# CoE202 Fundamentals of Artificial intelligence <Big Data Analysis and Machine Learning>

**Generative Adversarial Network** 

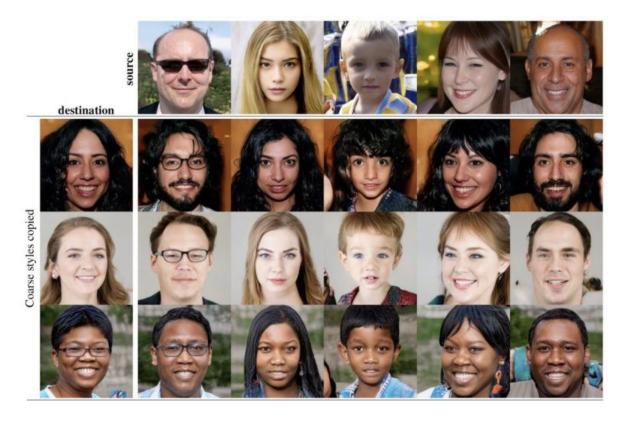
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#### **Contents**

- Recap
  - Regularization methods
  - Optimization methods
  - NN architectures
- Understanding classifier
- Joint probability distribution
- Generative model
- Generative Adversarial Network (GAN)

#### **Generative Adversarial Network?**



#### **Generative Adversarial Network?**

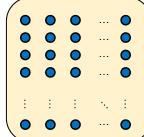


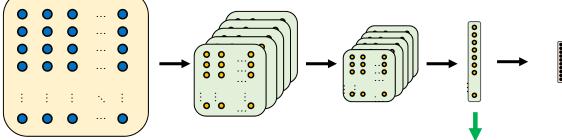
## **Understanding classifier**



Images (e. g.,  $\mathbb{R}^{640x480x3}$ ) are mapped to a vector space (e. g.,  $\mathbb{R}^{128x1}$ ) where cats and dogs are linearly separable. Then, the last layer does linear classification.

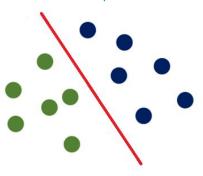












## **Understanding classifier**



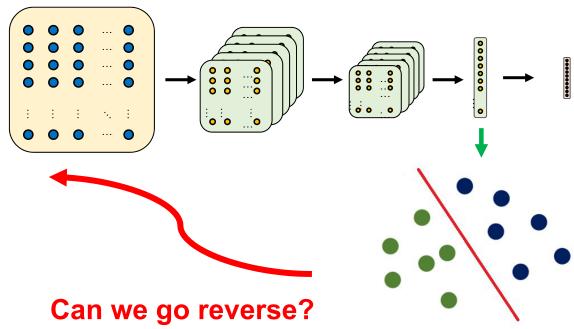
Images (e.g.,  $\mathbb{R}^{640x480x3}$ ) are mapped to a vector space (e.g.,  $\mathbb{R}^{20x1}$ ) where cats and dogs are linearly separable. Then, the last layer does linear classification.



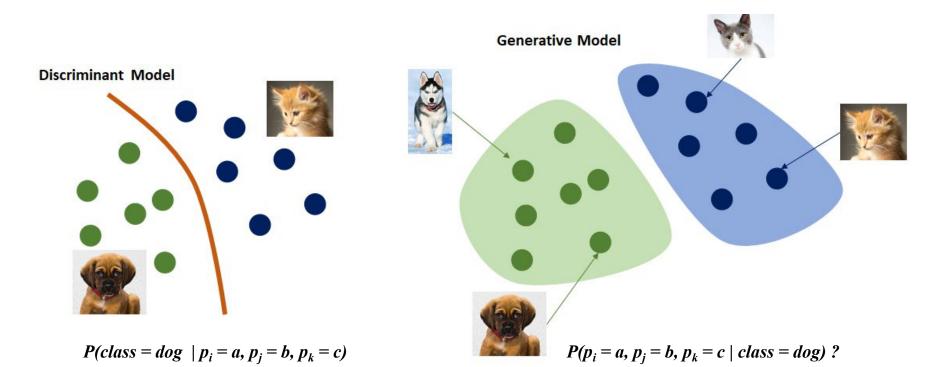








#### Discriminative model vs. Generative model



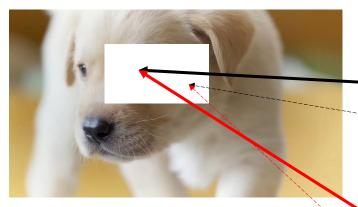
Just drawing a decision boundary (discriminative model) vs. knowing possible distribution of data (generative model)

## Human-way of thinking "distribution"



- Let's occlude a part of the image of a puppy
- Without even seeing the occluded part, we kind of know how that part is supposed to look like
  - We know that there should be an eye, the fur color would be similar to other parts, etc

## Let's translate that thought



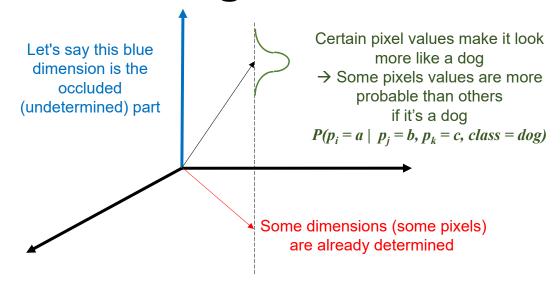
- We need to translate this intuition into a mathematical form
- First translation attempt (still human-like)
  - We expect an eye here
  - We expect light brown color fur in this area
- Second translation attempt

The pixels values here have relatively high probability to be black

The pixels values here have high probability to be light brown color

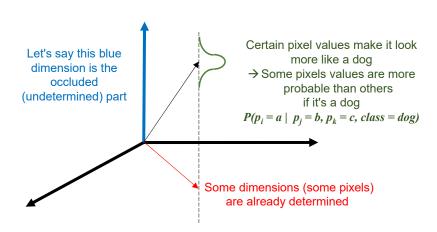
## Let's translate that thought

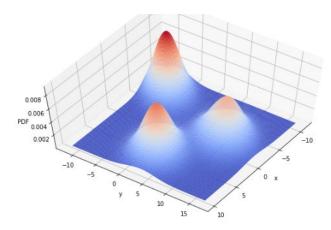




- · Assuming that this is a dog image,
  - (Given the non-occluded part of the image) we know that those occluded pixels are more likely to have certain values than other values

#### Let's extend

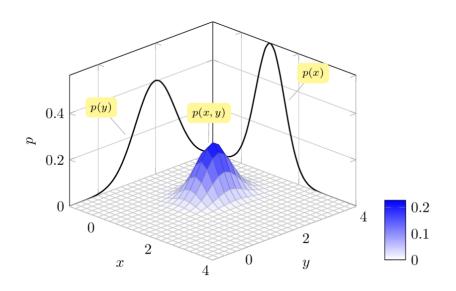




 $P(p_i = a, p_j = b, p_k = c \mid class = dog)$ 

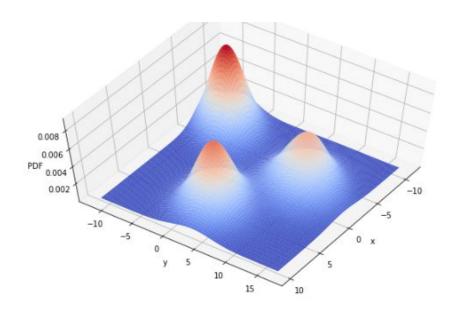
- The earlier logic was based on the assumption that certain pixel values were fixed
   → Let's drop this assumption
- What we know from the earlier logic is that the "probability" of pixel values are entangled with one another
- And the way they are entangled partly determined by the class "dog"
   → joint probability distribution
- "Images of a dog" has their own joint PDF and the images of different classes have their own joint PDFs

## Joint probability distribution



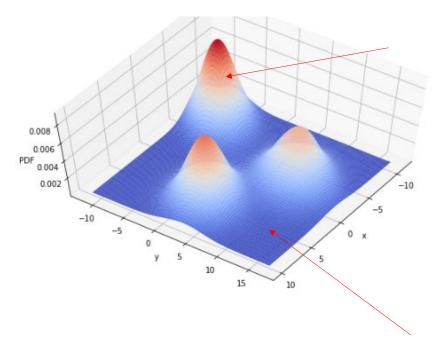
$$p(x,y) = p(x)p(y)$$
 x and y are independent (not entangled at all)

## Joint probability distribution



$$p(x,y) 
eq p(x)p(y)$$
 x and y are not independent (entangled)

## Joint probability distribution



It is probable that this data points is drawn from this PDF

It is not probable that this data points is drawn from this PDF

## Simple image to think about: ID picture

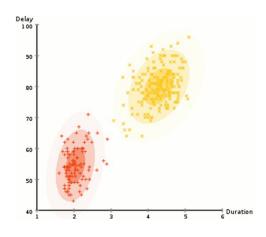




What can we say about the joint PDFs of passport photo?

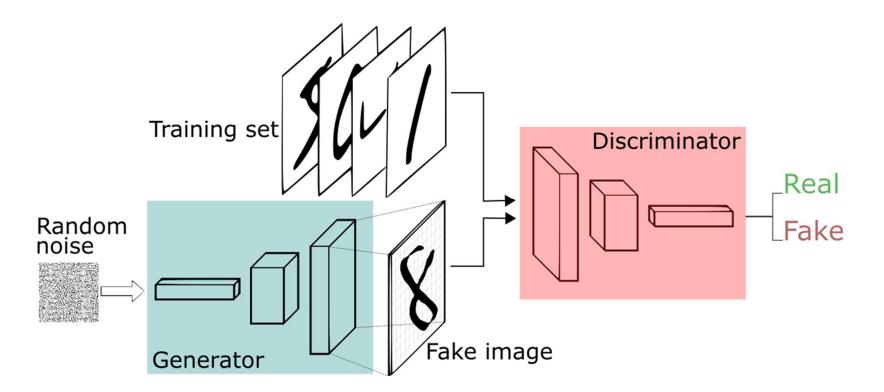
## For a generative model

- Once we know (or have a model of) the joint probability distribution function of data, we can generate the data
- For that, we want our generative model to "learn" the joint PDF from the data
  - Data typically has very high dimension and we want our model to learn the "key features"

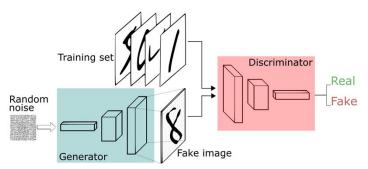


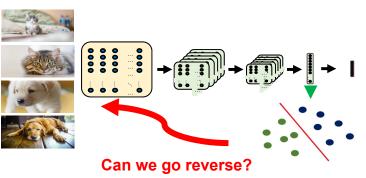
- Multiple data points are now represented by a PDF that has only several parameters (through learning)
- Once we have the PDF we can generate as many data points as we want

#### **Generative Adversarial Network**



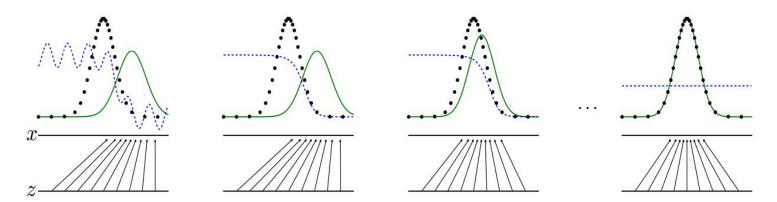
#### **Generative Adversarial Network**





- There are two networks
  - Discriminator: a network that <u>takes real and fake</u> <u>inputs and attempts to discriminate</u> them (real/fake classification)
  - Generator: a network that takes a random vector (low dimensional input) and generate output (high dimensional output) as an attempts to <u>fool the</u> discriminator network
- We train them simultaneously
- Both networks will get better and better over time
  - Discriminator will become better at classifying
  - Generator will become better at generating real-like output

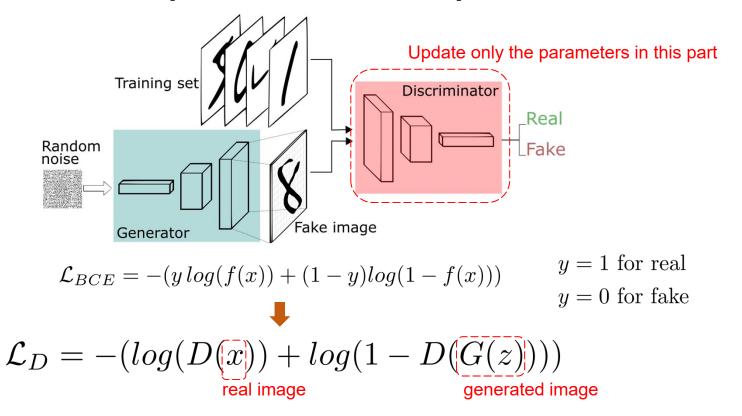
## OK, how is this related to PDF...?



Blue: discriminator Black: data PDF Green: generator PDF

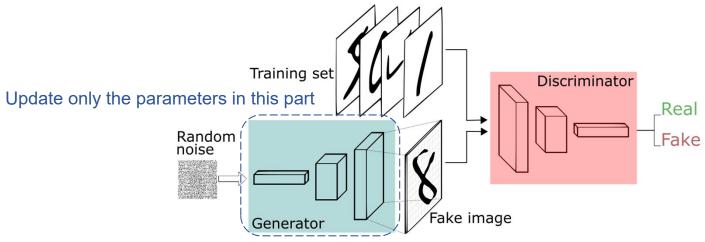
- Our generator does not explicitly learn the PDF
- Conceptually speaking, the discriminator attempts to see if the generated data "fits" in the PDF (of real data)
- Conversely, the generator must generate data that "fits" in the PDF of real data to fool the discriminator

# How to train (discriminator)



Then, we do gradient descent update to train the discriminator

## How to train (generator)



Let's remove the negative sign here, because

we want the classifier to be "wrong" 
$$\mathcal{L}_{BCE} = \left[ -\underbrace{\left(y \log(f(x))\right)} + (1-y) \log(1-f(x)) \right)$$

y = 1 for real

y = 0 for fake

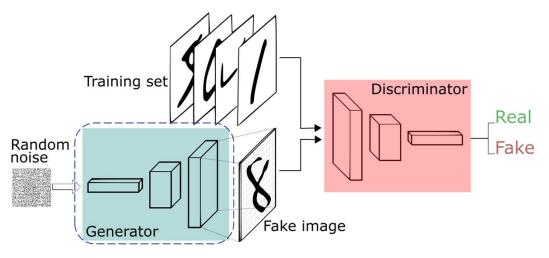
Let's remove this term, as we don't care about what happens to real image for training generator

$$\mathcal{L}_G' = log(1 - D(G(z)))$$

generated image

Then, we do gradient descent update to train the generator

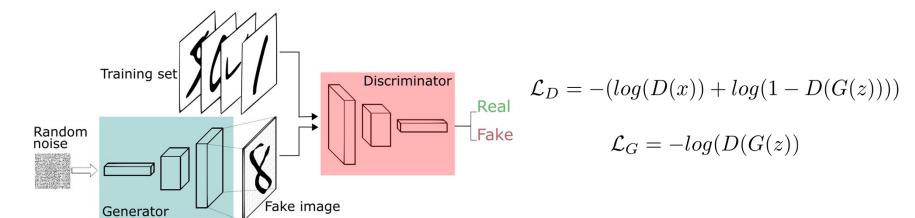
## How to train (generator)



analogy

$$\arg \min_{x} (x - 2)^{2} = \arg \min_{x} (x - 2)^{4}$$

#### **How to train GAN**



```
for I in range(num_iteration):
    for j in range (num_batch):
        sample minibatch of m random noise
        sample minibatch of m real data
        update discriminator with gradient descent applied to L_D
        update generator with gradient descent applied to L G
```

#### **How to train GAN**

#### Why

$$\mathcal{L}_G' = log(1 - D(G(z))$$

$$\mathcal{L}_G = -log(D(G(z)))$$

- 1. Learning to discriminate is easier than learning to generate (especially when the generated output is bad)
- 2. Discriminator will converge first and become very confident
  - $\rightarrow$  D(G(z)) will be near zero
  - → Loss will be nearly zero regardless of G: log(1-D(G(z))) = log (1-0) = log(1) = 0
  - → small gradient
- 3. On the other hand, log(D(G(z))) can change a lot

  → large gradient

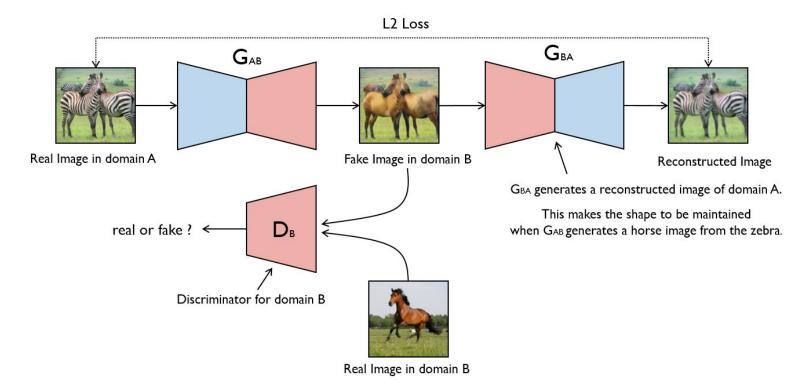
#### From the original paper

In practice, equation 1 may not provide sufficient gradient for G to learn well. Early in learning, when G is poor, D can reject samples with high confidence because they are clearly different from the training data. In this case,  $\log(1 - D(G(z)))$  saturates. Rather than training G to minimize  $\log(1 - D(G(z)))$  we can train G to maximize  $\log D(G(z))$ . This objective function results in the same fixed point of the dynamics of G and D but provides much stronger gradients early in learning.

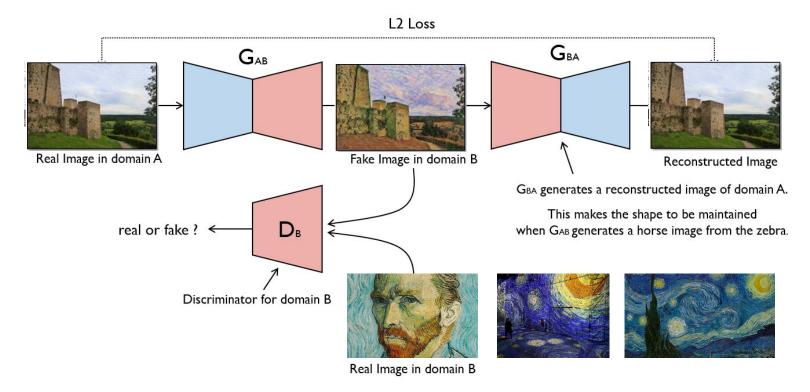
## How to ...?



## **CycleGAN**



# **CycleGAN**



## **Summary**

- Joint Probability Distribution Function
  - Different (e.g., cat vs dog) data have different PDF
- Discriminative vs Generative model
  - Knowing boundary vs. Knowing PDF
- Data generation requires (explicit or implicit) PDF
- Generative adversarial network is a powerful framework for (implicitly) learning the PDF of a dataset and generate data
- GAN is based on two competing networks
- GAN can be extended in many interesting ways

#### References

- Original GAN paper
  - https://papers.nips.cc/paper/2014/file/5ca3e9b122f61f8f06494c97b1afc cf3-Paper.pdf
- CycleGAN
  - https://junyanz.github.io/CycleGAN/