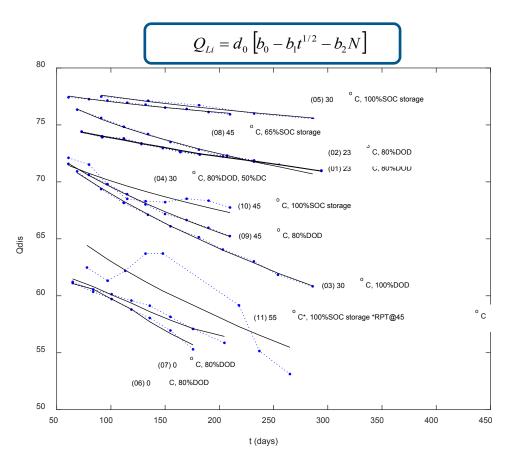
#### **Q**<sub>Pos</sub> Capacity Break-in & Initial Temperature Dependence

 Hypothesize initial cycles induce microcracks in NMC particles, increasing electrolyte wetting and surface area



# **Q**<sub>Li</sub> Local Models

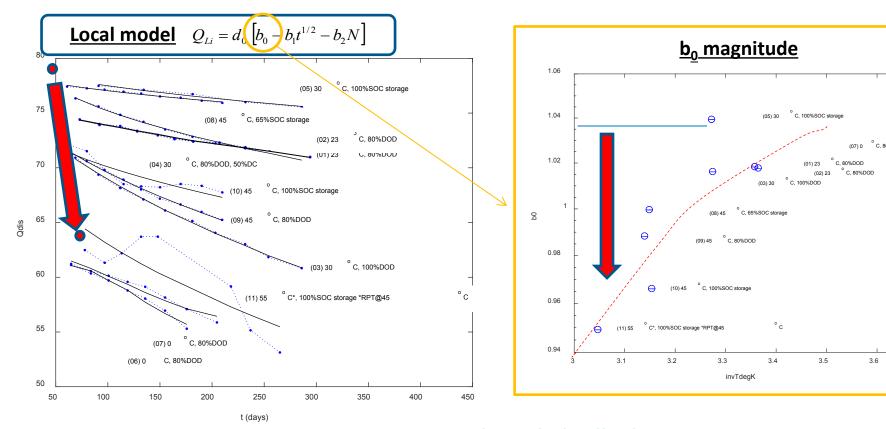
- Local models: Separately fit b<sub>0</sub>, b<sub>1</sub>, b<sub>2</sub> for each data set, excluding
  - First 50 days of data (allows y-intercept to vary with break-in)
  - Knee at 0°C (to be captured later with Q<sub>neg</sub> model)





 Choice of mechanisms justified by R<sup>2</sup>=0.990 and flat residuals

# **Q**<sub>1</sub>; Magnitude of break-in Li-loss



- Least degraded cells show ~3-4% excess Li capacity
- High temperature causes rapid loss in first 50 days
  - Open-circuit voltage and DOD also increase loss
  - Evidence of film layer formation at positive electrode?

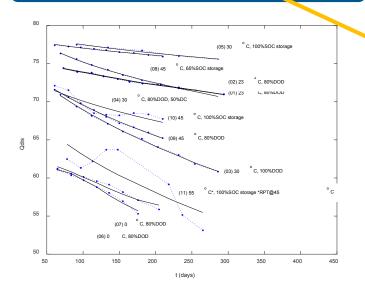
$$y_0 - b_3 (1 - \exp(-t/\tau_{b3}))$$

$$y_0 - b_3 \left( 1 - \exp(-t/\tau_{b3}) \right)$$
  $b_3 = b_{3,ref} \exp \left[ -\frac{E_{a,b_3}}{R_{ug}} \left( \frac{1}{T(t)} - \frac{1}{T_{ref}} \right) \right] \exp \left[ \frac{\alpha_{b_3} F}{R_{ug}} \left( \frac{V_{OC}(t)}{T(t)} - \frac{V_{ref}}{T_{ref}} \right) \right] \left( 1 + \theta DOD_{max} \right)$ 

× 10 -3

# **Q**<sub>Li</sub> Calendar fade rate

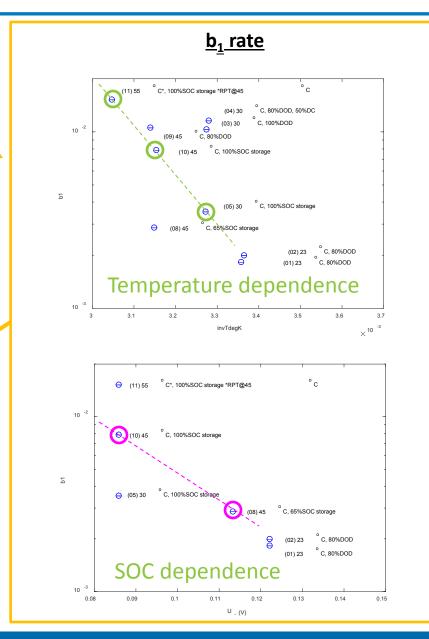
#### **Local model** $Q_{Li} = d_0 \left[ b_0 \left( b_1 \right)^{1/2} - b_2 N \right]$



#### **b**<sub>1</sub> rate model

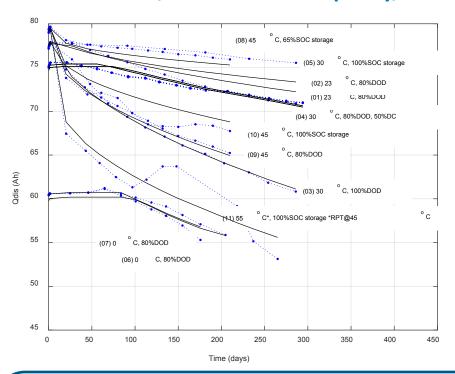
$$b_{1} = b_{1,ref} \exp \left[ -\frac{E_{a,b_{1}}}{R_{ug}} \left( \frac{1}{T(t)} - \frac{1}{T_{ref}} \right) \right] \exp \left[ \frac{\alpha_{b_{1}} F}{R_{ug}} \left( \frac{U_{-}(t)}{T(t)} - \frac{U_{ref}}{T_{ref}} \right) \right] \exp \left[ \gamma_{b_{1}} (DOD_{\text{max}})^{\beta_{b_{1}}} \right]$$

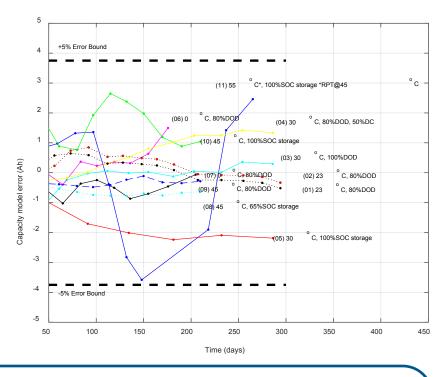
- Visualization of rates suggests rate model equations
- Fitted rate model parameters provide initial guess for global model parameters



# **Q**<sub>Li</sub> Global Model

- With equations known, parameters fit to all data simultaneously
- R<sup>2</sup> = 0.985, RMSE = 1% of capacity, flat residuals





#### **Q**<sub>Li</sub> global model

$$Q_{Li} = d_0 \begin{bmatrix} b_0 - b_1 t^{1/2} - b_2 N - b_3 (1 - \exp(-t/\tau_{b3})) \\ \frac{SEI\ growth}{with\ calendar} - \frac{Loss\ with}{cycling} & \frac{Break-in\ mechanism}{at\ BOL} \end{bmatrix}$$

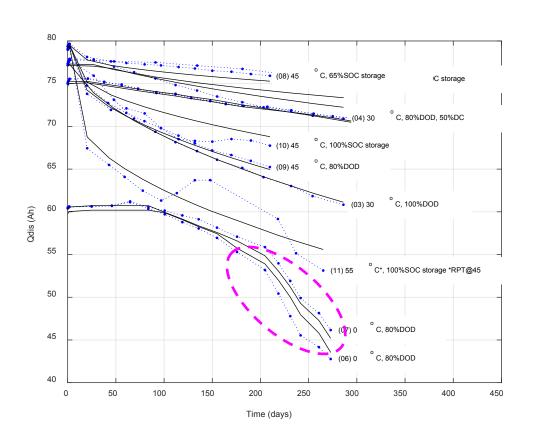
$$b_{1} = b_{1,ref} \exp \left[ -\frac{E_{a,b_{1}}}{R_{ug}} \left( \frac{1}{T(t)} - \frac{1}{T_{ref}} \right) \right] \exp \left[ \frac{\alpha_{b_{1}} F}{R_{ug}} \left( \frac{U_{-}(t)}{T(t)} - \frac{U_{ref}}{T_{ref}} \right) \right] \exp \left[ \gamma_{b_{1}} (DOD_{\text{max}})^{\beta_{b_{1}}} \right]$$

$$b_{2} = b_{2,ref} \exp \left[ -\frac{E_{a,b_{2}}}{R_{ug}} \left( \frac{1}{T(t)} - \frac{1}{T_{ref}} \right) \right]$$

$$b_{3} = b_{3,ref} \exp \left[ -\frac{E_{a,b_{3}}}{R_{ug}} \left( \frac{1}{T(t)} - \frac{1}{T_{ref}} \right) \right] \exp \left[ \frac{\alpha_{b_{3}} F}{R_{ug}} \left( \frac{V_{OC}(t)}{T(t)} - \frac{V_{ref}}{T_{ref}} \right) \right] \left( 1 + \theta \ DOD_{\text{max}} \right)$$

# **Q**<sub>Neg</sub> Model

- Captures knee with cold temperature cycling
- Minor importance in most real-world scenarios



#### **Q**<sub>Neg</sub> global model

$$\frac{dQ_{neg}}{dN} = -\left(\frac{c_2}{Q_{neg}}\right)$$

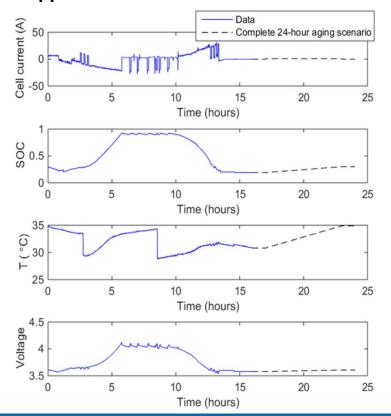
$$Q_{neg} = \left[c_0^2 - 2c_2c_0 \ N\right]^{\frac{1}{2}}$$

$$c_0 = c_{0,ref} \exp \left[ -\frac{E_{a,c0}}{R_{ug}} \left( \frac{1}{T(t)} - \frac{1}{T_{ref}} \right) \right]$$

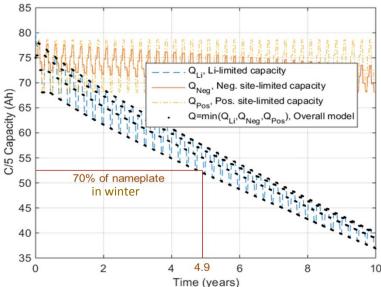
$$c_2 = c_{2,ref} \exp \left[ -\frac{E_{a,c_2}}{R_{ug}} \left( \frac{1}{T(t)} - \frac{1}{T_{ref}} \right) \right] (DOD)^{\beta_{c_2}}$$

# Lifetime analysis – PV self consumption

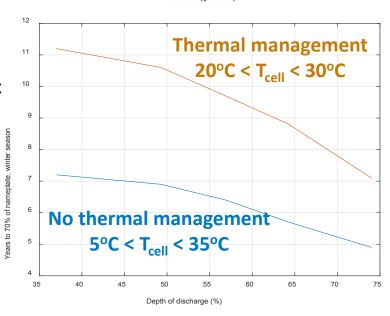
- Model reformulated in rate-based form
- SOC(t) discretized into microcycles, DOD<sub>i</sub>, using Rainflow algorithm
- Application data



- Multi-year,4-seasonsimulation
- Same cycle each



Impact of DOD and thermal management



#### **Conclusions**

- Battery energy storage can enable increased integration of renewable power generation on the grid
- Battery life modeling methodology formalized, aiding systems design process
  - Capacity error:  $L_2 = 1\%$ ,  $L_{\infty} = 5\%$
  - For studied Gr/NMC Li-ion ES technology, best to restrict daily cycles < 55% DOD with occasional larger excursions</li>
  - Thermal management extends life from 7 to 10 years
- Battery aging experiments are time consuming & expensive
- Additional model validation needed
  - Longer duration
  - Variable cycling & temperature
- Life model accuracy may be enhanced in the future by coupling with electrochemical modeling & diagnostics

## **Acknowledgements**

- U.S. DOE Office of Energy Efficiency and Renewable Energy Solar Energy Technologies Program
- SunPower Corporation

### **Extra Slides**

#### **Previous Validation of Life Model**

Pack Resistance  $(\Omega)$ 

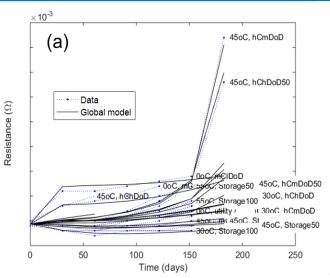
Eaton Corp. ARPA-E AMPED project resulting in 35% smaller HEV battery (PI: Dr. Chinmaya Patil/Eaton)

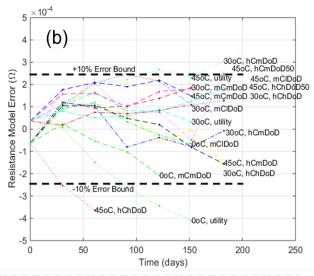
Cell-level aging tests

Prognostic model

characterization

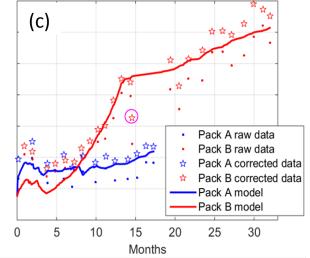


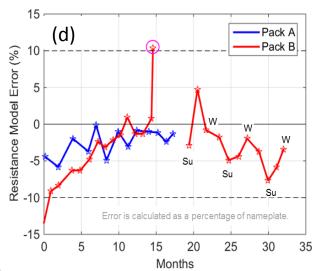




Pack-level HIL tests
HEV prognostic control
algorithm validation







Model tuned to 6 months simple cell aging data matches 33 months 4-season cycling with same accuracy