

# Basic operation

## Elementary operations

$5+6$   
 $ans = 11$

$3-2$   
 $ans = 1$

$5*8$   
 $ans = 40$

$1/2$   
 $ans = 0.500$

$2^6$   
 $\downarrow$   
 $2^6$   
 $ans = 64$

## Logical operations

$1==2$   
 $ans = 0$  false

$1 \neq 2$   
 $ans = 1$  true

$1 \& 0$   
 $ans = 0$

$1 \parallel 0$   
 $ans = 1$

$1 \text{ xor } 0$   
 $ans = 1$

## Variable

$a=3$  it will do  $a=3$ ; it won't print  
 $b='h';$   
 $c=(3>=1)$

$disp(a)$   
 $disp(sprintf('2 decimal: %.02f', a))$

no. of decimal places

printing

## Vector & Matrix

$A = [1 \ 2; 3 \ 4; 5 \ 6]$

$\begin{bmatrix} 1 & 2 \\ 3 & 4 \\ 5 & 6 \end{bmatrix}$

Matrix  $3 \times 2$

$V = [1; 2; 3]$

or even  $V = [1 \ 2 \ 3]$

column/row

$V = \begin{bmatrix} 1 \\ 2 \\ 3 \end{bmatrix}$

Vector (Only has one ~~row~~)

~~matrix~~

$V = 1:0.1:2$

$1 \ 1.1 \ 1.2 \ 1.3 \ 1.4 \ 1.5 \ 1.6 \ 1.7 \ 1.8 \ 1.9 \ 2$

$V = 1:6$

$1 \ 2 \ 3 \ 4 \ 5 \ 6$

$ones(2,3)$

$ans = \begin{bmatrix} 1 & 1 & 1 \\ 1 & 1 & 1 \end{bmatrix}$

$zeros(1,3)$

$ans = 0 \ 0 \ 0$

$rand(1,3)$

$ans = 0.91477$

$randn(1,3)$

$eye(3)$

$ans = \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$

$size(A)$   
 $ans = 3 \ 2$

$size(A,1)$   
 $ans = 3$

$length(V)$   
 $ans = 4$

random number

$0.14359 \ 0.84860$

will contain negative numbers gaussian

~~matrix~~

copying elements

$V = [1 \ 2 \ 3 \ 4]$   
 $b = V(1:3)$   
 $b = 1 \ 2 \ 3$

## Moving Data Around

- Current directory  
pwd
- Change directory  
cd
- Listing elements in directory  
ls
- Loading data  
load featureX.dat
- Displaying variables in memory  
who use who's for more detail
- Removing variable from memory  
clear featureX use clear to clear variables
- Saving data to memory  
save hello.mat V; % binary format  
save hello.txt V -ascii % save as text

## Handling Matrix

> A = [1 2; 3 4; 5 6]

A =  
1 2  
3 4  
5 6

Get all elements  
of row 1 & 3  
↓

> A(3,2)

ans = 6

> A(2,:)

ans = 3 4

> A(:,2)

ans =  
2  
4  
6

> A([1 3])

1 2  
5 6

### - Appending

> A = [A, [100; 101; 102]]

A =  
1 2 100  
3 4 101  
5 6 102

### - Matrix to vector

> A(:)

ans =  
1  
3  
5  
2  
4  
6  
100  
101  
102

You can even append two matrices

C = [A B] or [A; B]

(A) (B)

(A)  
(B)

# Inputting on Data

$$A = \begin{bmatrix} 1 & 2 & 3 & 4 & 5 & 6 \end{bmatrix}$$

$$= \begin{bmatrix} 1 & 2 \\ 3 & 4 \\ 5 & 6 \end{bmatrix}$$

$A \times C$  - normal matrix multiplication

$$ans = \begin{bmatrix} 5 & 5 \\ 11 & 11 \\ 17 & 17 \end{bmatrix}$$

$A.^2$  - element wise squaring

$$ans = \begin{bmatrix} 1 & 4 \\ 9 & 16 \\ 25 & 36 \end{bmatrix}$$

$\log(V)$  - elementary logarithm

$$ans = \begin{bmatrix} 0.0000 \\ 0.0931 \\ 1.0986 \end{bmatrix}$$

$\text{abs}(V)$  - absolute value

$V + \text{ones}(\text{length}(V), 1)$  or  $V+1$  - incrementing by 1

$$ans = \begin{bmatrix} 2 \\ 3 \\ 4 \end{bmatrix}$$

$A'$  - transpose

$$ans = \begin{bmatrix} 1 & 3 & 5 \\ 2 & 4 & 6 \end{bmatrix}$$

$a < 3$

$$ans = \begin{bmatrix} 1 & 0 & 1 & 1 \end{bmatrix}$$

$\text{fliplr}(A)$  - mirror image

$$V = \begin{bmatrix} 1 & 2 & 3 \end{bmatrix}$$

$$B = \begin{bmatrix} 11 & 12 & 13 & 14 & 15 & 16 \end{bmatrix}$$

$$B = \begin{bmatrix} 11 & 12 \\ 13 & 14 \\ 15 & 16 \end{bmatrix}$$

$$C = \begin{bmatrix} 1 & 1 & 2 & 2 \end{bmatrix}$$

$$C = \begin{bmatrix} 1 & 1 \\ 2 & 2 \end{bmatrix}$$

$A * B$  - elementary multiplication

$$ans = \begin{bmatrix} 11 & 24 \\ 39 & 56 \\ 75 & 96 \end{bmatrix}$$

$1 ./ V$  -  $\frac{1}{V}$  for every element of V

$$ans = \begin{bmatrix} 1.0000 \\ 0.5000 \\ 0.3333 \end{bmatrix}$$

$\exp(x)$  -  $e^x$  for every element

$-V$

$$ans = \begin{bmatrix} -1 \\ -2 \\ -3 \end{bmatrix}$$

$$a = \begin{bmatrix} 1 & 15 & 2 & 0.5 \end{bmatrix}$$

$\text{[val ind]} = \text{max}(a)$

$$val = 15$$

$$ind = 2$$

To find maximum element

$\text{sum}(a)$  - add up elements

$\text{prod}(a)$  - product of all elements

$\text{floor}(a)$  - Round off down

$\text{ceil}(a)$  - Round off up

$\text{ceil}(a)$

$\text{find}(a < 3)$

$$ans = \begin{bmatrix} 1 & 3 & 4 \end{bmatrix}$$

indices

$\text{[r,c]} = \text{find}(A \approx 7)$

for matrices

$\text{pinv}(A)$  - invert matrix

## Plotting Data

- plot(x, y);

- plot(x<sub>1</sub>, y<sub>1</sub>);

hold on;

plot(x<sub>2</sub>, y<sub>2</sub>, 'r')

- To make 2 more graphs appear in plot

- xlabel('time');

ylabel('value');

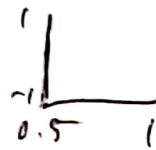
legend('sin', 'cos');

title('my plot');

axis([0.5 1 1 1]);

- print - d.png 'myPlot.png'

- attributes



changing axis

- Save plot in png

- close plot

- figure(1): plot(t, y1);

figure(2): plot(t, y2);

- getting 2 plot windows

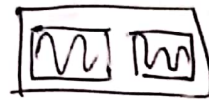
- subplot(1, 2, 1);

plot(t, y1);

subplot(1, 2, 2);

plot(t, y2);

- (no. of rows, no. of columns, index)



- imagesc(A)

imagesc(A), colorbar, colormap gray, go

- colour mapping matrix

~~fprintf("Name: %s\n", name);~~

fprintf("Age: %d\n", age);



# Control Statements

- for

```
for i = 1:10,  
    v(i) = 2^i;  
end;
```

- while

```
while i <= 5,  
    v(i) = 100;  
    i = i + 1;  
end;
```

- if

```
if i == 6,  
    a = 0;  
end;
```

- ~~Nested~~ if, elseif, else

```
if v(i) == 1,  
    a = 0;  
elseif v(i) == 2,  
    a = 1;  
else  
    a = 2;  
end;
```

- function

```
- function y = squaremum(x)  
    y = x^2;
```

```
- function [y1, y2] = sqt cube(x)  
    y1 = x^2;  
    y2 = x^3;
```