

Description of My Design Implementation

- ECE 550 Project Checkpoint2
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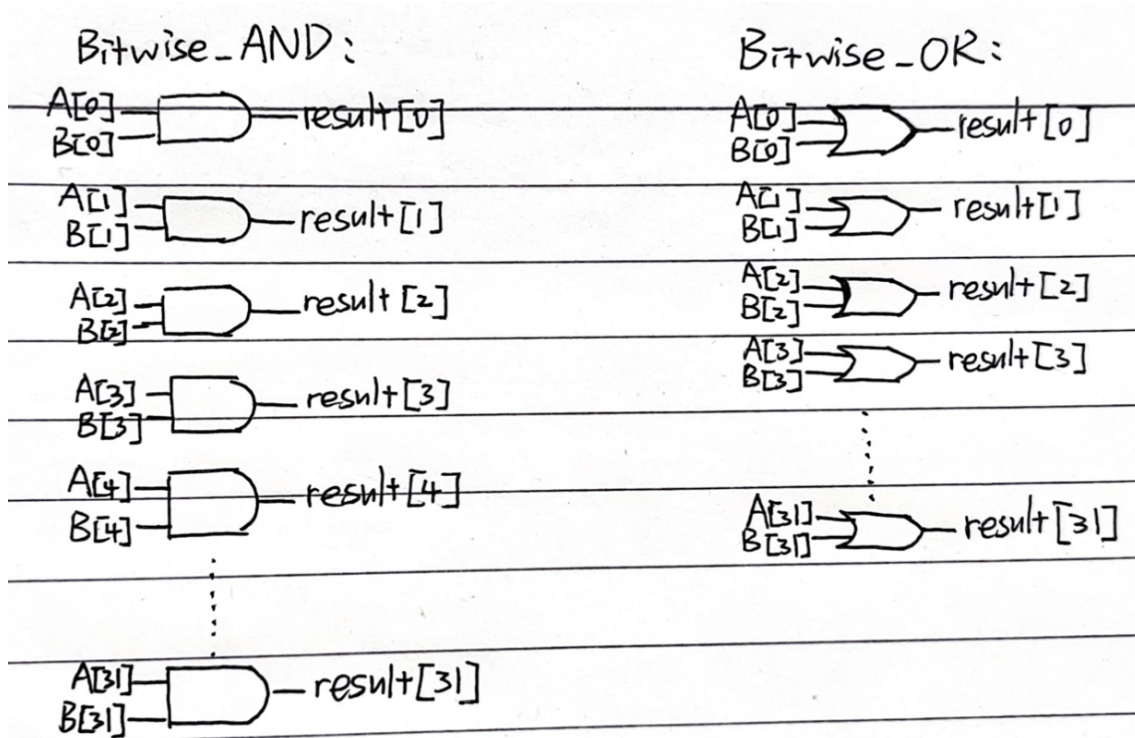
1. Overall Design

- Bitwise AND (data_operandA & data_operandB): bitwise_and.v
- Bitwise OR (data_operandA | data_operandB): bitwise_or.v
- Logical left-shift on data_operandA: sll.v
- Arithmetic right-shift on data_operandA: sra.v
- isNotEqual based on the result of subtract operation (from previous checkpoint): isNotEqual.v
 - Asserts true iff data_operandA and data_operandB are not equal
- isLessThan based on the result of subtract operation: isLessThan.v
 - Asserts true iff data_operandA is strictly less than data_operandB

2. Detailed Description

2.1. Bitwise AND:

Run the AND operation on the corresponding bits of the two operands of A and B. The left part of the figure below shows the circuit of the bitwise AND operation. Perform AND operation on each corresponding bit of A and B, and get result of each bit position. For example, $A[0] \& B[0] = \text{result}[0]$.



2.2. Bitwise OR:

Run the OR operation on the corresponding bits of the two operands of A and B. The right part of the figure above shows the circuit of the bitwise OR operation. Perform OR operation on each corresponding bit of A and B, and get result of each bit position. For example, $A[0] \mid B[0] = \text{result}[0]$.

2.3. Logical Left Shift:

- Notes: for unsigned 32-bit integer
- $\text{data_operandA} \ll \text{ctrl_shiftamt}$ (binary number): Shift the bits of `data_operandA` to the left by `ctrl_shiftamt` (base 10) positions, bringing in 0s at right, excess bits "fall off". For example, $0001 \ll 10$. the bits of 0001 are shifted to the left by 2 (10 is converted to base 10), so the result is 0100.
- When `ctrl_shiftamt` is a 5-bit binary number, we can do like this (Shift the bits of operand A 5 times):
 - Step 1: Shift the bits of `data_operandA` to the left by $\text{ctrl_shiftamt}[0] \cdot 2^0$ positions, and get `result_after_shiftamt0` which is the result after the first shift;
 - Step 2: Shift the bits of `result_after_shiftamt0` to the left by $\text{ctrl_shiftamt}[1] \cdot 2^1$ positions, and get `result_after_shiftamt1` which is the result after the second shift;
 - Step 3: Shift the bits of `result_after_shiftamt1` to the left by $\text{ctrl_shiftamt}[2] \cdot 2^2$ positions, and get `result_after_shiftamt2` which is the result after the third shift;
 - Step 4: Shift the bits of `result_after_shiftamt2` to the left by $\text{ctrl_shiftamt}[3] \cdot 2^3$ positions, and get `result_after_shiftamt3` which is the result after the fourth shift;
 - Step 5: Shift the bits of `result_after_shiftamt3` to the left by $\text{ctrl_shiftamt}[4] \cdot 2^4$ positions, and get the final result which is the result after the fifth shift.
- The five steps above can be translated as:
 - Step 1: if $\text{ctrl_shiftamt}[0]=1$, left shift 2^0 bit; if $\text{ctrl_shiftamt}[0]=0$, no changes;
 - Step 2: if $\text{ctrl_shiftamt}[1]=1$, left shift 2^1 bits; if $\text{ctrl_shiftamt}[1]=0$, no changes;
 - Step 3: if $\text{ctrl_shiftamt}[2]=1$, left shift 2^2 bits; if $\text{ctrl_shiftamt}[2]=0$, no changes;
 - Step 4: if $\text{ctrl_shiftamt}[3]=1$, left shift 2^3 bits; if $\text{ctrl_shiftamt}[3]=0$, no changes;
 - Step 5: if $\text{ctrl_shiftamt}[4]=1$, left shift 2^4 bits; if $\text{ctrl_shiftamt}[4]=0$, no changes.

2.4. Arithmetic (or signed) Right Shift:

- Notes: for signed 32-bit integer
- $\text{data_operandA} \gg \text{ctrl_shiftamt}$ (binary number): Shift the bits of `data_operandA` to the right by `ctrl_shiftamt` (base 10) positions, bringing in sign bit at left, excess bits "fall off". For example, $0101 \gg 10$. the bits of 0101 are shifted to the right by 2 (10 is converted to base 10), so the result is 0001.
- Different from logical left shift, arithmetic right shift has two situations: (1) operand A is positive, so the most significant bit (MSB) of A is 0. (2) operand A is negative, so the MSB of A is 1. In different cases, the bits added on the left are different, which means bringing in sign bit at left.
- For different situations, perform the same steps below:

- Step 1: if `ctrl_shiftamt[0]=1`, right shift 2^0 bit and bring in sign bit (0 or 1) at left; if `ctrl_shiftamt[0]=0`, no changes;
- Step 2: if `ctrl_shiftamt[1]=1`, right shift 2^1 bits and bring in sign bit (0 or 1) at left; if `ctrl_shiftamt[1]=0`, no changes;
- Step 3: if `ctrl_shiftamt[2]=1`, right shift 2^2 bits and bring in sign bit (0 or 1) at left; if `ctrl_shiftamt[2]=0`, no changes;
- Step 4: if `ctrl_shiftamt[3]=1`, right shift 2^3 bits and bring in sign bit (0 or 1) at left; if `ctrl_shiftamt[3]=0`, no changes;
- Step 5: if `ctrl_shiftamt[4]=1`, right shift 2^4 bits and bring in sign bit (0 or 1) at left; if `ctrl_shiftamt[4]=0`, no changes.

2.5. **isNotEqual:**

- We will use the result of subtract operation ($A-B=result$) to decide whether `data_operandA` and `data_operandB` are not equal.
- First, according to our class PPT, we know that if overflow occurs, there are two situations: (1) operand A is negative and B is positive; (1) operand A is positive and B is negative. Therefore, when overflow occurs ($overflow = 1$), A and B are not equal.
- Second, if there is no overflow ($overflow = 0$) and $A - B = result = 0$, we can conclude that $A = B$. Therefore, I use OR gate to decide whether the 32 bits of result and the 1 bit of overflow are all 0s.

2.6. **isLessThan:**

- We will use the result of subtract operation ($A-B=result$) to decide whether `data_operandA` is strictly less than `data_operandB`.
- First, according to our class PPT, we know that if overflow occurs in subtraction operation, there are two situations: (1) operand A is negative and B is positive; (1) operand A is positive and B is negative. Therefore, when overflow occurs ($overflow = 1$), if the MSB (sign bit) of A is 1, A is positive, so $A > B$; if the MSB (sign bit) of A is 0, A is negative, so $A < B$.
- Second, if there is no overflow ($overflow = 0$), if $A - B = result < 0$, $A < B$; if $A - B = result \geq 0$, $A \geq B$.