



### Identity Law

#### ➔ Identity Law for OR (Addition):

##### Expression:

$$A + 0 = A$$

**Explanation:** This means that if you OR (add) any Boolean variable  $A$  with 0 (false), the result is the original variable  $A$ . In other words, OR-ing with 0 does not change the value of  $A$ .

#### ➔ Identity Law for AND (Multiplication):

##### Expression:

$$A \cdot 1 = A$$

**Explanation:** Explanation: This means that if you AND (multiply) any Boolean variable  $A$  with 1 (true), the result is the original variable  $A$ . In other words, AND-ing with 1 does not change the value of  $A$ .

### Null Law

##### Expression:

$$A + 1 = 1$$

$$A \cdot 0 = 0$$

**Explanation:** For the Null Law of OR (addition), if  $A$  is 1 and you add 1, the result is 1, not 0. This is because in Boolean algebra, the OR operation is defined such that any variable OR-ed with 1 results in 1. It's like saying if either condition is true, the outcome is true regardless of the other condition.

### Idempotent Law

**Expression:**  $A + 1 = 1$  **Expression:**  $A \cdot 0 = 0$  **Explanation:** For the Null Law of OR (addition), if  $A$  is 1 and you add 1, the result is 1, not 0. This is because in Boolean algebra, the OR operation is defined such that any variable OR-ed with 1 results in 1. It's like saying if either condition is true, the outcome is true regardless of the other condition.