

## goals

- note: these notes supersede the book.
- 1. we now have the **RigTform** data type to represent rigid body matrices
- for object modeling (say a robot's lower arm), we still want to have scaling.
- 2. in our code we have duplicated code for drawing each object
  - it would be cleaner to keep some kind of data structure around to represent the scene. a “scene graph”.
- 3. in many cases, we want to manipulate an object, like a robot hierarchically.
  - we have an elbow frame so we can rotate this joint.
  - but when we rotate a shoulder joint, we want the elbow joint to move along with it.
- so we want to encode these relationships in the scene graph

## lets start with Scales: problem

- as mentioned, we can't put scales in our **RigTform**
- more fundamentally, if we apply one of our Rot matrices wrt to a non uniformly scaled frame,
  - say putting a rotation to the right of a scale matrix
- ... we will get wackiness (demo).
- so we should probably keep all of our scale transforms on the right side of any matrix sequence.

## scales: solution

- for the frame associated with drawable object
  - which we will soon store in a ‘**shape node**’
  - a bone, as opposed to a joint,
- ... we will store an explicit *separate* affine matrix (not a RigidTform)
- so if  $\vec{I}^t$  is an elbow frame, then for the lower arm bone, which is an elongated cube, we will store (in its shape node) a fixed matrix which is of the form  $B := (\text{Trans} * \text{Scale})$
- and define the bone's frame as  $\vec{b}^t = \vec{I}^t B$ 
  - (reading left to right) the translation puts a frame at the center of the bone, and the scale elongates the frame.
- then we can use for the bone's object coordinates, those of a canonical cube
- during manipulation, we will update  $\vec{I}^t$  by rotating it as desired.
- but we will not mess with the shape node data,  $B$ .
- and we will never try to do any rotation wrt  $\vec{b}^t$ .
- actually, in our **SgGeometryShapeNode**, we will allow one to set  $B$  as  $TR_x R_y R_z S$

## hierarchy

- lets imagine a shoulder frame  $\vec{s}^t$  and an elbow frame  $\vec{I}^t$ .
- if we rotate the shoulder, we want the elbow frame to rotate as well.
- ie. we want the relationship between  $\vec{s}^t$  and  $\vec{I}^t$  to remain fixed
- this means  $\vec{I}^t = \vec{s}^t L$  where  $L$  is a fixed RigidTform.
- so lets have one “transform node” for the shoulder, and one for the elbow.

- lets store the elbow node as a “child” of the shoulder node
- lets store  $L$  in the elbow node.
- when we want to rotate the elbow, we will update the  $L$  in the elbow’s node.
- if we want to rotate the shoulder, we leave  $L$  alone and do something at the shoulder transform node.

## scene graph

- if we follow this logic, this will naturally lead us to a scene graph
- a tree of `SgNodes`.
- we have two kinds `SgTransformNodes` and `SgShapeNodes`.
  - transform nodes return RBTs
  - shape nodes return `Matrix4s` and can draw themselves

## root

- at the root we have a transform node, which represents the world frame  $\vec{w}^t$ .
  - its `getRbt()` returns the identity `RigidTform`.
  - for this, we will use the `SgRootNode` type, a type derived from `SgTransformNode`.

## children: transformation

- each transformation node can have child nodes representing dependent frames.
- a child transformation node stores a `RigidTform` relating its rhon frame to its parent
  - examples: robot object:  $\vec{o}^t = \vec{w}^t O$ , shoulder:  $\vec{s}^t = \vec{o}^t S$ , elbow:  $\vec{l}^t = \vec{s}^t L$ .
  - for this will use the `SgRbtNode` type, derived from `SgTransformNode`.

## children: shape

- each transformation node can have child nodes for things to draw, a `SgShapeNode`
- a shape node returns an affine matrix relating its (non rhon) frame to its parent
  - lower arm bone stores  $B$  describing  $\vec{b}^t = \vec{l}^t B$
- shape can also draw itself.
- we will use the `SgGeometryShapeNode` type, derived from `SgShapeNode`. that stores a `Matrix4`, a color and a pointer to a `Geometry` object
  - our lower arm’s geometry will just be a cube

## instancing

- the cube geometry object can be shared between many shape nodes
- this avoids data duplication

## our scene

- in our scene the root will have children for the skyCam, the ground plane, and each robot.
  - later on, we will also put the lights in the scene graph
- our global pointers to Rbts and geometry should all be replaced by node pointers
- to draw the scene, in `display` we call `drawStuff` which calls

```
Drawer drawer(invEyeRbt, curSS){
g_world->accept(drawer);
```

### what happens inside of Drawer

- the tree is recursively traversed (dfs) starting at the calling node (g\_world).
- a “RBT stack” is maintained, starting with  $E^{-1}$ .
- at each descent, upon “entrance” to a transform node
  - the top of the stack is duplicated and its own transform is right multiplied to the top.
  - so as the traversal goes world, robot, shoulder, elbow, the stack grows:  $\{E^{-1}\}$ ,  $\{E^{-1}, E^{-1}O\}$ ,  $\{E^{-1}, E^{-1}O, E^{-1}OS\}$ ,  $\{E^{-1}, E^{-1}O, E^{-1}OS, E^{-1}OSL\}$
- when the traversal hits a shape node (say lower arm),
  - it grabs the top of the stack (say  $E^{-1}OSL$ )
  - right multiplies by the node’s matrix (producing, say  $E^{-1}OSLB$ )
  - sends the MVM (and NMVM) to the shaders
  - sends the color to the shader.
  - draws the **Geometry** object.
- before a transform child returns, the stack is popped.
- !! how is source node dealt with in code?

### how is this coded Drawer

- the above dfs, stack maintenance, and drawing could have been done in one codeset.
- but it is more convenient to have one set of code that does just the dfs, and another set of code, called the “visitor”, which does anything else.
- look at drawer.h

### picking

- we want to be able to click on an object and “pick it”
- when we enter picking mode (p key and click), we will draw the scene using a solid fragment shader, and each object’s color will identify it.
  - we will not swap the buffers, so this will not appear on the screen.
- then we just have to look at the color of the pixel to find the id.
- when a bone is picked, we will “activate” its parent joint for manipulation.
  - ie. we will grab a pointer to its parent’s SgRbtNode.

### picking visitor

- picking will be accomplished by writing a new visitor class.

```
Picker picker(invEyeRbt, curSS){
g_world->accept(picker);
```

- during traversal, this visitor will keep a “node-pointer stack”
- at a shape node, an id color is computed and associated to the node pointed to at the top of the stack in a “map” data structure.
  - this color is used to set “uIdColor”
- at each node, the drawer visitor is called by the picking visitor.

- now the scene has been drawn and the map created
- then the observed pixel valued can be used to get the id which can be used to get a pointer to the node.

### accumulated Rbt

- we will also need a function

```
RigTForm getPathAccumRbt
(shared_ptr<SgTransformNode> source,
 shared_ptr<SgTransformNode> destination,
 int offsetFromDestination=0);
```

- which gives us the product of the RBTS going from source to dest.
  - technically you should not include the source's RBT, but in our code, it will always be the root.
- this will also be computed using a new visitor class that you will complete
- this basically just maintains a matrix stack during traversal.
- but it exits the traversal when the destination is hit.
  - a return value of false from a visitor will end the traverser!
- with this, we can now draw the arcball!
- with this, we can set the eye to be at any frame in the scene.

### joint manipulation

- suppose the elbow joint  $\vec{l}^t = \vec{s}^t L$  is activated
- the mouse motion gives us the desired action RBT  $M$ .
- lets call the auxiliary frame  $\vec{a}^t = \vec{w}^t A$
- this should be a frame with the eye's directions and the joint's center
- this means  $A = (C(l))_T * (C(e))_R$ 
  - where  $C$  is the accumulated RBT (starting at the world) that we just described

### joint manipulation updating

- we already have code for `doMtoOwrtA`
- its derivation assumed we were going to update  $\vec{o}^t = \vec{w}^t O$ .
- but in our setting we want to update  $L$ .
  - which represents the relationship  $\vec{l}^t = \vec{s}^t L$ , NOT  $\vec{l}^t = \vec{w}^t L$ ,
- so we need to do our work with  $\vec{s}^t$  as our base frame, not  $\vec{w}^t$ .
- so we need to calculate an RBT  $A_s$  such that  $\vec{a}^t = \vec{w}^t A = \vec{s}^t A_s$ .
- once we have that, then we can set `L = doMtoOwrtA(M,L,A_s)`