First order LPF (aka 1pole LPF)

Terminé $h(pp) := \frac{1}{1 + pp}$ Terminé

p+mc

ИС

Terminé

 $hl(p) := h\left(\frac{p}{wc}\right)$

|II| |

 $hl2(z)\!:=\!hl\bigg(\frac{2\cdot fs\cdot (z\!-\!1)}{z\!+\!1}\bigg)|wc\!=\!2\cdot fs\cdot taan\big(\pi\cdot nfc\big)$

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 $hl3(z) := \frac{nfcw \cdot (z+1)}{(nfcw+1) \cdot z + nfcw - 1}$

"where nfcw = tan(nfc·pi) and nfc =fc/fs"

 $\frac{\tan(nfc\cdot\pi)\cdot(z+1)}{(\tan(nfc\cdot\pi)+1)\cdot z+\tan(nfc\cdot\pi)-1}$

Terminé

"where nfcw = tan(nfc·pi) and nfc =fc/fs"

First order HPF (aka 1pole+1zero HPF)

$$h(pp)$$
:= $\frac{1}{1+pp}$

Terminé

Terminé

p p+wc Terminé

$$hh(p) := h\left(\frac{wc}{p}\right)$$

$$hh2(z)\!:=\!hh\bigg(\frac{2\cdot f\!\!\cdot\! (z\!-\!1)}{z\!+\!1}\bigg)_{|wc=2\cdot f\!\!\cdot\! \cdot taan\big(\pi\cdot nfc\big)}$$

$$\frac{z-1}{(taan(nfc\cdot\pi)+1)\cdot z+taan(nfc\cdot\pi)-1}$$

Terminé

$$hh\beta(z) := \frac{z-1}{(nfcw+1) \cdot z + nfcw - 1}$$

"where nfcw = tan(nfc·pi) and nfc =fc/fs"