

Trans-
fer
Ma-
trix
Method

(34.587345,0.7345312) A_N
(34.607346,-
1.0454688) D_N
[linewidth=0.04cm,arrowsize=0.12cm
2.2,arrowlength=1.5,arrowinset=0.4]-
>(0.02,0.21953125)(2.22,0.21953125)
[linewidth=0.04cm,arrowsize=0.12cm
2.2,arrowlength=1.5,arrowinset=0.4]-
>(2.2799644,-
0.7893236)(0.08003564,-
0.77161384)
(1.0773437,0.63453126) A_0
(1.0973438,-
1.1454687) D_0
(13.957344,1.1945312) L_b
(15.857344,-
0.72546875) L_w

M_t
 A_0
 D_0
 A_N
 D_N
 $A_0 D_0 = M_{t11} M_{t12} M_{t21} M_{t22} A_N D_N$

$$(1) \quad \frac{A_0}{D_N} M_{t11} = 0$$

$$(2) \quad \frac{M_t}{M_b(L_b/2)} = \frac{M_{bw}(L_w)}{M_{wb} M_b(L_b/2)}$$

$$(3) \quad M_{cell} = m_{11} m_{12} m_{21} m_{22} = M_b(L_b/2) M_{bw} M_w(L_w) M_{wb} M_b(L_b/2)$$

$$(4) \quad M_b(L_b/2) = \exp(k_b L_b/2) 00 \exp(k_b L_b/2)$$

$$(5) \quad M_{bw} = \frac{1}{2} 1 - i \frac{k_w}{k_b} 1 + i \frac{k_w}{k_b} 1 + i \frac{k_w}{k_b} 1 - i \frac{k_w}{k_b}$$

$$(6) \quad M_w(L_w) = \exp(-i k_w L_w) 00 \exp(i k_w L_w)$$

$$(7) \quad M_{wb} = \frac{1}{2} 1 + i \frac{k_b}{k_w} 1 - i \frac{k_b}{k_w} 1 - i \frac{k_b}{k_w} 1 + i \frac{k_b}{k_w}$$

$$\frac{k_w}{k_b} = \frac{\sqrt{2m_{eff}E}}{\hbar^2}$$

$$k_b = \frac{\sqrt{2m_{eff}(V_0-E)}}{\hbar^2}$$

$$P_2 - M_w binto M_c we obtain :$$

$$m_{11} = \exp(k_b L_b) \left[\cos(k_w L_w) - 0.5 \left(\frac{k_w}{k_b} - \frac{k_b}{k_w} \right) \sin(k_w L_w) \right]$$

$$m_{12} =$$