CS409 Software Testing

TAN, Shin Hwei

陈馨慧

Southern University of Science and Technology
Slides adapted from Introduction to Software Testing, Edition 2 (Ch 7)

Graph lab

Graph lab

- Graph-lab in GitHub Classroom:
- https://classroom.github.com/a/rkg8YIET
- Write all answers in README.md
 - Don't forget your student id and names!

- $N = \{1, 2, 3, 4\}$
- $N_0 = \{1\}$
- $N_4 = \{4\}$
- $E = \{(1,2), (2,3), (3,2), (2,4)\}$

Step 1: Draw this graph



- $N = \{1, 2, 3, 4\}$
- $N_0 = \{1\}$
- $N_4 = \{4\}$
- $E = \{(1,2), (2,3), (3,2), (2,4)\}$

Step 2: If possible, list test-paths that achieve Node Coverage, but not Edge Coverage, explain why not?



- $N = \{1, 2, 3, 4\}$
- $N_0 = \{1\}$
- $N_4 = \{4\}$
- $E = \{(1,2), (2,3), (3,2), (2,4)\}$

Step 3: If possible, list test-paths that achieve Edge Coverage, but now Edge-Pair Coverage, explain why not?

- $N = \{1, 2, 3, 4\}$
- $N_0 = \{1\}$
- $N_4 = \{4\}$
- $E = \{(1,2), (2,3), (3,2), (2,4)\}$

Step 4: List test paths that achieve Edge-Pair Coverage



Use Tool

- $N = \{1, 2, 3, 4\}$
- $N_0 = \{1\}$
- $N_4 = \{4\}$
- $E = \{(1,2), (2,3), (3,2), (2,4)\}$

Step 4: Compare your results with

https://cs.gmu.edu:8443/offutt/coverage/GraphCoverage

- $N = \{1, 2, 3, 4, 5, 6, 7\}$
- $N_0 = \{1\}$
- $N_f = \{7\}$
- $E = \{(1, 2), (1, 7), (2, 3), (2, 4), (3, 2), (4, 5), (4, 6), (5, 6), (6, 1)\}$

Step 1: Draw this graph



- $N = \{1, 2, 3, 4, 5, 6, 7\}$
- $N_0 = \{1\}$
- $N_f = \{7\}$
- $E = \{(1, 2), (1, 7), (2, 3), (2, 4), (3, 2), (4, 5), (4, 6), (5, 6), (6, 1)\}$

Step 2: List the test requirements for Edge-Pair Coverage. (Hint: You should get 12 requirements)

- $N = \{1, 2, 3, 4, 5, 6, 7\}$
- $N_0 = \{1\}$
- $N_f = \{7\}$
- $E = \{(1, 2), (1, 7), (2, 3), (2, 4), (3, 2), (4, 5), (4, 6), (5, 6), (6, 1)\}$

Consider the following (candidate) test paths:

- p1 = [1, 2, 4, 5, 6, 1, 7]
- p2 = [1, 2, 3, 2, 4, 6, 1, 7]
- p3 = [1, 2, 3, 2, 4, 5, 6, 1, 7]

Step 3: Does these test paths satisfy Edge-Pair Coverage? If not, state what is missing?



- $N = \{1, 2, 3, 4, 5, 6, 7\}$
- $N_0 = \{1\}$
- $N_f = \{7\}$
- $E = \{(1, 2), (1, 7), (2, 3), (2, 4), (3, 2), (4, 5), (4, 6), (5, 6), (6, 1)\}$

Step 4: Consider the simple path [3, 2, 4, 5, 6] & test path [1, 2, 3, 2, 4, 6, 1, 2, 4, 5, 6, 1, 7]. Does the test path tour the simple path directly? With a sidetrip? If so, write down the sidetrip.



- $N = \{1, 2, 3, 4, 5, 6, 7\}$
- $N_0 = \{1\}$
- $N_f = \{7\}$
- $E = \{(1, 2), (1, 7), (2, 3), (2, 4), (3, 2), (4, 5), (4, 6), (5, 6), (6, 1)\}$

Step 5: List the test requirements for Node Coverage, Edge Coverage, and Prime Path Coverage.



- $N = \{1, 2, 3, 4, 5, 6, 7\}$
- $N_0 = \{1\}$
- $N_f = \{7\}$
- $E = \{(1, 2), (1, 7), (2, 3), (2, 4), (3, 2), (4, 5), (4, 6), (5, 6), (6, 1)\}$

Consider the following (candidate) test paths:

- p1 = [1, 2, 4, 5, 6, 1, 7]
- p2 = [1, 2, 3, 2, 4, 6, 1, 7]
- p3 = [1, 2, 3, 2, 4, 5, 6, 1, 7]

Step 5: List test paths from the given set that achieve Node Coverage but not Edge Coverage.

- $N = \{1, 2, 3, 4, 5, 6, 7\}$
- $N_0 = \{1\}$
- $N_f = \{7\}$
- $E = \{(1, 2), (1, 7), (2, 3), (2, 4), (3, 2), (4, 5), (4, 6), (5, 6), (6, 1)\}$

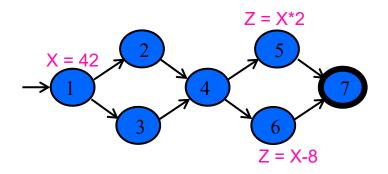
Consider the following (candidate) test paths:

- p1 = [1, 2, 4, 5, 6, 1, 7]
- p2 = [1, 2, 3, 2, 4, 6, 1, 7]
- p3 = [1, 2, 3, 2, 4, 5, 6, 1, 7]

Step 6: List test paths from the given set that achieve Edge Coverage but not Prime Path Coverage on the graph.

Data Flow Analysis Exercise

Data Flow Testing Example in Lecture



All-defs for X

[1, 2, 4, 5]

All-uses for *X*

[1, 2, 4, 5]

[1, 2, 4, 6]

All-du-paths for X

[1, 2, 4, 5]

[1, 3, 4, 5]

[1, 2, 4, 6]

[1, 3, 4, 6]

Lab: Data flow example

```
int bias;
if(inhibit) {
     bias = down sep;
else {
     bias = up sep;
if(bias > down sep) {
     return 1;
else {
     return 0;
              work ...
```

- 1. Write the def and use of all variables
- 2. Are they C-use or P-use?

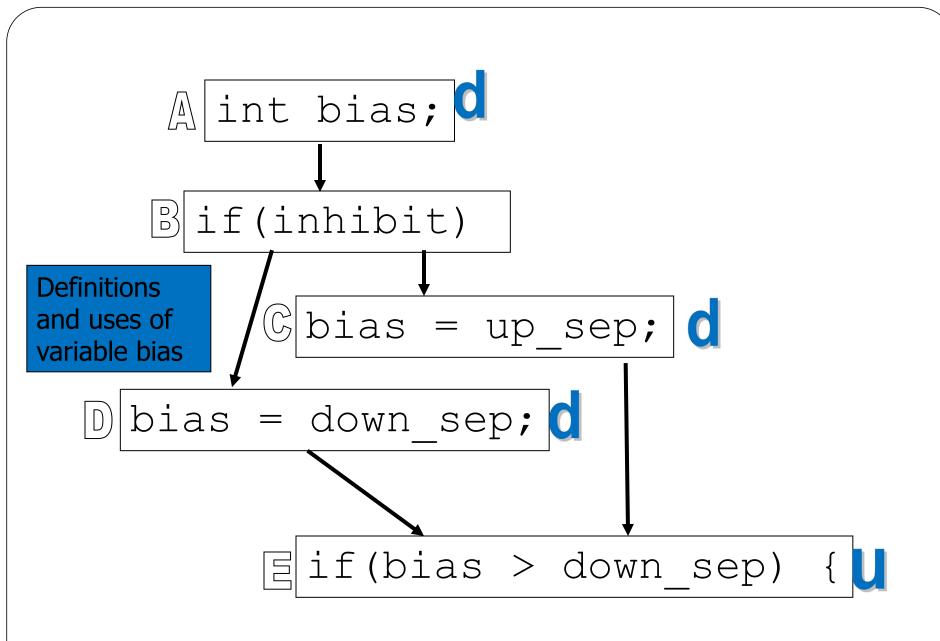
Lab: Data flow example

```
int bias;
                                         A definition of bias
           if(inhibit) {
                 bias = down sep; ✓
                                             A C-use of
                                             down_sep
Definitions of
           else {
   bias
                                         A C-use of up_sep
               →bias = up sep;•
                                              P-uses of bias
           if (bias down sep) {
                 return 1;
           else {
                  return 0;
```

Lab: Data flow example

```
int bias;
if(inhibit) {
     bias = down sep;
else {
     bias = up sep;
if(bias > down sep) {
     return 1;
else {
     return 0;
              work ...
```

- Mark the statement that are definition of bias with
- Mark the statement that are usage of bias with



What to submit?

Part 1:

- Pictures (on paper or using power point/paint or any painting tools) showing the graph that you draw
 - In Class Extended Exercise 1
 - In Class Extended Exercise 2

Part 2:

- 1. Draw the data flow graph for the variable "bias" for the "Lab: Data flow example"
- Write down All-defs for "bias"
- Write down All-uses for "bias"
- 4. Write down All-du-paths for "bias"
- Write all answers in README.md
 - Don't forget your student id and names!