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Wireless Communication - Assignment 1

Modulation process math model:

● Passband → baseband

$$u_{p}(t) \longrightarrow 2\cos 2\pi f_{c}t \longrightarrow \text{Lowpass filter} \longrightarrow u_{c}(t)$$

$$-2\sin 2\pi f_{c}t \longrightarrow \text{Lowpass filter} \longrightarrow u_{s}(t)$$

To downconvert from passband to baseband, we consider:

$$2u_{p}(t)\cos(2\pi f_{c}t) = 2u_{c}t\cos^{2}2\pi f_{c}t - 2u_{s}(t)\sin 2\pi f_{c}t$$
$$= u_{c}(t) + u_{c}(t)\cos 4\pi f_{c}t - u_{s}(t)\sin 4\pi f_{c}t$$

Where:

- -frequency is f_c denoted by: $f_c > W$.
- u_c and u_s are real baseband signals of bandwidth at most W,
- -first tern on the extreme right-hand is the I component $u_c t$, which is a baseband signal.
- -Second and third terms are passband signals at $2f_c$, can be removed by lowpass filtering.

\bullet Baseband \rightarrow passband

$$u_{c}(t) \longrightarrow \cos 2\pi f_{c}t$$

$$u_{s}(t) \longrightarrow -\sin 2\pi f_{c}t$$

$$u_{p}(t)$$

To upconversion from Baseband to passband, we consider:

$$u_p(t) = u_c t \cos(2\pi f_c t) - u_s(t) \sin(2\pi f_c t)$$
$$= u_c t \cos(2\pi f_c t + \theta(t)) - u_s(t) \sin(2\pi f_c t + \theta(t))$$

Where $\theta(t)$ may vary slowly with time.