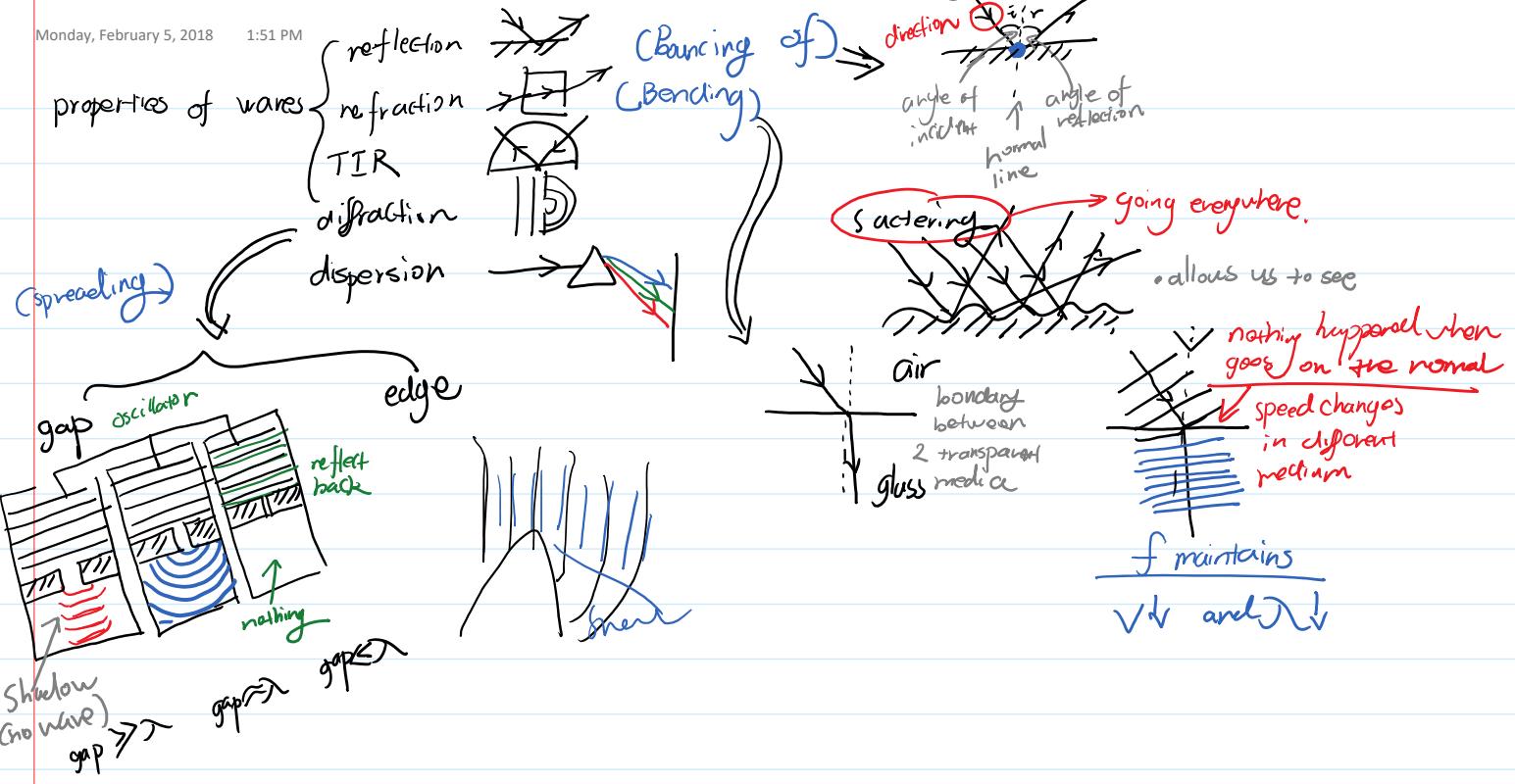


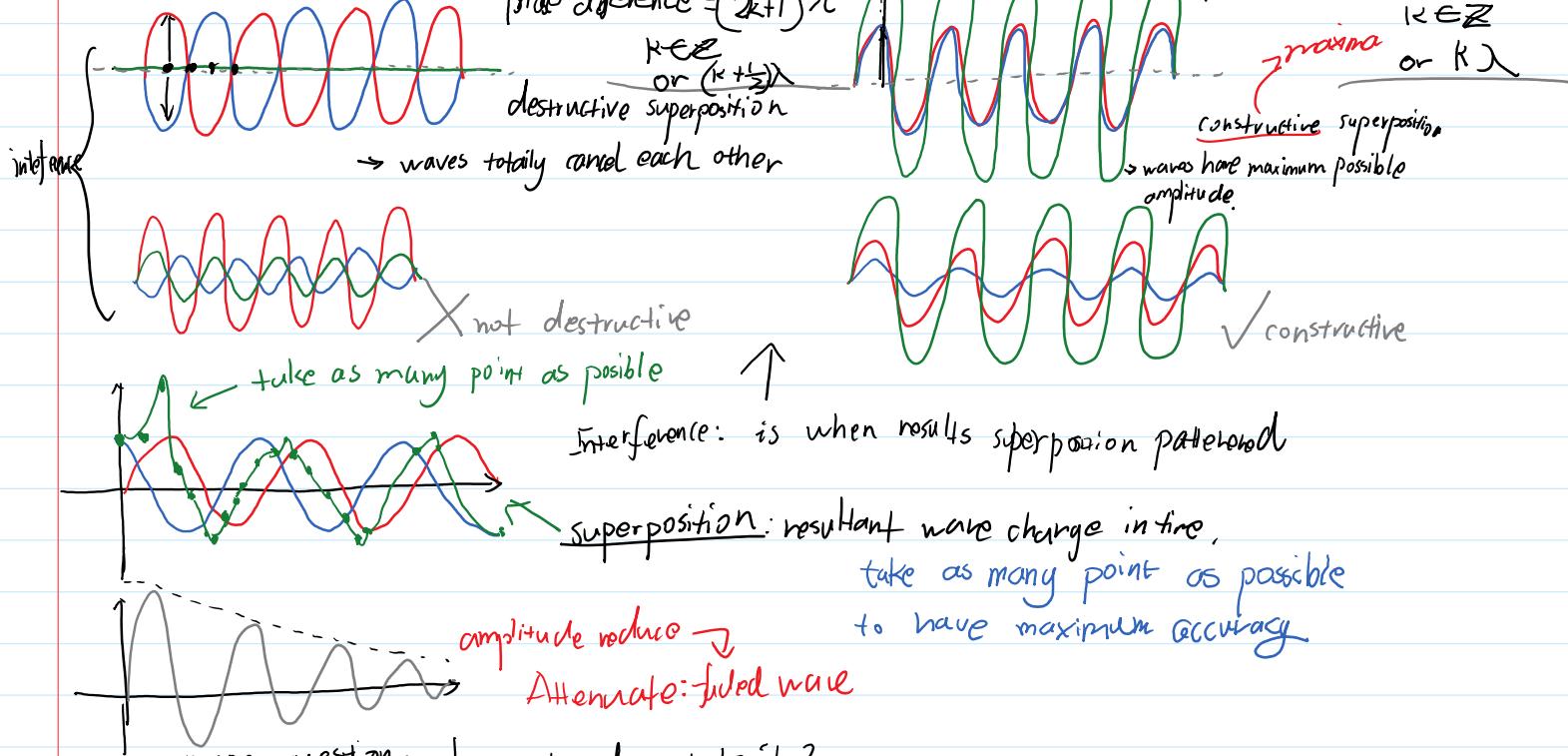
Monday, February 5, 2018 1:51 PM



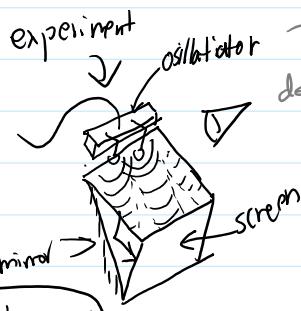
Superposition

- principle of superposition: added up

when two or more waves meet at the point, the resultant displacement is the algebraic sum of the displacements of the individual waves
 $\text{phase difference} = (2k+1)\pi$ show radians in default

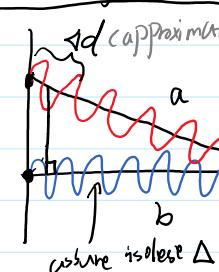


Common question: how to demonstrate it?



definition

Path difference Δd (approximate)



$K\lambda \Rightarrow K \in \mathbb{N}$

$$\text{① } \Delta d = |a-b|$$

$$(2k+1)\pi$$

constructive? destructive?

$$\left\{ \begin{array}{l} \text{con. } \Delta d = K\lambda \quad K \in \mathbb{N} \\ \text{des. } \Delta d = (2k+1)\frac{\lambda}{2} = (k+\frac{1}{2})\lambda \end{array} \right.$$

to scale / labelled with number

② not to scale:
 draw the ray, put perpendicular distance

superposition (count the No. of cross).

minima draw accurate in between

you need to do solid line here →

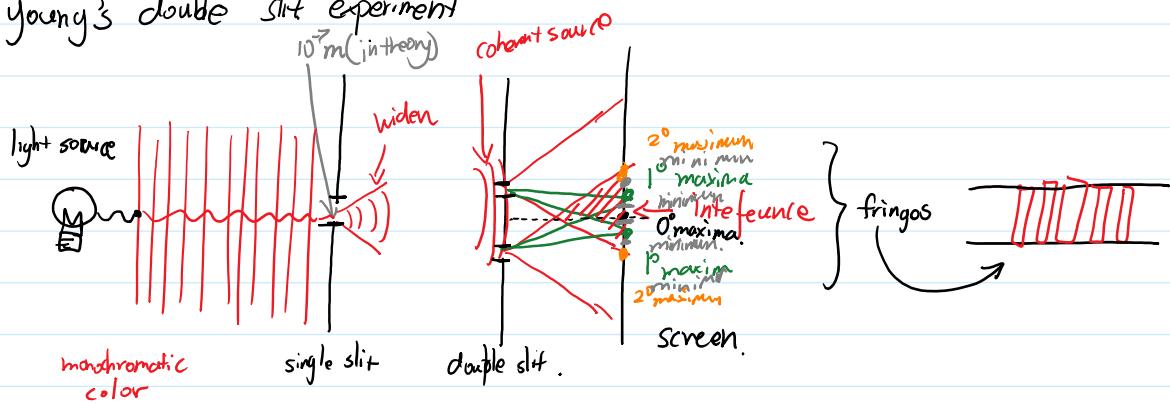
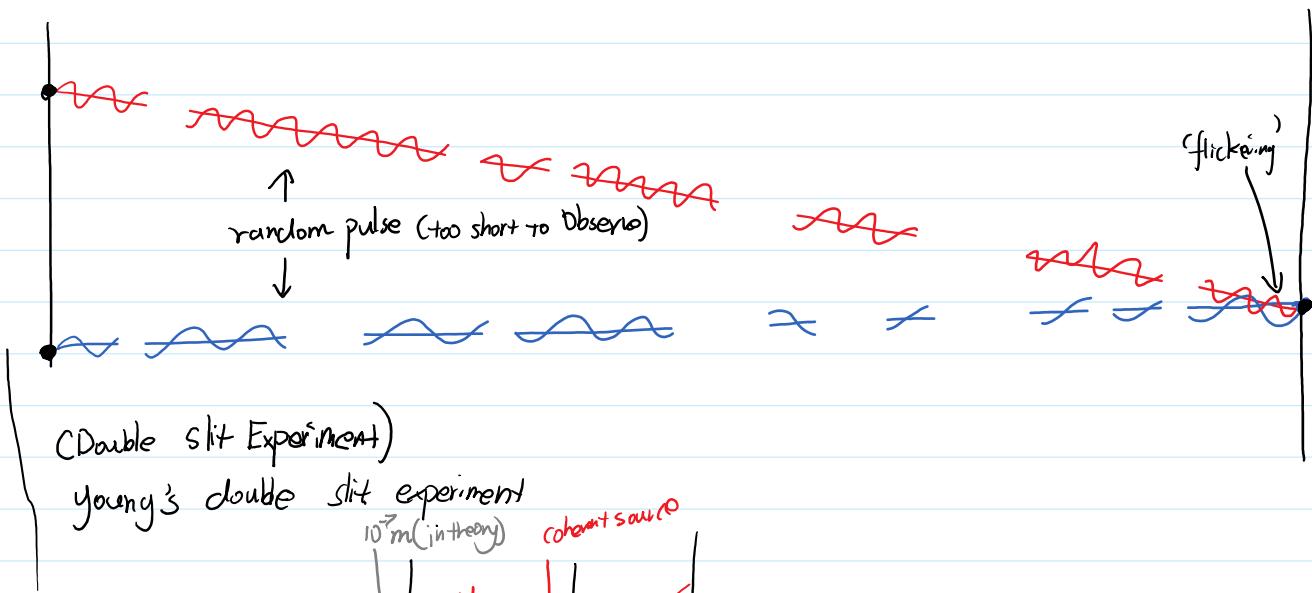
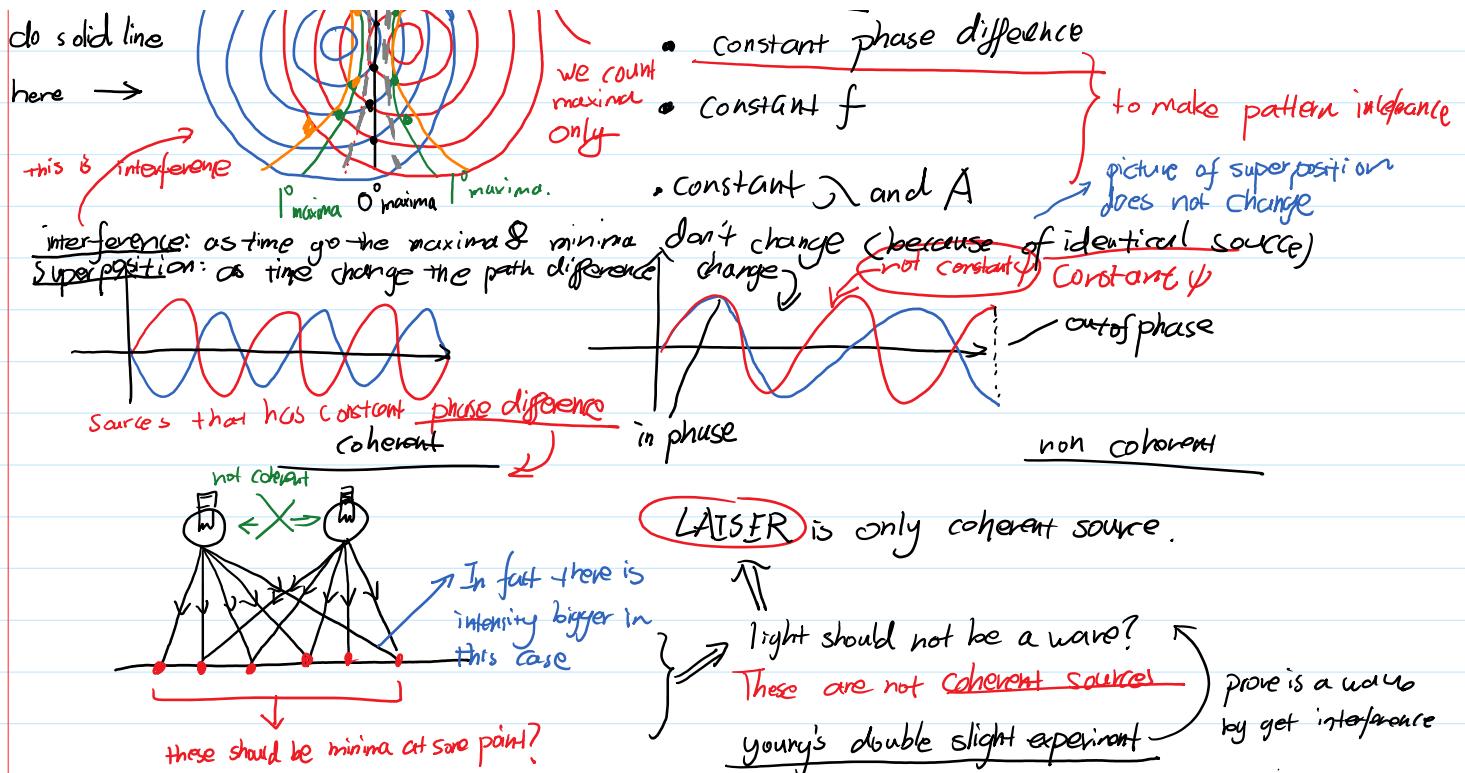
$K \Rightarrow$ number of maxima



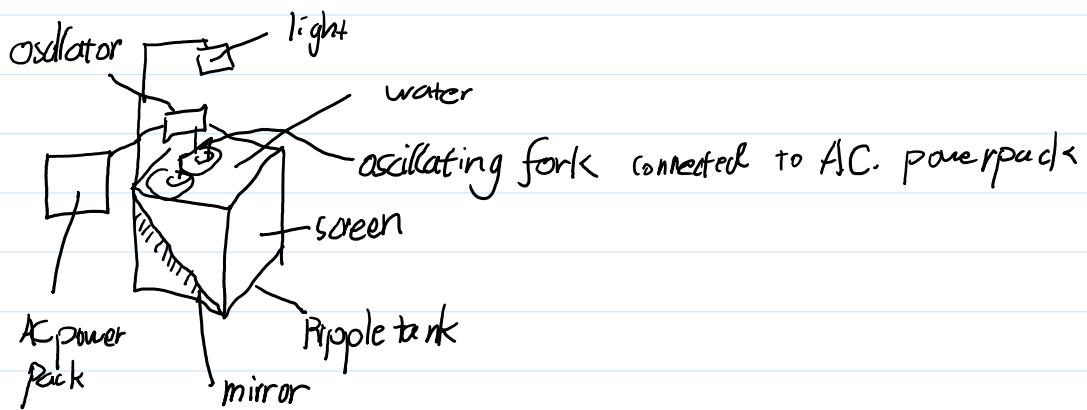
Coherent Sources

- constant phase difference
- constant λ

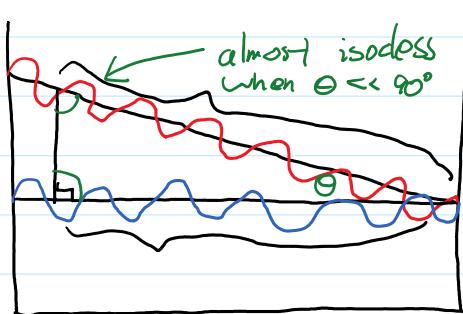
In water - - - - - in air - - - - - in glass



Demonstration of superposition



Path difference in unscale



coherent: constant in time phase difference

Count the difference
and calculate the path difference

Why can't we add RGB to white?

Young's double slit Experiment

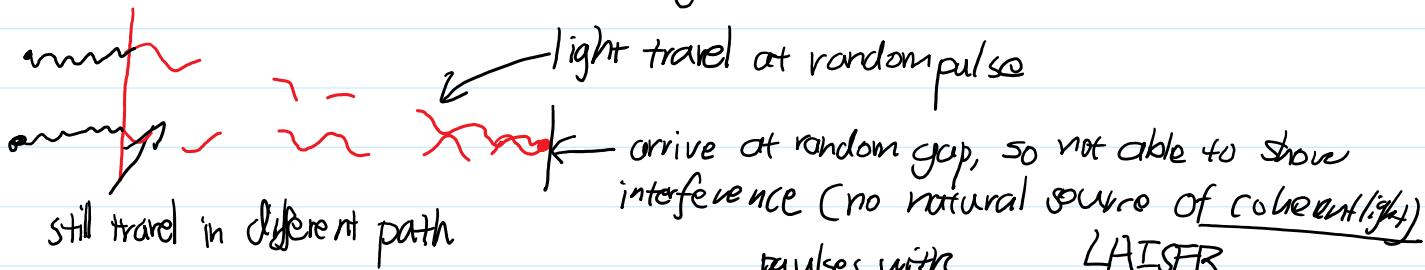
dispersion dispersion must be present / light is not a single source

- normal light has multiple wavelength, so do not show signs of superposition
 ↗ therefore 2 century ago, they think it is light ray

• Thomas Young prove that light is a wave by this double slit Experiment

But why don't the filter work?

they are not coherent

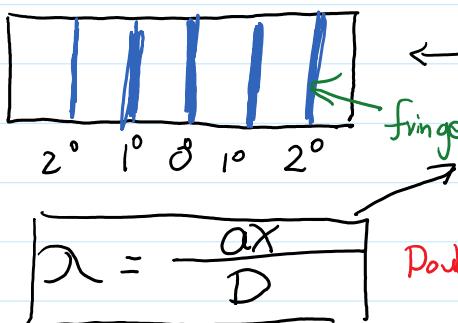
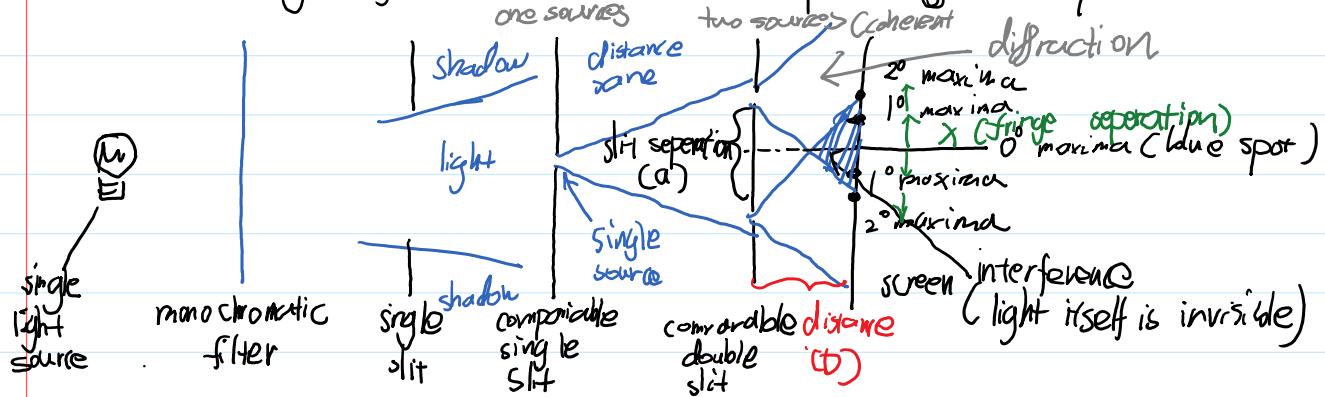


But Thomas Young don't have it

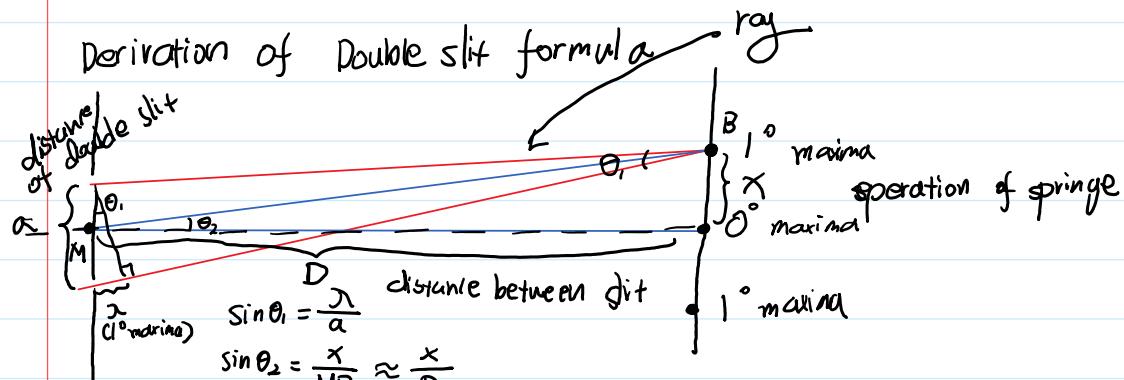
he use a single light source to avoid the path difference problem

no source

we use a single light source to avoid the path difference problem



Double Slit formula (You need to remember this)



$$\text{double slit} \quad \therefore \lim_{\theta \rightarrow 0} \sin \theta_1 = \frac{x}{D} \quad \text{approximately}$$

$\therefore \Delta \text{Blue} \approx \Delta \text{Red} \quad \therefore \sin \theta_1 = \sin \theta_2$
 and θ_1 and θ_2 are small \Rightarrow this is the primary reason
 $\therefore \frac{x}{a} = \frac{x}{D} \Leftrightarrow x = \frac{aD}{D-a}$
 only: $D \ggg x \ggg a$ (D > 1m)

$$\therefore \sin \theta_1 \approx \sin \theta_2$$

Diffraction Grating

$$n\lambda = d \sin \theta \quad \text{with the same distance}$$

$a \{ \}$
 $a \{ \}$ many slit that have
 $a \{ \}$ some separation
 $a \{ \}$
 $a \{ \}$

label: 80 slit in 1mm
 $d = \frac{1}{80} \text{ mm}$

$$\sin \theta_1 = \frac{\lambda}{a}$$

a {
 a {
 Diffracting grating
 slit distance for
 diffracting grating (spacing)

d - grating spacing

n - number of maxima

θ - angle between 0° maxima and n° maxima.

$$\sin \theta_1 = \frac{\lambda}{a}$$

$$a \sin \theta_1 = \lambda$$

$$d \sin \theta_1 = n\lambda$$

n^{th} maxima

these two can't get directly

$$\begin{aligned} \theta &\neq \theta \\ \theta &= \theta \\ \theta &= \theta \end{aligned}$$

example:

80 lines/mm

① find the diffracting spacing

$$d = \frac{1}{80} \times 10^{-3} \text{ m} = 1.25 \times 10^{-5} \text{ m} \quad (a = 1.25 \times 10^{-5} \text{ m})$$

$$\begin{aligned} \text{constant} \\ \lambda = \frac{ax}{D} \end{aligned}$$

$$\lambda = \frac{ax}{D}$$

$$\lambda = \frac{ax}{D}$$

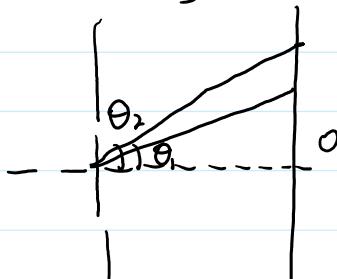
Finding biggest number of maxima

$$ds \sin \theta = n\lambda \rightarrow \sin \theta = 1$$

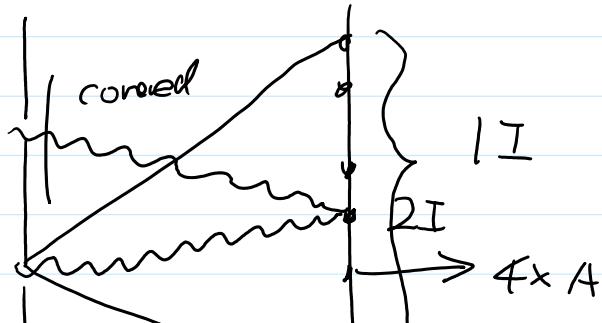
$$\frac{ds \sin \theta}{d} = n$$

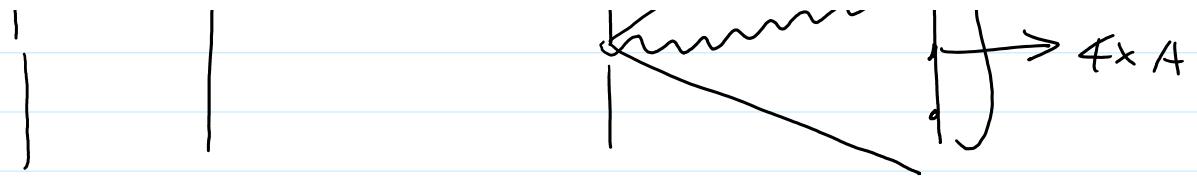
$$n = \frac{d}{\lambda}$$

n° & $(n+1)^\circ$ maxima

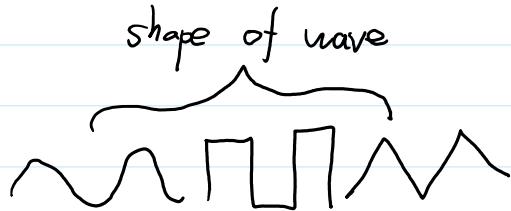
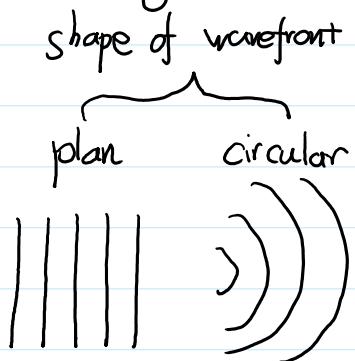


$$a \left\{ \begin{array}{l} 0 < d_2 = \frac{d_1}{2} \\ I_2 = \frac{I_1}{2} \end{array} \right. \quad \text{brightness}_2 = \frac{\text{brightness}_1}{2}$$





Standing / Stationary Waves



Transport of Energy

main properties

progressive - transport energy

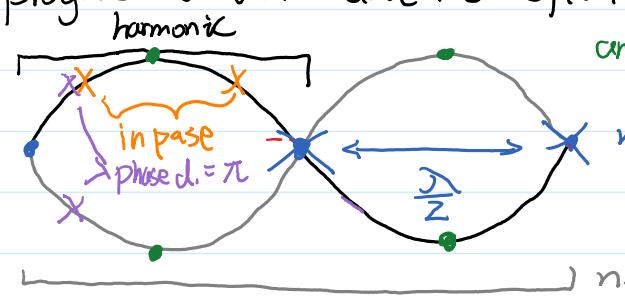
stationary - STAYS energy

NOT transport energy



preferred

Stationary wave is result of superposition / interference between a progressive wave and its reflection

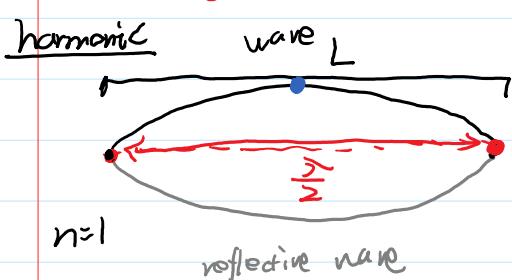


antinodes - result of constructive superposition between two wave $\rightarrow A = \text{maximum}$

nodes - result of destructive superposition between the two wave $\rightarrow A = 0$

$n=2$ (number of harmonic)

wavelength



frequency

f_0

nodes

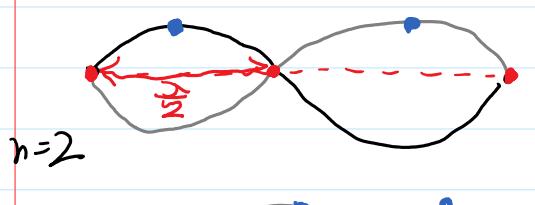
2

antinodes

1

wavelength

$2L$

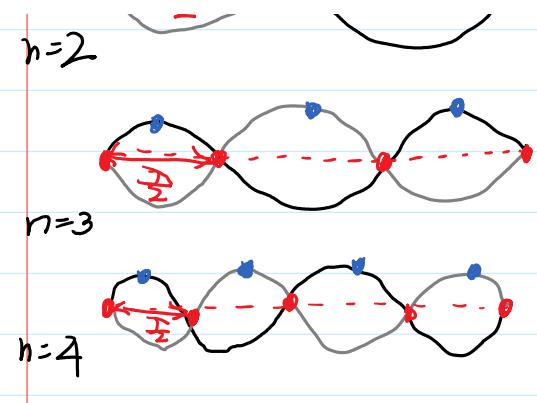


$2f_0$

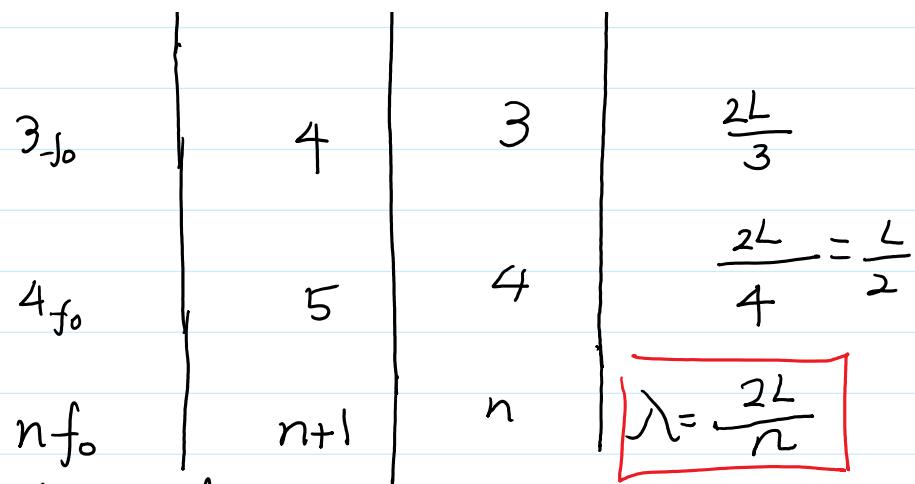
3

$$\frac{2L}{2} = L$$

1



wavelength is the double distance of two adjacent wave

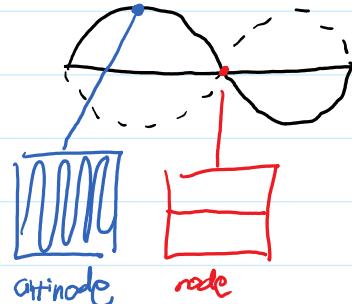
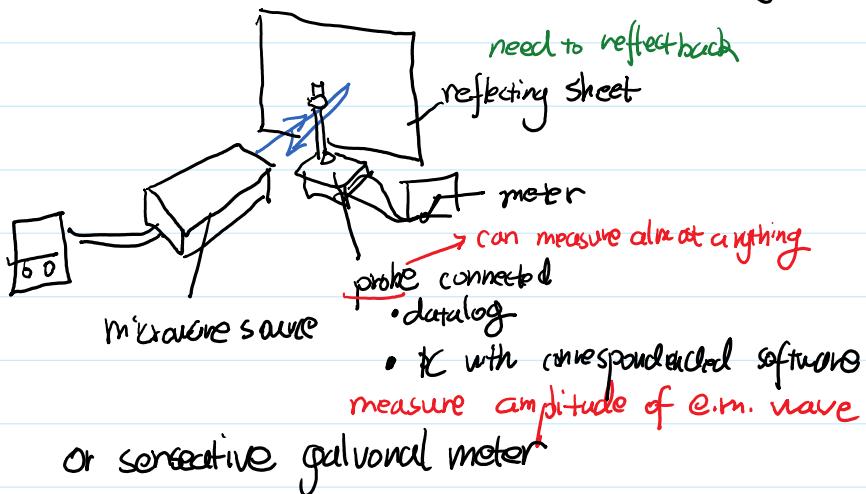


3/30

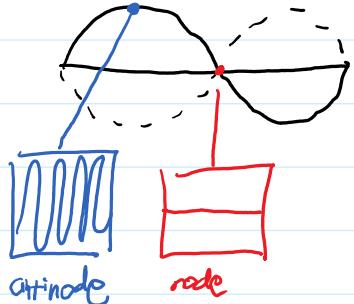
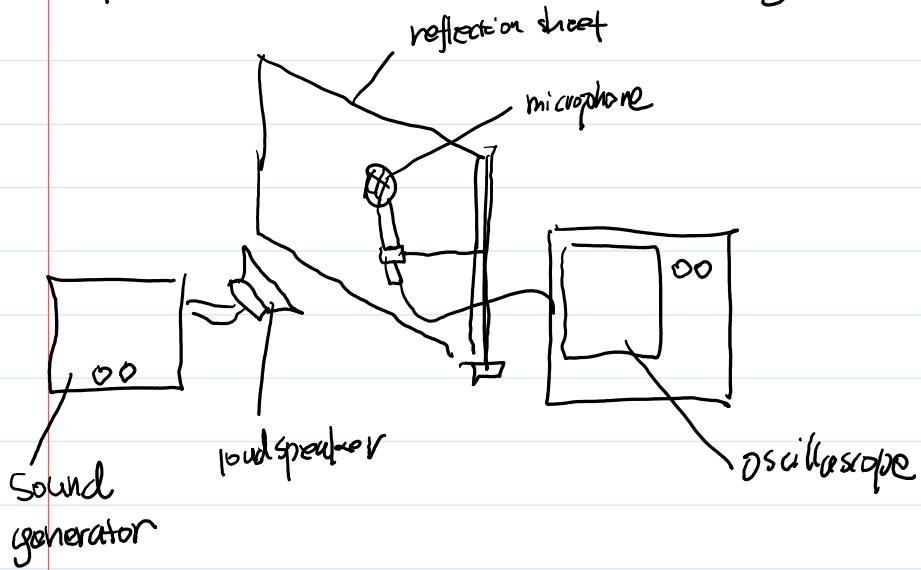
2018年3月30日 8:48

$$\lambda = \frac{2L}{n}$$

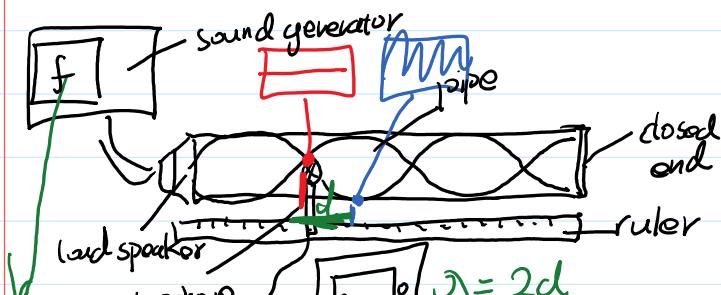
Experiment to demonstrate the microwave standing waves



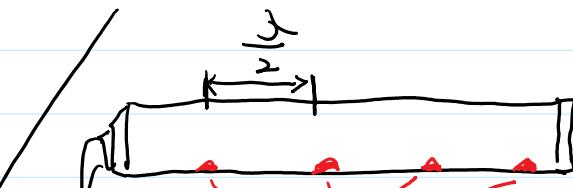
Experiment to demonstrate the sound standing waves

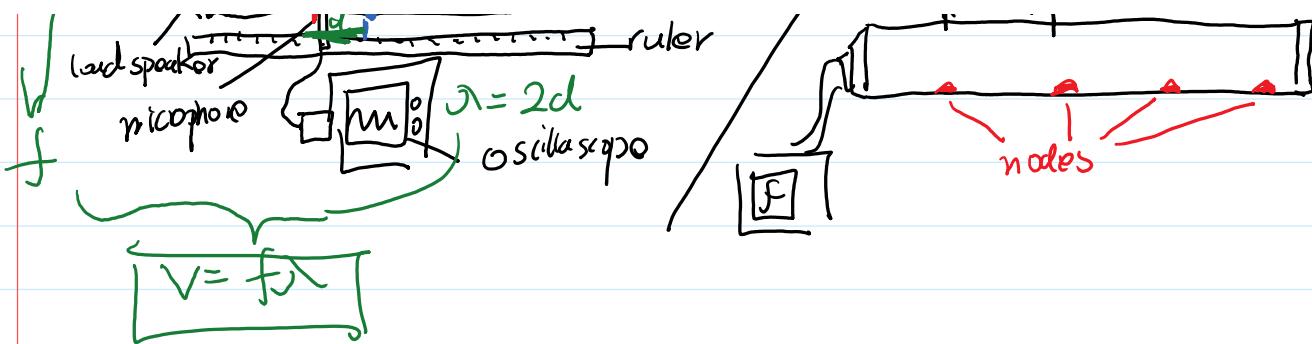


Experiment to find Sound Speed from Sound Wave



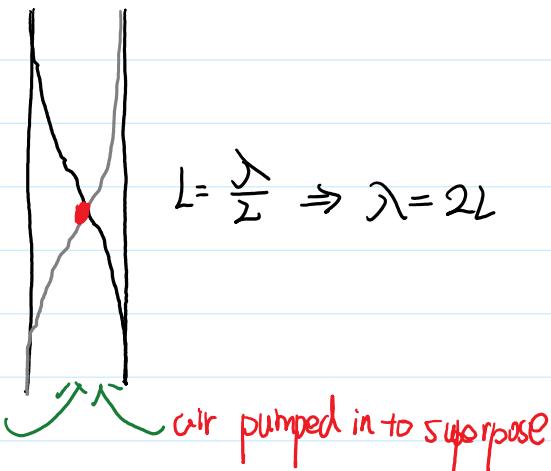
Kundt's Dust Tube





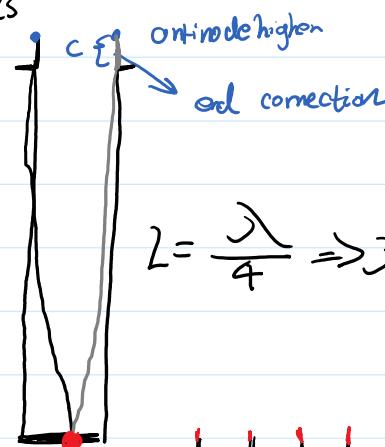
Standing Waves @ Pipes

opened ends



f higher

closed ends



$$L = \frac{\lambda}{4} \Rightarrow \lambda = 4L$$

f lower

$$\text{how to get rid of } C \left\{ \begin{array}{l} \frac{\lambda}{4} = L_1 + C \\ \frac{3\lambda}{4} = L_2 + C \end{array} \right.$$

$$\Rightarrow \text{solve for } C \quad \frac{\lambda}{2} = L_2 - L_1$$

get rid of

Base Unit

- m
- s
- kg
- A
- mol
- Cd
- K

Base Quantity

IV

- distance
- second
- mass measure of inertia
- Current rate of flow of charge
- number of Substance
- illuminance
- thermal dynamic temperature

Definition for energy

$$P = \frac{E}{t}$$

$$F = ma$$

Define watt

$$W = \frac{1J}{1s}$$

$$N = \frac{1kg}{1m/s^2}$$

Work Watt

⇒ watt is such the power to use 1J in 1s

⇒ Newton is such the force that 1kg of mass accelerates to $1m/s^2$

$$P = \frac{F}{A}$$

$$Pa = \frac{1N}{1m^2}$$

⇒ Pa is such a pressure when 1N force acts on $1m^2$ area

Express Via base Unit

Nm

$$V = \frac{F}{Q} = \left[\frac{J}{C} = JA^{-1} = kgm^2s^{-2}s^{-1}A^{-1} = kgm^2s^{-3}A^{-1} \right]$$

$$P = \frac{F}{A} = \left[\frac{N}{m} = \frac{kgms^{-2}}{m} = kg s^{-2} \right]$$

Homogeneous equation

$$T = 2\pi\sqrt{\frac{L}{g}}$$

$$S = \sqrt{\frac{m}{ms^{-2}}} = \sqrt{S^2} = S$$

errors:

- systematic e. ⇒ all measurement are wrong
- random e. ⇒ a few are wrong (Discard)
- zero e. ⇒ all bigger/smaller

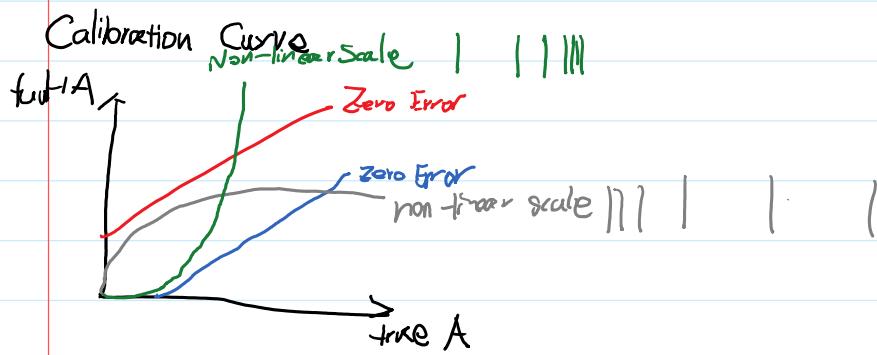
Zero e. \Rightarrow all bigger/smaller

Precision \Rightarrow tells about smallest division of your measuring instrument

(if the result are close together, then it's precise)

Variable \Rightarrow repeatable measurement and found average

accuracy \Rightarrow results are close to true result.



$\Delta x \Rightarrow$ uncertainty

$\frac{\Delta x}{x} \Rightarrow$ percentage/fractional Uncertantif

{ kinematics
 { equilibrium object moves
 { object not moving and not rotating
 { Newton's 1st Law in any direction
 { why the object moves (forces)

(not vector!) $F = -F$ vector! (could be also represented by \vec{F})
 N1 an object will remain at rest or keep travelling at constant speed unless it acted on by resultant force
 $\sum F = 0 \Rightarrow \bullet v = 0 / v = \text{constant}$
 N2 resultant force acting on an object equals rate of change of momentum
 any $\sum F = m\vec{a}$ [i] change of momentum and resultant force in same direction
 Newton's 2nd Law: if object is of mass m and force F is applied in opposite direction to motion, then
 { Newton's 3rd Law: if object A exerts force on object B, then object B exerts force on object A of equal and opposite magnitude
 { change in speed if
 { decelerate
 { change in direction

• $\sum M_{\text{clock}} = \sum M_{\text{anticlock}}$ in

Mass \Rightarrow measure of inertia (kg)
 Weight (N) exerted by me, acting on support

Force $W = mg$ \Rightarrow gravitational field strength
 force of gravity (N) exerted by planet, acting on me

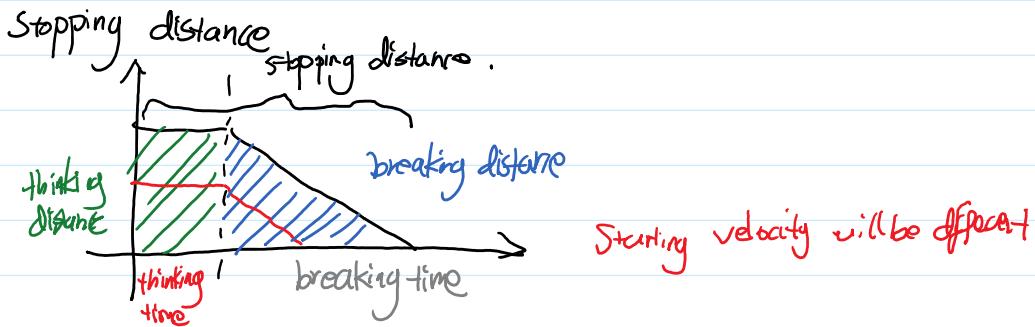
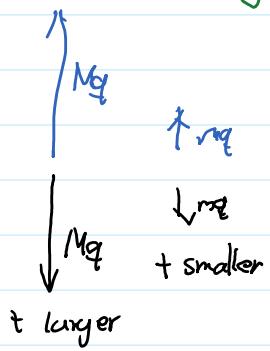
$F = mg$

10N Reaction force

Terminal Velocity air resistance present

constant speed reached when driving force equals viscous drag \propto
 time of falling when not reached V_f (will be ~~10N~~ force of gravity acting on 1kg)

But if long enough the mass will develop different V_f



Types of forces

{ contact
 { non-contact acting through fields

{ contact
 { non-contact **acting through fields**

{ fundamental
 { gravitational force kingdom of leptons (e, μ , τ , ν_e , ν_μ , ν_τ)
 { strong force kingdom of hadrons (protons, neutrons)
 { weak force β decay
 { electromagnetic force quarks

non-fundamental

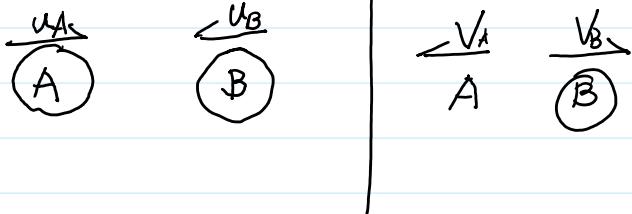
• origin of non

fundamental force

- friction \rightarrow electromagnetic
- Tension \rightarrow electromagnetic (IMF)
- Upthrust \rightarrow difference of pressure on up and down
- lift \rightarrow pressure difference
- air resistance \rightarrow particles bombarding moving object

Momentum

- product of mass and velocity
- principle of conservation of momentum



collision

$$F_A = \frac{m_A v_A - m_A u_A}{t}$$

force exerted by B

$$F_B = \frac{m_B v_B - m_B u_B}{t}$$

force exerted by A

$$F_A = -F_B \Rightarrow \frac{m_A v_A - m_A u_A}{t} = -\frac{m_B v_B - m_B u_B}{t}$$

time are
interaction are same

$$m_A v_A - m_A u_A = - (m_B v_B - m_B u_B) \Rightarrow \sum m v = \sum m u$$

elastic collisions: energy before = energy after (gas are assumed)

Relative Speed Remains the Same

- 2D collisions

- take horizontal axis
- take vertical axis

Moments

mass
in the non-contact

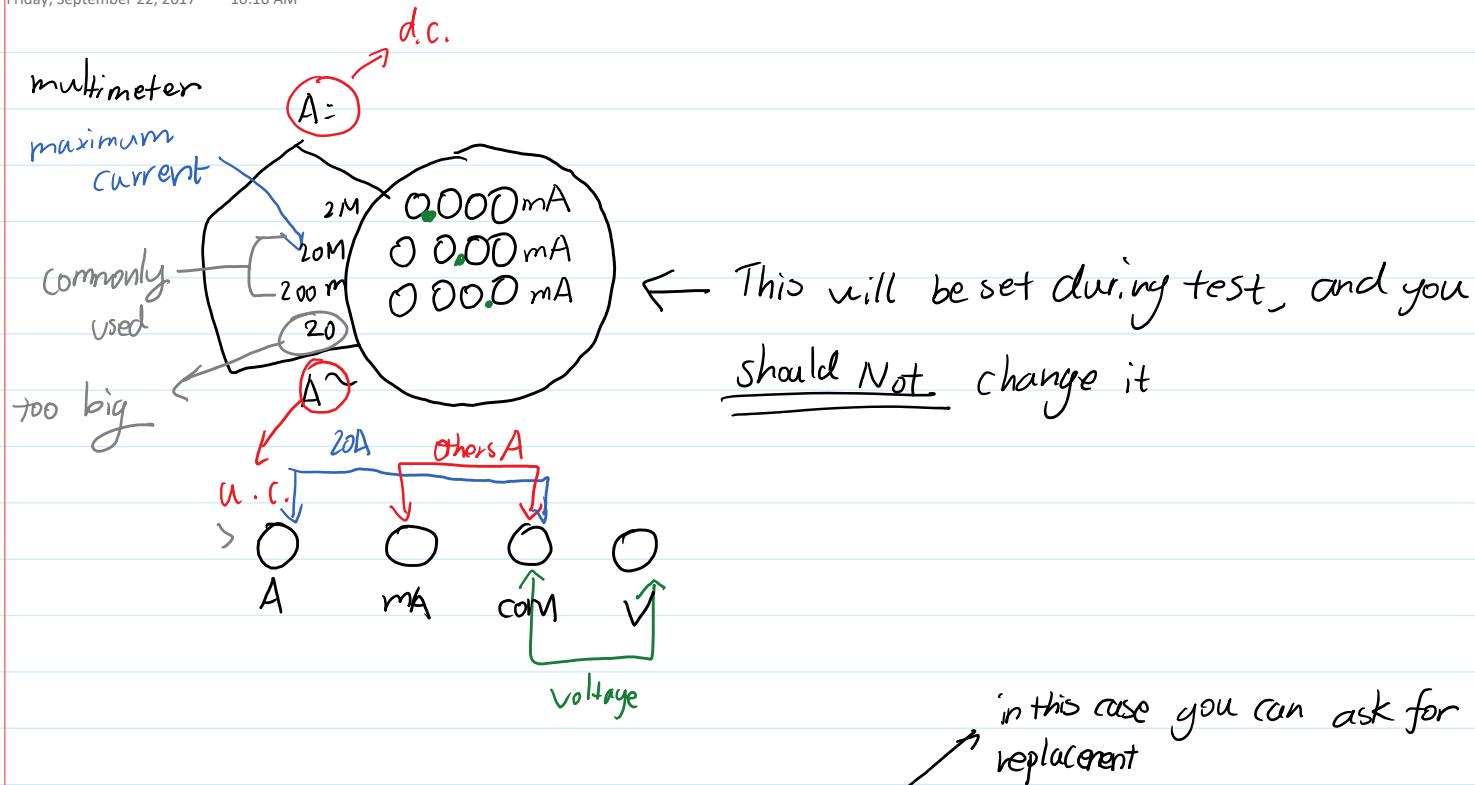
Moments

- { centre of mass appear to be concentrated
- { centre of gravity appear to be concentrated

Stability

Practical Skills

Friday, September 22, 2017 10:16 AM



If the reading is not correct (in correct circuit) then help will not reduce [1]
otherwise you will loose [1]

table → use correct order to show trend

5 6 set of table + no help + correct trend
distinguish marks

1 headings $R \text{ } \Omega$ | $I \text{ } A$ | $\frac{1}{I} \text{ } A^{-1}$

1 range { biggest * (118 Ω)
smallest * (12 Ω)
somewhere in the middle → use 89% of varying

1 consistancy of raw data

1 s.f. for calculation \Rightarrow same number of decimal place

1 calculation

Do Not Cross the Data! \Rightarrow use pencil to write data first HB pencil

write gradient = $\frac{\Delta y}{\Delta x}$ \Rightarrow use big enough (over half) triangles, and

not the original result (use dotted line to show the result)

and then $\frac{\Delta y}{\Delta x} = \frac{y_2 - y_1}{x_2 - x_1}$ [1]

for false origin / negative \Rightarrow show calculation

Graph



Scaling

labelled axis

number on every ~~far~~ line

number are multiple of $\times 1 / \times 2 / \times 4 / \times 5 / \times 10$

estimate for occupation of minimum $\frac{1}{2}$ (point)



plots \rightarrow accurate cross for correct number



line of best fit (\sum distance of point above line = \sum distance of point below line)



quality \rightarrow better not to have abnormally
point are close to the line