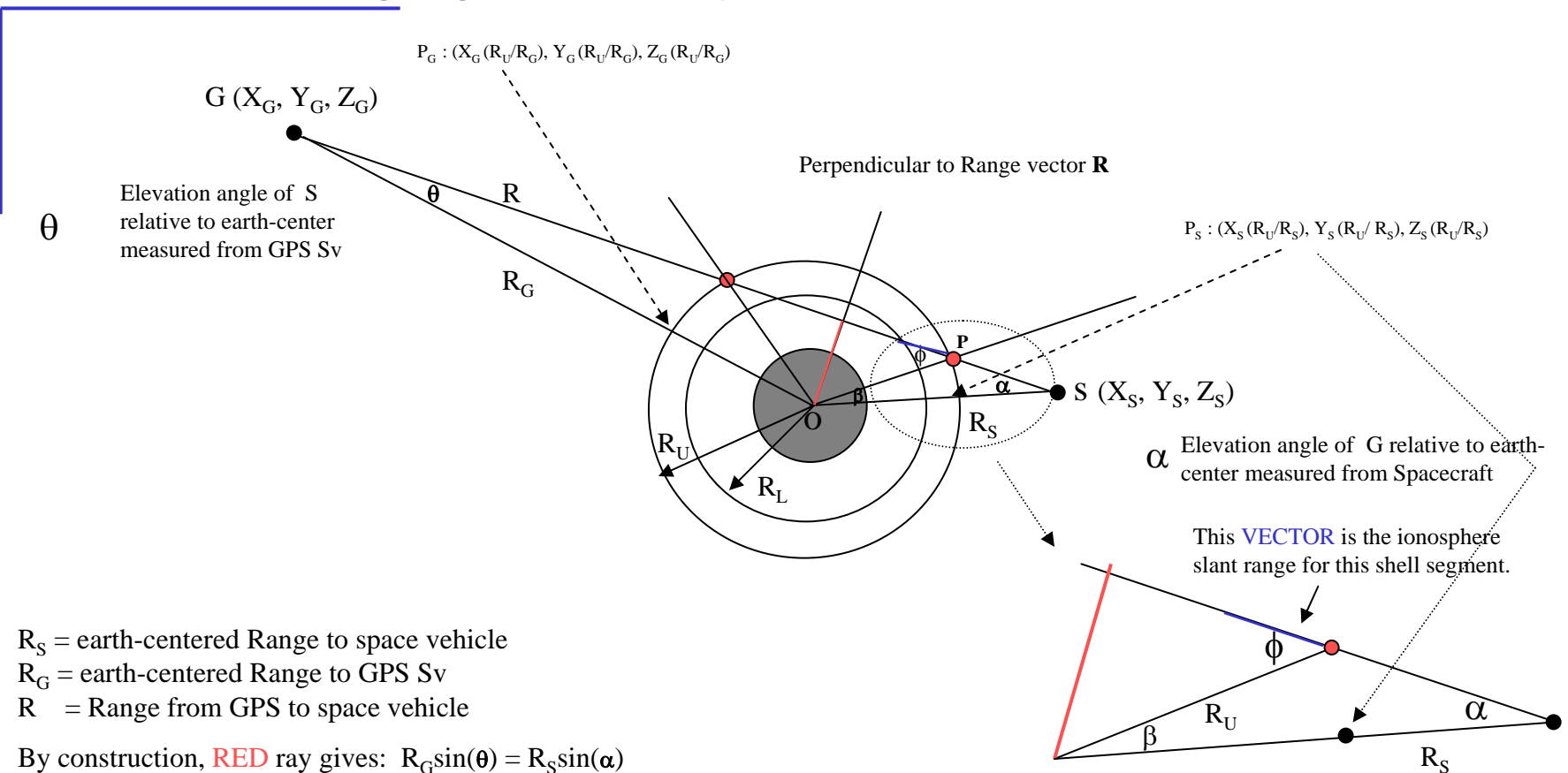


# Illustration of Slant Range Algorithm for Ionosphere Shell Model



$R_S$  = earth-centered Range to space vehicle

$R_G$  = earth-centered Range to GPS Sv

$R$  = Range from GPS to space vehicle

By construction, **RED** ray gives:  $R_G \sin(\theta) = R_S \sin(\alpha)$

$$\sin(\alpha) = \sin(\theta) R_G / R_S$$

$$\text{RED} = R_S \sin(\alpha) = R_U \sin(\phi)$$

$$\sin(\phi) = (\sin(\alpha) R_S / R_U) = (\sin(\theta) R_G / R_S) (R_S / R_U) = \sin(\theta) R_G / R_U$$

$$\cos(\phi) = (1 - \sin^2(\phi))^{1/2} = (1 - \sin^2(\theta) (R_G / R_U)^2)^{1/2}$$

$$\text{BLUE} = \text{Slant range Iono Delay} = V_{\text{DELAY @ P}} / \cos(\phi) = V_{\text{DELAY @ P}} / (1 - \sin^2(\theta) (R_G / R_U)^2)^{1/2}$$

compute  $V_{D @ P}$  : Compute Lat/Lon from  $R_S$ . Add  $\beta$  to Latitude and use  $\alpha/\beta$  portion of GPS-200

note:  $(\beta + (\pi - \phi)) + \alpha = \pi \longrightarrow \beta = \phi - \alpha$  add this to the Latitude and compute  $V$

Do other segments similarly.