Scipy.org (https://scipy.org/)

SciPy v1.1.0 Reference Guide (../index.html)

Statistical functions (scipy.stats ) (../stats.html)

index (../genindex.html) modules (../py-modindex.html) next (scipy.stats.randint.html)

previous (scipy.stats.planck.html)

# scipy.stats.poisson

scipy.stats.**poisson** = <scipy.stats.\_discrete\_distns.poisson\_gen object> (https://github.com/scipy/scipy/blob/v1.1.0/scipy/stats/\_discrete\_distns.py)

[source]

A Poisson discrete random variable.

As an instance of the **rv\_discrete** (scipy.stats.rv\_discrete.html#scipy.stats.rv\_discrete) class, **poisson** object inherits from it a collection of generic methods (see below for the full list), and completes them with details specific for this particular distribution.

#### Notes

The probability mass function for **poisson** is:

$$f(k) = \exp(-\mu) rac{mu^k}{k!}$$

for  $k \geq 0$ .

**poisson** takes  $\mu$  as shape parameter.

The probability mass function above is defined in the "standardized" form. To shift distribution use the loc parameter. Specifically, poisson.pmf(k, mu, loc) is identically equivalent to poisson.pmf(k – loc, mu).

#### Examples

```
>>> from scipy.stats import poisson
>>> import matplotlib.pyplot as plt
>>> fig, ax = plt.subplots(1, 1)

Calculate a few first moments:
```

>>> mu = 0.6
>>> mean, var, skew, kurt = poisson.stats(mu, moments='mvsk')

Display the probability mass function (pmf):

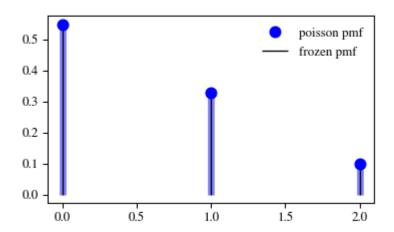
```
>>> x = np.arange(poisson.ppf(0.01, mu),
... poisson.ppf(0.99, mu))
>>> ax.plot(x, poisson.pmf(x, mu), 'bo', ms=8, label='poisson pmf')
>>> ax.vlines(x, 0, poisson.pmf(x, mu), colors='b', lw=5, alpha=0.5)
```

Alternatively, the distribution object can be called (as a function) to fix the shape and location. This returns a "frozen" RV object holding the given parameters fixed.

Freeze the distribution and display the frozen pmf:

```
>>> rv = poisson(mu)
>>> ax.vlines(x, 0, rv.pmf(x), colors='k', linestyles='-', lw=1,
... label='frozen pmf')
>>> ax.legend(loc='best', frameon=False)
>>> plt.show()
```

>>>



Check accuracy of cdf and ppf:

```
>>> prob = poisson.cdf(x, mu)
>>> np.allclose(x, poisson.ppf(prob, mu))
True
```

Generate random numbers:

```
>>> r = poisson.rvs(mu, size=1000)
```

#### Methods

rvs(mu, loc=0, size=1,	Random variates.
random_state=None)	
pmf(k, mu, loc=0)	Probability mass function.
logpmf(k, mu, loc=0)	Log of the probability mass function.
cdf(k, mu, loc=0)	Cumulative distribution function.
logcdf(k, mu, loc=0)	Log of the cumulative distribution function.
sf(k, mu, loc=0)	Survival function (also defined as $1 - cdf$ ,
	but <i>sf</i> is sometimes more accurate).
logsf(k, mu, loc=0)	Log of the survival function.
ppf(q, mu, loc=0)	Percent point function (inverse of cdf —
	percentiles).
isf(q, mu, loc=0)	Inverse survival function (inverse of sf ).

stats(mu, loc=0, moments='mv') Mean('m'), variance('v'), skew('s'), and/or

kurtosis('k').

(Differential) entropy of the RV. entropy(mu, loc=0)

expect(func, args=(mu,), loc=0, lb=None, Expected value of a function (of one argument)

ub=None, conditional=False) with respect to the distribution. median(mu, loc=0) Median of the distribution. mean(mu, loc=0) Mean of the distribution. Variance of the distribution.

std(mu, loc=0) Standard deviation of the distribution. interval(alpha, mu, loc=0) Endpoints of the range that contains alpha

percent of the distribution

## Previous topic

var(mu, loc=0)

scipy.stats.planck (scipy.stats.planck.html)

### Next topic

scipy.stats.randint (scipy.stats.randint.html)