# Investigation over NOMA with SIC in single antenna scheme

PHYSICAL LAYER SIMULATION

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#### Outline

- > Previous work
- > Introduction
- ➤ Simulation result (best MCS given pair)
- ➤ Scheduling Problem (single cell, 12 UEs)
- **≻**Algorithm
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#### Recap of our previous works

- In the previous works, we surveyed and introduced literature on the physical and MAC layer techniques for non-orthogonal multiple access (NOMA)
- ➤ Based on the survey, we investigate theoretic and simulation models for NOMA to lay a solid ground for the resource allocation and scheduling to be studied in this project
- ➤ By the simulation result, we observe effect of error propagation: Capacity is calculated assumes zero-error when decoding former stages before extracting users own signal, however once error occurs, SIC performance degrades.

#### Introduction

- As in the previous work, the requirement of BER threshold for simulation is set way too low, and supported MCS is too few, causing wide feasible region of power allocation factor  $\alpha$  in most cases. Here, in this presentation, the issue is considered and some modifications are made.
- The algorithm initially purposed is evaluated with exhaustive search by CSG (coalition structure generation), however, by the visualized result, no further trivial attribute is found.

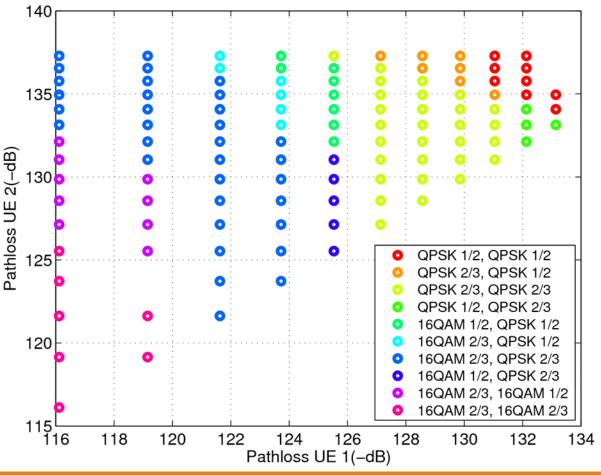
#### MCS adaption in SIC

- The power ratio factor is determined by linear search quantumized by (0.0125).
- Two user equipments are placed on position with distance multiple of 100m
- ➤ Both user has BER constraint no greater than 10^-4

Parameters	Simulation settings		
FFT size	2048		
Carrier frequency	2.6 GHz		
Coding scheme	Convolutional Code (punctured)		
Cyclic Prefix	144 samples		
Modulation	BPSK (skipped), QPSK, 16QAM		
Channel	AWGN, ITU pedestrian 3km/hr		
BS power	4 W		
Background noise	-144 dBm		
Pathloss model	Hata model, medium sized city		
Equalizer	FDE MMSE		

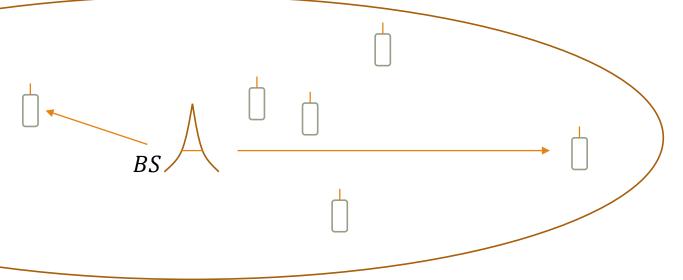
#### MCS adaption in SIC

The marked MCS is the best in given channel condition and BER constraint.



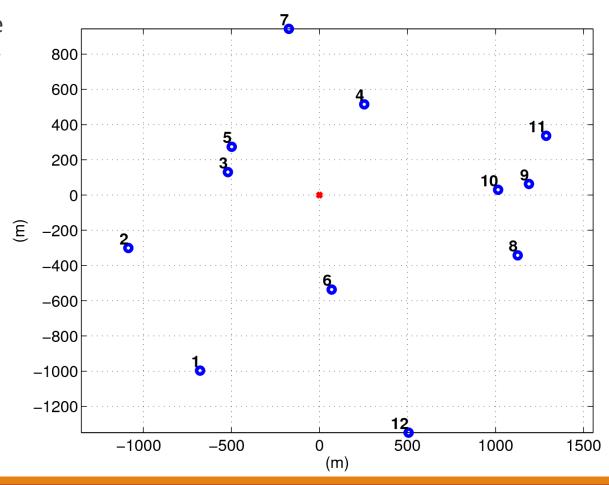
## Scheduling problem

- Consider scheduling users in a single cell, all users has to be scheduled once in given time window.
- Assume there are 12 users randomly scattered in 2800 square meter plane. The objective is to maximize spectrum utilization.



# Scheduling problem - scenario

- This is a sample of random topology generated.
- The red spot at the origin is BS



#### Algorithm

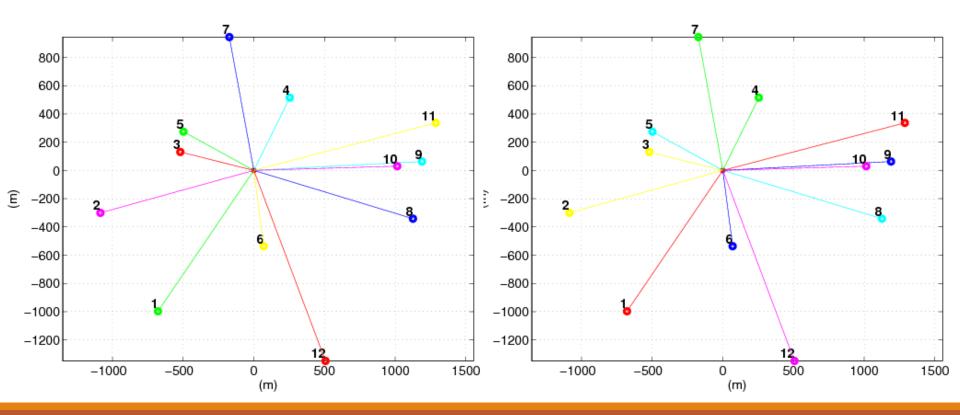
It is observed that scheduling pairs with great path loss difference can help achieve better system performance. Thus, the initial algorithm is designed as follows.

#### Algorithm 1 Scheduling transmission pairs iteratively

```
01: Input: a set of user equipments, i.e. V
02: Initial: CS \leftarrow \emptyset \setminus \text{schedule set}
03: Sort UEs by its pathloss increasingly.
      \mathbf{V}' = \{ [v_1 \ v_2 ... v_n] | PL(v_i) \le PL(v_i) \forall i < j \}
04: While V' is not empty
         u = \mathbf{V}'.first() \setminus select the first element
05:
        For r \in \mathbf{V}', r \neq u
06:
           If pair(u, r) is feasible for given constraint
07:
08:
                \mathbf{M} = pair(u, r).getMCS() \setminus feasible MCSs
09:
              For W_m, m \in \mathbf{M}
                  If W_m > best
10:
11:
                      best \leftarrow W_m
12:
                      r' \leftarrow r
13:
                  End If
14:
               End For
15:
           End For
16:
           If v' exists \setminus u can form a pair.
17:
                \mathbf{V}' \leftarrow \mathbf{V}' \setminus \{r', u\}, \ CS \leftarrow CS \cup \{r', u\}
           Else
18:
                \mathbf{V}' \leftarrow \mathbf{V}' \setminus \{u\}, \ CS \leftarrow CS \cup \{u\}
19:
20:
           End If
21:
        End While
22: Return best, CS
```

## Scheduling results

Left-hand side is generated by Algorithm 1, and figure on the right is optimal solution by exhaustive search. Alg. 1 reached 91.67% optimality.



# Scheduling results (optimal)

Pair (Slot)	#1	#2	#3	#4	#5	#6
$\alpha$ (med)	0.1938	0.050	0.0375	0.05	0.05	0.1563
PLDiff(dB)	1.0	10.0	8.0	10.0	10.0	6.0

- The PL ratio in this case is less than 11.7.
- Power allocation factor  $\alpha$  has to be small enough so the far-end user can decode correctly with less error propagation.
- Cannot be too large that the symbols of two users overlap with others.

#### Q&A

Thank you for your attention.

